# Real World Problems Uninformed Search Methods

#### **REAL-WORLD PROBLEMS**

#### **Route Finding**

 Defined in terms of Specified Locations & transition along link between them.

#### **Applications**

- Automated Travel Advisory System
- Airline Travel Planning
- Car Systems

### **REAL-WORLD PROBLEMS**

- Route-finding problems
  - GPS-based navigation systems, Google maps
- · Touring problems
  - TSP problem
- VLSI layout problems
- · Robot navigation problems
- · Automatic assembly sequencing
- · Internet searching
- Searching paths in metabolic networks in bioinformatics

## REAL-WORLD PROBLEMS

Let us consider airline travel planning problems that is solved by an automated travel advisory system. The objective is to arrive to a destination with the minimum cost. Each state comprises airport location and the current time. Let us formulate the problem.

Initial state: Starting point of the journey

Goal state: Final destination

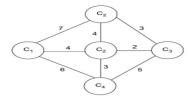
**Operators/Actions:** Flight from current location to reach the next location in such a way so that there is enough time difference in the next flight and in transfer within the airport if there is a connecting flight.

## **REAL-WORLD PROBLEMS**

Path cost: Total of travel fare, travel time, waiting time, time of the day, type of airline and can include special package, mileage awards, etc.

Most often, the commercial travel systems use a problem formulation of this kind, with many additional complications such as backup reservations on alternative flights. This is done to the extent that these are justified by the cost and likelihood of the original plan.

# **Travelling Salesman Problem**



The problem can be formulated as

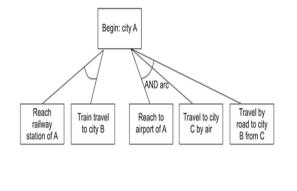
**Initial state:** The starting city for the tour is  $C_1$ . **Goal state:** The complete trip ends at  $C_1$ .

Operator: Travel from one city to another with the constraint that the city is not

visited before.

Path cost: Travelling time

# **Problem Reduction Methods**

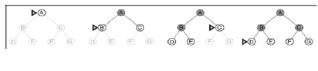


# **Search Methods**

- Uninformed (blind) search strategies use only the information available in the problem definition
- · Breadth-first search (BFS)
- · Uniform-cost search
- · Depth-first search (DFS)
- · Depth-limited search
- · Iterative deepening search

# Breadth-First Search (BFS)

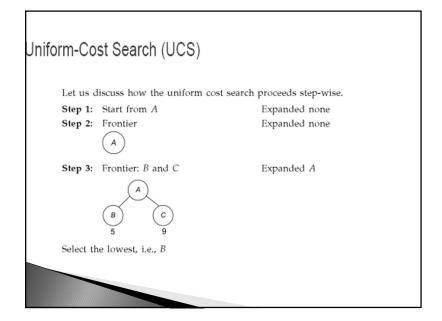
- · The root node is expanded first
- · Then all successors of the root node are expanded
- · Then all their successors
- · ... and so on
- In general, all the nodes of a given depth are expanded before any node of the next depth is expanded.
- · Uses a standard queue as data structure



# вс Status of Queue CDE DEFG EFGH time FGHIJ GHIJ HIJKL IJKL JKLM Empty nodes: unvisited, KLM Grey nodes: frontier (= in queue), Red nodes: closed (= removed from queue) L M М

## Uniform-Cost Search (UCS)

- Modification to BFS generates Uniform-cost search, which works with any step-cost function (edge weights/costs):
- UCS expands the node n with lowest summed path cost g(n).
- To do this, the frontier is stored as a priority queue. (Sorted list data structure, better heap data structure).
- The goal test is applied to a node when selected for expansion (not when it is generated).
- Also a test is added if a better node is found to a node on the frontier.



#### Uniform-Cost Search (UCS)

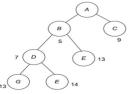
Step 4: Frontier: D, C, E (priority queue) Expanded A, B



 $\it Note:$  Remember the costs are added from the root till the node in consideration. Select the lowest, i.e.,  $\it D.$ 

Step 5: Frontier (C, E, E, G)

Expanded A, B, D

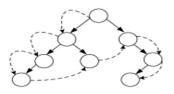


In step 5, we have considered E, as its parent is different. Since we have reached the goal state, from the tree, we can see that we have found a path. The path is A-B-D-G.

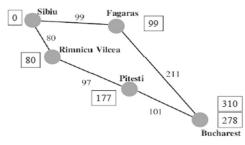
# Depth First Search (DFS)

- 1. If initial state is the final state
- Do it till you get success or failure.
   Generate a successor, if no more successors can be generated → failure
   Go to step 1 with initial state to be the current generated successor.

As described, the search starts with the initial node or state say root. It proceeds with its successor and follows the path ahead till either is knows that it has come to a solution or has to go back and seek new solution as shown in the figure.



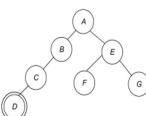
### Uniform-Cost Search (UCS)



- · Uniform-cost search is similar to Dijkstra's algorithm!
- · It requires that all step costs are non-negative
- It may get stuck if there is a path with an infinite sequence of zero cost steps.
- · Otherwise it is complete

#### Depth First Search (DFS)

With the start node of A and the goal state of D, we have the DFS approach carried out as follows:



Sample tree input for DFS.

#### Depth First Search (DFS)

#### Stack

Step 1:	$A \leftarrow \text{top}$ $B \leftarrow \text{top } E$	Pop <i>A</i> , is it goal? No, push its children on the stack. <i>A</i> 's successor is pushed.
Step 2:	$B \leftarrow \text{top } E$ $C \leftarrow \text{top } E$	Pop <i>B</i> , is it goal? No, push its children on the stack. <i>B</i> 's successor is pushed.
Step 3:	$C \leftarrow \text{top}$ $D \leftarrow \text{top } E$	Pop <i>C</i> , is it goal? No, push its children on the stack. <i>C</i> 's successor is pushed.
Step 4:	$D \leftarrow \text{top } E$	Pop D, is it goal?? YES!

#### Advantages of Depth First Search and Breadth First Search

Advantages of Depth First Search	Advantages of Breadth First Search		
Simple to implement     Needs relatively small memory for storing the state-space	Guaranteed to find a solution (if one exists)     Depending on the problem, can be guaranteed to find an optimal solution		

#### Disadvantages of Depth First Search and Breadth First Search

Disadvantages of Depth First Search	Disadvantages of Breadth First Search		
Cannot find solution in all cases, and hence, can sometimes fail to find a solution	Memory management along with alloca- tion is the key factor, and hence, more complex to implement		
2. Not guaranteed to find an optimal solution can take a lot of time to find a solution	<ol><li>Needs a lot of memory for storing the state space if the search space has a high branching factor</li></ol>		

#### Depth First Search (DFS)

Consider the second case, where we want to

reach to F.

The initial working is same as the way we had to reach to D. The example below shows that after having reached till D state, the next step needs backtracking and hence it starts with E. So, we will start from that point. Thus, the stack contents are as follows:

#### Stack

**Step 1:**  $E \leftarrow \text{top}$  After having traversed the steps till D, stack will have E. So, pop E, is it goal? No, push its children.

 $\begin{array}{lll} \textbf{Step 2:} & \varGamma \leftarrow \text{top } G & \text{E's successor is added.} \\ \textbf{Step 3:} & \digamma \leftarrow \text{top } G & \text{Pop } \varGamma, \text{ is it goal?? YES!} \\ & G \leftarrow \text{top} & \end{array}$ 

Pop the contents. Path found! So, the path A-E-F is found.

#### Depth Limited Search (DLS)

The following algorithm summarises the working of depth limited search:

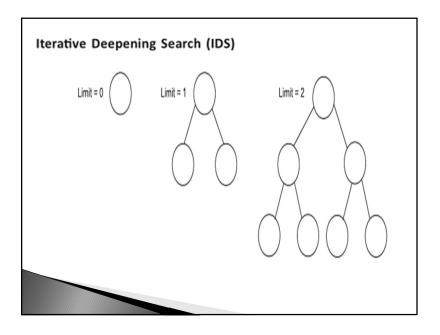
- 1. Set the depth limit to the maxdepth to search.
- 2. Initial node = current node
  If initial node = goal, return
- If depth(initial node) > depth limit return

else

Expand(initial node)

Save(successors) using stack

Go to step 2



Comparison of Uninformed Search Techniques

Search techniques	Complete	Optimal	Time complexity	Space complexity
Breadth first search	Yes	Yes	$O(b^d)$	$O(b^d)$
Uniform cost	Yes	Yes	$O(b^d)$	$O(b^d)$
Depth first	No	No	$O(b^d)$	O(bd)
Depth limited	No	No	$O(b^l)$	O(bl)
Iterative deepening	Yes	Yes	$O(b^d)$	O(bd)
Bi-directional	Yes	Yes	$O(b^{d/2})$	$O(b^{d/2})$

The algorithm for IDS is as follows:

- 1. Set depth-limit  $\leftarrow 0$
- 2. Do

Solution = DLS(depth-limit, initial node)
If(solution= goal state) then return
else

Depth-limit = depth-limit + 1 continue