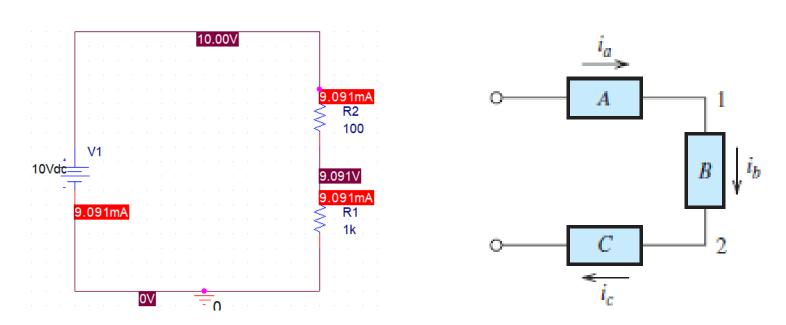


Kirchhoff's Current law (KCL)



Elements connected from end to end ——— Series circuit

CURRENT in a **SERIES** circuit – remains same!

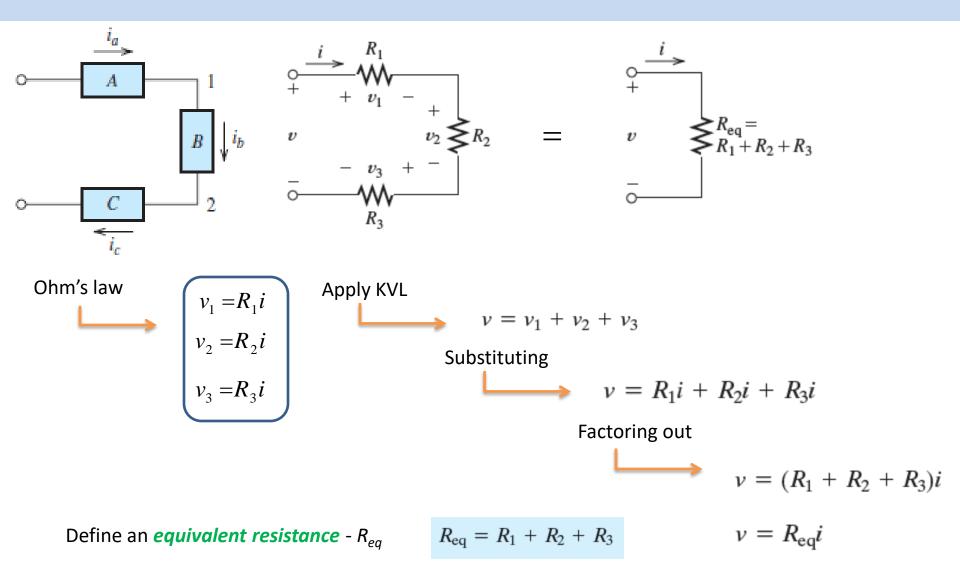
Apply KCL to check this!

@ Node 1,
$$i_a = i_b$$

@ Node 2,
$$i_b = i_c$$

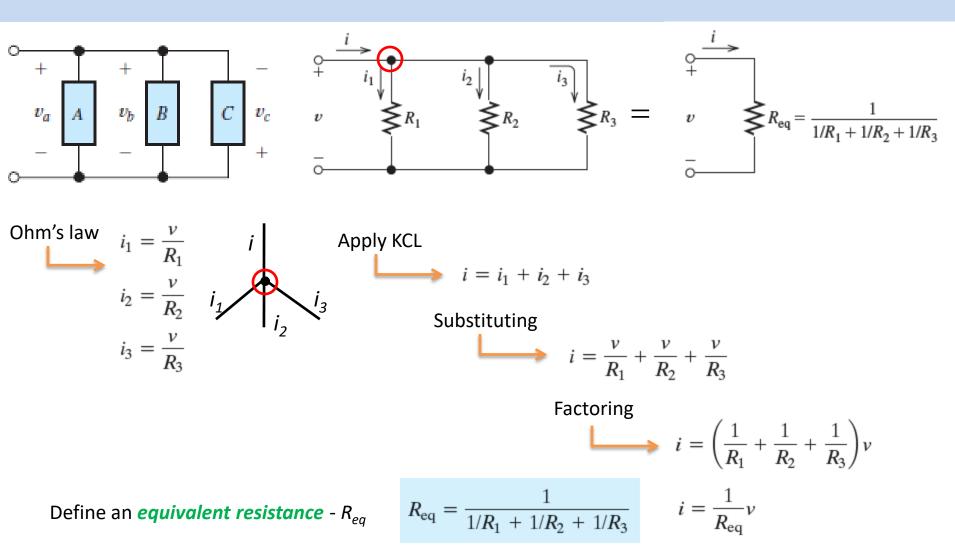
Thus,
$$i_a = i_b = i_c$$

Series Circuit



Series combination of resistances has an *equivalent resistance* which is equal to sum of individual resistances

Kirchhoff's Voltage law (KVL)



Parallel combination of resistances also has an *equivalent resistance*.

It can be replaced in place of the parallel combination, without changing V's and I's in other parts of circuit!

Combining Resistances in series and parallel

For 3 resistances

in llel,

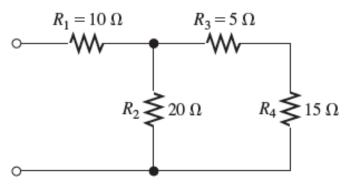
$$R_{\rm eq} = \frac{1}{1/R_1 + 1/R_2 + 1/R_3}$$

For 2 resistances

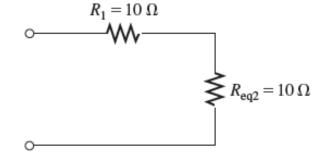
$$R_{\rm eq} = rac{1}{1/R_1 + 1/R_2 + 1/R_3}$$
 in IIel, $R_{\rm eq} = rac{1}{1/R_1 + 1/R_2}$ $R_{\rm eq} = rac{R_1 R_2}{R_1 + R_2}$

$$R_{\rm eq} = \frac{R_1 R_2}{R_1 + R_2}$$

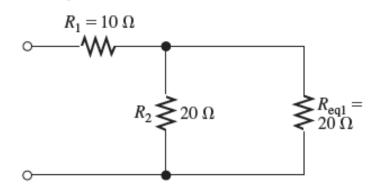
Example:



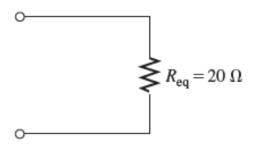
B)
$$R_{\text{eq2}} = \frac{1}{1/R_{\text{eq1}} + 1/R_2} = \frac{1}{1/20 + 1/20} = 10 \ \Omega$$



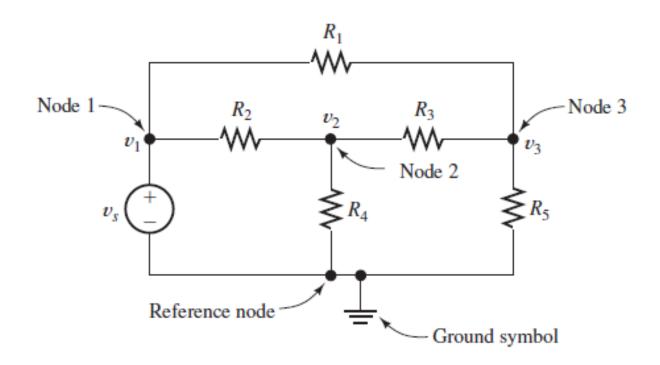
A)
$$R_{\text{eq}1} = R_3 + R_4 = 5 + 15 = 20 \,\Omega$$



C)
$$R_{\text{eq}} = R_1 + R_{\text{eq}2} = 10 + 10 = 20 \,\Omega$$



Node Voltage Analysis



Series or parallel combinations – no use for this circuit!

Acknowledgements

- 1. H. Hayt, J.E. Kemmerly and S. M. Durbin, 'Engineering Circuit Analysis', 6/e, Tata McGraw Hill, New Delhi, 2011
- 2. Allan R. Hambley, 'Electrical Engineering Principles & Applications, Pearson Education, First Impression, 6/e, 2013