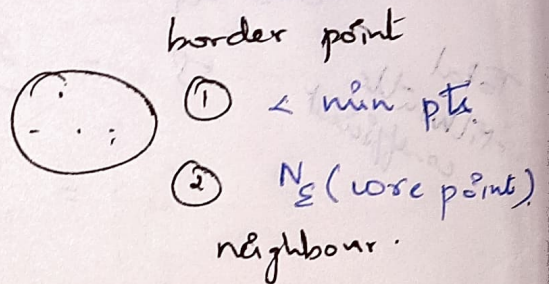
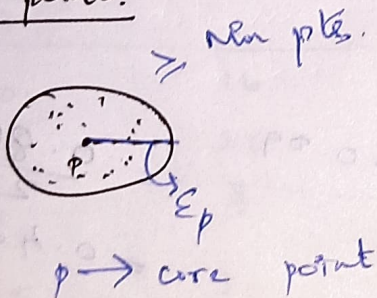


DBSCAN Algorithm:

- * Arbitrary select a point p
- * Retrieve all pts density-reachable from p
- (p) w.r.t ϵ_{ps} and $minpts$
- * If p is a core pt, a cluster is formed
- * If p is a border points no points are density-reachable from p and DBSCAN visits the next of the database
- * Continue the process untill all of points have been processed

Core point:-



noise if it is neither core

or border point

Symmetric Distance Matrix

distance \Rightarrow Euclidean

pts	A	B	C	D	E	F
A	0					
B	0.7	0				
C	5.7	4.9	0			
D	3.6	2.9	2.9	0		
E	4.2	3.5	1.4	1	0	
F	3.2	2.5	2.5	0.5	1.1	0

Condition:

* $\epsilon = 1.5$

* Min pts = 3

* Initially mark the core points

(so $\epsilon = 1.5$, min pts = 3, at least we have

3 pts whose distance should be less than 3)

$$d(x, y) = \sqrt{\sum_{i=1}^n (x_i - y_i)^2}$$

Euclidean

pts	A B/N	B B/N	C B/N	D core point	E core	F core
A	0 ✓	0.7	5.7	3.6	4.2	3.2
B	0.7 ✓	0 ✓	4.9	2.9	3.5	2.5
C	5.7 ✗	4.9 ✗	0 ✓	2.2	1.4 ✓	2.5
D	3.6 ✗	2.9 ✗	2.9 ✗	0 ✓	1 ✓	0.5 ✓
E	4.2 ✗	3.5 ✗	1.4 ✓	1 ✓	0 ✓	1.1 ✓
F	3.2 ✗	2.5 ✗	2.5 ✗	2.5 ✓	1.1 ✓	0 ✓
	↑ 2pts	↑ 1pt	↑ 2pt	↑ 3pts	↑ 4pts	↑ 3pts

* Then mark (find) Border point

pts	A Noise	B Noise	C Border	D core	E core	F core
A	0	0.7	5.7	3.6	4.2	3.2
B	0.7	0	4.9	2.9	3.5	2.5
C	5.7	4.9	0 ✓	2.2	1.4	2.5
D	3.6	2.9	2.9	0	1	
E	4.2	3.5	1.4	1	0	1.1
F	3.2	2.5	2.5	0.5	1.1	0

To determine whether C is Border or Noise,

condition (i) \leftarrow min pts \rightarrow (2 < 3)

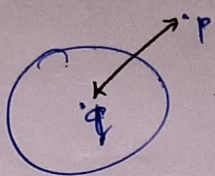
(ii) N_{ϵ} (with core point)

neighbor means falls under the radius ϵ

here C is neighbor with "E" which is the core point

Therefore "C" is border point

Directly density Reachable:



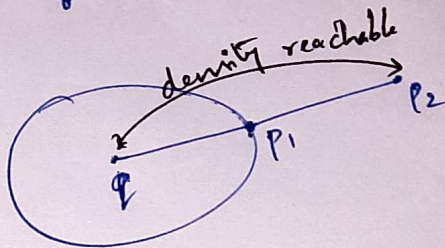
$$p \in N_{\epsilon}(q)$$

$q \rightarrow$ core point

$$|N_{\epsilon}(q)| \geq \text{min pts}$$

Density reachable :-

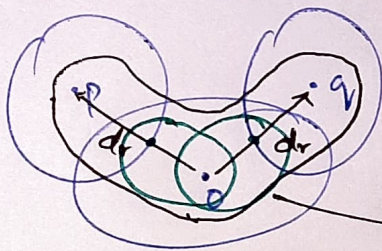
Chain of pts



p_1, \dots, p_n

$$p_1 = q, p_n = p$$

Density connected :-



\rightarrow density connected