

Symmetric Key-Modern Block Ciphers

Components of a Modern Cipher

- P(D)-Boxes
 - Straight P-Boxes
 - Compression P-Boxes
 - Expansion P-Boxes

- S-Boxes
 - An s-box is an $m \times n$ substitution unit, where m and n are not necessarily the same.

- Circular Shift
- Swap
- Split and Combine
- Complement

Product Ciphers

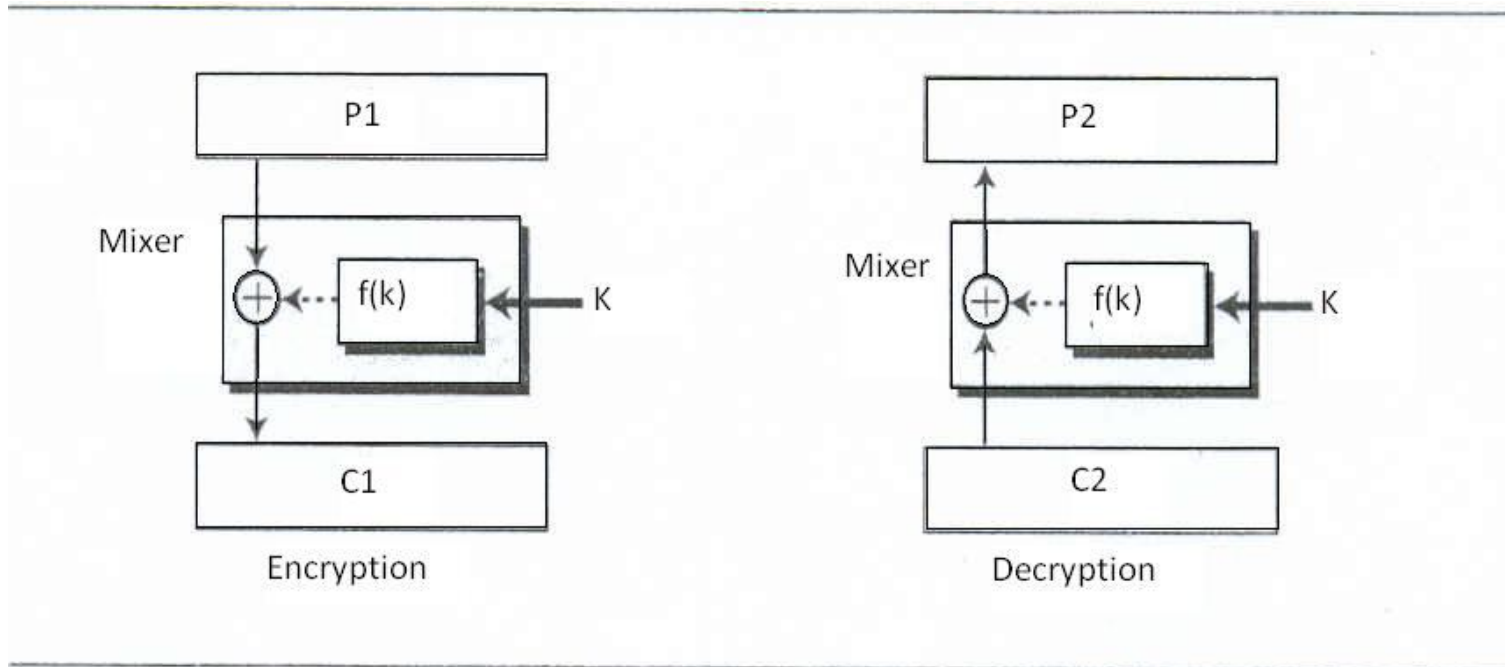
- A product cipher is a complex cipher combining substitution, permutation and other components discussed previously

Modern block ciphers are all product ciphers

- Feistel Ciphers
- Non Feistel Ciphers

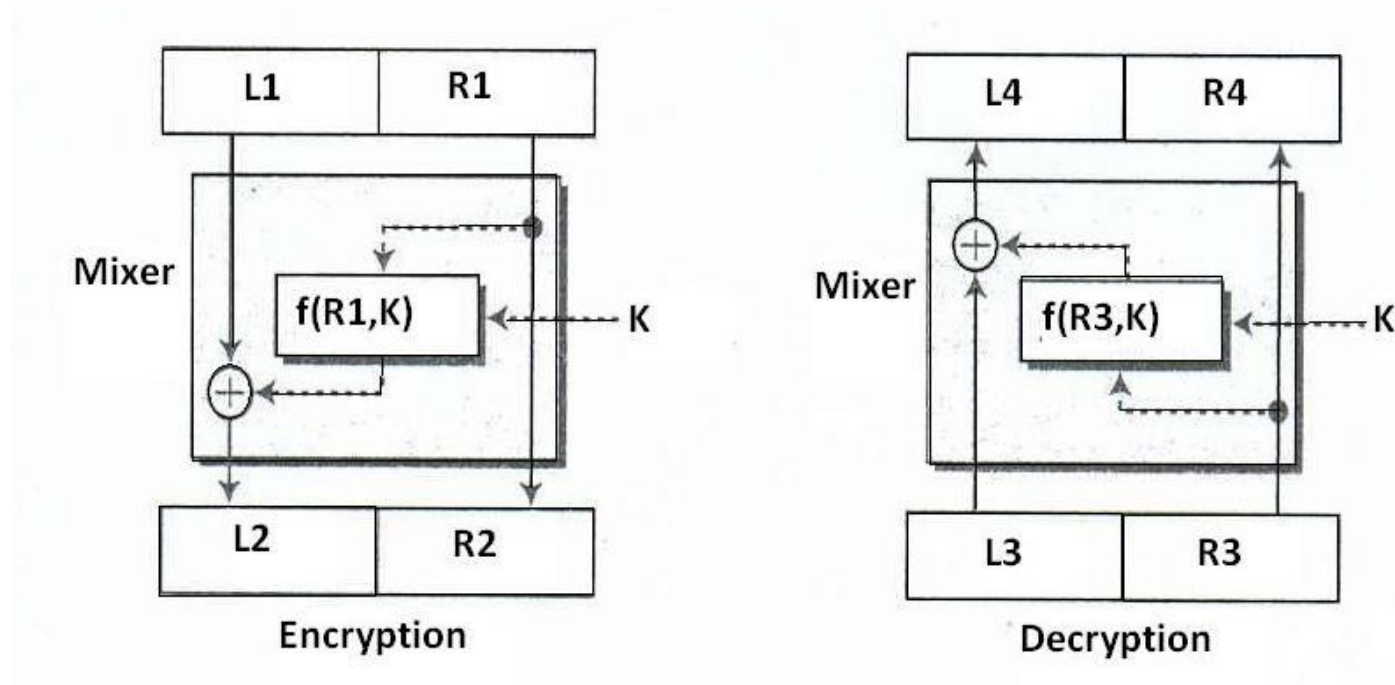
Feistel Cipher Design

First design



- Encryption: $C1 = P1 \text{ XOR } f(k)$
- Decryption: $P2 = C2 \text{ XOR } f(k)$
 $= C1 \text{ XOR } f(k)$
 $= P1 \text{ XOR } f(k) \text{ XOR } f(k)$
 $= P1 \text{ XOR } (00...0) = P1$

- Improvement of the first Feistel design.



- Assume that $L3=L2$ and $R3=R2$ (no change in Cipher text during transmission).

$$R4=R3=R2=R1$$

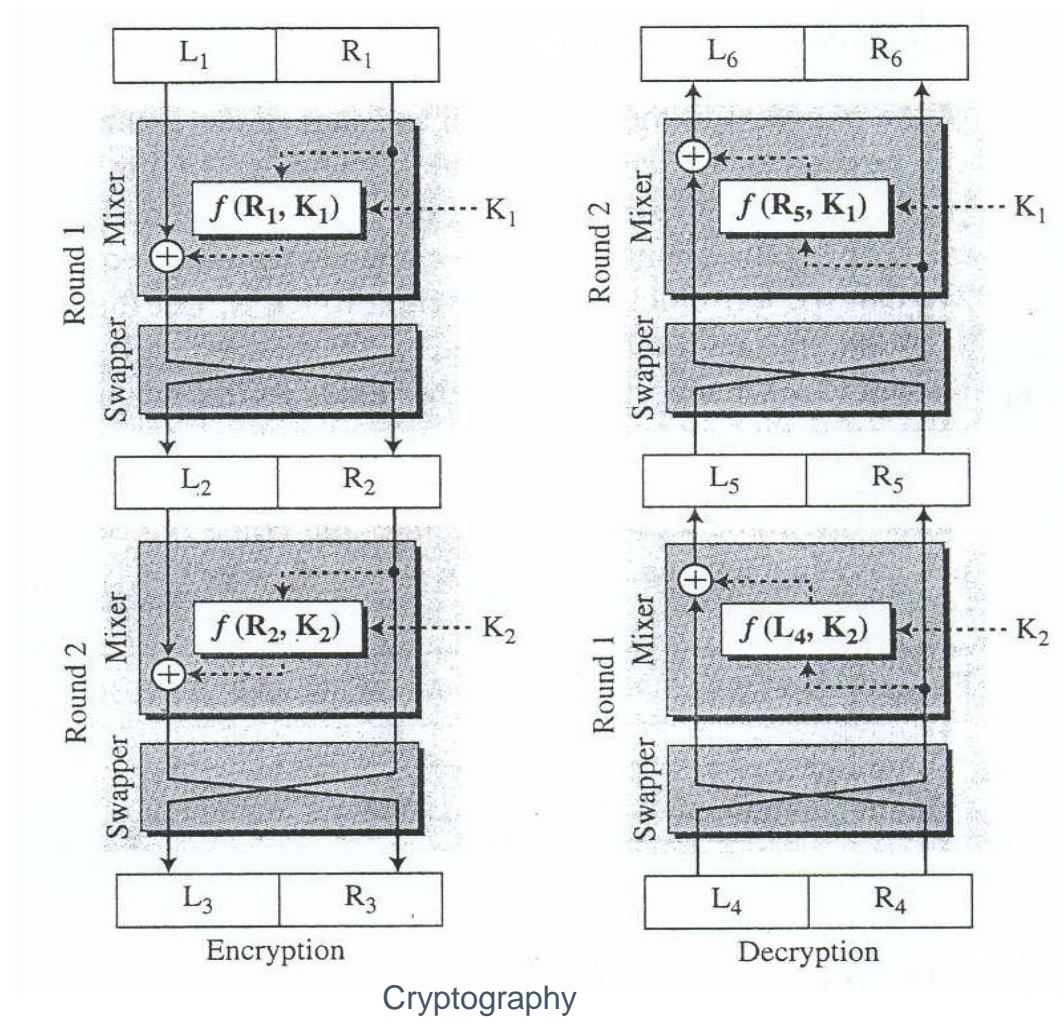
$$L4=L3 \text{ XOR } f(R3,k)$$

$$=L2 \text{ XOR } f(R2,k)$$

$$=L1 \text{ XOR } f(R1,K) \text{ XOR } f(R1,k)$$

$$=L1$$

- Final Design



- Here the encryption and decryptions are inverses of each other.
- We can prove this fact using relationship between the left and right sections in each cipher.

Proof for the equality for the middle text:

$$\begin{aligned} L_5 &= R_4 \text{ XOR } f(L_4, k_2) \\ &= R_3 \text{ XOR } f(R_2, k_2) \\ &= L_2 \text{ XOR } f(R_2, k_2) \text{ XOR } f(R_2, k_2) \\ &= L_2 \end{aligned}$$

$$R_5 = L_4 = L_3 = R_2$$

$$\begin{aligned} L_6 &= R_5 \text{ XOR } f(L_5, k_1) \\ &= R_2 \text{ XOR } f(L_2, k_1) \\ &= L_1 \text{ XOR } f(R_1, k_1) \text{ XOR } f(R_1, k_1) \\ &= L_1 \end{aligned}$$

$$R_6 = L_5 = L_2 = R_1$$