



Explore | Expand | Enrich

REMAINDER METHOD



Content:

Dividend = Quotient x Divisor + Remainder

Example: $57 = 8 \times 7 + 1$

57 – Dividend

8 – Quotient

7 – Divisor

1 - Remainder



Content:

Rule Of Multiplication

$$R\{a*b/c\}=R\{a/c\}*R\{b/c\}$$

$$\text{Ex: } R\{17*35/4\} = R\{17/4\}*R\{35/4\}=1*3=3$$

Rule of Addition

$$R\{a+b/c\}=R\{a/c\}+R\{b/c\}$$

$$R\{5^{32}+3^{21}/4\}=R\{5/4\}*R\{5/4\}*R\{5/4\}...\text{upto } 32 \text{ terms}$$

$$R\{5^{32}/4\}=1^{32}=1$$



Question: 01

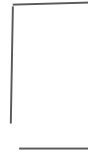
What is the remainder when $112 * 115 * 117 / 11$?

- A. 1
- B. 2
- C. 4
- D. 10

Answer:C

Explanation:

$$2 * 5 * 7 = 70 / 11 = 4$$



11

6

70

66

4



Question: 02



Find the remainder when $73 + 75 + 78 + 57 + 197$ is divided by 34.

- A. 32
- B. 4
- C. 15
- D. 28

Answer: B



Explanation:

$$R\{ (73*75*78*57*197)/34\}$$

$$= R\{ (5*7*10*23*27)/34\}$$

$$= R\{ (7*5)*(10*9) /34 \}$$

$$= R\{1*90/34\}$$

$$= 22$$



Question: 03

Find the remainder when $73 \times 75 \times 78 \times 57 \times 197 \times 37$ is divided by 34.

- A. 32
- B. 30
- C. 15
- D. 28

Answer:A

Explanation:

$$73 \times 75 \times 78 \times 57 \times 197 \times 37$$
$$34$$

We have taken individual remainder, which means if 73 is divided by 34 individually, it will give remainder 5, 75 divided 34 gives remainder 7 and so on.

$$5 \times 7 \times 10 \times 23 \times 27 \times 3 / 34$$

$$35 \times 30 \times 23 \times 27 / 34$$

$$1 \times -4 \times -11 \times -7 / 34$$

[We have taken here negative as well as positive remainder at the same time. When 30 divided by 34 it will give either positive remainder 30 or negative remainder -4. We can use any one of negative or positive remainder at any time.

$$28 \times -11 / 34$$

$$-6 \times -11 / 34$$

$$66 / 4 = 32$$



Question: 04

On dividing a number by 56, we get 29 as remainder. On dividing the same number by 8, what will be the remainder ?

- A. 4
- B. 5
- C. 6
- D. 7

Answer: B



Explanation:

Applying remainder theorem i.e.

$$A = bq + r$$

b = divisor

r = remainder

$$A = 56q + 29$$

if $q = 1$

The no. is $A = 85$

on dividing by 8

Remainder $r = 5$



Question: 05

Find the remainder when 43^{197} is divided by 7.

- A. 2
- B. 4
- C. 6
- D. 1

Answer: D

Explanation:

$$43 \bmod 7 = 1$$

The modulus operator returns the remainder of the division of one number by the another.

$$\text{so } 43^{197} \bmod 7 = 1^{197} \bmod 7 = 1$$

hence remainder 1



Question: 06

Find the remainder when $(21)875$ is divided by 7.

- A. 8
- B. 13
- C. 16
- D. 0

Answer: D

Explanation:

$$21 = 7 \times 3.$$

So when 21- is divided by 7 will give a remainder of ZERO (0).

So any multiple of 21^n ($n =$ a y positive integer from 1 to infinity) will give a remainder of ZERO. (0).



Question: 07

What will be remainder when 17^{200} is divided by 18 ?

- A. 17
- B. 16
- C. 1
- D. 12

Answer: C



Explanation: 07

if $n = \text{even} \implies (x^n - a^n)$ is completely divisible by $(x + a)$
 $(17^{200} - 1^{200})$ is completely divisible by $(17 + 1)$, i.e., 18.
 $\implies (17^{200} - 1)$ is completely divisible by 18.
 \implies On dividing 17^{200} by 18, we get 1 as remainder.
 $R = 1$



Question: 08

Find the remainder when $x^2 + 6x - 17$ is divided by $x - 1$

- A. -15
- B. -10
- C. 10
- D. 15.

Answer: B

Explanation: 08

$x^2 + 6x - 17$ is divided by $x - 1$.

$$x - 1 = 0; x = 1$$

$$f(x) = x^2 + 6x - 17$$

$$= -10$$



Question: 09

Find the remainder of $1!+2!+3!+....+1000! / 10$

- A. 3
- B. 4
- C. 9
- D. 6

Answer:A

Explanation:

$$1!=1$$

$$2!=2$$

$$3!=6$$

$$4!=24$$

$$5!=120$$

.

$$1000!=...0$$

$$1+2+6+4=13 / 10 \\ =3$$



Question: 10

$N = 1! + 2! + 3! + \dots + 2010!$ What is the digit in the unit's place of N ?

- A. 2
- B. 3
- C. 4
- D. 6

Answer: B

Explanation:

$$1!=1$$

$$2!=2$$

$$3!=6$$

$$4!=24$$

$$5!=120$$

.

$$2010!=...0$$

$$1+2+6+4=13$$



Question: 11

On dividing a number by 5, we get 3 as remainder. What will the remainder when the square of this number is divided by 5?

- A. 0
- B. 1
- C. 2
- D. 4

Answer: D



Explanation: 11

Any number when divided by 5 leaves remainder 3 will be of type: $5k + 3$

Square of Number = $(5k + 3)^2 = 25k^2 + 30k + 9$

When this square is divided by 5, remainder will be same as the remainder when 9 is divided by 5.

Hence, 4 is the remainder.



Question: 12



On dividing a number by 357, we get 39 as remainder. On dividing the same number by 17, what will be the remainder?

- A. 0
- B. 3
- C. 5
- D. 11

Answer: C



Explanation:

$$357/17 = 21$$

$$39/17 = 2. \text{ R}5$$

The number will divide by 17 to give $21 + 2 = 23$ with the remainder 5



Question: 13



A number when divided by 296 leaves 75 as remainder. When the same number is divided by 37, the remainder will be:

- A. 1
- B. 2
- C. 8
- D. 4

Answer:A



Explanation:

Let the Number be Y.

Then $Y = 296q + 75$

$= (37 \times 8)q + (37 \times 2) + 1$

$= 37(8q + 2) + 1$

Thus, when the number is divided by 37, the remainder is 1



Question: 14



In a division sum, the divisor is 10 times the quotient and 5 times the remainder. If the remainder is 46, what is the dividend?

- A. 4236
- B. 4306
- C. 4336
- D. 5336

Answer:D



Explanation:

Rem=46, \therefore Quotient = $\text{rem}/2 = 23$, \therefore divisor = $\text{rem} * 5 = 230$
number = (divisor * quotient) + remainder = $(230*23) + 46 = 575$



Question: 15



A number is divided by 221, the remainder is 64. If the number be divided by 13 then remainder will be

- A. 11
- B. 12
- C. 13
- D. 14

Answer: B



Explanation:

Here, the first divisor

(221) is a multiple of second divisor (13)

Hence, required remainder = remainder obtained on dividing 64 by 13 = 12



THANK YOU

