



# DEEP LEARNING

Introduction to ML, DL, AI and OpenVino

Session 06

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2

## Agenda

- Introduction
- AI vs ML vs Deep Learning
- MP Neuron
- Perceptron
- Single Layer Neural Network
- Overview of back propagation of errors

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3

## References

- ❑ Deep Learning, Ian Goodfellow, Yoshua Bengio, Aaron Courville
- ❑ Neural Networks and Learning Machines, Simon Haykin
- ❑ Pattern Recognition and Machine Learning, Christopher M. Bishop
- ❑ Deep Learning with Python - François Chollet
- ❑ Hands-On Machine Learning with Scikit-Learn and TensorFlow
- ❑ TensorFlow Deep Learning Cookbook
- ❑ Reinforcement Learning with TensorFlow: A Beginner's Guide to Designing Self-learning Systems with TensorFlow and OpenAI Gym Sayon Dutta
- ❑ Hands-On Reinforcement Learning with Python: Master Reinforcement and Deep Reinforcement Learning Using OpenAI Gym and TensorFlow Sudharsan Ravichandiran
- ❑ Deep Reinforcement Learning Hands-On: Apply Modern RL Methods, with Deep Q-networks, Value Iteration, Policy Gradients, TRPO, AlphaGo Zero and More Maxim Lapan

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4

## Agent In Uncertain Environment

- ❑ Agents don't have complete knowledge about the world.
- ❑ Agents need to make (informed) decisions given their uncertainty.
- ❑ It isn't enough to assume what the world is like.
  - ❖ Example: wearing a seat belt.
- ❑ An agent needs to reason about its uncertainty.
- ❑ When an agent takes an action under uncertainty, it is gambling  $\Rightarrow$  probability



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5

## Overview

- ❑ Nature is a continuum where as math is discrete values
  - ❖ Old film based images were continuous painting of colors where as digital images are pixels
- ❑ Brain works differently than our mathematical computations
- ❑ Brain is highly complex, nonlinear and parallel computer
- ❑ Neural networks are supposed to be inspired from
- ❑ Highly generalized form, a Neural Network is a mathematical model that simulate manner in which brain performs a task



All models are wrong... some models are useful!

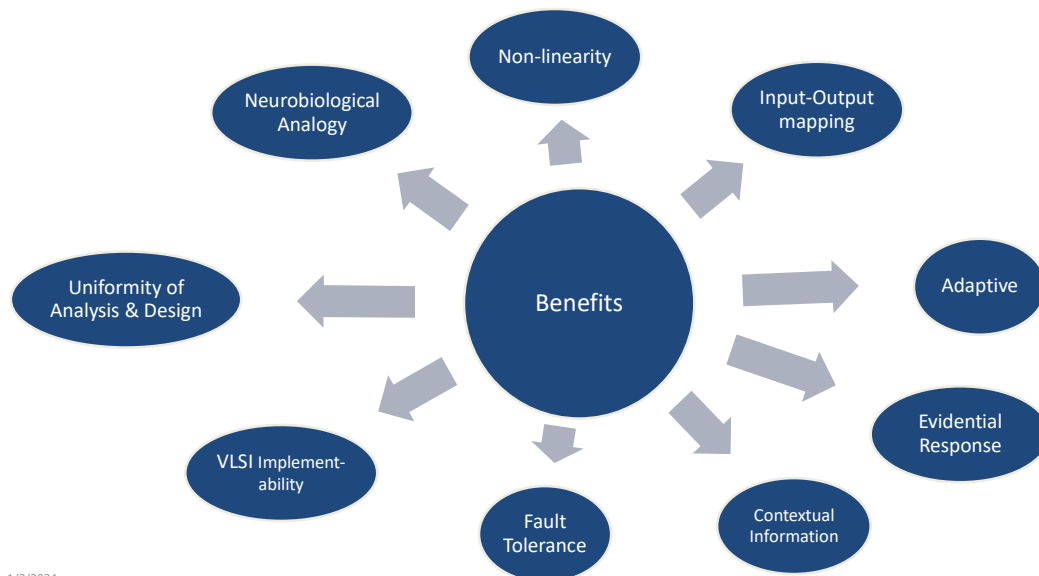
Is this how our brain works? Really!!

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## Benefits of Neural Networks



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## What has been achieved so far

- ❑ Learn to see and hear... so natural to humans but elusive to machines earlier
- ❑ Image classification
- ❑ Speech recognition
- ❑ Handwriting recognition
- ❑ Writing style recognition (who was the author)
- ❑ Improved machine translation
- ❑ Text-to-speech conversion
- ❑ Digital assistants such as Google Now and Amazon Alexa
- ❑ Little autonomous driving
- ❑ Improved ad targeting, as used by Google, Baidu, and Bing
- ❑ Ability to answer natural-language questions
- ❑ Superhuman games playing: chess, go...

Still long way to go...  
Human-level general intelligence too far away...

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Deep learning is difficult!

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9

## Neurons

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## Neurons

- ❑ Take an example whether to go and play Cricket or not.
- ❑ Features:
  - ❖ Is it raining?
  - ❖ Is it too hot?
  - ❖ Have I completed my homework?
  - ❖ Are sufficient players ready?
  - ❖ Is cricket equipment ready?
  - ❖ Is ground available?
- ❑ Depending on the feature values, you may get to play or not
- ❑ Features like homework and availability of ground can be considered as 'inhibitory'.

id	Dry Weather	Low Temp.	Homework Done	Team Members	Equipment	Ground	Played
1	1	1	1	1	0	1	1
2	1	1	1	1	1	1	1
3	1	1	1	1	1	1	1
4	0	1	0	1	1	1	0
5	0	0	1	1	1	0	0
6	0	0	0	0	0	1	0

- ❑ Notes :
  - ❖ Aggregator function is sum and threshold can be 3.
  - ❖ Assign 0 or 1 if a parameter is in favor or not

Given sufficient data point, we can train an algorithm to make such simple decisions for us.

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11

## MP Neuron

- ❑ In 1943 Warren S. McCulloch, a neuroscientist, and Walter Pitts, a logician, published "A logical calculus of the ideas immanent in nervous activity" in the Bulletin of Mathematical Biophysics
- ❑ In this paper McCulloch and Pitts tried to understand how the brain could produce highly complex patterns by using many basic cells that are connected together
- ❑ These basic brain cells are called neurons, and McCulloch and Pitts gave a highly simplified model of a neuron in their paper
- ❑ The McCulloch and Pitts model of a neuron, which we will call an MCP neuron for short, has made an important contribution to the development of artificial neural networks -- which model key features of biological neurons

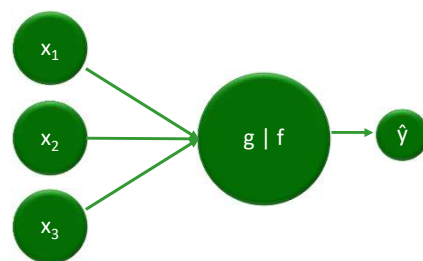
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12

## MP Neuron

- ❑ Neurons receive signals and produce a response
- ❑ In this model:
  - ❖ All inputs are binary i.e. [0,1]
  - ❖ Inputs are "inhibitory" or "excitatory".
  - ❖ Inhibitory have maximum influence on the model
  - ❖ It has an aggregator 'g' and a function 'f'
  - ❖ There is a threshold
  - ❖ If g is more than threshold,  $\hat{y} = 1$  else 0



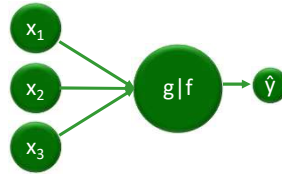
- ❑  $\hat{y} = 0$  if any  $x_i$  is inhibitory, else  $g(x) = \sum x_i$
- ❑  $\hat{y} = 1$  if  $g(x) \geq \text{threshold}$  else  $\hat{y} = 0$

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13

## MP Neuron



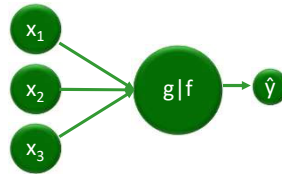
id	Dry Weather	Low Temp	Homework Done	Team Members	Equipment	Ground	Sum	Played
1	1	1	1	1	0	1	5	1
2	1	1	1	1	1	1	6	1
3	1	1	1	1	1	1	6	1
4	0	1	0	1	1	1	4	0
5	0	0	1	1	1	0	3	0
6	0	0	0	0	0	1	1	0

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14

## MP Neuron



id	Dry Weather	Low Temp	Homework Done	Team Members	Equipment	Ground	Sum	Played
1	1	1	1	1	0	1	5	1
2	1	1	1	1	1	1	6	1
3	1	1	1	1	1	1	6	1
4	0	1	0	1	1	1	4	0
5	0	0	1	1	1	0	3	0
6	0	0	0	0	0	1	1	0

The logic is straight forward. Let's implement this model on a dataset.

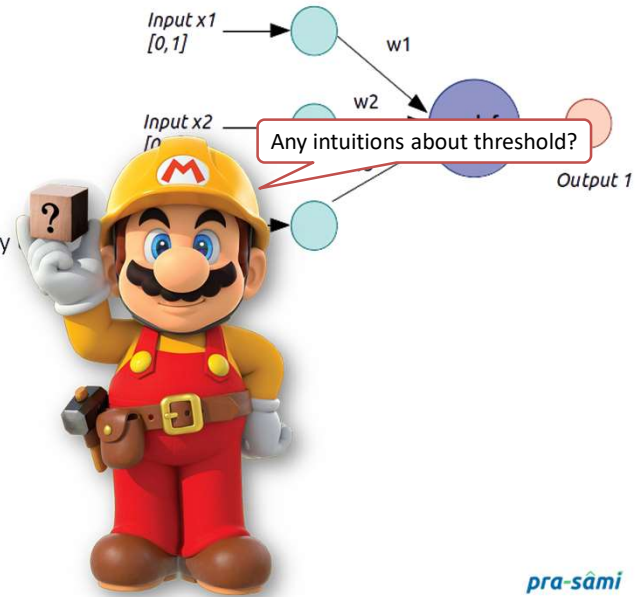
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15

## Code Example1 – MP Neurons

- ❑ Need a dataset with plenty of features and binary output
- ❑ Use Breast Cancer dataset from scikit-learn
  - ❖ `data = sklearn.datasets.load_breast_cancer()`
- ❑ Its features are a continuous and we need binary
  - ❖ Use pandas `pd.cut` to bin the columns
  - ❖ `X_bin = X . apply ( pd.cut, bins=2, labels=[1,0])`
  - ❖ For `b` in range `[0, num_features+1]`
    - Sum it by row and compare with `b`



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Perceptrons

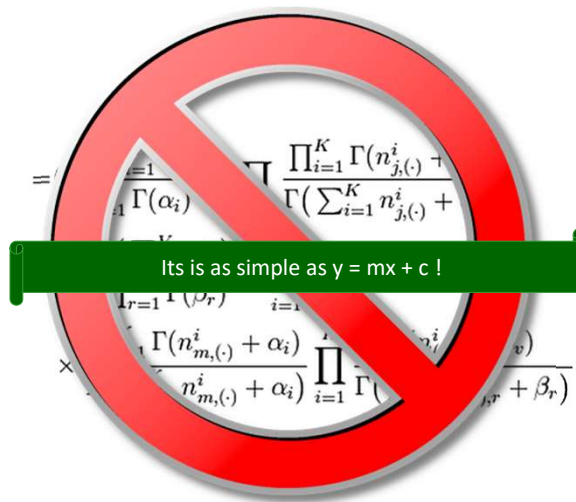
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17

## Solution to Equation of Perceptron



Ian Goodfellow  
Yoshua Bengio  
Aaron Courville

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18

## To play or not to play...

id	Rains	Temp	Homework	Team Members	Equipment	Ground	Played
1	0	38	1	15	0	600	1
2	0	25	1	15	1	800	1
3	0	26	1	15	1	1000	1
4	5	27	1	10	1	600	0
5	20	23	0	8	1	1800	0
6	30	22	0	6	0	600	0

### □ Features:

- ❖ Rains in millimeter
- ❖ Temperature in ° C
- ❖ Homework completed? – 0 : No; 1: Yes
- ❖ Team members : How many team members are ready to play?
- ❖ Is cricket equipment available?
- ❖ Ground: per hour rent in Rupees/hour

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## Weights

- ❑ Each of the feature has different importance
- ❑ To assign importance to each of the feature, we use weights!
- ❑ Values of each features are in different order of magnitude
  - ❖ Summation is not going to work
  - ❖ Scale the features between 0 and 1

id	Rains	Temp	Homework	Team Members	Equipment	Ground	Played
1	0	38	1	15	0	600	1
2	0	25	1	15	1	800	1
3	0	26	1	15	1	1000	1
4	5	27	1	10	1	600	0
5	20	23	0	8	1	1800	0
6	30	22	0	6	0	600	0

- ❑ Note:
  - ❖ Variation in features have different bearing on the results
  - ❖ Team members → higher the better
  - ❖ Ground cost → lower the better

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## Perceptron

- ❑ In MP Neuron Model,
  - ❖ All inputs had same weights
  - ❖ Threshold ' $w_0$ ' could take limited values
  - ❖ Every feature needed to be [0,1]
- ❑ Perceptron model introduced different weights to different inputs features
- ❑ Real values are also accepted
  - ❖ Temperatures are in tens and ground rent is in hundreds.
  - ❖ Min – Max – Scaler to compensate for huge difference in values
- ❑ Threshold ' $w_0$ ' can take any value
- ❑ Outputs are still [ 0, 1 ]

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## Perceptron

### ❑ Loss Function:

- ❖ A correction is applied on the outputs
- ❖ To adjust values of ' $w_i$ ' to reach right results
- ❖ It would also give us indications of what weights to be fixed to arrive at the solution

### ❑ Activation function $g(x)$ is applied as follows:

- ❖ If  $\sum x_i \cdot w_i \geq w_0 \Rightarrow \hat{y} = 1$
- ❖ If  $\sum x_i \cdot w_i < w_0 \Rightarrow \hat{y} = 0$

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## Perceptron – Data Preprocessing

- ❑ Lets consider “Ground” and “Team Members” as features and its associated weights to arrive at the solution.

id	Rains	Temp	Homework	Team Members	Equipment	Ground	Played
1	0	38	1	15	0	600	1
2	0	25	1	15	1	800	1
3	0	26	1	15	1	1000	1
4	5	27	1	10	1	600	0
5	20	23	0	8	1	1800	0
6	30	22	0	6	0	600	0

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## Perceptron – Data Preprocessing

- Scaled Data ( all columns to be between 0 and 1)

id	Rains	Temp	Homework	Team Members	Equipment	Ground	Played
1	0.00	0.00	1.00	1.00	0.00	1.00	1
2	0.00	0.81	1.00	1.00	1.00	0.83	1
3	0.00	0.75	1.00	1.00	1.00	0.67	1
4	-0.17	0.69	1.00	0.44	1.00	1.00	0
5	-0.67	0.94	0.00	0.22	1.00	0.00	0
6	-1.00	1.00	0.00	0.00	0.00	1.00	0

- What about reverse correlation
- Two option to address reverse correlation
  - ❖ Take negative of values
  - ❖ Use negative weight

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## Perceptron – Weights

- Weights – consider importance of each of the feature

id	Threshold	Team Members		Ground		Calculations	Likely	Played	Loss
	w0	x1	w1	x2	w2	$w0+x1*w1+x2*w2$	(y_hat)	(y)	$(y-y\_hat)^2$
1	-1.00	1.00	1.10	1.00	1.00	1.10	1	1	0
2	-1.00	1.00	1.10	0.83	1.00	0.93	1	1	0
3	-1.00	1.00	1.10	0.67	1.00	0.77	1	1	0
4	-1.00	0.44	1.10	1.00	1.00	0.49	1	0	1
5	-1.00	0.22	1.10	0.00	1.00	-0.76	0	0	0
6	-1.00	0.00	1.10	1.00	1.00	0.00	1	0	1

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25

## Perceptron – Weights and Loss

- ❑ Our best solution would be where ground truth and predicted values are same
- ❑ Loss is some function of ground truth and predicted values
- ❑ And we want it to be cumulative, Square of difference looks promising
  - ❖  $\ell(\hat{y}, y) = (y - \hat{y})^2$
  - ❖ Our overall loss was 2.
- ❑ By adjusting weights ( $w_1, w_2$ ) and threshold ( $w_0$ ) we can bring the loss to minimum (zero in this case)

id	Threshold	Team Members		Ground		Calculations	Likely	Played	Loss
	w0	x1	w1	x2	w2	$w_0 + x_1 * w_1 + x_2 * w_2$	(y_hat)	(y)	$(y - y\_hat)^2$
1	-2.00	1.00	1.10	1.00	1.40	0.50	1	1	0
2	-2.00	1.00	1.10	0.83	1.40	0.27	1	1	0
3	-2.00	1.00	1.10	0.67	1.40	0.03	1	1	0
4	-2.00	0.44	1.10	1.00	1.40	-0.11	0	0	0
5	-2.00	0.22	1.10	0.00	1.40	-1.76	0	0	0
6	-2.00	0.00	1.10	1.00	1.40	-0.60	0	0	0

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26

## Perceptron – Weights and Loss

- ❑ Our best solution would be where ground truth and predicted values are same.
- ❑ Loss is some function of ground truth and predicted values
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  - ❖ Square of difference looks promising
  - ❖  $\ell(\hat{y}, y) = (y - \hat{y})^2$
- ❑ Our overall loss was 2.
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id	Threshold	Team Members		Ground		Calculations	Likely	Played	Loss
	w0	x1	w1	x2	w2	$w_0 + x_1 * w_1 + x_2 * w_2$	(y_hat)	(y)	$(y - y\_hat)^2$
1	-2.00	1.00	1.10	1.00	1.40	0.50	1	1	0
2	-2.00	1.00	1.10	0.83	1.40	0.27	1	1	0
3	-2.00	1.00	1.10	0.67	1.40	0.03	1	1	0
4	-2.00	0.44	1.10	1.00	1.40	-0.11	0	0	0
5	-2.00	0.22	1.10	0.00	1.40	-1.76	0	0	0
6	-2.00	0.00	1.10	1.00	1.40	-0.60	0	0	0

Voilà!

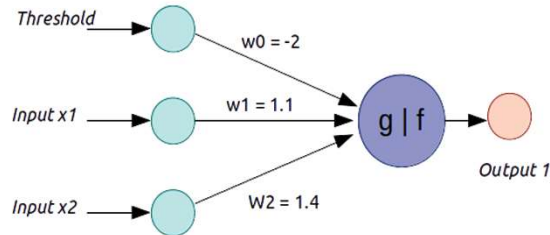
We made it!!

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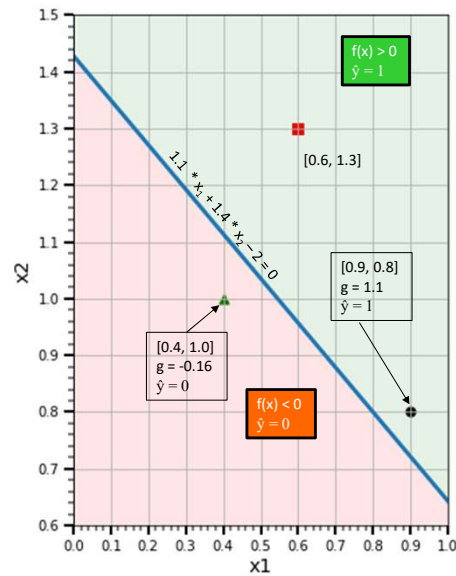
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27

## Perceptron



- We can represent :  $g = w_0 + x_1 * w_1 + x_2 * w_2$ 
  - ✧ As  $g = [x_1, x_2] \cdot \begin{bmatrix} w_1 \\ w_2 \end{bmatrix} + w_0$
- Given:  $W = \begin{bmatrix} 1.1 \\ 1.4 \end{bmatrix}$  and  $w_0 = -2$ 
  - ✧  $g = [x_1, x_2] \cdot \begin{bmatrix} 1.1 \\ 1.4 \end{bmatrix} - 2$
  - ✧  $g = 1.1 * x_1 + 1.4 * x_2 - 2$



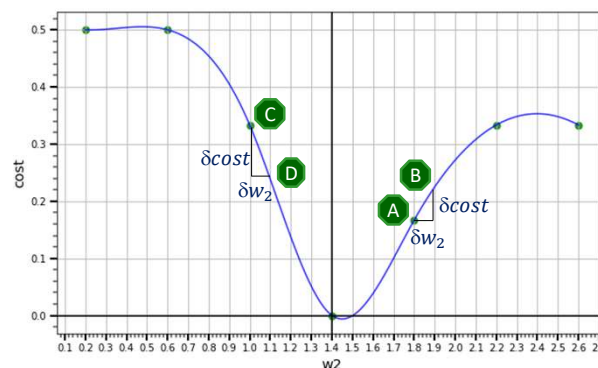
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28

## Perceptron – Gradient Descent

- $w_0, w_1, w_2$  need to be adjusted to arrive at most optimal solution i.e. lowest point on the graph.
- Assume that  $w_0$  is fixed at -2, and  $w_1$  at 1.1 and  $w_2$  varies from 0 to 3 (only one variable considered to make plotting simple)
- From point A to B, slope is positive hence  $w_2$  value needs to be decreased
- From point C to D slope is negative hence  $w_2$  needs to be increased.



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29

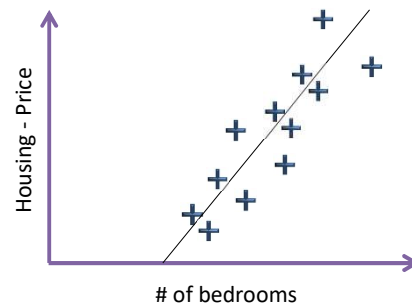
## Perceptron – Activation Function

- So we based our entire calculations on:

$$z = w_0 + x_1 * w_1 + x_2 * w_2$$



But that's an equation of straight line! 😊  
What happened to all those 'inhibitory' features?

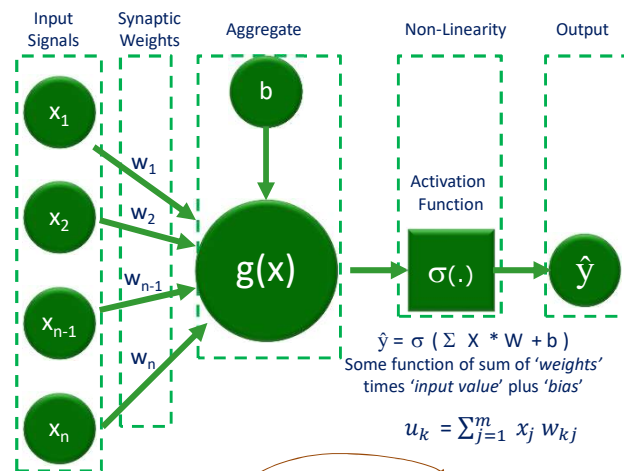
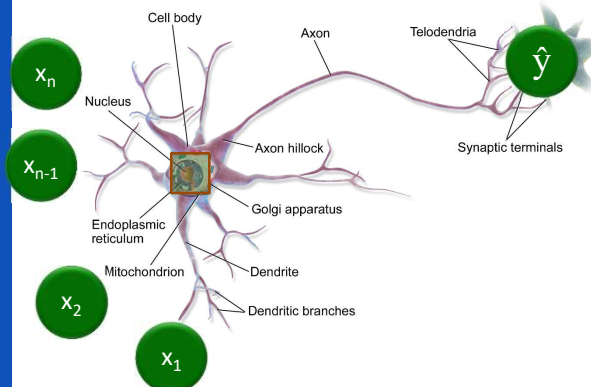


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30

## Non Linear Activation function



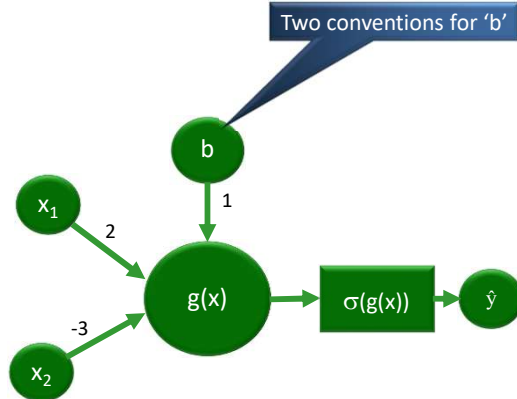
Non-linear Activation function

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31

## Perceptron with non-linear activation function



□ Given:

$$\diamond W = \begin{bmatrix} 2 \\ -3 \end{bmatrix} \text{ and } b = 1$$

$$\diamond \hat{y} = \sigma \left( [x_1, x_2] \cdot \begin{bmatrix} 2 \\ -3 \end{bmatrix} + 1 \right)$$

$$\diamond \hat{y} = \sigma \left( \underbrace{1 + 2 * x_1 - 3 * x_2}_z \right)$$

$$\square \hat{y} = \sigma(z);$$

□ Lets use sigmoid function for  $\sigma$ .

$$\diamond \hat{y} = \frac{1}{(1+e^{-z})}$$

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## Perceptron with non-linear activation function

$$\square \hat{y} = \sigma(1 + 2 * x_1 - 3 * x_2)$$

□ For  $X = [-3, 4]$

$$\diamond \hat{y} = \sigma(1 + 2 * (-3) - 3 * 4)$$

$$\diamond \hat{y} = \sigma(1 - 6 - 12)$$

$$\diamond \hat{y} = \sigma(-17)$$

$$\diamond \hat{y} = 0.0$$

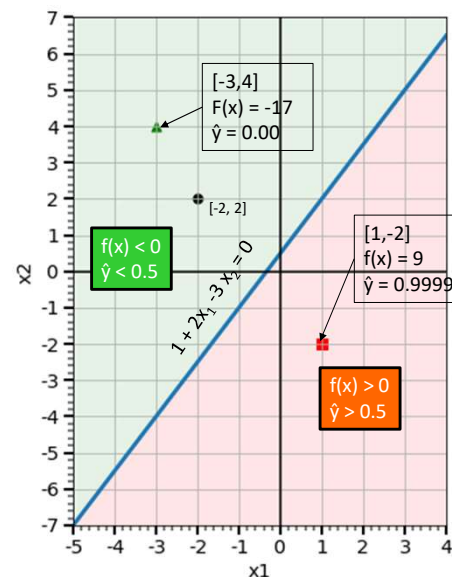
□ Similarly, for  $X = [1, -2]$

$$\diamond \hat{y} = \sigma(1 + 2 * 1 - 3 * (-2))$$

$$\diamond \hat{y} = \sigma(1 + 2 - 6)$$

$$\diamond \hat{y} = \sigma(9)$$

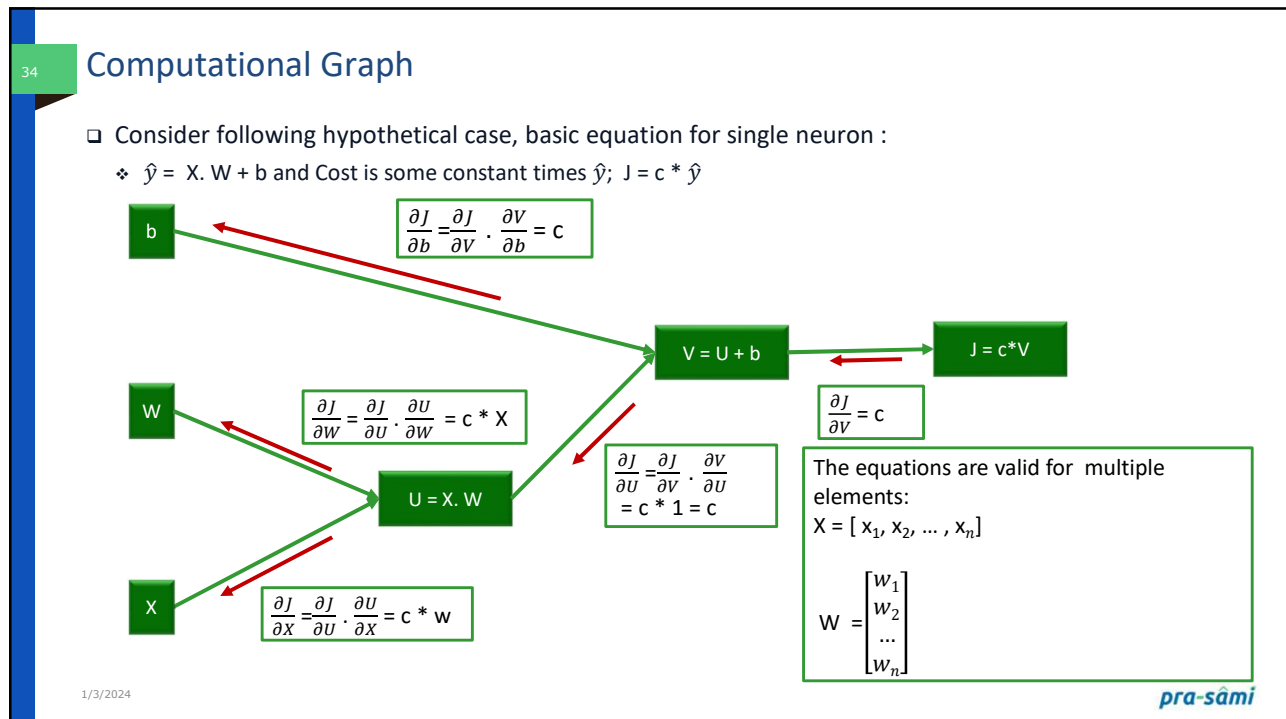
$$\diamond \hat{y} = 1.0$$



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35

## Exercise 2 : Computational Graph

- Given a Cost Function J
  - ❖  $J(w, x, b) = 3 * (b + x * w)$
- Calculate  $\frac{\partial J}{\partial w}$ ,  $\frac{\partial J}{\partial x}$  and  $\frac{\partial J}{\partial b}$
- Calculate slope at point :
  - ❖  $b = 6$
  - ❖  $w = 3$
  - ❖  $x = 2$



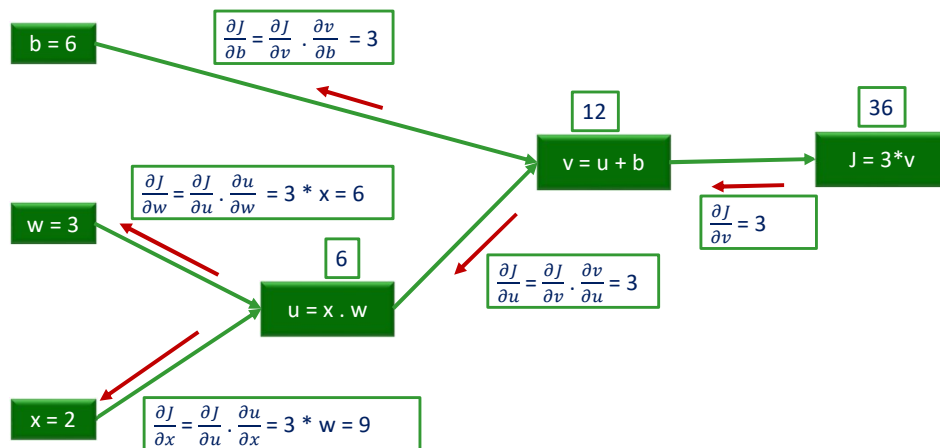
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36

## Exercise - Solution

- Given a Cost Function  $J(w, x, b) = 3 * (b + w * x)$



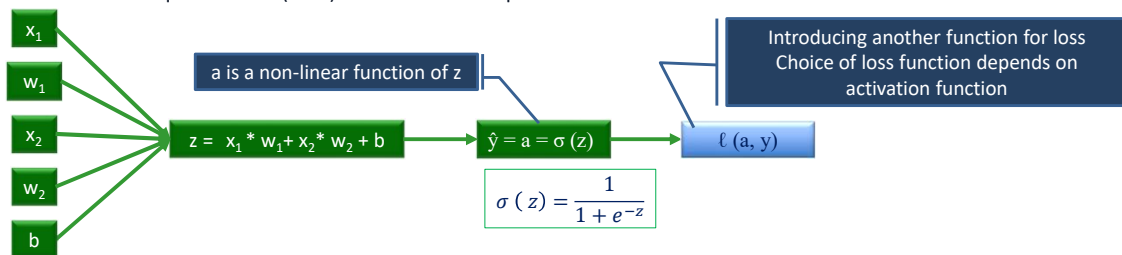
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## Consider Single Path... MLE

- ❑ Maximum likelihood estimation, or MLE, is a framework for inference for finding the best statistical estimates of parameters from historical training data
  - ❖ Exactly what we are trying to do with the neural network
- ❑ In Classification, output is probability of it belonging to a class
  - ❖ Maximum likelihood estimation, seeks a set of model weights that minimize the difference between the predicted probability distribution and the Ground Truth [cross-entropy]
- ❑ In Regression problems:
  - ❖ Use the mean squared error (MSE) loss function or equivalent.



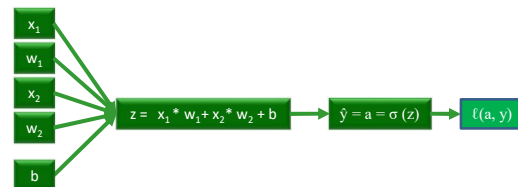
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38

## Consider Single Path... Loss Function

- ❑ A function used to evaluate a candidate solution
- ❑ Helps to maximize or minimize the objective function
- ❑ Estimates how closely the distribution of predictions made by a model matches the ground truth (maximum likelihood)
- ❑ Under maximum likelihood framework, the error between two probability distributions is measured using cross-entropy
  - ❖ Hence  $\ell(\hat{y}, y) = -[y * \log(\hat{y}) + (1 - y) * \log(1 - \hat{y})]$



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39

## Cost Function

$$\hat{y} = \sigma(\sum W * X + b)$$

$$\text{Where } \sigma(z) = \frac{1}{1+e^{-z}}$$

Loss function:

- ❖ A parameter which defines how good our outputs are i.e.
- ❖ How far our predicted values ' $\hat{y}$ ' ( $y$  hat) were from ground truth ' $y$ '

For logistic regression

- ❖  $\text{Loss}(\hat{y}, y) = -(y \cdot \log \hat{y} + (1-y) \cdot \log(1-\hat{y}))$
- ❖ Loss function is for an instance
- ❖ In case of binary classification,  $\text{Loss}(\hat{y}, y) = -y \cdot \log \hat{y}$

Cost Function: Its a sum of losses for all instances

$$J(W, b) = \frac{1}{m} (\sum \text{Loss}(\hat{y}, y))$$

$$= -\frac{1}{m} (\sum (y \cdot \log \hat{y} + (1-y) \cdot \log(1-\hat{y})))$$

For binary classification:

$$J(W, b) = \frac{1}{m} (\sum \text{Loss}(\hat{y}, y))$$

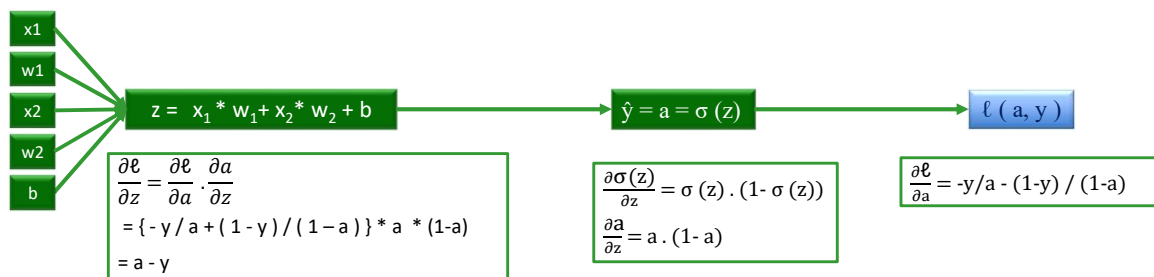
$$= -\frac{1}{m} (\sum (y \cdot \log \hat{y}))$$

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40

## Forward and Back Propagation



$$z = X * W + b$$

$$\hat{y} = a = \sigma(z)$$

$$\sigma(z) = \frac{1}{1+e^{-z}}$$

$$\ell(a, y) = -[y * \log(a) + (1-y) * \log(1-a)]$$

For binary classification:

$$\ell(a, y) = -y * \log(a)$$



$$\frac{\partial \ell}{\partial w_1} = x_1 \cdot \frac{\partial \ell}{\partial z} = x_1 \cdot (a-y)$$

$$\frac{\partial \ell}{\partial w_2} = x_2 \cdot \frac{\partial \ell}{\partial z} = x_2 \cdot (a-y)$$

$$\frac{\partial \ell}{\partial b} = \frac{\partial \ell}{\partial z} = (a-y)$$



$$w_1 = w_1 - \alpha * \frac{\partial \ell}{\partial w_1} = w_1 - \alpha * x_1 * (a-y)$$

$$w_2 = w_2 - \alpha * \frac{\partial \ell}{\partial w_2} = w_2 - \alpha * x_2 * (a-y)$$

$$b = b - \alpha * \frac{\partial \ell}{\partial b} = b - \alpha * (a-y)$$

Where  $\alpha$  is learning rate. The cost function is

$$J(W, b) = \frac{1}{m} (\sum \ell(a, y))$$

$$\text{Hence } \frac{\partial J}{\partial w_1} = \frac{1}{m} * (\sum \frac{\partial \ell(a, y)}{\partial w_1})$$

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41

So where are the hidden layers!!!

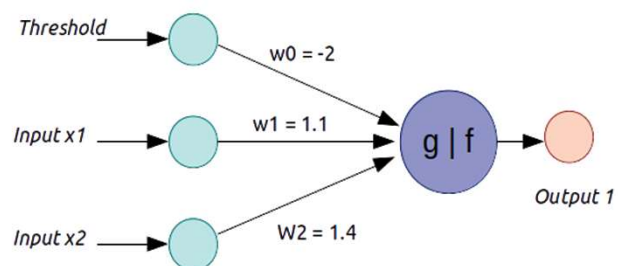
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42

## Hidden Layers

id	Threshold	Team Members		Ground	
	x0	x1	w1	x2	w2
1	-2.00	1.00	1.10	1.00	1.40
2	-2.00	1.00	1.10	0.83	1.40
3	-2.00	1.00	1.10	0.67	1.40
4	-2.00	0.44	1.10	1.00	1.40
5	-2.00	0.22	1.10	0.00	1.40
6	-2.00	0.00	1.10	1.00	1.40



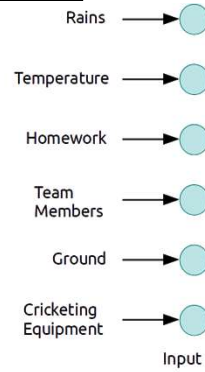
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43

## Hidden Layers

id	Rains	Temp	Homework	Team Members	Equipment	Ground	Played
1	0.00	0.00	1.00	1.00	0.00	1.00	1
2	0.00	0.81	1.00	1.00	1.00	0.83	1
3	0.00	0.75	1.00	1.00	1.00	0.67	1
4	-0.17	0.69	1.00	0.44	1.00	1.00	0
5	-0.67	0.94	0.00	0.22	1.00	0.00	0
6	-1.00	1.00	0.00	0.00	0.00	1.00	0



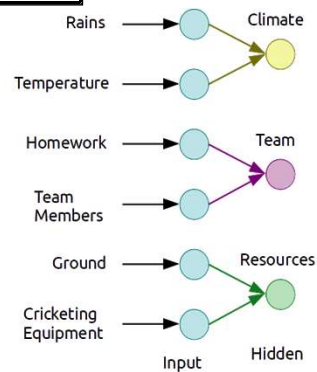
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44

## Hidden Layers

id	Rains	Temp	Homework	Team Members	Equipment	Ground	Played
1	0.00	0.00	1.00	1.00	0.00	1.00	1
2	0.00	0.81	1.00	1.00	1.00	0.83	1
3	0.00	0.75	1.00	1.00	1.00	0.67	1
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6	-1.00	1.00	0.00	0.00	0.00	1.00	0



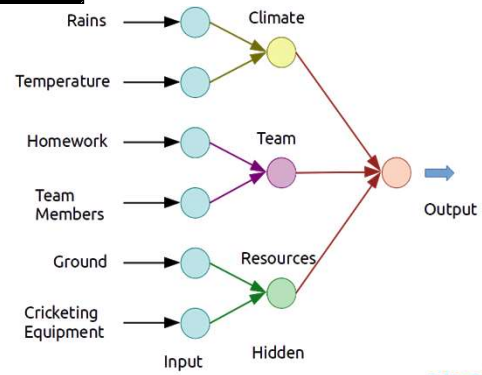
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45

## Hidden Layers

id	Rains	Temp	Homework	Team Members	Equipment	Ground	Played
1	0.00	0.00	1.00	1.00	0.00	1.00	1
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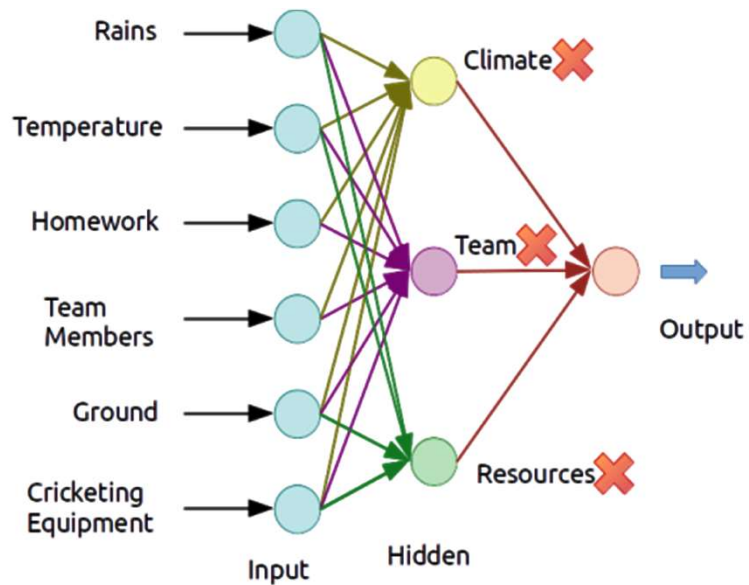


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46

## Hidden Layers



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47

## Hidden Layers

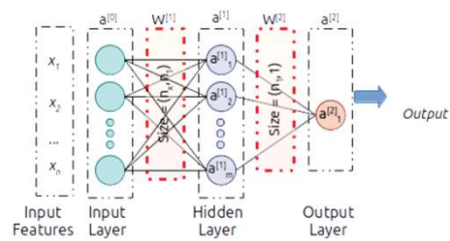


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48

## Two Major Conventions



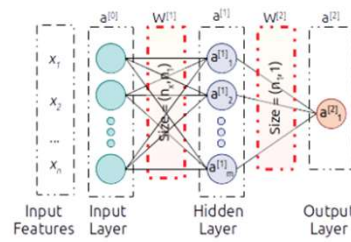
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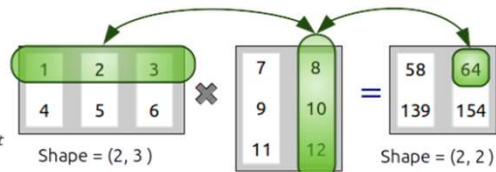


49

## Two Major Conventions



Output



$$(1, 2, 3) \cdot (7, 9, 11) = 1 \times 7 + 2 \times 9 + 3 \times 11 = 58$$

$$(1, 2, 3) \cdot (8, 10, 12) = 1 \times 8 + 2 \times 10 + 3 \times 12 = 64$$

$$(4, 5, 6) \cdot (7, 9, 11) = 4 \times 7 + 5 \times 9 + 6 \times 11 = 139$$

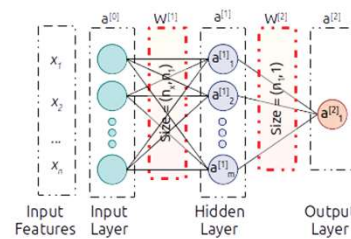
$$(4, 5, 6) \cdot (8, 10, 12) = 4 \times 8 + 5 \times 10 + 6 \times 12 = 154$$

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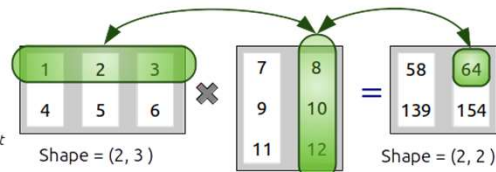
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50

## Two Major Conventions



Output

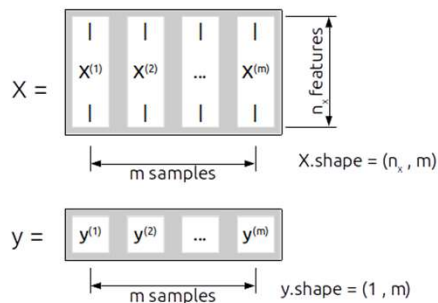


$$(1, 2, 3) \cdot (7, 9, 11) = 1 \times 7 + 2 \times 9 + 3 \times 11 = 58$$

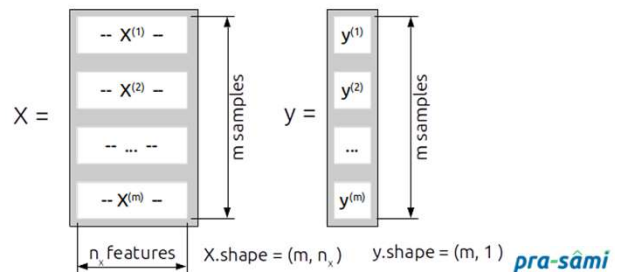
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$$(4, 5, 6) \cdot (8, 10, 12) = 4 \times 8 + 5 \times 10 + 6 \times 12 = 154$$



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51 Two M

X =

y =

Voilà !! Its time to update the resume!

(m, 1) pra-sâmi

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52 Reflect...

- ❑ How many type of layers Deep Learning Algorithms have?
  - a. 2
  - b. 3
  - c. 4
  - d. 5
- ❑ Answer : b
- ❑ The first layer is called the?
  - a. Input Layer
  - b. Output Layer
  - c. Hidden Layer
  - d. None of The Above
- ❑ Answer : a
- ❑ Which of the following is/are Limitations of deep learning?
  - a. Data labeling
  - b. Obtain huge training datasets
  - c. Both A and B
  - d. None of the above
- ❑ Answer : c
- ❑ Deep learning algorithms are \_\_\_\_\_ more accurate than machine learning algorithm in image classification.
  - a. 33%
  - b. 37%
  - c. 40%
  - d. 41%
- ❑ Answer : d

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53

## Reflect...

- ☐ In which of the following applications can we use deep learning to solve the problem
  - a. Protein structure prediction
  - b. Prediction of chemical reactions
  - c. Detection of exotic particles
  - d. All of the above
- ☐ Answer : d
  
- ☐ The number of nodes in the input layer is 10 and the hidden layer is 5. The maximum number of connections from the input layer to the hidden layer are:
  - a. 50
  - b. less than 50
  - c. more than 50
  - d. It is an arbitrary value
- ☐ Answer : a

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54

Next Session - Coding Perceptron Model in Python

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55



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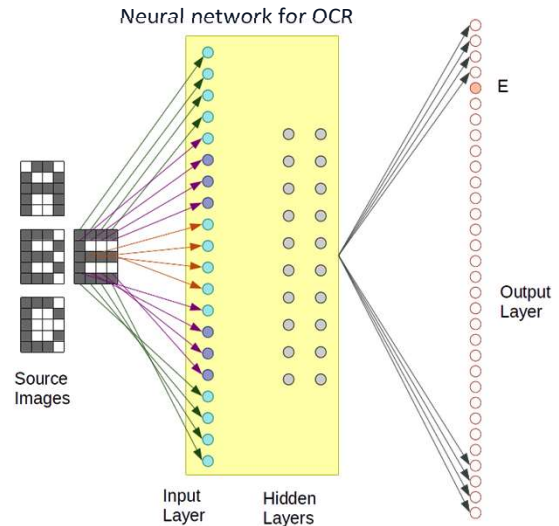
EXTRA MATERIAL

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57

## Applications

- The properties of neural networks define where they are useful
- Typical Network
  - ❖ Can learn complex mappings from inputs to outputs, based solely on samples
  - ❖ Difficult to analyse
  - ❖ Firm predictions about neural network behaviour difficult;
    - Unsuitable for safety-critical applications.
  - ❖ Require limited understanding from trainer, who can be guided by heuristics



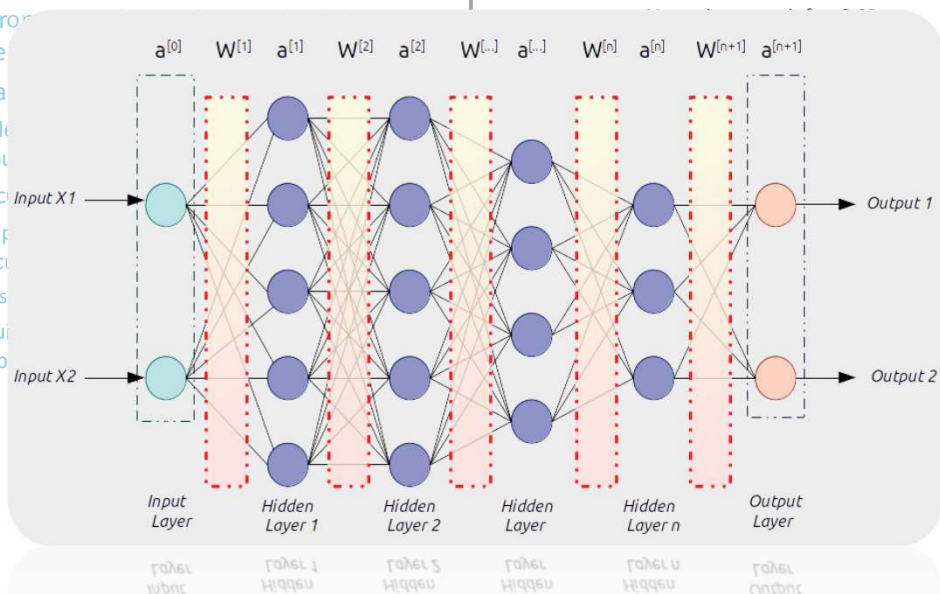
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58

## Applications

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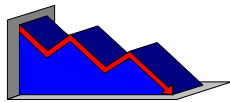
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59

## Applications

### □ Stock market prediction

- ❖ “Technical trading” refers to trading based solely on known statistical parameters; e.g. previous price
- ❖ Neural networks have been used to attempt to predict changes in prices.
- ❖ Difficult to assess success or otherwise
  - Since companies using these techniques are reluctant to disclose information.



### □ Mortgage assessment

- ❖ Assess risk of lending to an individual
- ❖ Difficult to decide on marginal cases
- ❖ Neural networks have been trained to make decisions, based upon the opinions of expert underwriters
- ❖ Neural network produced a 12% reduction in delinquencies compared with human experts



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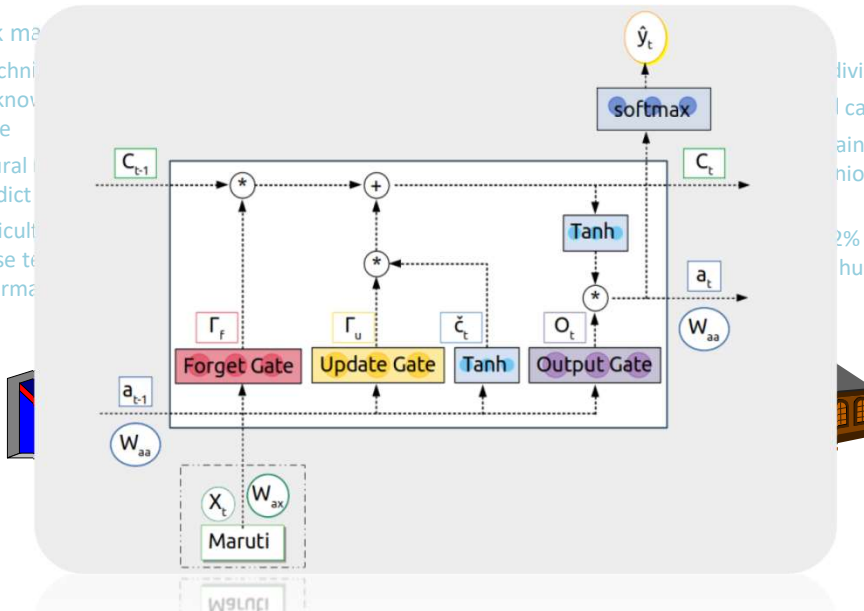
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60

## Applications

### □ Stock market prediction

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61

## Applications

- ALVINN: Autonomous Land Vehicle In a Neural Network

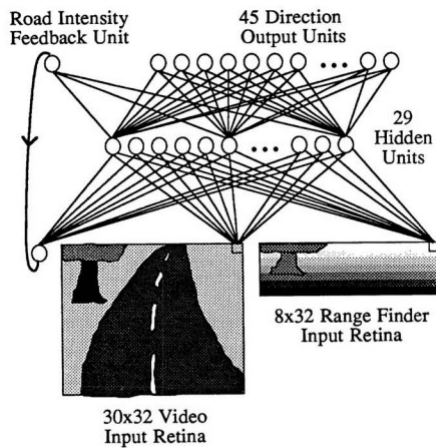
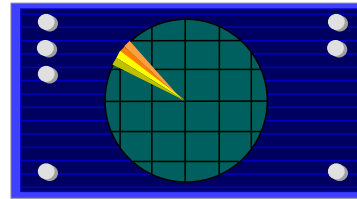


Figure 1: ALVINN Architecture

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- Sonar target recognition**

- ❖ Distinguish mines from rocks on sea-bed
- ❖ The neural network is provided with a large number of parameters which are extracted from the sonar signal.
- ❖ The training set consists of sets of signals from rocks and mines.

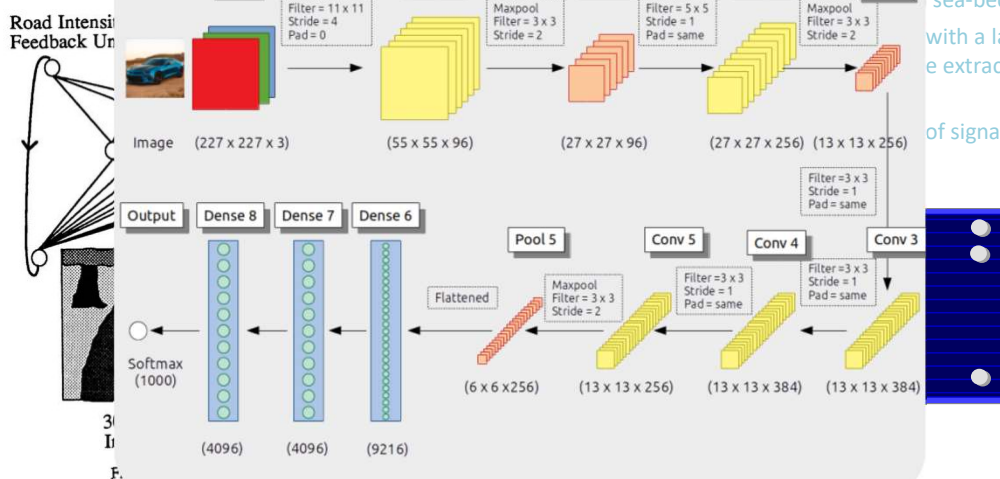


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62

## Applications

- ALVINN: Autonomous Land Vehicle In a Neural Network



sea-bed  
with a large  
e extracted from  
of signals from

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63

## Applications

### □ Engine management

- ❖ The behavior of a car engine is influenced by a large number of parameters
  - > temperature at various points
  - > fuel/air mixture
  - > lubricant viscosity.
- ❖ Major companies have used neural networks to dynamically tune an engine depending on current settings



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### □ Signature recognition

- ❖ Each person's signature is different.
- ❖ There are structural similarities which are difficult to quantify.
- ❖ Recognizes signatures to a high level of accuracy.
- ❖ Considers speed in addition to gross shape
- ❖ Makes forgery even more difficult.

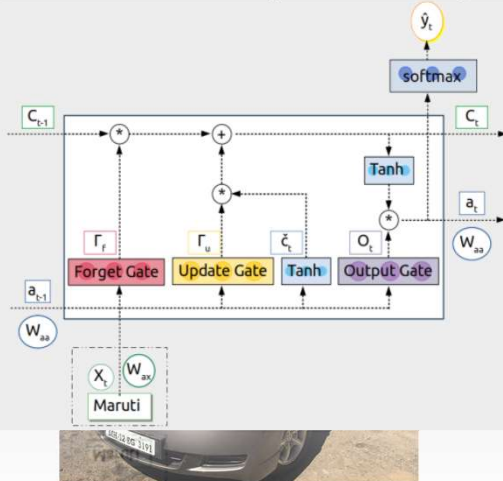
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64

## Applications

### □ Engine management

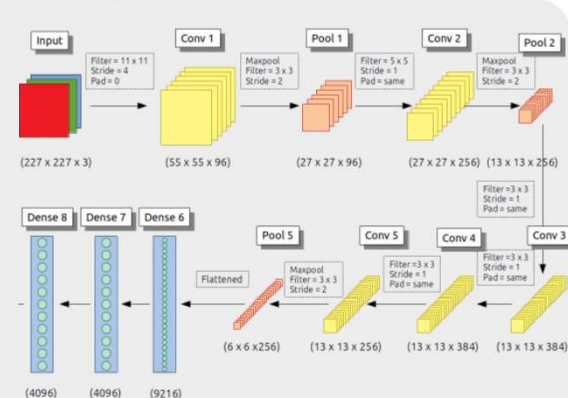
- ❖ The behavior of a car engine is influenced by a



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### □ Signature recognition

- ❖ Each person's signature is different.



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65

## Derivation of Sigmoid

$$\begin{aligned}
 \partial a &= \partial \sigma(z) \\
 &= \frac{\partial}{\partial z} \left[ \frac{1}{1 + e^{-z}} \right] \\
 &= \frac{\partial}{\partial z} (1 + e^{-z})^{-1} \\
 &= -(1 + e^{-z})^{-2} (-e^{-z}) \\
 &= \frac{e^{-z}}{(1 + e^{-z})^2} \\
 &= \frac{1}{1 + e^{-z}} \circ \frac{e^{-z}}{1 + e^{-z}} \\
 &= \frac{1}{1 + e^{-z}} \circ \frac{(1 + e^{-z}) - 1}{1 + e^{-z}} \\
 &= \frac{1}{1 + e^{-z}} \circ \left[ \frac{1 + e^{-z}}{1 + e^{-z}} - \frac{1}{1 + e^{-z}} \right] \\
 &= \frac{1}{1 + e^{-z}} \circ \left[ 1 - \frac{1}{1 + e^{-z}} \right] \\
 &= \sigma(z) \circ (1 - \sigma(z)) \\
 &= a \circ (1 - a)
 \end{aligned}$$

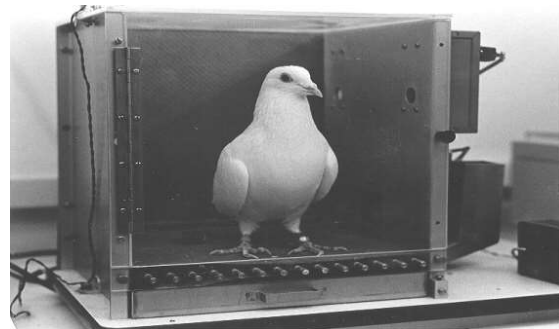
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66

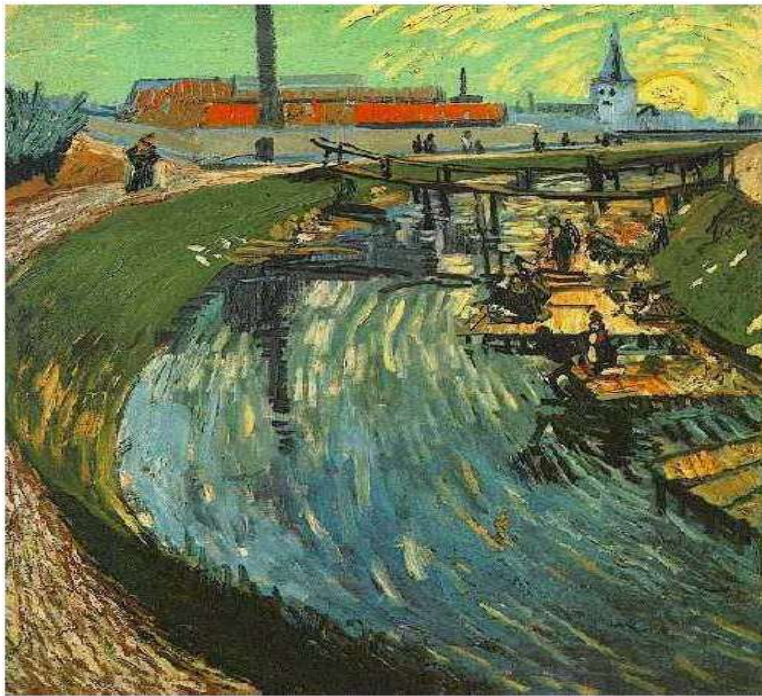
## Biological Neural Nets

- ❑ Pigeons as art experts (Watanabe et al. 1995)
- ❑ Experiment:
  - ❖ Pigeon in Skinner box
  - ❖ Present paintings of two different artists (e.g. Chagall / Van Gogh)
  - ❖ Reward for pecking when presented a particular artist (e.g. Van Gogh)



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69

## Biological Neural Nets

- ❑ Pigeons were able to discriminate between Van Gogh and Chagall
    - ❖ With 95% accuracy on train set (when presented with pictures they had been trained on)
    - ❖ Discrimination, still 85% successful for previously unseen paintings of the artists
- ❑ Pigeons do not simply memorise the pictures
  - ❑ They can extract and recognise patterns (the 'style')
  - ❑ They generalise from the already seen to make predictions
- ❑ This is what neural networks (biological and artificial) are good at (unlike conventional computer)

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70

## Brain and Machine

- ❑ The Brain
  - ❖ Pattern Recognition
  - ❖ Association
  - ❖ Complexity
  - ❖ Noise Tolerance



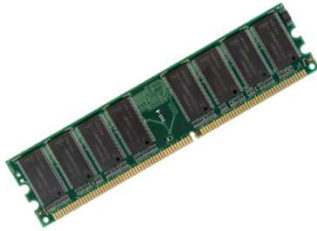
- ❑ The Machine
  - ❖ Calculation
  - ❖ Precision
  - ❖ Logic

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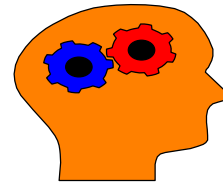
71

## The contrast in architecture



- ❑ The Von Neumann architecture uses a single processing unit;
  - ❖ Tens of millions of operations per second
  - ❖ Absolute arithmetic precision

- ❑ The brain uses many slow unreliable processors acting in parallel



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72

## The biological inspiration

- ❑ Features of the Brain
  - ❖ Ten billion ( $10^{10}$ ) neurons
  - ❖ On average, several thousand connections
  - ❖ Hundreds of operations per second
  - ❖ Die off frequently (never replaced)
  - ❖ Compensates for problems by massive parallelism
- ❑ The brain has been extensively studied by scientists
- ❑ Vast complexity prevents all but rudimentary understanding
- ❑ Even the behavior of an individual neuron is extremely complex
- ❑ Single “percepts” distributed among many neurons
- ❑ Localized parts of the brain are responsible for certain well-defined functions (e.g. vision, motion).



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