## \* LC Oscillator's:

- · These are also known as tuned oscillators or tank cht oscillators. They are used to produce an old with Frequencies ranging from IMHz to 500MHz.
- . A BJT or an FET is used as an amplifier with tuned circuit oscillator's.
- . With an amplifier and an LC tank circuit, we can feedbook a signal with proper amplitude and phase to obtain sustained oscillations.

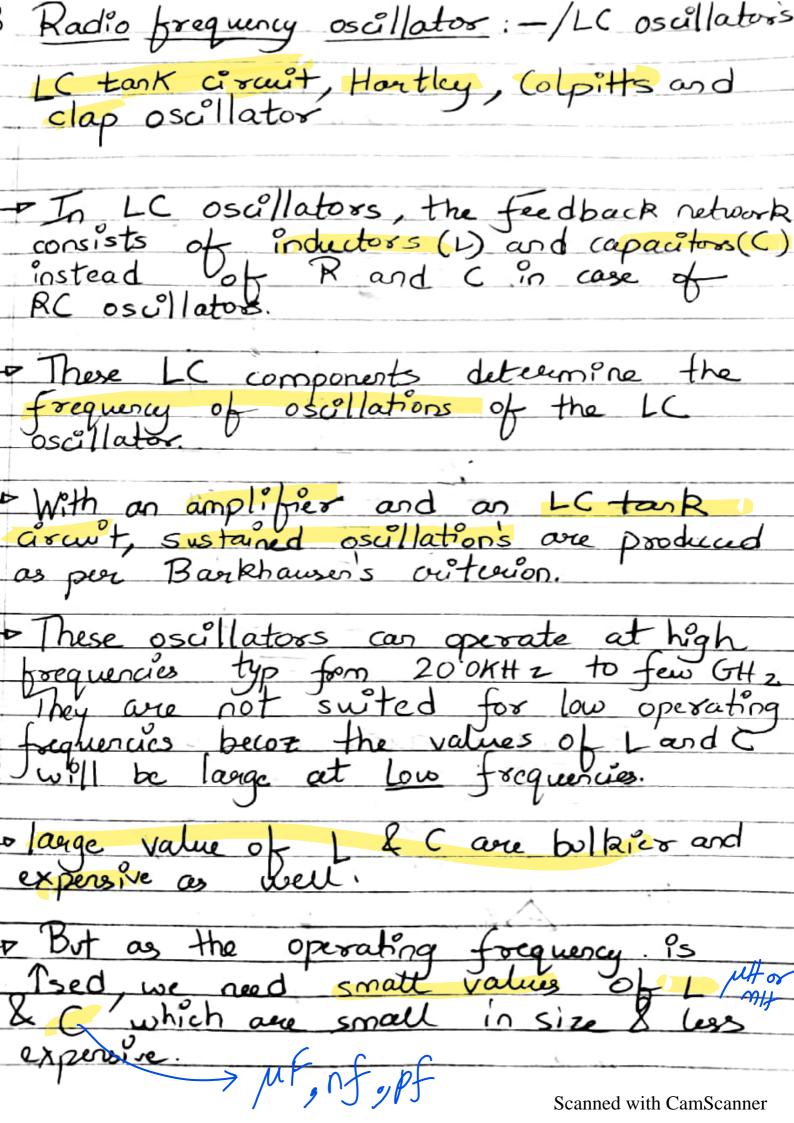
Application's of LC oscillators: Most of the oscillators used in radio transmitters and receivers are of LC oscillators type

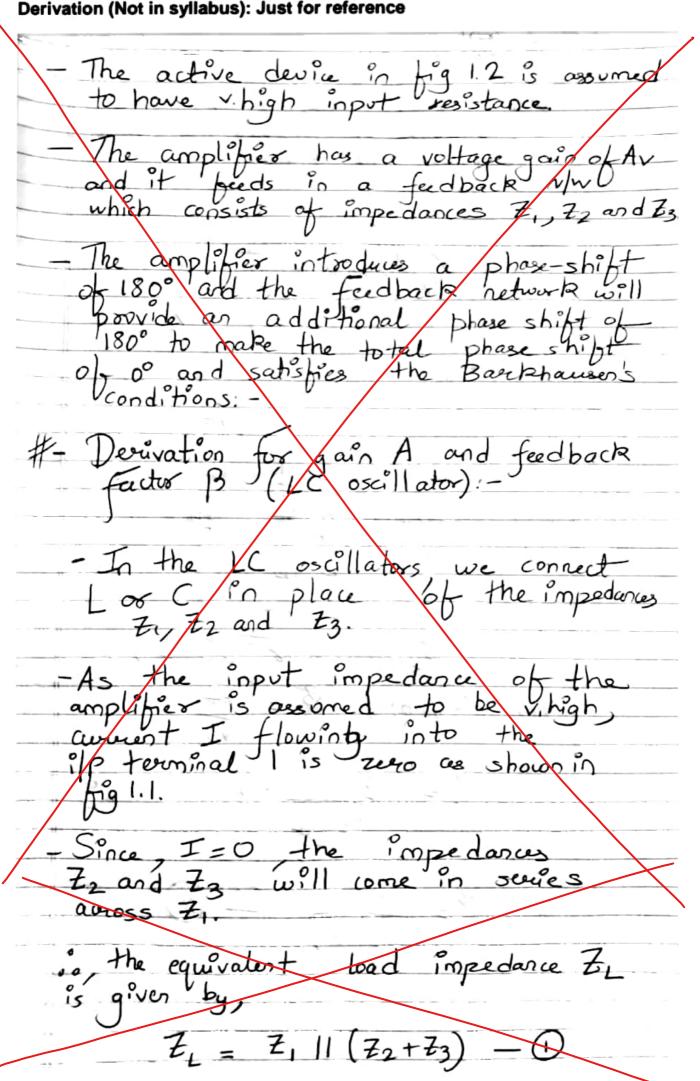
- . Depending upon the way the Flb is used in the circuit, the LC oscillators are of the following 5 types:-
- i) Tuned-collector (Armstrong oscillator):

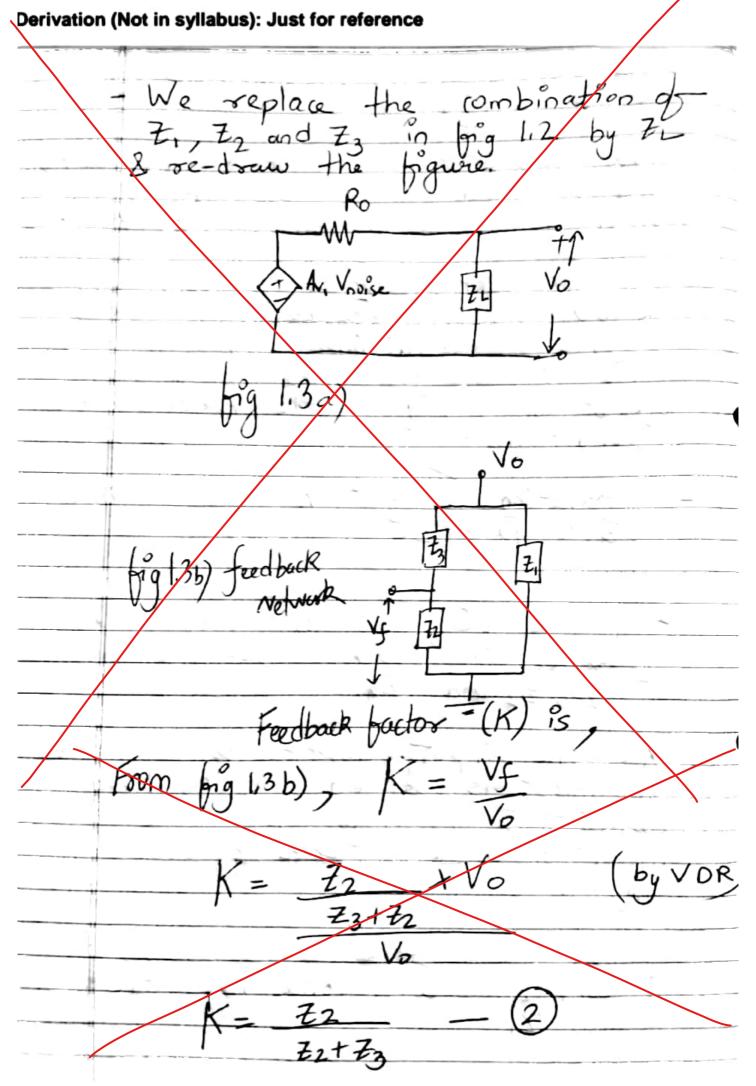
It uses inductive flb from the collector of a transister to the base. The LC tank ckt is in the collector ckt.

- 2) Tuned base oscillator: It also uses inductive Feedback. But the LC tank is in the base ckt.
- 3] Hartley oscillator: It uses inductive Feedback.
- 4) Colpitts oscillator: It uses capacitive feedback.
- 5] Clapp's oscillator: It also uses capacitive feedback.

How LC Tank circuit produces oscillations? · LC tank ckt produces electrical oscillation of any desired frequency. It consists of 2 reactive element L and C. 5 C disch ATL · Inductor(L) stores energy in its magnetic field, whenever current flow's through it. · (apositor (c) stores energy in its electric field, whenever a voltage is applied across its plate. ckt: LC Tank ckt as an Oscillatory circuit · Suppose C is charged from a de source. As switch 's' is open, it cannot discharge through L. (fig a). When s' is closed, c discharges through L. . This discharging (wount (from plate 2 to 1) figle), sets up magnetic field around the coil. Because of inductive effect, the current grows up slowly towards the max value. This situation occurs, when c is fully discharged (ie electrical energy across C is completely converted into magnetic energy around the coil) one C is discharged completely, magnetic field wround L begins to collapse and produces a counter emf. . According to lenz's law, counter emf Peeps election's (charges) moving in same direction This again charges the C but in apposite direction (tigs). . When C is changed completely in opposite direction, Magnetic-field around L is also collapsed completely · After this, when 's' is closed, C starts discharging in opposite direction (bigd) so that charges now move from plate 2 to 1. ie Electric field stands collapsing whereas magnetic field stands building up again, but in reverse direction · Above sequence of changing and discharging of a C soulds in every being alternatively stored in the E-field of C and magnificat of L. C pand magnetic This interchange of energy between C and L continues and results in the production of electrical oscillations. As a roult, amplitude of oscillation's reduces gradually and raches o.







perivation (Not in syllabus): Just for reference According to Barkhamers Z1(32+Z3) + Ro) and 72 are purely reactive

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Then, $Z_1 = \mathring{j}X_1$ , $Z_2 = \mathring{j}X_2$ , $Z_2 = \mathring{j}X_3$ where, $X = \omega L$ for inductor $X = -\frac{1}{\omega_c}$ for capocitor  Substituting the above values of the eqn $G$ , $\omega e^{\gamma}$ get. $AK = AV (\mathring{j}X_1) (\mathring{j}X_2)$ $Ro(\mathring{j}X_1 + \mathring{j}X_2 + \mathring{j}X_3) + \mathring{j}X_1 (\mathring{j}X_2 + \mathring{j}X_3)$ $AK = -AV X_1 X_2$ $\mathring{j} Ro(X_1 + X_2 + X_3) - X_1(X_2 + X_3)$ $AK = AV X_1 X_2$ $X_1(X_2 + X_3) - \mathring{j} Ro(X_1 + X_2 + X_3)$
$Z_{1} = \mathring{J}X_{1}, Z_{2} = \mathring{J}X_{2}, Z_{2} = \mathring{J}X_{3}$ where, $X = \omega L$ for inductor $X = -\frac{1}{\omega c} \text{ for capocitor}$ $X_{1}(\mathring{J}X_{2} + \mathring{J}X_{3}) + \mathring{J}X_{1}(\mathring{J}X_{2} + \mathring{J}X_{3})$ $X_{1}(\mathring{J}X_{1} + \mathring{J}X_{2} + \mathring{J}X_{3}) + \mathring{J}X_{1}(\mathring{J}X_{2} + \mathring{J}X_{3})$ $X_{1}(\mathring{J}X_{2} + \mathring{J}X_{3}) - \mathring{J}(\mathring{J}X_{2} + \mathring{J}X_{3})$ $X_{1}(\mathring{J}X_{2} + \mathring{J}X_{3}) - \mathring{J}(\mathring{J}(\mathring{J}X_{2} + \mathring{J}X_{3})$
$Z_{1} = \mathring{J}X_{1}, Z_{2} = \mathring{J}X_{2}, Z_{2} = \mathring{J}X_{3}$ where, $X = \omega L$ for inductor $X = -\frac{1}{\omega c} \text{ for capocitor}$ $X_{1}(\mathring{J}X_{2} + \mathring{J}X_{3}) + \mathring{J}X_{1}(\mathring{J}X_{2} + \mathring{J}X_{3})$ $X_{1}(\mathring{J}X_{1} + \mathring{J}X_{2} + \mathring{J}X_{3}) + \mathring{J}X_{1}(\mathring{J}X_{2} + \mathring{J}X_{3})$ $X_{1}(\mathring{J}X_{2} + \mathring{J}X_{3}) - \mathring{J}(\mathring{J}X_{2} + \mathring{J}X_{3})$ $X_{1}(\mathring{J}X_{2} + \mathring{J}X_{3}) - \mathring{J}(\mathring{J}(\mathring{J}X_{2} + \mathring{J}X_{3})$
where $X = \omega L$ for inductor $X = -\frac{1}{\omega c} \text{ for capositor}$ $X = -\frac{1}{\omega c} \text{ for capositor}$ $Substituting the above values of eqn (3), we get.$ $AK = AV (5X) (9X2)$ $Ro(jX_1 + jX_2 + jX_3) + jX_1 (jX_2 + jX_3)$ $AK = -AV X_1 X_2$ $j Ro(X_1 + X_2 + X_3) - X_1(X_2 + X_3)$ $+ by -1$ $AK = AV X_1 X_2$ $X_1(X_2 + X_3) - j Ro(X_1 + X_2 + X_3)$
Substituting the above values of eqn (6), we get. $AK = AV (jX_1) (jX_2)$ $Ro(jX_1+jX_2+jX_3) + jX_1 (jX_2+jX_3)$ $AK = -AV X_1 X_2$ $j Ro(X_1+X_2+X_3) - X_1(X_2+X_3)$ $+ by -1$ $AK = AV X_1 X_2$ $X_1(X_2+X_3) - j Ro(X_1+X_2+X_3)$
Substituting the above values of the equal to the equal
Substituting the above values of the eqn (5), we get. $AK = A_{2}(3X_{1})(3X_{2})$ $Ro(3X_{1}+3X_{2}+3X_{3})+3X_{1}(3X_{2}+3X_{3})$ $AK = -A_{2}(3X_{1})(3X_{2})$ $Ro(3X_{1}+3X_{2}+3X_{3})+3X_{1}(3X_{2}+3X_{3})$ $Ro(3X_{1}+3X_{2}+3X_{3})-X_{1}(3X_{2}+3X_{3})$ $Ro(3X_{1}+3X_{2}+3X_{3})-X_{1}(3X_{2}+3X_{3})$ $Ro(3X_{1}+3X_{2}+3X_{3})-3Ro(3X_{1}+3X_{2}+3X_{3})$ $Ro(3X_{1}+3X_{2}+3X_{3})-3Ro(3X_{1}+3X_{2}+3X_{3})$
Substituting the above values of the eqn (5), we get. $AK = A_{2}(3X_{1})(3X_{2})$ $Ro(3X_{1}+3X_{2}+3X_{3})+3X_{1}(3X_{2}+3X_{3})$ $AK = -A_{2}(3X_{1})(3X_{2})$ $Ro(3X_{1}+3X_{2}+3X_{3})+3X_{1}(3X_{2}+3X_{3})$ $Fo(X_{1}+X_{2}+X_{3})-X_{1}(X_{2}+X_{3})$ $Foy -1$ $AK = A_{2}(3X_{1})(3X_{2})$ $Fo(3X_{1}+3X_{2}+3X_{3})-X_{1}(3X_{2}+3X_{3})$ $Foy -1$ $AK = A_{2}(3X_{1})(3X_{2})$ $Fo(3X_{1}+3X_{2}+3X_{3})-X_{1}(3X_{2}+3X_{3})$ $Foy -1$ $AK = A_{2}(3X_{1})(3X_{2})$ $Fo(3X_{1}+3X_{2}+3X_{3})-X_{1}(3X_{2}+3X_{3})$ $Foy -1$ $F$
$AK = A_{1}(jX_{1})(jX_{2})$ $R_{0}(jX_{1}+jX_{2}+jX_{3}) + jX_{1}(jX_{2}+jX_{3})$ $AK = -A_{1}(jX_{2}+jX_{3}) + jX_{1}(jX_{2}+jX_{3})$ $f_{0}(x_{1}+x_{2}+x_{3}) - X_{1}(x_{2}+x_{3})$ $f_{0}(x_{1}+x_{2}+x_{3}) - X_{1}(x_{2}+x_{3})$ $f_{0}(x_{1}+x_{2}+x_{3}) - f_{0}(x_{1}+x_{2}+x_{3})$
$AK = A_{1}(jX_{1})(jX_{2})$ $R_{0}(jX_{1}+jX_{2}+jX_{3}) + jX_{1}(jX_{2}+jX_{3})$ $AK = -A_{1}(jX_{2}+jX_{3}) + jX_{1}(jX_{2}+jX_{3})$ $f_{0}(x_{1}+x_{2}+x_{3}) - X_{1}(x_{2}+x_{3})$ $f_{0}(x_{1}+x_{2}+x_{3}) - X_{1}(x_{2}+x_{3})$ $f_{0}(x_{1}+x_{2}+x_{3}) - f_{0}(x_{1}+x_{2}+x_{3})$
$AK = A_{1}(jX_{1})(jX_{2})$ $R_{0}(jX_{1}+jX_{2}+jX_{3}) + jX_{1}(jX_{2}+jX_{3})$ $AK = -A_{1}(jX_{2}+jX_{3}) + jX_{1}(jX_{2}+jX_{3})$ $f_{0}(x_{1}+x_{2}+x_{3}) - X_{1}(x_{2}+x_{3})$ $f_{0}(x_{1}+x_{2}+x_{3}) - X_{1}(x_{2}+x_{3})$ $f_{0}(x_{1}+x_{2}+x_{3}) - f_{0}(x_{1}+x_{2}+x_{3})$
$AK' = \frac{-A_{V} X_{1} X_{2}}{\int_{0}^{1} R_{0}(x_{1} + x_{2} + x_{3}) - X_{1}(x_{2} + x_{3})}$ $\frac{AK' - A_{V} X_{1} X_{2}}{X_{1}(x_{2} + x_{3}) - \int_{0}^{1} R_{0}(x_{1} + x_{2} + x_{3})}$
$AK' = \frac{-Av X_1 X_2}{\int R_0(X_1 + X_2 + X_3) - X_1(X_2 + X_3)}$ $\frac{AK' - Av X_1 X_2}{X_1(X_2 + X_3) - \int R_0(X_1 + X_2 + X_3)}$
$AK' = \frac{-A_{V} X_{1} X_{2}}{\int_{0}^{1} R_{0}(x_{1} + x_{2} + x_{3}) - X_{1}(x_{2} + x_{3})}$ $\frac{AK' - A_{V} X_{1} X_{2}}{X_{1}(x_{2} + x_{3}) - \int_{0}^{1} R_{0}(x_{1} + x_{2} + x_{3})}$
$\frac{A \times X_1 \times X_2}{X_1(X_2 + X_3) - \int_{1}^{2} R_0(X_1 + X_2 + X_3)} - 6$
$\frac{A \times X_1 \times X_2}{X_1(X_2 + X_3) - \int_{1}^{2} R_0(X_1 + X_2 + X_3)} - 6$
$\frac{A \times X_1 \times X_2}{X_1(X_2 + X_3) - \int_{1}^{2} R_0(X_1 + X_2 + X_3)} - 6$
$X_1(X_2+X_3) - \int_{1}^{1} Ro(X_1+X_2+X_3)$
$X_1(X_2+X_3) - \int_{-\infty}^{\infty} Ro(X_1+X_2+X_3)$
to loss and the to be seal
Tero phase shift) to be real part must be zero.
part most be zero.
ie Ro (X1+X2+X3) =0
ie x+x2+x3 =0 -6a

Derivation (Not in syllabus): Just for reference
Hence, eq 6 gets modified as,
$AX = \underbrace{Av X_i X_2}_{X_1 (X_2 + X_3)}$
Now, from $(6a)$ , $X_1 = -(X_2 + X_3)^{-(6c)}$
$AK = -Av(Xz+Xz)X_2$ $-X_1(Xz+Xz)$
$AK = -A \times X_2 \qquad -(7)$
-According to backhauser's witewon, Ak should be the & greater that or equal to 1.
- To achieve this ineq (7) both  XI and X2 should be have the  same sign.
-That means X, and X2 should be same type of seactiones either
$-5000$ egr (6.a), $X_3 = -(X_1 + X_2)$
- Hence, X3 must be an opposite type of readance to X1 and X2.

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- That	means X3 x1 and X2 it should are inductive	should be capa be capa e.	e troudice
-Thus type typ	and X3 sho	should be of d X2.	of same Dopposit
- Dependent obtain	soling on the slave of X, two types	compone X2 and es ob Lo	X3 voc Coscillators
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