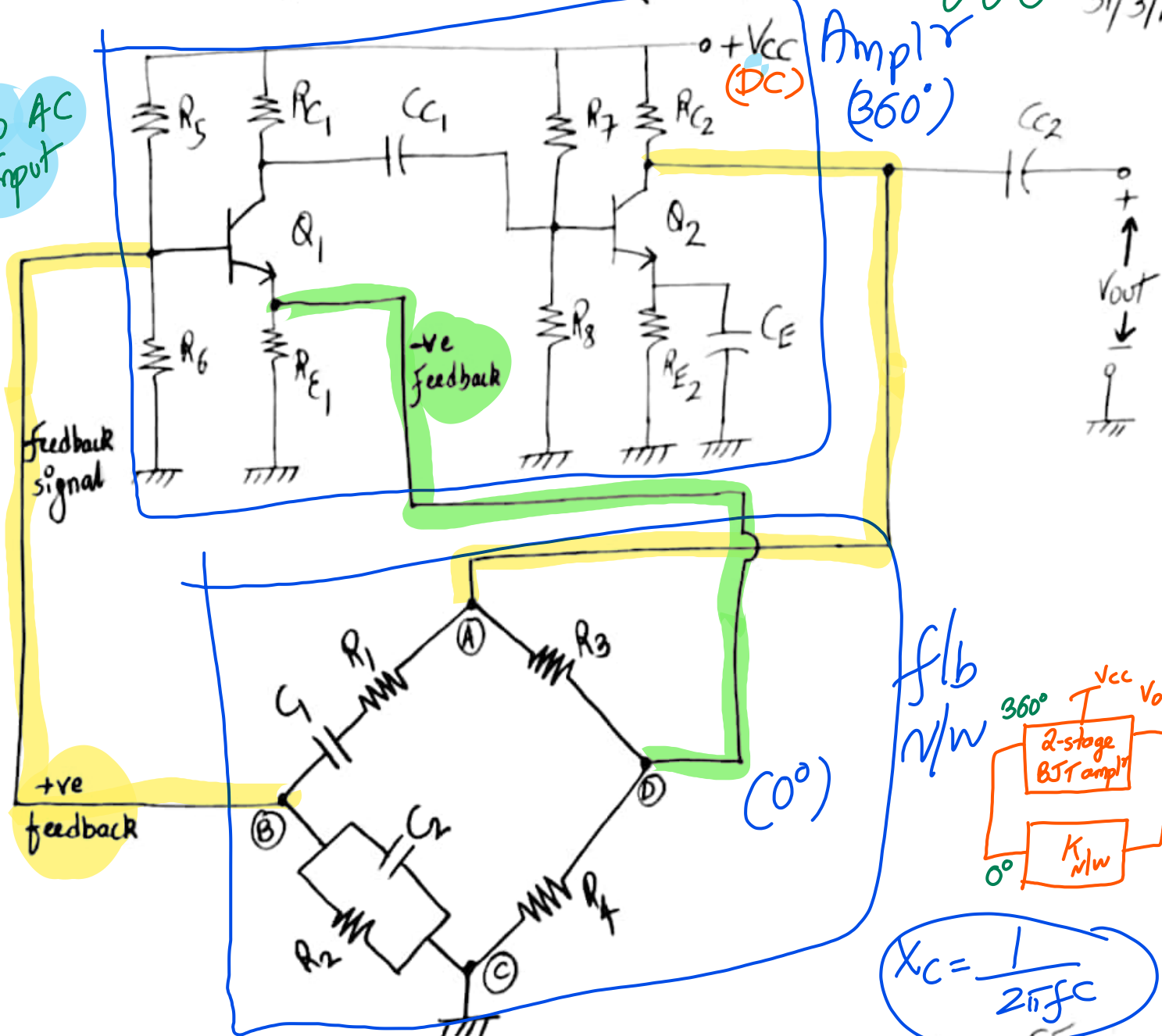


Wien-bridge oscillator:- (WBO)

31/3/1

No AC Input



crt ①: Wien-bridge oscillator using two stage CE

- It is difficult to achieve variable frequency operation for RC phase-shift oscillator.
- An oscillator circuit, which is more useful for variable frequency operation is Wien-bridge oscillator.
- Circuit ① shows circuit of wien-bridge oscillator using BJT as an active device. We may also use FET's instead of BJT.
- Wien-bridge oscillator consists of a 2-stage RC coupled amplifiers, which provides no phase shift (0°) between its I/P and O/P terminals.

- Feedback network consists of a balanced bridge which doesn't provide any phase shift betn ILP and OLP.
- The Barkhausen's criterion for WBO is satisfied as follows
 Transistor Q_1 and Q_2 provide 180° phase-shift each.
 i.e. Amplifier provides 0° or 360° phase-shift
 The feedback network provides a phase-shift of 0°
 Thus, the total phase-shift around the loop is 0° .
- Feedback N/w consists of C_1-R_1 , C_2-R_2 (called a lead-lag network), which is frequency-sensitive arm's of the bridge and R_3-R_4 (voltage-divider).
- The two arm's i.e. R_1-C_1 series and R_2-C_2 parallel paths cancel's each other's phase shift, hence Fb n/w doesn't provide any phase-shift. at all.
- The lead-lag N/w provides a +ve feedback to the ILP of the 1st stage (Q_1) and the voltage-divider, the -ve feedback to emitter of Q_1 transistor.
- The two feedback paths are
 - a) +ve feedback through Z_1 and Z_2 ; whose components determine the frequency of oscillation.
 - b) -ve feedback through R_3 and R_4 , whose elements affect the amplitude of the oscillations and set the gain of amplifier.
- It can be shown by simple analysis that the frequency of oscillations for WBO is given by

$$f_0 = \frac{1}{2\pi \sqrt{R_1 R_2 C_1 C_2}}$$

$$f_0 = \frac{1}{2\pi \sqrt{R_1 R_2 C_1 C_2}}$$

- If components values are such that $R_1 = R_2 = R$ and $C_1 = C_2 = C$

12

then,
$$f_0 = \frac{1}{2\pi RC}$$
 → Frequency of oscillation's of a WBO

- Also, it can be shown that ratio of R_3 to R_4 greater than 2 will provide a sufficient gain for WBO to oscillate at desired frequency.

- F/B factor K for a WBO should be $\left(\frac{1}{3}\right)$ $(K < 1)$

That means, the gain of the amplifier is adjusted to 3 so that, loop gain ($A_1 K$) is atleast unity or greater than unity (slightly). i.e. $|A_1 K| \geq 1$

→ Operation of a Wien-bridge-oscillator:

1. When the circuit is energized by switching on the dc supply, a small random (noise) appearing at the base of Q_1 transistor are amplified, at its collector.
2. These small oscillations are further amplified at the collector of Q_2 transistor.
3. Since the oscillations at the collector of Q_2 have been inverted twice, therefore these oscillations are in phase with the I/P signal.
4. A part of the o/p signal from the collector of Q_2 is feedback to the WBO, which is further amplified.
5. The process continues, till sustained oscillations are produced.

* How amplitude stabilization is achieved in Wien-bridge oscillator!

- For loop $|A_1 K| \geq 1$ and $K = \frac{1}{3}$, the gain of the amplifier in WBO for sustained oscillations should be $|A| \geq 3$.
- But, in WBO, the amplifier can easily provide a much higher gain than 3 (being a 2 stage amplifier).
- Now, the gain of the amplifier should not be too high as it will distort the o/p waveform of the oscillator.
- In order to avoid this possibility of distortion amplifier gain should be limited.

→ This is done by introducing a -ve flb by keeping R_{E1} in emitter of Q_1 unbypassed.

The potential-voltage ($R_3 - R_4$) develop's a certain voltage at the emitter of Q_1 . This voltage provides -ve FLB to the ckt, so that the gain is under control and stability is achieved.

- This process of gain reduction using -ve feedback is called as "Amplitude Stabilization".

As the amplitude of oscillation's ↑, the value of V_{RE1} will ↓ and current through R_{E1} will ↑. This will ↑ the amount of -ve flb and hence will reduce the gain in WBO automatically $|A| \geq 3$ and avoid waveform distortions.

Note: Feedback network is responsible for frequency of oscillations in a WBO.

Since, $f_0 = \frac{1}{2\pi RC}$ for WBO

The frequency of oscillations can be varied by varying either both R or both C connected in the frequency sensitive arms of Wien-bridge. Hence, WBO is also called as variable-frequency oscillator.

- Wien-bridge oscillator is generally preferred over the RC phase shift oscillator due to its ease in frequency selection (tuning), extremely low starting gain and minimum o/p waveform distortion.

Applications:- A Wien-bridge oscillator is a standard oscillator circuit for generating low-frequencies in the range of 20Hz to about 100kHz. It is used in all commercial audio signal generators.

- Advantages:-
- 1) It gives an extremely pure sine wave o/p
 - 2) Good frequency stability and a highly stabilized amplitude are unique features of WBO.
 - 3) Frequency variation (tuning) is easier compared to RC phase shift oscillator.
 - 4) Extremely low starting gain i.e. $|A| \approx 3$ as compared to 3 stage RC phase shift oscillator i.e. $|A| \approx 29$

- Disadvantages:-
- 1) It cannot be used for high frequency applications.
 - 2) Two stage are used in amplifier's, which are complex to design, analyze and construct, but this can be overcome using operational amplifier (OPAMPS).

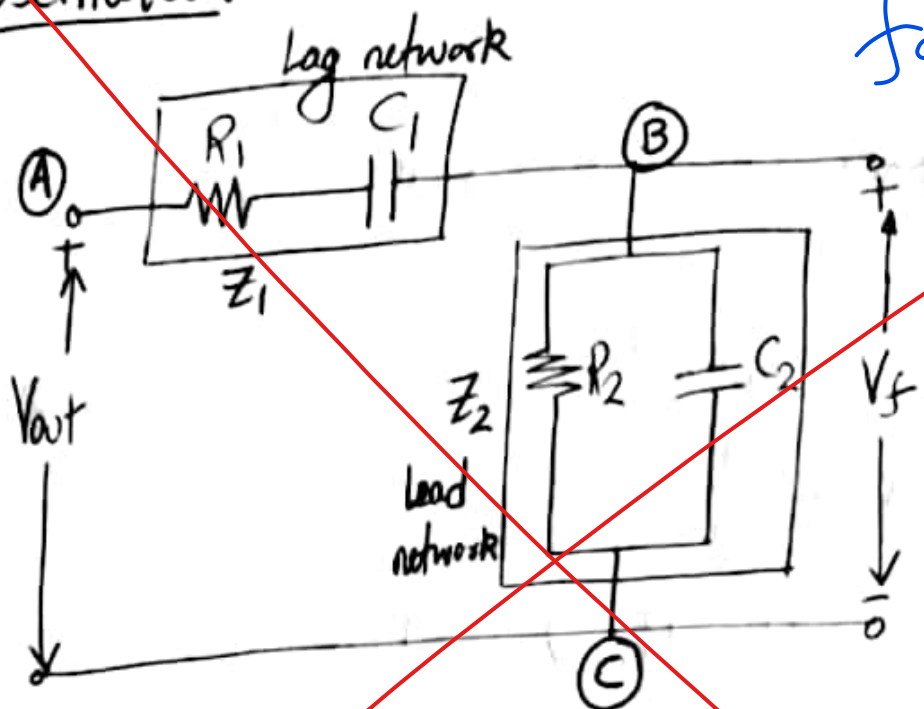
Analysis of Feedback network for wien-bridge oscillator:-

28/3/1

$$f_0 = \frac{1}{2\pi RC}$$

$$R_1 = R_2 = R$$

$$C_1 = C_2 = C$$



ckt (C)

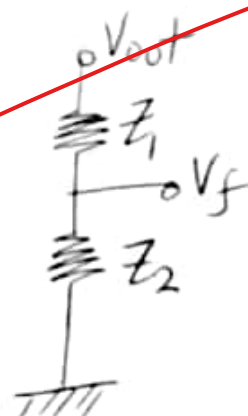
- Consider frequency sensitive arm AB and BC
- Feedback factor or gain of feedback network (K)

$$K = \frac{V_f}{V_{out}} \quad \text{--- (1)}$$

- By voltage-divider rule,

$$V_f = \frac{Z_2}{Z_1 + Z_2} V_{out}$$

$$K = \frac{V_f}{V_{out}} = \frac{Z_2}{Z_1 + Z_2} \quad \text{--- (2)}$$



$$\rightarrow Z_1 = R_1 + \frac{1}{j\omega C_1} = \frac{R_1 j\omega C_1 + 1}{j\omega C_1}$$

$$\rightarrow Z_2 = R_2 \parallel X_{C2} = R_2 \parallel \left(\frac{1}{j\omega C_2} \right)$$

$$Z_2 = \frac{R_2 \left(\frac{1}{j\omega C_2} \right)}{R_2 + \frac{1}{j\omega C_2}} = \frac{R_2}{1 + j\omega C_2 R_2}$$

Substitute $R_2 = R_1 = R$; $C_1 = C_2 = C$

$$\rightarrow Z_1 = \frac{j\omega RC + 1}{j\omega C} ; Z_2 = \frac{R}{1 + j\omega RC}$$

$$\text{ie } K = \frac{Z_2}{Z_1 + Z_2}$$

$$= \frac{\frac{R}{1 + j\omega RC}}{\frac{R}{1 + j\omega RC} + \frac{1 + j\omega RC}{j\omega C}}$$

$$K = \frac{j\omega RC}{j\omega RC + (1 + j\omega RC)^2}$$

$$K = \frac{j\omega RC}{1 + 3j\omega RC + j^2\omega^2 R^2 C^2}$$

$$K = \frac{j\omega RC}{1 + 3j\omega RC - \omega^2 R^2 C^2}$$

$$j^2 = -1$$

Divide numerator and denominator by $j\omega RC$,

$$K = \frac{1}{3 + \frac{1}{j\omega RC} - \frac{\omega^2 R^2 C^2}{j\omega RC}} \rightarrow (2)$$

→ Equating the imaginary part of eqⁿ (2), will generally give the frequency of oscillation.

$$ie \quad \frac{1}{j\omega RC} - \frac{\omega^2 R^2 C^2}{j\omega RC} = 0$$

$$ie \quad \frac{1}{j\omega RC} = \frac{\omega^2 R^2 C^2}{j\omega RC}$$

$$ie \quad \omega^2 = \frac{1}{R^2 C^2}$$

$$\omega = \frac{1}{RC}$$

$$2\pi f_0 = \frac{1}{RC}$$

$$f_0 = \frac{1}{2\pi RC}$$

→ Freqⁿ of oscillation for a wien-bridge oscillator

where, $R_1 = R_2 = R$; $C_1 = C_2 = C$

→ To obtain the value of K at frequency of oscillation (f_0).

Put $\omega = \frac{1}{RC}$ in eqⁿ (2),

$$K = \frac{1}{3 + \frac{1}{j\omega RC} - \frac{1}{j\omega RC}}$$

$$K = \frac{1}{3}$$

→ Feedback factor

Thus, at the oscillator freqⁿ ' f_0 ' the value of feedback factor K is $\frac{1}{3}$

As per the Barkhausen's criterion,

05

$$|A_1 \cdot K| \geq 1$$

$$|A_1 \cdot \frac{1}{3}| \geq 1$$

$$|A_1| \geq 3$$

A_1 is the amplifier gain

Thus, the amplifier gain (A_1) should be at least equal to or slightly greater than 3 to ensure sustained oscillations.

→ RC network in ckt (c) is responsible for determining the frequency of oscillation.

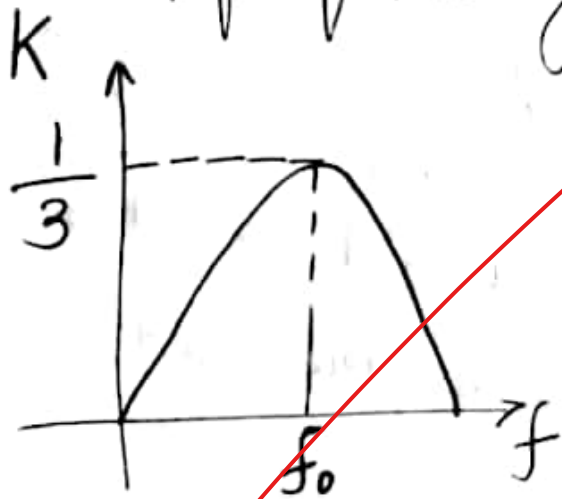
→ Referring to ckt (c),

a) At low frequencies, o/p of n/w i.e. V_f becomes zero since C_1 behaves as open-ckt ($X_C = \frac{1}{2\pi f C_1} = \infty$)

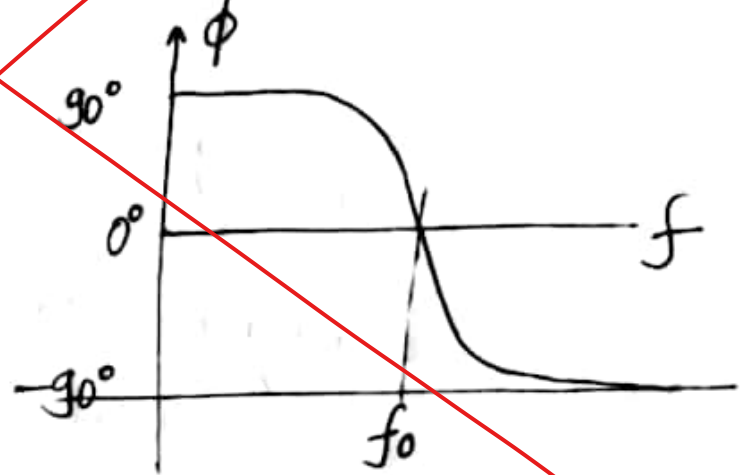
b) At high frequencies, o/p of n/w i.e. V_f becomes zero since C_2 behaves as short-ckt ($X_C = \frac{1}{2\pi f C_2} = 0$)

→ In between these two extreme conditions, o/p voltage reaches max values.

→ At oscillating frequency (f_0), K reaches to a max value of $\frac{1}{3}$, and the phase-shift of lead-lag network is 0° .



→ At f_0 , feedback factor $K = \frac{1}{3}$



→ At f_0 , the phase-shift of lead-lag network is zero