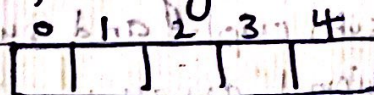


Arrays, Stacks & Queues

Arrays

- Arrays are the collection of a finite number of homogeneous data elements.
- Elements of the array are referenced respectively by an index set consisting of n consecutive numbers and are stored respectively in successive memory locations.
- The number n of elements is called the length or size of the array.



$$\text{Length} = \text{UB} - \text{LB} + 1$$

whereas UB is the largest index, called upper bound
 LB is the smallest index, called lower bound

- To access an array element, address of an element is computed as an offset from the base address of the array and one multiplication is needed to compute what is suppose to be added to the base address to get the memory address of the element.

0	1	2	3	4
45	56	63	24	
100	102	104	106	108

$$a[3] = 20$$

$$\begin{aligned} \text{Base add.} &= 100 + \text{Size of (int)} \times 3 \\ &= 100 + 6 = 106 \end{aligned}$$

→ This process takes one multiplication and one addition. Since these two operations take constant time, we can say the array access can be performed in constant time.

Array Dimensions

1d array — A list of data items that can be represented by one variable name using only one subscript and such variable is called one dimensional array.

2d array — A list of data items that can be represented as rows and columns, which by one name and two subscripts.

$a[0] = 34$

2d array — A list of data items that can be represented as rows and columns, which by one name and two subscripts.

$a[3][4]$

↑ rows
↑ columns

$b[0][3] = 22$

$b[0][3] = 22$

$b[1][3] = 1$

$b[2][3] = 1$

20
17

Basic operations in Linear Arrays:

Traversing
Inserting
Deleting

(1) Traversing Linear Array (To access and process each element of array exactly once)

— Let array is — LA

— Upper Bound — UB

— Lower Bound — LB

— Applying an operation — PROCESS

Algorithm:

- (1) Initialize counter $K = LB$
- (2) Repeat steps 3 and 4 while $K \leq UB$
- (3) Apply PROCESS to $LA[K]$
- (4) Increase counter $K = K + 1$
- (5) End loop
- (6) Exit

eg. We have array

0	1	2	3	4
2	3	5	8	6

\uparrow LB \uparrow UB

Process is to multiply each element by 2.

- (1) $K = 0$
- (2) while $K \leq 4$
- (3) $Process\ LA[0] = 2 \times 2 = 4$
- (4) $K = K + 1 = 0 + 1 = 1$
- (5) End loop
- (6) Exit

(2) Inserting (Refers to the operation of adding

another element to the collection.)

→ Inserting an element in a linear Array of N elements at k th location.

Algorithm:

(1) Initialize a counter $I = N$

(2) loop (while $I \geq k$)

(3) $LA[I+1] = LA[I]$

$LA[5] = LA[4]$

(4) $I = I - 1$ $LA[4] = LA[3]$

(5) End loop

(6) Set $LA[k] = \text{item}$

$LA[3] = E$

(7) $N = N + 1$

Array size will be 5

(8) Exit

Now array will become as follows

1	A
2	B
3	E
4	C
5	D

I have to
Insert E at
location 3.

1	A
2	B
3	C
4	D
5	
6	

(3) Deleting (Refers to the operation of removing one of the elements)

eg.

1	A
2	B
3	C
4	D
5	E
6	
7	

. I have to delete B. Then C has to shift up 4 D and E too.

Algorithm: (1) Set $Item = LA[K]$
 $= LA[2]$

(2) Loop for $I = K$ to $N-1$
 $I = 2$ to $(5-1) = 2$ to 4

(3) Set $LA[I] = LA[I+1]$
 $LA[2] = LA[3]$

(4) End loop $LA[3] = LA[4]$
 $LA[4] = LA[5]$

(5) $N = N-1$
 $= 4$

(6) Exit