

## Best, worst and Average case.

1. Linear Search
2. Binary Search tree

1. Linear.

A.	8	6	12	5	9	7	4	3	16	18
	0	1	2							9

- 1) Key = 7 (Item to search)  
comparisons = 6
- 2) Key = 20 (not present)

Best case :-  $K=8$  (if searching for first index element)  
time  $\rightarrow$  constant -  $O(1)$   
 $\hookrightarrow B(n) \rightarrow O(1)$

Worst case :-  $K=18$  (last element as key element)  
 $W(n) = n = O(n)$   
 $\downarrow$   
no. of comparisons.

Average case :-  $\frac{\text{all possible case time}}{\text{no. of cases}}$  (not possible to calculate for all.)  
 $= \frac{1+2+3+\dots+n}{n} \rightarrow$  (no. of comparisons) function.

$$A(n) = \frac{n+1}{2}$$

[No. of comparisons are used to calculate time required]

Cases  $\neq$  notations.

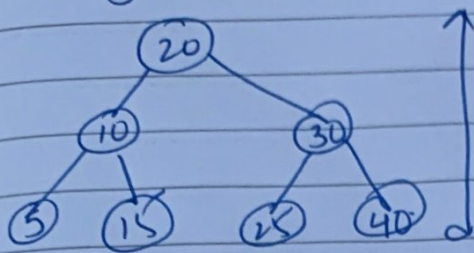
(log base 2 - way)

$B(n) = 1$	$W(n) = n$
$B(n) = O(1)$	$\approx O(n)$
$B(n) = \Omega(1)$	$\approx \Omega(n)$
$B(n) = \Theta(1)$	$\approx \Theta(n)$

$\left\{ \begin{array}{l} \text{Big O} \\ \text{Omega} \\ \text{theta} \end{array} \right\}$

Any notation can be used.

## 2) Binary search tree.



height of tree  $= \log n$ .

$$n=8 \\ \log 8 = 3.$$

1) Best case  $\rightarrow$  search for element at root  
 $B(n) = 1$

2) worst case  $\rightarrow$  search for leaf element i.e. 5, 15, 25, 40.  
(depends on height)

$$W(n) = \log n. \rightarrow \min W(n) = \log n. \\ \max W(n) = n.$$

If one sided tree.

