Title: Write a program to calculate Fibonacci numbers and find its step

countRoll no: CO405

Program:

A) Non-Recursive

```
def fibonacci(n):
    """Return the nth Fibonacci number."""
    if n == 0:
        return 0

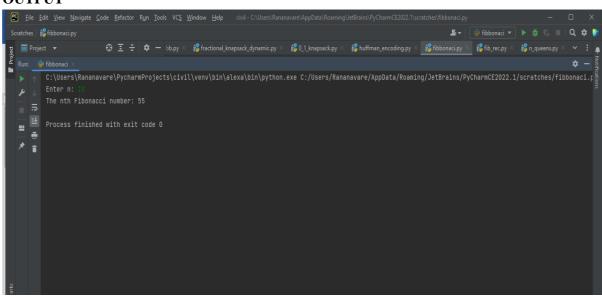
# r[i] will contain the ith Fibonacci number
    r = [-1] * (n + 1)
    r[0] = 0
    r[1] = 1

for i in range(2, n + 1):
    r[i] = r[i - 1] + r[i - 2]

    return r[n]

n = int(input('Enter n: '))

ans = fibonacci(n)
print('The nth Fibonacci number:', ans)
```



B)Recursive

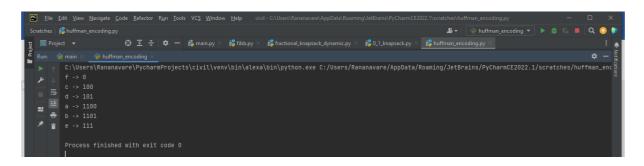
```
def fibonacci(n):
  """Return the nth Fibonacci number."""
  # r[i] will contain the ith Fibonacci number
  r = [-1] * (n + 1)
  return fibonacci_helper(n, r)
def fibonacci_helper(n, r):
  """Return the nth Fibonacci number and store the ith
Fibonacci number in
  r[i] for 0 \le i \le n."""
  if r[n] >= 0:
     return r[n]
if (n == 0 \text{ or } n == 1):
     q = n
  else:
     q = fibonacci_helper(n - 1, r) + fibonacci_helper(n - 2, r)
r)
  r[n] = q
  return q
n = int(input('Enter n: '))
ans = fibonacci(n)
print('The nth Fibonacci number:', ans)
```



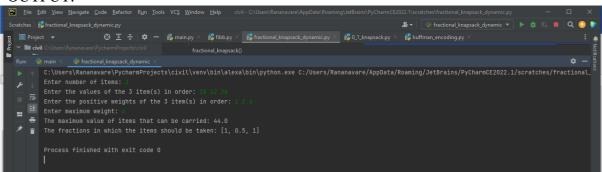
Title: Write program to implement Huffman Encoding using a greed strategy.

Roll no: CO405

```
Program:
  import heapq
class node:
  def___init_(self,freq,symbol,left=None,right=None):
    self.freq=freq
    self.symbol=symbo
    lself.left=left
    self.right=right
    self.huff="
  def__lt_(self,nxt):
    return self.freq<nxt.freq
def printnodes(node,val="):
  newval=val+str(node.huff)
  if node.left:
    printnodes(node.left,newval)if
  node.right:
    printnodes(node.right,newval)
  if not node.left and not node.right:
    print("{} -> {}".format(node.symbol,newval))
if ___name__=="__main___":
  chars = ['a', 'b', 'c', 'd', 'e', 'f']
  freq = [5, 9, 12, 13, 16, 45]
  nodes=[]
  for i in range(len(chars)):
    heapq.heappush(nodes, node(freq[i],chars[i]))
  while len(nodes)>1:
    left=heapq.heappop(nodes)
    right=heapq.heappop(nodes)left.huff
    =0
    right.huff = 1
newnode = node(left.freq + right.freq , left.symbol + right.symbol , left , right)
    heapq.heappush(nodes, newnode)
  printnodes(nodes[0])
```



```
Title: Write a program to solve a fractional Knapsack problem using a greedy
method.
Roll no: CO405
Program:
def fractional_knapsack(value, weight, capacity):
    index = list(range(len(value)))
  ratio = [v / w \text{ for } v, w \text{ in } zip(value, weight)]
  index.sort(key=lambda i: ratio[i], reverse=True)
  max_value = 0
  fractions = [0] * len(value)
  for i in index:
    if weight[i] <= capacity:
      fractions[i] = 1
      max value +=
      value[i]capacity -=
      weight[i]
      fractions[i] = capacity / weight[i]
      max_value += value[i] * capacity /
      weight[i]break
  return max_value, fractions
n = int(input('Enter number of items: '))
value = input('Enter the values of the {} item(s) in order: '
        .format(n)).split()
value = [int(v) for v in
value]
weight = input('Enter the positive weights of the {} item(s) in order: '
        .format(n)).split()
weight = [int(w) for w in weight]
capacity = int(input('Enter maximum weight: '))
max_value, fractions = fractional_knapsack(value, weight, capacity)
print('The maximum value of items that can be carried:', max value)
print('The fractions in which the items should be taken:', fractions)
```



Title: Write a program to solve a 0-1 Knapsack problem using dynamic programming or branch andbound strategy.

```
Roll no:CO405
```

Program:

```
def knapsack(value, weight, capacity):
  n = len(value) - 1
  m = [[-1] * (capacity + 1) for _ in range(n + 1)]
  for w in range(capacity + 1):
    m[0][w] = 0
  for i in range(1, n + 1):
    for w in range(capacity + 1):
       if weight[i] > w:
         m[i][w] = m[i -
       1][w]else:
         m[i][w] = max(m[i-1][w - weight[i]] + value[i],
                 m[i - 1][w]
  return m[n][capacity]
n = int(input('Enter number of items: '))
value = input('Enter the values of the {} item(s) in order: '
        .format(n)).split()
value = [int(v) for v in
value.insert(0, None) # so that the value of the ith item is at value[i]
weight = input('Enter the positive weights of the {} item(s) in order: '
        .format(n)).split()
weight = [int(w) for w in weight]
weight.insert(0, None) # so that the weight of the ith item is at weight[i]capacity
= int(input('Enter Capacity: '))
ans = knapsack(value, weight, capacity)
print('The maximum value of items that can be carried:', ans)
```



Title: Design n Queens Matrix having First Queen placed using backtracking to place remaining Queens to generate the final n Queens Matrix.

Roll noCO405 Program:

```
N = 8 # Size of the chessboard
def is_safe(board, row, col):
  # Check if there is a Queen in the same column
  for i in range(row):
     if board[i][col] == 1:
       return False
  # Check upper left diagonal
  for i, j in zip(range(row, -1, -1), range(col, -1, -1)):
     if board[i][j] == 1:
       return False
  # Check upper right diagonal
  for i, j in zip(range(row, -1, -1), range(col, N)):
     if board[i][j] == 1:
       return False
  return True
def solve_n_queens(board, row):
  if row >= N:
     return True
  for col in range(N):
     if is_safe(board, row, col):
       board[row][col] = 1 # Place the Queen
       if solve n_{queens}(board, row + 1): # Recur to place rest of the Queens
          return True
       board[row][col] = 0 # If placing Queen doesn't lead to a solution, backtrack
  return False
# Initialize the chessboard with the first Queen already placed
chessboard = [[0 for \_in range(N)] for \_in range(N)]
chessboard[0][0] = 1
# Solve the 8-Queens problem using backtracking
if solve n queens(chessboard, 1):
  # Print the solution
  for row in chessboard:
     print(' '.join(['Q' if x else '.' for x in row]))
else:
  print("No solution exists.")
```

