

## Experiment 8: Linear Phase F. I. R. Filter Design using Windowing Method

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<b>Experiment No.</b>	8

<b>AIM:</b>	Linear Phase FIR Filter design using window function.
<b>OBJECTIVE:</b>	To design the digital filter using windowing technique and study the spectrum of the filter.
<b>INPUT SPECIFICATION:</b>	<p><b>For LPF / HPF filter Design :</b></p> <ol style="list-style-type: none"> <li>1. Pass band Attenuation (<math>A_p</math>)</li> <li>2. Stop band Attenuation (<math>A_s &gt; 40</math> dB )</li> <li>3. Pass band Frequency (<math>F_p</math>) in Hz</li> <li>4. Stop band Frequency (<math>F_s</math>) in Hz</li> <li>5. Sampling Frequency in Hz</li> <li>6.</li> </ol> <p><b>For BPF / BSF filter Design :</b></p> <ol style="list-style-type: none"> <li>1. Pass band Attenuation (<math>A_p</math>)</li> <li>2. Stop band Attenuation (<math>A_s</math> )</li> <li>3. Pass band Frequency (<math>F_{p1}, F_{p2}</math>) in Hz</li> <li>4. Stop band Frequency (<math>F_s</math>) in Hz</li> <li>5. Sampling Frequency in Hz</li> </ol>
<b>PROBLEM DEFINITION:</b>	<ol style="list-style-type: none"> <li>1. Accept the input specifications for LPF, HPF, BPF and BSF.</li> <li>2. Design the filter by selecting appropriate window function.</li> <li>3. Plot magnitude spectrum and phase spectrum and verify the value of <math>A_p</math> and <math>A_s</math> in pass band and stop band from the magnitude spectrum.</li> <li>4. Comment on Phase Spectrum.</li> </ol>
<b>LPF</b>	
<p>Step 1: Accept user input specifications</p> <p>Enter filter type (LPF, HPF, BPF, BSF):</p> <p>LPF</p>	

step 2: Select appropriate window function  
Selected window: hamming

Step 3: Normalize frequencies

$W_p = 2.0000e-04$

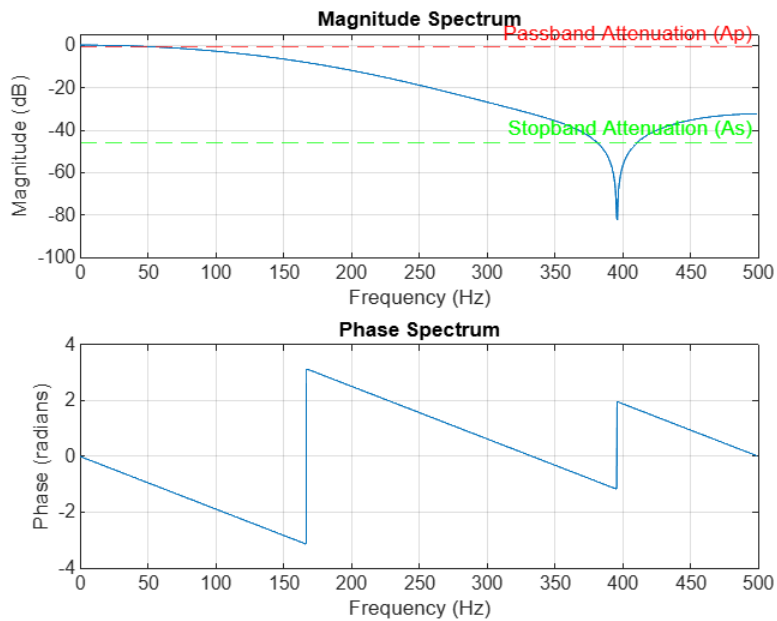
$W_s = 8.0000e-04$

Step 4: Design the filter using the selected window

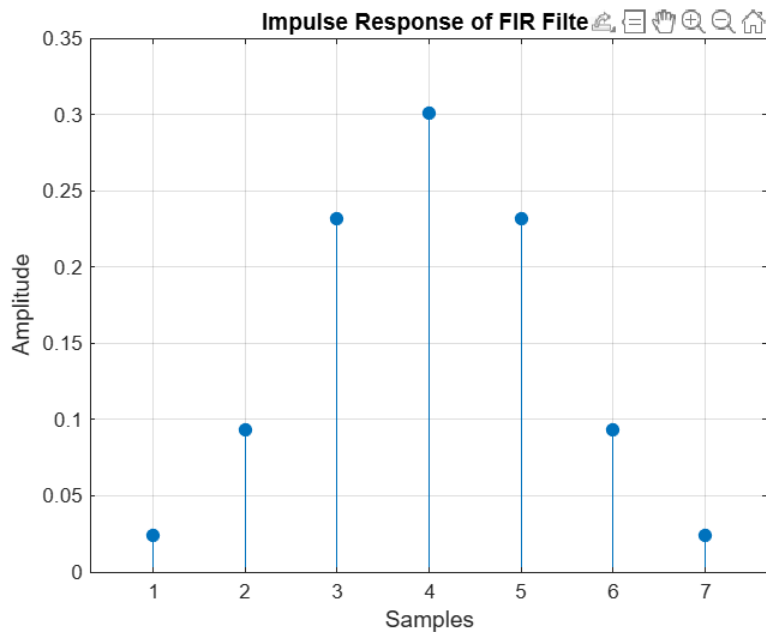
$b = 1 \times 7$

0.0241      0.0934      0.2319      0.3012      0.2319      0.0934      0.0241

Step 5: Frequency response



Step 7: Impulse response



Observe the phase spectrum for linearity. Linear phase indicates symmetry in the impulse

response.

### Higher order Filter

Step 1: Accept user input specifications

Enter filter type (LPF, HPF, BPF, BSF):

LPF

step 2: Select appropriate window function

Selected window: hamming

Step 3: Normalize frequencies

$W_p = 2.0000e-04$

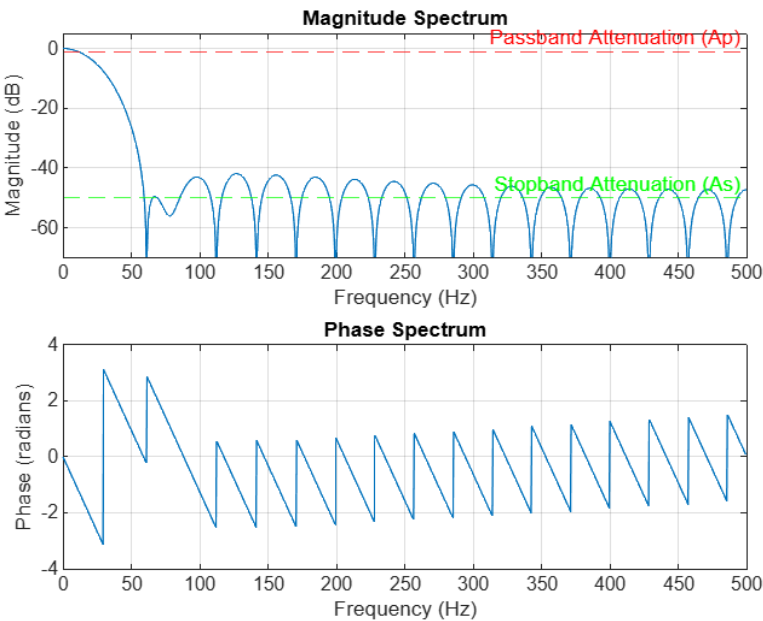
$W_s = 8.0000e-04$

Step 4: Design the filter using the selected window

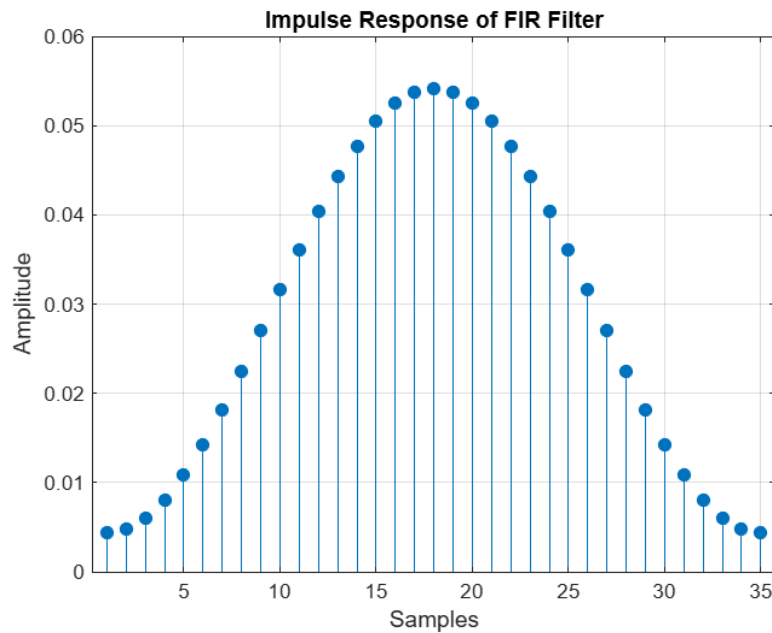
$b = 1 \times 35$

0.0043      0.0048      0.0060      0.0081      0.0108      0.0143      0.0182 ...

Step 5: Frequency response



Step 7: Impulse response



Observe the phase spectrum for linearity. Linear phase indicates symmetry in the impulse response.

## CONCLUSION:

1. The phase of the filter is linear in nature which is peculiarity of FIR filter , we verified it through matlab .
2. The value of Digital angular frequency must be  $-\pi$  to  $\pi$  and the unit is rad. The value of frequency must be between 0 to 0.5 which has no units.
3. Successfully designed and implemented Linear Phase FIR filters using the windowing method in MATLAB for LPF and higher-order filters.
4. Observed that the selection of an appropriate window function, such as Hamming, directly influences the filter's frequency response, providing a balance between main-lobe width and side-lobe attenuation.
5. Verified the passband attenuation ( $A_p$ ) and stopband attenuation ( $A_s$ ) from the magnitude spectrum, ensuring the designed filter meets input specifications.