

**NAME : PRATHAMESH CHIKANKAR  
ROLL NO. AND YEAR : AIMLD08 AND SE  
BRANCH AND DIV. : CSE(AI&ML) AND D  
SUBJECT : COMPUTER GRAPHICS (CG)  
EXPERIMENT 01**

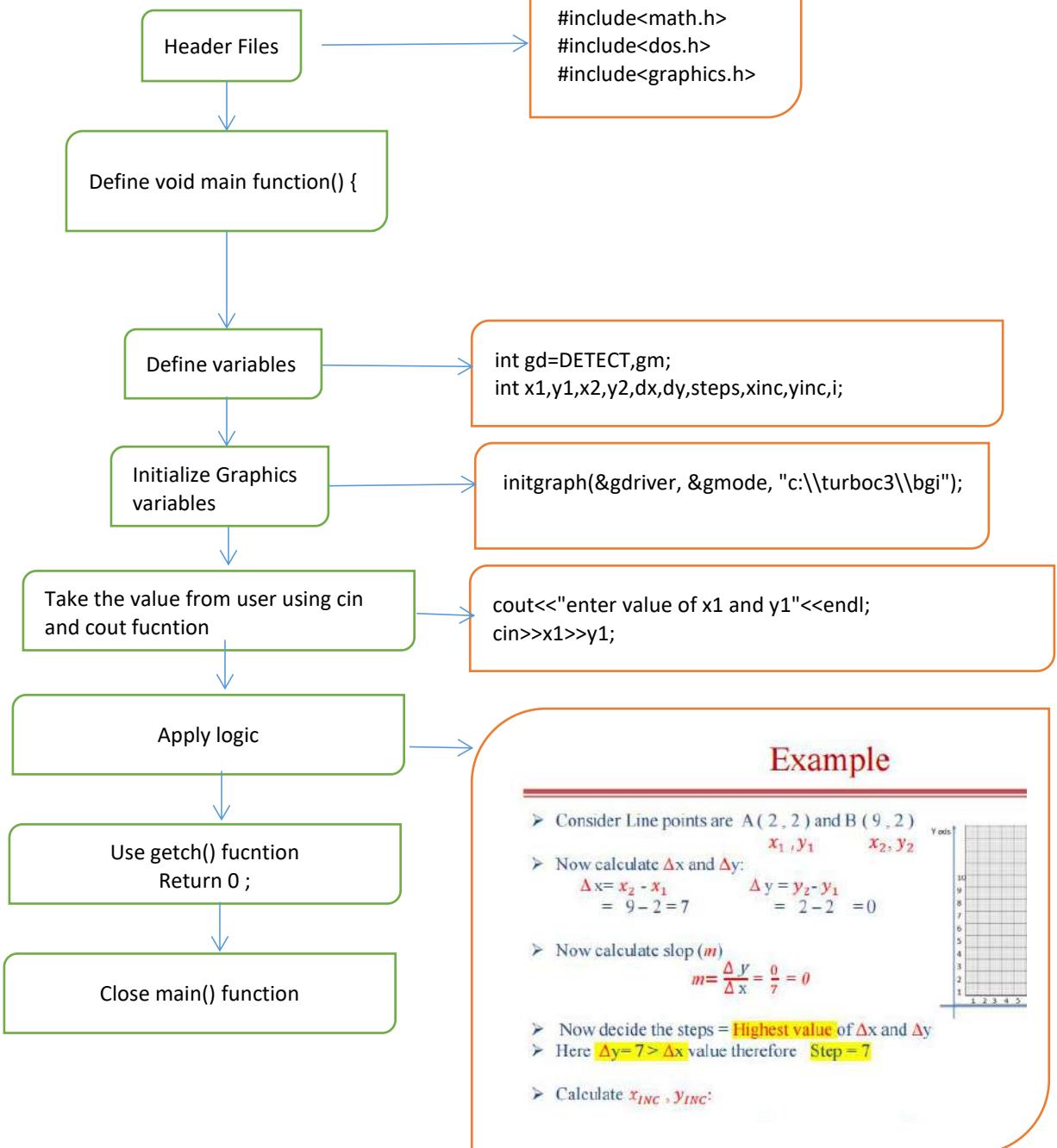
## Experiment No : 1

**Aim :** Aim : Write a program in c for DDA line drawing algorithm.

### i) To draw a thin line

**Software used :** Turbo C++

**Flow Chart : Reference**



**Source Code:**

```
*DDATHinLine - Notepad
File Edit Format View Help
#include<stdio.h>
#include<graphics.h>
#include<stdlib.h>
#include<stdio.h>
int main(void)
{
    int gdriver=DETECT,gmode;
    int i,a,b,a1,b1,a2,b2,da,db,length,aincr,bincr;
    printf("Enter the starting coordinates of line: ");
    scanf("%d%d",&a1,&b1);
    printf("Enter the ending coordinates of line: ");
    scanf("%d%d",&a2,&b2);
    initgraph(&gdriver,&gmode,"c:\\TURBOC3\\BGI");
    da=abs(a2-a1);
    db=abs(b2-b1);
    if(da>db)
        length=da;
    else
        length=db;
    aincr=da/length;
    bincr=db/length;
    putpixel(a1,b1,15);
    a=a1;
    b=b1;
    for(i=1;i<=length;i++)
    {
        a=a+aincr;
        b=b+bincr;
        putpixel(a,b,15);
    }
    getch();
    closegraph();
    return 0;
}
```

**Output:**



**Conclusion:** Thin line is drawn using DDA line drawing algorithm.

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EXPERIMENT 02*

Experiment No : 2

Aim : Write a program in c/ c++ for DDA line drawing algorithm.

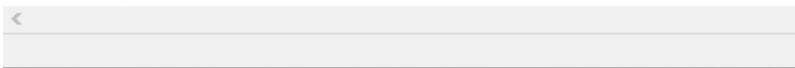
- ii) To draw a dotted line
- iii) To draw a dashed line

Software used : Turbo C++

Source Code:

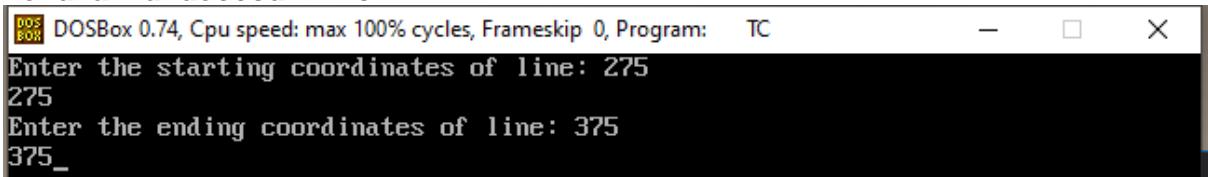
- ii)To draw a dotted line

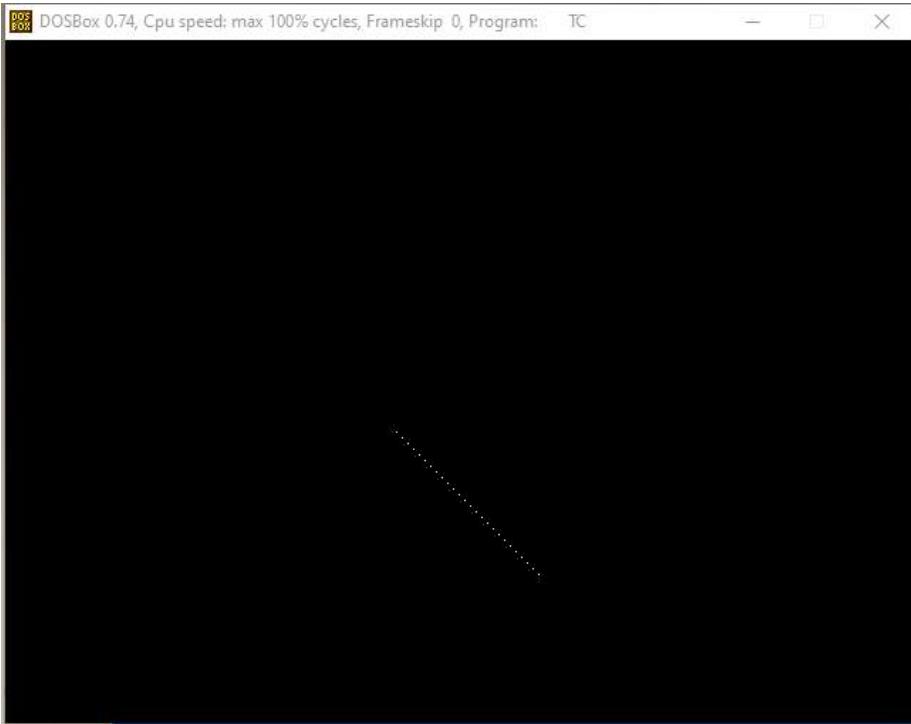
```
DDADottedLine - Notepad
File Edit Format View Help
#include<stdio.h>
#include<graphics.h>
#include<stdlib.h>
#include<stdio.h>
int main(void)
{
    int gdriver=DETECT,gmode;
    int i,a,b,a1,b1,a2,b2,da,db,length,aincr,bincr;
    printf("Enter the starting coordinates of line: ");
    scanf("%d%d",&a1,&b1);
    printf("Enter the ending coordinates of line: ");
    scanf("%d%d",&a2,&b2);
    initgraph(&gdriver,&gmode,"c:\\TURBOC3\\BGI");
    da=abs(a2-a1);
    db=abs(b2-b1);
    if(da>db)
        length=da;
    else
        length=db;
    aincr=da/length;
    bincr=db/length;
    putpixel(a1,b1,15);
    a=a1;
    b=b1;
    for(i=1;i<=length;i++)
    {
        a=a+aincr;
        b=b+bincr;
        if(i%4==0)
        {
            putpixel(a,b,15);
        }
    }
    getch();
    closegraph();
    return 0;
}
```



Output:

- ii)To draw a dotted line





**Source Code:**

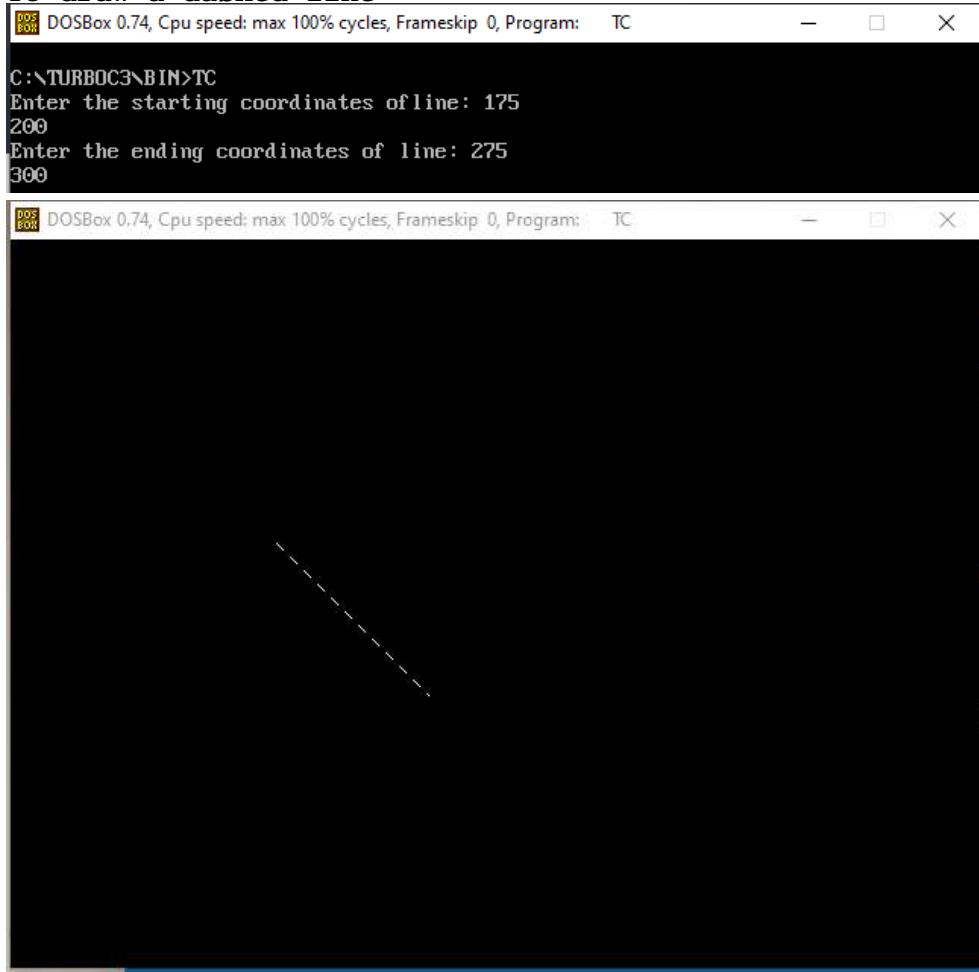
**iii) To draw a dashed line**

DDADashedLine - Notepad

```
File Edit Format View Help
#include<stdio.h>
#include<graphics.h>
#include<stdlib.h>
#include<stdio.h>
int main(void)
{
    int gdriver=DETECT,gmode;
    int i,a,b,a1,b1,a2,b2,da,db,length,aincr,bincr;
    printf("Enter the starting coordinates of line: ");
    scanf("%d%d",&a1,&b1);
    printf("Enter the ending coordinates of line: ");
    scanf("%d%d",&a2,&b2);
    initgraph(&gdriver,&gmode,"c:\\TURBOC3\\BGI");
    da=abs(a2-a1);
    db=abs(b2-b1);
    if(da>db)
        length=da;
    else
        length=db;
    aincr=da/length;
    bincr=db/length;
    putpixel(a1,b1,15);
    a=a1;
    b=b1;
    for(i=1;i<=length;i++)
    {
        a=a+aincr;
        b=b+bincr;
        if((i%9)>4)==0
        {
            putpixel(a,b,15);
        }
    }
    getch();
    closegraph();
    return 0;
}
```

**Output:**

**iii) To draw a dashed line**



**Conclusion:** Dotted and Dashed line are drawn successfully using DDA line drawing algorithm.

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EXPERIMENT 03**

### Experiment No : 3

Aim : Write a program in c/ c++ to implement **Bresenham's line drawing** algorithm.

#### i) To draw a thin line

Software used : Turbo C++

#### Flow Chart :

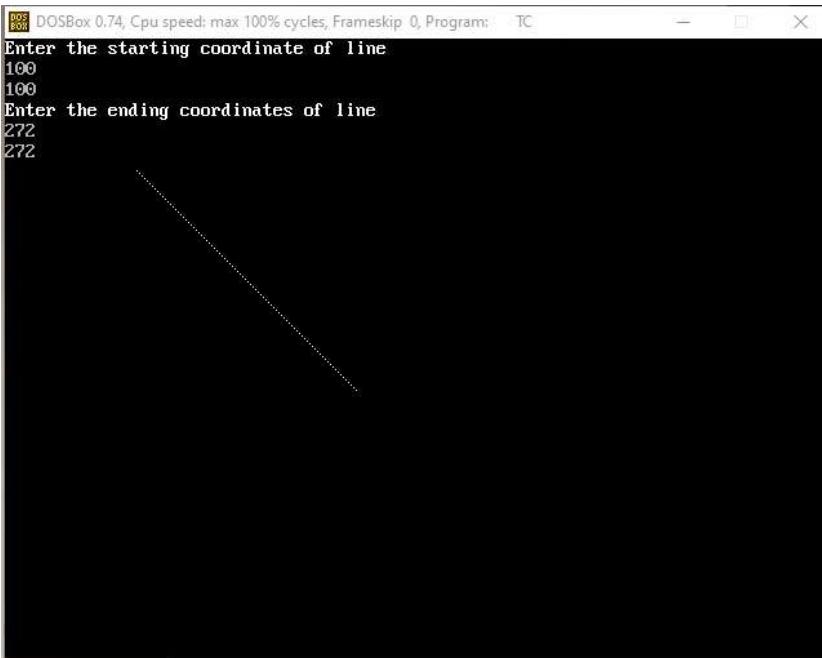


**Source Code:**  Bresenham'sDottedLine - Notepad

i) To draw a dotted line

```
File Edit Format View Help
#include<stdio.h>
#include<graphics.h>
#include<math.h>
void main()
{
    int gd=DETECT,gm,x,y,x1,y1,x2,y2,dx,dy,i,e;
    float xinc,yinc;
    initgraph(&gd,&gm, "C:\\TURBOC3\\BGI");
    printf("Enter the starting coordinate of line\n");
    scanf("%d%d",&x1,&y1);
    printf("Enter the ending coordinates of line\n");
    scanf("%d%d",&x2,&y2);
    dx=x2-x1;
    dy=y2-y1;
    if(x1<x2)
        xinc=1;
    else
        xinc=-1;
    if(y1<y2)
        yinc=1;
    else
        yinc=-1;
    x=x1;
    y=y1;
    if(dx>=dy)
    {
        e=(2*dy)-dx;
        while(x!=x2)
        {
            if(e<0)
                e=e+(2*dy);
            else
            {
                e=e+(2*(dy-dx));
                y=y+yinc;
                y=y+yinc;
            }
            x=x+xinc;
            x=x+xinc;
            putpixel(x,y,WHITE);
        }
    }
    else
    {
        e=(2*dx)-dy;
        while(y!=y2)
        {
            if(e<0)
                e=e+(2*dx);
            else
            {
                e=e+(2*(dx-dy));
                x=x+xinc;
                x=x+xinc;
            }
            y=y+yinc;
            y=y+yinc;
            putpixel(x,y,WHITE);
        }
    }
    getch();
    closegraph();
}
```

**Output - i) To draw a dotted line**



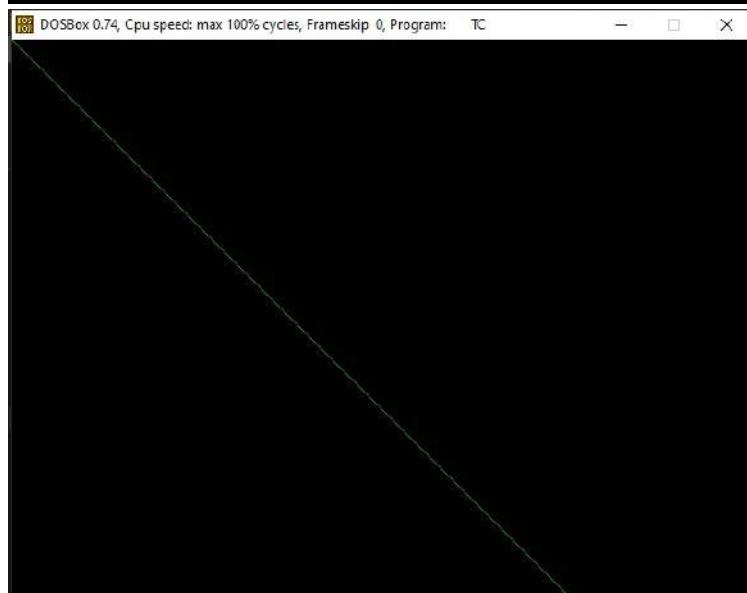
**Source code - Bresenham'sThinLine - Notepad**

**iii) To draw a thin line**

```
File Edit Format View Help
#include<conio.h>
#include<graphics.h>
#include<stdlib.h>
#include<stdio.h>
int main(void)
{
    int gdriver=DETECT,gmode;
    int i,x,y,x1,y1,x2,y2,dx,dy,length,P0;
    printf("Enter the starting coordinate of line\n");
    scanf("%d%d",&x1,&y1);
    printf("Enter the ending coordinates of line\n");
    scanf("%d%d",&x2,&y2);
    initgraph(&gdriver, &gmode, "C:\\TURBOC3\\BGI");
    dx=abs(x2-x1);
    dy=abs(y2-y1);
    if(dx>dy)
        length=dx;
    else
        length=dy;
    putpixel(x1,y1,2);
    x=x1;
    y=y1;
    P0=2*dy- dx;
    for(i=0;i%6<4;i++)
        for(i=0;i<length;i++)
    {
        if(P0<0)
        {
            x=x+1;
            y=y+1;
            putpixel(x,y,2);
            P0=P0+2*y;
        }
        else
        {
            x=x+1;
            y=y+1;
            putpixel(x,y,2);
            P0=P0+2*y-2*dx;
        }
    }
    getch();
    closegraph();
    return 0;
}
```

**Output - iii) To draw a thin line**

```
C:\TURBOC3\BIN>TC
Enter the starting coordinate of line
100
100
Enter the ending coordinates of line
272
272
```



**Conclusion -** Dotted and Thin line are drawn successfully using Bresenham's line drawing algorithm.

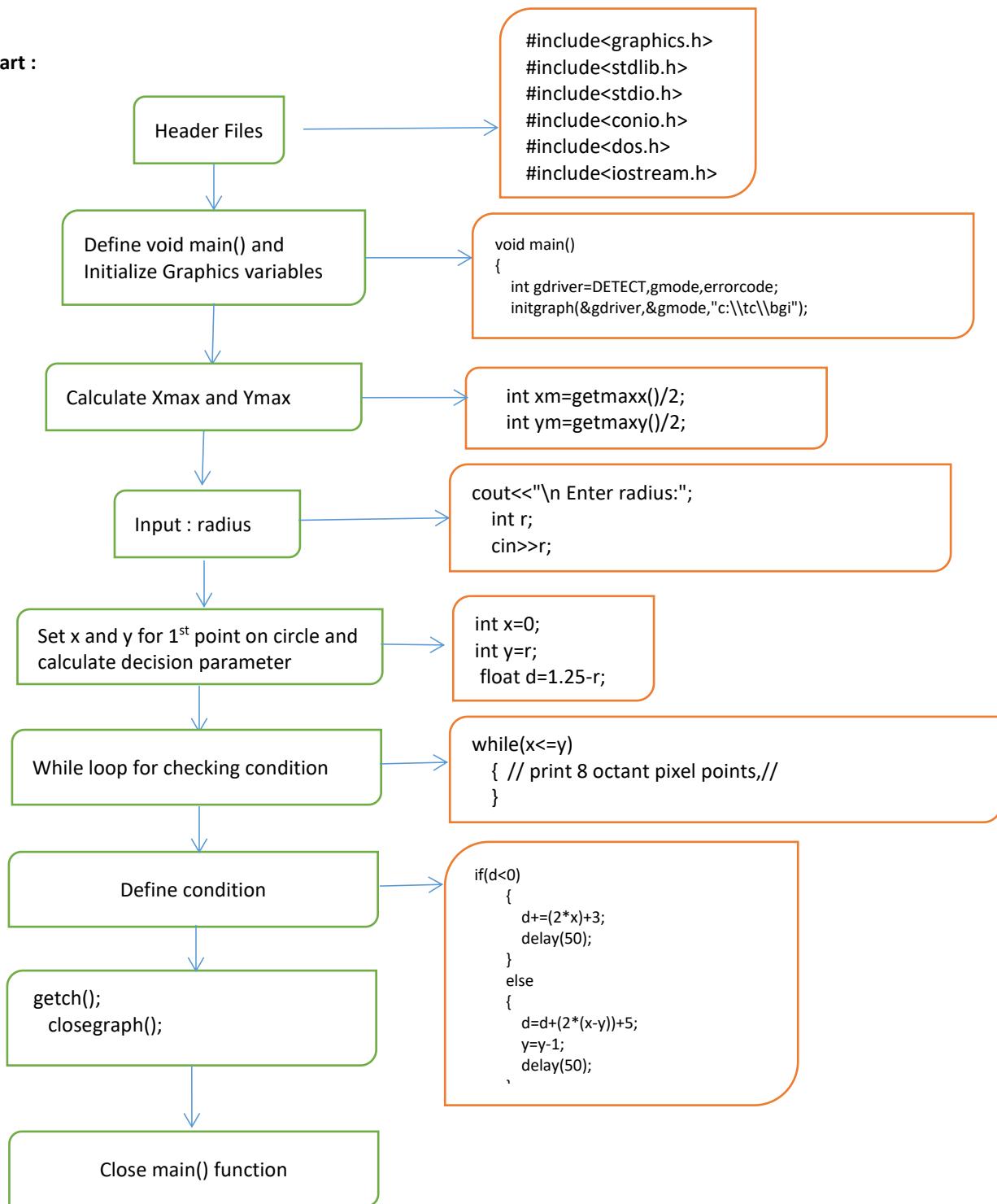
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EXPERIMENT 04**

## Experiment No : 4

Aim : Write a program in c to implement Mid-Point circle generating algorithm.

Software used : Turbo C++

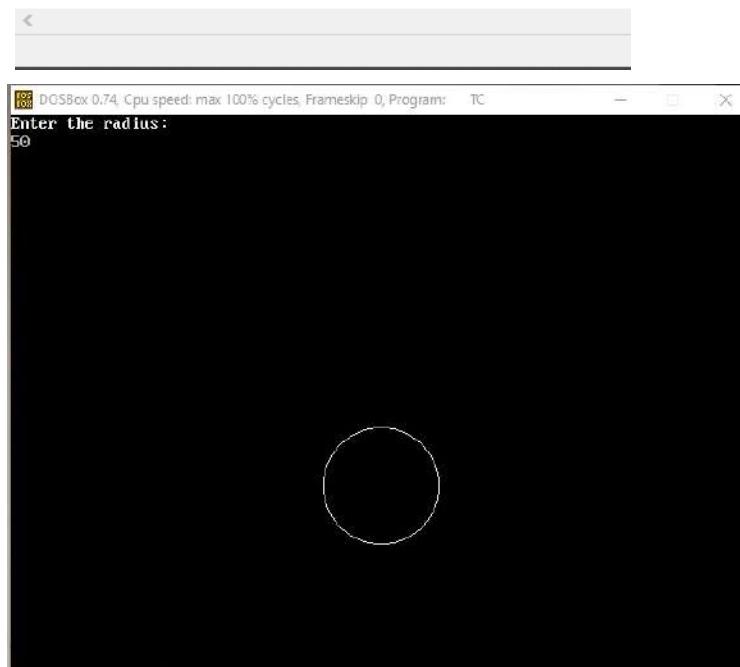
Flow Chart :



## Source Code:

```
Mid-PointCircle - Notepad
File Edit Format View Help
#include<graphics.h>
#include<stdlib.h>
#include<stdio.h>
#include<conio.h>
#include<dos.h>
#include<iostream.h>
void main()
{
    int gdriver=DETECT,gmode,errorcode;
    initgraph(&gdriver,&gmode,"c:\\TURBOC3\\BGI");
    int xm=getmaxx()/2;
    int ym=getmaxx()/2;
    int r;
    printf("Enter the radius: \n");
    scanf("%d",&r);
    int x=0;
    int y=r;
    float d=1.25-r;
    while(x<=y)
    {
        putpixel(xm+x,ym-y,15);
        putpixel(xm+y,ym-x,15);
        putpixel(xm+y,ym+x,15);
        putpixel(xm+x,ym+y,15);
        putpixel(xm-x,ym+y,15);
        putpixel(xm-y,ym+x,15);
        putpixel(xm-y,ym-x,15);
        putpixel(xm-x,ym-y,15);
        if(d<0)
        {
            d+=(2*x)+3;
            delay(50);
        }
        else
        {
            d=d+(2*(x-y))+5;
            y=y-1;
            delay(50);
        }
        x=x+1;
    }
    getch();
    closegraph();
}
```

## Output:



**Conclusion:** We have learnt to implement Mid-Point circle generating algorithm.

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EXPERIMENT 05**

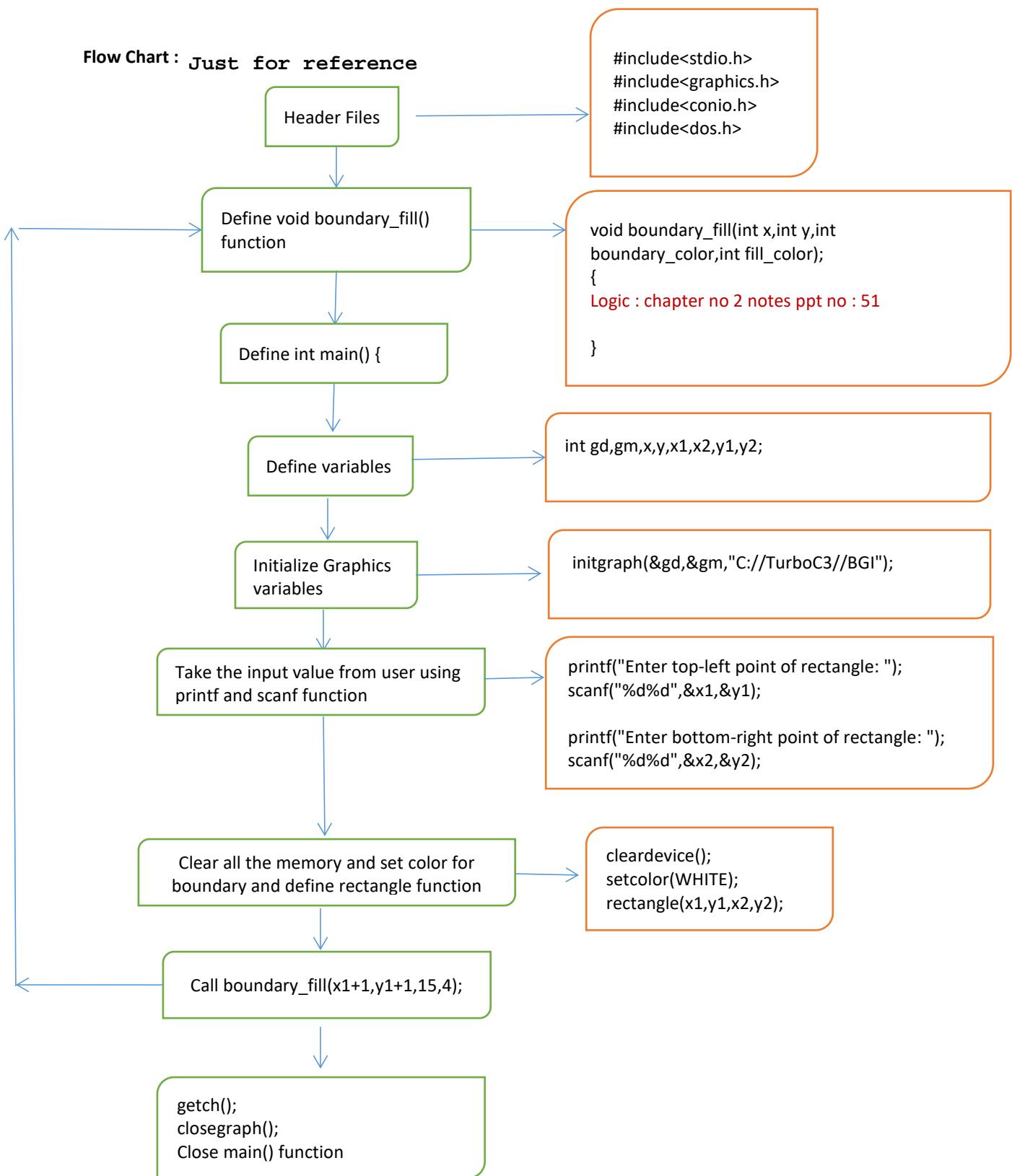
## Experiment No : 5

Aim : Write a program in c to implement

- i) Boundary Fill algorithm ii) Flood Fill algorithm.

Software used : Turbo C++

Flow Chart: Just for reference

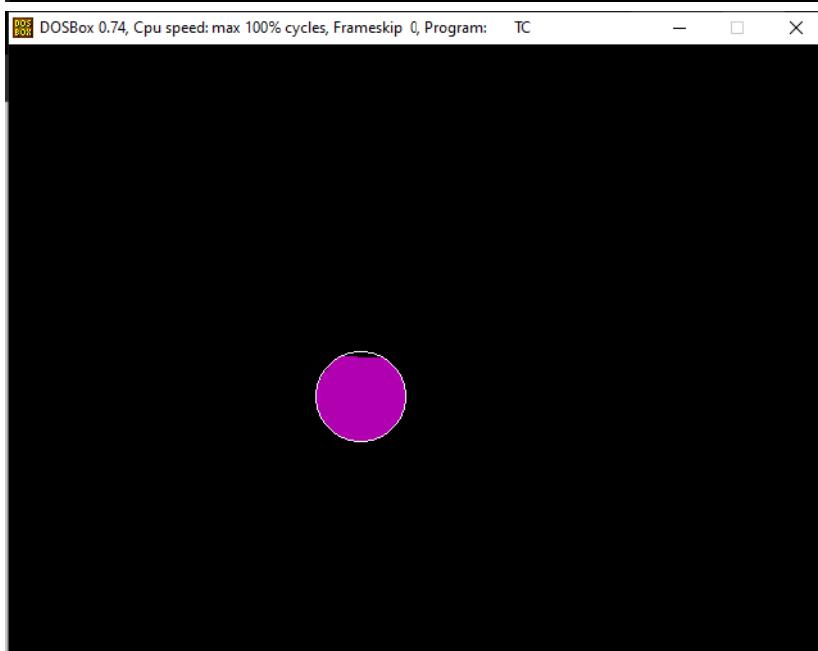


**Source Code: i) Boundary Fill algorithm**

```
BoundaryFillAlgorithm - Notepad
File Edit Format View Help
#include<stdio.h>
#include<graphics.h>
void boundaryfill(int p,int q,int f_color,int b_color)
{
    if(getpixel(p,q)!=b_color && getpixel(p,q)!=f_color)
    {
        putpixel(p,q,f_color);
        delay(1);
        boundaryfill(p+1, q,f_color,b_color);
        boundaryfill(p, q+1,f_color,b_color);
        boundaryfill(p-1, q,f_color,b_color);
        boundaryfill(p, q-1,f_color,b_color);
    }
}
int main()
{
    int gm,gd=DETECT,radius;
    int p,q;
    printf("Enter center coordinates of the circle\n");
    scanf("%d%d",&p,&q);
    printf("Enter radius of circle\n");
    scanf("%d",&radius);
    initgraph(&gd,&gm,"c:\\turboc3\\bgi");
    circle(p,q,radius);
    boundaryfill(p,q,5,15);
    getch();closegraph();
    return 0;
}
```

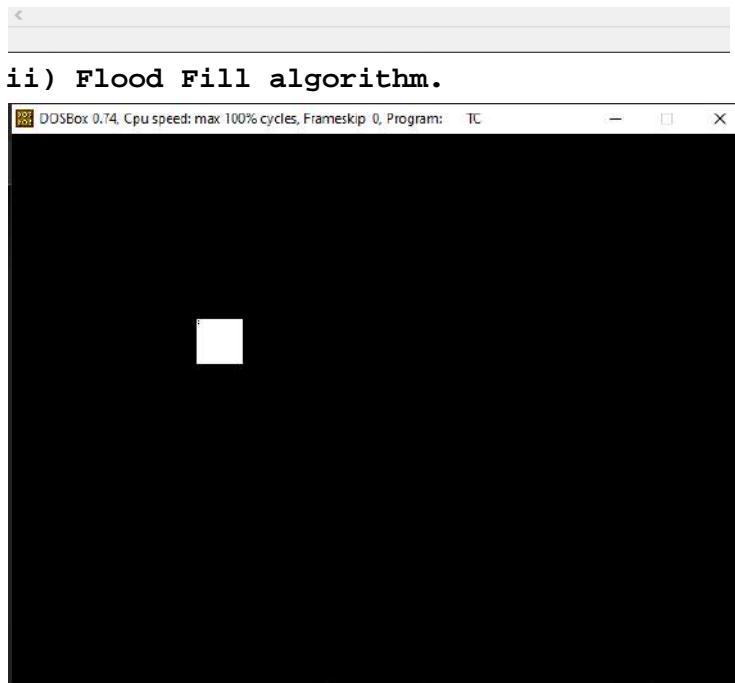
**Output: i) Boundary Fill algorithm**

```
DOSBox 0.74, Cpu speed: max 100% cycles, Frameskip 0, Program: TC
Enter center coordinates of the circle
275
275
Enter radius of circle
35_
```



**Source Code: ii) Flood Fill algorithm.**

```
FloodFillAlgorithm - Notepad
File Edit Format View Help
#include<stdio.h>
#include<graphics.h>
void flood_fill(int p,int q,int old_c,int new_c)
{
    int c;
    c=getpixel(p,q);
    if(c==old_c)
    {
        putpixel(p,q,new_c);
        flood_fill(p+1,q,old_c,new_c);
        flood_fill(p-1,q,old_c,new_c);
        flood_fill(p+1,q+1,old_c,new_c);
        flood_fill(p-1,q-1,old_c,new_c);
        flood_fill(p,q+1,old_c,new_c);
        flood_fill(p,q-1,old_c,new_c);
        flood_fill(p-1,q+1,old_c,new_c);
        flood_fill(p+1,q-1,old_c,new_c);
    }
}
void main()
{
    int gd=DETECT,gm;
    initgraph(&gd,&gm,"c:\\turboc3\\bgi");
    rectangle(161,161,200,200);
    flood_fill(170,170,0,15);
    getch();
}
```



**Output: ii) Flood Fill algorithm.**

**Conclusion :** We learned to perform Boundary Fill algorithm & Flood Fill algorithm through this experiment successfully.

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EXPERIMENT 06**

**Experiment No : 06**

**Aim:** Write a program in c for character generation -bitmap method.

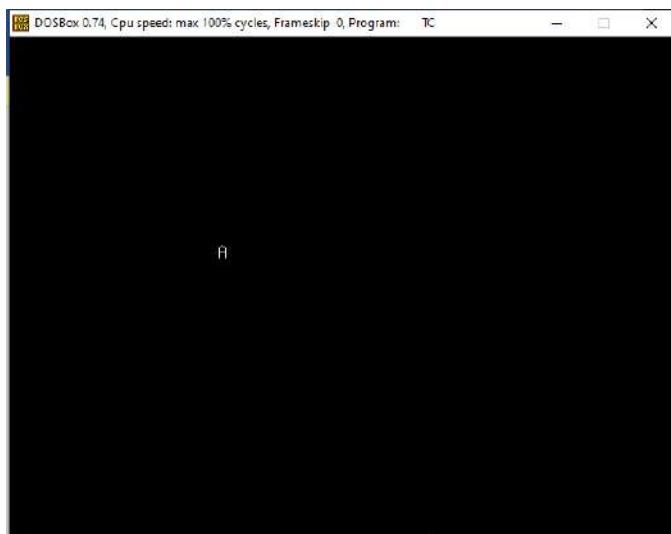
**Software used :** Turbo C++

**Flowchart:**

**Code:**

```
bitMap - Notepad
File Edit Format View Help
#include<stdio.h>
#include<conio.h>
#include<graphics.h>
void main()
{
    int gd,gm,i,j;
    int a[13][9]=
    {
        {0,0,0,0,1,0,0,0,0},
        {0,0,0,1,0,1,0,0,0},
        {0,0,1,0,0,0,1,0,0},
        {0,1,0,0,0,0,0,1,0},
        {0,1,0,0,0,0,0,1,0},
        {0,1,0,0,0,0,0,1,0},
        {0,1,0,0,0,1,1,1,0},
        {0,1,0,0,0,0,0,1,0},
        {0,1,0,0,0,0,0,1,0},
        {0,1,0,0,0,0,0,1,0},
        {0,1,0,0,0,0,0,1,0},
        {0,1,0,0,0,0,0,1,0},
        {0,1,0,0,0,0,0,1,0},
    };
    detectgraph(&gd,&gm);
    initgraph(&gd,&gm, "C:\\TURBOC3\\BGI");
    for(i=0;i<13;i++)
    {
        for(j=0;j<9;j++)
        {
            putpixel(200+j,200+i,15*a[i][j]);
        }
    }
    getch();
    closegraph();
}
```

**Output:**



**Conclusion:** We successfully generated a character generation -bitmap method through this experiment.

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EXPERIMENT 07**

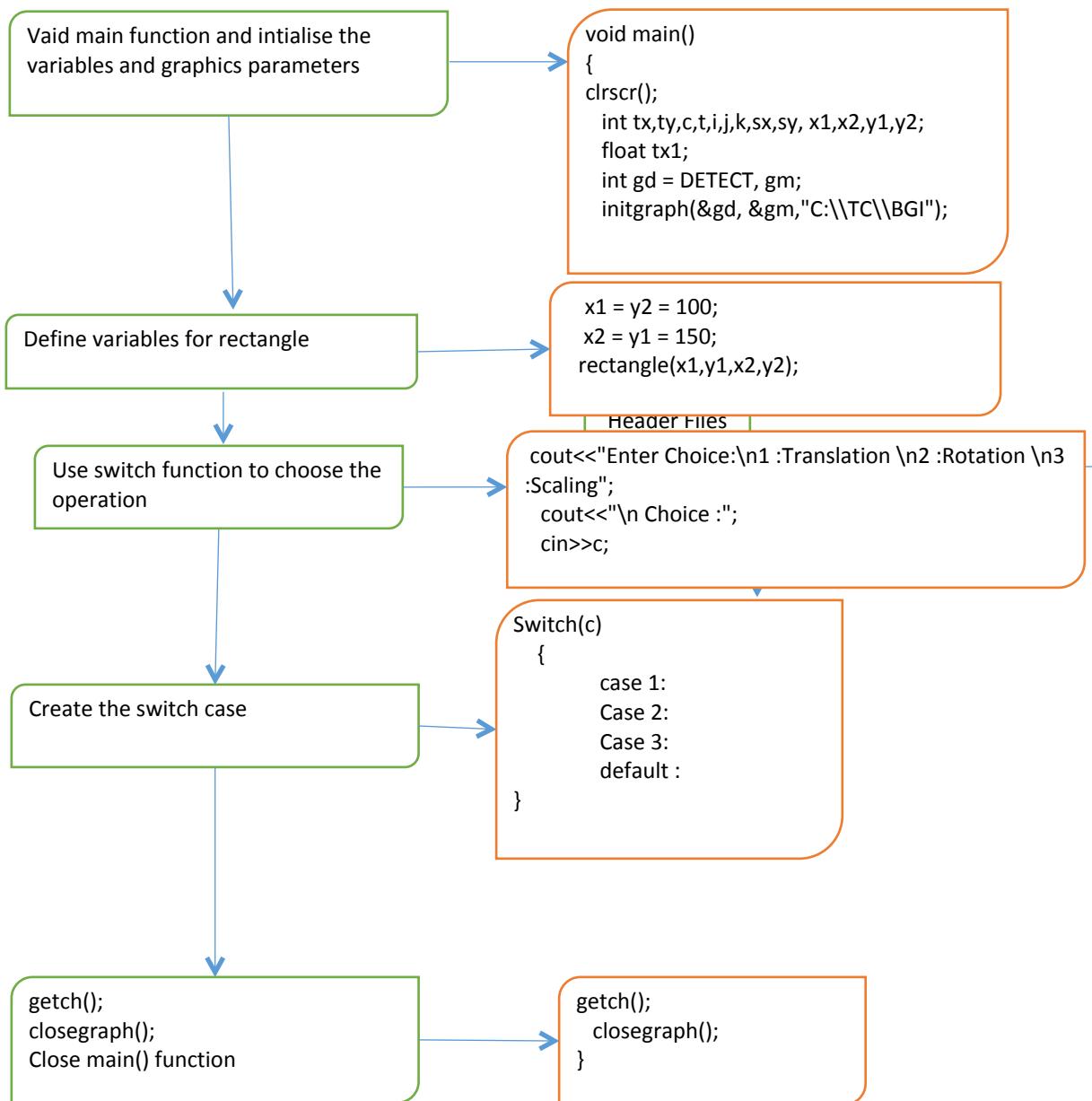
## Experiment No : 7

**Aim :** Write a program in c to implement 2D transformations

- i) Translation
- ii) Rotation
- iii) Scaling

**Software used :** Turbo C++

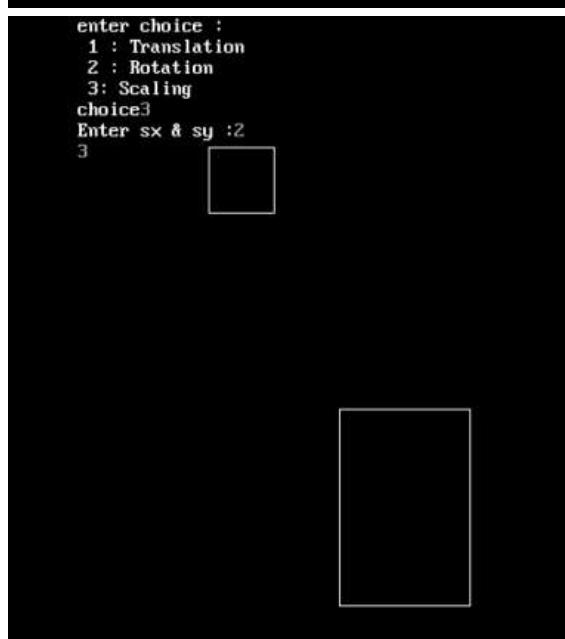
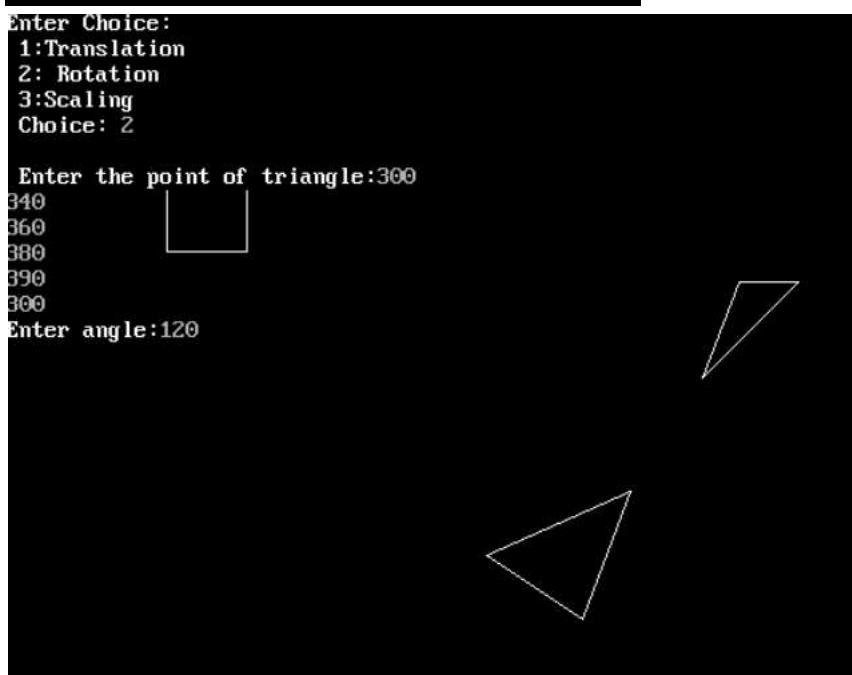
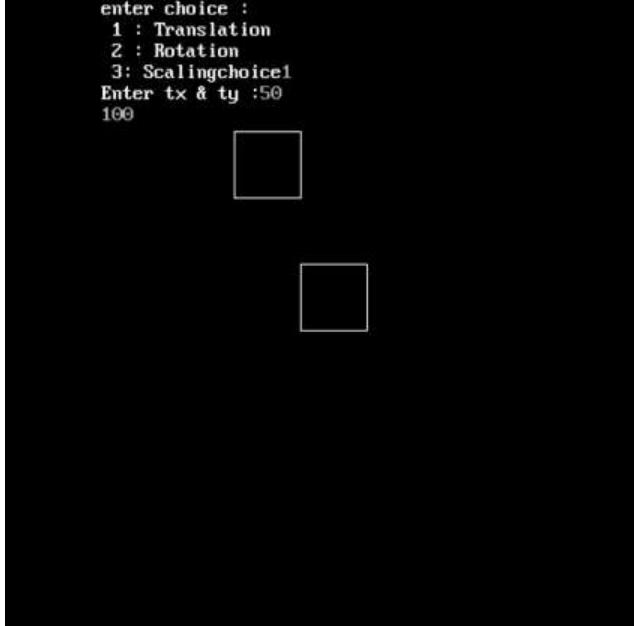
**Flow Chart :**



**Source Code:**  Experiment07 - Notepad

```
File Edit Format View Help
#include<graphics.h>
#include<conio.h>
#include<iostream.h>
#include<math.h>
#include<stdlib.h>
void main()
{
    clrscr();
    int tx,ty,c,t,i,j,k,sx,sy,x1,x2,y1,y2;
    float tx1;
    int gd=DETECT,gm;
    initgraph(&gd,&gm,"C://Turboc3//BGI");
    x1=y2=100;
    x2=y1=150;
    rectangle(x1,y1,x2,y2);
    cout<<"Enter choice :\n 1 : Translation\n 2 : Rotation\n 3: Scaling";
    cout<<"\nchoice";
    cin>>c;
    switch(c)
    {
        case 1:
            int t1,t2,t3,t4;
            cout<<"Enter tx & ty :";
            cin>>tx>>ty;
            t1=x1+tx;
            t2=y1+ty;
            t3=x2+tx;
            t4=y2+ty;
            rectangle(t1,t2,t3,t4);
            break;
        case 2 :
            int X1,Y1,X2,Y2,X3,Y3,r;
            int rx,nx1,ny1,nx2,ny2,nx3,ny3;
            cout<<" \n Enter the point of triangle:";
            cin>>X1>>Y1>>X2>>Y2>>X3>>Y3;
            line(X1,Y1,X2,Y2);
            line(X2,Y2,X3,Y3);
            line(X3,Y3,X1,Y1);
            cout<<"Enter angle : ";
            cin>>r;
            rx=r*(3.14/180);
            nx1=abs(X1*cos(rx)-Y1*sin(rx));
            ny1=abs(Y1*cos(rx)+X1*sin(rx));
            nx2=abs(X2*cos(rx)-Y2*sin(rx));
            ny2=abs(Y2*cos(rx)+X2*sin(rx));
            nx3=abs(X3*cos(rx)-Y3*sin(rx));
            ny3=abs(Y3*cos(rx)+X3*sin(rx));
            line(nx1,ny1,nx2,ny2);
            line(nx2,ny2,nx3,ny3);
            line(nx3,ny3,nx1,ny1);
            break;
        case 3 :
            cout<<"Enter sx & sy : ";
            cin>>sx>>sy;
            rectangle(x1*sx,y1*sy,x2*sx,y2*sy);
            break;
        default :
            cout<<"Not a valid choice";
    }
    getch();
    closegraph();
}
```

**Output:**



**Conclusion:** We have learned the algorithm for scaling, translating and rotating a 2-Dimensional object through this experiment.

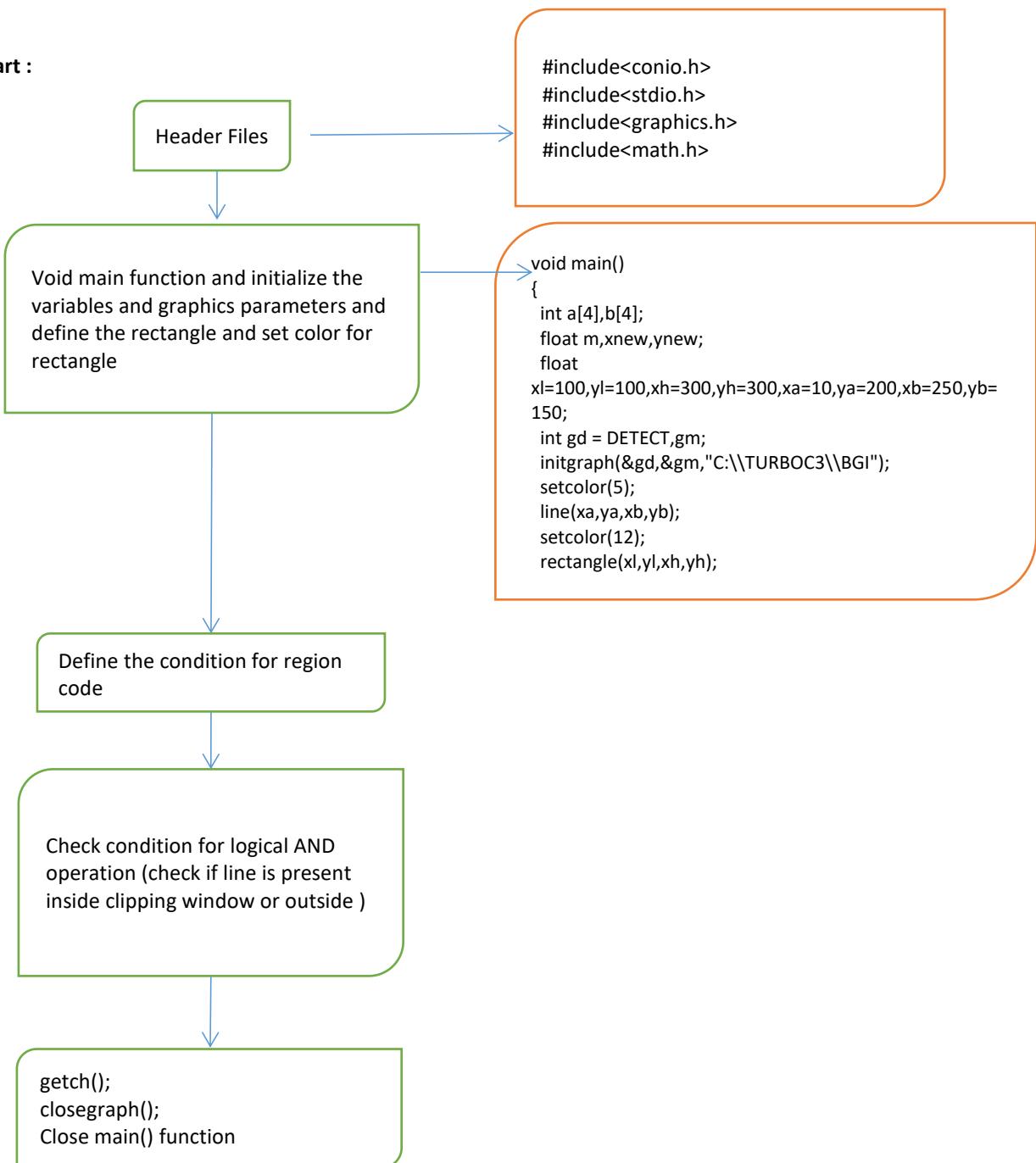
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EXPERIMENT 08**

## Experiment No : 8

**Aim :** Write a program in c to implement Line clipping algorithm Cohen Sutherland

**Software used :** Turbo C++

**Flow Chart :**



## Source Code :

COHENALG.CPP - Notepad

File Edit Format View Help

```
#include<conio.h>
#include<stdio.h>
#include<graphics.h>
#include<math.h>

void main()
{
    int a[4],b[4];
    float m,xnew,ynew;
    float xl=100,yl=100,xh=300,yh=300,xa=10,ya=200,xb=250,yb=150;
    int gd = DETECT,gm;
    initgraph(&gd,&gm,"C:\\TURBOC3\\BGI");
    setcolor(5);
    line(xa,ya,xb,yb);
    setcolor(12);
    rectangle(xl,yl,xh,yh);
    m = (yb-ya)/(xb-xa);

    if(xa < xl)
        a[3] = 1;
    else a[3] = 0;

    if(xa>xh)
        a[2] = 1;
    else a[2] = 0;

    if(ya < yl)
        a[1] = 1;
    else a[1] = 0;

    if (ya > yh)
        a[0] = 1;
    else a[0] = 0;

    if(xb < xl)
        b[3] = 1;
    else b[3] = 0;

    if(xb>xh)
        b[2] = 1;
    else b[2] = 0;

    if(yb < yl)
        b[1] = 1;
    else b[1] = 0;

    if (yb > yh)
        b[0] = 1;
    else b[0] = 0;

    printf("press a key to continue");
    getch();
    if(a[0] == 0 && a[1] == 0 && a[2] == 0 && a[3] == 0 && b[0] == 0 && b[1] == 0 && b[2] == 0 && b[3] == 0 )
    {

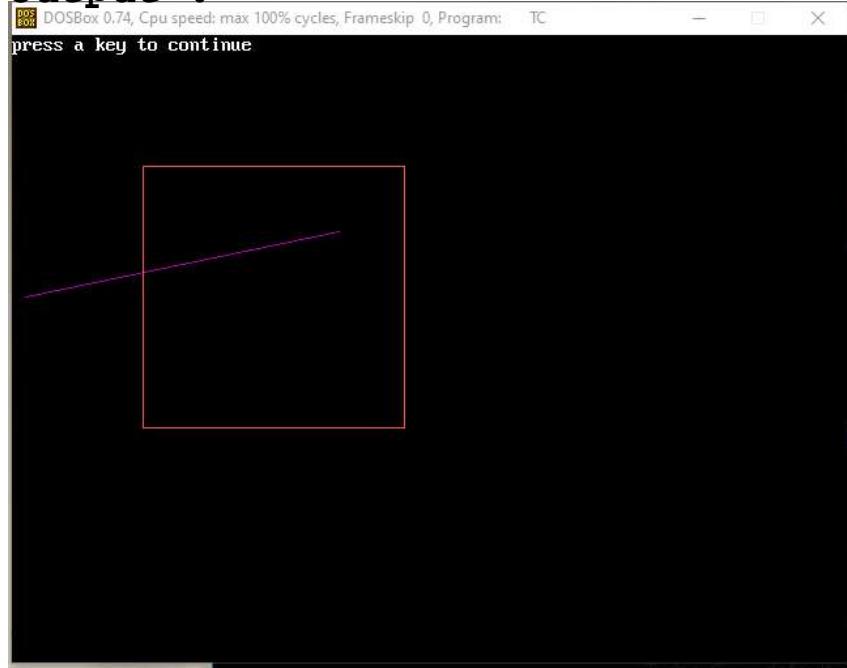
        printf("no clipping");
        line(xa,ya,xb,yb);
    }
    else if(a[0]&&b[0] || a[1]&&b[1] || a[2]&&b[2] || a[3]&&b[3])
    {
        clrscr();
        printf("line discarded");
        rectangle(xl,yl,xh,yh);
    }
    else
    {
        if(a[3] == 1 && b[3]==0)
        {
            ynew = (m * (xl-xa)) + ya;
            setcolor(12);
            rectangle(xl,yl,xh,yh);
            setcolor(0);
            line(xa,ya,xb,yb);
            setcolor(15);
            line(xl,ynew,xb,yb);
        }
    }
}
```

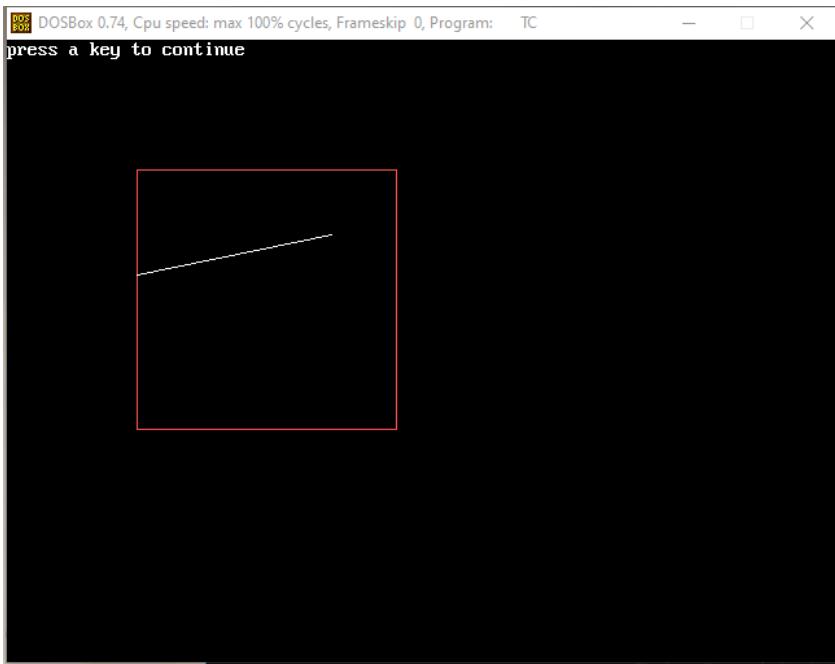
```

else if(a[2] == 1 && b[2] == 0)
{
    ynew = (m * (xh-xa)) + ya;
    setcolor(12);
    rectangle(xl,yl,xh,yh);
    setcolor(0);
    line(xa,ya,xb,yb);
    setcolor(15);
    line(xl,ynew,xb,yb);
}
else if(a[1] == 1 && b[1] == 0)
{
    xnew = xa + (yl-ya)/m;
    setcolor(0);
    line(xa,ya,xb,yb);
    setcolor(15);
    line(xnew,yh,xb,yb);
}
else if(a[0] == 1 && b[0] == 0)
{
    xnew = xa + (yh-ya)/m;
    setcolor(0);
    line(xa,ya,xb,yb);
    setcolor(15);
    line(xnew,yh,xb,yb);
}
getch();
closegraph();
}

```

### Output :





**Conclusion :** We successfully implement Line clipping algorithm using Cohen Sutherland.

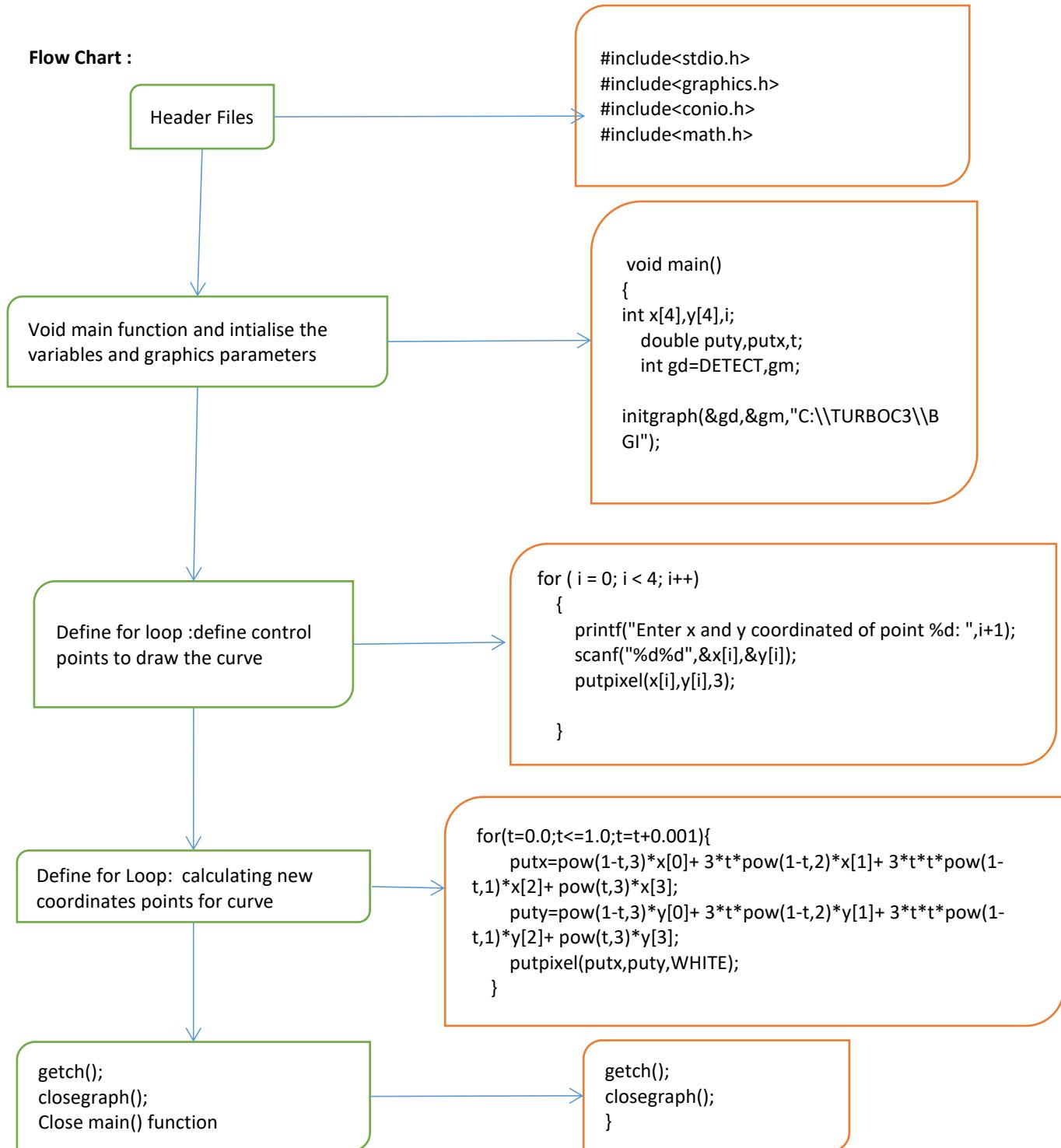
**NAME : PRATHAMESH CHIKANKAR  
ROLL NO. AND YEAR : AIMLD08 AND SE  
BRANCH AND DIV. : CSE(AI&ML) AND D  
SUBJECT : COMPUTER GRAPHICS (CG)  
EXPERIMENT 09**

## Experiment No : 9

Aim : Write a program in c to implement Bezier curve.

Software used : Turbo C++

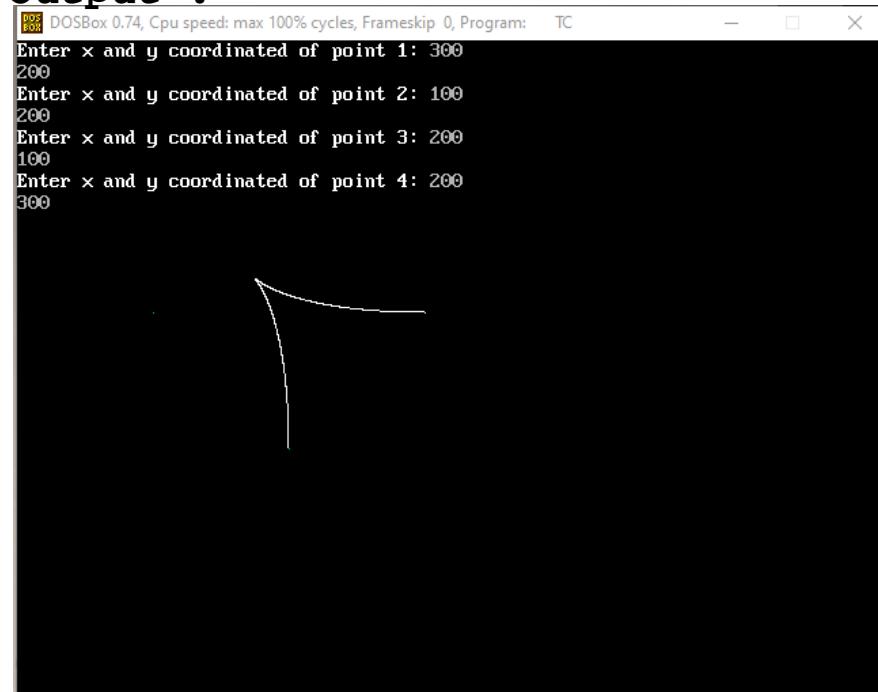
Flow Chart :



## Source Code:

```
B_CURVE.CPP - Notepad
File Edit Format View Help
#include<stdio.h>
#include<graphics.h>
#include<conio.h>
#include<math.h>
void main(){
    int x[4],y[4],i;
    double putx,puty,t;
    int gd=DETECT,gm;
    initgraph(&gd,&gm,"C:\\TURBOC3\\BGI");
    for ( i = 0; i < 4; i++)
    {
        printf("Enter x and y coordinated of point %d: ",i+1);
        scanf("%d%d",&x[i],&y[i]);
        putpixel(x[i],y[i],3);
    }
    for(t=0.0;t<=1.0;t=t+0.001){
        putx=pow(1-t,3)*x[0]+ 3*t*pow(1-t,2)*x[1]+ 3*t*t*pow(1-t,1)*x[2]+ pow(t,3)*x[3];
        puty=pow(1-t,3)*y[0]+ 3*t*pow(1-t,2)*y[1]+ 3*t*t*pow(1-t,1)*y[2]+ pow(t,3)*y[3];
        putpixel(putx,puty,WHITE);
    }
    getch();
    closegraph();
}
```

## Output :



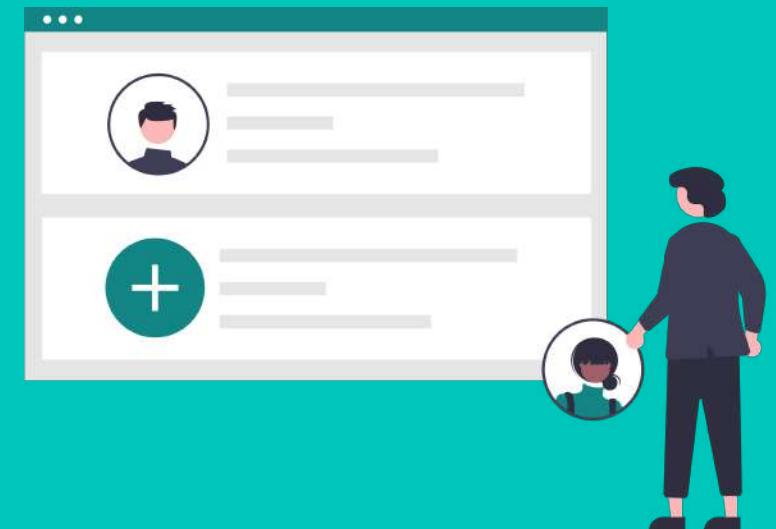
**Conclusion :** We successfully implement Bezier curve through this experiment.

## **Team Members :**

1. AIMLD50\_SINGH SUDHAM DHARMENDRA
2. AIMLD03\_ANSARI HANZALA MOHD IMAMUDDIN
3. AIMLD41\_RUPARELIYA AKSHAR JAYANTI
4. AIMLD08\_CHIKANKAR PRATHAMESH SHIVAJI

# **Computer Graphics Mini Project**

**- GUIDED BY VAIBHAV PALAV**



# Visualization Of Signal Transmission

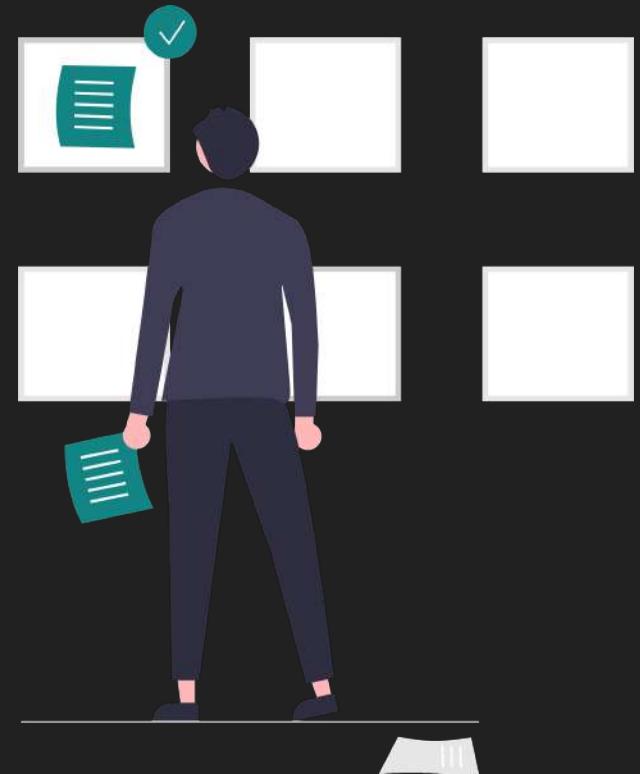
## OUTLINE :

1. Introduction
2. Program
3. Output
4. Conclusion



# Introduction

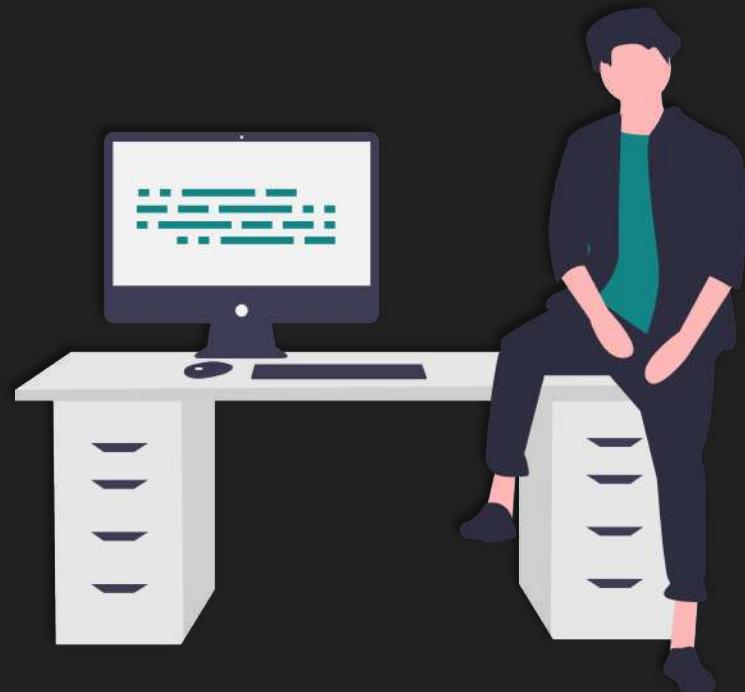
1. In this Mini Project, We are going to develop an Animation using Computer Graphics for Visualization of Signal Transmission .
2. Wireless Communication is the fastest growing and most vibrant technological areas in the communication field.
3. Wireless Communication is a method of transmitting information from one point to other, without using any connection like wires, cables or any physical medium.
4. Antennas are electrical devices that transform the electrical signals to radio signals in the form of Electromagnetic (EM) Waves and vice versa.
5. These Electromagnetic Waves propagates through space. Hence, both transmitter and receiver consists of an antenna.



# Introduction

Some Built-in Functions of Graphics :

1. **initgraph()** : initgraph initializes the graphics system by loading a graphics driver from disk and putting the system into graphics mode.
2. **graphresult()** : graphresult returns the error code for the last graphics operation that reported an error and resets the error level to grOk.
3. **getmaxx()** : getmaxx returns the maximum x screen coordinate for the current graphics driver and mode. getmaxx is invaluable for centering, determining the boundaries of a region onscreen, and so on.
4. **getmaxy()** : getmaxy returns the maximum x screen coordinate



# Program

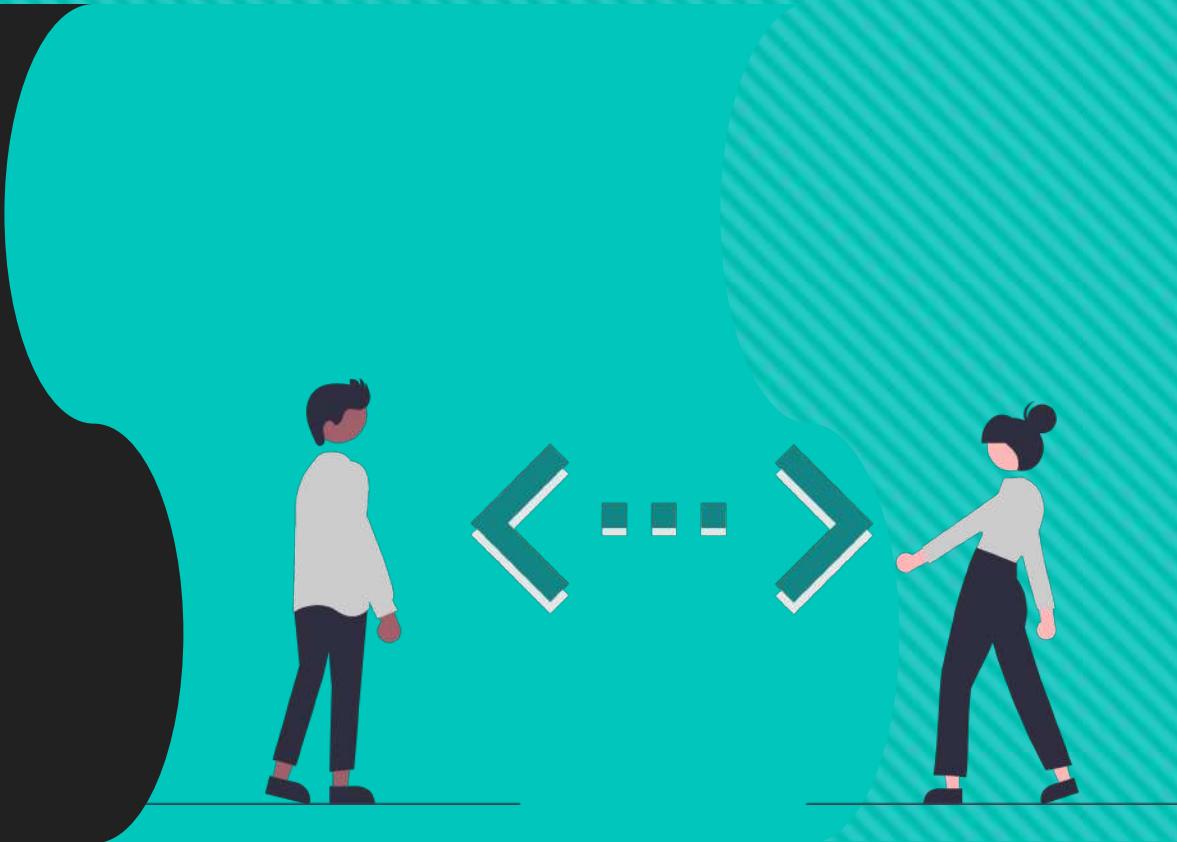
```
#include <stdio.h>
#include <conio.h>
#include <graphics.h>
#include <dos.h>
int main()
{
    int gdriver = DETECT, gmode, err;
    int midx, y, radius = 5;
    int k = 0, stangle, endangle;

    initgraph(&gdriver, &gmode, "C:\\TURBOC3\\BGI");

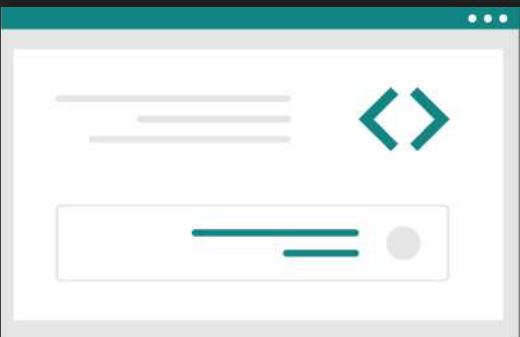
    err = graphresult();
    if (err != grOk)
    {
        /* error occurred */
        printf("Graphics Error: %s\n", grapherrmsg(err));
        getch();
        return 0;
    }
    /* mid position in x-axis */
    midx = getmaxx() / 2;

    /* calculating the position of y */
    y = (3 * getmaxy()) / 4;

    /* start and end angles of signals */
    stangle = 120;
    endangle = 200;
```



# Program



```
while (!kbhit())
{
    k = 0, radius = 5;
    /* clears graphic screen */
    cleardevice();

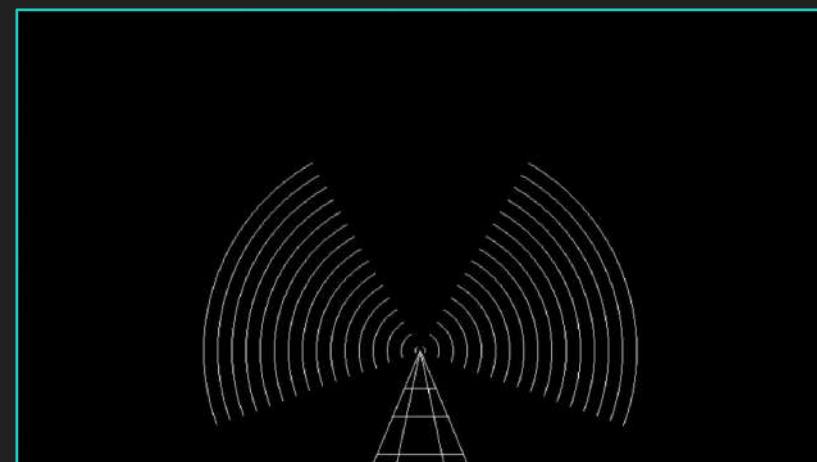
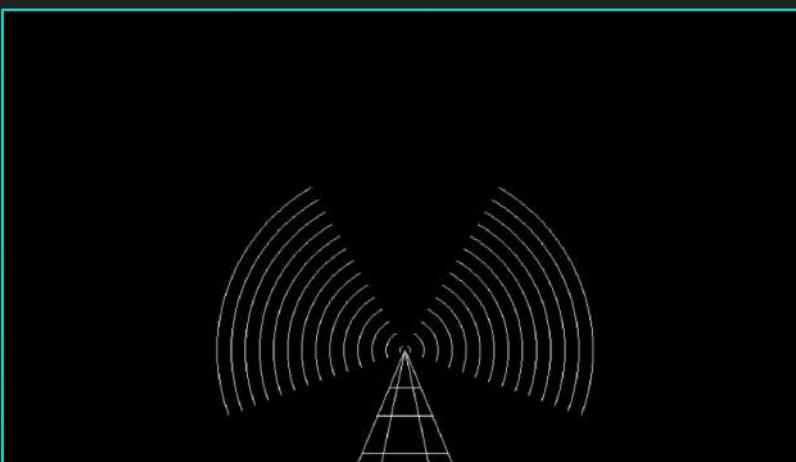
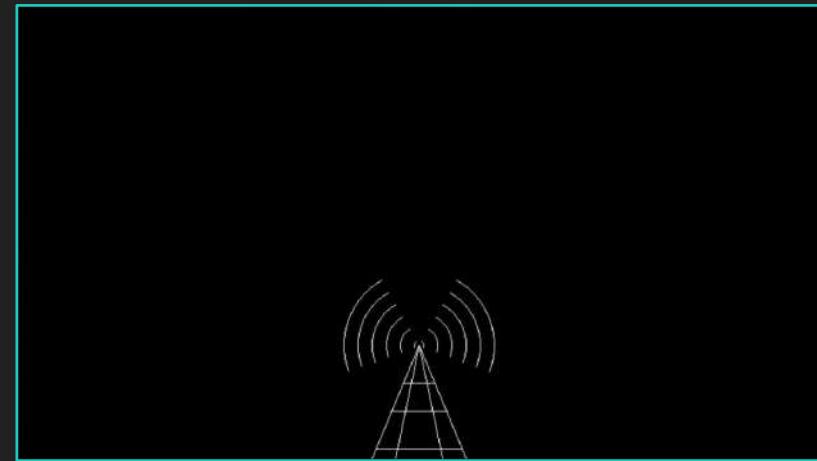
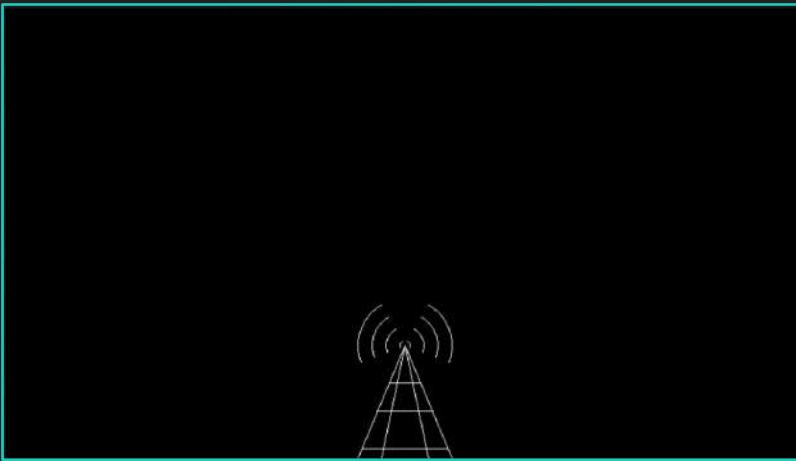
    /* construct antenna using lines */
    line(midx - 50, getmaxy(), midx, y);
    line(midx + 50, getmaxy(), midx, y);
    line(midx - 25, getmaxy(), midx, y);
    line(midx + 25, getmaxy(), midx, y);
    line(midx - 45, getmaxy() - 10, midx + 45, getmaxy() - 10);
    line(midx - 30, getmaxy() - 50, midx + 30, getmaxy() - 50);
    line(midx - 16, getmaxy() - 80, midx + 16, getmaxy() - 80);
    /* signals from the antenna */

    while (k < 18)
    {
        /* signal at the left side */
        arc(midx, y, stangle, endangle, radius);
        /* signal at the right side */
        arc(midx, y, 0, 60, radius);
        arc(midx, y, 340, 360, radius);
        radius = radius + 15;
        delay(50);
        k++;
    }
    getch();

    /* deallocate memory allocated for graphic screen */
    closegraph();

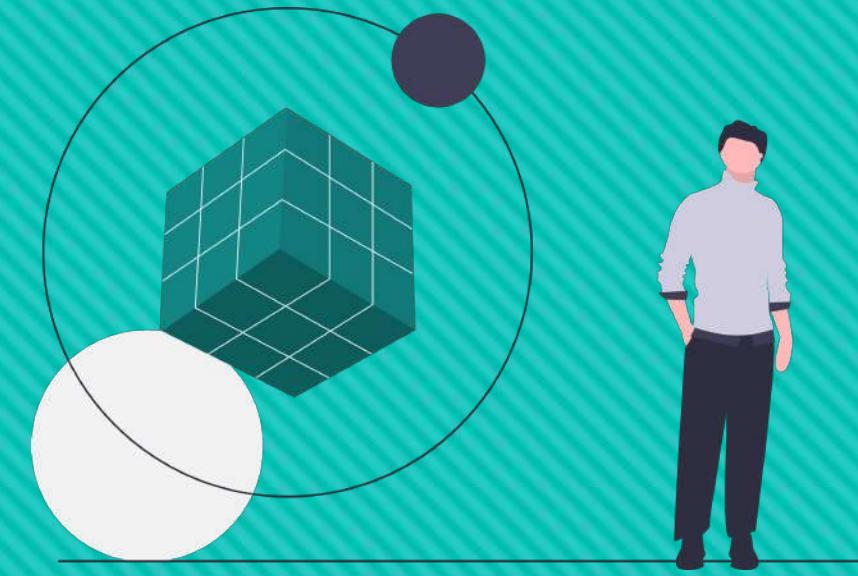
    return 0;
}
```

# Output



# Conclusion

- ✓ From the above program and output, we conclude that the project is able to perform Visualization of Signal Transmission i.e. the Transmission of Electromagnetic Waves from an antennas or Satellites .
- ✓ Aim for the Project is Successfully Achieved !!!



Thank You

Name: Prathagnesh Chikaukar

ROLL NO. and Year: AIMLD08 and SE

Branch and Div.: CSE (AI&ML) and D

Subject: Computer Graphics (CG)

Assignment No. 1

Last date of submission: 20/11/21

Q.1. Differentiate between Raster Scan and Random Scan devices

Ans:-

Raster Scan	Random Scan
Resolution of raster scan is lesser or lower than random scan	while the resolution of random scan is higher than Raster scan
Altitude is not so easy	Any altitude is easy in comparison of Raster scan.
Interlacing is used	Interlacing is not used.
Electron beam is directed from top to bottom & one row at time on screen. It is directed to whole screen.	Electron beam is directed to only that part of screen where picture is required to be drawn, one line at a time.
It stores picture definition as a set of intensity values of the pixels in the frame buffer.	It stores picture definition as a set of line commands in the refresh buffer
example: pen plotter	e.g.- TV sets

Q.2. Explain DDA line drawing algorithm and plots the points for line AB A(10, 15) and B(5, 25) using it.

Ans:- • DDA is an incremental method of scan conversion of line. In this method calculation is performed at each step but by using results of previous steps.

Suppose at step i, the pixels is  $(x, y) = (x_i, y_i)$   
the line of equation for step i  
 $y_i = mx_i + b \rightarrow \text{eqn 1}$

Next value will be

$$y_{i+1} = mx_{i+1} + b \rightarrow \text{eqn 2}$$

$$\therefore m = \Delta y / \Delta x \quad \text{where } \Delta y = y_{i+1} - y_i \rightarrow \text{eqn 3}$$

$$\therefore \Delta x = x_{i+1} - x_i \rightarrow \text{eqn 4}$$

$$\therefore \Delta y = m \Delta x \Rightarrow \Delta x = \Delta y / m$$

$$\therefore x_{i+1} = x_i + \Delta x$$

$$\therefore x_{i+1} = x_i + \Delta y / m$$

case i: when  $|m| < 1$  then

$$x = x_i, y = y_i, \text{ set } \Delta x = 1$$

$$y_{i+1} = y_i + m, \quad x = x_i + 1$$

$$\text{until } x = x_2$$

case ii: when  $|m| > 1$  then

$$x = 1, \quad y = y_i, \text{ set } \Delta y = 1$$

$$x_{i+1} = x_i + 1, \quad y = y_i + m,$$

$$\text{until } y = y_2$$

- Let  $P_1(10, 15)$   $P_2 = (5, 25)$

$$\Rightarrow x_1 = 10 \quad y_1 = 15$$

$$x_2 = 5 \quad y_2 = 25$$

$$\Delta x = 5 - 10 = -5$$

$$\Delta y = 25 - 15 = 10$$

Since  $|\Delta y| > |\Delta x|$ , the length of strip slope category

$$\therefore \text{stips} = |\Delta y|_{\text{abs}} = 10$$

$$X_{\text{incasement}} = \Delta x / \text{stips} = -5/10 = -0.5$$

$$Y_{\text{incasement}} = \Delta y / \text{stips} = 10/10 = 1$$

We know 1st point, lets plot as  $(10, 15)$

$$\therefore X_{\text{new}} = X_{\text{old}} + X_{\text{incasement}} = 10 - 0.5 = 9.5$$

$$Y_{\text{new}} = Y_{\text{old}} + Y_{\text{incasement}} = 15 + 1 = 16$$

The same way we will calculate points till

$Y_{\text{new}}$  becomes equal to  $y_2 = 25$

x	y	plot
10	15	(10, 15)
9.5	16	(9.5, 16)
9	17	(9, 17)
8.5	18	(8.5, 18)
8	19	(8, 19)
7.5	20	(7.5, 20)
7	21	(7, 21)
6.5	22	(6.5, 22)
6	23	(6, 23)
5.5	24	(5.5, 24)
5	25	(5, 25)

Q3. Derive the composite transformation matrix to scale an object with respect to a fixed point.

Ans:- To determine the general form of the scaling matrix with respect to a fixed point  $P(h, k)$  we have to perform three steps:

1. Translate point  $P(h, k)$  at the origin by performing translation ( $T_1$ ).
2. Scale the point or object by performing scaling ( $S$ )
3. Translate the origin back by performing reverse translation ( $T_2$ )

Therefore, the general form of the scaling matrix is a composition of  $T_1 S T_2$  matrices.

It can be given as

$$S_p = T_1 S T_2$$

$$\text{Notation} = \begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ -h & -k & 1 \end{bmatrix} \begin{bmatrix} s_x & 0 & 0 \\ 0 & s_y & 0 \\ 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ h & k & 1 \end{bmatrix}$$

$$= \begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ -h & -k & 1 \end{bmatrix} \begin{bmatrix} s_x & 0 & 0 \\ 0 & s_y & 0 \\ h & k & 1 \end{bmatrix}$$

$$= \begin{bmatrix} s_x(1) & 0 & 0 \\ 0 & (s_y) & 0 \\ -s_x h + s_y k & s_y k & 1 \end{bmatrix}$$

Q. 4. Derive the 2D transformation matrix to reflect a figure about the line  $y = mx$

Ans:- Equation of line  $y = mx + c$

$$\text{Slope } m = \text{y intercept } = c$$

We can relate slope  $m$  to angle  $\theta$  by equation  $m = \tan \theta$

$\therefore \theta = \tan^{-1} m$  ... where  $\theta$  is inclination of line with x-axis

Translation matrix can be given as

$$T = \begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & -c & 1 \end{bmatrix}$$

Rotation matrix to match given line with x-axis can be obtained as

$$R_z = \begin{bmatrix} \cos \theta & -\sin \theta & 0 \\ \sin \theta & \cos \theta & 0 \\ 0 & 0 & 1 \end{bmatrix}$$

Reflection matrix about x-axis

$$M = \begin{bmatrix} 1 & 0 & 0 \\ 0 & -1 & 0 \\ 0 & 0 & 1 \end{bmatrix}$$

Inverse transformation matrices,

$$R_z^{-1} = \begin{bmatrix} \cos \theta & \sin \theta & 0 \\ -\sin \theta & \cos \theta & 0 \\ 0 & 0 & 1 \end{bmatrix} \quad T^{-1} = \begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & -c \\ 0 & 0 & 1 \end{bmatrix}$$

$\therefore$  Final transformation matrix can be obtained

$$R_T = T \cdot R_z \cdot M \cdot R_z^{-1} \cdot T^{-1}$$

$$\sin \theta = \frac{m}{\sqrt{m^2 + 1}} \quad \cos \theta = \frac{1}{\sqrt{m^2 + 1}}$$

...as we have  $\tan \theta = m$ , using trigonometric identities we obtained,

$$R_T = \begin{bmatrix} \cos 2\theta & \sin 2\theta & 0 \\ \sin 2\theta & -\cos 2\theta & 0 \\ -c \sin 2\theta & c(1 + \cos 2\theta) & 1 \end{bmatrix}$$

By substituting values of  $\sin \theta$  and  $\cos \theta$  we have

$$R_T = \begin{bmatrix} \frac{1-m^2}{m^2+1} & \frac{2m}{m^2+1} & 0 \\ \frac{2m}{m^2+1} & \frac{m^2-1}{m^2+1} & 0 \\ \frac{-2cm}{m^2+1} & \frac{2c}{m^2+1} & 1 \end{bmatrix}$$

Q. 5. Specify midpoint circle algorithm using the same plot circle whose radius is 5 units and centre is at (10, 10).

Ans:- The circle has radius as 5 units with centre at (10, 10)

$$\therefore r = 5, x_c = 10, y_c = 10$$

plot 1st point as (15, 10)  
similarly by symmetry

plot (10, 15)  
 (5, 10)  
 (10, 5)

Now find  $p = 1 - r = 1 - 5 = -4$

Till ( $x < y$ ) we have to perform the following  
 if ( $p < 0$ )

$$p = -3$$

so, we have to increment  $x$  by 1  
 modify  $p$  as

$$p = p + 2x + 1$$

$$\text{i.e. } p = -2 + 2 \times 10 + 1 = -1$$

here we are not increment  $y$  plot  
 $(x+1, y)$  i.e. (1, 5)

and if  $p > 0$  thru  $x = x+1$ ,  $y = y-1$  &  
 put  $p = p + 2(x-y) + 1$   
 plot ( $x+1, y-1$ ).

$\therefore x$	$y$	$d$	pixel
0	5	-4	(10, 15)
1	5	-4 + 2 \times 1 + 1	(11, 15)
2	4	-1 + 2 \times 2 + 1	(12, 15)
3	3	14 + 2 \times 3 + 1	(13, 13)
4	2	11 + 2 \times 4 + 1	(14, 12)
5	1	20 + 2 \times 5 + 1	(15, 11)

Name : Psatharangesh chikaukas

Roll No. and year : AIMLD08 and SE

Branch and Div. : CSE-(AI&ML) and D

Subject : Computer Graphics (CG)

Assignment No. 2

Last date of submission : 25/11/21

1. What is the purpose of Inside-outside Test, explain any one method

Ans:-

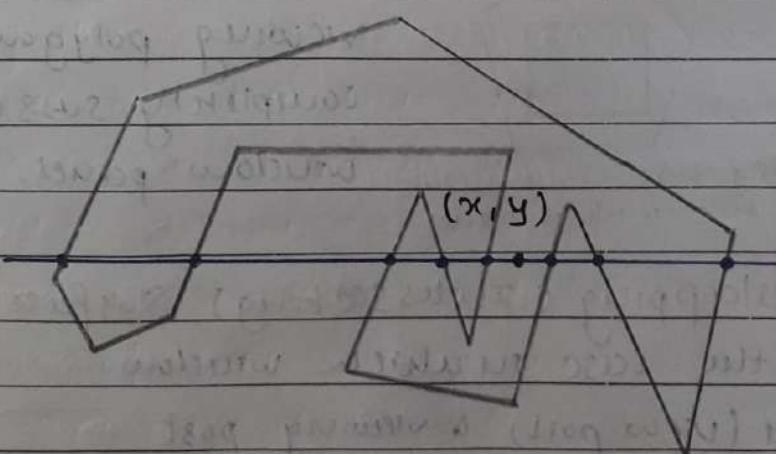
Inside - outside test:

This method is also known as counting number method. While filling an object, we often needs to identify whether particular point is inside the object or outside it. There are two methods by which we can identify whether particular point is inside an object or outside.

2. Odd-Even Rule

Odd-Even rule:

In this technique, we will count the degree the edges crossing along the line from any point  $(x, y)$  to infinity. If the number of intersections is odd, then the point  $(x, y)$  is an interior point; and if the number of intersections is even, then the point  $(x, y)$  is an exterior point. The following example depicts this concept.



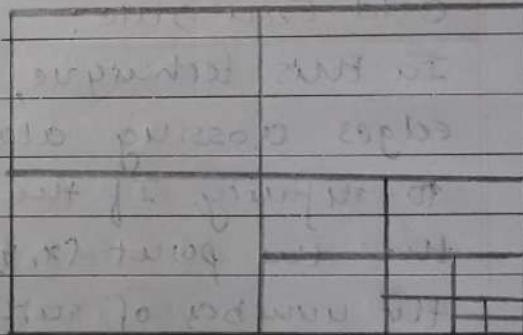
From the above figure, we can see that from the point  $(x, y)$  the number of intersections point

on the left side is 5 and on the right side is 3. From the both ends, the number of intersection point is odd, so that the point is considered within object.

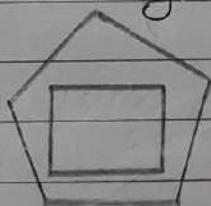
2. Explain Area subdivision algorithm for hidden surface removal.

Ans:- The area subdivision algorithm is based on the divide and conquer methods where the visible (viewing) area is successively divided into smaller and smaller rectangles until the simplified area is detected. Considered given with the window panel, where the polygon will be projected, is as follows:

When we subdivided the window panel against the polygon we may come through the following cases which are as follows:



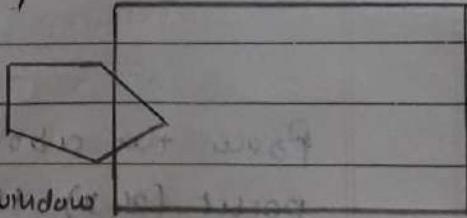
### 1. surrounding surface:



It's the case in which the viewing polygon surface completely surrounds the whole polygon has circumscribed window panel.

### 2. overlapping (intersecting) surface:

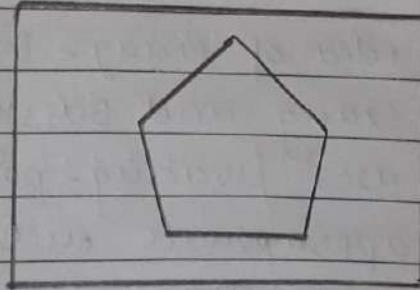
It's the case in which window panel (view port) & viewing port polygon surface both intersects each other.



Both window panel & polygon are overlapping each other surface.

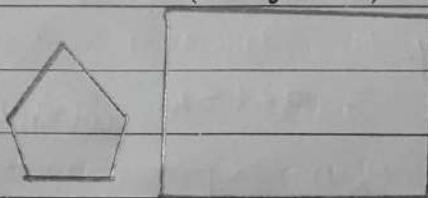
3. Inside (contoured) surface:

In this case, in which the whole polygon surface is inscribed inside the window panel. This case is just opposite to the first (surrounding surface) case.



complete polygon has inscribed inside the window panel.

4. Outside (disjoint) surface:



In this case, the whole polygon surface is completely outside the window panel.

Polygon is completely outside of the window panel.

3. Explain Liang-Barsky line clipping algorithm, what is its benefits over Cohen-Sutherland algorithm? clip the line with co-ordinates (5,10) and (35,30) against the window ( $x_{min}, y_{min} = (10,10)$  and  $(x_{max}, y_{max}) = (20,20)$ .

Ans:- The Liang-Barsky algorithm uses the parametric equation of a line and inequalities describing the range of the clipping box to determine the intersections b/w the line and clipping box. With these intersections it knows which portion of the line should be drawn. This algorithm is more efficient than Cohen-Sutherland. The idea is for clipping line of Liang-Barsky and Cyrus-Beck are the same. The only difference is Liang-Barsky algorithm has been optimized for an up-right rectangular clip window. So we will study only the

Idea of Wang-Bassky.

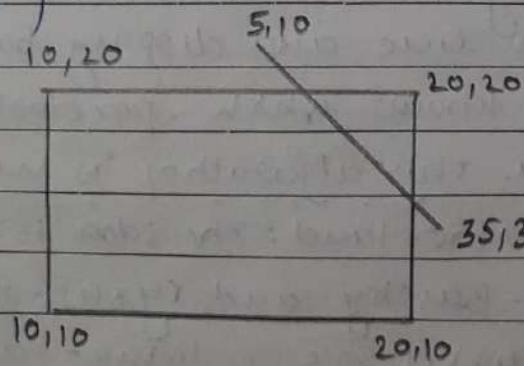
- Wang and Bassky have created an algorithm that uses floating-point arithmetic but finds the appropriate ends points with at most four computations. This algorithm uses the parametric equations for a line and solves for inequalities to find the range of the parameters for which the line is in viewpoint.
- Let  $P(x_1, y_1), Q(x_2, y_2)$  be the line which we want to study.

The parametric equation of line segment from gives  $x$ -value and  $y$ -value for every point point in terms of a parameter that ranges from 0 to 1. The

eqns are:  $x = x_1 + (x_2 - x_1) * t = y_1 + dy * t$   
and  $y = y_1 + (y_2 - y_1) * t = x_2 + dx * t$

We can see that when  $t=0$  the point computed is  $P(x_1, y_1)$  and when  $t=1$ , the point computed is  $Q(x_2, y_2)$ .

- Let's first draw the window and line as shown in fig.



Given things are

$$X_L = 10, Y_B = 10, X_R = 20$$

$$Y_T = 20$$

Let's call a line AB with its coordinates as  $x_1 = 5, y_1 = 10, x_2 = 35, y_2 = 30$

Now we have to find  $D_x$  and  $D_y$  as

$$D_x = x_2 - x_1 = 35 - 5 = 30$$

$$Dy = Y_2 - Y_1 = 30 - 10 = 20$$

lets calculate the values of parameters P and Q as

$$P_1 = -Dx = -30$$

$$P_2 = Dx = 30$$

$$P_3 = -Dy = -20$$

$$P_4 = Dy = 20$$

$$\text{Now, } Q_1 = X_1 - X_L = 5 - 10 = 5$$

$$Q_2 = X_R - X_2 = 20 - 15 = 5$$

$$Q_3 = Y_1 - Y_B = 10 - 10 = 0$$

$$Q_4 = Y_T - Y_2 = 20 - 10 = 10$$

Now lets find P,

$$P_1 = Q_1 / P_1 = -5 / (-30) = (1/6)$$

$$P_2 = Q_2 / P_2 = 5 / 30 = (1/2)$$

$$P_3 = Q_3 / P_3 = 0 / (-20) = 0$$

$$P_4 = Q_4 / P_4 = 10 / 20 = (1/2)$$

$$\text{Now } t_1 = \max(1/6, 0, 0) = 1/6$$

$$t_2 = \min(1/2, 1/2, 0) = 1/2$$

$$\text{Now } X_1' = X_1 + Dx * t_1 \Rightarrow 5 + 30 * (1/6) \Rightarrow 10$$

$$Y_1' = Y_1 + Dy * t_1 \Rightarrow 10 + (20) * (1/6) \Rightarrow 13.33$$

And with  $t_2$  it will be

$$X_2' = X_1 + Dx * t_2 \Rightarrow 5 + 30 * (1/2) \Rightarrow 20$$

$$Y_2' = Y_1 + Dy * t_2 \Rightarrow 10 + (20) * (1/2) \Rightarrow 20$$

from this will come to know that a point (20, 20) is an intersecting point with respect to the edge of the window boundary. so we need to discard the line from point (5, 10) to (5, 13.33) and consider line (20, 20) to (35, 30).

4.

Define window, view post, object in object space, Image in image space, world coordinate system, physical device coordinate system, obtain viewing transformation matrix.

Ans:-

window: A world-coordinate area selected for display is called a window. In computer graphics a window is a graphical control element.

viewpost: An area on a display device to which a window is mapped is called a viewpost. A viewpost is a polygon viewing region in computer graphics.

object in object space: Space where object model resides. comprises objects and its part of objects to each other within the scene defined to determine which surfaces, as a whole, we should label as visible.

Image in image space: the optical space co-ordinating the visual representation or component of scene.

world coordinate system: Once the individual object shapes have been specified, we can place the objects into appropriate position within the scene using a reference frame called world coordinate. object space contains the denotation as array.

physical device coordinate system: The corresponding coordinate system on the display device where the image of the picture is displayed.

Obtain viewing transformation matrix: Mapping of coordinates of points and lines that form the picture into appropriate coordinates on the display device.

5. What is meant by parallel and perspective projection? Define matrix for perspective projection.

Ans:- Parallel projection:

- i) In 1D projection, z-coordinates is discarded & lines from each vertex on the object are extended until they intersect the view plane.
- ii) The point of intersection is the projection of vertex.
- iii) we connect the projected vertices by true segments which correspond to connections on the original object.
- iv) A 1D projector preserves relative position of objects
- v) accurate views of the various sides of an object are obtained with a 1D projector. But not a realistic representation.

Perspective projection:

- i) In perspective projector, the line of projection isn't 1D.
- ii) perspective projector transforms object position to the view plane while converging to centre point of projector.
- iii) In this all the projectors converge at a single point called "Centre of projector" or "Projector reference point".
- iv) perspective projector produces realistic views but does not preserve relative proportions.
- v) projectors of distant objects are smaller than the projectors of objects of the same size that are closer to the projection plane.

Matrix for perspective projector:

Let us consider the centre of projector is at  $P_C(x_C, y_C)$

$P_C(x_C, y_C, z_C)$  and the point on object is  $P_1(x_1, y_1, z_1)$ . Then the parametric eqn for the line containing these points can be given as

$$x_2 = x_C + (x_1 - x_C)U$$

$$y_2 = y_C + (y_1 - y_C)U$$

$$z_2 = z_C + (z_1 - z_C)U$$

for projected point

$z_2$  is 0, therefore the third equation can be written as

$$0 = z_C + (z_1 - z_C)U$$

$$U = -z_C/z_1 - z_C$$

Substituting value of  $U$  in first two eqns we get,

$$x_2 = (x_C - z_C) * (x_1 - x_C) / (z_1 - z_C)$$

$$= x_C z_1 - x_C z_C - x_1 z_C + x_C z_C / z_1 - z_C$$

$$= x_C z_1 - x_1 z_C / z_1 - z_C$$

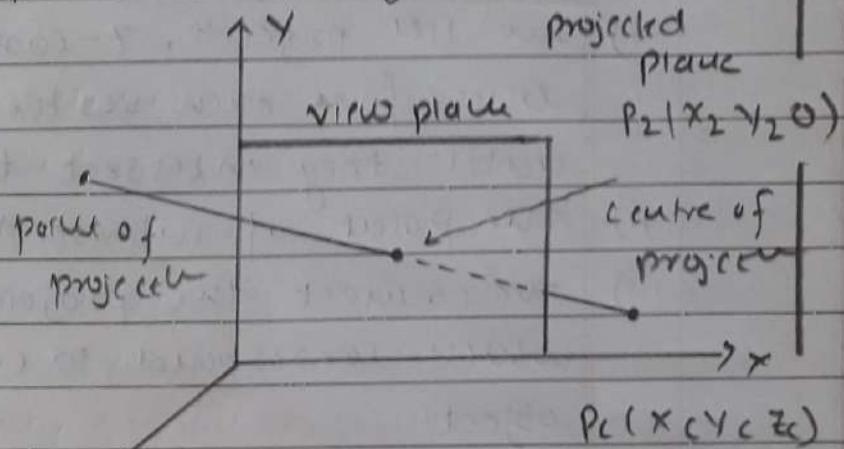
$$y_2 = (y_C - z_C) * (y_1 - y_C) / (z_1 - z_C)$$

$$= y_C z_1 - y_C z_C - y_1 z_C + y_C z_C / z_1 - z_C$$

The above eqn can be represented in the homogeneous matrix form as given below,

$$\begin{bmatrix} x_2 \\ y_2 \\ z_2 \\ 1 \end{bmatrix} = \begin{bmatrix} x_1 & y_1 & z_1 & 1 \end{bmatrix} \begin{bmatrix} -z_C & 0 & 0 & 0 \\ 0 & -z_C & 0 & 0 \\ x_C & y_C & 0 & 1 \\ 0 & 0 & 0 & -z_C \end{bmatrix} \begin{bmatrix} -z_C & 0 & 0 & 0 \\ 0 & -z_C & 0 & 0 \\ x_C & y_C & 0 & 1 \\ 0 & 0 & 0 & -z_C \end{bmatrix}$$

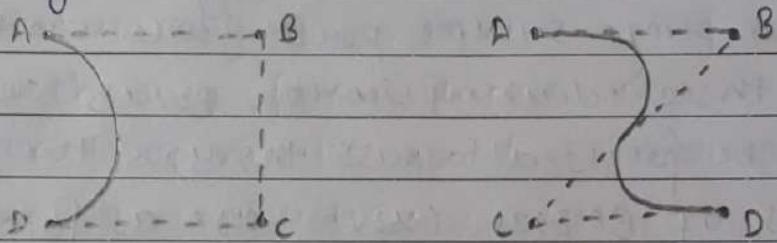
Here we have taken the centre of projector as  $P_C(x_C, y_C, z_C)$  if we take the centre of projector on the -ve  $z$  axis such that  $x=0, y=0$  and  $z=-z_C$



6. Explain Bezier curve and B-spline curve? State the various properties of Bezier curve.

Ans:- Bezier curve:

- It is a different way of specifying a curve, rather same shapes can be represented by B-spline and Bezier curve. The cubic Bezier curve requires four sample points, these points completely specify the curve.

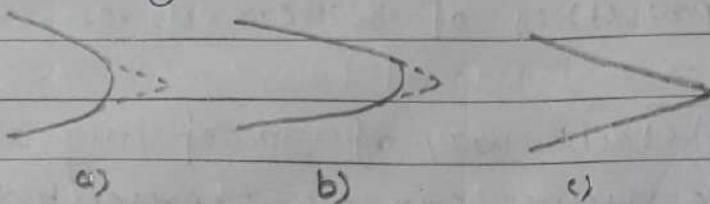


- The curve begins at the first sample point and ends at fourth point. If we need another Bezier curve then we need another four sample points. But if we need two Bezier curves connected to each other, then with six sample points we can achieve it. For this, the third and fourth point of first curve should be made same as first & second point of curve.

B-spline curve:

- A set of blending functions which takes two approach is called B-splines. Basically spline means a string, which we have to move around the sample points. Generally the B-spline blending functions were designed to eliminate sharp corners in the curve and the curve does not usually pass through the sample points. But if we need sharp corners we can produce it by

using many arbitrary sample points.



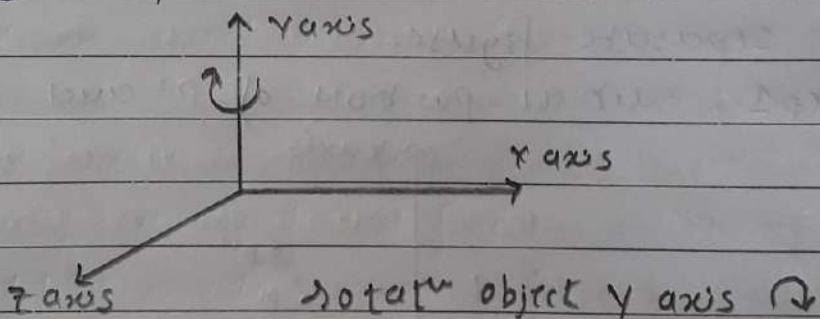
- Fig a) shows the curve using one sample point.
  - Fig b) shows the curve using two identical sample points. It means we are calling the blending function for same sample point twice. And fig. c) shows if three arbitrary sample points are used the curve will be focused to pass through the sample points.
- Properties of Bezier curve are as follows:

1. The basic function are real in nature.
2. Bezier curve always passes through the first and last control points i.e. curve has same end points as the guiding polygon.
3. The degree of polynomial defining the curve segment is one less than the number of defining polygon point.
4. The curve generally follows the shape of the defining polygon.
5. The curve lies lies entirely within the convex hull formed by four control points.
6. The curve is invariant under an affine transform.
7. The direction of tangent vector at the end point is same as that of the vector determined by first and last segments.
8. The curve exhibits variation diminishing property.

7. Explain 3D rotation about an arbitrary axis.

Ans:- When the object is rotated about an axis that is not parallel to any one of coordinate axes, i.e.  $x, y, z$ . Then additional transformation are required. First of all, alignment is needed, and then the object is being back to the original position. Following steps are required.

1. Translate the object to the origin.
2. Rotate object so that axis of object coincide with any of coordinate axis.
3. Perform rotation about co-ordinate axis with whom coinciding is done.
4. Apply inverse rotation to bring object back to the original position.

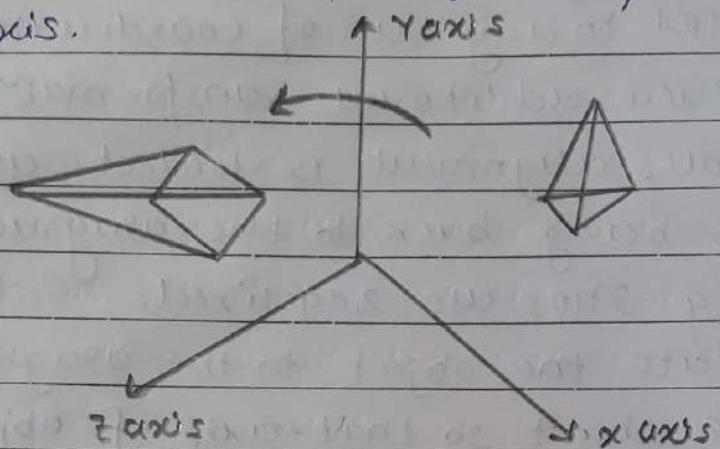


Matrix for representing 3-D rotation about

$z$ -axis      |       $x$ -axis      |       $y$ -axis

$\begin{pmatrix} \cos\theta & -\sin\theta & 0 & 0 \\ \sin\theta & \cos\theta & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 \end{pmatrix}$	$\begin{pmatrix} 1 & 0 & 0 & 0 \\ 0 & \cos\theta & -\sin\theta & 0 \\ 0 & \sin\theta & \cos\theta & 0 \\ 0 & 0 & 0 & 1 \end{pmatrix}$	$\begin{pmatrix} \cos\theta & 0 & \sin\theta & 0 \\ 0 & 1 & 0 & 0 \\ -\sin\theta & 0 & \cos\theta & 0 \\ 0 & 0 & 0 & 1 \end{pmatrix}$
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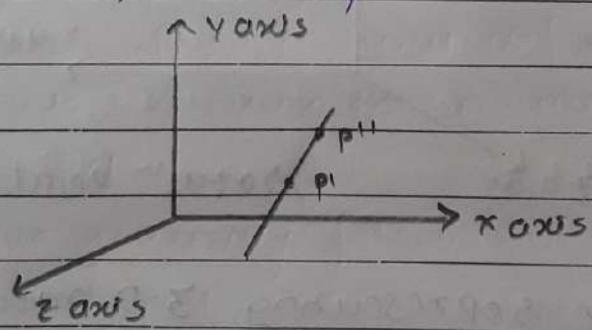
Following figure shows the original position of object and position of object after rotating about the x-axis.



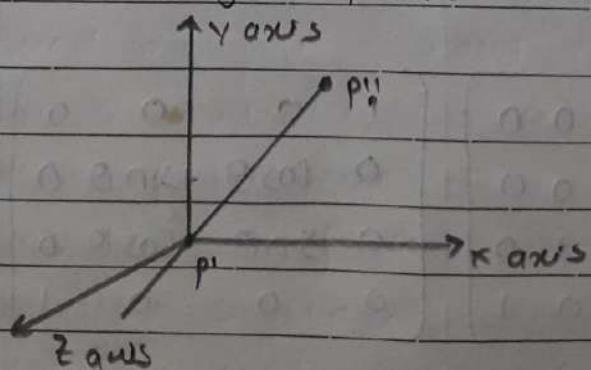
5. Apply inverse translation to bring rotation axis to the original position.

For such transformations, composite transformations are required. All the above steps are applied on points  $P'$  and  $P''$ . Each step is explained using a separate figure.

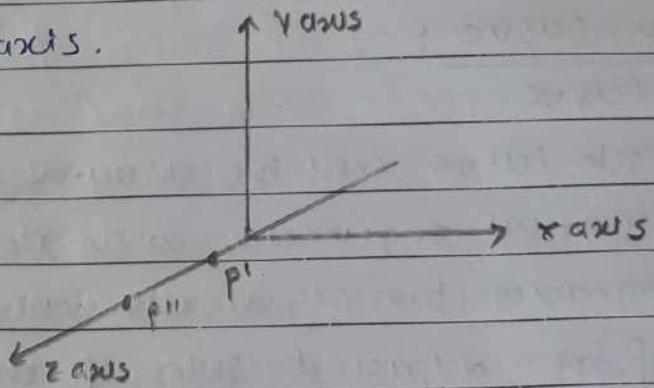
Step 1: Initial position of  $P'$  and  $P''$  is shown



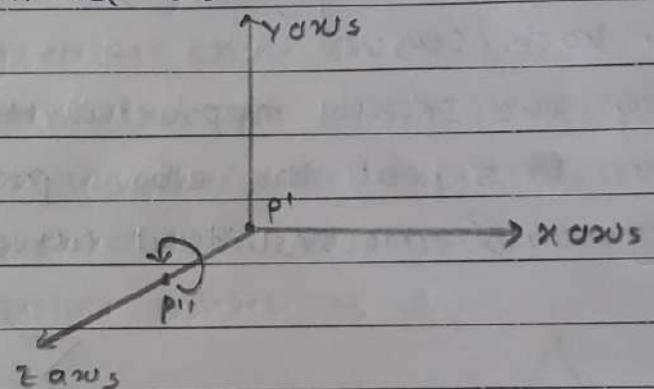
Step 2: Translate object  $P'$  to origin



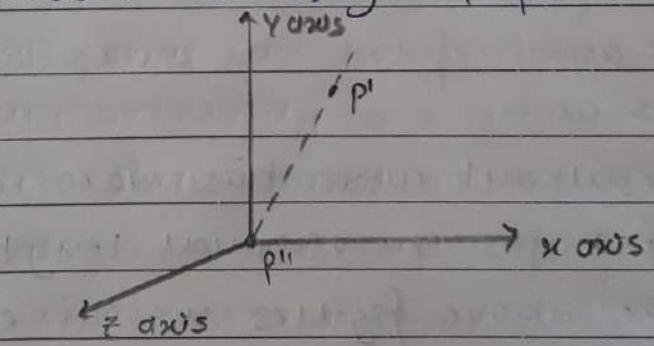
Step 3: Rotate  $P''$  to  $Z$  axis so that origin aligns along the  $Z$  axis.



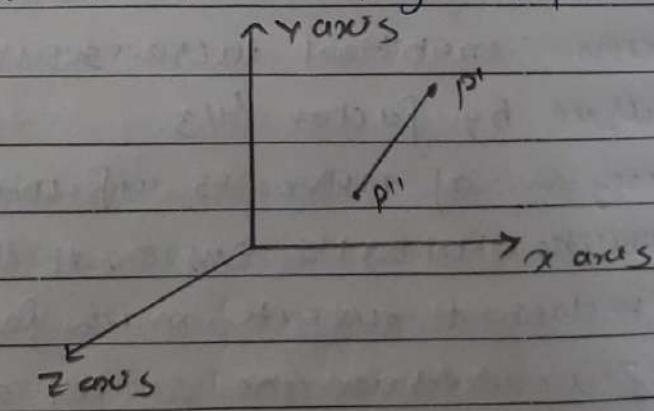
Step 4: Rotate about  $Z$ -axis



Step 5: Rotate axis to the original position



Step 6: Translate axis to the original position

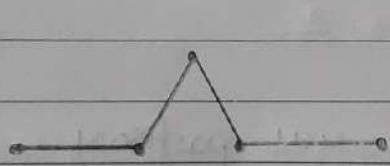


8. a) Explain Koch curve and fractals

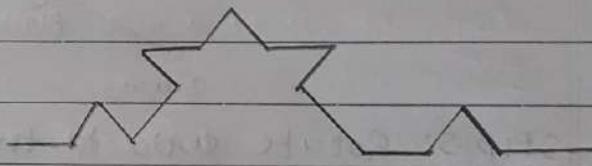
Ans! - Koch curve :

Koch curve

- The Koch curve can be drawn by dividing line into 4 equal segments with scaling factor  $1/3$  and middle two segments are so adjusted that they form adjacent sides of an equilateral triangle as shown in the figure a). This is the first approx. to the Koch curve.
- To apply the second approximation to the Koch curve we have to repeat the above process for each of the four segments - the resultant curve is shown in fig. b)



a) first approx. of the Koch curve



b) the second approx. to Koch curve.

- The resultant curve has more wiggles and its length is  $16/9$  times the original length.
- From the above figures we can easily note following points about the Koch curve:
  - > Each repetition increases the length of the curve by factor  $4/3$ .
  - > Length of curve is infinite
  - > Unlike Hilbert's curve, it doesn't fill an area.
  - > It doesn't deviate much from its original shape.
  - > If we reduce the scale of the curve by 3 we find the curve that looks just like the original one; but we must assemble 4 such curves to make the

origins, so we have

$$4 = 3^D$$

Solving for D we get

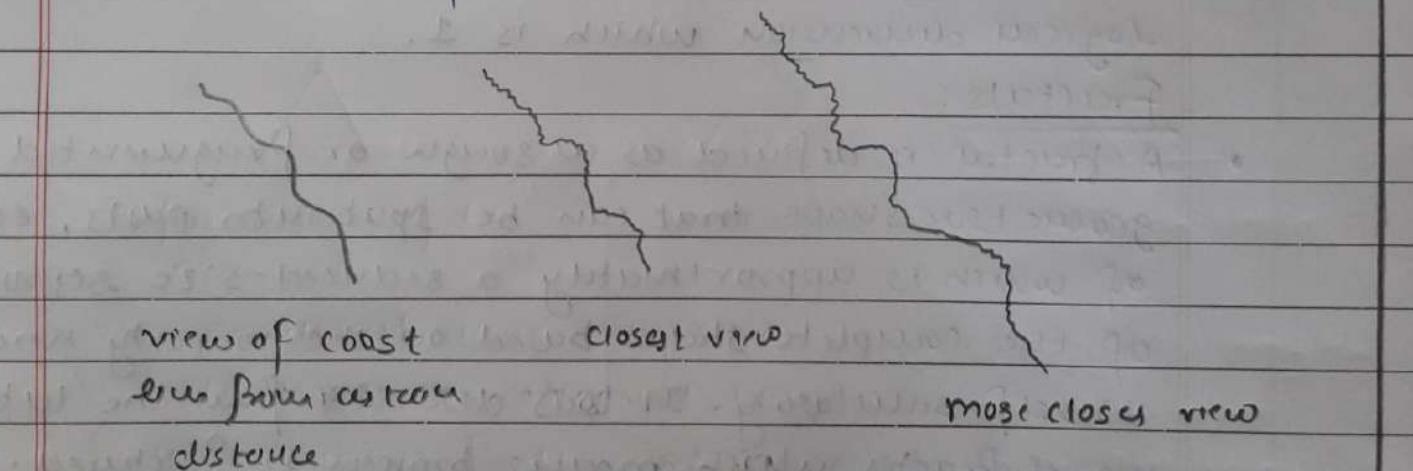
$$D = \log_3 4 = \log 4 / \log 3 = 1.2618$$

- Therefore for Koch curve topological dimensions is 1 but fractal dimension is 1.2618
- From the above discussion we can say that point sets, curve and surfaces which gave a fractal dimensions greater than the topological dimensions are called fractals. The Hilbert's curve and Koch curves are fractals, because their fractal dimensions (respectively, 2 and 1.2618) are greater than their topological dimension which is 1.

### Fractals:

- A fractal is defined as a rough or fragmented geometric shape that can be split into parts, each of which is approximately a reduced-size reproduction of the complete shape based on the property known as self-similarity. It was derived from the Latin word fractus which means broken or fractured. Natural objects can be realistically described using fractal geometry methods. Example - cloud, mountains, trees, stone, etc..
- Fractal methods use procedures rather than equations to model objects. so it uses procedural modeling. The major characteristics of any procedural model is that the model is not based on data, but rather on the implementation of the procedure following a particular set of rules.

- A fractal contains the following characteristics
  - > It's part having the same form or structures as a whole, except that they are at a different scale and may be slightly deformed.
  - > Its form is extremely irregular or fragmented, and sometimes so, whatever the scale of examination.
  - > It is formed by iteration i.e. the procedure is used repeatedly (successively)
  - > Example: if  $P_0 = (x_0 \ y_0 \ z_0)$  is a selected initial position the successive levels  $P_1 = F(P_0)$ ,  $P_2 = F(P_1)$  ...  $P_n = F(P_{n-1})$  are generated by a transformation function  $F$ .
  - > Fractional dimensions.



> Imagine that one object is made up of clay. If we break that objects in terms of line or true segments, then we will give the dimensions  $D_t = 1$ . If the object is broken into a plane, then we will give the dimension  $D_t = 2$ . And if the object is broken into 3D object like cube, sphere etc.. then we will give the transformation as  $D_t = 3$ . Here the variables  $D_t$  is called topological dimensions.