WEEK 6 IN-CLASS ACTIVITIES/LAB

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TASK 1A: INTERPRETING LOGISTIC REGRESSION MODEL

Given a logistic regression model

$$\ln\left(\frac{p}{1-p}\right) = -3 + 0.8 \times \text{Hours_Studied} + 1.5 \times \text{Review_Session}$$

Answer the following questions:

(You may use the provided "logistic regression" notebook and AI assistant.)

a. Thomas studied for two hours and did not attend the review session. What is his (1) log odds, (2) odds, and (3) likelihood of passing the exam?

SOLUTION:

```
The value of Log_odds when Review session is 0 = -1.4
The value of odds when Review session is 0 = 0.2465969639416065
Pass likelihood value when Review Session is 0 = 0.19781611144141825
```

b. If Thomas goes to the review session, what is the updated 1) log_odds, (2) odds, and (3) likelihood of passing the exam?

SOLUTION:

c. If Thomas studied more or less hours, would the answer change?

SOLUTION:

From the given equation,

The Coefficient of the Hours_Studied = 0.8.

Thus, with an increase in the study hours, the log odds will increase leading to the increase in the probability.

If Thomas studies more or fewer hours, the log-odds, odds, and probability will change accordingly, meaning more study hours increase the probability of passing.

d. How would you interpret the coefficient of review_session (1.5) from the above experiment? **SOLUTION:**

The coefficient for Review_Session (1.5) means that, when a student attends the review session, it increases the log-odds of passing by 1.5. This significantly increases the probability of passing.

e. Using similar reasoning, how would you interpret the coefficient of hours_studied (0.8)

SOLUTION:

The coefficient for Hours_Studied (0.8) means that for every additional hour studied, the log-odds of passing increase by 0.8, increasing the probability of passing.

f. How would you interpret the intercept?

SOLUTION:

The intercept (-3) represents the log-odds of passing when both Hours_Studied and Review Session are 0.

Therefore, a student who neither studies nor attends a review session has a very low probability of passing.

g. For someone who studied 8 hours, would you recommend him/her to attend the review session?

SOLUTION:

```
import numpy as np
    import matplotlib.pyplot as plt
    # Define the logistic function
    def logistic_function(z):
        return 1 / (1 + np.exp(-z))
    # Define the model
    def log_odds(hours_studied, review_session):
        return -3 + 0.8 * hours_studied + 1.5 * review_session
    # Generate some data
    hours_studied = 8
    # Calculate log-odds and probabilities for both Review Session=0 and Review Session=1
    log_odds_0 = log_odds(hours_studied, 0)
    probability 0 = logistic function(log odds 0)
    print('The value of Log_odds when Review session is 0 = ',log_odds_0)
    print('The value of odds when Review session is \theta = ',np.exp(log_odds_0))
    print('Pass_likelihood value when Review Session is 0 = ',probability_0)
    log_odds_1 = log_odds(hours_studied, 1)
    probability_1 = logistic_function(log_odds_1)
    print('The value of Log_odds when Review session is 1 = ',log_odds_1)
    print('The value of odds when Review session is 1 = ',np.exp(log_odds_1))
    print('Pass_likelihood value when Review Session is 1 = ',probability_1)
The value of odds when Review session is 0 = 29.964100047397025
    Pass_likelihood value when Review Session is 0 = 0.9677045353015495
    The value of Log_odds when Review session is 1 = 4.9
    The value of odds when Review session is 1 = 134.28977968493552
    Pass likelihood value when Review Session is 1 = 0.9926084586557181
```

According to the calculated probability values, when the student does not attend the review_session the likelihood to pass is 96.7% and if the student attend the review_session, the likelihood is 99.2%.

For a student who studied 8 hours, they likely already have a high passing probability, but attending a review session would further help to boost it.

h. What type of students seems to benefit most from the review session?

SOLUTION:

Students who study fewer hours, benefit the most from attending the review session, as it significantly increases their probability of passing.

TASK 1B: BUILD A LOGISTIC REGRESSION MODEL

Using the dataset "student_data.csv," write code to (1) create a visualization of the data, (2) fit a model using logistic regression, (3) output model coefficients and performance metrics such as accuracy and AUC and ROC; NOTE: For this exercise, you will train and test on the same given dataset, instead of doing train/test split. Make sure you give the correct GPT prompt.

SOLUTION:

y = data['Results']

model.fit(X, y)

model = LogisticRegression(solver='liblinear', C=1.0, max_iter=200, random_state=42)

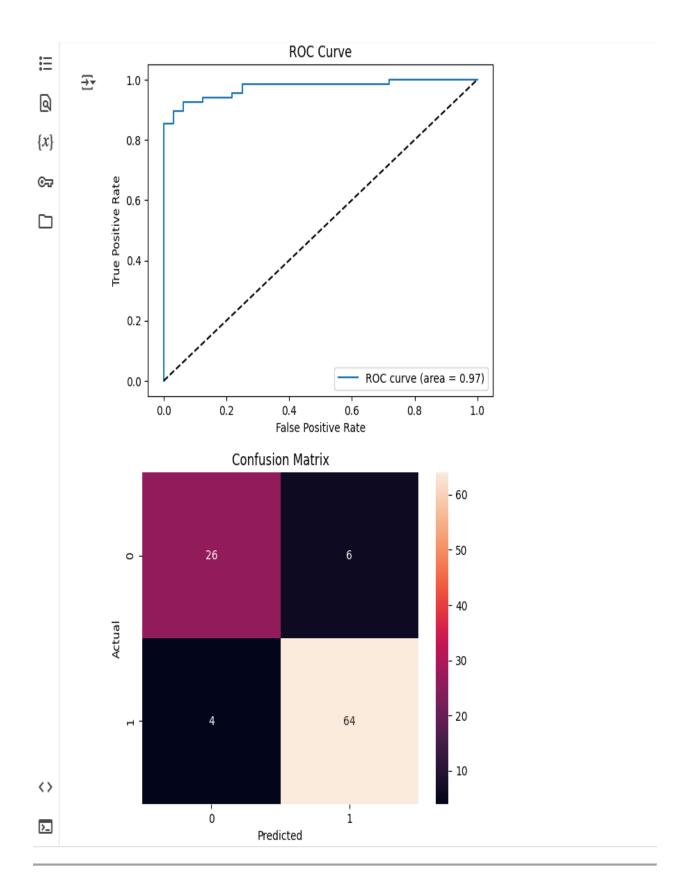
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        [ ] model = LogisticRegression(solver='liblinear', C=1.0, max_iter=200, random_state=42)
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            model.fit(X, y)
Q
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                                    LogisticRegression
             LogisticRegression(max_iter=200, random_state=42, solver='liblinear')
{x}
©⊋
        [ ] # Model Coefficients
            print('Intercept:', model.intercept_)
print('Coefficients:', model.coef_)

→ Intercept: [-2.77870623]
            Coefficients: [[0.92519784 1.10466804]]
        [ ] # Model Predictions
            predictions = model.predict(X)
            # Accuracy
            accuracy = accuracy_score(y, predictions)
            print('Accuracy:', accuracy*100, '%')
        → Accuracy: 90.0 %
        # ROC and AUC
            probabilities = model.predict_proba(X)[:, 1]
            auc = roc_auc_score(y, probabilities)
            print('AUC:', auc)
            fpr, tpr, _ = roc_curve(y, probabilities)
            plt.figure()
            plt.plot(fpr, tpr, label='ROC curve (area = %0.2f)' % auc)
            plt.plot([0, 1], [0, 1], 'k--')
            plt.xlabel('False Positive Rate')
            plt.ylabel('True Positive Rate')
            plt.title('ROC Curve')
            plt.legend(loc='lower right')
            plt.show()
            # Confusion Matrix
            cm = confusion_matrix(y, predictions)
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            sns.heatmap(cm, annot=True, fmt='d')
            plt.title('Confusion Matrix')
            plt.xlabel('Predicted')
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```

plt.ylabel('Actual')

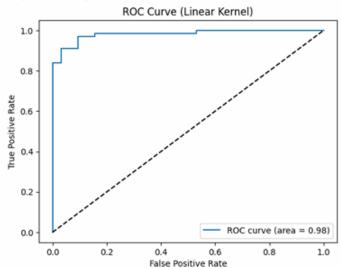


TASK 2: UNDERSTANDING AND PREVENT OVERFITTING IN THE CONTEXT OF SVM

Write code to fit a Support Vector Machine model using (1) linear kernel and (2) RBF kernel. For the RBF kernel, use grid search to find the best gamma parameter using k-fold cross-validation.

SOLUTION:

```
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
import seaborn as sns
from sklearn.svm import SVC
from sklearn.model_selection import GridSearchCV, cross_val_score
from sklearn.metrics import accuracy_score, roc_auc_score, roc_curve, confusion_matrix
from google.colab import files
uploaded = files.upload()
Choose Files student data.csv
       student_data.csv(text/csv) - 2275 bytes, last modified: 3/10/2025 - 100% done
     Saving student_data.csv to student_data.csv
# Load the dataset
data = pd.read_csv('student_data.csv')
# Display basic information about the dataset
display(data.head())
print(data.info())
         Hours_Studied Review_Session Results
              3.745401
              9.507143
      2
              7.319939
                                       0
                                                 1
      3
            5.986585
              1.560186
     <class 'pandas.core.frame.DataFrame'>
     RangeIndex: 100 entries, 0 to 99
     Data columns (total 3 columns):
# Column Non-Null Count Dtype
      0 Hours_Studied 100 non-null
          Review_Session 100 non-null
Results 100 non-null
                                              int64
                                             int64
     dtypes: float64(1), int64(2)
memory usage: 2.5 KB
     None
# Prepare the features and target variable
X = data[['Hours_Studied', 'Review_Session']]
y = data['Results']
# SVM with Linear Kernel
linear_svm = SVC(kernel='linear', probability=True, random_state=42)
linear_svm.fit(X, y)
# Predictions and Accuracy (Linear Kernel)
predictions_linear = linear_svm.predict(X)
accuracy_linear = accuracy_score(y, predictions_linear)
print('Accuracy (Linear Kernel):', accuracy_linear * 100, '%')
Accuracy (Linear Kernel): 92.0 %
# AUC and ROC (Linear Kernel)
probabilities_linear = linear_svm.predict_proba(X)[:, 1]
auc_linear = roc_auc_score(y, probabilities_linear)
print('AUC (Linear Kernel):', auc_linear)
fpr, tpr, _ = roc_curve(y, probabilities_linear)
plt.figure()
plt.plot(fpr, tpr, label='ROC curve (area = %0.2f)' % auc_linear)
plt.plot([0, 1], [0, 1], 'k--')
plt.xlabel('False Positive Rate')
plt.ylabel('True Positive Rate')
plt.title('ROC Curve (Linear Kernel)')
plt.legend(loc='lower right')
plt.show()
```



```
# RBF Kernel with Grid Search for Best Gamma
param_grid = {'gamma': [0.001, 0.01, 0.1, 1, 10, 100]}
rbf_svm = SVC(kernel='rbf', probability=True, random_state=42)
grid_search = GridSearchCV(rbf_svm, param_grid, cv=5, scoring='accuracy')
grid_search.fit(X, y)
₹
                          GridSearchCV
                      best_estimator_: SVC
       SVC(gamma=0.1, probability=True, random_state=42)
                           ► SVC
# Best Gamma
best_gamma = grid_search.best_params_['gamma']
print('Best Gamma:', best_gamma)

→ Best Gamma: 0.1

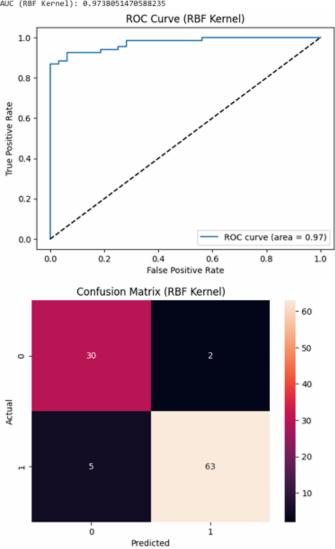
# Train SVM with RBF Kernel using Best Gamma
best_rbf_svm = SVC(kernel='rbf', gamma=best_gamma, probability=True, random_state=42)
best_rbf_svm.fit(X, y)
# Predictions and Accuracy (RBF Kernel)
predictions_rbf = best_rbf_svm.predict(X)
accuracy_rbf = accuracy_score(y, predictions_rbf)
print('Accuracy (RBF Kernel):', accuracy_rbf * 100, '%')

→ Accuracy (RBF Kernel): 93.0 %

# AUC and ROC (RBF Kernel)
probabilities_rbf = best_rbf_svm.predict_proba(X)[:, 1]
auc_rbf = roc_auc_score(y, probabilities_rbf)
print('AUC (RBF Kernel):', auc_rbf)
fpr, tpr, _ = roc_curve(y, probabilities_rbf)
plt.figure()
plt.plot(fpr, tpr, label='ROC curve (area = %0.2f)' % auc_rbf)
plt.plot([0, 1], [0, 1], 'k--')
plt.xlabel('False Positive Rate')
plt.ylabel('True Positive Rate')
plt.title('ROC Curve (RBF Kernel)')
plt.legend(loc='lower right')
plt.show()
```

```
cm = confusion_matrix(y, predictions_rbf)
sns.heatmap(cm, annot=True, fmt='d')
plt.title('Confusion Matrix (RBF Kernel)')
plt.xlabel('Predicted')
plt.ylabel('Actual')
plt.show()
```

₹ AUC (RBF Kernel): 0.9738051470588235



```
# External Input Prediction for svm with rbf kernel
def predict_pass(hours, review):
    input_data = pd.DataFrame([[hours, review]], columns=['Hours_Studied', 'Review_Session'])
   prediction = best_rbf_svm.predict(input_data)
   probability = best_rbf_svm.predict_proba(input_data)[0, 1] * 100
   print(f'Predicted Result: {prediction[0]}, Probability: {probability:.2f}%')
# Example of external input
predict_pass(5, 0) # Predicting for 5 study hours and attending the review session
Fredicted Result: 1, Probability: 95.89%
```

```
# External Input Prediction for svm with rbf kernel

def predict_pass(hours, review):
    input_data = pd.DataFrame([[hours, review]], columns=['Hours_Studied', 'Review_Session'])
    prediction = linear_svm.predict(input_data)
    probability = linear_svm.predict_proba(input_data)[0, 1] * 100
    print(f'Predicted Result: {prediction[0]}, Probability: {probability:.2f}%')

# Example of external input

predict_pass(5, 0) # Predicting for 5 study hours and attending the review session

→ Predicted Result: 1, Probability: 80.82%
```