

Task-03

Problem-1

For making the graph, the loop runs for each road m ;
↳ $m \text{ t.c}$

For Dijkstra:

The conditions $\rightarrow O(1)$

The for loop that runs for each neighbouring vertex
↳ $(n-1)$

Main while loop that runs until q is empty
↳ $\log(n)$

$$\therefore \underline{O(m + (n-1)\log n)} \quad (\text{ignoring constants})$$

Problem-2

Formation of graph remains same. ^{more}

In Dijkstra, for output I have run 2 [↑] loops $\rightarrow 2n \text{ t.c}$

$$\therefore \underline{O(m + (n-1)\log n + n)}$$

If each road has a weight of 1, this will be similar to having no weight at all. Hence, we can use a modified BFS with $O(V+E)$ time complexity.

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