

NLP

PI: Grammatical Error Detection / Correction.

This is my brother's cat
↑
space

Here space might be req. if translating to another language

Token: Single surface form word.

My cat is afraid of other cats
cats \neq cat

↑ changing the noun we were referring to (plural noun now)

Suffixation - morphological changes happen at the end (plural affixation)

Derivational morphology: Morphology - semantics change morphology - syntactic

Type: vocabulary word

- cat is the type for 'cat' and 'cats'

If Token/Type ratio is high means language allows agglutination

Agglutination: keep adding morphemes to determine the meanings but morphemes remain unchanged after unions.

Phoneme: unit of sound that distinguishes one word from another.

ladk/a ladbion
↑ ↓
stem. suffix

(challenges in tokenization)

① Hyphenation

we would deal with the state-of-the-art
noun
whether to replace hyphen ~~or~~ or retain it?

commander-in-chief

② Number

1/2 cup Milk

1,000 dollars.

Sentencification (Break ~~for~~ sentences)

→ Identify (.) correctly.

N-Grams and zipf's law

• Shannon's game: Predict the next word, given $(n-1)$ words

• Jensen's smoothing

• Laplace smoothing

$$P(o_1, o_2, \dots, o_n) = P(o_1) \prod_{i=2}^n P(o_i | o_{i-1})$$

→ Entropy (bits)

→ Zipf's Law

Laplace Smoothing

The oldest method

$$P_{\text{Lap}}(w_1, \dots, w_n) = \frac{(w_1, \dots, w_n) + 1}{N + B}$$

Lidstone's law

$$P_{\text{Lid}}(w_1, \dots, w_n) = \frac{(w_1, \dots, w_n) + x}{N + Bx}$$

Jeffreys - Priors law

Set x as $1/2$

Expectation of x that maximizes above question.

Hold out estimation

N_{tr} = no of n grams with o_1 freq in 'training' data

HMM POS

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$q = q_1, q_2, \dots, q_n$ N states

$A = a_{11}, \dots, a_{ij}, \dots, a_{NN}$

(Transition prob) $\sum_{j=1}^N a_{ij} = 1 \forall i$

$O = o_1 o_2 \dots o_T$

$B = b_i(o_t)$ Observation likelihood
(emission probability)

o_t generated by q_i

- $P(q_i | q_1, \dots, q_{i-1}) = P(q_i | q_{i-1})$

- $P(o_i | q_1, \dots, q_T, o_1, \dots, o_{i-1}, \dots, o_T) = P(o_i | q_i)$

A matrix $P(q_i | q_{i-1}) = \frac{L(q_{i-1}, q_i)}{L(q_{i-1})}$
(transition probability)

B(em prob) $P(w_i | q_i) = \frac{L(q_i, w_i)}{L(q_i)}$

$\hat{q}_1^n \rightarrow$ given n words, w_1^n sequence.

$$\hat{q}_1^n = \underset{q_1^n}{\operatorname{argmax}} P(q_1^n | w_1^n)$$

$$= \underset{q_1^n}{\operatorname{argmax}} P(w_1^n | q_1^n) \times P(q_1^n)$$

$P(w_1^n) \leftarrow$ not req.



$$P(w_1^n | d_1^n) \approx \prod_{i=1}^n P(w_i | d_i)$$

$$\text{Bigram assumption: } P(d_1^n) \approx \prod_{i=1}^n P(d_i | d_{i-1})$$

$$\therefore d_1^n = \underset{(\cdot)}{\operatorname{argmax}} \prod_{i=1}^n \underset{\substack{\text{Em} \\ \text{prob}}}{P(w_i | d_i)} \underset{\substack{\text{trans} \\ \text{prob}}}{P(d_i | d_{i-1})}$$

Forward Inference

$$\alpha_d(x_d) = P(x_d, y_1, \dots, y_d)$$

$$\alpha_1(x_1) = P(x_1, y_1) = P(x_1) P(y_1 | x_1)$$

$$\begin{aligned} \alpha_2(x_2) &= P(x_2, y_1, y_2) = \sum P(x_1, y_1) P(x_2 | x_1) P(y_2 | x_2) \\ &= \sum_{x_1} \alpha_1(x_1) P(x_2 | x_1) P(y_2 | x_2) \end{aligned}$$

$$\alpha_{d+1}(x_{d+1}) = \sum_{x_d} \alpha_d(x_d) P(x_{d+1} | x_d) P(y_{d+1} | x_{d+1})$$

Backward Inference

$$\beta_d(x_d) = P(y_{d+1}, \dots, y_T | x_d)$$

$$P(x_1 | x_T) = 1 = \beta_T(x_T)$$

$$P_{\theta-1}(x_{\theta-1}) = P(y_1 \dots y_T | x_{\theta-1})$$

$$= \sum_{x_{\theta}} P(x_{\theta} | x_{\theta-1}) P(y_{\theta} y_{\theta+1} \dots y_T | x_{\theta})$$

$$= \sum_{x_{\theta}} P(x_{\theta} | x_{\theta-1}) P(y_{\theta} | x_{\theta}) P(y_{\theta+1} \dots y_T | x_{\theta})$$

$$= \sum P(x_{\theta} | x_{\theta-1}) P(y_{\theta} | x_{\theta}) B_{\theta}(x_{\theta})$$

$$\begin{aligned} \alpha_{\theta}(x_{\theta}) B_{\theta}(x_{\theta}) &= P(x_{\theta}, y_1, \dots, y_{\theta}) P(y_{\theta+1} \dots y_T | x_{\theta}) \\ &= P(x_{\theta}, y) \propto P(x_{\theta} | y) \end{aligned}$$

$$P(x_{\theta}, x_{\theta+1} | y) = \frac{P(x_{\theta}, x_{\theta+1}, (y_1 \dots y_{\theta}), (y_{\theta+1} \dots y_{\theta+2}), y_{\theta+2} \dots y_T)}{P(y)}$$

$$\equiv \frac{P(x_{\theta}, y_1 \dots y_{\theta}) P(x_{\theta+1} | x_{\theta}) P(y_{\theta+2} \dots y_T | x_{\theta+1})}{P(y_{\theta+1} | x_{\theta+1})}$$

$$\sum_{x_T} P(x_{\theta}, y)$$

$$= \frac{\alpha_{\theta}(x_{\theta}) P(x_{\theta+1} | x_{\theta}) B_{\theta+1}(x_{\theta+1}) P(y_{\theta+1} | x_{\theta+1})}{\sum_{x_T} \alpha_T(x_T)}$$

Jenny

Brevity \leftrightarrow Ambiguity

1946 - stored program computer.

Rule based

Limited domains; large corpus, knowledge ✓

ANN methods: Huge domain,

^{obj} ^{action}
 Lucy started walking on two feet
 5 million years ago. ^{obj}
_{obj}

 POS \rightarrow chunking \rightarrow parse tree
 tagging

POS \rightarrow Lucy started walking on two feet
 chunking \rightarrow 5 million years ago
 n v v n n n
 n n n

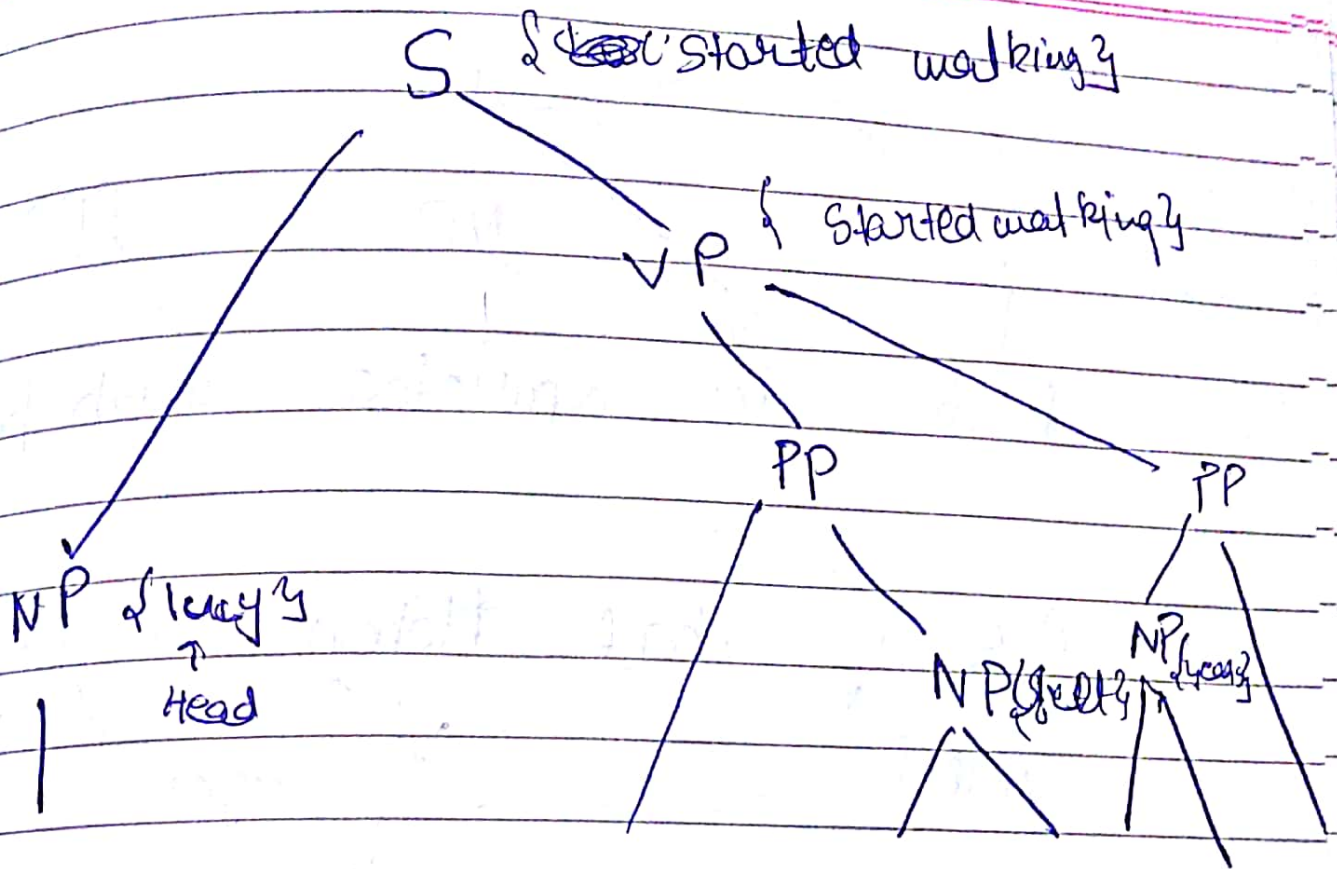


January 12

classmate

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- Group words and phrases.
- Hierarchical

1) Knowledge based

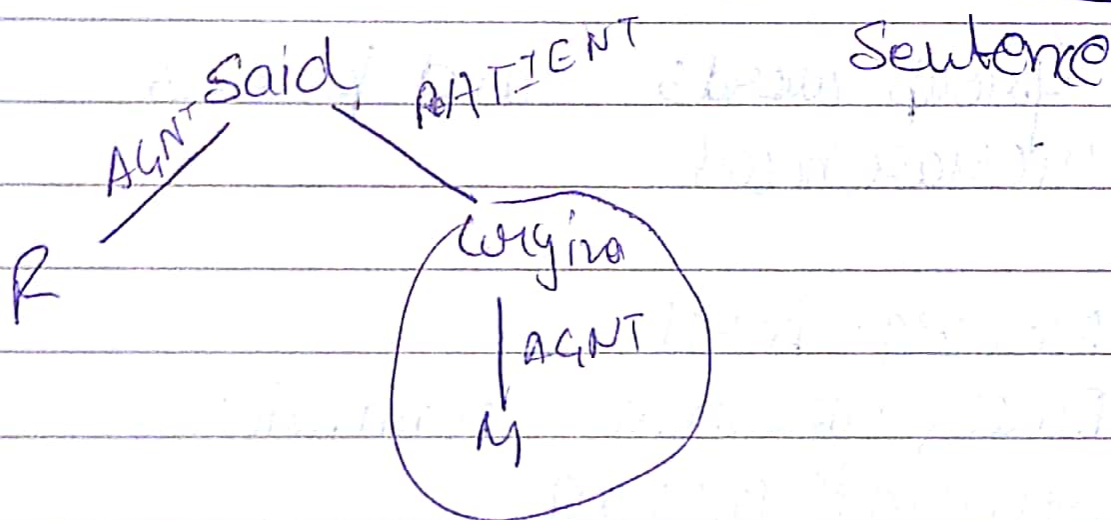
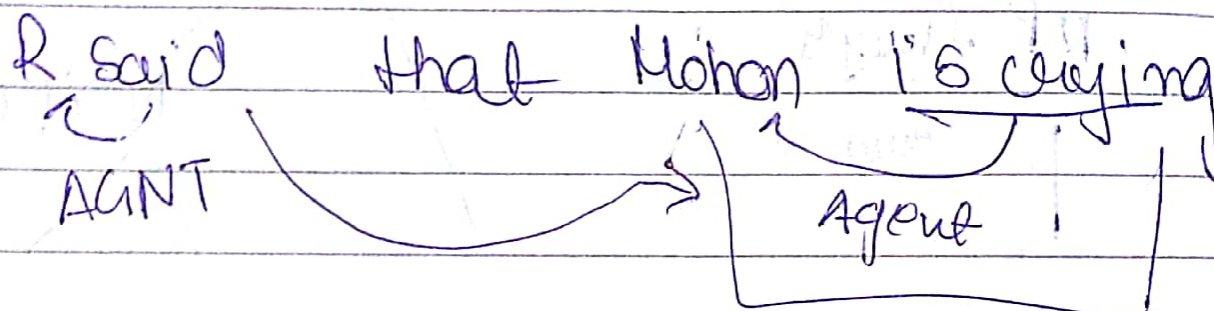
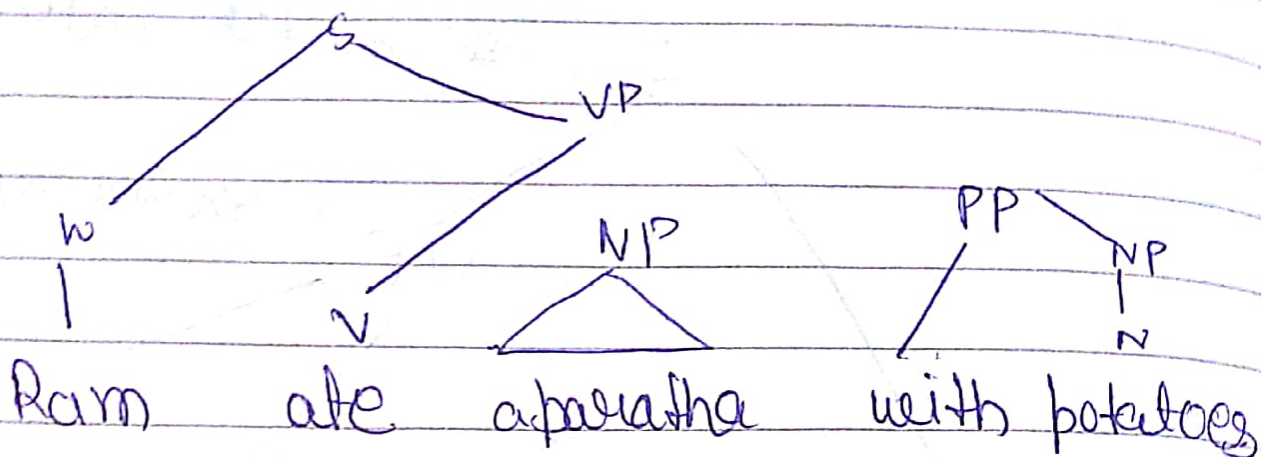
- Rules, grammar, semantics

2) Statistical learning

- Features

3) Neural net based

- Data



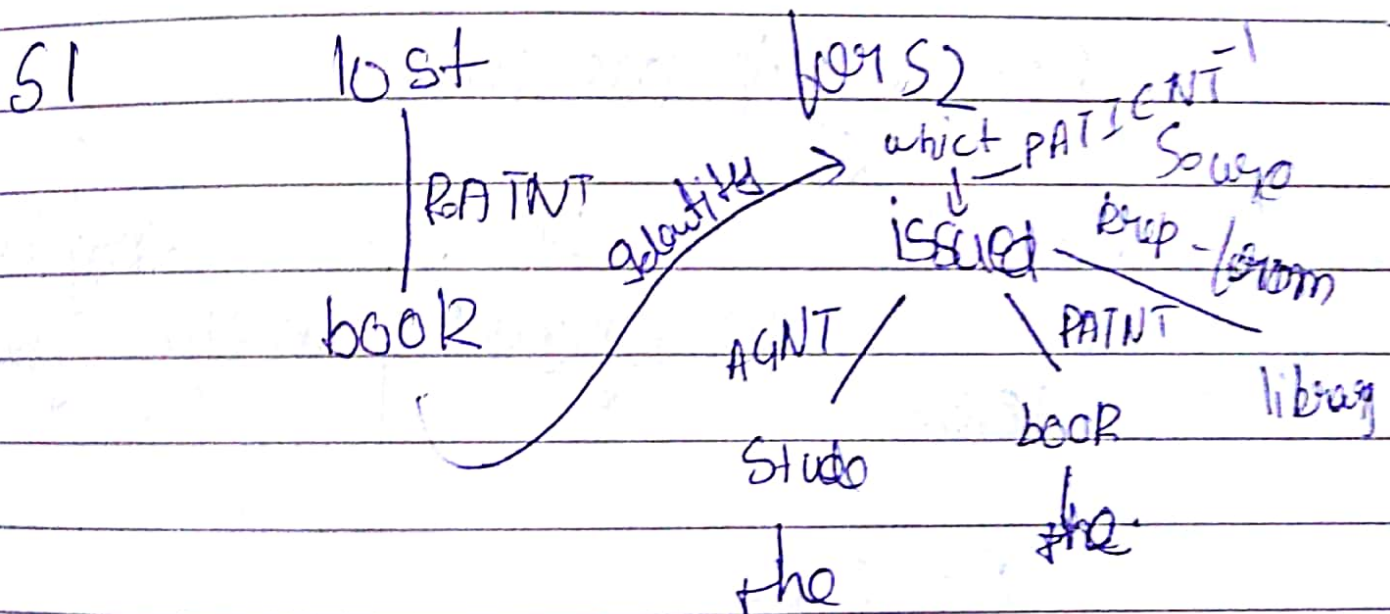
Restrictive clause

S1 That book is lost

S2 The student issued the book from the library.

The book. [] is lost
to stop from repeating use a pronoun.
→ go ahead

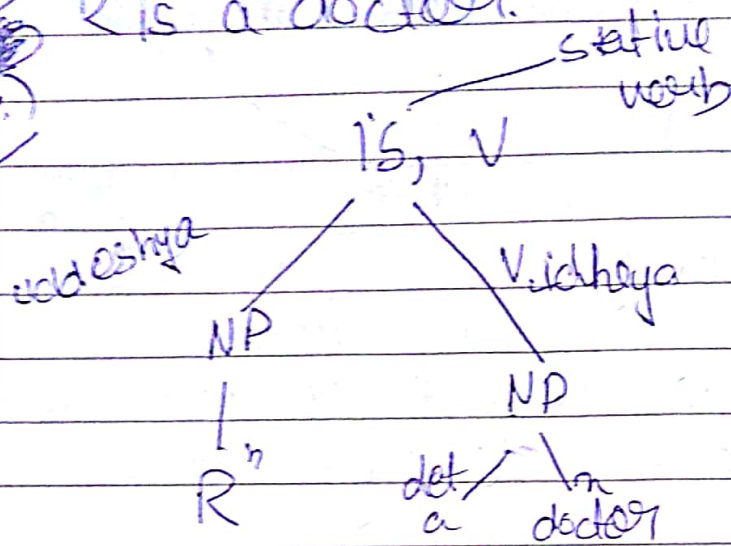
⇒ The book which the student issued from the library is lost.



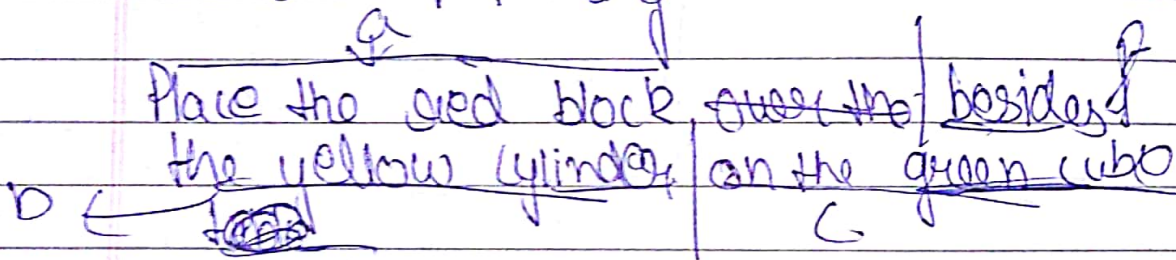
$S' \rightarrow NP' VP'$ allows for missing NP
 $VP' \rightarrow [NP'] [NP'] PP^*$

gend
notes

R is a doctor.



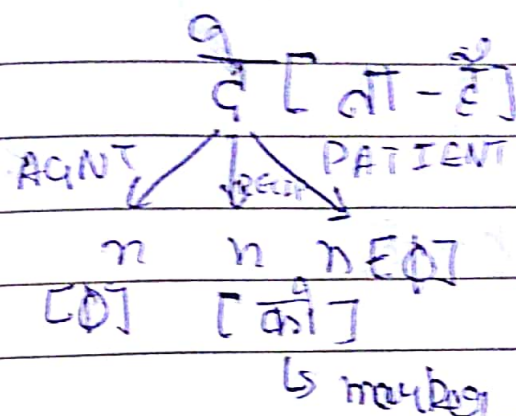
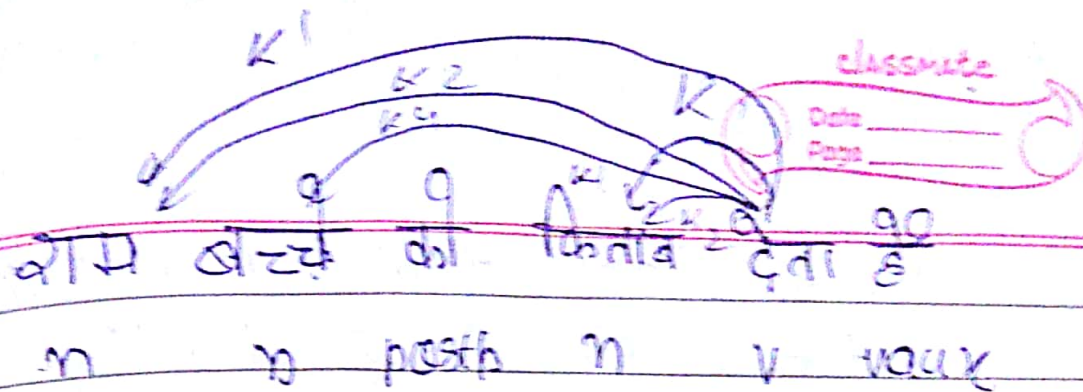
Bottom up parsing



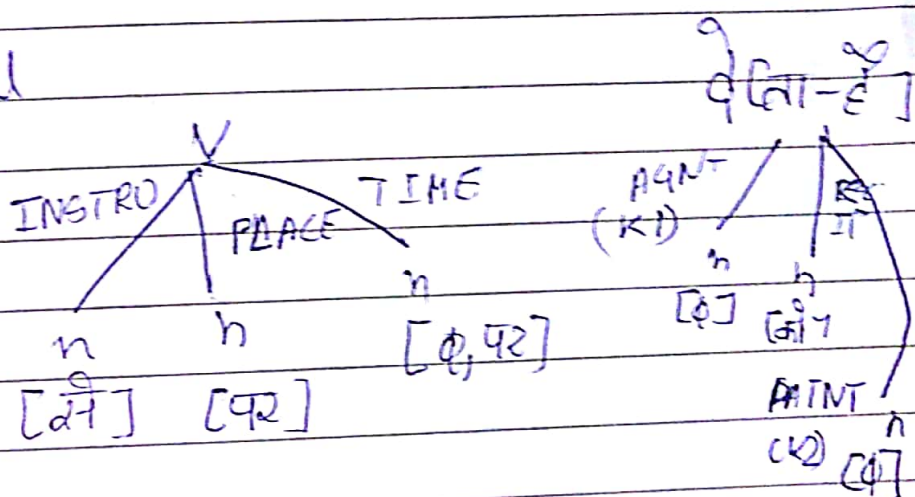
$Y \rightarrow AB$

Examine top of stack (open, stem-son while stack not empty: stem-son)

- if top of stack \Rightarrow (start, nil, ...) record ^{success}
- if open can be reduced by rule R then modify top of stack
- (C' , $R+1$) and push (reduced open, stem-son, A) else if shift is possible modify top of stack else pop



Optional



Solution graph (parse tree)

C1 No more than one incoming edge exactly one.

C2 For outgoing edges, of a node, there should be exactly one labelled edge

C3 corresponding to mandatory edges At most one ... optional edges.

A solution graph is a subgraph
if it satisfies C_1, C_2, C_3

of $\frac{a}{d}[211]$

$k1 \phi \rightarrow \frac{a}{d}$