

# ST 516 - Homework 12

student Paul ReFalo 10/8/17

2. (2 points) Consider the rolling of a fair, six-sided die.

(a) Why do we consider this to be random?

**Because there is an equal probability for each of the possible outcomes**

(b) Identify the outcomes.

**The set 1:6 or 1, 2, 3, 4, 5, and 6**

(c) Identify two possible events.

**A 2 and a 3.**

(d) Identify the probability associated with each outcome. Why did you choose these particular probabilities?

**The probability of a 2 is  $1/6$  and the probability of a 3 is  $1/6$  since they are independent. I choose these probabilities because the problem states the die is fair and the events are independent.**

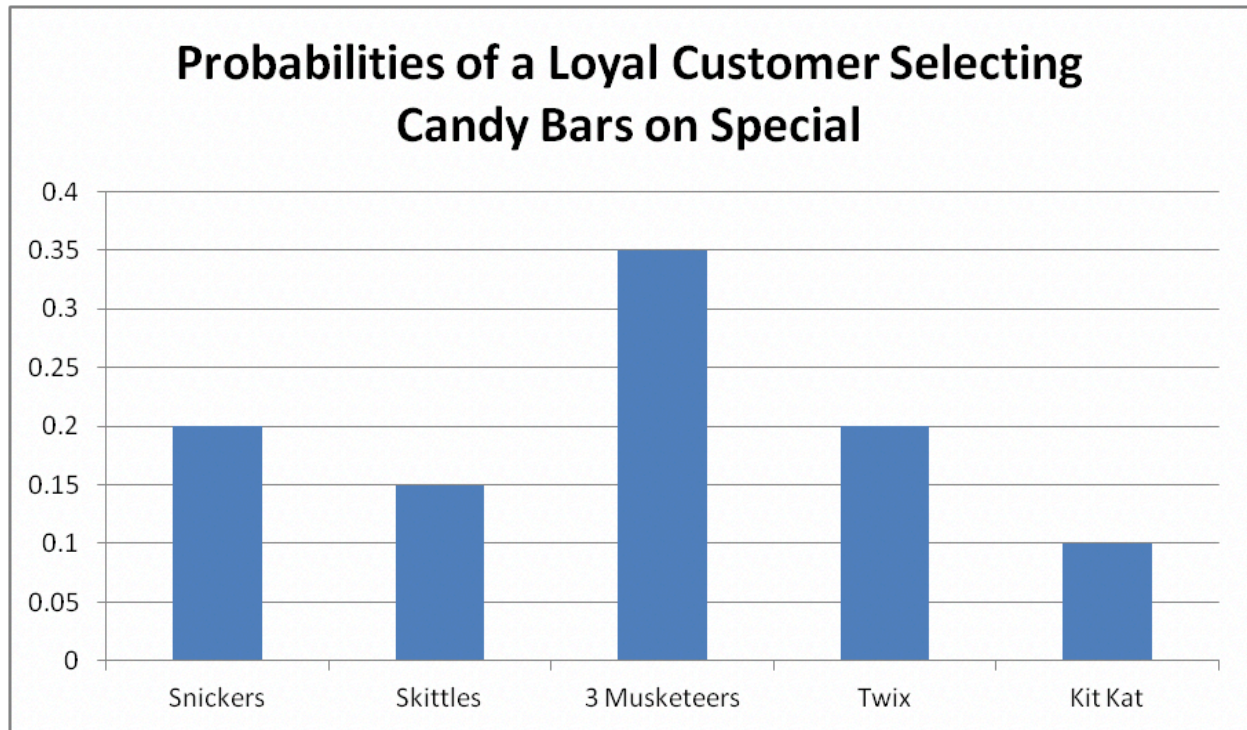
(e) Define one random variable that may be associated with the rolling of the die.

**One random variable could be  $x$  given the value of 5 if the result is even and -5 if the result is odd.**

(f) If we were able to roll the die infinitely many times, what would happen to the relative frequencies of each outcome? What is the name of this phenomenon?

**The relative frequency for each result would converge upon  $1/6$  for a fair die which is uniform distribution. The name of this phenomenon is the Law of Large Numbers.**

3. (2 points) There are five candy choices for sale at a local candy shop: Twix, KitKat, Snickers, Skittles and 3 Musketeers. For a random customer, the probabilities of choosing each candy bar are represented by the bar chart shown here:



- . (a) What is the probability that the customer will buy a Twix or KitKat?

$$P(\text{Twix or KitKat}) = 0.2 + 0.1 = 0.3$$

What is the probability that the customer will buy Snickers, Skittles or 3 Musketeers?

$$P(\text{Snickers or Skittles or 3M}) = 0.2 + 0.15 + 0.35 = 0.7$$

What is the probability that this customer will not buy any candy?

**A Zero since**

$$\begin{aligned} P(\text{total}) &= P(\text{snickers}) + P(\text{Skittles}) + P(\text{3M}) + P(\text{Twix}) + P(\text{KK}) \\ &= 0.2 + 0.15 + 0.35 + 0.2 + 0.1 = 1.0 \end{aligned}$$

.

- (b) Let  $X$  be a random variable representing the candy bought—you should assign the candy choice outcomes to the integers 1 through 5 in the same order as on the bar chart (left to right). Write the probability distribution of  $X$  in tabular format.

<b>X</b>	<b>Probability</b>
1	0.2
2	0.15
3	0.35
4	0.2
5	0.1