

AIM: To implement an AVR code to blink an LED on Proteus Software on Atmega32 uC and analyse it using a digital oscilloscope.

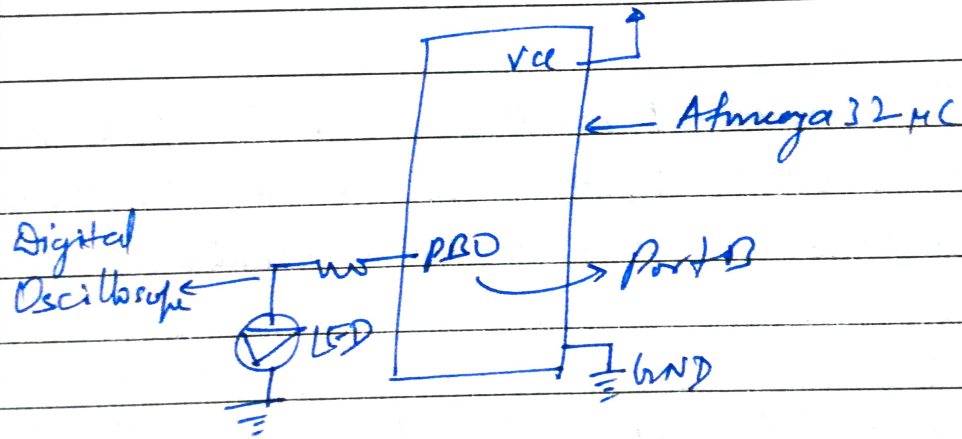
Procedure:

- Algorithm to make LED blink.
- AVR code written in atmel studio.
- The hex file was obtained from the project developed to program the microcontroller in proteus.
- then the circuit was made in proteus.
- Output observed in a digital oscilloscope.
- ~~Analysis~~ Timing Analysis was done for code written.

Algorithm Developed for LED blinking:

- PORT was initialized as output & stack pointer also initialized.
- A main loop developed for setting output pin High & low with continuous delays in between.
- Delay subroutines defined and implemented as a nested loops where two registers were initialised & decreased to 0.
- Branching statements were used to control sequence in delay subroutine.
- Control returned to main loop after execution of delay subroutine.

Circuit Diagram:



• INCLUDE "M32DEF.INC"

• ORG 0x00

CYCLES N

Explanation

0 1 Adding board support package

0 1 Directive to set PC at 0x00 start

LDI R16, HIGH(RAMEND)

1 1

Load R16 SFR with address of last SRM location

OUT SPH, R16

1 1

Set upper ^{byte} pointer of stack to SRAM end

LDI R16, LOW(RAMEND)

1 1

Load R16 SFR with address of penultimate SRM location.

OUT SPL, R16

1 1

Set lower byte of pointer to SRAM end.

LDI R16, 0x01

1 1

Load R16 with value 1

OUT DDRB, R16

1 1

Set PortB as output

Loop:

0 1

Main loop.

LDI R16, 0x01

1 1

Load SFR R16 with value 1.

OUT PORTB, R16

1 1

Set PBO as output high

RCALL DELAY1

2 1

Transfer control to DELAY1 subroutine

LDI R16, 0x00

1 1

Load SFR R16 with value 0

OUT PORTB, R16

1 1

Set PBO as low

RCALL DELAY1

2 1

Transfer Control to DELAY1

RJMP LOOP

2 1

Repeat main loop LOOP

0 1

Delay1 subroutine

DELAY1:

LDI R16, 0xFF

1 1

Set outer loop register as 0xFF. to define no. of loop iterations

LOOP1:

0 255

Set inner loop counter register as 0xFF for 255 inner loop runs.

LDI R17, 0xFF

1 255

LOOP2:

0 255x255

Decrease inner loop counter

DEC R17

1 255x255

Branch if inner loop counter is zero.

BRNE LOOP2

0.5 (255x255+1)

Decrease outer loop counter

DEC R16

1 255

Branch if outer loop counter is zero.

BRNE LOOP1

0.5 (255+1)

Return to LOOP (main loop).

4 1

RET

Total Execution Time =

$$= \sum(\text{cycle count}) \times \left(\text{No. of executions in one run of Loop} \right)$$

$$= 6 + 10 + 2 \times \left(1 + 4 + 1 + 255 \times (1 + 255 \times (1 + 0.5 + 0.5)) \right)$$

↑
Delay cycle Count (D)

$$= 195868 \text{ clock cycles}$$

$$\text{Time period} = \frac{1}{f} = \frac{1}{1 \text{ MHz}} = 1 \mu\text{s}$$

$$\text{Execution Time} = 195868 \times 1 \mu\text{s} = 195.868 \text{ ms}$$

$$\text{Delay time} = D \times \frac{1}{f}$$

$$= 97926 \mu\text{s} = 97.926 \text{ ms}$$

DISCUSSION:

- In this experiment, programming a microcontroller was demonstrated with an example of blinking led on a microcontroller Atmega32.
- The programming was done in Assembly language.
- Different Instruction sets were discussed.
- How the stack pointer works and link between getting the location of memories & registers.
- How the subroutines work & also the different timing analyses were done.
- finally, the ~~observed~~ ^{output} waveform was observed in a digital oscilloscope.

AIM: Implementation of Digital FIR filters.

Theory: All digital, linear, time-invariant (LTI) filters can be described a difference equation of the form:

$$\sum_{i=0}^M a_i y[n-i] = \sum_{j=0}^N b_j x[n-j]$$

$$y[n] = \sum_{j=0}^N b_j x[n-j] + \sum_{i=1}^M (-a_i) \cdot y[n-i]$$

If $x[n]$ is an impulse (1 for $n=0$ & 0 for $n \neq 0$), the output is called the filter's impulse response.

Procedure :-

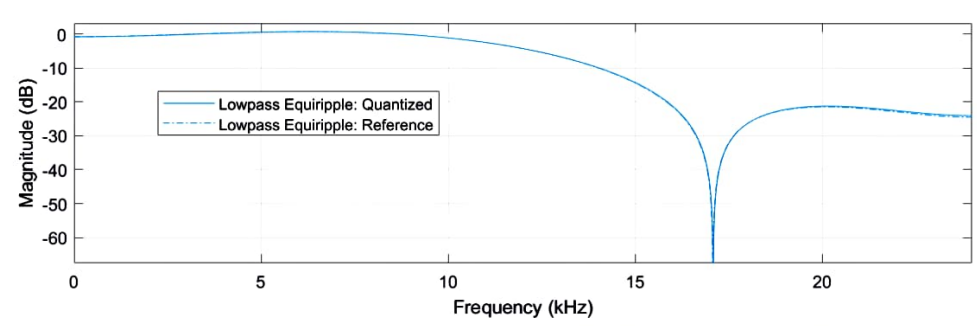
~~The filter was~~

- A low pass filter was implemented using `filter` in Matlab.
- The order was set to 6 & the sampling frequency was set to 48000 Hz.
- First the filter coefficients was exported to workspace in double-precision floating point & the output was plotted using a sine input.
- Then the filter coefficients was changed to fixed point with numerator word length as 8. and again the output was plotted using a sine input.

Structure: Direct-Form FIR
Order: 6
Stable: Yes
Source: Designed (quantized)

Store Filter ...
Filter Manager ...

Magnitude Response (dB)



Response Type

☒ Lowpass

☐ Highpass

☐ Bandpass

☐ Bandstop

☐ Differentiator

Design Method

☐ IIR: Butterworth

☒ FIR: Equiripple

Filter Order

☒ Specify order: 6

☐ Minimum order

Options

Density Factor: 20

Frequency Specifications

Units: Hz

Fs: 48000

Fpass: 9600

Fstop: 16000

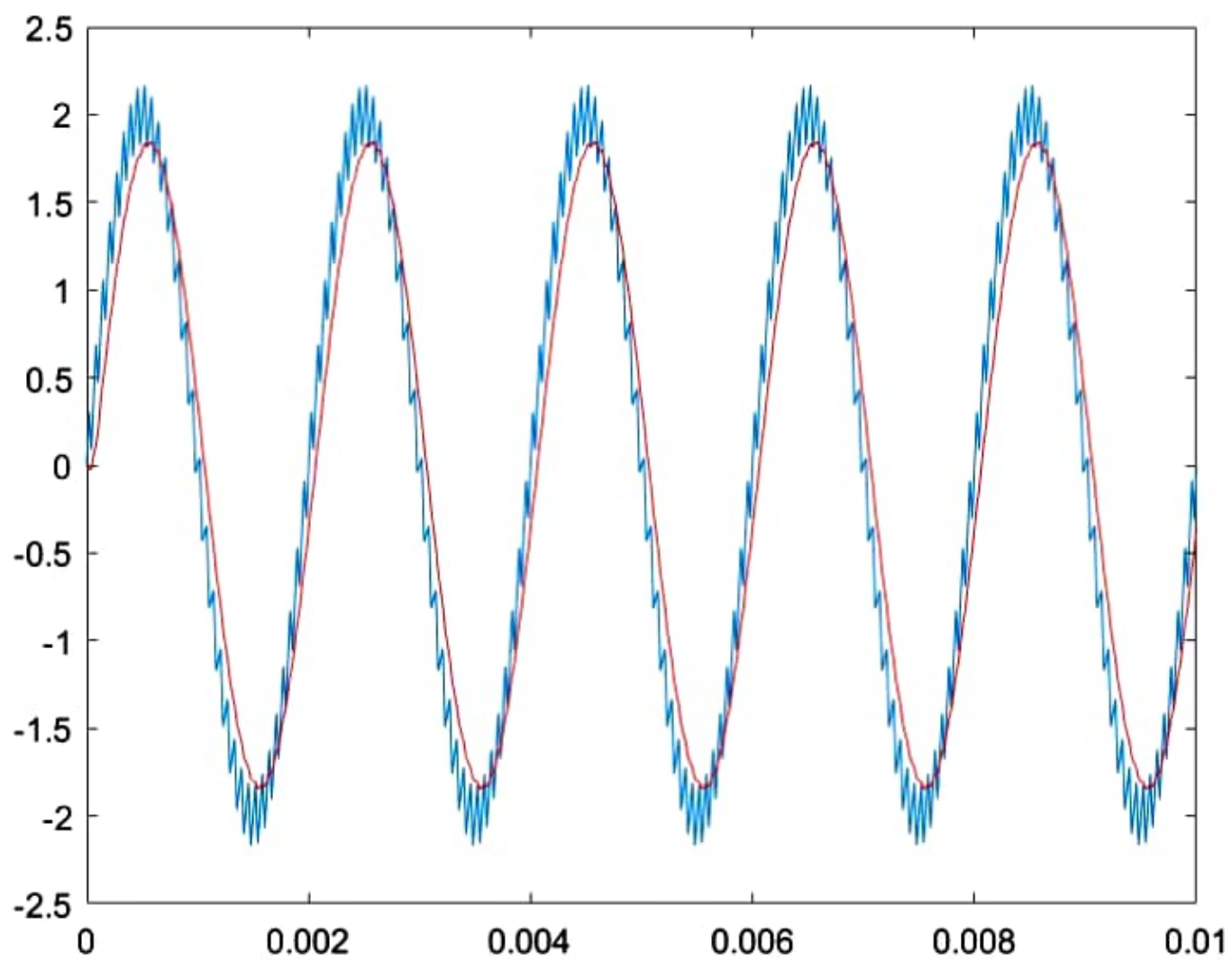
Magnitude Specifications

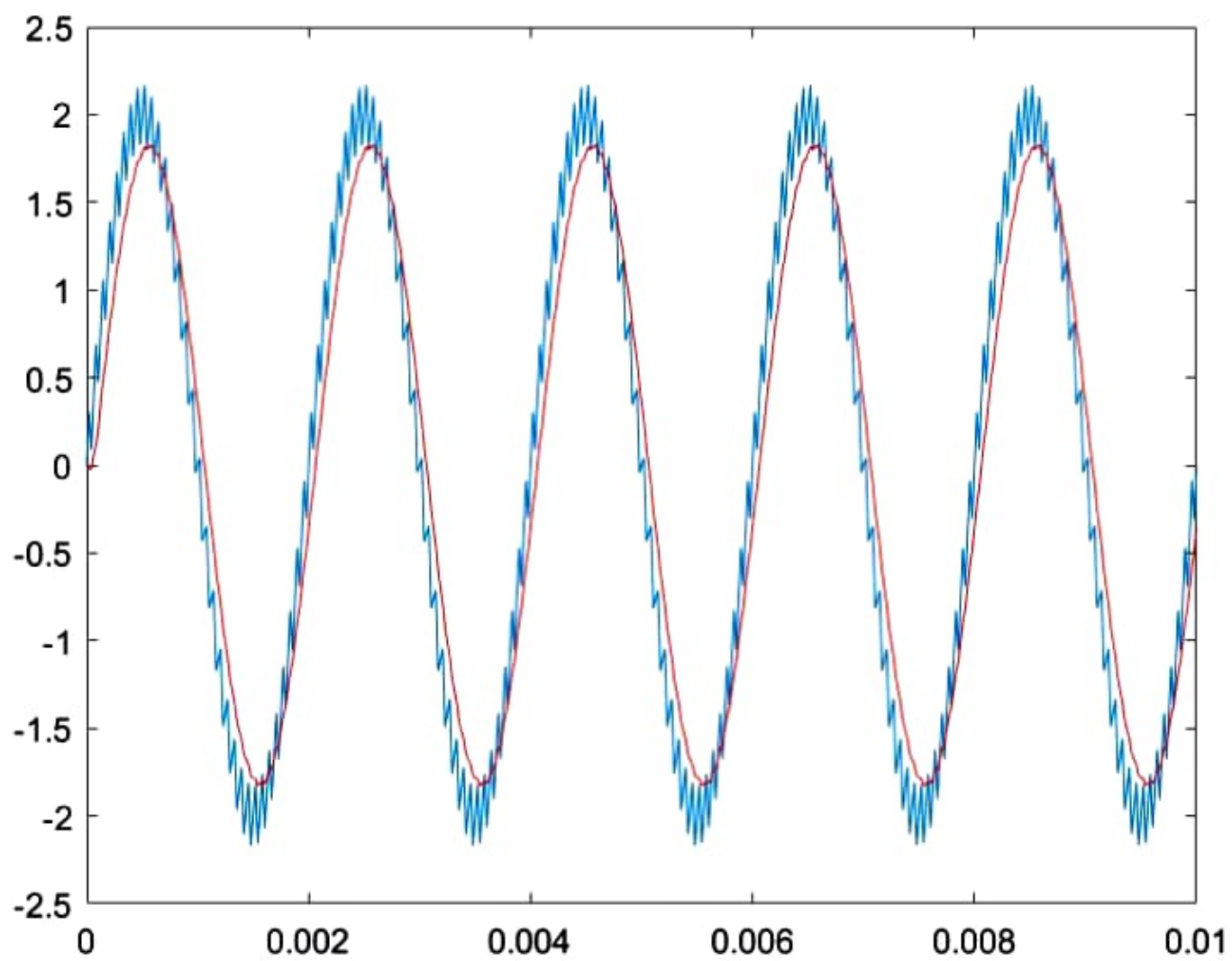
Enter a weight value for each band below.

Wpass: 1

Wstop: 1


```
clear;
fs = 48000;
T = 0.01;
ts = 1/fs;
t = 0:ts:T;
f1 = 500;
f2 = 16000;
% Input Signal
x = 2*sin(2*pi*f1*t)+0.2*sin(2*pi*f2*t);
% Filter Output with floating type filter arithmetic coefficients
figure(1);
plot(t,x);
hold;
floating_coeffs = [-0.0781393901070270,-0.0447899555785390,0.321833205219596,0.517757155393525,0.321833205219596,-0.0447899555785390,-0.0781393
y = filter(floating_coeffs,1,x);
plot(t,y,"r");
% Filter Output with fixed point filter arithmetic coefficients
figure(2);
plot(t,x);
hold;
quant_coeffs = [-0.0781250000000000,-0.0468750000000000,0.3203125000000000,0.5156250000000000,0.3203125000000000,-0.0468750000000000,-0.0781250000
y = filter(quant_coeffs,1,x);
plot(t,y,"r");
```





Discussion:-

- We are multiplying coefficients with 128 such that 7 bit range is covered because the coefficients have to be generated between -1 to 1 .