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# Python Developer

— Placement support —

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# Python Variables

Variable is a name that is used to refer to memory location. Python variable is also known as an identifier and used to hold value.

**a=50**



**b = a**





# Ways of assignment

**x=y=z=50**

**a,b,c=5,10,15**



1. print(x)
2. print(y)
3. print(z)



# Example

`a = 5`       $\longrightarrow$       `print("The type of a", type(a))`

`b = 40.5`       $\longrightarrow$       `print("The type of b", type(b))`

`c = 1+3j`       $\longrightarrow$       `print("The type of c", type(c))`

**Check variable belongs to specified class**

`print(" c is a complex number", isinstance(1+3j,complex))`



# More examples

str = "string using double quotes" → print(str)

str1 = 'hello Students' #string str1

str2 = ' how are you' #string str2

```
print (str1[0:2]) #printing first two character using slice operator
```

```
print (str1[4]) #printing 4th character of the string
```

```
print (str1*2) #printing the string twice
```

```
print (str1 + str2) #printing the concatenation of str1 and str2
```



# Data types

- **Integers (default for numbers)**

`z = 5 / 2` # Answer 2, integer division

- **Floats**

`x = 3.456`

- **Strings**

- Can use “” or ’ to specify with `“abc” == ‘abc’`
- Unmatched can occur within the string: `“matt’s”`

- **Boolean**

`True` or `False`



## Exercise Problem

What will be the output of the following program?

```
In [1]: first_name = "poonam"  
In [2]: last_name = "Adhikari"  
In [3]: print(first_name+ " " + last_name)
```



# Range

Get list of numbers in the given range

**Syntax :** `range(start_index, end_index, step_size)`

**Example:** `range(1,10,1)`

`range(1,10)` # if step size is not given by default step size is 1

`range(10)` # if start index is not given by default index is 0

**End\_index is not considered**





# Data Types

x = "Hello World" **str**

x = 20 **int**

x = 20.5 **float**

x = 1j **complex**

x = True **bool**

x = None **NoneType**

x = ["apple", "banana", "cherry"] **List**

x = ("apple", "banana", "cherry") **tuple**

x = range(6) **range**

x = {"name" : "John", "age" : 36} **dict**

x = {"apple", "banana", "cherry"} **set**



# Setting different data types

`x = str("Hello World")` **str**

`x = int(20)` **int**

`x = float(20.5)` **float**

`x = complex(1j)` **complex**

`x = bool(5)` **bool**

`x = list(("apple", "banana", "cherry"))` **list**

`x = tuple(("apple", "banana", "cherry"))` **tuple**

`x = range(6)` **range**

`x = dict(name="John", age=36)` **dict**

`x = set(("apple", "banana", "cherry"))` **set**

# Re-declaration of variables

```
# Declare a variable and initialize  
f = 0  
print(f)  
# re-declaring the variable works  
f = 'guru99'  
print(f)
```

you can re-declare  
the variables,  
even-after if it is  
declared once. it  
works fine

Python5.1

"C:\Users\DK...e  
5/PythonCode5/1

0  
guru99



# Deleting a variable

Variable = "Hello, world!"

**del variable**

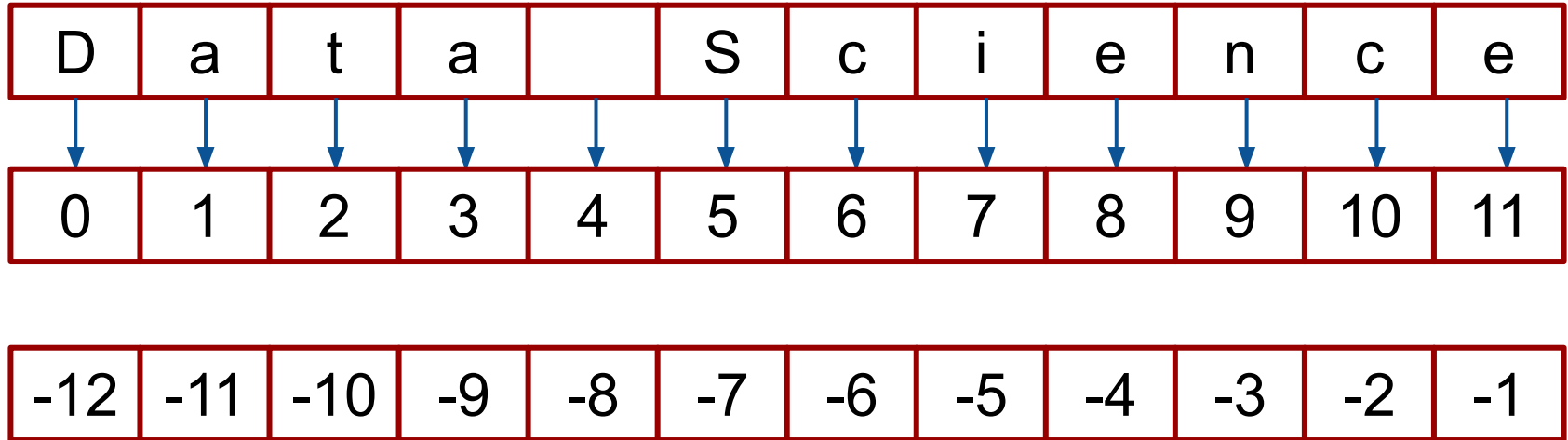
print(variable)

-> variable is deleted from memory



# List

My\_str = "Data Science"





# List Properties

**Ordered:** Maintain the order of the data insertion

**Changeable:** List is mutable and we can modify items

**Heterogeneous:** List can contain data of different types

**Contains duplicate:** Allows duplicates data

**Lists are mutable**



# Functions in List

<code>append()</code>	Adds the element at the end of the list.
<code>clear()</code>	Removes all the elements from the list
<code>copy()</code>	Returns a copy of the list
<code>count()</code>	Returns the number of elements with the specified values
<code>extend()</code>	Add the elements of a list(or any iterables), to the end of the current list
<code>index()</code>	Returns the index of the first element with the specific value
<code>pop()</code>	Removes the element at the specific value
<code>remove()</code>	Removes the item with the specified value
<code>sort()</code>	Sorts the list



# List

List are comma separated elements in bracket

```
A = [1,2,3,4]
```

Elements can be of different data types

```
A = [1, 'a', 'hello', 4.2]
```

List element can be another list

```
A = [1, 'a', ['hello', 'world'], 4.2]
```





# Accessing elements

```
c = [-4, -3, -2, -1]
```

**list elements can be accessed by index**

```
print(c[0])
```

```
print(c[-1])
```

```
print(c[-1])
```



## Try these

```
print(c[1:])
```

```
print(c[-2:])
```

```
print(c[:2])
```



# Tuples

**Tuples are like lists**

```
a = (1, 2, 3)
```

```
b = (a, 'world')
```

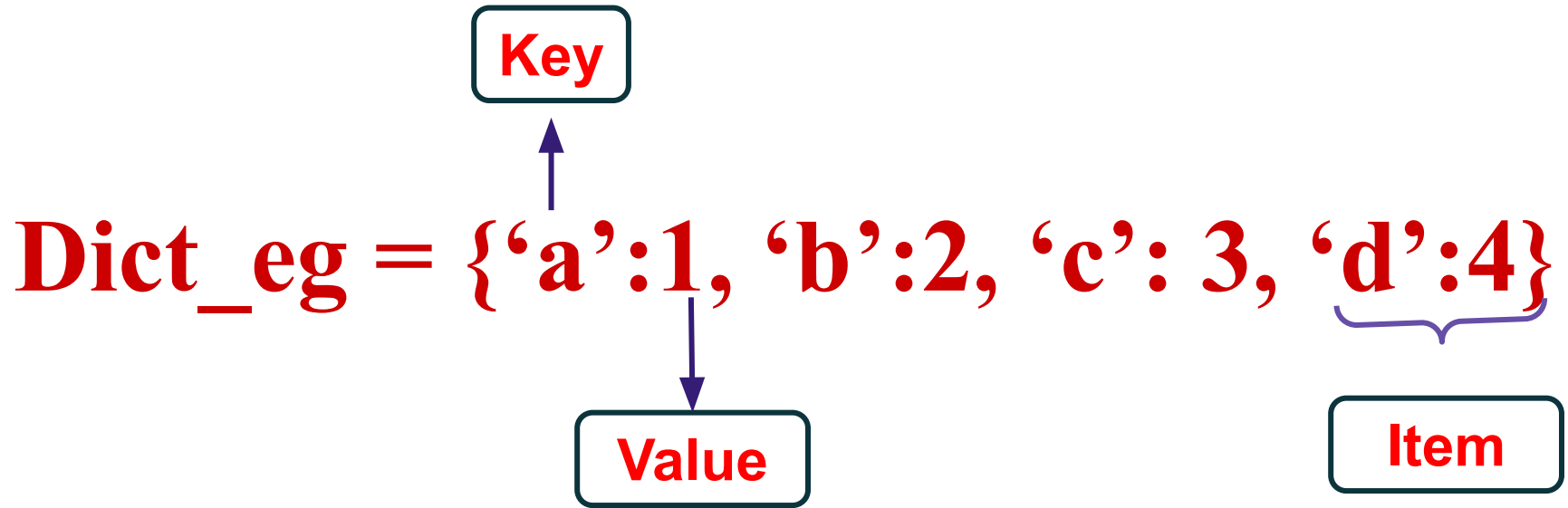
```
print(a[2])
```

**But they are immutable: try**

```
a[1] = 0
```



# Dictionary





# Properties of Dict

**Unordered:** The items in dict are stored without any index value

**Unique:** Keys in dictionaries should be Unique

**Mutable:** We can add/modify/remove key-value after the creation



# Functions in dictionaries

<code>clear()</code>	Removes all the elements from the dictionary
<code>copy()</code>	Returns a copy of the dictionary
<code>get()</code>	Returns the value associated with the given key
<code>from keys()</code>	Returns a dictionary with the specified keys and value
<code>items()</code>	Returns a list containing a tuple for each key value pair
<code>keys()</code>	Returns a list containing the dictionary's keys
<code>pop()</code>	Removes the element with the specified key
<code>popitem()</code>	Removes the last inserted key-value pair
<code>update()</code>	Updates the dictionary with the specified key-value pairs



# Dictionary

**Like a bilingual dictionary, it allows you to associate a key to a value.**

```
weight = {'Amar': 68, 'Akbar': 73, 'Anthony': 55} print(weight)
```

**dict maps keys to values**

**dict can be used for unordered structured data**



# Set

**Set\_eg = {'ds', 10, 20.10}**





# Set properties

**Unordered:** Set doesn't maintain the order of the data insertion.

**Unchangeable:** Set are immutable and we can't modify items

**Heterogeneous:** Set can contains data of all types

**Unique:** Set don't allows duplicates items



# Mutable

Mutable: Objects whose value can change are said to be mutable E.g., list, dictionary, set and user-defined classes

```
list_values = [1, 2, 3]
set_values = (1, 2, 3)
print(id(list_values))
print(id(set_values))
```

```
list_values += [4, 5, 6]
set_values += (4, 5, 6)
print(id(list_values))
print(id(set_values))
```



# Immutable

**Immutable:** whose value is unchangeable once they are created are called immutable int, float, decimal, bool, string

```
number = 42
```

```
print(id(number))
```

```
number += 1
```

```
print(id(number))
```



# Operators in Python

Operator	Name	Example
+	Addition	$x + y$
-	Subtraction	$x - y$
*	Multiplication	$x * y$
/	Division	$x / y$
%	Modulus	$x \% y$
**	Exponentiation	$x ** y$
//	Floor division	$x // y$



# Conditions

- **Equals:**  $a == b$
- **Not Equals:**  $a != b$
- **Less than:**  $a < b$
- **Less than or equal to:**  $a \leq b$
- **Greater than:**  $a > b$
- **Greater than or equal to:**  $a \geq b$



# Conditions

## If statement

```
a = 33
b = 200
if b > a:
    print("b is greater than a")
```

## elif statement

```
a = 33
b = 33
if b > a:
    print("b is greater than a")
elif a == b:
    print("a and b are equal")
```

## else statement

```
a = 200
b = 33
if b > a:
    print("b is greater than a")
elif a == b:
    print("a and b are equal")
else:
    print("a is greater than b")
```



## If with and

a = 200

b = 33

c = 500

if a > b and c > a:

print("Both conditions are True")

## If with or

a = 200

b = 33

c = 500

if a > b or c < a:

print("Atleast one condition is True")

## If with not

a = 200

b = 33

c = 500

if not(a > b):

print("condition is False")

else:

print("condition is True")



# For loop

Why you need loop?

*If you need to repeat the same, or similar, code a number of times*

Options or sequence

Semicolon: denotes separation

Syntax: **for value in range:**

```
fruits = ["apple", "banana", "cherry"]  
for x in fruits:  
    print(x)
```

```
for x in "banana":  
    print(x)
```



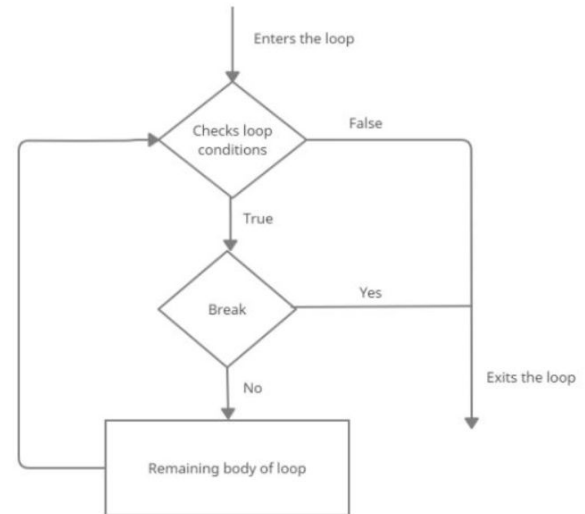


# Break

- **Loop control statement**
- Terminate a loop and skip to the next code after the loop; break will help you do that

```
fruits = ['apple', 'grapes', 'banana']  
for x in fruits:  
    print(x)  
    break
```

```
fruits = ['apple', 'grapes', 'banana']  
for x in fruits:  
    print(x)  
    if x == 'grapes':  
        break
```





# Break / Continue

```
for index in range(0,10):  
    if index%2 == 0:  
        continue  
    else:  
        print("Given index is: ",str(index))
```

```
for index in range(1,10):  
    if index%3 == 0:  
        break  
    else:  
        print("Given index is: ",str(index))
```



# Functions

## Introduction:

- Runs when it is called.
- Can pass data, known as parameters
- Can return data as a result

### Syntax:

```
def my_function(arguments):  
    "Your function code"
```

Keyword to start function



# Functions

## Introduction:

- Runs when it is called.
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**Syntax:**

```
def my_function(arguments):  
    "Your function code"
```

Function name

Keyword to start function



# Functions

## Introduction:

- Runs when it is called.
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**Syntax:**

```
def my_function(arguments):  
    "Your function code"
```

Diagram illustrating the syntax of a Python function definition:

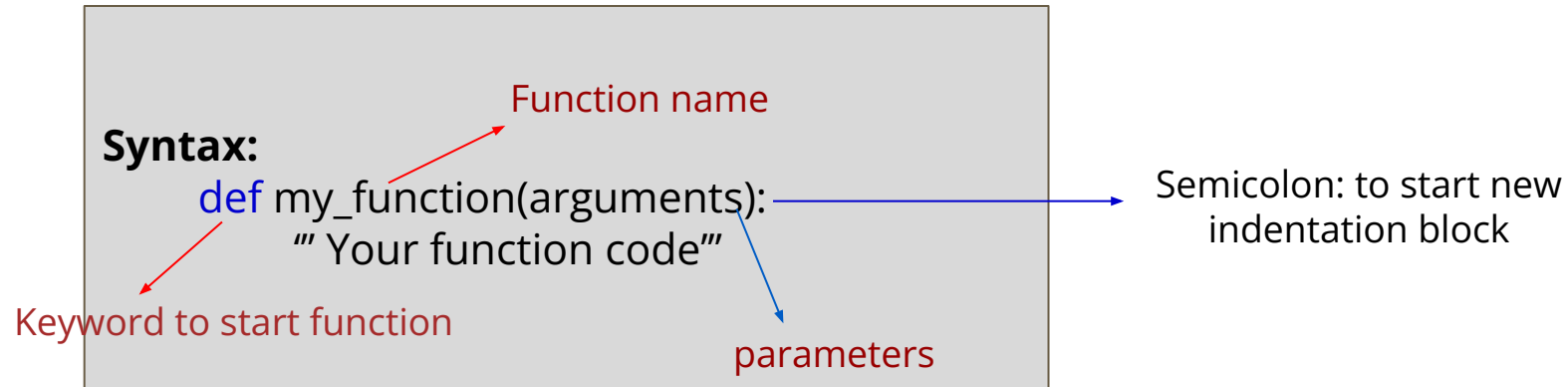
- def**: Keyword to start function (indicated by a red arrow)
- my\_function**: Function name (indicated by a red arrow)
- arguments**: parameters (indicated by a blue arrow)



# Functions

## Introduction:

- Runs when it is called.
- Can pass data, known as parameters
- Can return data as a result

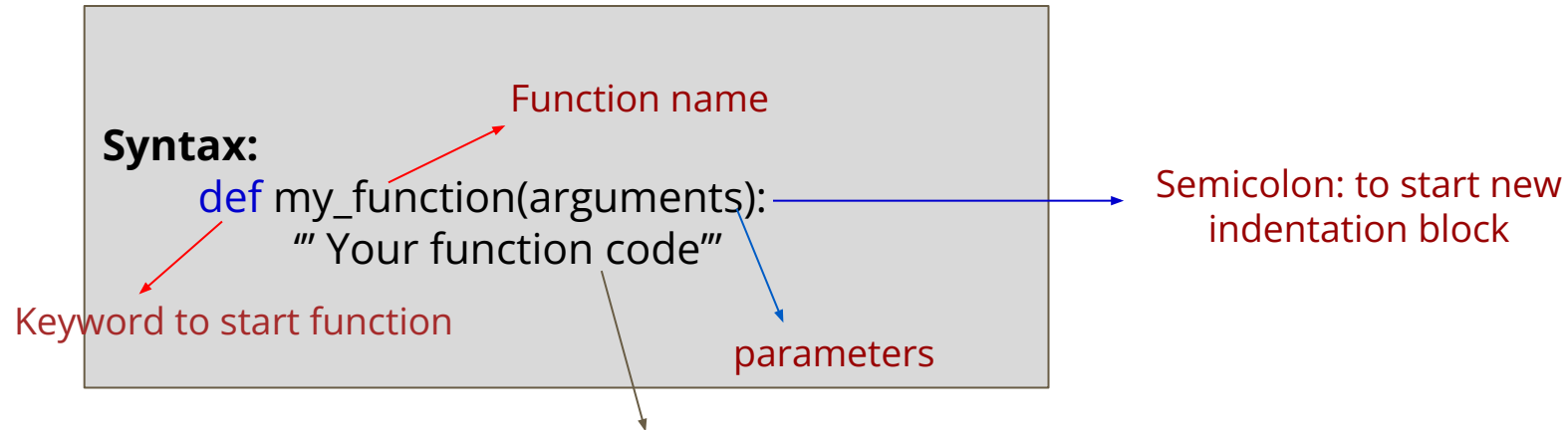




# Functions

## Introduction:

- Runs when it is called.
- Can pass data, known as parameters
- Can return data as a result



Semicolon: to start new indentation block



# Why we need functions

- Functions allow the same piece of code to run multiple times
- Abstractions
- Reusability
- Functions are used to divide the program into simple modules





## Writing a function

```
def demo_function():  
    print("Welcome")  
  
demo_function() —————> Calling a function
```

## Passing arguments

```
def demo_function(name):  
    print("Hi: "+name)  
    print("Welcome")  
  
demo_function("Poonam")
```

## Returning value

```
def demo_function(first_name, last_name):  
    print("Welcome"+first_name+" "+last_name)  
    return first_name+" "+last_name  
  
demo_function("Poonam","Adhikari")
```

*IMP: You have to pass specified number of arguments  
Argument and parameters are same thing*



# Take any number of arguments

- Use \* before the parameter name
- Will receive tuple of arguments

## Syntax:

```
def student_names(*arg):  
    for parameter in arg:  
        print(parameter)  
  
student_names("lalit","ankit",'Krish')
```

# Keywords arguments

- Send arguments with the *key = value*
- Order of the arguments does not matter.

## Syntax:

```
def student_names(st1, st2, st3):  
    print("Third student is " +st3)  
  
student_names(st1 = "lalit", st2= "ankit", st3= "krish")
```



# Default arguments and arbitrary arguments

## Default arguments

Function without argument, it uses the default value

Syntax:

```
def my_function(city="Chandigarh"):
    print("Your city is: "+city)
my_function("Ropar")
my_function()
```

Default value for city is Chandigarh

## Arbitrary arguments

Not sure about number of keywords arguments?

Syntax:

```
def my_function(**args):
    print("Your city is: ",args['name'],args['state'],args['country'])
```

Poonam. my\_function(name="Ropar",state="Punjab",country="India")



# List Comprehensions

- List in single line
- Offers a shorter syntax
- The return value is a new list

```
fruits = ["apple", "banana", "cherry", "kiwi", "mango"]
newlist = []

for x in fruits:
    if "a" in x:
        newlist.append(x)

print(newlist)
```

The *condition* is like a filter that only accepts the items that evaluate to `True`

Every list comprehension in Python includes three elements:

1. **expression** is the member itself, a call to a method, or any other valid expression that returns a value. In the example above, the expression is `if "a" in x`.
2. **member** is the object or value in the list or iterable. In the example above, the member value is `x`.
3. **iterable** is a list, [set](#), sequence, [generator](#), or any other object that can return its elements one at a time. In the example above, the iterable is `fruits`.

```
fruits = ["apple", "banana", "cherry", "kiwi", "mango"]
newlist = [x for x in fruits if "a" in x]
print(newlist)
```



# While Loop

With the **while** loop we can execute a set of statements as long as a condition is true.

```
In [6]: index = 1
...: while index < 4:
...:     print(index)
...:     index += 1
...:
```

```
1
2
3
```

Print index as long as  
index is less than 4:

```
In [5]: index = 1
...: while index < 4:
...:     if index == 3:
...:         break
...:     print(index)
...:     index += 1
...:
```

```
1
2
```

Break in while loop

```
In [4]: index = 0
...: while index < 4:
...:     index += 1
...:     if index == 2:
...:         continue
...:     print(index)
...:
```

```
1
3
4
```

Continue in while loop



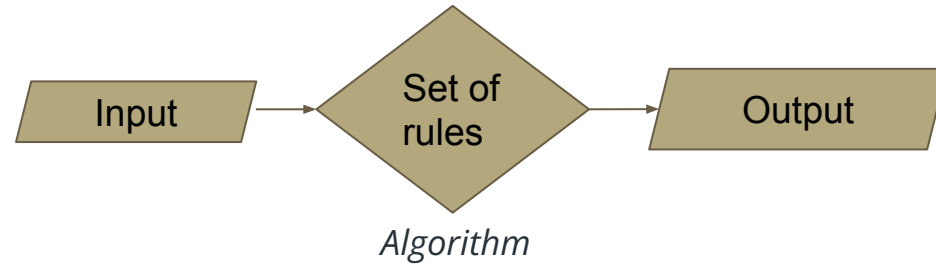
# Continue

- End the current iteration
- Continues to the next iteration



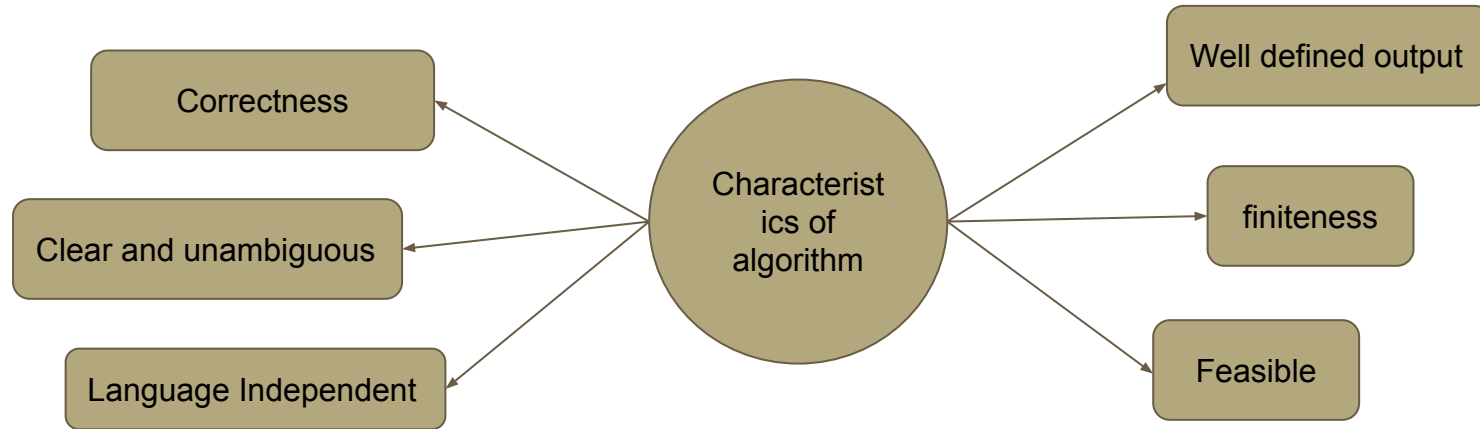
# What is algorithm

Set of **finite** steps to **accomplish** a task





# Characteristics of Algorithm







# Example of Algorithm

Write an algorithm to prepare tea:

1. Turn on stove
2. Hot some water in pan
3. Add some tea leaves
4. Add sugar
5. Add milk
6. Wait till it boil



# Program and Algorithm

Algorithm	Program
Required at <b>design phase</b>	Required at <b>implementation phase</b>
Written in <b>natural language</b>	Written in <b>any language</b>
No need to follow proper syntax	Need to follow proper syntax of a language
We <b>analyse</b> algorithm	We <b>test</b> program
Person should have domain knowledge	Programmer



# How to write an algorithm

E.g Sum of two numbers

Step 1: start

Step 2: Read/input/enter two numbers (a,b)

Step 3:  $\text{sum} = a + b$

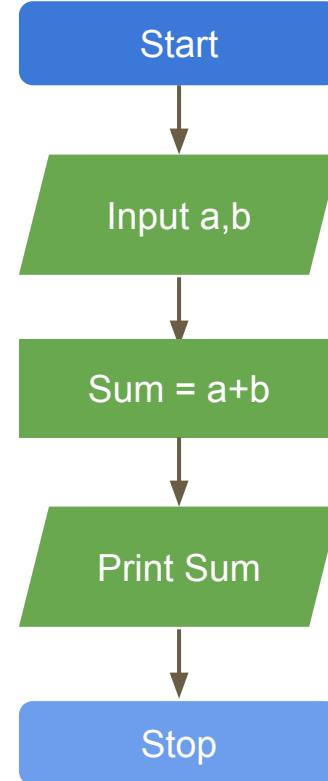
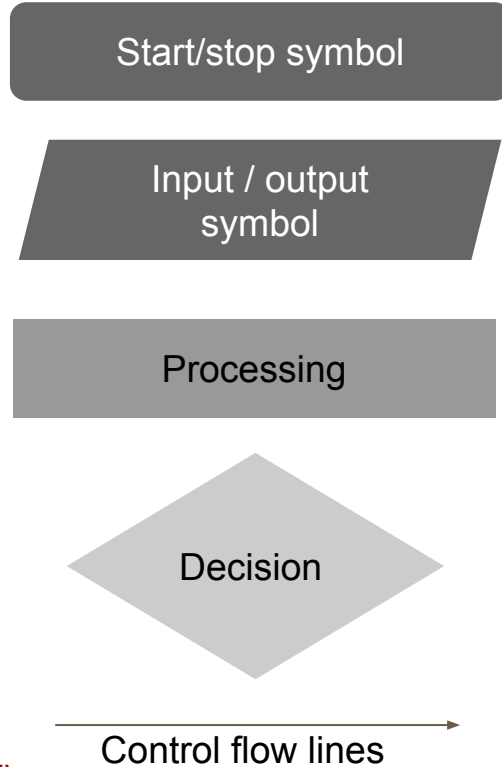
Step 4: print sum

Step 5: stop



# Representation of Algorithm

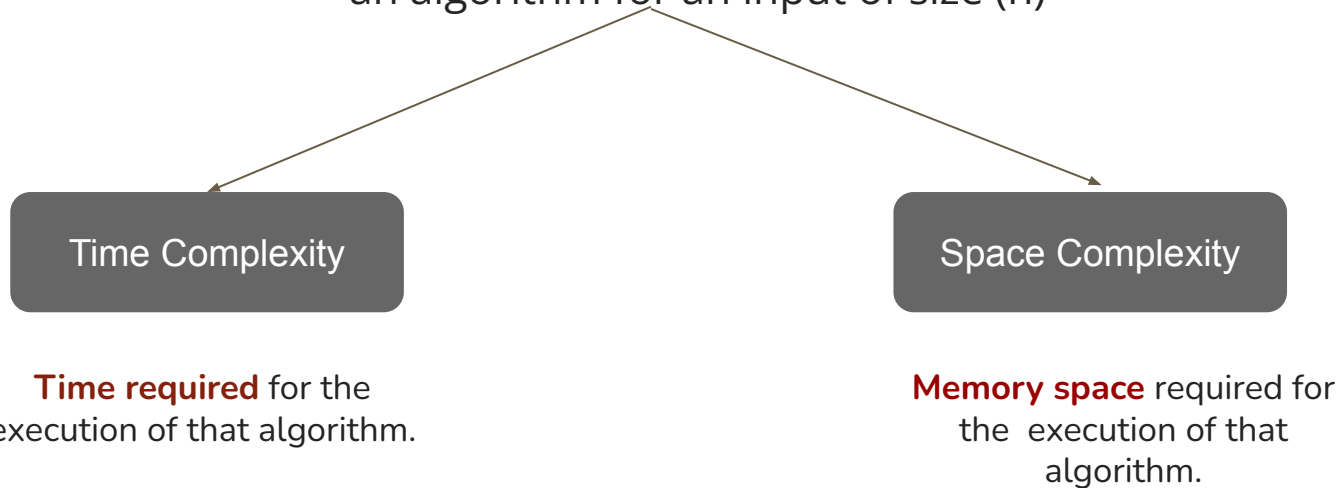
1. Pseudo code
2. Flow chart





# Analysis of Algorithm

The complexity of an algorithm computes the **amount of time** and **spaces** required by an algorithm for an input of size (n)





# Time Complexity

**Worst case :** the maximum run time

**Average case :** Average run time

**Best case :** the minimum run time

**Given two algorithms how do we find out which perform better?**

**Record execution time**

**Asymptotic Analysis :** the best way available for analyzing algorithms

We analyse performance of an algorithm in terms of input size



# Big Oh notation

**The worst-case running time of a program**

**Defines an upper bound of an algorithm**

1. Ignore constants
  - a.  $5n = O(n)$
2. Ignore low-order terms
  - a.  $(5+15*20)$  -----> Constant time (independent of input size N)
  - b. For n in range(0,n): print(n) ----->  $n*O(1) = O(n)$
  - c. For n in range(0,n):
    - i. For i in range(0,i):
      1. print(n\*i)

$(n*n) = n^2$

$$O(1) < O(\log(n)) < O(n) < O(n \log(n)) < O(n^2) < O(2^n) < O(n!)$$



$$\log_b(MN) = \log_b(M) + \log_b(N)$$

$$\log_b(N/M) = \log_b(M) - \log_b(N)$$

$$\log_b(M^p) = p \cdot \log_b(M)$$

$$-\log(1) = 0$$

$$-\log(4) = 2$$

$$-\log(8) = 3.$$





# Addition of two numbers

`x=int(input())` →  $O(1)$

`y=int(input())` →  $O(1)$

`z=x+y` →  $O(1)$

`print(z)` →  $O(1)$



# Sum of n numbers

```
sum=0           → O(1)
n=int(input())  → O(1)
for i in range(n): → O(n)
    sum=sum+i
print(sum)
```



```
i=0
```

```
while(i<10):
```

```
    print(i) → O(logn)
```

```
    i=i*2
```



```
j=1
while(j<10):
    i=1
    while(i<10):
        print(i)
        i=i*2
    j=j+1
```

$O(\log n)$

$O(n)$

$O(n \log n)$



```
For i in range(n):  $\longrightarrow$   $O(n)$   
    For j in range(n):  $\longrightarrow$   $O(n)$   
        if(a[i]==a[j]):  
            print("duplicate found")
```

i=1 j loop gets  
executed  $O(n)$   
i=2  $O(n)$   
i=3  $O(n)$   
|  
|  
|  
i=n  $O(n)$   
Final Answer :  $O(n^2)$

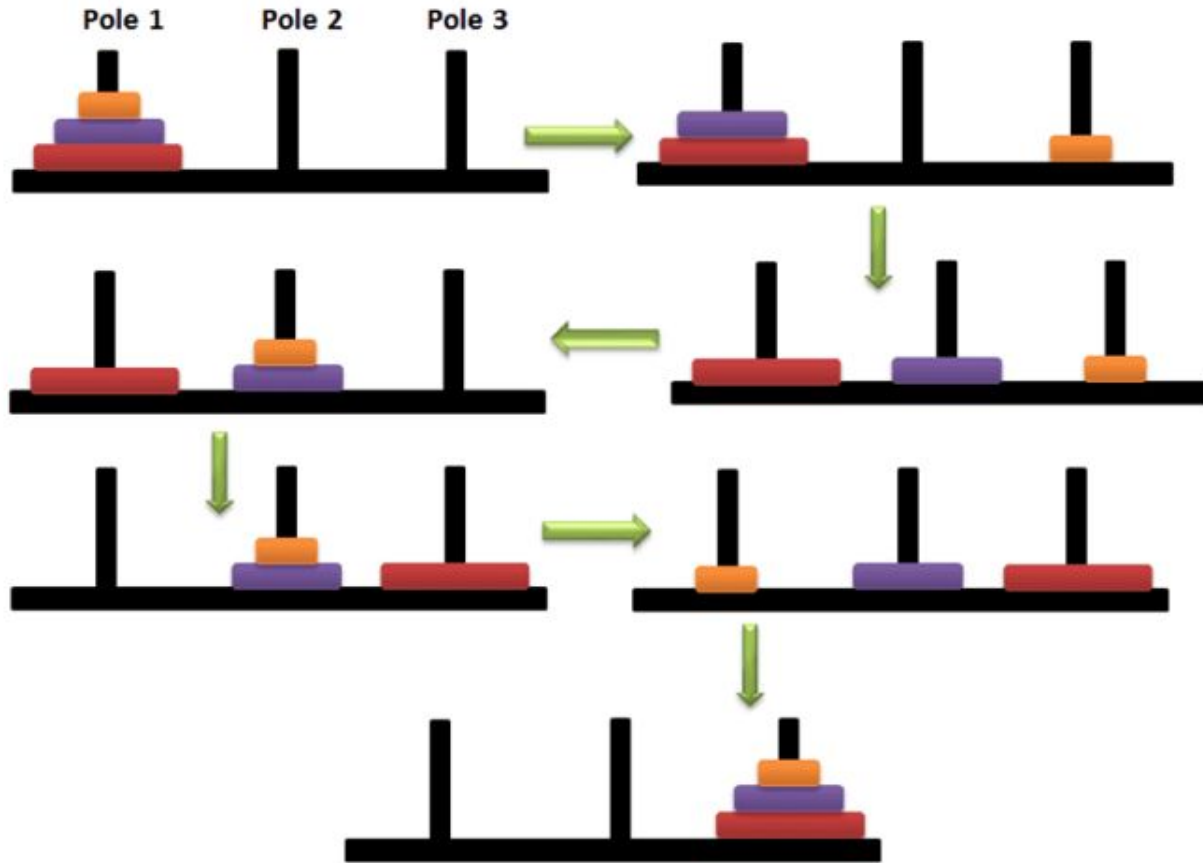
**BETTER**



**WORSE**

- $O(1)$  constant time
- $O(\log n)$  log time
- $O(n)$  linear time
- $O(n \log n)$  log linear time
- $O(n^2)$  quadratic time
- $O(n^3)$  cubic time
- $O(n^k)$  polynomial time
- $O(2^n)$  exponential time

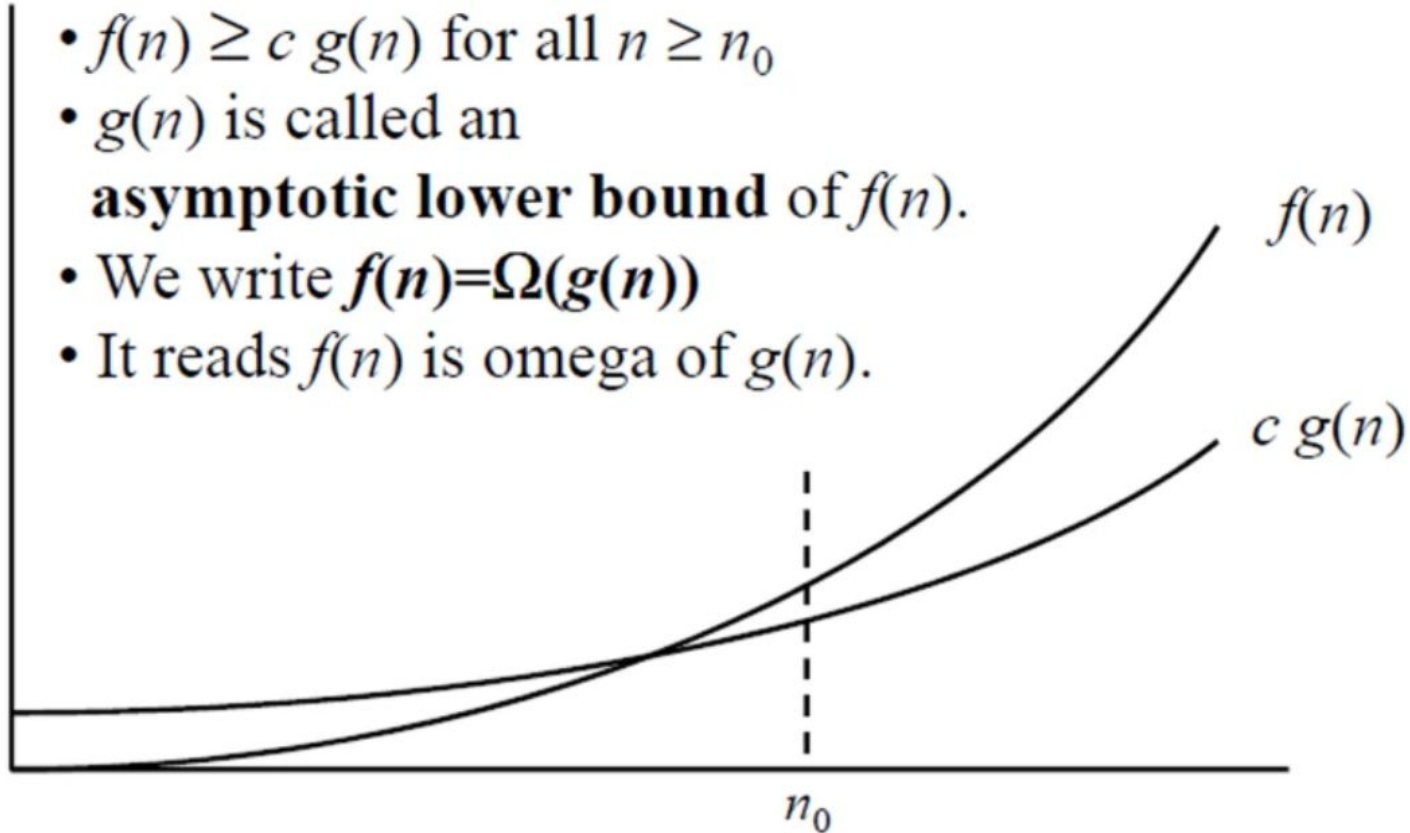






# Asymptotic Lower Bound

- $f(n) \geq c g(n)$  for all  $n \geq n_0$
- $g(n)$  is called an **asymptotic lower bound** of  $f(n)$ .
- We write  $f(n) = \Omega(g(n))$
- It reads  $f(n)$  is omega of  $g(n)$ .

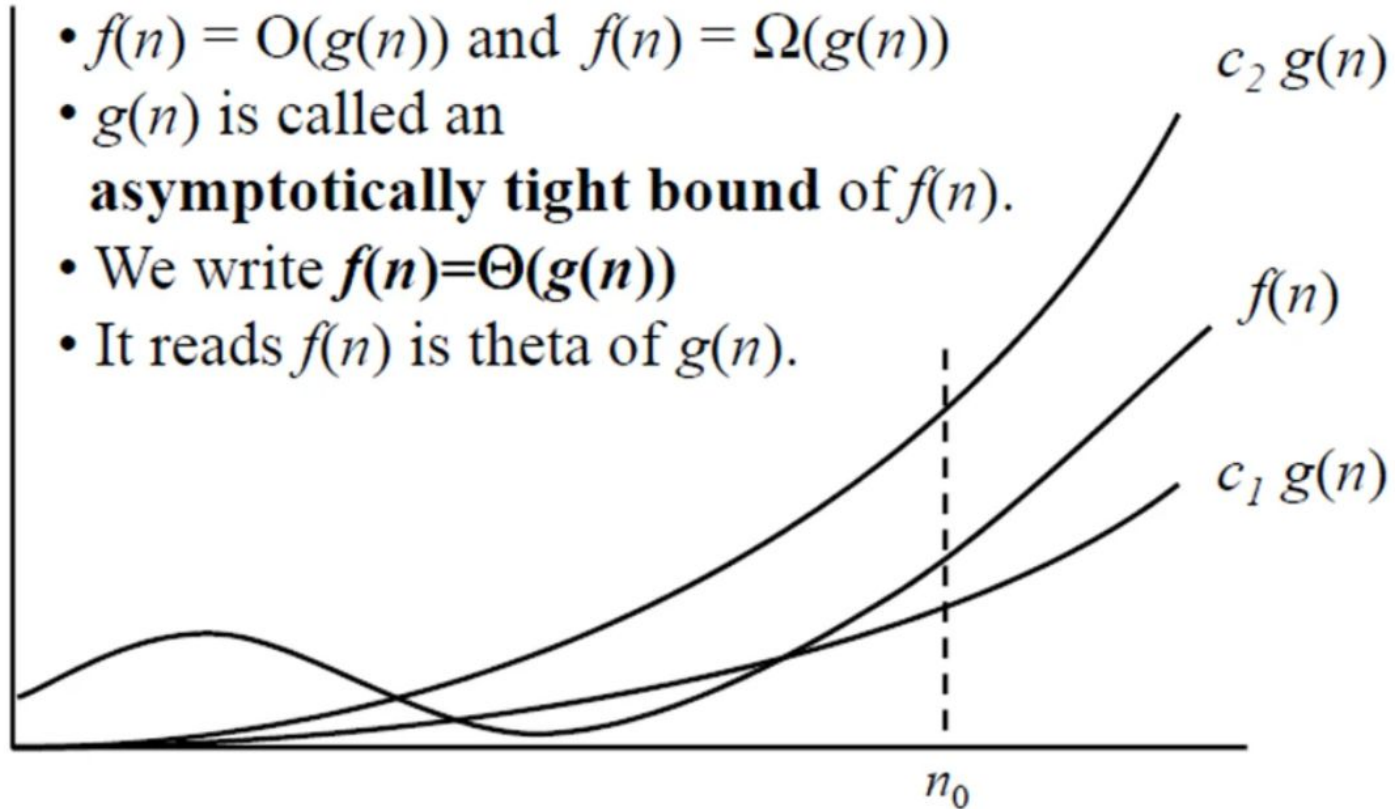






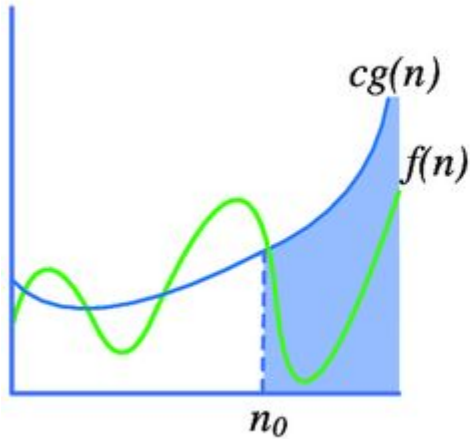
# Asymptotically Tight Bound

- $f(n) = O(g(n))$  and  $f(n) = \Omega(g(n))$
- $g(n)$  is called an **asymptotically tight bound** of  $f(n)$ .
- We write  $f(n) = \Theta(g(n))$
- It reads  $f(n)$  is theta of  $g(n)$ .

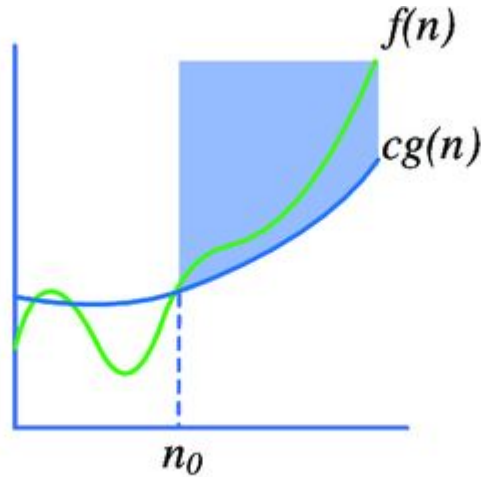




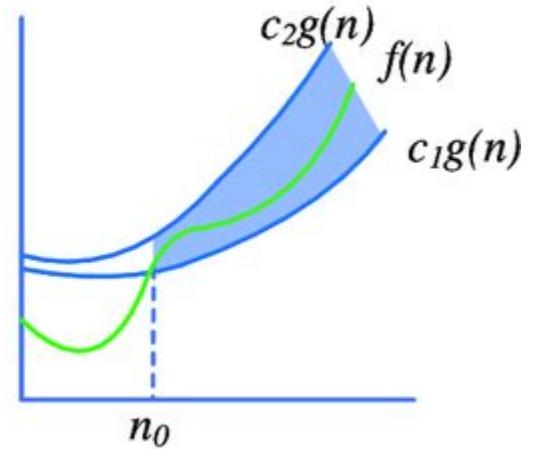
# Big-O, Big-Omega, Big-Theta



(a) Big-O Notation



(b) Big-Omega Notation

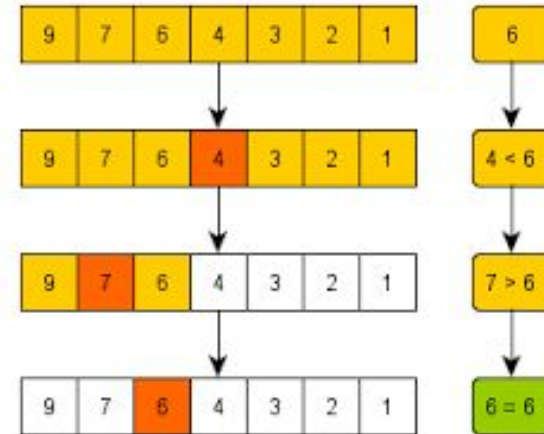
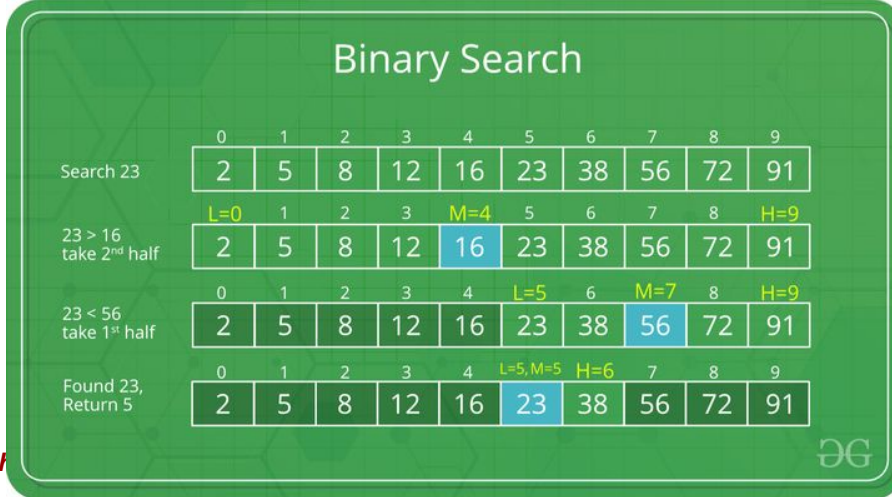


(c) Big-Theta Notation



# Binary Search

- Begin with the **mid element** of the whole array as a search key.
- If the value of the **search key** is **equal** to the item then **return an index** of the search key.
- If the value of the search key is **less** than the item in the middle of the interval
- Otherwise, narrow it to the upper half.
- Repeatedly check from the second point until the value is found or the interval is empty





# Python Program

```
def binary_search(arr, x):  
    low = 0  
    high = len(arr) - 1  
    mid = 0  
  
    while low <= high:  
  
        mid = (high + low) // 2  
  
        if arr[mid] < x:  
            low = mid + 1  
        elif arr[mid] > x:  
            high = mid - 1  
  
        else:  
            return mid  
    return -1
```



# Complexity of Binary Search

**Best Case :** when the first middle element itself is the element to be searched. The best-case time complexity of Binary search is  **$O(1)$** .

**Average Case Complexity -** The average case time complexity of Binary search is  **$O(\log n)$** .

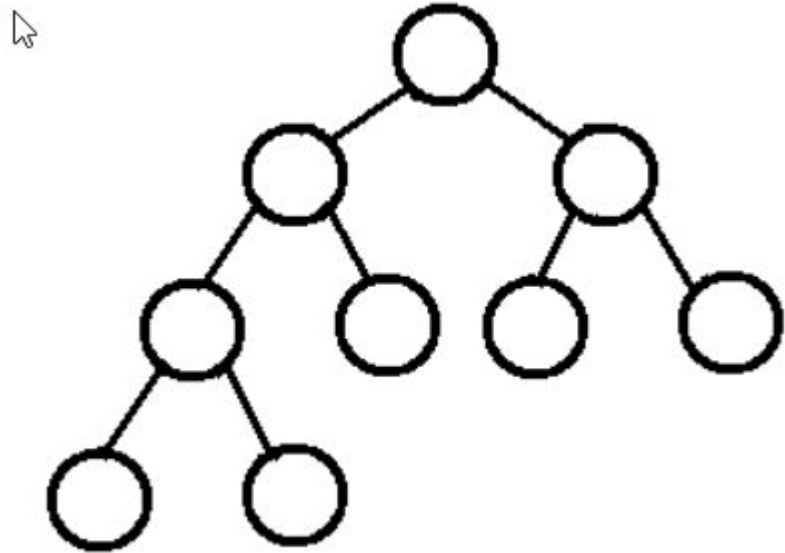
**Worst Case Complexity -** In Binary search, the worst case occurs, when we have to keep reducing the search space till it has only one element. The worst-case time complexity of Binary search is  **$O(\log n)$** .

Case	Time Complexity
Best Case	$O(1)$
Average Case	$O(\log n)$
Worst Case	$O(\log n)$

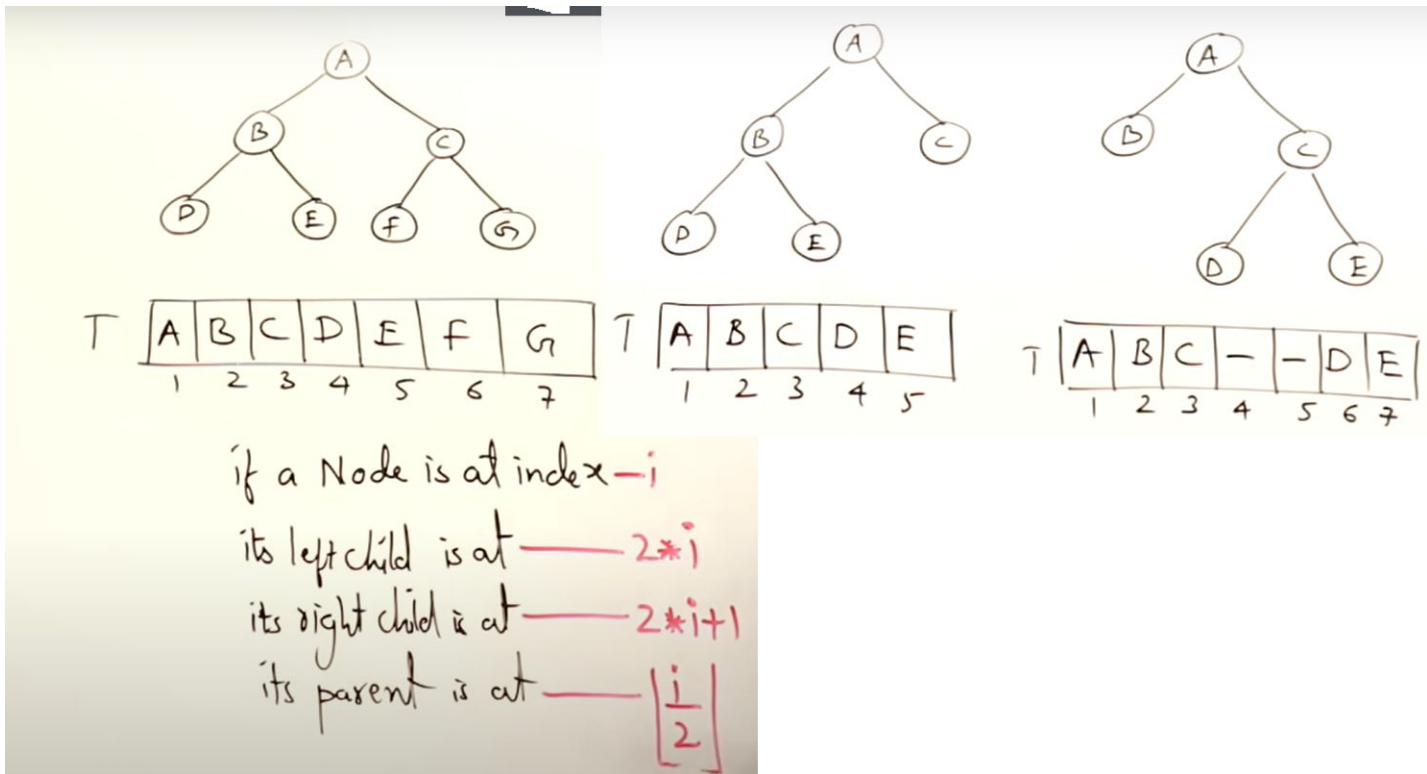


# Heap

All levels are filled except the last  
Nodes are added from left to right



# Heap





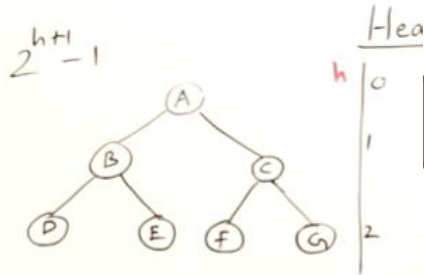
# Complete and Full Binary Tree:

Every full binary tree is also complete binary tree

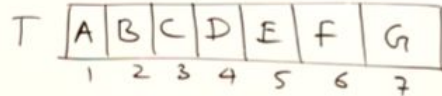
Complete binary tree is full binary tree upto level  $(l-1)$

Number of nodes in Full binary tree:  $2^{(l+1)}-1$ , where  $l$  starts from 0

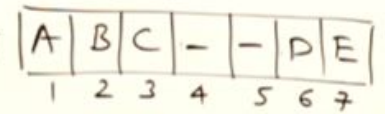
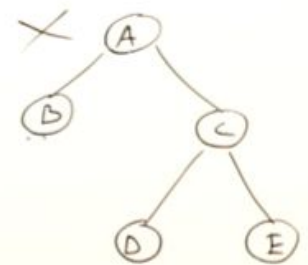
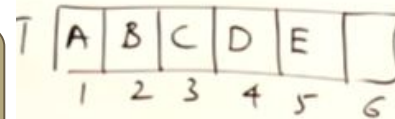
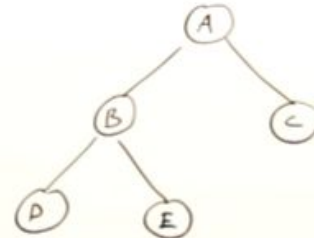
Incomplete  
binary tree



Complete Binary  
tree but not full



Full as well as  
Complete

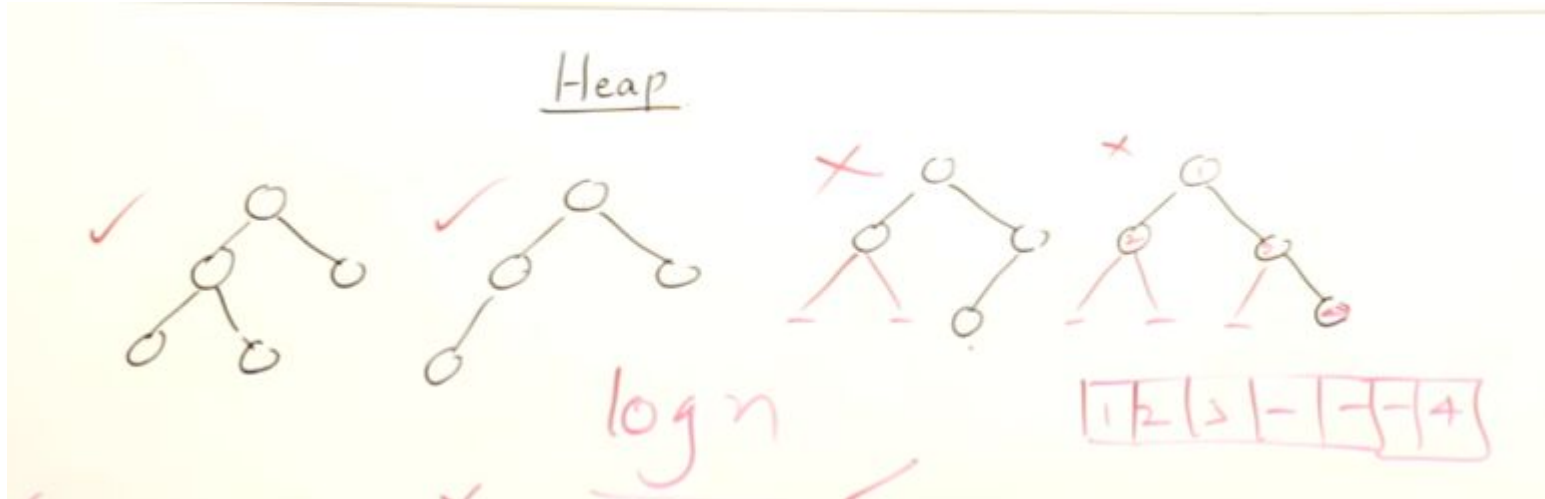






# Height of complete binary tree

$\log(n)$

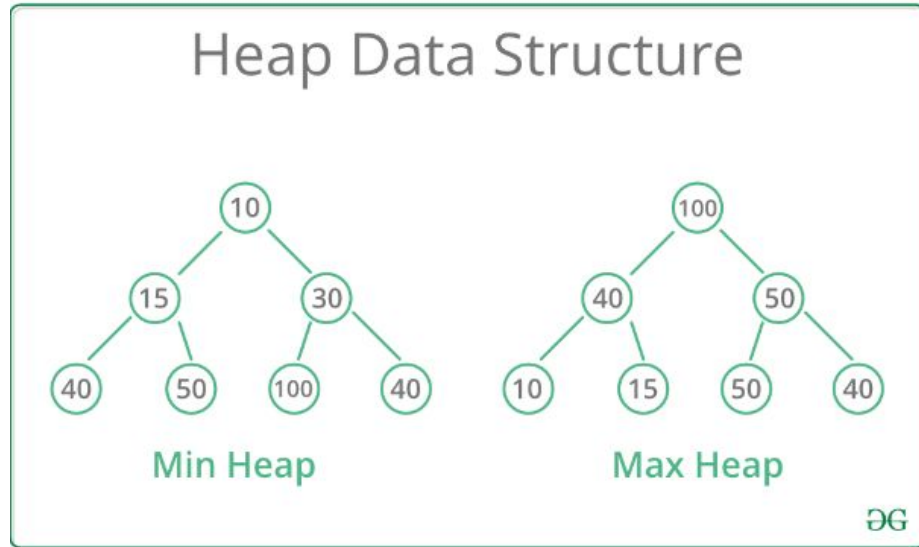




# Types of Heap

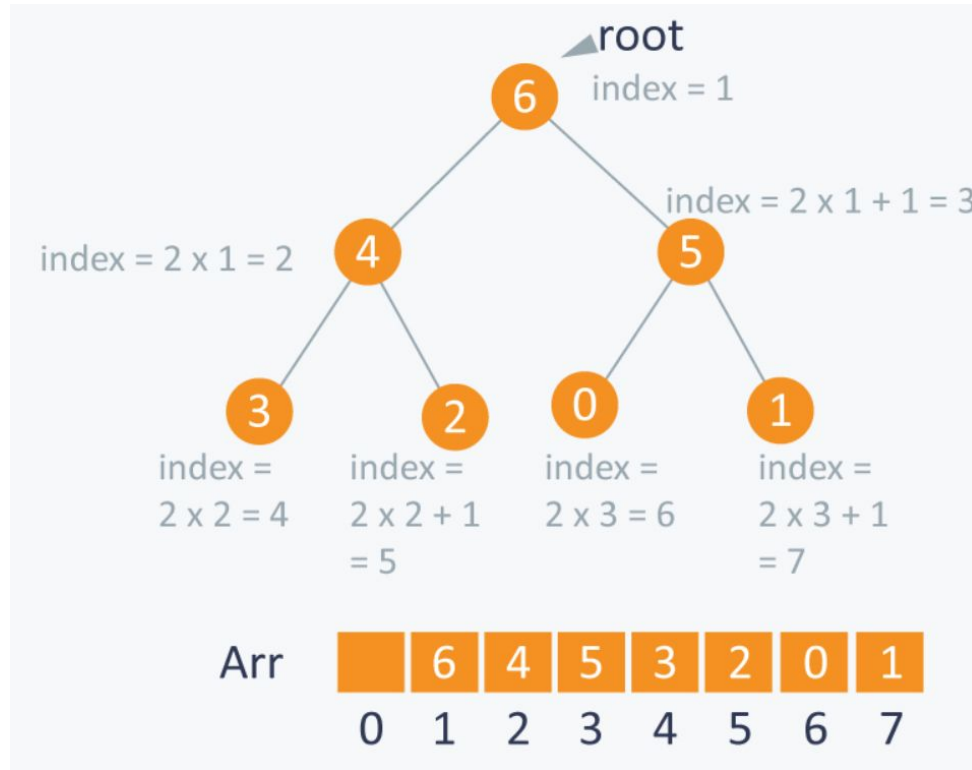
**Max-heap:** In a Max-Heap the key present at the root node must be greatest among the keys present at all of it's children.

**Min-heap:** In a Min-Heap the key present at the root node must be minimum among the keys present at all of it's children





# Process





# Max Heap construction

- Step 1** – Create a new node at the end of heap.
- Step 2** – Assign new value to the node.
- Step 3** – Compare the value of this child node with its parent.
- Step 4** – If value of parent is less than child, then swap them.
- Step 5** – Repeat step 3 & 4 until Heap property holds.

Input 35 33 42 10 14 19 27 44 26 31

35

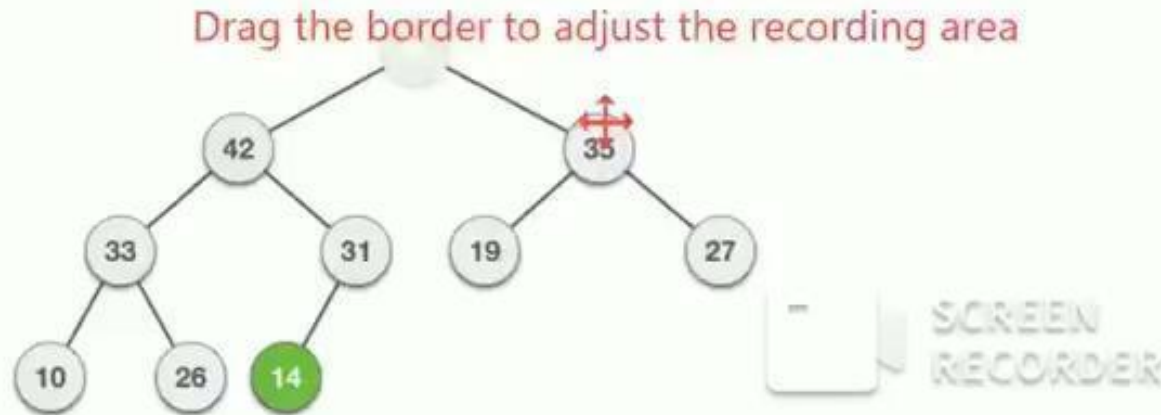
AD



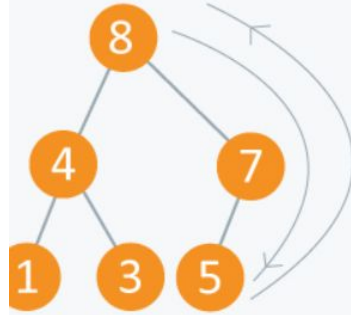


# Max heap deletion

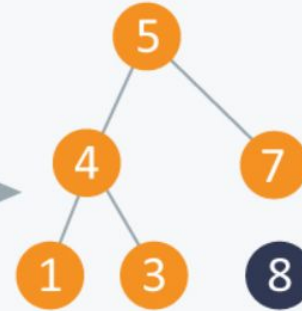
- Step 1** - Remove root node.
- Step 2** - Move the last element of last level to root.
- Step 3** - Compare the value of this child node with its parent.
- Step 4** - If value of parent is less than child, then swap them.
- Step 5** - Repeat step 3 & 4 until Heap property holds.



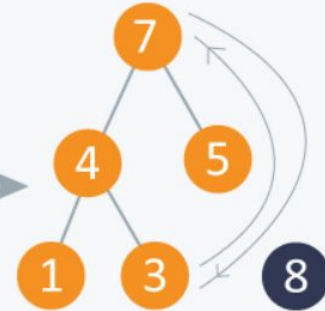
Step 1  
Max Heap



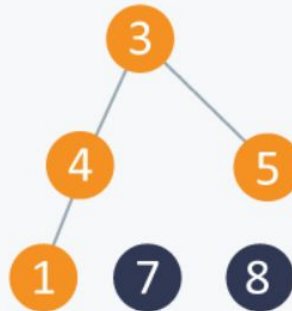
Step 2



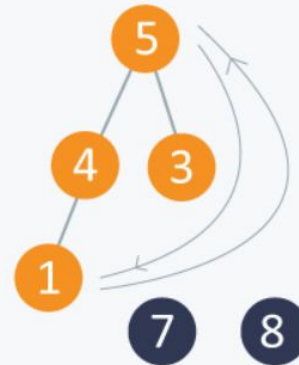
Step 3  
Max Heap



Step 4



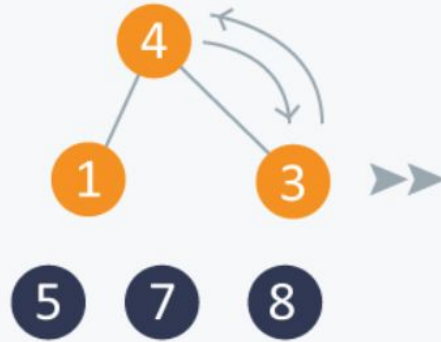
Step 5  
Max Heap



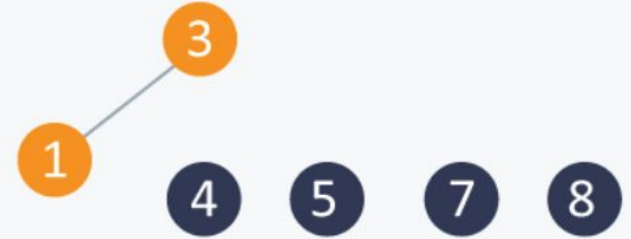
Step 6



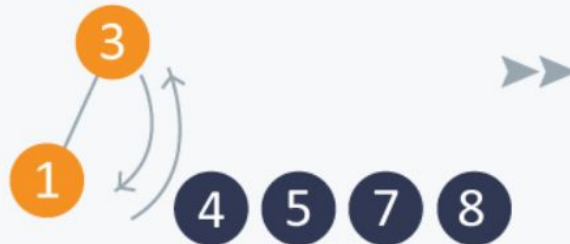
Step 7  
Max Heap



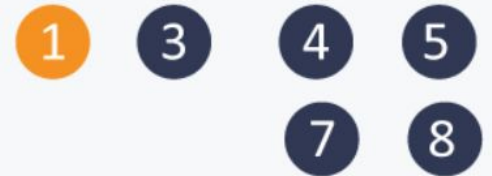
Step 8



Step 9  
Max Heap



Step 10

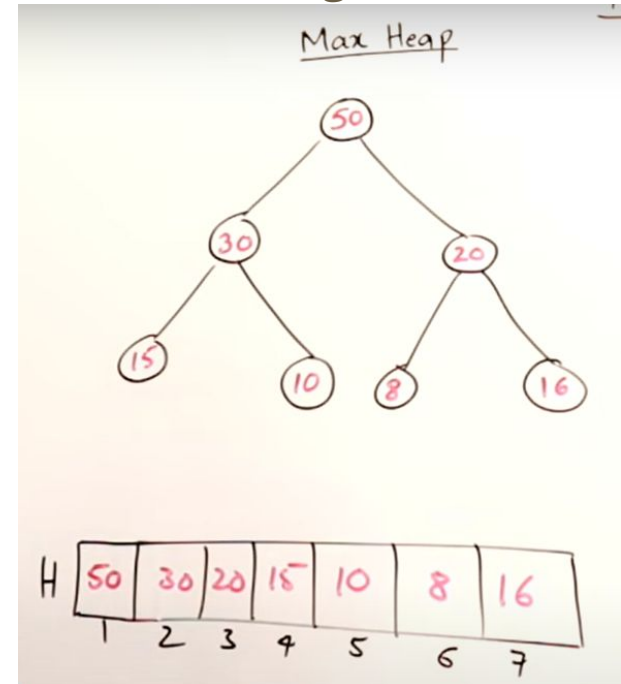




# Max Heap

- Root node will have value greater than its child (both left and right)

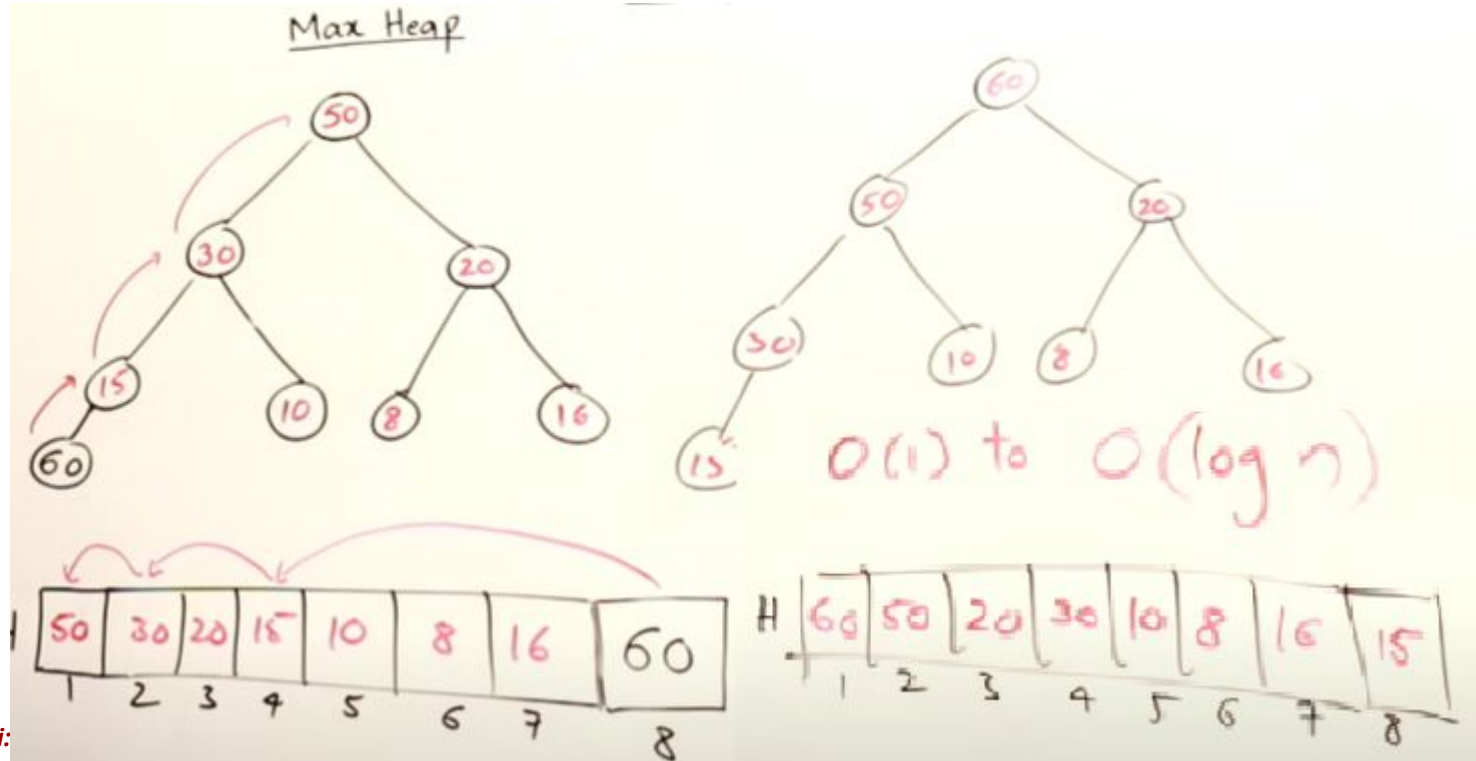
Insertion in Max Heap



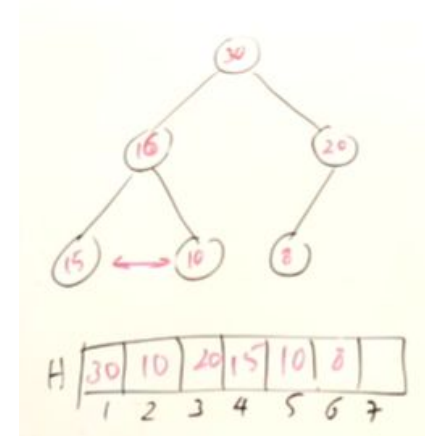
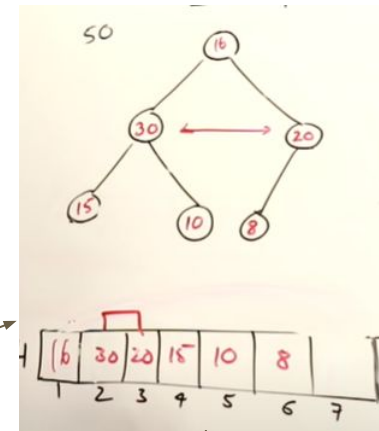
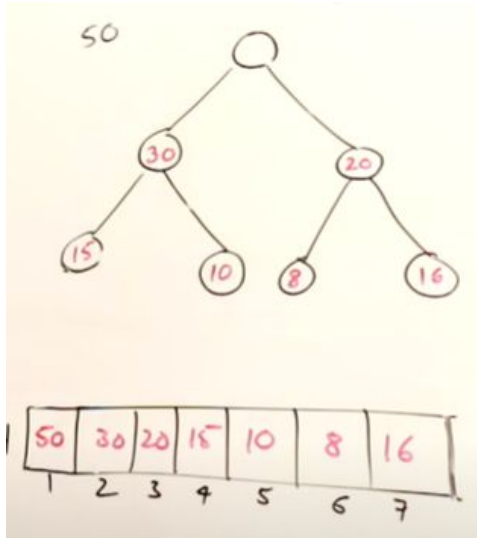




# Insertion in Max Heap



# Deletion in Heap





# Heap Operations

getMax() or getMin()

Heapify()

Insert(k)



# Binary Search Trees

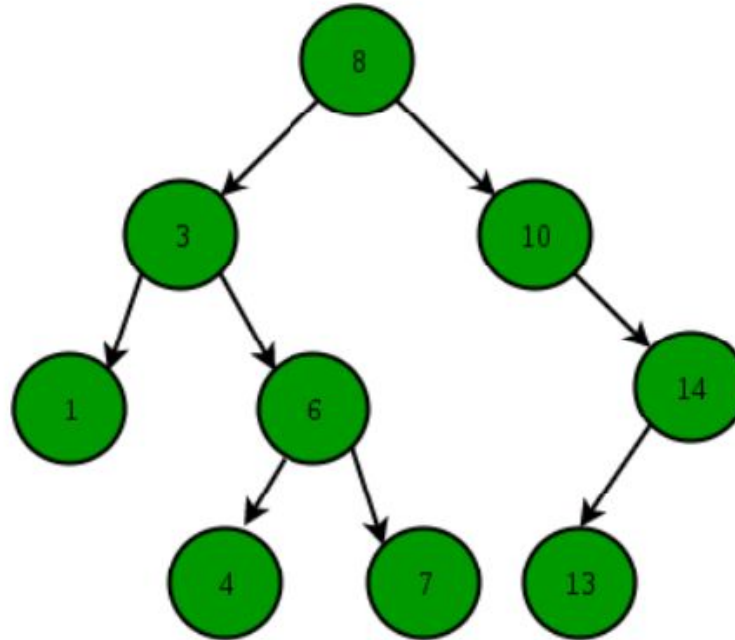
Left subtree  $<$  root

Right subtree  $>$  root

Left and right subtrees should be BSTs

**Binary Search Tree** is a node-based binary tree data structure which has the following properties:

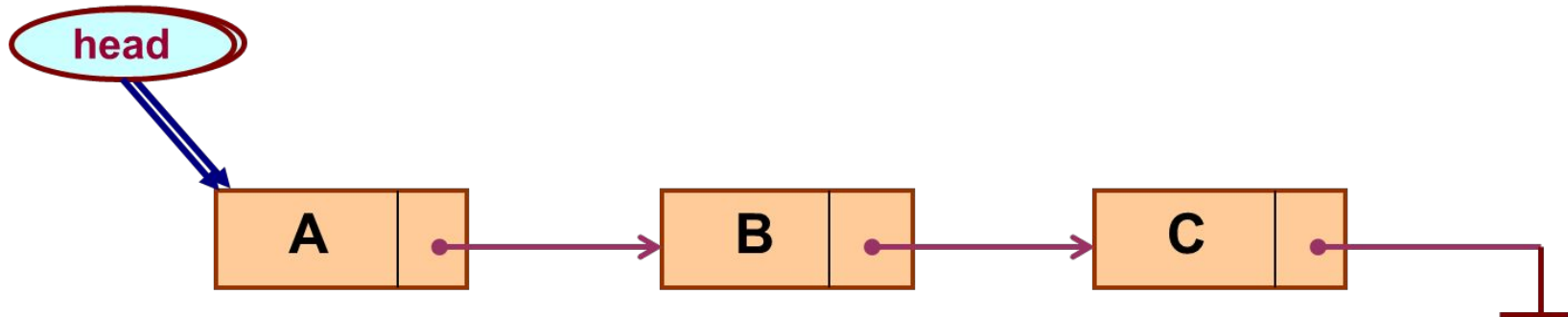
- The left subtree of a node contains only nodes with keys lesser than the node's key.
- The right subtree of a node contains only nodes with keys greater than the node's key.
- The left and right subtree each must also be a binary search tree.





# Linked list

- A linked list is a data structure which can change during execution.
  - Successive elements are connected by pointers.
  - Last element points to `NULL`.
  - It can grow or shrink in size during execution of a program.
  - It can be made just as long as required.
  - It does not waste memory space.



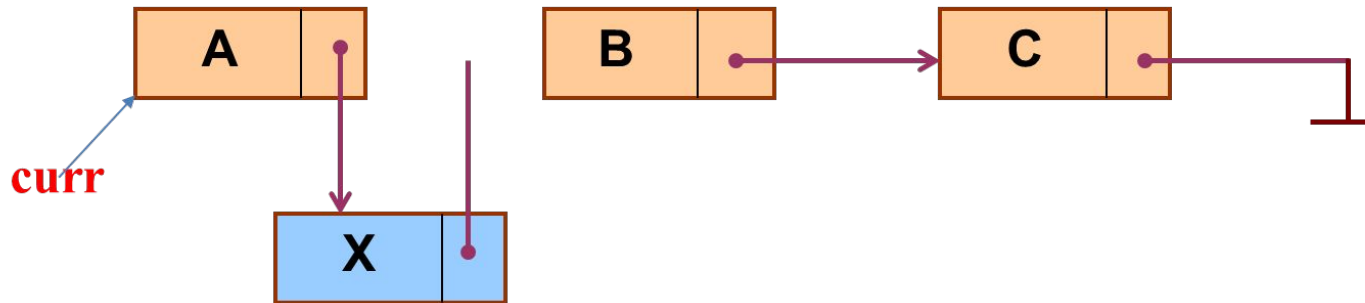
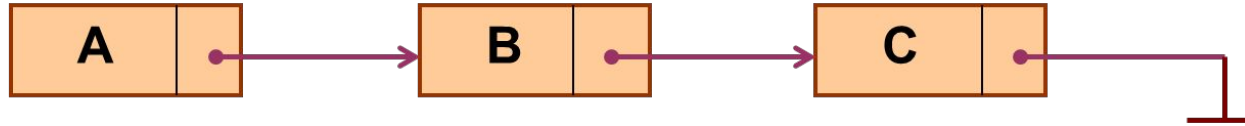


# Linked List

- Keeping track of a linked list:
  - Must know the pointer to the first element of the list (called *start*, *head*, etc.).
- Linked lists provide flexibility in allowing the items to be rearranged efficiently.
  - Insert an element.
  - Delete an element.



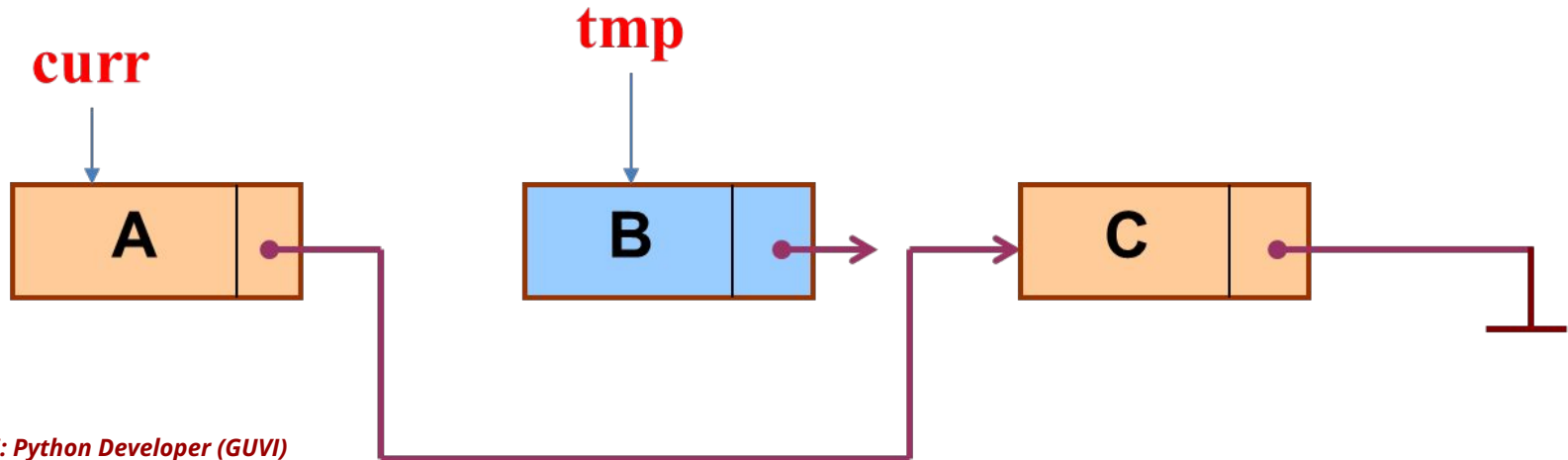
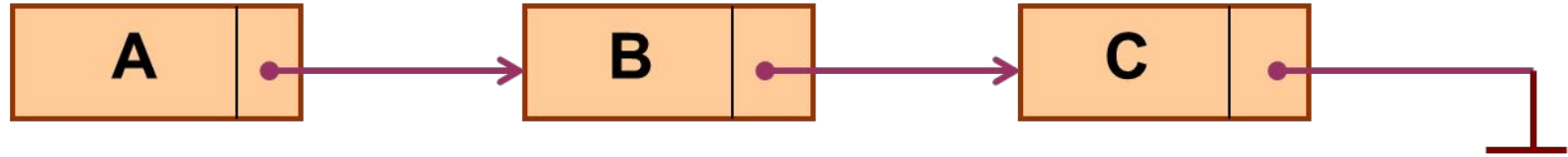
# Insertion: Linked List







# Deletion: Linked List





# In essence

- For insertion:

- A record is created holding the new item.

- The **next** pointer of the new record is set to link it to the item which is to follow it in the list.

- The **next** pointer of the item which is to precede it must be modified to point to the new item.

- For deletion:

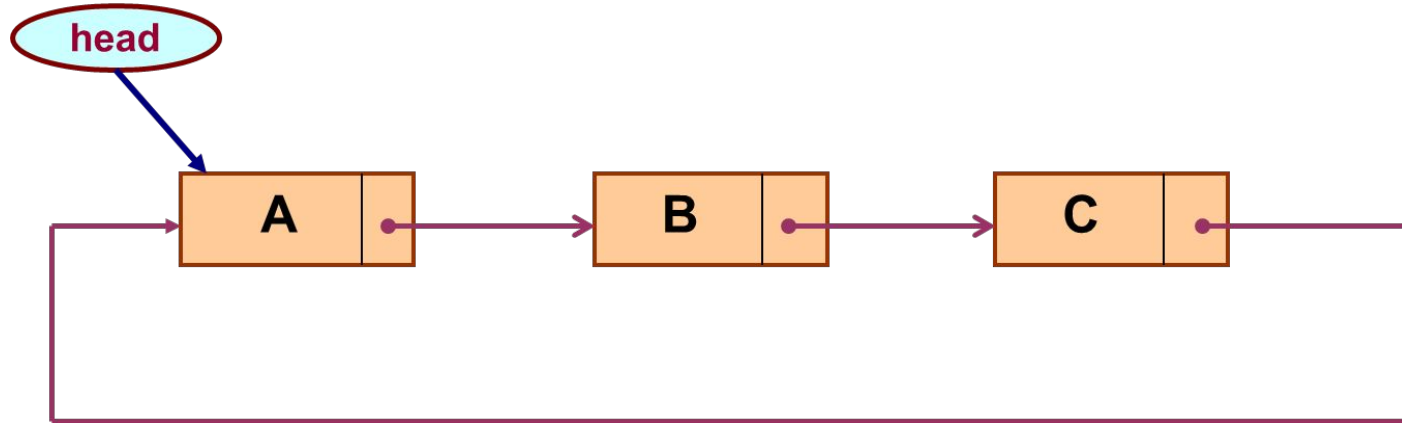
- The **next** pointer of the item immediately preceding the one to be deleted is altered, and made to point to the item following the deleted item.



# Circular Linked List

## –Circular linked list

- The pointer from the last element in the list points back to the first element.



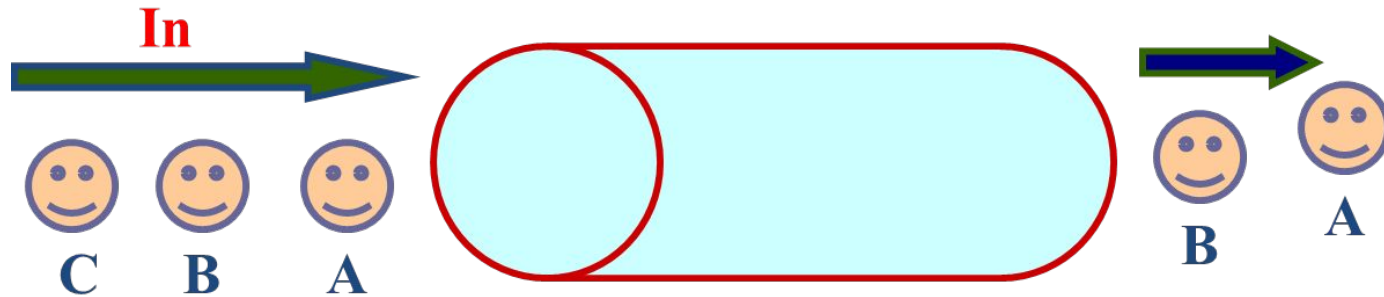


# List is an Abstract Data Type

- What is an abstract data type?
  - It is a data type defined by the user.
  - Typically more complex than simple data types like *int*, *float*, etc.
- Why abstract?
  - Because details of the implementation are *hidden*.
  - When you do some operation on the list, say insert an element, you just call a function.
  - Details of how the list is implemented or how the insert function is written is no longer required.



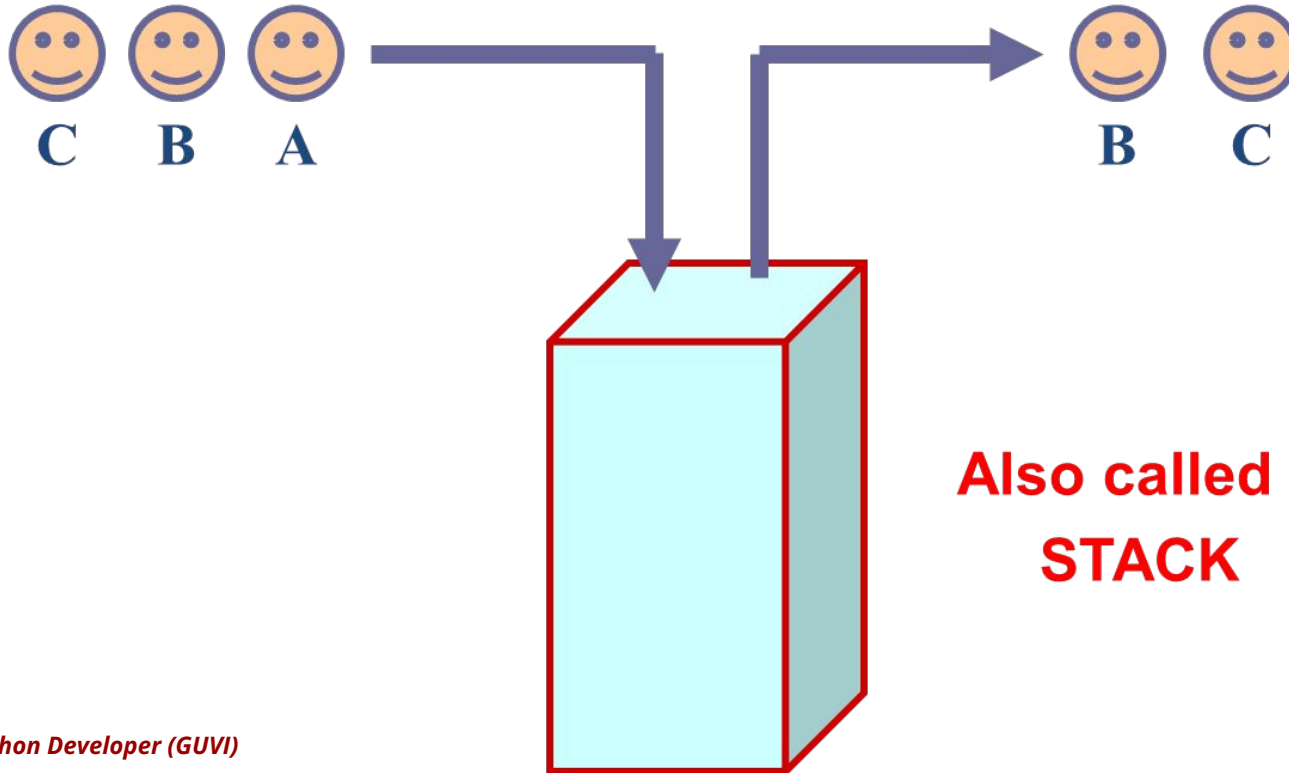
# A First-in First-out (FIFO) List



**Also called a QUEUE**



# A Last-in First-out (LIFO) list

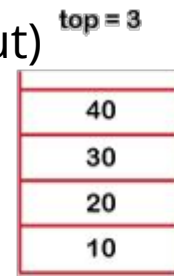


**Also called a  
STACK**

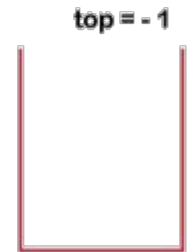
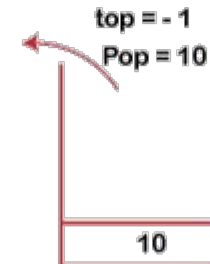
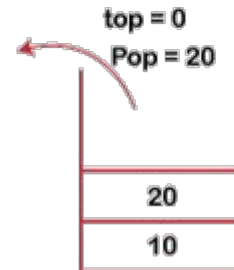
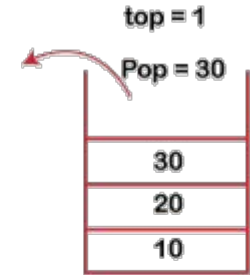
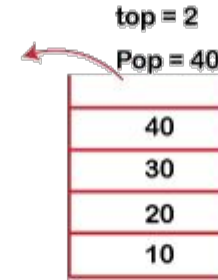


# Stack

- Linear data structure
- The order may be LIFO (Last In First Out)
- FILO (First In Last Out)



Stack is full



empty



# Functions in Stack

`empty()`

`size()`

`top()`

`push(a)`

`pop()`





# Stack Implementation

```
stack = []

stack.append('a')
stack.append('b')
stack.append('c')

print('Initial stack')
print(stack)

print('\nElements popped from stack:')
print(stack.pop())
print(stack.pop())
print(stack.pop())

print(stack)
```



# Competitive Coding



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# Useful concepts to be aware of

Decorators

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# Decorators

**Python decorators** is a technique for changing the behavior of an existing function without changing actual code inside the function.

- There should not have any change in the function definition and function call.
  - The code inside the original function should not be changed.
  - There should not have any change in the function call.

```
def myFunc():  
    print("Hello, World!")  
  
myFunc()
```

```
def myWrapper(func):  
    def myInnerFunc():  
        print("Inside wrapper.")  
        func()  
    return myInnerFunc
```

```
@myWrapper  
def myFunc():  
    print("Hello, World!")  
  
myFunc()
```



# Example

- The original function is called (1).
- There is a function wrapper name specified above the function definition (2). This indicates, that there is a function decorator assigned to the function.
- The decorator function gets called. The program controller passes the function object as a parameter to the decorator function (3).
- The function inside the decorator function gets executed (4).
- The inner function calls the actual function (5).
- The original function starts execution (6)

## Decorator Basic Example

```
1  def myWrapper(func):  
2      def myInnerFunc():  
3          print("Inside wrapper.")  
4          func()  
5      return myInnerFunc  
6  
7  @myWrapper  
8  def myFunc():  
9      print("Hello, World!")  
10  
11 myFunc()
```