ANALYSE SENTENCE

DATE:22/02/2025

AIM:

EX.NO:8

To translate sentences into predicate and first-order logic and analyse the same.

PROCEDURE:

- 1. Import NLTK
- 2. Define the line parser.
- 3. Input the sentences and mention the required translations

CODE:

a) Translate the following sentences into propositional logic and verify that they parse with LogicParser. Provide a key that shows how the propositional variable in your translation corresponds to expressions of English.

```
lp('(exists x. likes(Angus,x) & exists y. likes(y,Julia))')
lp('-exists x. smiles(x,Pat)')
lp('-exists x. (cough(x) | sneeze(x))')
lp('exists x. (asleep(x) & all y. (asleep(y) -> (y = x)))')
```

b) Translate the following sentences into predicate-argument formulas of first-order logic.

```
 \begin{split} & \text{lp('} \setminus x. \text{ all } y. \text{ love(}y,x) \text{ '}) \\ & \text{lp('} \setminus x. \text{ all } y. \text{ (love(}y,x) \text{ | detested(}y,x)) \text{ '}) \\ & \text{lp('} \setminus x. \text{ (all } y. \text{ love(}y,x) \text{ & -exists } z. \text{ detested(}z,x)) \text{ '}) \end{split}
```

c) Translate the following sentences into quantified formulas of first-order logic.

```
lp('(exists x. likes(Angus,x) & exists y. likes(y,Julia))')
lp('-exists x. smiles(x,Pat)')
lp('-exists x. (cough(x) | sneeze(x))')
lp('exists x. (asleep(x) & all y. (asleep(y) -> (y = x)))')
lp('like(Angus,Cyril) & hate(Irene,Cyril)')
```

d) Translate the following verb phrases using λ abstracts. quantified formulas of first order logic.

```
 \begin{split} & \text{lp('} \setminus x. \text{ all } y. \text{ love(}y,x) \mid ) \\ & \text{lp('} \setminus x. \text{ all } y. \text{ (love(}y,x) \mid \text{ detested(}y,x)) \mid ) \\ & \text{lp('} \setminus x. \text{ (all } y. \text{ love(}y,x) & -\text{exists } z. \text{ detested(}z,x)) \mid ) \end{split}
```

```
OUTPUT:
    import nltk
lp = nltk.sem.Expression.fromstring
  (ImpExpression (p -> -q)>
  <ImpExpression (-p -> q)>
    import nltk
lp = nltk.sem.Expression.fromstring
     lp('loveshimself(Bruse) & loveshimself(Pat)')
  AndExpression (saw(cyril,Bertie) & -saw(cyril,Angus))>
  <ApplicationExpression fourleggedfriend(Cyril)>
```

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20 = Alle. sine Expression. From tring

De('cesists x. likes(dega, x) & exists y. likes(y, balls)')

thoutspression (exists x. salies(s, ball))

De('cesists x. casis(s, balls)')

De('cesists x. casis(s, balls)')

De('cesists x. casis(s, balls)')

De('cesists x. (casis(s, balls)')

De('cesists x. (casis(s, balls)'))

De('cesists x. (casis(s, balls)'))

De('cesists x. (casis(s) & all y. (salies(y) > (y = x)))')

De('cesists x. (casis(s) & all y. (salies(y) > (y = x)))')

Translate the following web phrases using A abstracts. quantified formulas of first order logic.

De('(\text{insign}) & all y. love(y, x)')

Lip('(\text{insign}) & all y. love(y, x)')

De('(\text{insign}) & all y. love(y, x)')

Lip('(\text{insign}) & all y. love(y, x)')

Lip('(\text{insign}) & all y. love(y, x)') | detected(y, x))')

Cambidiappression \(\text{v. all y. love(y, x)'} \) | detected(y, x))')

Cambidiappression \(\text{v. all y. love(y, x)'} \) | detected(y, x))')
```

<LambdaExpression \x.(all y.love(y,x) & -exists z.detested(z,x))>