# DA5401: Assignment 4

#### MM21B051 - Preethi

```
import numpy as np
from sklearn.base import BaseEstimator
from scipy.stats import bernoulli
from collections import Counter
from sklearn.datasets import load_iris
from sklearn.decomposition import PCA
from sklearn.model_selection import train_test_split
from sklearn.metrics import accuracy_score
from sklearn.dummy import DummyClassifier
from sklearn.metrics import precision_recall_curve, roc_curve, auc, precision_score
from matplotlib.lines import Line2D
from sklearn.metrics import confusion_matrix
```

#### **Question 1**

We define a Dummy Binary Classifier wich assigns True/False based on various distributions: uniform random, bernoulli, gaussian

```
In [56]:
    class DummyBinaryClassifier(BaseEstimator):
        def __init__(self, p=0.5, method='uniform_random'):
            self.p = 0.5 if p < 0.0 or p > 1.0 else p
            self.method = method if method in ["uniform_random", "bernoulli", "gaussian
        def fit(self, X, y=None):
            pass
        def predict(self, X):
            # we center the normal distribution at 0.5 instead of 0.0
        if self.method == "gaussian":
            return (0.5 + np.random.randn(len(X))) < self.p
        elif self.method == "bernoulli":
            return np.bool_(bernoulli.rvs(self.p, size=len(X)))
        else:
            return np.random.rand(len(X)) < self.p</pre>
```

```
In [57]: # Let's create a dataset of size 100 instances.
X = np.random.rand(100)

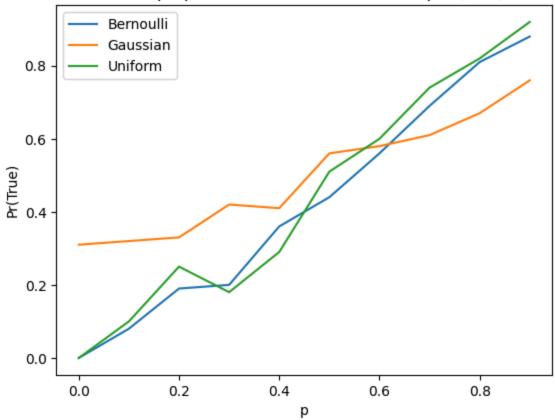
In [58]: cla = DummyBinaryClassifier(p=0.3, method='gaussian')
y = cla.predict(X)
c = Counter(y)
{i[0]: i[1] / len(y) for i in c.items()}
```

```
Out[58]: {np.True_: 0.38, np.False_: 0.62}
```

We see that giving a p value of 0.3 gives a distribution with False values slightly more than True values as p < 0.5

```
In [59]: def compute_prior(y):
             # initialize the counter object on the 'y' labels
             c = Counter(y)
             # convert the labels into class proportions
             props = \{i[0]:i[1]/len(y) \text{ for } i \text{ in } c.items()\}
             if True not in props:
                  props[True] = 0.0
             if False not in props:
                  props[False] = 0.0
             return props
In [60]: p vals = np.arange(0., 1., 0.1)
         b_vals = []
         g_vals = []
         u_vals = []
         for p in p_vals:
             # spawn the DummyBinaryClassifier with bernouli random sample generator
             cla = DummyBinaryClassifier(p=p, method='bernoulli')
             # predict the labels for the input
             y = cla.predict(X)
             # compute priors
             props = compute_prior(y)
             # pick the probabilty of True class
             b vals.append(props[True])
             # spawn the DummyBinaryClassifier with gaussian random sample generator
             y = DummyBinaryClassifier(p=p, method='gaussian').predict(X)
             g_vals.append(compute_prior(y)[True])
             # spawn the DummyBinaryClassifier with uniform random sample generator
             y = DummyBinaryClassifier(p=p, method='uniform_random').predict(X)
             u_vals.append(compute_prior(y)[True])
In [61]: import matplotlib.pyplot as plt
         plt.plot(p_vals, b_vals)
         plt.plot(p_vals, g_vals)
         plt.plot(p_vals, u_vals)
         plt.xlabel('p')
         plt.ylabel('Pr(True)')
         plt.title('Label proportion at different values of $p\in[0,1]$')
         plt.legend(['Bernoulli', 'Gaussian', 'Uniform'], loc='upper left')
         plt.show()
        <>:7: SyntaxWarning: invalid escape sequence '\i'
        <>:7: SyntaxWarning: invalid escape sequence '\i'
        C:\Users\preet\AppData\Local\Temp\ipykernel_11812\128745719.py:7: SyntaxWarning: inv
        alid escape sequence '\i'
          plt.title('Label proportion at different values of $p\in[0,1]$')
```

### Label proportion at different values of $p \in [0, 1]$



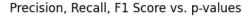
#### Question 2

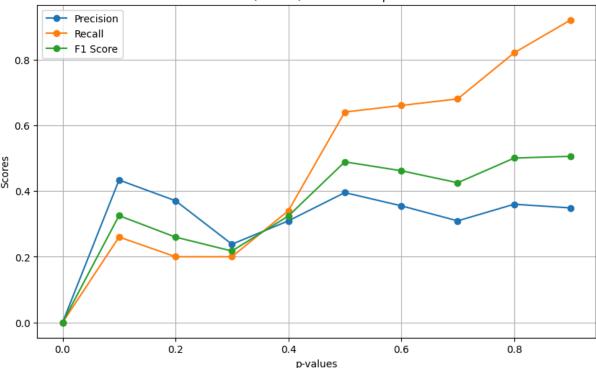
We load the iris data set and change the majority class Setosa with y value 0 to True, and the rest to False. Note: All three classes are equal in number, the majority class is 1/3 of the total data set.

In [64]: for p in p\_vals:

```
y = cla.predict(X)
# compute priors
props = compute prior(y)
# pick the probabilty of True class
b_vals.append(props[True])
# Compute Precision, Recall, F1 Score
precision = precision_score(y_binary, y, zero_division=0)
recall = recall_score(y_binary, y, zero_division=0)
f1 = f1_score(y_binary, y, zero_division=0)
precisions.append(precision)
recalls.append(recall)
f1_scores.append(f1)
# fpr, tpr, _ = roc_curve(y_binary, y)
# tpr_vals.append(tpr)
# fpr_vals.append(fpr)
tn, fp, fn, tp = confusion_matrix(y_binary, y).ravel()
tpr = tp / (tp + fn)
fpr = fp / (fp + tn)
tpr_vals.append(tpr)
fpr_vals.append(fpr)
```

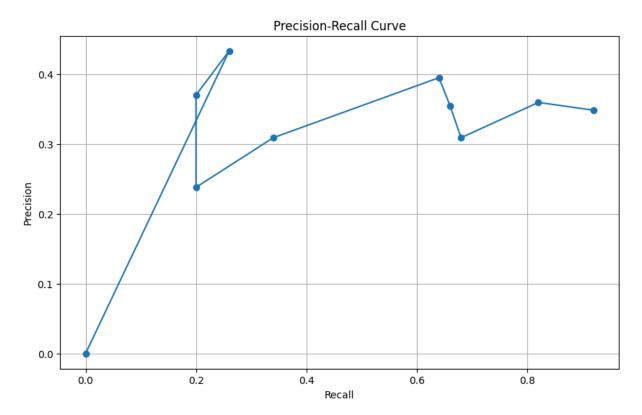
```
In [65]: # Plot Precision, Recall, F1 Score for different p-values
    plt.figure(figsize=(10, 6))
    plt.plot(p_vals, precisions, label='Precision', marker='o')
    plt.plot(p_vals, recalls, label='Recall', marker='o')
    plt.plot(p_vals, f1_scores, label='F1 Score', marker='o')
    plt.xlabel('p-values')
    plt.ylabel('Scores')
    plt.title('Precision, Recall, F1 Score vs. p-values')
    plt.legend()
    plt.grid(True)
    plt.show()
```



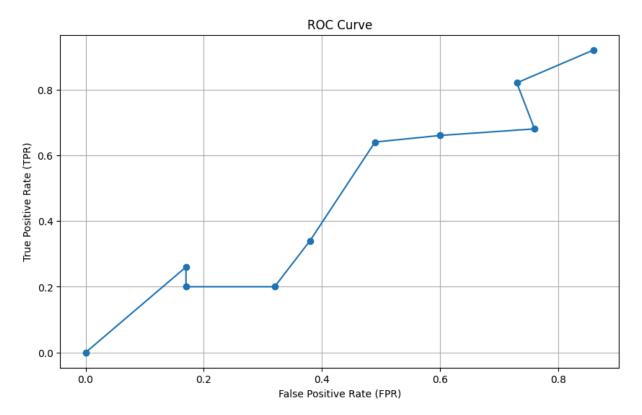


we notice that the precision tends to 0.3 as the p value goes to 1, as t p=1 we predict every entry as True, and 1/3 of the data points are given as true. Recal tends to 1 as p tends to 1, as every True data point is also predicted as True.

```
In [66]: # Plot Precision-Recall Curve (PRC)
plt.figure(figsize=(10, 6))
plt.plot(recalls, precisions, label='PRC', marker='o')
plt.xlabel('Recall')
plt.ylabel('Precision')
plt.title('Precision-Recall Curve')
plt.grid(True)
plt.show()
```



```
In [67]: # Plot ROC Curve
    plt.figure(figsize=(10, 6))
    plt.plot(fpr_vals, tpr_vals, label='ROC', marker='o')
    plt.xlabel('False Positive Rate (FPR)')
    plt.ylabel('True Positive Rate (TPR)')
    plt.title('ROC Curve')
    plt.grid(True)
    plt.show()
```



```
In [68]: # (They should already be sorted from the curve functions, but sorting again ensure
recalls_sorted, precisions_sorted = zip(*sorted(zip(recalls, precisions)))
fpr_sorted, tpr_sorted = zip(*sorted(zip(fpr_vals, tpr_vals)))

# Compute AUPRC and AUROC
auprc = auc(recalls_sorted, precisions_sorted) # AUPRC calculation
auroc = auc(fpr_sorted, tpr_sorted) # AUROC calculation

print(f"AUPRC: {auprc:.2f}")
print(f"AUROC: {auroc:.2f}")
```

AUPRC: 0.28 AURoC: 0.39

The AUPRC and AURoC values

# **Question 3**

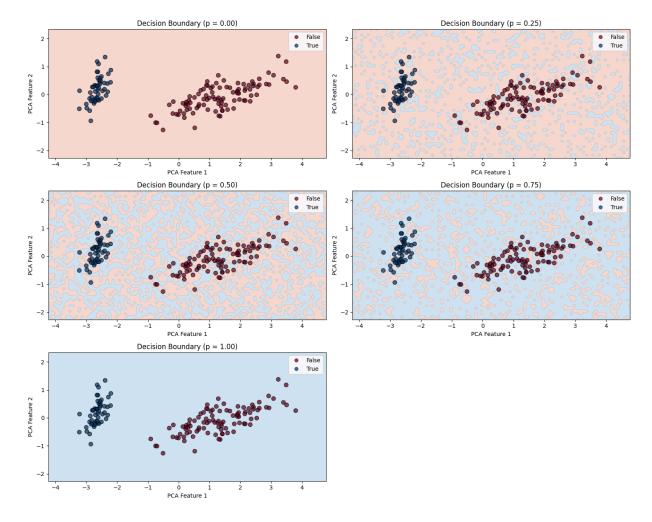
To visualise Fisher's IRIS data we need to project it onto a 2D space as it is originally in 4D (has 4 features) which can't be visualised as such.

```
In [69]: # Reduce the dataset to 2D using PCA (for visualization purposes)
pca = PCA(n_components=2)
X_reduced = pca.fit_transform(X)

# Generate a grid of points covering the feature space
x_min, x_max = X_reduced[:, 0].min() - 1, X_reduced[:, 0].max() + 1
y_min, y_max = X_reduced[:, 1].min() - 1, X_reduced[:, 1].max() + 1
xx, yy = np.meshgrid(np.arange(x_min, x_max, 0.1), np.arange(y_min, y_max, 0.1))
```

#### with Bernoulli distirbution

```
In [70]: p_vals = np.arange(0, 1.01, 0.25)
         plt.figure(figsize=(15, 12))
         i=0
         for p in p vals:
             # spawn the sporadic classifier with bernouli random sample generator
             cla = DummyBinaryClassifier(p=p, method='bernoulli')
             # predict the labels for the input
             y = cla.predict(np.c_[xx.ravel(), yy.ravel()])
             y = y.reshape(xx.shape)
             \# ax = axes[i]
             # Plot the decision boundary
             plt.subplot(3, 2, i + 1)
             contour=plt.contourf(xx, yy, y, alpha=0.3, cmap=plt.cm.RdBu)
             # Scatter plot of the original data points
             scatter=plt.scatter(X_reduced[:, 0], X_reduced[:, 1], c=y_binary, edgecolor='k'
             plt.legend(handles=scatter.legend_elements()[0], labels=['False', 'True'], loc=
             plt.title(f'Decision Boundary (p = {p:.2f})')
             plt.xlabel('PCA Feature 1')
             plt.ylabel('PCA Feature 2')
             i+=1
         plt.tight_layout()
         plt.show()
```



## with gaussian distirbution

```
In [71]: p_vals = np.arange(0, 1.1, 0.25)
         plt.figure(figsize=(15, 12))
         for p in p_vals:
             # spawn the sporadic classifier with bernouli random sample generator
             cla = DummyBinaryClassifier(p=p, method='gaussian')
             # predict the labels for the input
             y = cla.predict(np.c_[xx.ravel(), yy.ravel()])
             y = y.reshape(xx.shape)
             # Plot the decision boundary
             plt.subplot(3, 2, i + 1)
             i+=1
             plt.contourf(xx, yy, y, alpha=0.3, cmap=plt.cm.RdBu)
             # Scatter plot of the original data points
             scatter=plt.scatter(X_reduced[:, 0], X_reduced[:, 1], c=y_binary, edgecolor='k'
             plt.legend(handles=scatter.legend_elements()[0], labels=['False', 'True'], loc=
             plt.title(f'Decision Boundary (p = {p:.2f})')
             plt.xlabel('PCA Feature 1')
             plt.ylabel('PCA Feature 2')
```

```
legend_elements = [
     Line2D([0], [0], marker='o', color='w', label='False', markerfacecolor='red', m
     Line2D([0], [0], marker='o', color='w', label='True', markerfacecolor='blue', m
     Line2D([0], [0], color='black', label='Decision Boundary', lw=2)
]
plt.tight_layout()
plt.show()
                 Decision Boundary (p = 0.00)
                                                                          Decision Boundary (p = 0.25)
                       PCA Feature 1
                                                                                PCA Feature 1
                 Decision Boundary (p = 0.50)
                                                                          Decision Boundary (p = 0.75)
                                                      PCA Feature
                       0
PCA Feature 1
                 Decision Boundary (p = 1.00)
                       0 :
PCA Feature 1
```

#### with Uniform distirbution

```
In [72]: p_vals = np.arange(0, 1.1, 0.25)
plt.figure(figsize=(15, 12))
i=0
for p in p_vals:
    # spawn the sporadic classifier with bernouli random sample generator
    cla = DummyBinaryClassifier(p=p, method='uniform_rand')
    # predict the labels for the input
    y = cla.predict(np.c_[xx.ravel(), yy.ravel()])
    y = y.reshape(xx.shape)

# Plot the decision boundary
plt.subplot(3, 2, i + 1)
    i+=1
    plt.contourf(xx, yy, y, alpha=0.3, cmap=plt.cm.RdBu)
```

```
# Scatter plot of the original data points
    scatter=plt.scatter(X_reduced[:, 0], X_reduced[:, 1], c=y_binary, edgecolor='k'
    plt.legend(handles=scatter.legend_elements()[0], labels=['False', 'True'], loc=
    plt.title(f'Decision Boundary (p = {p:.2f})')
    plt.xlabel('PCA Feature 1')
    plt.ylabel('PCA Feature 2')
# Add a legend for True/False labels
plt.tight_layout()
plt.show()
               Decision Boundary (p = 0.00)
                                                                 Decision Boundary (p = 0.25)
               Decision Boundary (p = 0.50)
                                                                 Decision Boundary (p = 0.75)
               Decision Boundary (p = 1.00)
```