

## Module 5.8 : Line Search

*Just one last thing before we move on to some other algorithms ...*

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        for x,y in zip(X, Y):
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        min_error = 10000 #some large value
        best_w, best_b = w, b
        for eta in etas:
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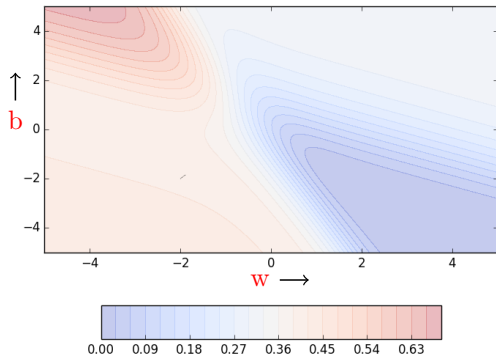
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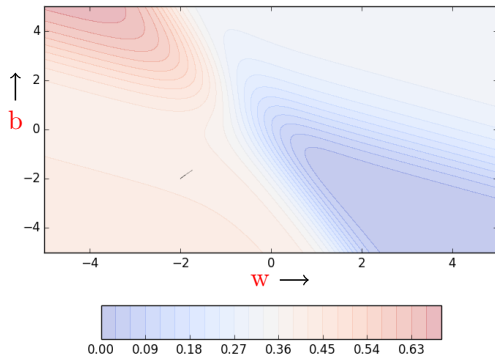
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- We will come back to this when we talk about second order optimization methods

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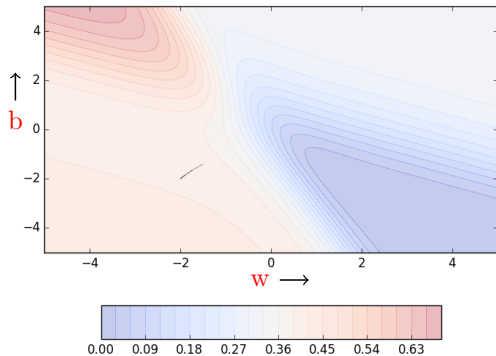
- Let us see line search in action



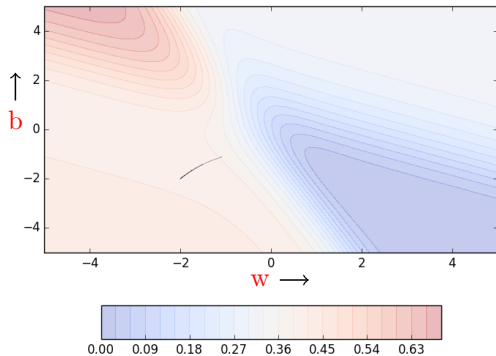
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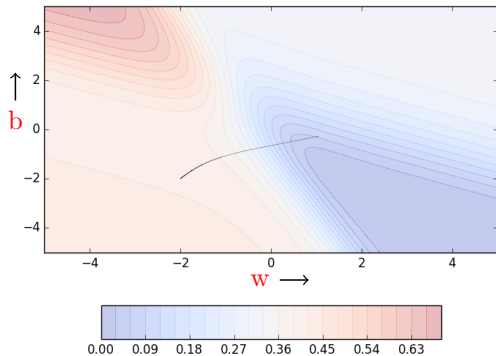
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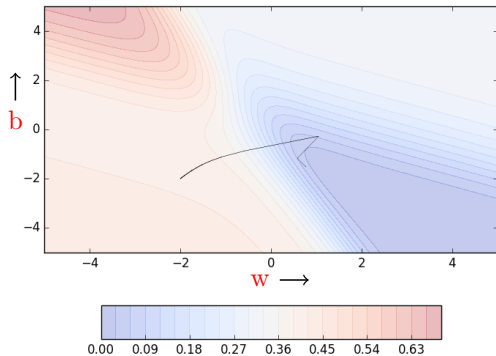
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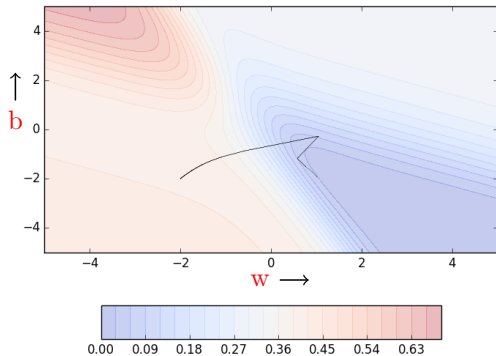


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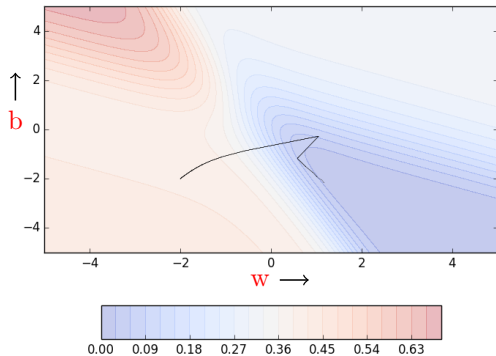




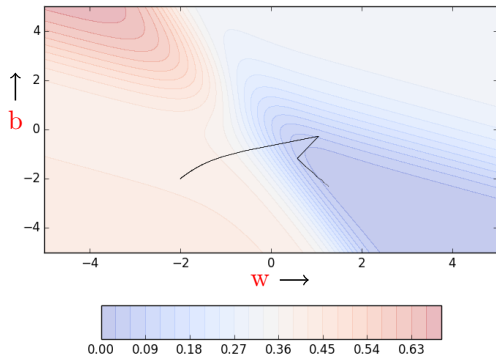
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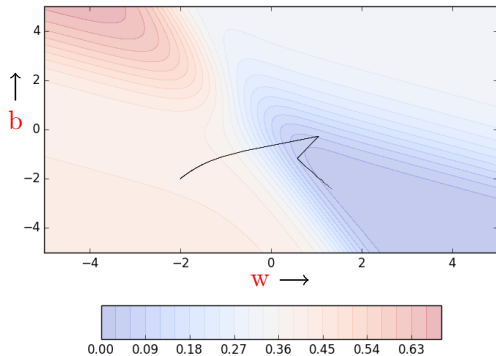
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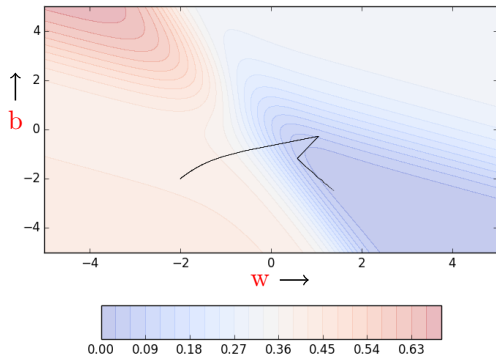
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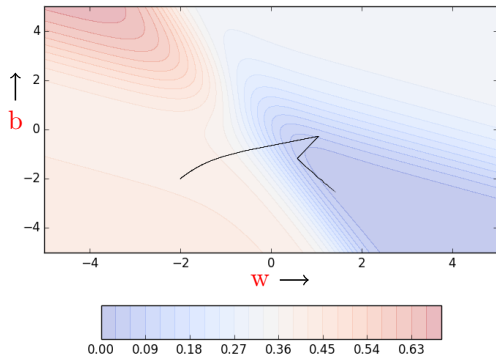
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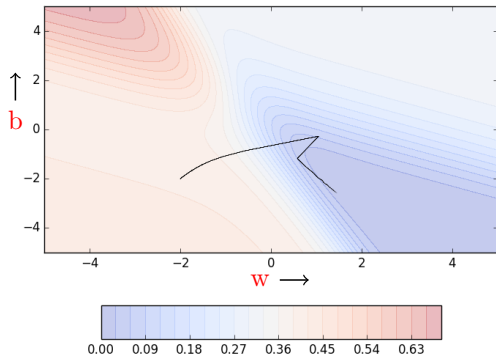
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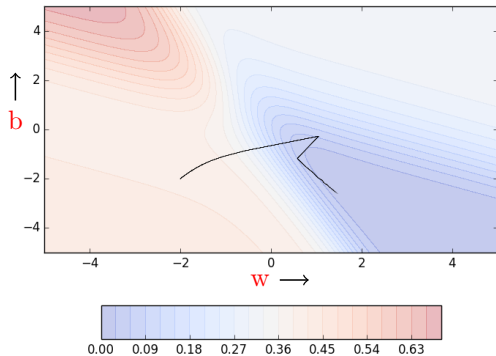
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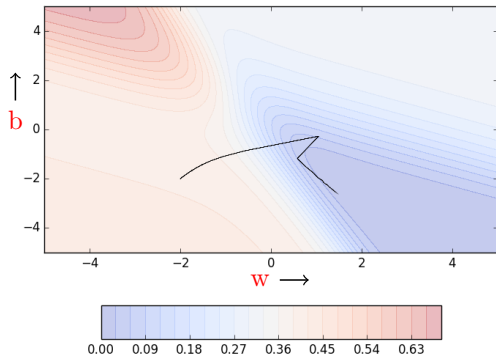


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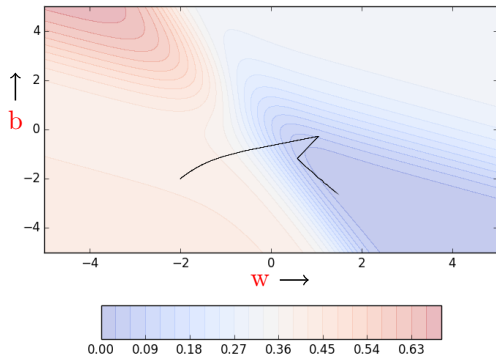




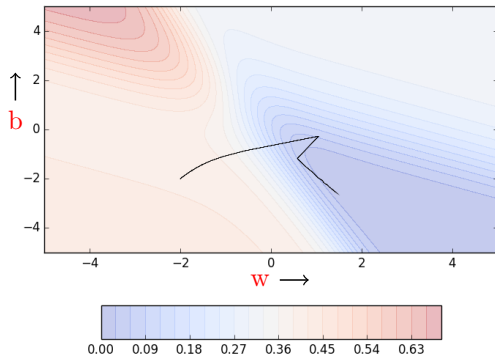
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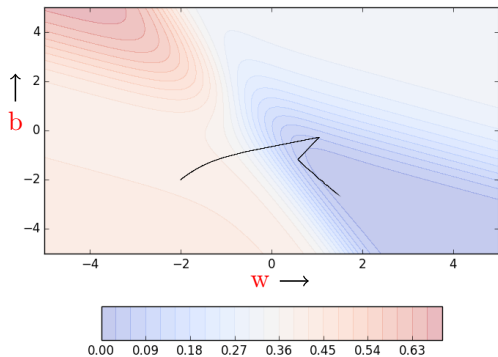
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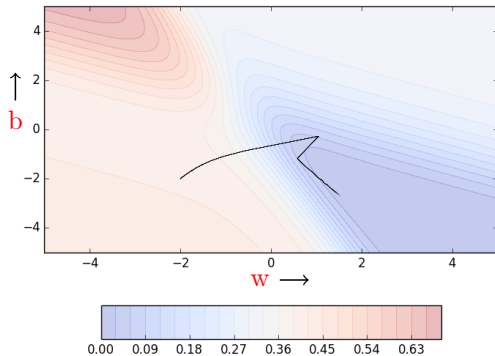
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