

Time Domain Specifications of a Second Order System

Experiment Number: 03

Name: Preyash

Registration Number: 20BPS1022

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Aim:

The objective of this exercise is to

1. Understand the step response (transient and steady state) of a second order system.
2. Know the time domain specifications like peak overshoot, rise time, settling time and steady state error.
3. Analyze the effect of additional poles and zeros on a second order system.

PRACTICE:

Commands Used

```
#sys1= tf ([num],[den1 coefficients])
```

```
#ltiview(sys)
```

```
#pole(sys)
```

```
#zero(sys)
```

```
#r=roots(sys)
```

```
#poly(-a1; r)
```

```
#sys2= tf ([num],[den2 coefficients])
```

```
#sys3= tf ([num],[den3 coefficients])
```

```
#ltiview(sys1,sys2,sys3)
```

System #1

1.
$$G(s) = \frac{25}{s^2 + 5s + 25}$$

2. Add a real pole near the dominant pole of G(s)

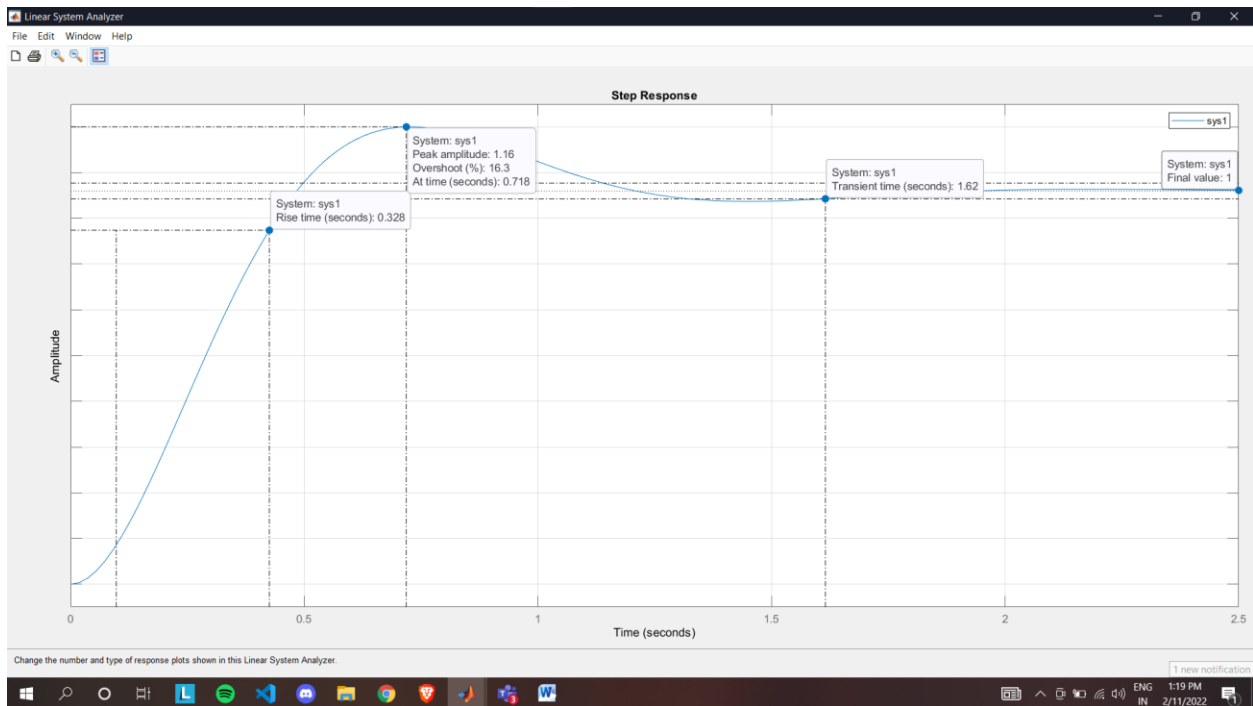
3. Add a real pole away the dominant pole of G(s)

CODE:

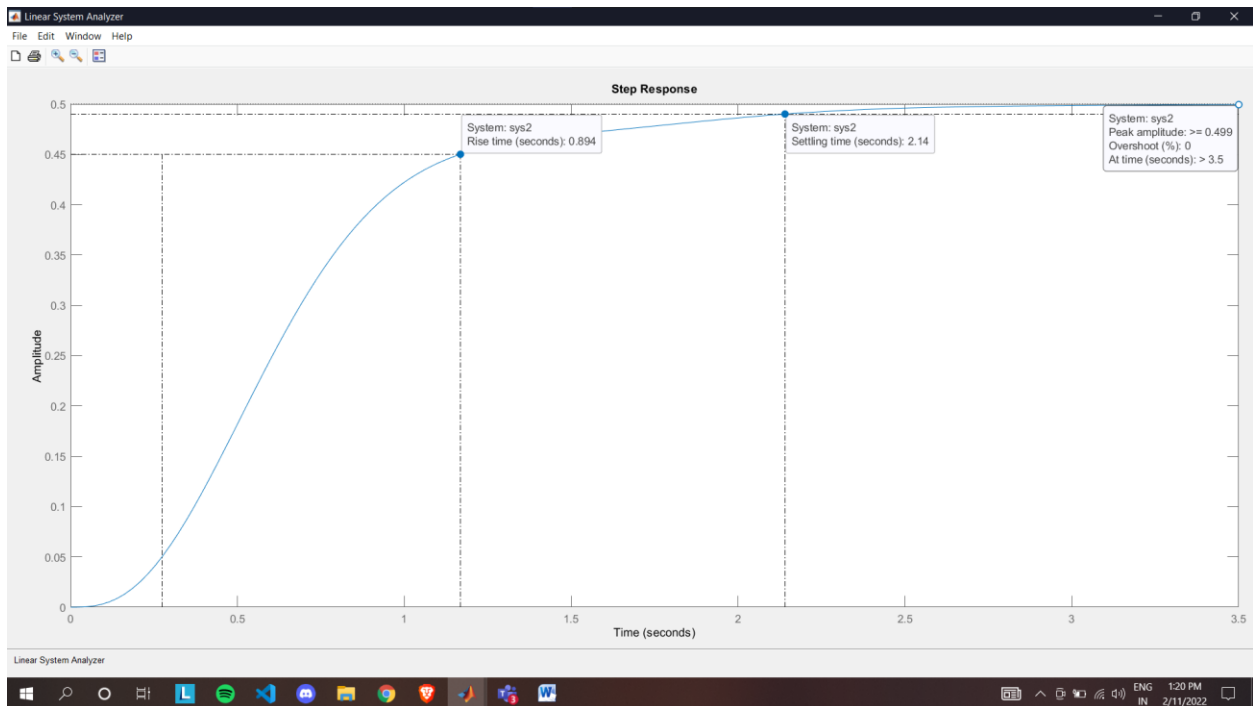
```
clc;
clear all;
num=[25]
den=[1 5 25]
sys1=tf(num,den)
P1 = pole(sys1)
Z1 = zero(sys1)
r=roots(den)
ltiview(sys1)
a=poly([-2;r])
num1=num/1
sys2= tf(num1,a)
P2 = pole(sys2)
ltiview(sys2)
num2=num/1
a1=poly([-4;r])
sys3=tf(num2,a1)
P3 = pole(sys3)
ltiview(sys3)
ltiview(sys1,sys2,sys3)
```

OUTPUT:

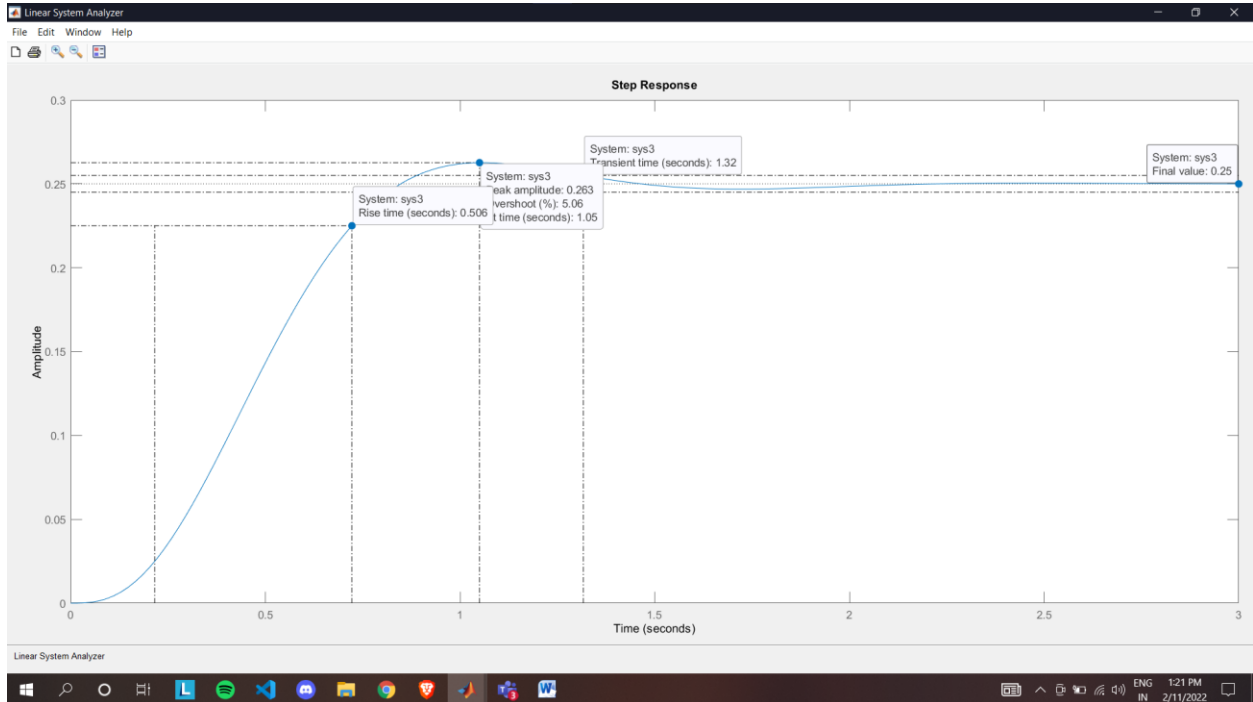
System G(s)



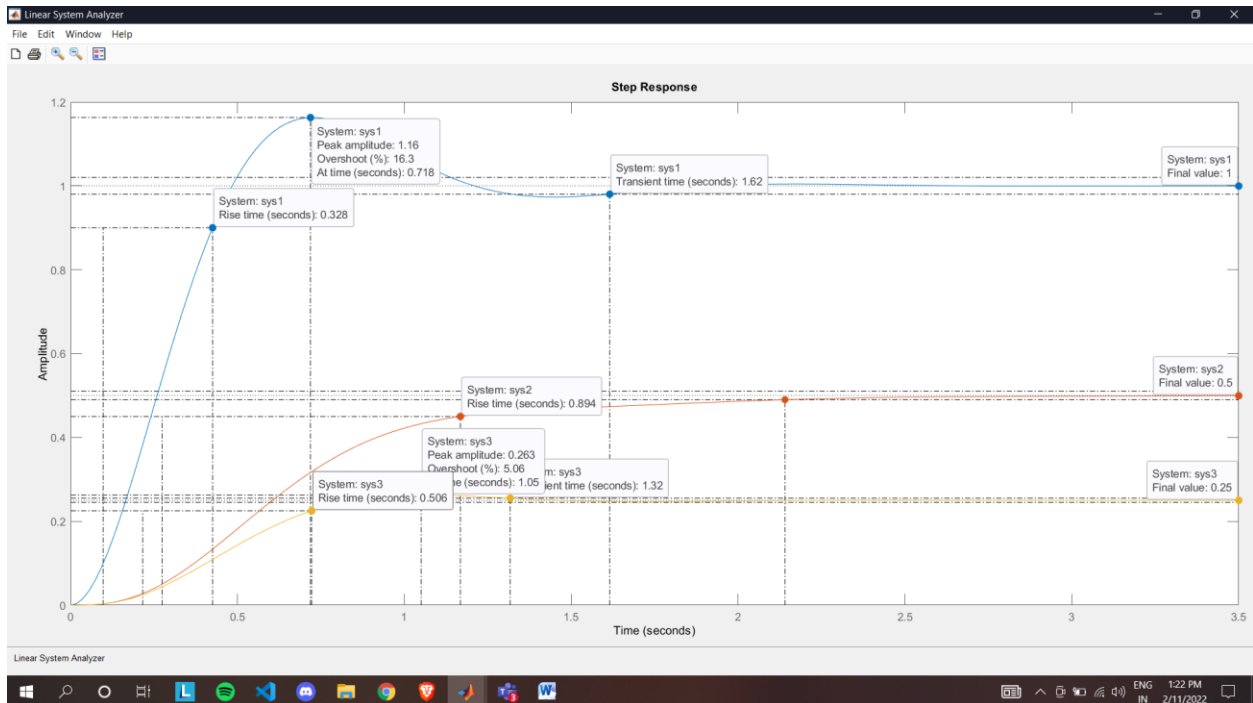
Add a real pole near the dominant pole of G(s)



Add a real pole away the dominant pole of $G(s)$



LTI View of all three system

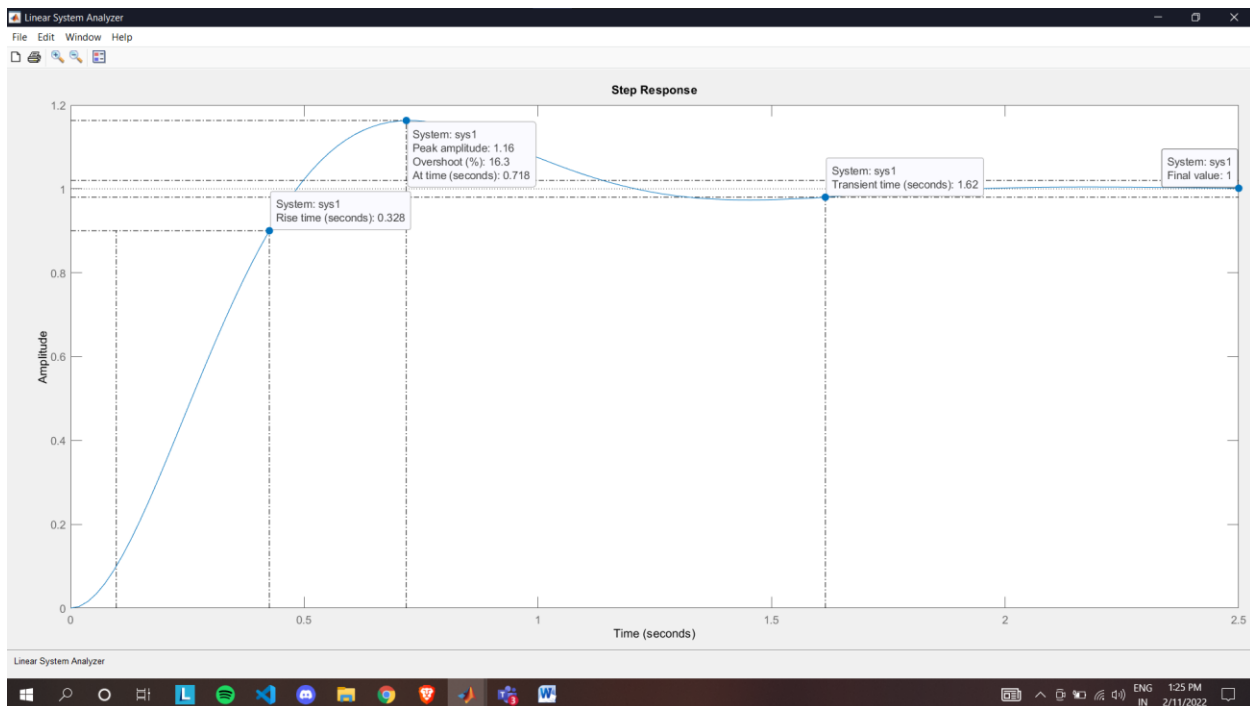


CODE:

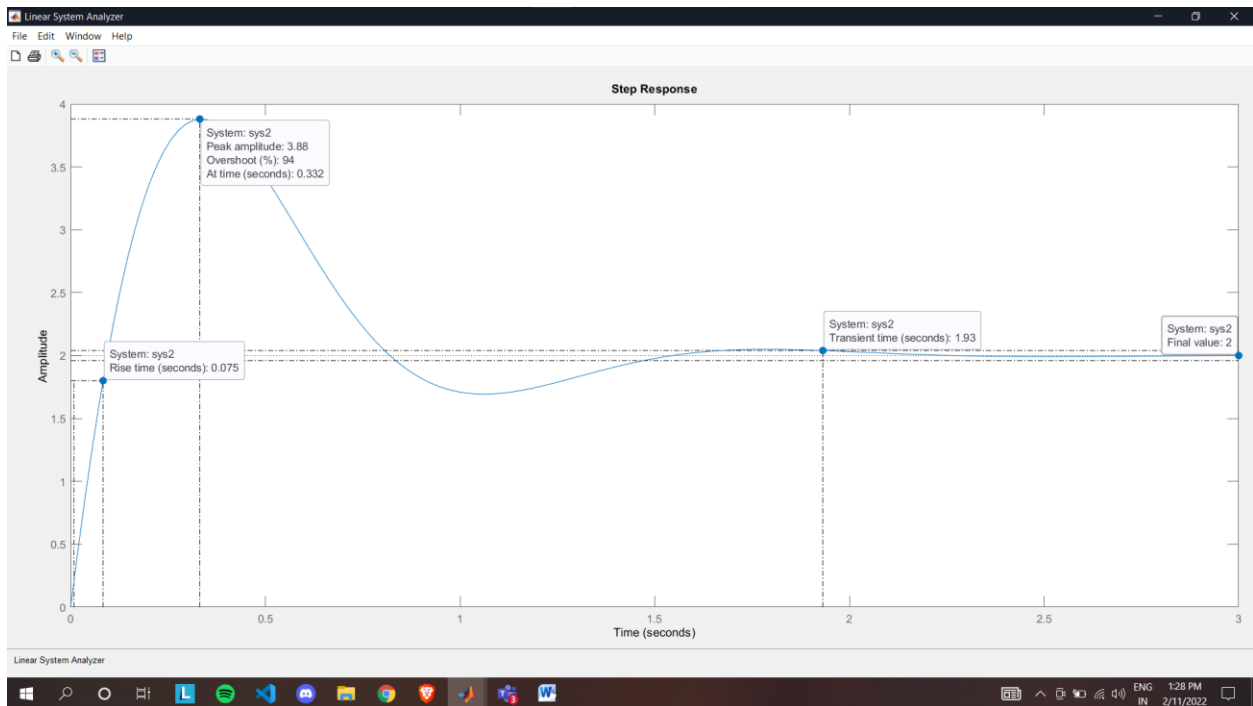
```
clc;
clear all;
num=[25]
den=[1 5 25]
sys1=tf(num,den)
P1= pole(sys1)
Z1= zero(sys1)
r=roots(den)
ltiview(sys1)
num1=[25 50]
sys2= tf(num1,den)
Z2 = zero(sys2)
ltiview(sys2)
num2=[25 100]
sys3=tf(num2,den)
Z3 = zero(sys3)
ltiview(sys3)
ltiview(sys1,sys2,sys3)
```

OUTPUT:

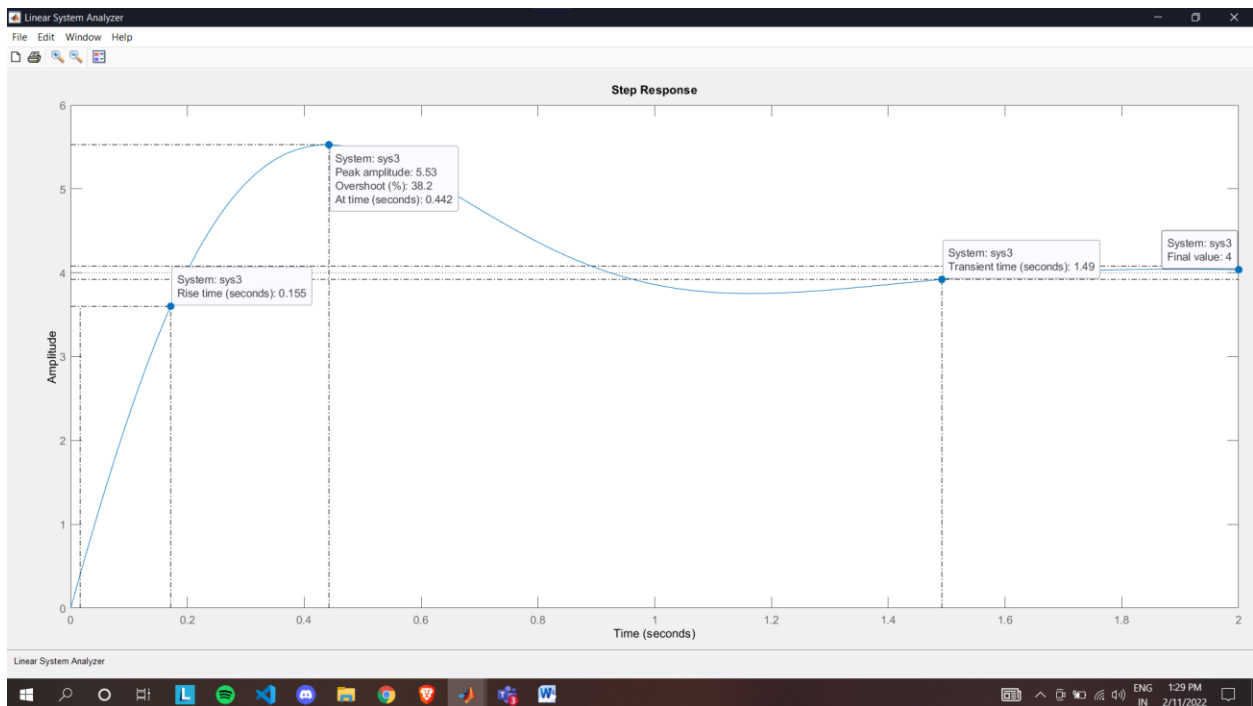
System G(S)



Add a real zero near the dominant zero of $G(s)$



Add a real zero away the dominant zero of $G(s)$



LTI View of all three systems

