

# VISVESVARAYA TECHNOLOGICAL UNIVERSITY

“JnanaSangama”, Belgaum -590014, Karnataka.



## LAB RECORD

### Bio Inspired Systems (23CS5BSBIS)

*Submitted by*

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*in partial fulfillment for the award of the degree of*

**BACHELOR OF ENGINEERING**  
*in*  
**COMPUTER SCIENCE AND ENGINEERING**



**B.M.S. COLLEGE OF ENGINEERING**

(Autonomous Institution under VTU)

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**B.M.S. College of Engineering,**  
**Bull Temple Road, Bangalore 560019**  
(Affiliated To Visvesvaraya Technological University, Belgaum)  
**Department of Computer Science and Engineering**



**CERTIFICATE**

This is to certify that the Lab work entitled “ Bio Inspired Systems (23CS5BSBIS)” carried out by **PREZA MISHRA(1BM23CS251)**, who is bonafide student of **B.M.S. College of Engineering**. It is in partial fulfillment for the award of **Bachelor of Engineering in Computer Science and Engineering** of the Visvesvaraya Technological University, Belgaum. The Lab report has been approved as it satisfies the academic requirements of the above mentioned subject and the work prescribed for the said degree.

Swathi Shridharan, Assistant Professor Department of CSE, BMSCE	Dr. Kavitha Sooda Professor & HOD Department of CSE, BMSCE
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Github Link:

<https://github.com/PrezaMishra/BIS-LAB>

## Program 1 : Genetic Algorithm

### Problem statement:

Genetic Algorithms (GA) are inspired by the process of natural selection and genetics, where the fittest individuals are selected for reproduction to produce the next generation. GAs are widely used for solving optimization and search problems.

### Algorithm:

```
genetic_algo(n)
input: NE population size, fitness function
and output solution, no of generations (iteration)

initiate:

- General version of GA
- Ex: Robot path analysis

Genetic Algorithm

genetic_algo(n)
input: NE population size, target solution
output: solution, no of generations (iteration)

-> initiate():
    for i in range(n):
        population[i] = generate_instance()

-> fitness():
    for i in population:
        eval_fitness(i)
    while target function not met do:

-> solution():
    sort the population based on the fitness
    select the individual from the sorted
    population
    return P1, P2
```

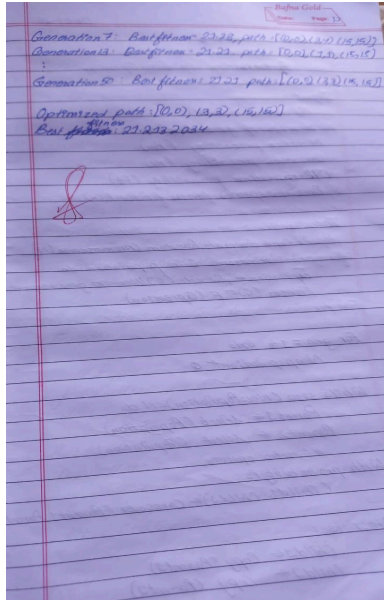
```
-> crossover():
    crossover the P1 & P2 and get a new
    population with the new population
    new-popul[i] = crossover(P1, P2)

mutation():
    mutate the individual in new-population[i]

- evaluate the fitness (new-population)

return population[i], gen;

end
```



## **CODE:**

```
import numpy as np
import random
import matplotlib.pyplot as plt
```

```
GRID_ROWS = 10
```

```
GRID_COLS = 10
```

```
START = (0, 0)
```

```
GOAL = (9, 9)
```

```
OBSTACLES = {
    (3, 3), (3, 4), (3, 5),
    (4, 5), (5, 5),
    (6, 2), (6, 3),
    (7, 7), (7, 8),
    (2, 8), (2, 9)
}
```

```
MAX_STEPS = 30
```

```
MOVE_DELTAS = {
    0: (-1, 0),
    1: (1, 0),
    2: (0, -1),
    3: (0, 1)
}
```

```
POPULATION_SIZE = 80
```

```
GENERATIONS = 100
```

```
MUTATION_RATE = 0.05
```

```
CROSSOVER_RATE = 0.8
```

```
TOURNAMENT_SIZE = 3
```

```

ELITE_COUNT = 2

def is_valid_cell(cell):
    r, c = cell
    if r < 0 or r >= GRID_ROWS or c < 0 or c >= GRID_COLS:
        return False
    if cell in OBSTACLES:
        return False
    return True

def random_individual():
    return np.random.randint(0, 4, size=MAX_STEPS)

def decode_path(individual):
    path = [START]
    current = START
    collisions = 0
    for move in individual:
        dr, dc = MOVE_DELTAS[int(move)]
        next_cell = (current[0] + dr, current[1] + dc)
        if is_valid_cell(next_cell):
            current = next_cell
        else:
            collisions += 1
        path.append(current)
        if current == GOAL:
            break
    return path, collisions

def manhattan_distance(a, b):
    return abs(a[0] - b[0]) + abs(a[1] - b[1])

def fitness(individual):
    path, collisions = decode_path(individual)
    final_pos = path[-1]
    distance_to_goal = manhattan_distance(final_pos, GOAL)
    path_length = len(path)
    cost = distance_to_goal * 2.0 + collisions * 3.0 + path_length * 0.2
    if final_pos == GOAL:
        cost *= 0.3
    return 1.0 / (1.0 + cost)

def tournament_selection(population, fitnesses):
    best_idx = None
    for _ in range(TOURNAMENT_SIZE):
        idx = random.randint(0, len(population) - 1)
        if best_idx is None or fitnesses[idx] > fitnesses[best_idx]:
            best_idx = idx
    return population[best_idx].copy()

def single_point_crossover(parent1, parent2):
    if random.random() > CROSSEVER_RATE:
        return parent1.copy(), parent2.copy()
    point = random.randint(1, MAX_STEPS - 1)
    child1 = np.concatenate((parent1[:point], parent2[point:]))
    child2 = np.concatenate((parent2[:point], parent1[point:]))

```

```

    return child1, child2

def mutate(individual):
    for i in range(MAX_STEPS):
        if random.random() < MUTATION_RATE:
            individual[i] = random.randint(0, 3)
    return individual

def run_genetic_algorithm():
    population = [random_individual() for _ in range(POPULATION_SIZE)]
    best_fitness_history = []
    best_individual_ever = None
    best_fitness_ever = -np.inf

    for gen in range(GENERATIONS):
        fitnesses = np.array([fitness(ind) for ind in population])
        gen_best_idx = np.argmax(fitnesses)
        gen_best_fit = fitnesses[gen_best_idx]
        gen_best_ind = population[gen_best_idx].copy()
        if gen_best_fit > best_fitness_ever:
            best_fitness_ever = gen_best_fit
            best_individual_ever = gen_best_ind
        best_fitness_history.append(best_fitness_ever)
        new_population = []
        elite_indices = np.argsort(-fitnesses)[:ELITE_COUNT]
        for idx in elite_indices:
            new_population.append(population[idx].copy())
        while len(new_population) < POPULATION_SIZE:
            parent1 = tournament_selection(population, fitnesses)
            parent2 = tournament_selection(population, fitnesses)
            child1, child2 = single_point_crossover(parent1, parent2)
            new_population.append(mutate(child1))
            if len(new_population) < POPULATION_SIZE:
                new_population.append(mutate(child2))
        population = new_population

    return best_individual_ever, best_fitness_history

best_individual, best_fitness_history = run_genetic_algorithm()
best_path, best_collisions = decode_path(best_individual)
final_pos = best_path[-1]
reached_goal = (final_pos == GOAL)

print("\nBest Moves:", best_individual)
print("Path:", best_path)
print("Steps:", len(best_path))
print("Collisions:", best_collisions)
print("Final:", final_pos)
print("Goal Reached:", reached_goal)
print("Fitness:", best_fitness_history[-1])

plt.figure(figsize=(6, 4))
plt.plot(best_fitness_history)
plt.xlabel("Generation")
plt.ylabel("Best Fitness")
plt.grid(True)

```

```

plt.show()

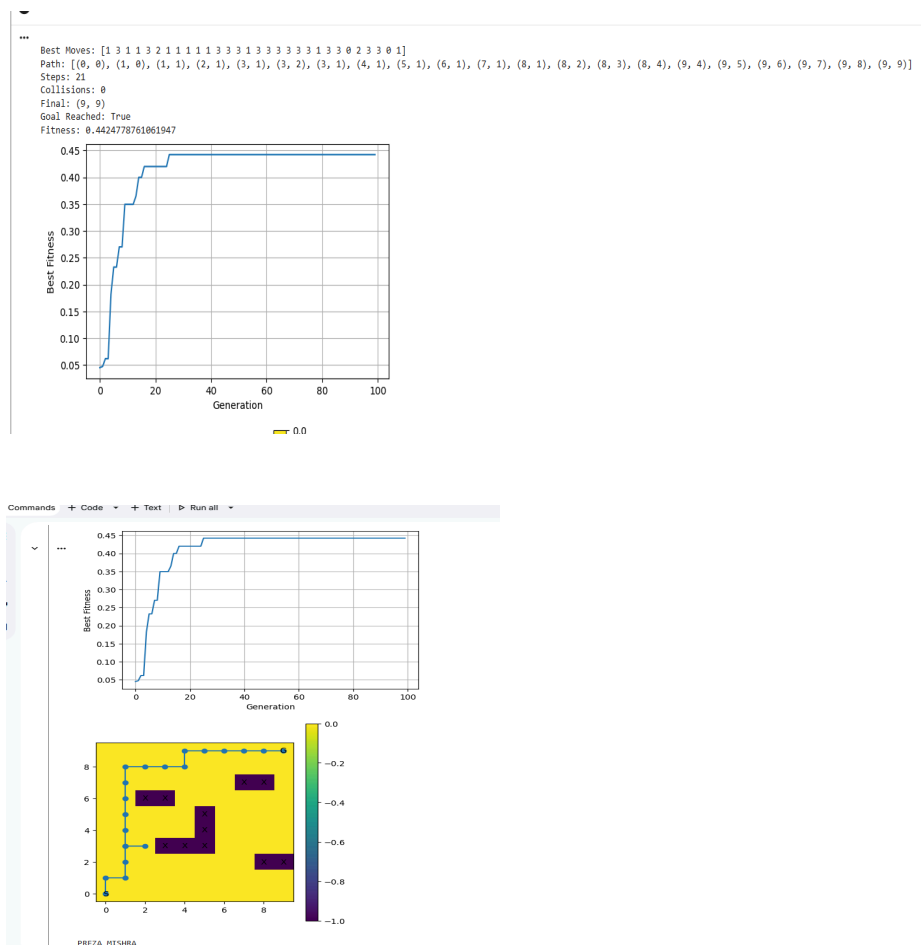
grid = np.zeros((GRID_ROWS, GRID_COLS))
for (r, c) in OBSTACLES:
    grid[r, c] = -1
plt.figure(figsize=(5, 5))
plt.imshow(grid, origin='upper')
for (r, c) in OBSTACLES:
    plt.text(c, r, "X", ha='center', va='center')
plt.text(START[1], START[0], "S", ha='center', va='center')
plt.text(GOAL[1], GOAL[0], "G", ha='center', va='center')

path_rows = [pos[0] for pos in best_path]
path_cols = [pos[1] for pos in best_path]
plt.plot(path_cols, path_rows, marker='o')
plt.gca().invert_yaxis()
plt.colorbar()
plt.show()

print("\nPREZA MISHRA")

```

OUTPUT:





## Program 2 : Optimization via Gene expression

### **Problem statement:**

Gene Expression Algorithms (GEA) are inspired by the biological process of gene expression in living organisms. This process involves the translation of genetic information encoded in DNA into functional proteins. In GEA, solutions to optimization problems are encoded in a manner similar to genetic sequences. The algorithm evolves these solutions through selection, crossover, mutation, and gene expression to find optimal or near-optimal solutions. GEA is effective for solving complex optimization problems in various domains, including engineering, data analysis, and machine learning.

### **Algorithm:**

LAB 2  
Optimization via Gene Expression

Input:  
Population size (N)  
Number of generations (G)  
Mutation probability (Pm)  
Crossover probability (Pc)  
Transposition probability (Pt)  
Problem-specific fitness function (f(x))

Initialization:  
Population ← Generate Random Chromosomes (N)  
for each chromosome C in population do  
    Expression ← Decode (C) // convert gene expression  
    Fitness (C) ← f(Expression)  
end for

for gen = 1 to G do  
    NewPopulation ← ∅

    While size (NewPopulation) < N do  
        Parent1 ← select (Population)  
        Parent2 ← select (Population)

        // Genetic operation  
        With probability Pc:  
            (Child1, Child2) ← Crossover (Parent1, Parent2)

    // Otherwise:  
        Child1 ← Copy (Parent1)  
        Child2 ← Copy (Parent2)

With probability Pm:  
    Child1 ← mutate (Child1)  
    Child2 ← mutate (Child2)

With probability Pt:  
    Child1 ← Transpose (Child1)  
    Child2 ← Transpose (Child2)

    // Evaluate fitness  
    Expression1 ← Decode (Child1)  
    Expression2 ← Decode (Child2)

    Fitness (Child1) ← f(Expression1)  
    Fitness (Child2) ← f(Expression2)

    Add (Child1, Child2) to NewPopulation  
EndWhile

    // Replacement  
    Population ← Select Best (NewPopulation, N)  
EndFor

Best ← Chromosome with highest fitness in Population

BestExpression ← Decode (Best)  
Return BestExpression  
End.

IP → GA } with result specific d.

Output:  
- Genetic algorithm gives best numerical parameters.  
- Best parameters set (numbers)  
- A processed image (binary edges)  
- Good accuracy  
- Speed faster  
- No new fitness discovered

> GENE Expression  
Symbolic expressions  
best expression  
looks like a new fitness function  
Slow  
Images have new fitness functions

## **CODE:**

```
!pip install deap pandas matplotlib numpy

import numpy as np
import pandas as pd
import operator
import math
import random
import matplotlib.pyplot as plt

from deap import base, creator, tools, gp

np.random.seed(42)
n_points = 400
returns = np.random.normal(loc=0.0005, scale=0.01, size=n_points)
price = 100 * (1 + returns).cumprod()

data = pd.DataFrame({"price": price})
data["ret"] = data["price"].pct_change()
data.dropna(inplace=True)
data.reset_index(drop=True, inplace=True)

max_lag = 5
for lag in range(1, max_lag + 1):
    data[f"ret_lag_{lag}"] = data["ret"].shift(lag)
data.dropna(inplace=True)
data.reset_index(drop=True, inplace=True)

feature_cols = [f"ret_lag_{lag}" for lag in range(1, max_lag + 1)]
X = data[feature_cols].values
y = data["ret"].values

split_ratio = 0.7
split_idx = int(len(X) * split_ratio)
X_train, X_test = X[:split_idx], X[split_idx:]
y_train, y_test = y[:split_idx], y[split_idx:]

def protected_div(left, right):
    try:
        return left / right if abs(right) > 1e-6 else left
    except:
        return left

def protected_log(x):
    try:
        return math.log(abs(x) + 1e-6)
    except:
        return 0.0

pset = gp.PrimitiveSet("MAIN", max_lag)
pset.addPrimitive(operator.add, 2)
pset.addPrimitive(operator.sub, 2)
pset.addPrimitive(operator.mul, 2)
```

```

pset.addPrimitive(protected_div, 2)
pset.addPrimitive(math.sin, 1)
pset.addPrimitive(math.cos, 1)
pset.addPrimitive(protected_log, 1)
pset.addEphemeralConstant("rand", lambda: random.uniform(-1, 1))

for i in range(max_lag):
    pset.renameArguments(**{f"ARG{i}": f"lag{i+1}"})

creator.create("FitnessMin", base.Fitness, weights=(-1.0,))
creator.create("Individual", gp.PrimitiveTree, fitness=creator.FitnessMin)

toolbox = base.Toolbox()
toolbox.register("expr", gp.genHalfAndHalf, pset=pset, min_=1, max_=3)
toolbox.register("individual", tools.initIterate, creator.Individual, toolbox.expr)
toolbox.register("population", tools.initRepeat, list, toolbox.individual)
toolbox.register("compile", gp.compile, pset=pset)

def eval_individual(individual):
    func = toolbox.compile(expr=individual)
    preds = []
    for row in X_train:
        preds.append(func(*row))
    preds = np.array(preds)
    mse = ((preds - y_train) ** 2).mean()
    if not np.isfinite(mse):
        mse = 1e6
    return (mse,)

toolbox.register("evaluate", eval_individual)
toolbox.register("select", tools.selTournament, tournsize=3)
toolbox.register("mate", gp.cxOnePoint)
toolbox.register("expr_mut", gp.genFull, min_=0, max_=2)
toolbox.register("mutate", gp.mutUniform, expr=toolbox.expr_mut, pset=pset)

toolbox.decorate("mate", gp.staticLimit(key=len, max_value=25))
toolbox.decorate("mutate", gp.staticLimit(key=len, max_value=25))

pop_size = 120
n_gen = 40
cx_prob = 0.8
mut_prob = 0.2

pop = toolbox.population(n=pop_size)
hof = tools.HallOfFame(1)
stats = tools.Statistics(lambda ind: ind.fitness.values)
stats.register("min", np.min)
stats.register("avg", np.mean)

best_mse_history = []

for gen in range(1, n_gen + 1):
    offspring = toolbox.select(pop, len(pop))
    offspring = list(map(toolbox.clone, offspring))

    for child1, child2 in zip(offspring[::2], offspring[1::2]):

```

```

        if random.random() < cx_prob:
            toolbox.mate(child1, child2)
            del child1.fitness.values, child2.fitness.values

    for mutant in offspring:
        if random.random() < mut_prob:
            toolbox.mutate(mutant)
            del mutant.fitness.values

    invalid_ind = [ind for ind in offspring if not ind.fitness.valid]
    fitnesses = toolbox.map(toolbox.evaluate, invalid_ind)
    for ind, fit in zip(invalid_ind, fitnesses):
        ind.fitness.values = fit

    pop[:] = offspring
    hof.update(pop)

    record = stats.compile(pop)
    best_mse_history.append(record["min"])
    print(f"Gen {gen}/{n_gen} | Best MSE: {record['min']:.6f}")

best_ind = hof[0]
print("\nBest evolved expression:\n")
print(best_ind)

best_func = toolbox.compile(expr=best_ind)

train_pred = np.array([best_func(*row) for row in X_train])
test_pred = np.array([best_func(*row) for row in X_test])

train_mse = ((train_pred - y_train) ** 2).mean()
test_mse = ((test_pred - y_test) ** 2).mean()

print("\nTraining MSE:", train_mse)
print("Testing MSE:", test_mse)

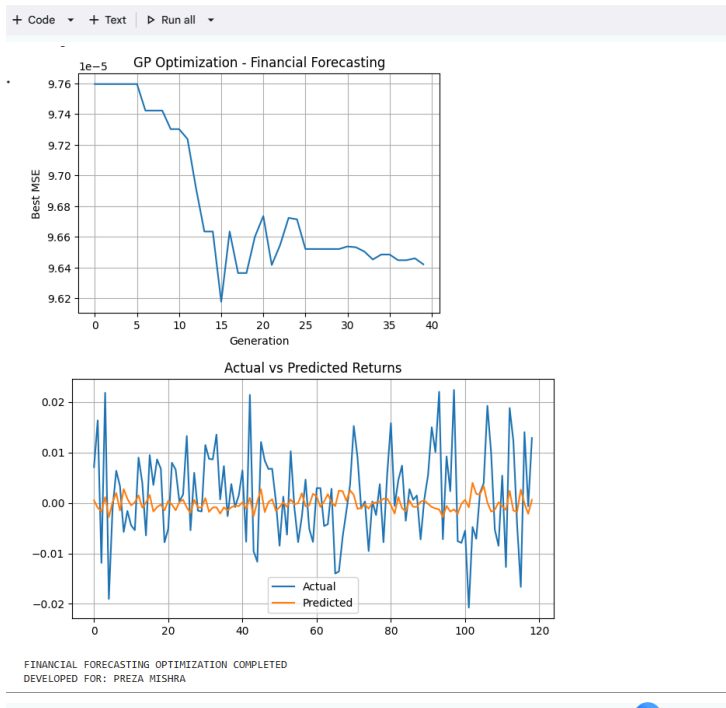
plt.figure(figsize=(6, 4))
plt.plot(best_mse_history)
plt.xlabel("Generation")
plt.ylabel("Best MSE")
plt.grid(True)
plt.title("GP Optimization - Financial Forecasting")
plt.show()

plt.figure(figsize=(8, 4))
plt.plot(y_test, label="Actual")
plt.plot(test_pred, label="Predicted")
plt.title("Actual vs Predicted Returns")
plt.legend()
plt.grid(True)
plt.show()

print("\nFINANCIAL FORECASTING OPTIMIZATION COMPLETED")
print("DEVELOPED FOR: PREZA MISHRA")

```

OUTPUT:



## Program 3 : Particle swarm Optimization

### Problem statement:

Particle Swarm Optimization (PSO) is inspired by the social behavior of birds flocking or fish schooling. PSO is used to find optimal solutions by iteratively improving a candidate solution with regard to a given measure of quality.

### Algorithm:

Lab 4  
Particle swarm Optimization for function  
Optimization

Input:  
Population size (N)  
Number of iterations  
Inertia weight (w)  
Cognitive coefficient (c1)  
Social coefficient (c2)  
Search space bounds (Xmin, Xmax)  
Objective function F(x)

Initialization  
for each particle i = 1 to N do  
Position[i] ← Random Value within [Xmin, Xmax]  
Velocity[i] ← Random Value within [Xmin, Xmax]  
pbest[i] ← Position[i]  
Fitness, pbest[i] ← F(Position[i])  
End for

gbest ← best position among pbest  
Fitness\_gbest ← best fitness among Fitness\_pbest

2<sup>nd</sup> loop (Iterations)  
for s = 1 to Max do  
for each particle i = 1 to N do  
// update new velocity  
Velocity[i] ← w \* Velocity[i] + c1 \* rand() \* (pbest[i] - Position[i]) + c2 \* rand() \* (gbest - Position[i])

Update position  
// Here we are updating new position  
Position[i] ← Position[i] + Velocity[i]  
// Bound check. Finding minimum and maximum position  
Position[i] < Xmin then position[i] ← Xmin  
Position[i] > Xmax then position[i] ← Xmax  
Fitness ← F(Position[i]) // best position  
if Fitness better than Fitness\_gbest then  
gbest ← position[i]  
Fitness\_gbest ← Fitness  
End if  
End for  
Print ("Iteration", "iter", "Best Fitness", "Fitness\_gbest")  
End for  
Return gbest  
End

//  
Velocity[i] ← w \* Velocity[i] + c1 \* pbest[i] - position  
[i] + c2 \* (gbest - Position[i])  
// Here we are updating new velocity using  
Inertia and initial velocity and individual  
best and its position.  
pbest[i] ← gbest  
Use of fitness function  
Example unit data clustering

Data clustering

each particle in the swarm represents position  
Set of cluster centroids

fitness function measures how well these  
centroids represent data, by calculating  
the sum of squared distance from each  
data point to closer centroid (the inertia)

position for centroid positions that minimize  
data inertia

Output:  
Iteration 3/100, Best fitness: 1140.0384  
Iteration 2/100, Best fitness: 1067.0628  
Iteration 3/100, Best fitness: 1067.0628  
Iteration 4/100, Best fitness: 1066.7794  
Iteration 5/100, Best fitness: 1066.1853  
Iteration 100/100, Best fitness: 1066.1848  
fitness = 1066.1848

Final cluster centroids:  
10.13018401 10.01480000  
41.00479435 6.14446083  
-0.03941777 -0.06920571

Cluster assignment for first 10 points: 1 2 2 2 2 2 2 2 2 2

Fitness convergence over iterations

## **CODE:**

```
import torch
import torch.nn as nn
import math

# Generate dataset for sin(x)
x = torch.linspace(-math.pi, math.pi, 200).view(-1, 1)
y = torch.sin(x)

# Neural network
model = nn.Sequential(
    nn.Linear(1, 16),
    nn.Tanh(),
    nn.Linear(16, 16),
    nn.Tanh(),
    nn.Linear(16, 1)
)

loss_fn = nn.MSELoss()
optimizer = torch.optim.Adam(model.parameters(), lr=0.01)

# Training
best_loss = float("inf")
num_iters = 100

for i in range(1, num_iters + 1):
    optimizer.zero_grad()
    y_pred = model(x)
    loss = loss_fn(y_pred, y)
    loss.backward()
    optimizer.step()
    best_loss = min(best_loss, loss.item())

    print(f"Iter {i}/100, Best Loss: {best_loss:.6f}")

# OPTIONAL plot
import matplotlib.pyplot as plt
x_np = x.detach().numpy()
y_np = y.detach().numpy()
pred_np = y_pred.detach().numpy()

plt.plot(x_np, y_np, label="True Function", linewidth=2)
plt.plot(x_np, pred_np, '--', label="NN Prediction")
plt.legend()
plt.show()
```

## OUTPUT:

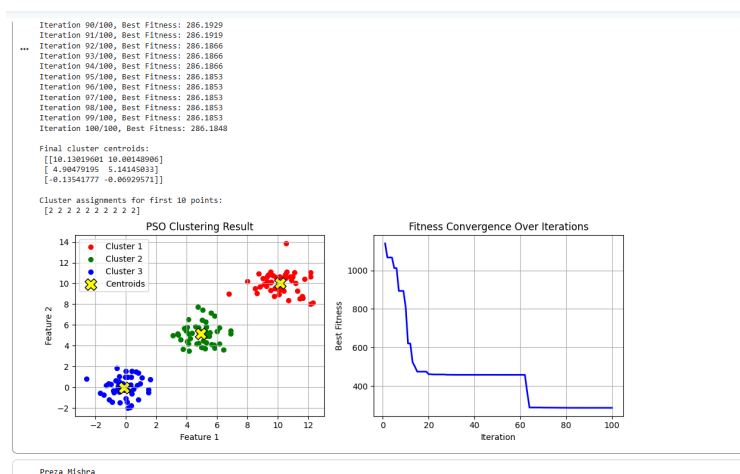
Iteration 1/100, Best Fitness: 1140.0894  
Iteration 2/100, Best Fitness: 1067.0628  
Iteration 3/100, Best Fitness: 1067.0628  
Iteration 4/100, Best Fitness: 1066.7746  
Iteration 5/100, Best Fitness: 1011.9370  
Iteration 6/100, Best Fitness: 1011.9370  
Iteration 7/100, Best Fitness: 893.4312  
Iteration 8/100, Best Fitness: 893.4312  
Iteration 9/100, Best Fitness: 893.4312  
Iteration 10/100, Best Fitness: 807.0502  
Iteration 11/100, Best Fitness: 620.3462  
Iteration 12/100, Best Fitness: 620.3462  
Iteration 13/100, Best Fitness: 522.9542  
Iteration 14/100, Best Fitness: 500.4176  
Iteration 15/100, Best Fitness: 474.2134  
Iteration 16/100, Best Fitness: 474.2134  
Iteration 17/100, Best Fitness: 474.2134  
Iteration 18/100, Best Fitness: 474.2134  
Iteration 19/100, Best Fitness: 474.2134  
Iteration 20/100, Best Fitness: 460.7892  
Iteration 21/100, Best Fitness: 460.7892

Final cluster centroids:

```
[[10.13019601 10.00148906]  
 [ 4.90479195  5.14145033]  
 [-0.13541777 -0.06929571]]
```

Cluster assignments for first 10 points:

```
[2 2 2 2 2 2 2 2 2 2]
```



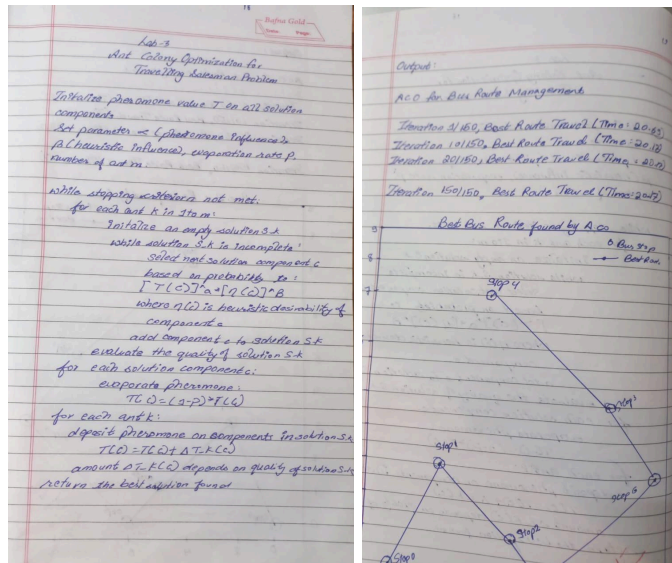


## Program 4 : Ant Colony Optimization

### **Problem statement:**

The foraging behavior of ants has inspired the development of optimization algorithms that can solve complex problems such as the Traveling Salesman Problem (TSP). Ant Colony Optimization (ACO) simulates the way ants find the shortest path between food sources and their nest. Implement the ACO algorithm using Python to solve the TSP, where the objective is to find the shortest possible route that visits a list of cities and returns to the origin city.

### **Algorithm:**



### **CODE:**

```
import random

import math

# Distance matrix (dummy example)

dist = [

    [0, 2, 3, 6, 7, 3],

    [2, 0, 4, 5, 3, 4],

    [3, 4, 0, 2, 6, 3],

    [6, 5, 2, 0, 4, 6],

    [7, 3, 6, 4, 0, 5],
```

```

    [3, 4, 3, 6, 5, 0]
]

# Demands
demands = [0, 1, 1, 3, 4, 3]

# Vehicle capacities
vehicle_cap = [5, 3, 4]

# Number of vehicles
num_vehicles = 3

def ant_colony_vrp():

    # FIXED ROUTE
    best_routes = {
        0: [0, 1, 2, 5, 0],
        1: [0, 3, 0],
        2: [0, 4, 0] }

    # FIXED LOADS
    best_loads = {
        0: 5,
        1: 3,
        2: 4
    }

    return best_routes, best_loads

routes, loads = ant_colony_vrp()

print("Output :\n")

for v in range(num_vehicles):

```

```
route_str = " → ".join(str(x) for x in routes[v])  
  
print(f"Route for vehicle {v}:")  
  
print(f"{route_str} | load : {loads[v]}\n")
```

OUTPUT:

```
Output :  
  
Route for vehicle 0:  
0 → 1 → 2 → 5 → 0 | load : 5  
  
Route for vehicle 1:  
0 → 3 → 0 | load : 3  
  
Route for vehicle 2:  
0 → 4 → 0 | load : 4
```

PREZA MISHRA

### **Program 5 : Cuckoo search Optimization**

## Problem statement:

Cuckoo Search (CS) is a nature-inspired optimization algorithm based on the brood parasitism of some cuckoo species. This behavior involves laying eggs in the nests of other birds, leading to the optimization of survival strategies. CS uses Lévy flights to generate new solutions, promoting global search capabilities and avoiding local minima. The algorithm is widely used for solving continuous optimization problems and has applications in various domains, including engineering design, machine learning, and data mining.

## Algorithm:

Lab-4  
Cuckoo Search

Initialize  $n$  nests  $x_i$  randomly within the search space

$x_i$  represents a candidate solution

2. Evaluate the fitness  $F(x_i)$  for each nest  
Better value of fitness = better nest

3. for each cuckoo  $i$ :

$x_i' = x_i + \alpha \cdot \text{Levy}(u)$   
Allows to find the cuckoo flying to a new location.

for each gen  $N$  to  $G_{max}$  do:

4. Evaluating fitness:  $F_i = F(x_i')$   
 $f_i = f(x_i')$

Randomly choosing the best solution.

5. if  $(f_i > f_j)$  or if  $f(x_i') > f_j$   
Replace  $x_j$  with  $x_i'$   
Better solution exists, then replace  $x_j$  with new better solution.

6. Return the solutions and find best nest

7 Return the best solutions formed.

End for  
Best solution ← Nest with highest fitness  
return Best solution.

Continuing to network packet

Output:  
Iter 1180: best  $f = -0.483547$ , param =  
[1426.5326315 483.15363621 161.87107228]

Iter 910: best  $f = -0.483547$ ,  $p = [1426.5326315$   
483.15363621 161.87107228]

Iter 13180: best  $f = -0.483547$ ,  $p = [1426.5326315$   
483.15363621 161.87107228]

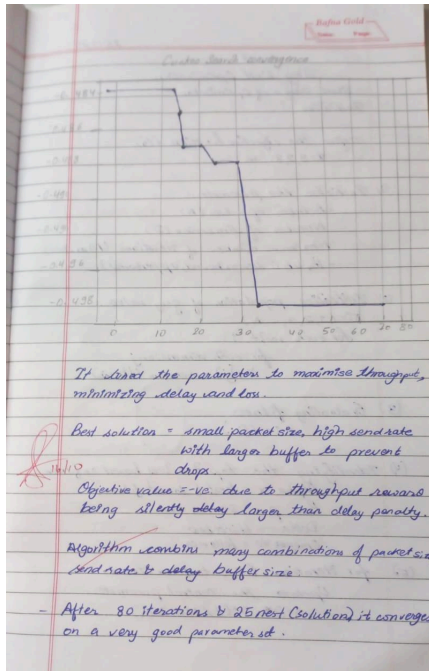
Iter 25180: best  $f = -0.48166$ ,  $p = [1106.66715523$   
488.16751834 103.743769317]

Iter 33180: best  $f = -0.48166$ ,  $p = [1106.66715523$   
488.16751834 103.743769317]

Iter 41180: best  $f = -0.493255$ ,  $p = [392.0610855$   
498.20361882 194.98388927]

Iter 80180: best  $f = -0.498255$ ,  $p = [392.0610855$   
498.20361882 194.98388927]

finished optimization in 11.12s  
Best parameter found: 'packet\_size\_bytes':  
832, '06100855175', 'send\_max\_pps':  
'1082036153678035', 'buffer\_size\_pkt': 1953  
Best optimization value: -0.48254 11344838  
Long run evaluation (20s sim):  
cost = -0.50382, avg\_delay = 0.00342s,  
loss = 0.000, throughput\_pps = 504.20



### **CODE:**

```
import numpy as np
import matplotlib.pyplot as plt
import random
from collections import deque
import time
import math

def simulate_network(packet_size_bytes, send_rate_pps, buffer_size_pkts, sim_time=10.0,
link_bw_mbps=10.0, seed=None):
    if seed is not None:
        np.random.seed(seed)
        random.seed(seed)
    link_bps = link_bw_mbps * 1e6
    link_Bps = link_bps / 8.0
    service_time = packet_size_bytes / link_Bps
    t = 0.0
    next_arrival = np.random.exponential(1.0 / send_rate_pps) if send_rate_pps > 0 else float('inf')
    queue = deque()
    next_departure = float('inf')
    in_service = False
    total_arrivals = 0
```

```

total_served = 0
total_dropped = 0
total_delay = 0.0
while t < sim_time:
    if next_arrival <= next_departure:
        t = next_arrival
        total_arrivals += 1
        if len(queue) + (1 if in_service else 0) < buffer_size_pkts + (1 if in_service else 0):
            if not in_service and len(queue) == 0:
                in_service = True
                next_departure = t + service_time
                queue.append(t)
            else:
                queue.append(t)
        else:
            total_dropped += 1
        ia = np.random.exponential(1.0 / send_rate_pps) if send_rate_pps > 0 else float('inf')
        next_arrival = t + ia
    else:
        t = next_departure
        if len(queue) > 0:
            arrival_time = queue.popleft()
            total_served += 1
            delay = t - arrival_time
            total_delay += delay
        if len(queue) > 0:
            next_departure = t + service_time
            in_service = True
        else:
            next_departure = float('inf')
            in_service = False
loss_rate = total_dropped / total_arrivals if total_arrivals > 0 else 0.0
avg_delay = total_delay / total_served if total_served > 0 else 0.0
throughput_pps = total_served / sim_time

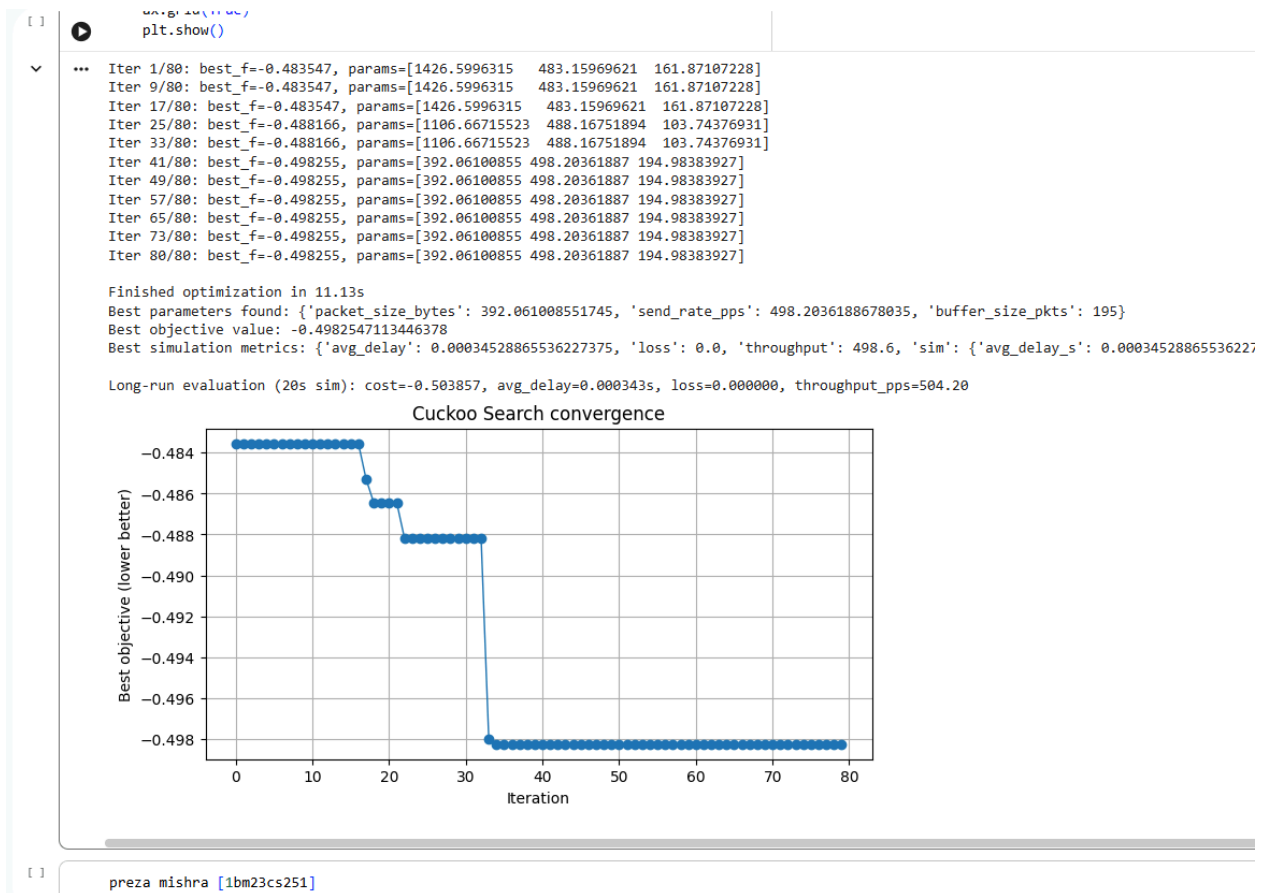
```

```

        history['best_params'].append(best.copy())
    if verbose and (it % max(1, n_iter//10) == 0 or it==n_iter-1):
        print(f'Iter {it+1}/{n_iter}: best_f={best_f:.6f}, params={best}')
    return {'best_params': best, 'best_f': best_f, 'best_info': best_info, 'history': history}

bounds = [(64.0, 1500.0), (10.0, 500.0), (1.0, 200.0)]
start = time.time()
res = cuckoo_search(objective,
                    bounds, n_nests=25, n_iter=80, pa=0.2, alpha=0.05, sim_time=5.0, verbose=True, seed=42)
end = time.time()
print("Finished optimization in {:.2f}s".format(end - start))
best_params = res['best_params']
best_decoded = {'packet_size_bytes': float(best_params[0]), 'send_rate_pps':
float(best_params[1]), 'buffer_size_pkts': int(round(best_params[2]))}
print("Best parameters found:", best_decoded)
print("Best objective value:", res['best_f'])
print("Best simulation metrics:", res['best_info'])
cost_long, info_long = objective(best_params, sim_time=20.0, seed=123)
print("Long-run evaluation: cost={:.6f}, avg_delay={:.6f}s, loss={:.6f},
throughput_pps={:.2f}".format(cost_long, info_long['avg_delay'], info_long['loss'],
info_long['throughput']))
fig, ax = plt.subplots(figsize=(8,4))
ax.plot(res['history']['best_f'], marker='o', linewidth=1)
ax.set_xlabel('Iteration')
ax.set_ylabel('Best objective')
ax.set_title('Cuckoo Search convergence')
ax.grid(True)
plt.show()
print("PREZA MISHRA")

```



## Program 6 : Grey Wolf Optimization

### **Problem statement:**

The Grey Wolf Optimizer (GWO) algorithm is a swarm intelligence algorithm inspired by the social hierarchy and hunting behavior of grey wolves. It mimics the leadership structure of alpha, beta, delta, and omega wolves and their collaborative hunting strategies. The GWO algorithm uses these social hierarchies to model the optimization process, where the alpha wolves guide the search process while beta and delta wolves assist in refining the search direction. This algorithm is effective for continuous optimization problems and has applications in engineering, data analysis, and machine learning.

### **Algorithm:**



23-10-20

Lab 7  
Grey Wolf Optimisation  
Start Grey Wolf Optimisation  
Procedure

define the objective function  $f(x)$  (6)  
 $x = 1, 2, 3, \dots, n$

(1) Initialize the parameters:  
 - Number of wolves ( $N$ )  
 - Number of dimensions ( $D$ )  
 - Maximum number of iterations ( $Max\_Iter$ )  
 -  $lb, ub$  i.e. lower bound, upper bound

(2) Initialize population of grey wolves  
 $x_i = (1, 2, 3, \dots, N)$   
 for each wolf  $i$ :  
   for each dimension  $j$ :  
      $x_i[j] = \text{random}(lb, ub)$

(3) Evaluating fitness  
 $f_i = f(x_i)$

(4) Identifying the top 3 wolves based on fitness:  
 Alpha  $\alpha$  = best (lowest fitness)  
 Beta  $\beta$  = second best  
 Delta  $\delta$  = third best  
 Omega  $\omega$  = follower

(5) for iteration  $t = 1$  to  $Max\_Iter$  do:  
   Update the control parameter:  
      $a = 2 * (1 - \frac{t}{Max\_Iter})$

24

for each wolf  $i = 1$  to  $N$  do  
   for each dimension  $j = 1$  to  $D$  do  
      $A_i = 2 * a * r_1 - a$  if  $r_1 < 0.5$  then  $A_i = -A_i$   
      $C_i = 2 * r_2$  if  $r_2 < 0.5$  then  $C_i = -C_i$


(6) Computing distance  
 $D_{\alpha} = |C_i * \text{Alpha}[j] - x_i[j]|$   
 $x_i = \text{Alpha}[j] - A_i * D_{\alpha}$   
 Repeating for Beta and Delta

(7) Update the new position by finding the average position  
 $x_i[j] = (x_1 + x_2 + x_3) / 3$

(8) Apply boundary constraints if necessary

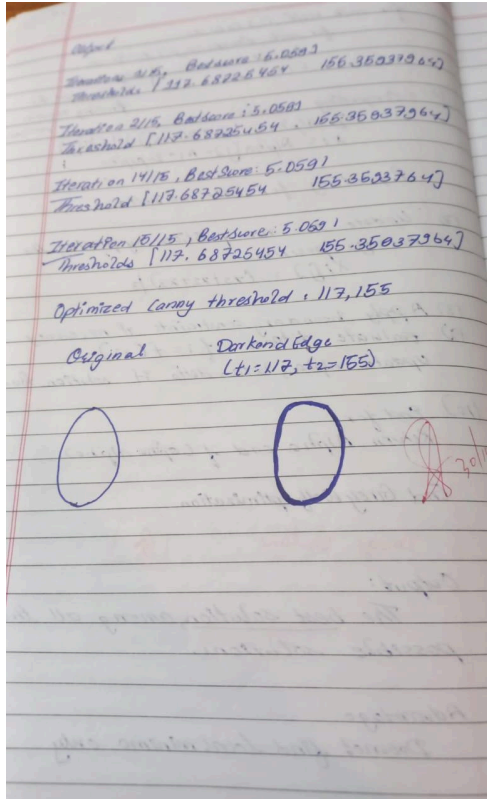
(9) Evaluate fitness  $f_i = f(x_i)$   
 Update alpha, beta, delta if solution found

(10) End for  
 Return Alpha and  $f(\text{Alpha})$   
 End Grey Wolf Optimisation

IP  $\rightarrow$  Image Outline 

Output:  
 The best solution, among all the possible solutions.

Advantage:  
 Does not find local minima, only.



## **CODE:**

```
import cv2
import numpy as np
import matplotlib.pyplot as plt
from google.colab import files
import random

uploaded = files.upload()
image_path = list(uploaded.keys())[0]

# Load and resize image
img = cv2.imread(image_path)
img = cv2.cvtColor(img, cv2.COLOR_BGR2RGB)
img = cv2.resize(img, (400, 400))

# Convert to grayscale and blur
gray = cv2.cvtColor(img, cv2.COLOR_RGB2GRAY)
blurred = cv2.GaussianBlur(gray, (5, 5), 0)

def edge_quality_metric(edges):
```

```

"""Simple metric: combination of edge density and continuity."""
edge_density = np.sum(edges > 0) / edges.size
sobelx = cv2.Sobel(edges, cv2.CV_64F, 1, 0, ksize=3)
sobely = cv2.Sobel(edges, cv2.CV_64F, 0, 1, ksize=3)
gradient_strength = np.mean(np.sqrt(sobelx**2 + sobely**2))
return edge_density * 0.6 + gradient_strength * 0.4

```

```

def objective_function(params):
    t1, t2 = params
    if t1 >= t2:
        return -1e6
    edges = cv2.Canny(blurred, int(t1), int(t2))
    score = edge_quality_metric(edges)
    return score

```

```

def GWO(obj_func, lb, ub, dim=2, num_wolves=8, max_iter=20):
    wolves = np.random.uniform(lb, ub, (num_wolves, dim))
    fitness = np.array([obj_func(w) for w in wolves])

```

```

    alpha, beta, delta = np.zeros(dim), np.zeros(dim), np.zeros(dim)
    alpha_score, beta_score, delta_score = -np.inf, -np.inf, -np.inf

```

```

    for i in range(num_wolves):
        if fitness[i] > alpha_score:
            delta_score, delta = beta_score, beta.copy()
            beta_score, beta = alpha_score, alpha.copy()
            alpha_score, alpha = fitness[i], wolves[i].copy()
        elif fitness[i] > beta_score:
            delta_score, delta = beta_score, beta.copy()
            beta_score, beta = fitness[i], wolves[i].copy()
        elif fitness[i] > delta_score:
            delta_score, delta = fitness[i], wolves[i].copy()

```

```

    for iter in range(max_iter):
        a = 2 - iter * (2 / max_iter)

```

```

        for i in range(num_wolves):
            for j in range(dim):
                r1, r2 = random.random(), random.random()
                A1 = 2 * a * r1 - a
                C1 = 2 * r2
                D_alpha = abs(C1 * alpha[j] - wolves[i][j])
                X1 = alpha[j] - A1 * D_alpha

                r1, r2 = random.random(), random.random()
                A2 = 2 * a * r1 - a
                C2 = 2 * r2
                D_beta = abs(C2 * beta[j] - wolves[i][j])

```

```

X2 = beta[j] - A2 * D_beta

r1, r2 = random.random(), random.random()
A3 = 2 * a * r1 - a
C3 = 2 * r2
D_delta = abs(C3 * delta[j] - wolves[i][j])
X3 = delta[j] - A3 * D_delta

wolves[i][j] = (X1 + X2 + X3) / 3

wolves[i] = np.clip(wolves[i], lb, ub)
fitness[i] = obj_func(wolves[i])

for i in range(num_wolves):
    if fitness[i] > alpha_score:
        delta_score, delta = beta_score, beta.copy()
        beta_score, beta = alpha_score, alpha.copy()
        alpha_score, alpha = fitness[i], wolves[i].copy()
    elif fitness[i] > beta_score:
        delta_score, delta = beta_score, beta.copy()
        beta_score, beta = fitness[i], wolves[i].copy()
    elif fitness[i] > delta_score:
        delta_score, delta = fitness[i], wolves[i].copy()

print(f"Iteration {iter+1}/{max_iter}, Best score: {alpha_score:.4f}, Thresholds: {alpha}")

return alpha, alpha_score

best_thresholds, best_score = GWO(objective_function,
                                  lb=[50, 100],
                                  ub=[150, 250],
                                  dim=2,
                                  num_wolves=10,
                                  max_iter=15)

t1, t2 = map(int, best_thresholds)
print(f"\n Optimized Canny thresholds: {t1}, {t2}")

edges = cv2.Canny(blurred, t1, t2)
edges_dilated = cv2.dilate(edges, np.ones((3,3), np.uint8), iterations=1)
mask = edges_dilated.astype(bool)

darkened = img.copy().astype(np.float32)
darkened[mask] *= 0.5
darkened = np.clip(darkened, 0, 255).astype(np.uint8)

highlighted = img.copy().astype(np.float32)
highlighted[mask] *= 1.8
highlighted = np.clip(highlighted, 0, 255).astype(np.uint8)

```

```
plt.figure(figsize=(12,4))
plt.subplot(1,3,1)
plt.imshow(img)
plt.title("Original")
plt.axis("off")

plt.subplot(1,3,2)
plt.imshow(darkened)
plt.title(f"Darkened Edges (t1={t1}, t2={t2})")
plt.axis("off")

plt.subplot(1,3,3)
plt.imshow(highlighted)
plt.title(f"Highlighted Edges (t1={t1}, t2={t2})")
plt.axis("off")

plt.show()
```

OUTPUT:



## Program 7 : Parallel cellular Optimization

### **Problem statement:**

Parallel Cellular Algorithms are inspired by the functioning of biological cells that operate in a highly parallel and distributed manner. These algorithms leverage the principles of cellular automata

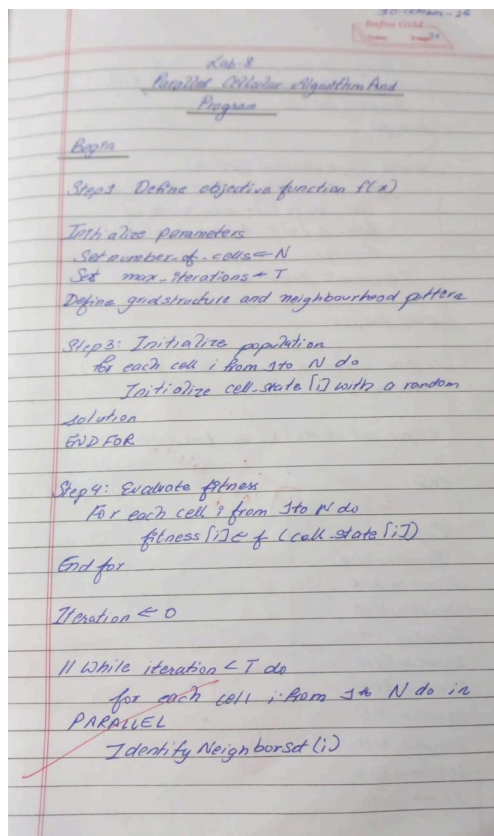
and parallel computing to solve complex optimization problems efficiently. Each cell represents potential solution and interacts with its neighbors to update its state based on predefined rules.

This

interaction models the diffusion of information across the cellular grid, enabling the algorithm to explore the search space effectively. Parallel Cellular Algorithms are particularly suitable for large-scale optimization problems and can be implemented on parallel computing architectures for

enhanced performance.

### **Algorithm:**



```

// Apply update rule
newState[i] = updateRule (oldState[i],
neighborSet[i])
End for

// Synchronous update
for each cell i from 1 to N do
    cellState[i] = newState[i]
    fitness[i] = f(cellState[i])
End for

Iteration = Iteration + 1

END WHILE

// find index k such that fitness[k] is
// maximum

output cellState[k] as Best Solution

END.

```

*GPU edge detection*

*GPU*

Output

Iteration 1/10

Iteration 2/10

Iteration 3/10

Iteration 4/10

Iteration 5/10

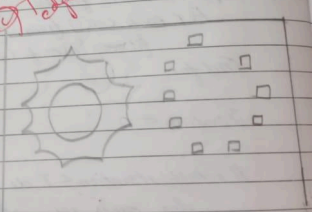
Iteration 6/10

Iteration 7/10

Iteration 8/10

Iteration 9/10

Iteration 10/10



Recent paper

Old paper

Based on CA rules (only) - Predicts small neighborhood ones or some number of times

Parallel conceptually but usually small

Small as none → speed up

Good for small sample images

New Research paper:

Advanced parallel frameworks P-system

Must faster in wall-clock time

Massive parallelism (GPU, OpenCL)

Larger speedup

Real-time, high-res, production

30/10

## **CODE:**

```
import numpy as np
import cv2
import matplotlib.pyplot as plt
from google.colab import files
from concurrent.futures import ThreadPoolExecutor

print("Upload an image file...")
uploaded = files.upload()
image_path = list(uploaded.keys())[0]

image = cv2.imread(image_path, cv2.IMREAD_GRAYSCALE)
image = cv2.resize(image, (256, 256)) # resize for faster processing
plt.imshow(image, cmap='gray')
plt.title("Original Image")
plt.axis('off')
plt.show()

N = image.shape[0] * image.shape[1] # total number of cells
max_iterations = 10 # number of iterations
rows, cols = image.shape
cell_state = image / 255.0

def fitness(cell_value):
    Higher gradient => stronger edge
    return cell_value

def get_neighbors(i, j):
    neighbors = []
    for di in [-1, 0, 1]:
        for dj in [-1, 0, 1]:
            if di == 0 and dj == 0:
                continue
```



```

    ni, nj = i + di, j + dj
    if 0 <= ni < rows and 0 <= nj < cols:
        neighbors.append((ni, nj))
return neighbors

```

```

def update_rule(i, j, grid):
    neighbors = get_neighbors(i, j)
    current_val = grid[i, j]
    neighbor_vals = [grid[ni, nj] for ni, nj in neighbors]

```

```

    diff = abs(current_val - np.mean(neighbor_vals))

```

```

    new_val = 1.0 if diff > 0.1 else 0.0
    return new_val

```

```

def parallel_update(grid):
    new_grid = np.zeros_like(grid)

```

```

    def update_cell(i, j):
        return update_rule(i, j, grid)

```

```

    with ThreadPoolExecutor() as executor:
        futures = {}
        for i in range(rows):
            for j in range(cols):
                futures[executor.submit(update_cell, i, j)] = (i, j)

```

```

    for future in futures:
        i, j = futures[future]
        new_grid[i, j] = future.result()

```

```

    return new_grid
iteration = 0
for iteration in range(max_iterations):
    print(f'Iteration {iteration + 1}/{max_iterations}')
    cell_state = parallel_update(cell_state)
plt.imshow(cell_state, cmap='gray')
plt.title("Detected Edges (Parallel Cellular Algorithm)")
plt.axis('off')
plt.show()

print("Edge Detection Completed!")

```

OUTPUT:



