

EE537 Circuit Simulation Lab

Experiment 4

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Aim: Design of basic gain stages using MOS transistors.

In this simulation experiment, we will be using gpdk 0.18 μ m and VDD= 1.8 V. Following are the tasks to be done and in all the questions include your hand calculations which you have used to arrive at the initial transistor sizing.

1 Design a Common-Source (CS) amplifier stage

Design the following configurations of CS amplifier with total current consumption of 100 μ A, output voltage swing of 500 mV, CL = 5 pF, $f_{ugb} > 40$ MHz and maximize the voltage gain. Show the DC operating point simulation and annotate Id, gm, region and overdrive(v_{dsat}). Show the results using transient and AC analysis.

1.1 With resistive load

Considering a CS stage with resistive load,

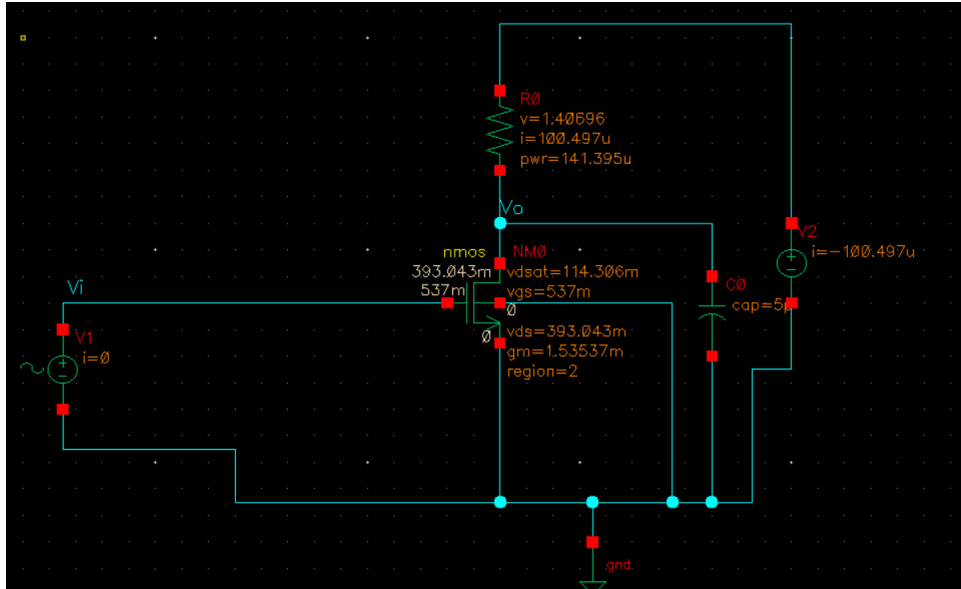


Figure 1: Ckt diagram of resistive loaded cs amplifier

$$f_{ugb} > 40 \text{ MHz} \quad (1)$$

$$\frac{gm}{2\pi Cl} > 40 \text{ MHz} \quad (2)$$

$$gm > 1.26 \text{ mS} \quad (3)$$

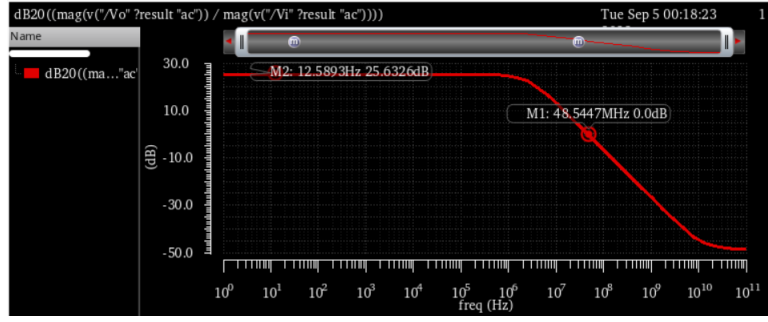


Figure 2: ac response of cs amplifier with resistive load

Also,

$$\frac{2Id}{V_{gs} - V_{th}} > 1.26mS \quad (4)$$

or

$$V_{gs} - V_{th} < 159.2mV \quad (5)$$

and

$$\frac{\mu_n Cox W}{L} = 70.4593m \quad (6)$$

From this we can say

$$\mu_n Cox = 1.48mA/(V^2) \quad (7)$$

$$Id = \frac{\mu_n Cox W (V_{gs} - V_t)^2}{2L} \quad (8)$$

$V_{gs}=537mV$, $V_t=483.597mV$, $I_d = 100\mu A$ Calculating we get,

$$\frac{W}{L} = 55.05 \quad (9)$$

For calculating R_d

$$V_{ds} = V_{dd} - I_d R_d \quad (10)$$

For V_{ds} we can say

$$V_{ds} > \frac{gm R_d}{2} + V_{ov} \quad (11)$$

$$V_{ov} = V_{gs} - V_t, V_{ov} = 53.403mV, \text{Taking } V_{ds} = 400mV \quad (12)$$

Using 10

$$R_d = 14k\Omega \quad (13)$$

Maximising the gain, we get

$$Gain = -gm R_d \quad (14)$$

we observe a gain of 25.143dB. To get the proper swing we need to calculate amplitude which is equal to (output amplitude swing)/Gain

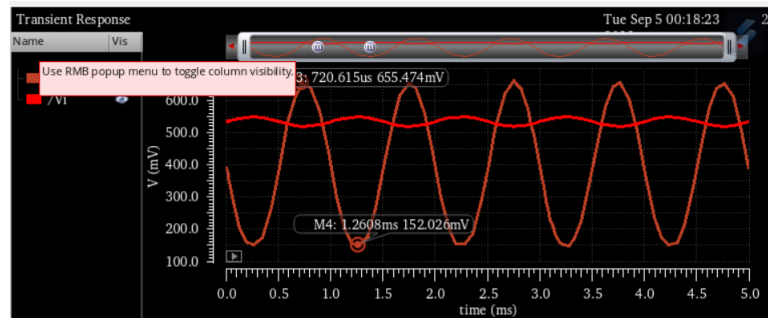


Figure 3: transient response of cs amplifier with resistive load

1.2 With diode connected PMOS load.

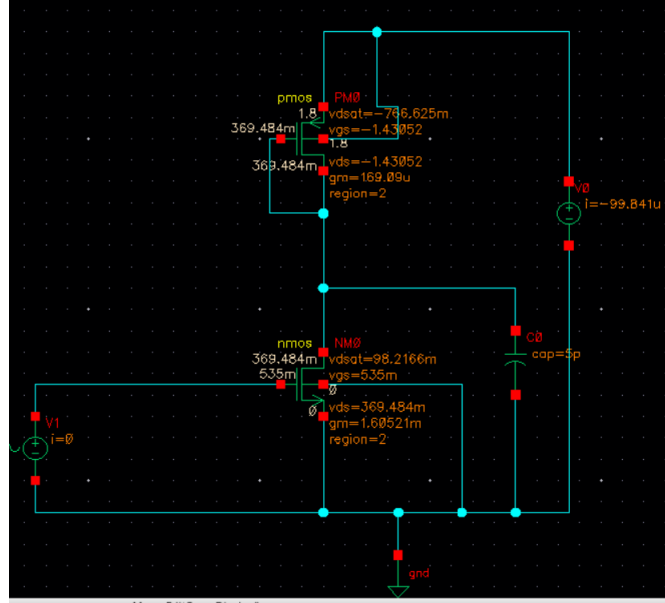


Figure 4: ckt diagram of diode connected load in cs amplifier

$$f_{ugb} > 40MHz \quad (15)$$

$$\frac{gm}{2\pi C_l} > 40MHz \quad (16)$$

$$gm > 1.26mS \quad (17)$$

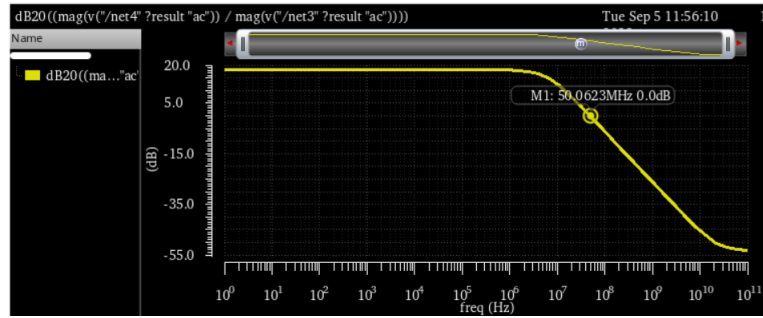


Figure 5: ac response of diode connected load in cs amplifier

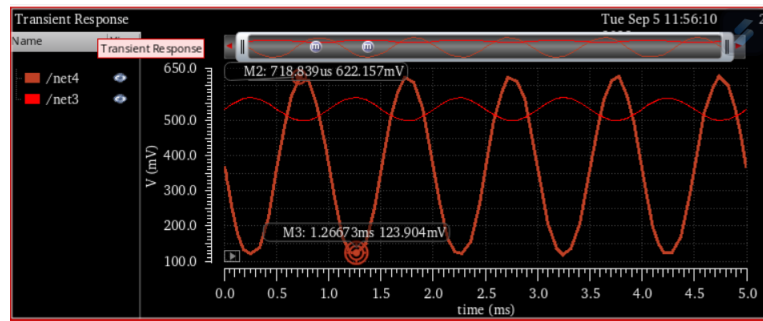


Figure 6: transient response of cs amplifier with a diode connected load

Also,

$$\frac{2Id}{V_{gs} - V_{th}} > 1.26mS \quad (18)$$

or

$$V_{gs} - V_{th} < 159.2mV \quad (19)$$

and

$$\frac{\mu_n Cox W}{L} = 125.602m \quad (20)$$

From this we can say

$$\mu_n Cox = 1.88mA/(V^2) \quad (21)$$

$$Id = \frac{\mu_n Cox W (|V_{gs}| - |V_t|)^2}{2L} \quad (22)$$

$V_{gs} = -1.43V$, $V_t = -460mV$, $Id = 99.841\mu A$ Calculating we get,

$$\frac{W}{L} = 66.67 \quad (23)$$

For V_{ds} we can say

$$V_{ds} > \frac{gmR_d}{2} + V_{ov} \quad (24)$$

$$V_{ov} = |V_{gs}| - |V_t|, V_{ov} = 0.97V, \quad (25)$$

For PMOS,

$Id1 = Id2 = 99.841\mu A$ Also

$$\frac{\mu_p Cox W}{L} = 212.062\mu \quad (26)$$

or

$$\mu_p Cox = 45.024\mu A/V^2$$

$$Id1 = 99.841\mu = \frac{\mu_p Cox W (|V_{gs}| - |V_t|)^2}{2L} \quad (27)$$

Calculating we get,

$$\frac{W}{L} = 4.71 \quad (28)$$

For V_{ds} , we can say that

$$V_{sd} > 250mV + 0.97 \quad (29)$$

For calculating the gain

$$A_v = -\frac{gm1}{gm2(1 + \eta)} \quad (30)$$

As the source and substrate of both the pmos and nmos are at same potential, we can say that there is no body effect observed in any of the mosfet. Taking η to be 0.

The gain can be said to be $\frac{-gm1}{gm2}$ The maximum gain observed in this case is 18.553dB. To get the proper swing we need to calculate amplitude which is equal to (output amplitude swing)/Gain

1.3 With PMOS current source as load.

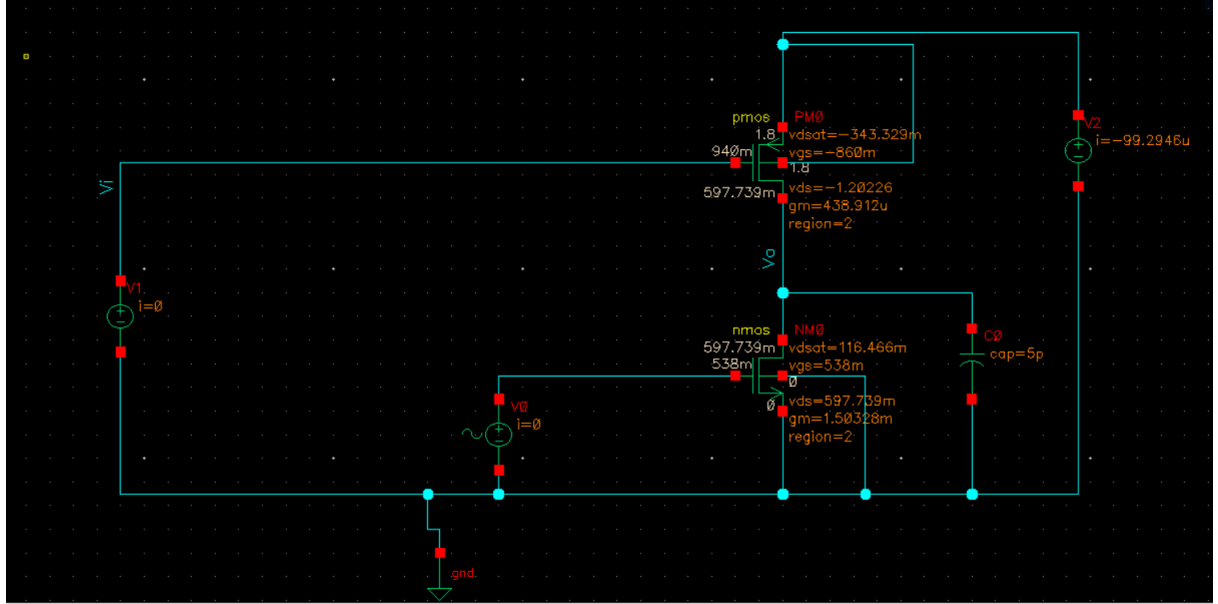


Figure 7: Ckt diagram of pmos current source connected with cs amplifier

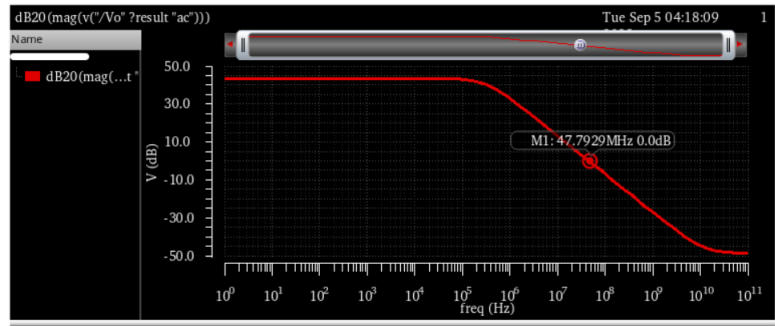


Figure 8: Ac response of pmos current source connected to cs amplifier

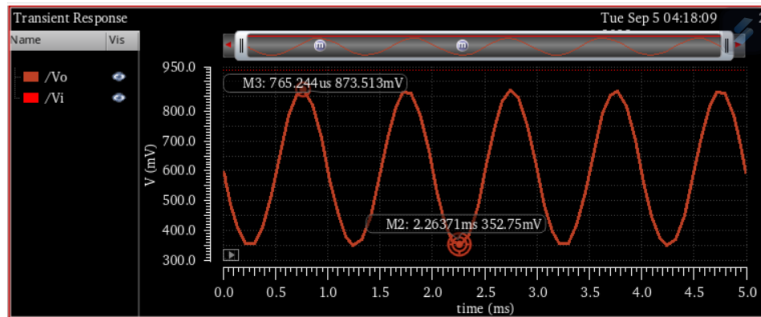


Figure 9: Transient response of pmos current source with CS amplifier

The gain observed in this case is given by

$$A_v = -gm1(ro1 || r02) \quad (31)$$

here in this case the most difficult aspect is to control the current sources. It is observed that if there is even a small current difference the voltage at the output node shifts drastically from minimum

to maximum voltage. Initial aspects of this circuit are similar to what is done in Equations 1-5. For proper working of the circuit the two current sources must carry similar currents. i.e. $I_{d1} = I_{d2}$

$$\frac{\mu n C_{ox} W}{L} = 64.3197m \quad (32)$$

or

$$\mu n C_{ox} = 1.2369m \quad (33)$$

$$I_{d1} = \frac{\mu n C_{ox} W (V_{gs} - V_t)^2}{2L}$$

$I_{d1} = 99.2946\mu A, V_{gs} = 538mV, V_t = 482.434mV$ From here the nmos W/L is given as

$$\frac{W}{L} = 51.99$$

(34)

For PMOS

$$I_{d2} = \frac{\mu p C_{ox} W (|V_{gs}| - |V_t|)^2}{2L} \quad (35)$$

Also,

$$\frac{\mu p C_{ox} W}{L} = 1.26m \quad (36)$$

$$\mu p C_{ox} = 0.063mA/V^2$$

How to bias the pmos?

V_{ds} of the NMos is taken in a similar way as above to be around 500mV. $V_{sg} - |V_t| < V_{sd}$ for pmos in saturation or $V_g > 40mV$. Considering the bias as 940mV. Putting the value of $V_{sg} = 860mV$ and $V_t = 462.981mV$ we can find W/L.

$$\frac{W}{L} = 19.99$$

The values of r_{o1} and r_{o2} are 169.314kohm and 286.789kohm respectively as observed from the DC operating points. The gain observed in this case is around 44dB. The calculated value of gain is given by $g_{m1}(r_{o1} || r_{o2})$ $g_{m1} = 1.50328mS$ and it is about 160 in magnitude or 44dB.

1.4 With resistive load and source degeneration

In this case also the initial steps remains the same as we have done before $V_{gs} - V_t$ should be minimum so that the mosfet g_m is increased. $V_{ds} > 250mV + V_{ov}$ taking it to be near 400mV we can get the value of R_d from equation 10 as $R_d = 14K\Omega$ As I_d is constant we can find the value of $\frac{W}{L}$ from the square law equation. To find the $\mu n C_{ox}$ we need to find the g_{eff} from the operating point table. Taking the value of $\mu n C_{ox}$ as 0.3mS we can find that $\frac{W}{L} > 27$ Now for higher values of $\frac{W}{L}$ $\mu n C_{ox}$ will reduce and we can find the exact value by putting this value.

Taking $V_g = 620mV$ Due to the current flowing in the circuit we can say that there will be drop in across the load. The gain in this case will be

$$A_v = \frac{-g_m R_d}{1 + g_m R_s} \quad (37)$$

The maximum gain observed in this case is also near 18dB. The value of f_{ugb} in this case has not met the expectations. To get the proper swing we need to calculate amplitude which is equal to (output amplitude swing)/Gain

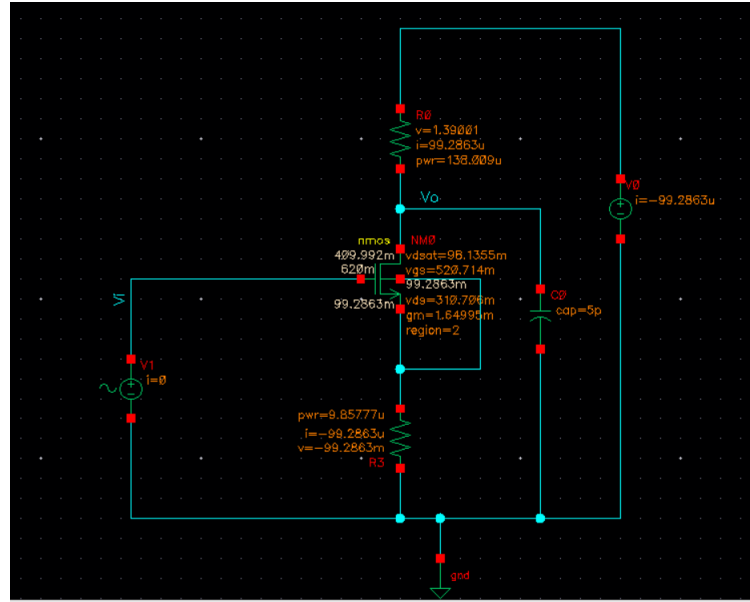


Figure 10: CS amplifier with source degeneration and resistive load

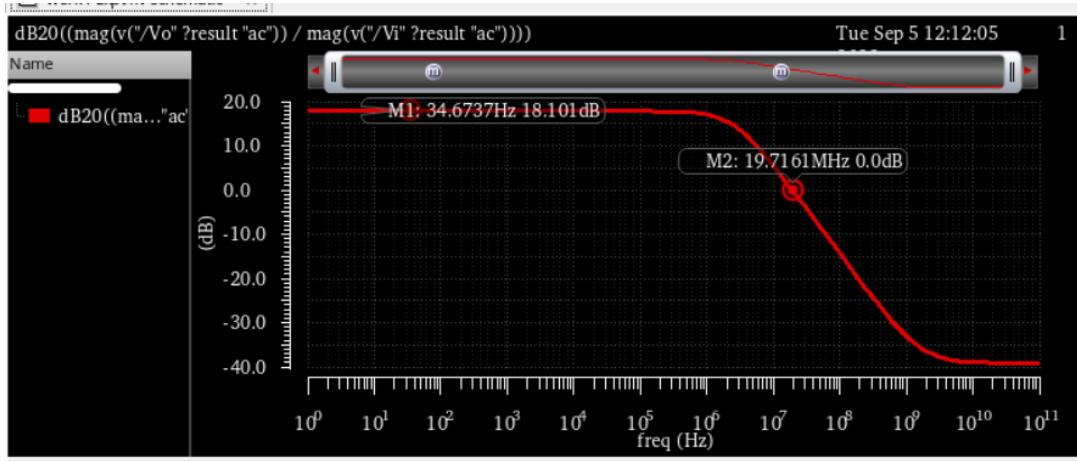


Figure 11: AC response of CS with resistive load and source degeneration

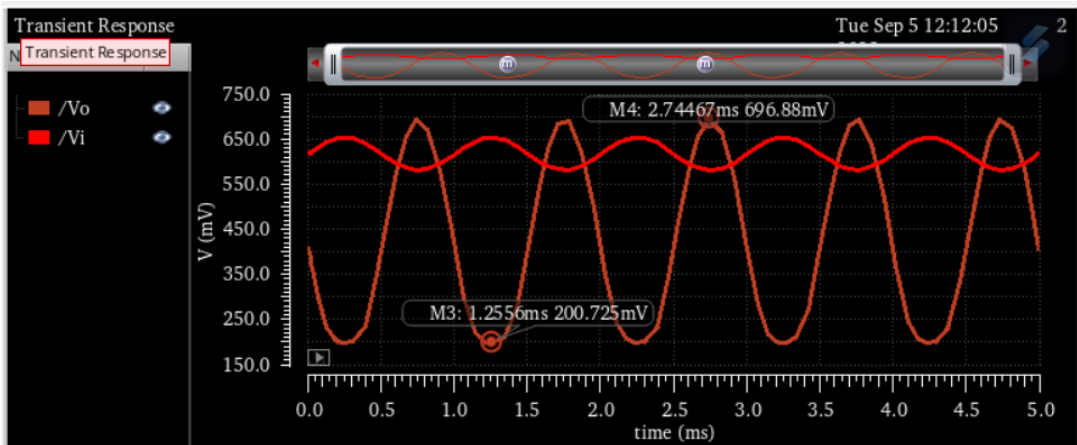


Figure 12: Transient response of CS with resistive load and source degeneration

2 Design a Common-Gate (CG) amplifier stage

- 2.1 Design the CG amplifier with resistive load, total current consumption of $100\ \mu\text{A}$, output voltage swing of 500 mV , $C_L = 5\text{ pF}$, $f_{ugb} > 40\text{ MHz}$ and maximize the voltage gain. Show the DC operating point simulation and annotate I_d , g_m , region and overdrive. Show the results using transient and AC analysis

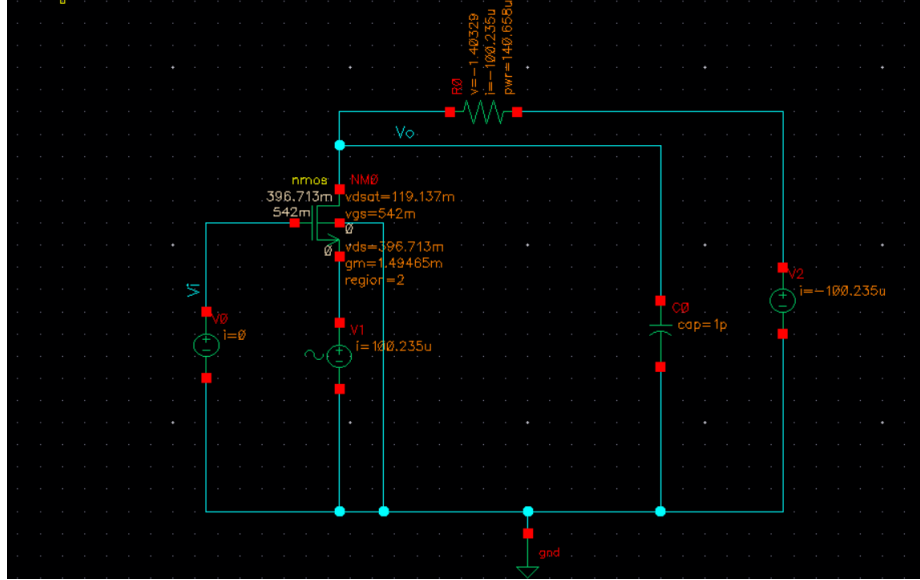


Figure 13: Ckt of CG with resistive load

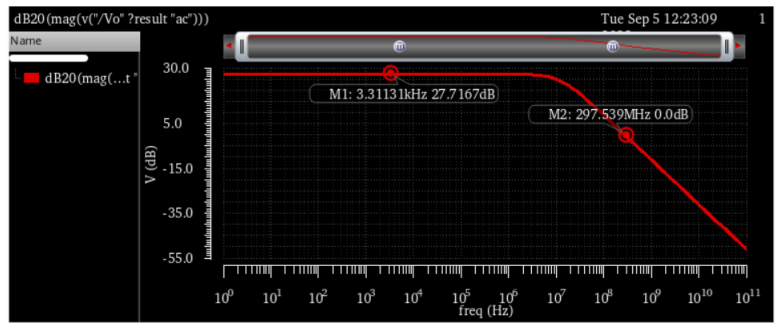


Figure 14: AC response of CG with resistive load

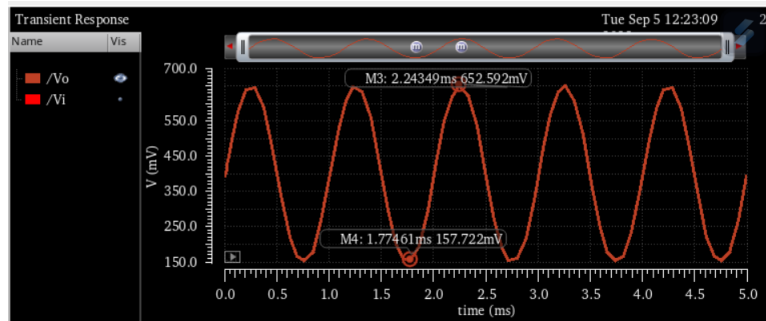


Figure 15: Transient response of CG with resistive load

Here also the procedure remains the same and can be calculated using the equations 1-5. $g_m = 1.26\text{mS}$ $V_{gs}-V_t < 159\text{mV}$ As the input is on the source terminal and $V_{gs} < 640\text{mV}$, we can take $V_s = 0\text{V}$ and $V_g = 542\text{mV}$. The V_{ds} needs to be

$$V_{ds} = 250\text{mV} + V_{ov} \quad (38)$$

Considering $V_{ds} = 400\text{mV}$ R_d can be calculated as shown below

$$V_{dd} - I_d R_d = V_{ds} \quad (39)$$

or $R_d = 14\text{Kohm}$. now

$$\frac{\mu_n C_{ox} W}{L} = 56.3676\text{m} \quad (40)$$

or

$\mu_n C_{ox} = 1.127\text{mA}/V^2$ Calculating $\frac{W}{L}$ from the current equation in saturation we get $W/L = 50$ The gain in this case is given by

$$A_v = g_m(1 + \eta)R_d \quad (41)$$

Now we can see that the gain can improve in this case if there is body effect so without keeping substrate and source at the same potential we can improve the gain. the observed value of gain is 27.717dB. The calculated value can be given as from operating points $g_m = 1.49465\text{mS}$ $g_{mb} = 431.655\mu\text{S}$ $R_d = 14\text{Kohm}$ or $A_v = 29.94$ or 29.52dB which is little larger than expected. To get the proper swing we need to calculate amplitude which is equal to (output amplitude swing)/Gain

2.2 Determine the input impedance by simulation and verify the same by hand calculations.

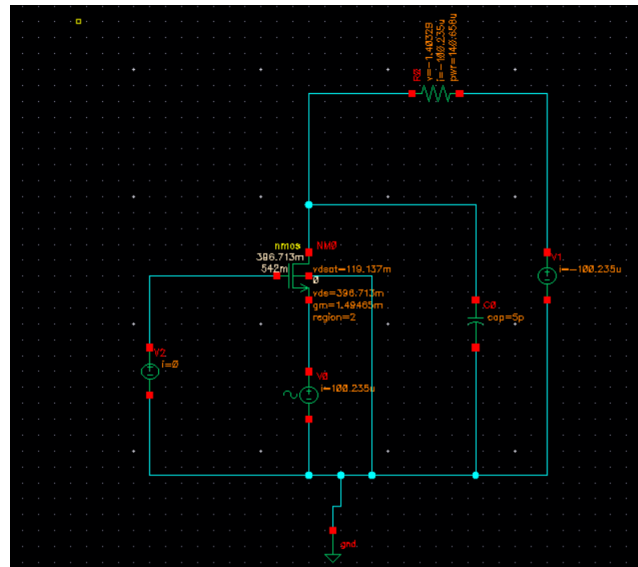


Figure 16: Ckt For calculating the R_{in}

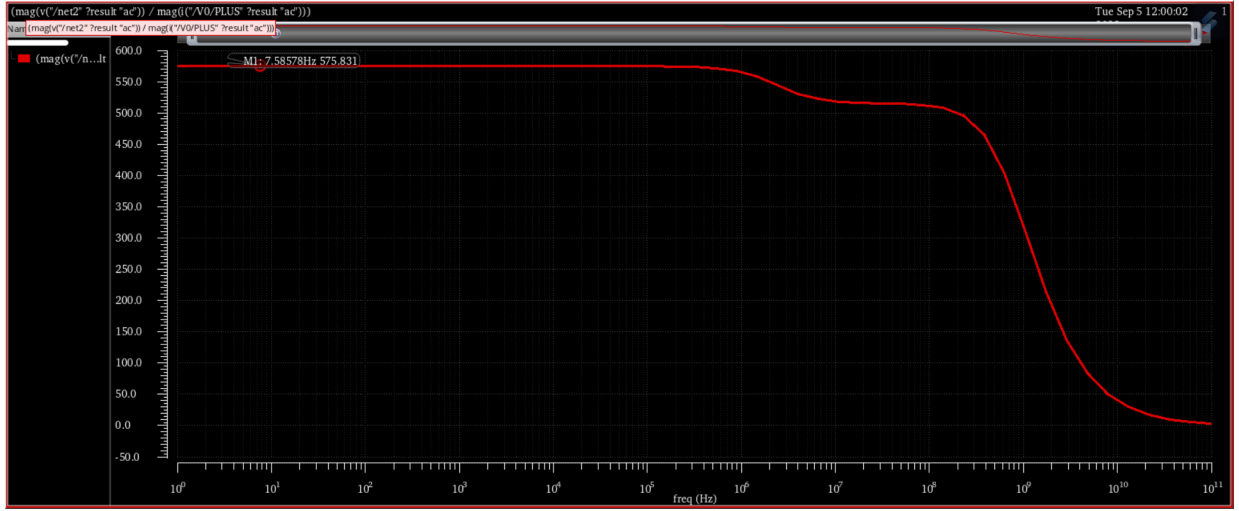


Figure 17: Rin wrt frequency

Rin can be calculated very easily from the small signal model of the circuit and is given by

$$R_{in} = \frac{\frac{1}{R_d} + \frac{1}{r_o}}{(g_{mb} + g_m + \frac{1}{R_o})(\frac{1}{R_d} + \frac{1}{r_o} - 1)} \quad (42)$$

$R_d = 14\text{k}\Omega$, $r_o = 122.964\text{k}\Omega$, $g_m = 1.49468\text{mS}$, $g_{mb} = 431.664\mu\text{S}$ Calculating we $R_{in} = 561\Omega$
The observed value 575.737Ω