Prediction of Survival Rate in Titanic Dataset

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Executive Summary

The goal of this analysis was to find out the predictors of whether or not a Titanic passenger would have survived the Titanic accident. The second goal was to evaluate multiple classification algorithms and determine the most accurate and interpretable.

Titanic dataset was provided by AIM ACCESS lab. The dataset was cleaned and run on multiple classification models. The impact of min-max and standard scaling on the dataset to accuracy were also explored. The minimum target accuracy (1.25 X Proportional Chance Criterion) is 66%.

The model that yielded the highest accuracy was gradient boosting machines (GBM) with around 81.2% accuracy using learning rate of 0.1 and maximum depth of 6. However, the downside was it lacked interpretability.

The model that yielded second best accuracy was random forest with accuracy of 80.8%. The highest predictors were ticket number and sex.

The third was nonlinear SVM with RBF kernel and C=0.75 and min-max scaled dataset which yielded 80.8% accuracy. However, the best predictors were not determined for this model.

Fourth, decision tree yielded 80.3% accuracy at maximum depth of 3. The advantage of the decision tree was its interpretability as a tree diagram could be constructed of the step-by-step process in classification process.

Dimensionally reducing the dataset prior to running in GBM and random forest decreased accuracy.

From this analysis, it was found that sex was the highest predictor of whether or not a person would survive the accident. The proportion of females in the survivors were higher than the males, whereas the proportion of females in the non-survivors were much less than the males.

For the models, GBM proved most accurate in classifying and may be used if the goal is merely for prediction. However, for the balance between interpretability and prediction, decision trees classifier is deemed preferrable.

Description of Dataset

AIM provided the dataset for this analysis. The columns in the dataset are:

```
1. pclass - ticket class (1 - 1st, 2 - 2nd, 3 - 3rd)
```

2. name - name of passenger

3. sex - sex of passenger

4. age - age of passenger

5. sibsp - no. of siblings or spouses aboard the Titanic

6. parch - no. of parents or children aboard

7. ticket - ticket number

8. fare - passenger fare

9. cabin - cabin number

10. embarked - port of embarkation (C = Cherbourg; Q = Queenstown; S = Southampton)

11. target - whether the passenger survived or not (1 - yes, 0 - no)

Descriptions were sourced from https://github.com/awesome-public-datasets/issues/351 (https://github.com/awesome-public-datasets/issues/awesome-public-datasets/issues/awesome-public-datasets/i

Dataset Preparation

We first loaded the titanic.xls dataset in a dataframe.

```
In [1]: import pandas as pd
import numpy as np
df0 = pd.read_excel('titanic.xls')
```

We checked the first 5 rows and last 5 rows below.

```
In [2]: display(df0.head())
display(df0.tail())
```

	pclass	name	sex	age	sibsp	parch	ticket	fare	cabin	embarked	target
0	1	Allen, Miss. Elisabeth Walton	female	29.0000	0	0	24160	211.3375	B5	S	1
1	1	Allison, Master. Hudson Trevor	male	0.9167	1	2	113781	151.5500	C22 C26	s	1
2	1	Allison, Miss. Helen Loraine	female	2.0000	1	2	113781	151.5500	C22 C26	S	0
3	1	Allison, Mr. Hudson Joshua Creighton	male	30.0000	1	2	113781	151.5500	C22 C26	S	0
4	1	Allison, Mrs. Hudson J C (Bessie Waldo Daniels)	female	25.0000	1	2	113781	151.5500	C22 C26	S	0

	pclass	name	sex	age	sibsp	parch	ticket	fare	cabin	embarked	target
1304	3	Zabour, Miss. Hileni	female	14.5	1	0	2665	14.4542	NaN	С	0
1305	3	Zabour, Miss. Thamine	female	NaN	1	0	2665	14.4542	NaN	С	0
1306	3	Zakarian, Mr. Mapriededer	male	26.5	0	0	2656	7.2250	NaN	С	0
1307	3	Zakarian, Mr. Ortin	male	27.0	0	0	2670	7.2250	NaN	С	0
1308	3	Zimmerman, Mr. Leo	male	29.0	0	0	315082	7.8750	NaN	S	0

The dataset contains 1,309 rows and 11 columns.

```
In [3]: df0.shape
Out[3]: (1309, 11)
```

Among the columns age, cabin, and embarked contain null values.

```
In [4]: df0.info()
          <class 'pandas.core.frame.DataFrame'>
         RangeIndex: 1309 entries, 0 to 1308
         Data columns (total 11 columns):
         pclass 1309 non-null int64
name 1309 non-null object
                      1309 non-null object
1046 non-null float64
         sex
          age
                      1309 non-null int64
         sibsp
         sibsp 1309 non-null int64 parch 1309 non-null int64 ticket 1309 non-null object
                      1309 non-null object
1308 non-null float64
          fare
          cabin
                       295 non-null object
          embarked
                        1307 non-null object
          target
                        1309 non-null int64
          dtypes: float64(2), int64(4), object(5)
         memory usage: 112.6+ KB
```

The original dataset contains 10 features and 1 target column. Among these features, name was dropped because it merely identifies each individual and doesn't inform us of information about the individual.

```
In [5]: df1 = df0.drop('name', axis=1)
        df1.info()
        <class 'pandas.core.frame.DataFrame'>
        RangeIndex: 1309 entries, 0 to 1308
       Data columns (total 10 columns):
               1309 non-null int64
        pclass
                  1309 non-null object
       sex
       age
                  1046 non-null float64
       sibsp
                   1309 non-null int64
                  1309 non-null int64
       parch
                  1309 non-null object
        ticket
        fare
                   1308 non-null float64
        cabin
                   295 non-null object
        embarked 1307 non-null object
        target
                   1309 non-null int64
        dtypes: float64(2), int64(4), object(4)
       memory usage: 102.3+ KB
```

cabin column contains too many null values. This too was dropped.

```
In [6]: df2 = df1.drop('cabin', axis=1)
        df2.info()
        <class 'pandas.core.frame.DataFrame'>
        RangeIndex: 1309 entries, 0 to 1308
        Data columns (total 9 columns):
        pclass
                  1309 non-null int64
        sex
                   1309 non-null object
                   1046 non-null float64
        age
                   1309 non-null int64
        sibsp
                   1309 non-null int64
        parch
        ticket
                    1309 non-null object
                   1308 non-null float64
        fare
        embarked
                   1307 non-null object
                   1309 non-null int64
        dtypes: float64(2), int64(4), object(3)
        memory usage: 92.1+ KB
```

20% of age are null values. This was decided to be retained, but missing values were imputed. Similarly, since only 2 of values in embarked are missing, these too were imputed.

```
In [7]: len(df2[df2.age.isnull()])/len(df2)*100
Out[7]: 20.091673032849503
```

We defined a class to impute or "fill in" missing values with the median per column for numerical data and mode for categorical data.

Missing values were imputed and the new dataset was saved in a new dataframe.

```
In [9]: df3 = DataFrameImputer().fit_transform(df2)
```

```
In [10]: df3.info()
         <class 'pandas.core.frame.DataFrame'>
         RangeIndex: 1309 entries, 0 to 1308
         Data columns (total 9 columns):
                   1309 non-null int64
         pclass
         sex
                    1309 non-null object
                    1309 non-null float64
         age
         sibsp
                    1309 non-null int64
         parch
                    1309 non-null int64
                    1309 non-null object
         ticket
                    1309 non-null float64
                    1309 non-null object
         embarked
         target
                    1309 non-null int64
         dtypes: float64(2), int64(4), object(3)
         memory usage: 92.1+ KB
In [11]: df3.ticket.head(10)
Out[11]: 0
                 24160
                113781
               113781
         2
         3
                113781
         4
               113781
         5
                 19952
                 13502
         7
                112050
         8
                 11769
              PC 17609
         9
         Name: ticket, dtype: object
```

ticket values contain numerical and mixed letters and numerical values. We split the numerical values from the letter values and saved in separate columns tick_code and tick_num

	pclass	sex	age	sibsp	parch	fare	embarked	target	tick_num	tick_code
0	1	female	29.0000	0	0	211.3375	S	1	24160	
1	1	male	0.9167	1	2	151.5500	S	1	113781	
2	1	female	2.0000	1	2	151.5500	S	0	113781	
3	1	male	30.0000	1	2	151.5500	S	0	113781	
4	1	female	25.0000	1	2	151.5500	S	0	113781	

	pclass	sex	age	sibsp	parch	fare	embarked	target	tick_num	tick_code
1304	3	female	14.5	1	0	14.4542	С	0	2665	
1305	3	female	28.0	1	0	14.4542	С	0	2665	
1306	3	male	26.5	0	0	7.2250	С	0	2656	
1307	3	male	27.0	0	0	7.2250	С	0	2670	
1308	3	male	29.0	0	0	7.8750	S	0	315082	

```
In [15]: df4.tick_num[df4.tick_num == ''] = 0
df4['tick_num'] = df4.tick_num.astype('int')
```

/Users/fernandojavier/anaconda3/lib/python3.6/site-packages/ipykernel_launcher.py:1: SettingWithC opyWarning:

A value is trying to be set on a copy of a slice from a DataFrame

See the caveats in the documentation: http://pandas.pydata.org/pandas-docs/stable/indexing.html#indexing-view-versus-copy

"""Entry point for launching an IPython kernel.

We checked the unique categorical variables in the columns target, pclass, sex, embarked, and $tick_code$.

Counts per categorical value in target

	counts
1	500
0	809

Counts per categorical value in pclass

	counts
1	323
2	277
3	709

Counts per categorical value in sex

	counts		
female	466		
male	843		

Counts per categorical value in embarked

	counts
s	916
С	270
Q	123

Counts per categorical value in tick_code

	counts
	957
PC	92
W.E.P.	2
WE/P	2
F.C.	3
P/PP	2
C.A.	46
C.A./SOTON	1
S.O.P.	1
F.C.C.	9
SC/AH	4
W./C.	14
S.O.C.	7
SC/PARIS	11
S.W./PP	1
W/C	1
SCO/W	1
SO/C	1
SC/AH Basle	1
SC/Paris	5
sc	2
S.O./P.P.	7
S.C./PARIS	3
SC/A.	1
SW/PP	1
CA	10
SOTON/O	3
С	8
SOTON/O.Q.	16
A /	31
PP	4
A./	3
SOTON/OQ	8
S.P.	1
SC/A	1
AQ/	2
STON/O	7
A.	1
LINE	4
STON/O	14
A/S	1
A.	3
A	1
Fa	1
S.C./A.	1
LP	1
<u> </u>	1

	counts
CA.	12
STON/OQ.	1

We observed that tick code have some variables that are the same but are reported differently. This was cleaned by removing and converting variables to lower case.

```
In [17]: df5 = df4.copy()
df5['tick_code'] = df4['tick_code'].str.replace('.', '').str.lower().str.strip()
In [18]: df = df5.copy()
```

Exploratory Data Analysis

```
In [19]: import matplotlib.pyplot as plt
```

We first investigated the counts per categorical data, and the corresponding proportions. Some initial findings are:

- 1. The proportion of survivors to non-survivors in the dataset is 38:61
- 2. 24% are first class passengers, 21% are 2nd class, and 54% are 3rd class passengers
- 3. 35% are female while 64% are male
- 4. 70% embarked at Southampton, 21% at Cherbourg, and 9% at Queenstown.

```
In [20]: cols_ = ['target', 'pclass', 'sex', 'embarked', 'tick_code']
    for c in cols_:
        counts = Counter(df[c])
        print("Counts per categorical value in %s" % c)
        a = pd.DataFrame.from_dict(counts, orient='index', columns=['counts'])
        a['%'] = a.values/np.sum(a.values)*100
        display(a)
```

Counts per categorical value in target

i	_		
		counts	%
	1	500	38.197097
	0	809	61.802903

Counts per categorical value in pclass

	counts	%
1	323	24.675325
2	277	21.161192
3	709	54.163484

Counts per categorical value in sex

	counts	%		
female	466	35.599694		
male	843	64.400306		

Counts per categorical value in embarked

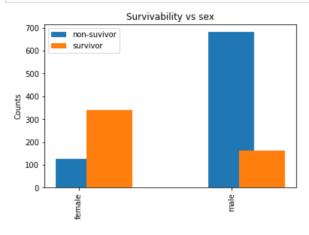
	counts	%
s	916	69.977082
С	270	20.626432
Q	123	9.396486

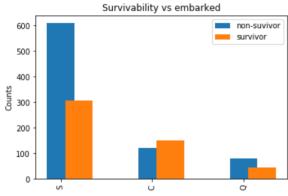
Counts per categorical value in tick_code

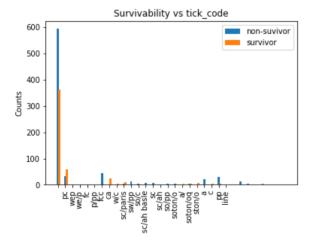
	counts	%
	957	73.109244
рс	92	7.028266
wep	2	0.152788
we/p	2	0.152788
fc	3	0.229183
p/pp	2	0.152788
ca	68	5.194805
ca/soton	1	0.076394
sop	1	0.076394
fcc	9	0.687548
sc/ah	4	0.305577
w/c	15	1.145913
soc	7	0.534759
sc/paris	19	1.451490
sw/pp	2	0.152788
sco/w	1	0.076394
so/c	1	0.076394
sc/ah basle	1	0.076394
sc	2	0.152788
so/pp	7	0.534759
sc/a	3	0.229183
soton/o	3	0.229183
С	8	0.611154
soton/oq	24	1.833461
a/	34	2.597403
рр	4	0.305577
sp	1	0.076394
aq/	2	0.152788
ston/o	21	1.604278
а	5	0.381971
line	4	0.305577
a/s	1	0.076394
fa	1	0.076394
lp	1	0.076394
ston/oq	1	0.076394

From the charts below, we found that there are far more males than females for non-survivors. And there are more females than males for survivors.

```
In [21]: labels = ['non-suvivor', 'survivor']
cols_ = ['sex', 'embarked', 'tick_code']
for j in range(len(cols_)):
    c = cols_[j]
    for i in range(2):
        _ = Counter(df[c][df['target'] == i])
        plt.bar(np.array(range(len(_.keys())))+i/5, _.values(), label=labels[i], width=0.3)
        plt.xticks(range(len(_.keys())), _.keys(), rotation='vertical')
        plt.title("Survivability vs %s" % c)
        plt.ylabel('Counts')
        plt.legend()
    plt.show()
```







Looking at the summary statistics, we gleaned that:

- 1. The mean age of passengers was 29.5 years
- 2. The mean number of siblings/spouses on board per passenger was $0.5\,$
- 3. The mean number of parents and children on board per passenger was $0.4\,$
- 4. The average fare was 33.3
- 5.75% of passengers have ticket numbers below 347082

In [22]: df.describe()

Out[22]:

	pclass	age	sibsp	parch	fare	target	tick_num
count	1309.000000	1309.000000	1309.000000	1309.000000	1309.000000	1309.000000	1.309000e+03
mean	2.294882	29.503183	0.498854	0.385027	33.281086	0.381971	6.579261e+05
std	0.837836	12.905246	1.041658	0.865560	51.741500	0.486055	3.109678e+06
min	1.000000	0.166700	0.000000	0.000000	0.000000	0.000000	0.000000e+00
25%	2.000000	22.000000	0.000000	0.000000	7.895800	0.000000	1.488800e+04
50%	3.000000	28.000000	0.000000	0.000000	14.454200	0.000000	1.129010e+05
75%	3.000000	35.000000	1.000000	0.000000	31.275000	1.000000	3.470820e+05
max	3.000000	80.000000	8.000000	9.000000	512.329200	1.000000	2.310129e+07

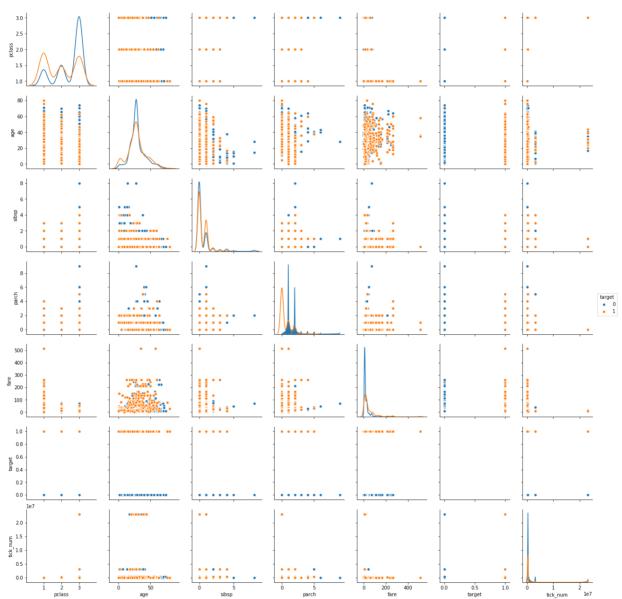
We then plotted the histograms of each variable and scatterplots of two variables. Blue dots indicate non-survivors and orange dots indicate survivors.

```
In [23]: import seaborn as sns
sns.pairplot(df, hue='target', diag_kind='kde');

/Users/fernandojavier/anaconda3/lib/python3.6/site-packages/statsmodels/nonparametric/kde.py:488:
RuntimeWarning: invalid value encountered in true_divide
    binned = fast_linbin(X, a, b, gridsize) / (delta * nobs)
/Users/fernandojavier/anaconda3/lib/python3.6/site-packages/statsmodels/nonparametric/kdetools.p
y:34: RuntimeWarning: invalid value encountered in double_scalars
```

FAC1 = 2*(np.pi*bw/RANGE)**2
/Users/fernandojavier/anaconda3/lib/python3.6/site-packages/numpy/core/_methods.py:26: RuntimeWar
ning: invalid value encountered in reduce

return umr_maximum(a, axis, None, out, keepdims)



Looking at the histograms and scatterplots, we can see that **no single variable can clearly separate the survivors from the non-survivors, except possibly for the number of children or parents on board, parch.**

Dummification of Categorical Data

In order to use the classification models, the values in the dataframe have to be numerical. **The categorical feature values were converted to numerical values using one-hot encoding through get_dummies method** which converts all unique values into separate "features" or columns which may take only 0 or 1. 0 if the observation/sample/data point does not possess the feature and 1 if it does. This is appropriate because it's not possible to tell which categorical value is better over the other. The 1s and 0s generated by one-hot encoding merely act like an indicator whether or not the feature applies for a certain data point.

In this case, we we applied one-hot encoding for sex, embarked, and tick_code.

```
In [24]: df.head()
```

Out[24]:

	pclass	sex	age	sibsp	parch	fare	embarked	target	tick_num	tick_code
0	1	female	29.0000	0	0	211.3375	S	1	24160	
1	1	male	0.9167	1	2	151.5500	S	1	113781	
2	1	female	2.0000	1	2	151.5500	S	0	113781	
3	1	male	30.0000	1	2	151.5500	S	0	113781	
4	1	female	25.0000	1	2	151.5500	S	0	113781	

```
In [25]: sex_ = pd.get_dummies(df[['sex']], drop_first=True)
  embarked_ = pd.get_dummies(df[['embarked']], drop_first=True)
  tick_code_ = df.tick_code.str.get_dummies(sep='/')
```

```
In [26]: dums = pd.concat([sex_, embarked_, tick_code_], axis=1)
dums.head()
```

Out[26]:

	sex_male	embarked_Q	embarked_S	а	ah	ah basle	aq	С	са	fa		so	soc	sop	soton	sp	ston	sw	w	we	wep
0	0	0	1	0	0	0	0	0	0	0	:	0	0	0	0	0	0	0	0	0	0
1	1	0	1	0	0	0	0	0	0	0		0	0	0	0	0	0	0	0	0	0
2	0	0	1	0	0	0	0	0	0	0		0	0	0	0	0	0	0	0	0	0
3	1	0	1	0	0	0	0	0	0	0		0	0	0	0	0	0	0	0	0	0
4	0	0	1	0	0	0	0	0	0	0		0	0	0	0	0	0	0	0	0	0

5 rows × 33 columns

The cleaned dataframe after removing target and after one-hot encoding was saved in X_clean.

Out[27]:

		pclass	age	sibsp	parch	fare	tick_num	sex_male	embarked_Q	embarked_S	а	 so	soc	sop	soton	sp
Ī	0	1	29.0000	0	0	211.3375	24160	0	0	1	0	 0	0	0	0	0
Ī	1	1	0.9167	1	2	151.5500	113781	1	0	1	0	 0	0	0	0	0
	2	1	2.0000	1	2	151.5500	113781	0	0	1	0	 0	0	0	0	0
Ī	3	1	30.0000	1	2	151.5500	113781	1	0	1	0	 0	0	0	0	0
	4	1	25.0000	1	2	151.5500	113781	0	0	1	0	 0	0	0	0	0

5 rows × 39 columns

The target values were saved in y.

Classification

Proportional Chance Criterion

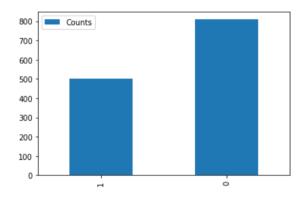
The Proportional Chance Criterion (PCC) measures the chance of correctly classifying a datapoint based on chance alone. As a rule of thumb, to say that our model works, we need to exceed prediction accuracy of 1.25 x PCC. In this case, **the minimum target classification accuracy is 66%**.

```
In [29]: state_counts = Counter(y)
    df_state = pd.DataFrame.from_dict(state_counts, orient='index')
    df_state.columns = ['Counts']
    df_state.plot(kind='bar')
    print("Population per class:")
    display(df_state)
    num = (df_state['Counts'] / df_state['Counts'].sum())**2
    print(
        "1.25 * Proportion Chance Criterion: {0:.2f}%".format(1.25 * 100 * num.sum()))
```

Population per class:

	Counts
1	500
0	809

1.25 * Proportion Chance Criterion: 65.98%



We used the following classification functions (We call this code JUDAS 7-in-1 credit to Jude Teves and Prof. Christopher Monterola). We run the each algorithm ten times and get the average accuracies.

Using JUDAS, the following models were run:

- 1. k Nearest Neighbors parameter is n neighbors (influence generalizability)
- 2. Logistic Regression parameter is alpha is a regularization parameter that affects the influence of each feature on the classifier
- 3. Linear Support Vector Machines (SVM) parameter is C which controls how much influence each datapoint has on the datapoints separator (hyperplane)
- 4. Nonlinear Support Vector Machines (NSVM) parameters are gamma and C (similar to linear SVM)

```
In [30]: from sklearn.neighbors import KNeighborsClassifier
         from sklearn.linear model import LogisticRegression
         from sklearn.svm import LinearSVC
         from sklearn.svm import SVC
         from sklearn.model selection import train test split
         Number trials=50
         def train knn(X, y):
             score train = []
             score_test = []
             for seed in range(Number trials):
                 X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.25, random_state=see
         d)
                 neighbors settings = range(1,70)
                 acc_train = []
                 acc_test = []
                 for n_neighbors in neighbors_settings:
                     clf = KNeighborsClassifier(n_neighbors=n_neighbors) # build the model
                     clf.fit(X_train, y_train)
                     acc_train.append(clf.score(X_train, y_train))
                     acc test.append(clf.score(X test, y test))
                 score train.append(acc train)
                 score_test.append(acc_test)
             score = np.mean(score_test, axis=0)
             #return n_neighbor, accuracy
             return ['kNN', np.amax(score), 'N Neighbor = {0}'.format(np.argmax(score)+1), 'Not Now']
         def train_logistic(X, y, reg):
             \texttt{C} = [\texttt{1e-8, 1e-4, 1e-3, 1e-2, 0.1, 0.2, 0.4, 0.75, 1, 1.5, 3, 5, 10, 15, 20, 100, 300, 1000, 50]
         001
             \#C = [0.01]
             score_train = []
             score_test = []
             weighted_coefs=[]
             for seed in range(Number_trials):
                 training accuracy = []
                 test_accuracy = []
                 X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.25, random_state=see
         d)
                 for alpha_run in C:
                     lr = LogisticRegression(C=alpha_run, penalty=reg).fit(X_train, y_train)
                     training_accuracy.append(lr.score(X_train, y_train))
                     test_accuracy.append(lr.score(X_test, y_test))
                     if alpha_run == 0.1:
                         coefs=lr.coef
                         weighted coefs.append(coefs) #append all the computed coefficients per trial
                 score_train.append(training_accuracy)
                 score test.append(test accuracy)
             mean_coefs=np.mean(weighted_coefs, axis=0) #get the mean of the weighted coefficients over all
          the trials
             #print(mean coefs)
             score = np.mean(score_test, axis=0)
             #return score.shape
             #coefs = lr.coef_
             #return C value, accuracy, column/feature name
             if scaler == 'ON':
                 top_predictor = 'DEBUGGING'
             if scaler == 'OFF':
                  top_predictor=X.columns[np.argmax(np.abs(mean_coefs))]
                 abs mean coefs = np.abs(mean_coefs[0,:])
                 coefs_count = len(abs_mean_coefs)
                 fig, ax = plt.subplots(figsize=(3,8))
                 ax.barh(np.arange(coefs_count), sorted(abs_mean_coefs))
                 #ax.barh(np.arange(coefs_count), mean_coefs[0, np.argsort(abs_mean_coefs)])
                 ax.set_yticks(np.arange(coefs_count))
                 ax.set_yticklabels(X.columns[np.argsort(abs_mean_coefs)])
                 ax.set_title('Logistic %s'%reg)
             return ['Logistic ({0})'.format(reg), np.amax(score), \
                      'C = {0}'.format(C[np.argmax(score)]), top_predictor]
```

```
def train_svm(X, y, reg):
   C = [1e-8, 1e-4, 1e-3, 1e-2, 0.1, 0.2, 0.4, 0.75, 1, 1.5, 3, 5, 10, 15, 20, 100, 300, 1000, 50]
    \#C = [0.01]
    score_train = []
    score_test = []
    weighted coefs=[]
    for seed in range(Number_trials):
        training accuracy = []
        test accuracy = []
        X train, X test, y train, y test = train test split(X, y, test size=0.25, random state=see
d)
        for alpha_run in C:
            if reg == '11':
                svc = LinearSVC(C=alpha run, penalty=reg, loss='squared hinge', dual=False).fit(X
train, y_train)
            if reg == '12':
                svc = LinearSVC(C=alpha run, penalty=reg).fit(X train, y train)
            training accuracy.append(svc.score(X train, y train))
            test_accuracy.append(svc.score(X_test, y_test))
            if alpha_run == 0.1:
                coefs = svc.coef
                weighted coefs.append(coefs)
        score_train.append(training_accuracy)
        score test.append(test accuracy)
   mean_coefs=np.mean(weighted_coefs, axis=0) #get the mean of the weighted coefficients over all
 the trials
   score = np.mean(score_test, axis=0)
    #if scaler == 'ON':
         top_predictor = 'DEBUGGING'
    #if scaler == 'OFF':
    top predictor=X.columns[np.argmax(np.abs(mean_coefs))]
    abs_mean_coefs = np.abs(mean_coefs[0,:])
    coefs count = len(abs mean coefs)
    fig, ax = plt.subplots(figsize=(3,8))
    ax.barh(np.arange(coefs_count), sorted(abs_mean_coefs))
        #ax.barh(np.arange(coefs_count), mean_coefs[0, np.argsort(abs_mean_coefs)])
    ax.set_yticks(np.arange(coefs_count))
    ax.set yticklabels(X.columns[np.argsort(abs mean coefs)])
    ax.set_title('Linear SVM %s'%reg)
        #print(X.columns(np.arg(np.abs(mean coefs)))
        #print(np.abs(mean_coefs))
    #return score
    #return C value, accuracy, column/feature name
    #y_pred = lsvc_l1.predict(X_test)
    #confmat = confusion matrix(y true=y test, y pred=y pred)
    #print(confmat)
    return ['Linear SVM ({0})'.format(reg), np.amax(score), \
            'C = {0}'.format(C[np.argmax(score)]), top_predictor]
def train_Nsvm(X, y, reg):
    \#CC = [.1]
    \#C = [0.01]
    \texttt{CC} = [\texttt{1e-8, 1e-4, 1e-3, 1e-2, 0.1, 0.2, 0.4, 0.75, 1, 1.5, 3, 5, 10, 15, 20, 100, 300, 1000, 5]
    score train = []
    score_test = []
    weighted_coefs=[]
    for seed in range(Number_trials):
        training_accuracy = []
        test_accuracy = []
        X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.25, random_state=see
d)
        for alpha run in CC:
            svm = SVC(kernel='rbf', gamma=alpha_run, C=10)
            svc=svm.fit(X_train, y_train)
            training_accuracy.append(svc.score(X_train, y_train))
            test_accuracy.append(svc.score(X_test, y_test))
            #if alpha_run == 0.01:
            # coefs = svc.coef
                 weighted_coefs.append(coefs)
```

```
score_train.append(training_accuracy)
        score test.append(test accuracy)
   mean coefs=np.mean(weighted coefs, axis=0) #get the mean of the weighted coefficients over all
the trials
   score = np.mean(score_test, axis=0)
    top_predictor = 'Not Now'
    return ['Nonlinear SVM ({0})'.format(reg), np.amax(score), \
            'C = {0}'.format(CC[np.argmax(score)]), top_predictor]
def train Nsvmpoly(X, y, reg):
   CC = [1e-8, 1e-4, 1e-3, 1e-2, 0.1, 0.2,0.4, 0.75, 1, 1.5, 3, 5, 10, 15, 20, 100, 300, 1000, 5
0001
   score_train = []
    score_test = []
   weighted coefs=[]
    for seed in range(Number_trials):
        training_accuracy = []
        test_accuracy = []
        X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.25, random_state=see
d)
        for alpha_run in CC:
           svm = SVC(kernel='poly',degree=2,coef0=1, C=alpha_run)
            svc=svm.fit(X_train, y_train)
            training accuracy.append(svc.score(X train, y train))
            test_accuracy.append(svc.score(X_test, y_test))
            #if alpha_run == 0.01:
            # coefs = svc.coef_
                weighted_coefs.append(coefs)
        score_train.append(training_accuracy)
        score test.append(test accuracy)
   mean_coefs=np.mean(weighted_coefs, axis=0) #get the mean of the weighted coefficients over all
the trials
    score = np.mean(score_test, axis=0)
    top_predictor='Not Now'
    return ['Nonlinear SVM ({0})'.format(reg), np.amax(score), \
            'C = {0}'.format(CC[np.argmax(score)]), top_predictor]
```

```
In [31]: # %%time
         feature_names = X_clean.columns
         X = X_clean[feature_names]
         scaler='OFF'
         a = train_knn(X,y)
         print(a)
         b = train_logistic(X,y,reg='12')
         print(b)
         c = train_logistic(X,y,reg='ll')
         print(c)
         d = train_svm(X,y,reg='12')
         print(d)
         e = train_svm(X,y,reg='11')
         print(e)
         f = train_Nsvm(X,y,reg='rbf')
         print(f)
         # g = train_Nsvmpoly(X,y,reg='poly')
         # print(g)
```

```
['kNN', 0.6775, 'N_Neighbor = 3', 'Not Now']
['Logistic (12)', 0.6453658536585364, 'C = 0.0001', 'age']
['Logistic (11)', 0.7886585365853658, 'C = 1.5', 'sex_male']
['Linear SVM (12)', 0.5841463414634144, 'C = 5', 'sex_male']
['Linear SVM (11)', 0.7873170731707316, 'C = 0.75', 'sex_male']
```

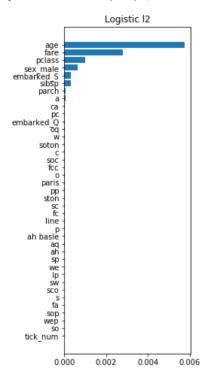
/Users/fernandojavier/anaconda3/lib/python3.6/site-packages/numpy/core/fromnumeric.py:2957: Runti meWarning: Mean of empty slice.

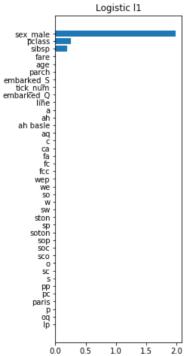
out=out, **kwargs)

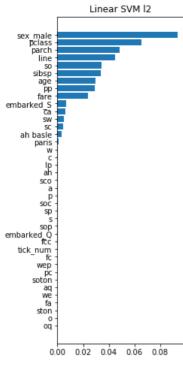
/Users/fernandojavier/anaconda3/lib/python3.6/site-packages/numpy/core/_methods.py:80: RuntimeWar ning: invalid value encountered in double_scalars

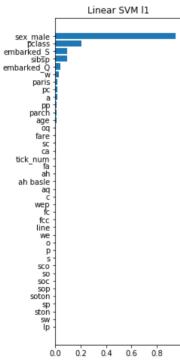
ret = ret.dtype.type(ret / rcount)

['Nonlinear SVM (rbf)', 0.6832926829268294, 'C = 0.001', 'Not Now']









Without using any scaling, the highest accuracy was obtained from Logistic Regression with L1 penalty. The best predictor is sex_male.

```
In [32]: cols = ['Machine Learning Method', 'Test Accuracy', 'Best Parameter', 'Top Predictor Variable']

df2.loc[0] = a
    df2.loc[1] = b
    df2.loc[2] = c
    df2.loc[3] = d
    df2.loc[4] = e
    df2.loc[5] = f
# df2.loc[6] = g
    df2
```

Out[32]:

	Machine Learning Method	Test Accuracy	Best Parameter	Top Predictor Variable
0	kNN	0.677500	N_Neighbor = 3	Not Now
1	Logistic (I2)	0.645366	C = 0.0001	age
2	Logistic (I1)	0.788659	C = 1.5	sex_male
3	Linear SVM (I2)	0.584146	C = 5	sex_male
4	Linear SVM (I1)	0.787317	C = 0.75	sex_male
5	Nonlinear SVM (rbf)	0.683293	C = 0.001	Not Now

Scaling

Two scaling methods were used: min-max scaling or standard scaling. Min-max scaling scales the values in a column by the range of values in that column (minimum values to maximum values). Standard scaling scales the values in a column by the mean and standard deviation of the values in that column.

Min-Max Scaling

```
In [34]: from sklearn.preprocessing import StandardScaler from sklearn.preprocessing import MinMaxScaler
```

```
In [35]: # %%time
         feature_names = X.columns
         X = X_clean[feature_names]
         sscaler = MinMaxScaler()
         X = sscaler.fit_transform(X)
         X = pd.DataFrame(X, columns=feature_names)
         a = train_knn(X,y)
         print(a)
         b = train_logistic(X,y,reg='12')
         print(b)
         c = train_logistic(X,y,reg='l1')
         print(c)
         d = train_svm(X,y,reg='12')
         print(d)
         e = train_svm(X,y,reg='11')
         print(e)
         f = train_Nsvm(X,y,reg='rbf')
         print(f)
         # g = train_Nsvmpoly(X,y,reg='poly')
# print(g)
```

```
['kNN', 0.7979268292682928, 'N_Neighbor = 28', 'Not Now']
['Logistic (12)', 0.7871341463414632, 'C = 3', 'sex_male']
['Logistic (11)', 0.7877439024390241, 'C = 1.5', 'sex_male']
['Linear SVM (12)', 0.7868902439024389, 'C = 0.4', 'sex_male']
['Linear SVM (11)', 0.7876829268292684, 'C = 0.75', 'sex_male']
```

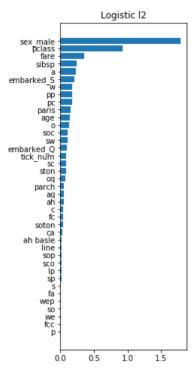
/Users/fernandojavier/anaconda3/lib/python3.6/site-packages/numpy/core/fromnumeric.py:2957: Runti meWarning: Mean of empty slice.

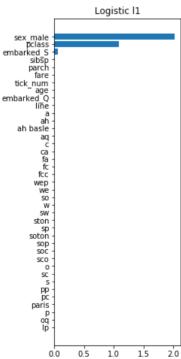
out=out, **kwargs)

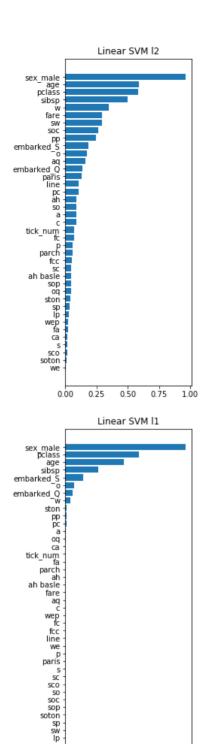
/Users/fernandojavier/anaconda3/lib/python3.6/site-packages/numpy/core/_methods.py:80: RuntimeWar ning: invalid value encountered in double_scalars

ret = ret.dtype.type(ret / rcount)

['Nonlinear SVM (rbf)', 0.8075609756097564, 'C = 0.75', 'Not Now']







0.00

0.25

0.50

0.75

1.00

With min-max scaling, the highest accuracy was obtained from Nonlinear SVM with radial basis function kernel. No top predictor was determined using this model. The best predictor in all other models aside from kNN is still sex_male.

```
In [36]: cols = ['Machine Learning Method', 'Test Accuracy', 'Best Parameter', 'Top Predictor Variable']
    df2.loc[0] = a
    df2.loc[1] = b
    df2.loc[2] = c
    df2.loc[3] = d
    df2.loc[4] = e
    df2.loc[5] = f
# df2.loc[6] = g
    df2
```

Out[36]:

	Machine Learning Method	Test Accuracy	Best Parameter	Top Predictor Variable
0	kNN	0.797927	N_Neighbor = 28	Not Now
1	Logistic (I2)	0.787134	C = 3	sex_male
2	Logistic (I1)	0.787744	C = 1.5	sex_male
3	Linear SVM (I2)	0.786890	C = 0.4	sex_male
4	Linear SVM (I1)	0.787683	C = 0.75	sex_male
5	Nonlinear SVM (rbf)	0.807561	C = 0.75	Not Now

Standard Scaling

```
In [37]: # %%time
         feature_names = X.columns
         X = X_clean[feature_names]
         sscaler = StandardScaler()
         X = sscaler.fit_transform(X)
         X = pd.DataFrame(X, columns=feature_names)
         a = train_knn(X,y)
         print(a)
         b = train_logistic(X,y,reg='12')
         print(b)
         c = train_logistic(X,y,reg='l1')
         print(c)
         d = train_svm(X,y,reg='12')
         print(d)
         e = train_svm(X,y,reg='11')
         print(e)
         f = train_Nsvm(X,y,reg='rbf')
         print(f)
         # g = train_Nsvmpoly(X,y,reg='poly')
# print(g)
```

```
['kNN', 0.7897560975609754, 'N_Neighbor = 17', 'Not Now']
['Logistic (12)', 0.7835975609756096, 'C = 0.2', 'sex_male']
['Logistic (11)', 0.7866463414634146, 'C = 0.2', 'sex_male']
['Linear SVM (12)', 0.7848780487804876, 'C = 0.01', 'sex_male']
['Linear SVM (11)', 0.7871341463414635, 'C = 0.1', 'sex_male']
```

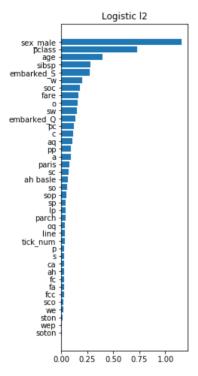
/Users/fernandojavier/anaconda3/lib/python 3.6/site-packages/numpy/core/from numeric.py: 2957: Runtime Warning: Mean of empty slice.

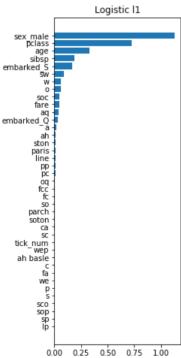
out=out, **kwargs)

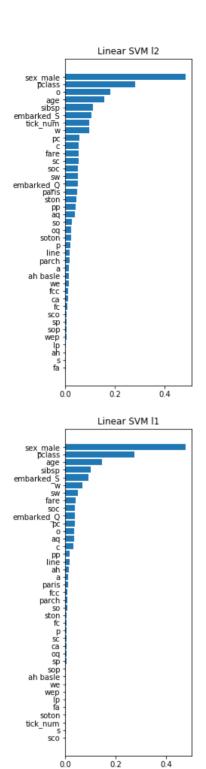
/Users/fernandojavier/anaconda3/lib/python3.6/site-packages/numpy/core/_methods.py:80: RuntimeWar ning: invalid value encountered in double_scalars

ret = ret.dtype.type(ret / rcount)

['Nonlinear SVM (rbf)', 0.790609756097561, 'C = 0.1', 'Not Now']







With standard scaling, the highest accuracy was obtained from Nonlinear SVM with radial basis function kernel. No top predictor was determined using this model. The best predictor in all other models aside from kNN is still sex_male.

Out[38]:

	Machine Learning Method	Test Accuracy	Best Parameter	Top Predictor Variable
0	kNN	0.789756	N_Neighbor = 17	Not Now
1	Logistic (I2)	0.783598	C = 0.2	sex_male
2	Logistic (I1)	0.786646	C = 0.2	sex_male
3	Linear SVM (I2)	0.784878	C = 0.01	sex_male
4	Linear SVM (I1)	0.787134	C = 0.1	sex_male
5	Nonlinear SVM (rbf)	0.790610	C = 0.1	Not Now

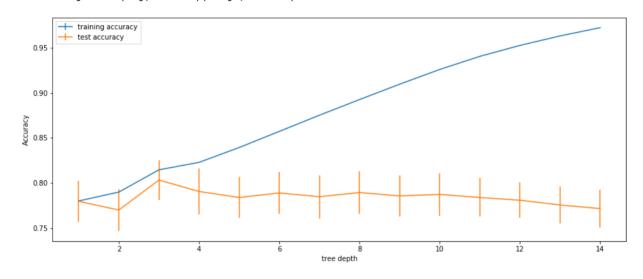
Decision Trees

Decision trees work like a step-by-step decision-making process. Based on conditions on the value of a feature, you split the dataset into two, and each split will be further split according to new sets of rules. The process continues up to a certain level or depth. **Decision trees are analogous to an inverted tree**, where the trunk braches out into large branches and each branch further branches into smaller and smaller branches.

The hyperparameter or "lever" that you tune in a decision tree classifier is the tree's maximum depth. This is the maximum level the tree reach until it stops.

```
In [39]: X = X_{clean.copy()}
In [40]: from sklearn.tree import DecisionTreeClassifier
         lahat_training = pd.DataFrame()
         lahat_test = pd.DataFrame()
         for seedN in range(1, 50, 1):
             from sklearn.model selection import train test split
             X_train, X_test, y_train, y_test = train_test_split(
                 X, y, test_size=0.25, random_state=seedN)
             training_accuracy = []
             test_accuracy = []
             maxdepth_settings = range(1, 15) # try n_neighbors from 1 to 50
             for depth in maxdepth_settings:
                 tree = DecisionTreeClassifier(
                     max depth=depth, random state=42) # build the model
                 tree.fit(X_train, y_train)
                 # record training set accuracy
                 training_accuracy.append(tree.score(X_train, y_train))
                 # record generalization accuracy
                 test_accuracy.append(tree.score(X_test, y_test))
             lahat_training[seedN] = training_accuracy
             lahat_test[seedN] = test_accuracy
```

```
In [41]: fig = plt.figure(figsize=(15, 6))
         plt.errorbar(maxdepth_settings, lahat_training.mean(axis=1),
                      yerr=lahat_training.var(axis=1), label="training accuracy")
         plt.errorbar(maxdepth_settings, lahat_test.mean(axis=1),
                      yerr=lahat test.std(axis=1), label="test accuracy")
         plt.ylabel("Accuracy")
         plt.xlabel("tree depth")
         plt.legend()
         bestdepth=np.argmax(lahat_test.mean(axis=1))+1
         print("Highest Average Test Set Achieved = %f" % np.amax(lahat test.mean(axis=1)))
         print("Best Depth Parameter = %d" %bestdepth )
         Highest Average Test Set Achieved = 0.803260
         Best Depth Parameter = 3
         /Users/fernandojavier/anaconda3/lib/python3.6/site-packages/numpy/core/fromnumeric.py:52: FutureW
         arning: 'argmax' is deprecated, use 'idxmax' instead. The behavior of 'argmax'
         will be corrected to return the positional maximum in the future.
         Use 'series.values.argmax' to get the position of the maximum now.
           return getattr(obj, method)(*args, **kwds)
```



From the accuracy vs tree depth chart above, we found that the ideal depth is tree which results in classification accuracy of 0.803.

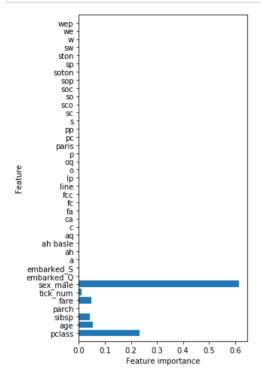
Below, we visualize the decision tree, the branches and the conditions per branch that splits the dataset.

```
In [42]: X_train, X_test, y_train, y_test = train_test_split(
                   X, y, test_size=0.25, random_state=42)
             tree = DecisionTreeClassifier(
                  max_depth=3, random_state=42) # build the model
             tree.fit(X_train, y_train)
             from sklearn.tree import export graphviz
             export_graphviz(tree, out_file="mytree.dot", class_names=["non-survivor", "survivor"],
                                    feature_names=X_clean.columns)
             import graphviz
             with open("mytree.dot") as f:
                   dot_graph = f.read()
             graphviz.Source(dot_graph)
Out[42]:
                                                                       sex male <= 0.5
                                                                         gini = 0.462
                                                                       samples = 981
value = [625, 356]
                                                                      class = non-survivo
                                                                                        False
                                                                  True
                                                         pclass <= 2.5
gini = 0.419
                                                                                           age <= 9.5
gini = 0.291
                                                         \widetilde{\text{samples}} = 348
                                                                                          samples = 633
                                                        alue = [104, 244]
                                                                                         value = [521, 112]
                                                        class = survivor
                                                                                         lass = non-survivo
                                                                                           sibsp <= 2.5
gini = 0.487
                           tick_num <= 248740.0
                                                         fare <= 23.35
                                                                                                                      pclass <= 1.5
                               gini = 0.124
                                                         gini = 0.495
                                                                                                                       gini = 0.264
                             samples = 180
value = [12, 168]
                                                                                           samples = 31
                                                                                                                      samples = 602
                                                        samples = 168
                                                        value = [92, 76]
                                                                                          value = [13, 18]
                                                                                                                     value = [508, 94]
                             class = survivor
                                                      class = non-survivor
                                                                                          class = survivo
                                                                                                                    class = non-survivo
               gini = 0.099
                                gini = 0.49
                                               gini = 0.498
                                                                                  gini = 0.255
                                                                                                                       gini = 0.418
                                                                 gini = 0.175
                                                                                                    gini = 0.165
                                                                                                                                          gini = 0.206
                               samples = 7
                                               samples = 137
                                                                 samples = 31
                                                                                  samples = 20
                                                                                                    samples = 11
                                                                                                                      samples = 131
                                                                                                                                         samples = 471
              samples = 173
              value = [9, 164]
                               value = [3, 4]
                                              value = [64, 73]
                                                                value = [28, 3]
                                                                                  value = [3, 17]
                                                                                                   value = [10, 1]
                                                                                                                      value = [92, 39]
                                                                                                                                        value = [416, 55]
              class = survivo
                              lass = survivo
                                              class = survivo
                                                               ass = non-survivo
                                                                                 class = survivo
                                                                                                  lass = non-survivo
                                                                                                                    class = non-survivo
                                                                                                                                       class = non-survivo
```

The two highest predictors using a decision tree classifier are ${\tt sex}$ and ${\tt pclass}$.

```
In [44]: import numpy as np

def plot_feature_importances(model):
    plt.figure(figsize=(4, 8))
    n_features=len(X.columns)
    plt.barh(range(n_features), model.feature_importances_, align='center')
    plt.yticks(np.arange(n_features), X.columns)
    plt.xlabel("Feature importance")
    plt.ylabel("Feature")
    plt.ylabel("Features)
```



Random Forest

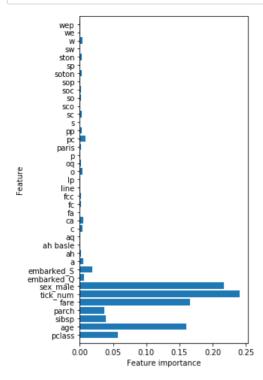
An aggregate of trees is called a forest. The same analogy goes for decision trees. A random forest is an aggregate of decision trees. The classification from a random forest is the result of many different decision trees.

```
In [45]: from sklearn.ensemble import RandomForestClassifier
```

Using a random forest classifier, we got an accuracy of 0.8079 which is higher than a single decision tree but not by much.

```
In [46]: X = X_clean
X_train, X_test, y_train, y_test = train_test_split(X, y, random_state=42)
forest = RandomForestClassifier(n_estimators=1000, random_state=42)
forest.fit(X_train, y_train)
print("accuracy on training set: %f" % forest.score(X_train, y_train))
print("accuracy on test set: %f" % forest.score(X_test, y_test))
accuracy on training set: 0.997961
accuracy on test set: 0.807927
```

The best predictors using a random forest classifier are $\mathtt{sex_male}$, $\mathtt{tick_num}$, \mathtt{fare} , and \mathtt{age} .



Gradient Boosting Machines

Gradient boosting machines (GBM) or gradient boosted regression trees work similarly to random forests, except that instead of randomizing decision trees, the algorithm starts with one shallow (depth typically around 5) decision tree and keeps adding decision trees that improve classification one after another. It's like a more guided random forest.

The hyperparameters of GBM are learning rate (higher values are faster but may offshoot optimal accuracy) and maximum tree depth.

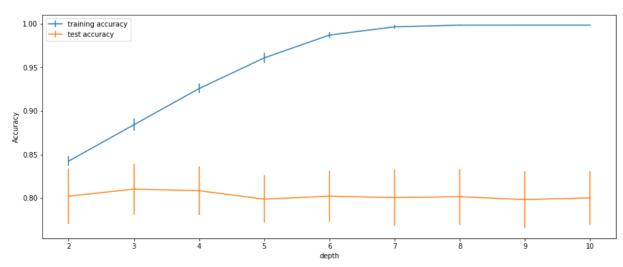
```
In [48]: from sklearn.ensemble import GradientBoostingClassifier
         def run gbm(lr, X):
             lahat training = pd.DataFrame()
             lahat_test = pd.DataFrame()
             for seedN in range(1,50,1):
                 from sklearn.model selection import train test split
                 X_train, X_test, y_train, y_test = train_test_split(X,y, stratify=y,
                                                                      test size=0.10, random state=seedN)
                 training_accuracy = []
                 test accuracy = []
                 maxdepth_settings = range(2, 8) # try n_neighbors from 1 to 50
                 for depth in maxdepth_settings:
                     tree = GradientBoostingClassifier(n_estimators=20, learning_rate=1r,
                                                max_depth=depth, random_state=42).fit(X_train, y_train) # b
         uild the model
                     tree.fit(X_train, y_train)
                     training_accuracy.append(tree.score(X_train, y_train)) # record training set accuracy
                     test_accuracy.append(tree.score(X_test, y_test)) # record generalization accuracy
                 lahat training[seedN]=training accuracy
                 lahat_test[seedN] = test_accuracy
             fig = plt.figure(figsize=(15, 6))
             plt.errorbar(maxdepth settings, lahat training.mean(axis=1),
                          yerr=lahat_training.std(axis=1), label="training accuracy")
             plt.errorbar(maxdepth_settings, lahat_test.mean(axis=1),
                          yerr=lahat_test.std(axis=1), label="test accuracy")
             plt.ylabel("Accuracy")
             plt.xlabel("depth")
             plt.legend()
             bestdepth=np.argmax(lahat_test.mean(axis=1))+1
             print("Highest Average Test Set Achieved = %f" % np.amax(lahat_test.mean(axis=1)))
             print("Best Depth Parameter = %d" %bestdepth )
```

GBM results in the highest accuracy at the expense of interpretability.

```
In [50]: run_gbm(0.5, X)

Highest Average Test Set Achieved = 0.810407
Best Depth Parameter = 2

/Users/fernandojavier/anaconda3/lib/python3.6/site-packages/numpy/core/fromnumeric.py:52: FutureW arning: 'argmax' is deprecated, use 'idxmax' instead. The behavior of 'argmax' will be corrected to return the positional maximum in the future.
Use 'series.values.argmax' to get the position of the maximum now.
    return getattr(obj, method)(*args, **kwds)
```



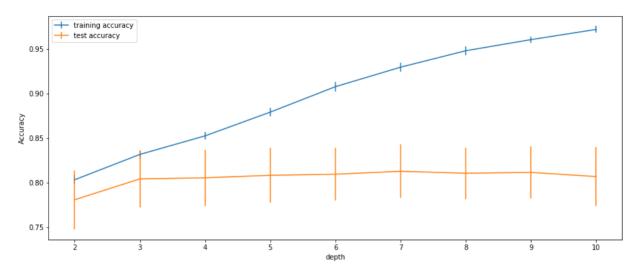
```
In [51]: run_gbm(0.1, X)
```

Highest Average Test Set Achieved = 0.812588
Best Depth Parameter = 6

/Users/fernandojavier/anaconda3/lib/python3.6/site-packages/numpy/core/fromnumeric.py:52: FutureW arning: 'argmax' is deprecated, use 'idxmax' instead. The behavior of 'argmax' will be corrected to return the positional maximum in the future.

Use 'series.values.argmax' to get the position of the maximum now.

return getattr(obj, method)(*args, **kwds)



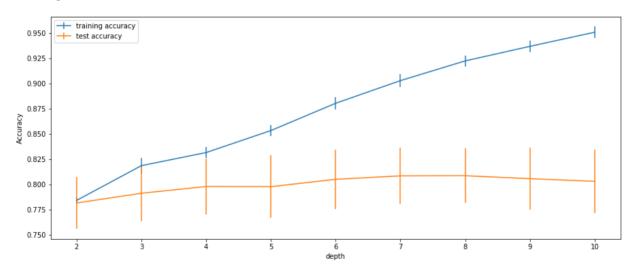
```
In [52]: run_gbm(0.05, X)
```

/Users/fernandojavier/anaconda3/lib/python3.6/site-packages/numpy/core/fromnumeric.py:52: FutureW arning: 'argmax' is deprecated, use 'idxmax' instead. The behavior of 'argmax' will be corrected to return the positional maximum in the future.

Use 'series.values.argmax' to get the position of the maximum now.

return getattr(obj, method)(*args, **kwds)

Highest Average Test Set Achieved = 0.808537
Best Depth Parameter = 7



Rerunning GBM and Random Forests on Dimensionally-Reduced Dataset

We rerun gradient boosting machines and random forest classifiers for dimensionally-reduced matrix. This matrix was obtained by first scaling the original dataset using standard scaler. Afterwhich, singular value decomposition was applied to come up with principal components (new components made up of a combination of features) that explain 95% of the information.

As you will see, running GBM and random forest classifier on dimensionally-reduced data reduced the accuracy of the classification model.

Dimensionality Reduction

```
In [53]: sc = StandardScaler()
    Xsc = sc.fit_transform(X_clean)
```

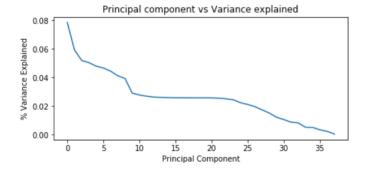
We then performed dimensionality reduction to reduce the number of "features". It might be possible that only few of these features explain 95% of the information. In order to find out, we used a dimensionality reduction method. The method used here is singular value decomposition (SVD). Information about SVD can be found here http://web.mit.edu/be.400/www/SVD/Singular Value Decomposition.htm). (http://web.mit.edu/be.400/www/SVD/Singular Value Decomposition.htm).

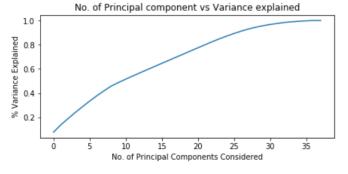
```
In [54]: from sklearn.decomposition import TruncatedSVD
In [56]: comps = Xsc.shape[1] - 1
    svd = TruncatedSVD(n_components=comps)
    X_svd = svd.fit_transform(Xsc)
    var = svd.explained_variance_ratio_
    c_var = var.cumsum()
    c_var;
```

The variance or "information" explained per feature in the dimensionally-reduced matrix is shown in the first plot below. Notice that the first few features or principal components explain majority of the information. The second plot shows the cumulative information explained.

95% of the information or variance is explained by 29 principal components.

```
In [57]: plt.figure(figsize = (7, 3))
    plt.plot(var)
    plt.xlabel('Principal Component')
    plt.ylabel('% Variance Explained')
    plt.title('Principal component vs Variance explained')
    plt.show()
    plt.figure(figsize = (7, 3))
    plt.plot(c_var)
    plt.xlabel('No. of Principal Components Considered')
    plt.title('No. of Principal component vs Variance explained')
    plt.ylabel('% Variance Explained');
```





```
In [58]: n_95 = [c_var < 0.95][0].sum()
n_95
Out[58]: 29</pre>
```

Using 29 principal components, the new matrix is saved in X_svd_2.

In [59]: svd = TruncatedSVD(n_components = n_95)
X_svd_2 = svd.fit_transform(Xsc)
X_svd_2.shape

Out[59]: (1309, 29)

In [60]: X_train, X_test, y_train, y_test = train_test_split(X_svd_2, y, random_state=42)
forest = RandomForestClassifier(n_estimators=1000, random_state=42)
forest.fit(X_train, y_train)
print("accuracy on training set: %f" % forest.score(X_train, y_train))
print("accuracy on test set: %f" % forest.score(X_test, y_test))

accuracy on training set: 0.997961 accuracy on test set: 0.759146

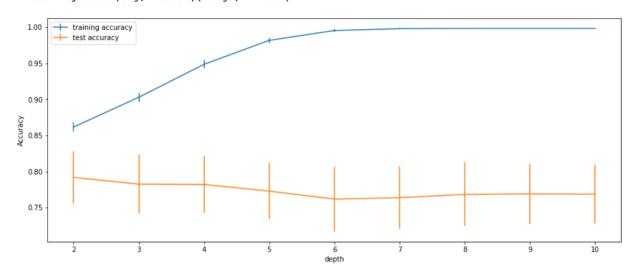
In [62]: run gbm(0.5, X svd 2)

Highest Average Test Set Achieved = 0.792024
Best Depth Parameter = 1

/Users/fernandojavier/anaconda3/lib/python3.6/site-packages/numpy/core/fromnumeric.py:52: FutureW arning: 'argmax' is deprecated, use 'idxmax' instead. The behavior of 'argmax' will be corrected to return the positional maximum in the future.

Use 'series.values.argmax' to get the position of the maximum now.

return getattr(obj, method)(*args, **kwds)



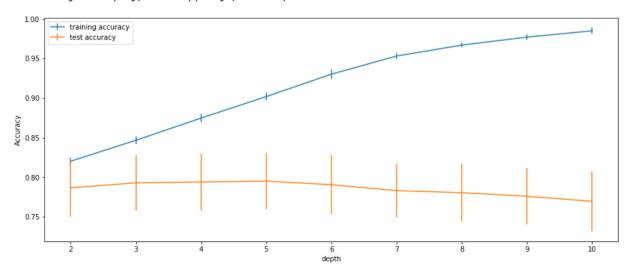
In [63]: run_gbm(0.1, X_svd_2)

Highest Average Test Set Achieved = 0.795139
Best Depth Parameter = 4

/Users/fernandojavier/anaconda3/lib/python3.6/site-packages/numpy/core/fromnumeric.py:52: FutureW arning: 'argmax' is deprecated, use 'idxmax' instead. The behavior of 'argmax' will be corrected to return the positional maximum in the future.

Use 'series.values.argmax' to get the position of the maximum now.

return getattr(obj, method)(*args, **kwds)



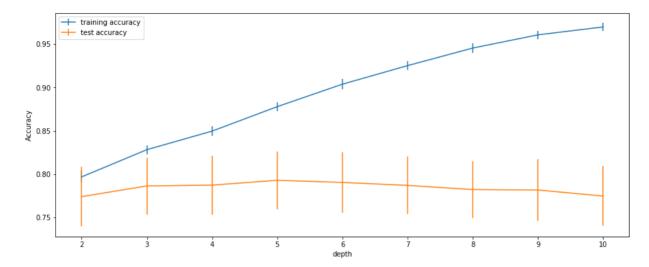
```
In [64]: run_gbm(0.05, X_svd_2)
```

```
Highest Average Test Set Achieved = 0.792803
Best Depth Parameter = 4
```

/Users/fernandojavier/anaconda3/lib/python3.6/site-packages/numpy/core/fromnumeric.py:52: FutureW arning: 'argmax' is deprecated, use 'idxmax' instead. The behavior of 'argmax' will be corrected to return the positional maximum in the future.

Use 'series.values.argmax' to get the position of the maximum now.

return getattr(obj, method)(*args, **kwds)



GBM and random forest classifier on dimensionally-reduced data reduced the accuracy of the classification model.

Summary

Titanic dataset was provided by AIM ACCESS lab. The dataset was cleaned and run on multiple classification models with the goal of finding whether a person would survive in the Titanic accident or not.

The model that yielded the highest accuracy was GBM with around 81% accuracy using learning rate of 0.1 and maximum depth of 6. However, the downside was it lacked interpretability.

The model that yielded second best accuracy was random forest with accuracy of 80.8%. The highest predictors were ticket number and sex.

The third was nonlinear SVM with RBF kernel and C=0.75 and min-max scaled dataset which yielded 80.8% accuracy. However, the best predictors were not determined for this model.

Fourth, decision tree yielded 80.3% accuracy at maximum depth of 3. The advantage of the decision tree was its interpretability as a tree diagram could be constructed of the step-by-step process in classification process.

Finally, the dataset was dimensionally reduced using SVD. GBM and random forest were rerun but it was shown that accuracies for both decreased.

From this analysis, it was found that sex was the highest predictor of whether or not a person would survive the accident. The proportion of females in the survivors were higher than the males, whereas the proportion of females in the non-survivors were much less than the males.

For the models, GBM proved most accurate in classifying and may be used if the goal is merely for prediction. However, for the balance between interpretability and prediction, decision trees classifier is deemed preferrable.

Limitations and Recommendations

Feature engineering to improve accuracy may be explored in future analyses.

References

https://github.com/awesomedata/awesome-public-datasets/issues/351 (https://github.com/awesomedata/awesome-public-datasets/issues/351) http://web.mit.edu/be.400/www/SVD/Singular Value Decomposition.htm (http://web.mit.edu/be.400/www/SVD/Singular Value Decomposition.htm)

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