

SQP6 Next Greatest Element I

Friday, November 25, 2022 10:08 AM

The **next greater element** of some element x in an array is the **first greater element** that is **to the right** of x in the same array. You are given two **distinct 0-indexed** integer arrays nums1 and nums2 , where nums1 is a subset of nums2 .

For each $0 \leq i < \text{nums1.length}$, find the index j such that $\text{nums1}[i] = \text{nums2}[j]$ and determine the **next greater element** of $\text{nums2}[j]$ in nums2 . If there is no next greater element, then the answer for this query is -1 .

Return an array ans of length nums1.length such that $\text{ans}[i]$ is the **next greater element** as described above.

Example 1:

Input: $\text{nums1} = [4, 1, 2]$, $\text{nums2} = [1, 3, 4, 2]$

Output: $[-1, 3, -1]$

Explanation: The next greater element for each value of nums1 is as follows:

- 4 is underlined in $\text{nums2} = [1, 3, \underline{4}, 2]$. There is no next greater element, so the answer is -1 .
- 1 is underlined in $\text{nums2} = [\underline{1}, 3, 4, 2]$. The next greater element is 3 .
- 2 is underlined in $\text{nums2} = [1, 3, 4, \underline{2}]$. There is no next greater element, so the answer is -1 .

↳ That is the 1st Variant type of problem based on Stark and queen 😊

In this problem we find the every element of greater element

Example

$$n = 11$$

$$\text{arr} = [3 \ 10 \ 4 \ 2 \ 1 \ 2 \ 6 \ 1 \ 7 \ 2 \ 9]$$

→ Now Our task is finding the Next Greatest element of every element from the array

$$\text{arr} = [3 \ 10 \ 4 \ 2 \ 1 \ 2 \ 6 \ 1 \ 7 \ 2 \ 9]$$

Next Greatest element According to this element is

$$\text{Next Greatest Element} = [10 \ -1 \ 6 \ 6 \ 2 \ 6 \ 7 \ 7 \ 9 \ 9 \ 10]$$

→ That is known as Next Greatest Element of every element if exist

→ This is the Circular kind of Array Problem or Stark Problem

Thought Process

→ Now first we try to solve using the simplest way or easy Approach
Then we do the Optimized Approach

1st Variant



The First Variant of the problem we have considered is a Circular kind of problem

→ So every iteration (i) we will check the ($i+1$) to (length) First Greatest element for $\text{arr}[i]$ otherwise put -1 →

Example

$$\text{arr} = [3 \ 10 \ 4 \ 2 \ 1 \ 2 \ 6 \ 1 \ 7 \ 2 \ 9]$$

$$\text{ans} = [10 \ -1 \ 6 \ 6 \ 2 \ 6 \ 7 \ 7 \ 9 \ 9 \ 10]$$

→ This is the Circular kind of problem

→ In this approach we only put one Next Greatest

→ In this approach we only put the Next Greater element if i is the last element of the array so put -1

→ This is the ~~Worst~~ ^{Easy} way of problem

$$\text{ans} = [10 \ -1 \ 6 \ 6 \ 2 \ 6 \ 7 \ 7 \ 9 \ 9 \ -1] \checkmark$$

Thought Process

→ According to the BruteForce Approach we required ② loop

$$\text{for } (i=0 \text{ to } i=N)$$

$$\quad \text{for } (i+1 \text{ to } i=N)$$

→ In this case we used one N^2 Time Complexity and is Not a good Approach for this problem

$$\text{TimeComplexity} = O(N^2)$$

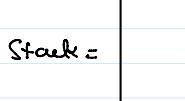


Optimized Approach

→ $O(N^2)$ and is not Good Approach so Interviewer asked to Optimized Meht Approach

→ In this Case required the Stack data Structure.

→ We required the Stack data Structure



Let's Understand the Algorithm

$$\text{arr} = [4, 1, 2, 5, 3, 1, 2, 5, 3, 1, 2, 4, 1, 6]$$

→ Now we start the Outer Iteration from the end of the array
→ and apply same condition on the stack

→ Now we start Iterate from ← left hand side of the array



→ If Stack is empty()

→ So simply assign that index of $\text{arr}[i]$ and put that element into the stack

→ Every iteration of i We check if any element present into the stack that is smaller than $\text{arr}[i]$ So simply removed all the elements that are $< \text{arr}[i]$



→ Otherwise take the top element from the stack and put it into next index and put $\text{arr}[i]$ into the stack

→ Now this approach follow again and again till the arr[i] = 0 or end of the array

Dry Run

of the array:

0 0

Deep Run

arr =

4	12	5	3	1	2	5	3	1	2	4	6
---	----	---	---	---	---	---	---	---	---	---	---

i

→ Now initially we start the end of the array and arr stack is empty

Stack =



→ required arr more array of the size of the array feel stressed the arr answer

arr =

4	12	5	3	1	2	5	3	1	2	4	6
---	----	---	---	---	---	---	---	---	---	---	---

ans =

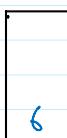
							6	-1
--	--	--	--	--	--	--	---	----



i=6 So check ans if the stack is empty ✓

→ put the -1 that means not any element present into the stack so put -1 into the answer and put arr(i) into the stack

Stack =



i=4 So check ans if the stack is empty X

→ Check if any element present into the stack that is smaller than arr(i) X

→ that means pop the element from the stack (take the top element from the stack) and assign into the index of answer and put arr(i) into the stack



Stack =

4
6

i=5 again check if stack is empty X

→ Check if any element present onto the stack that is smaller than arr(i) ✓

→ So basically pop that all element from the stack that is smaller than arr(i)

→ after that take the top element from the stack and put into the index of i into the answer and put arr(i) into the stack



Stack =

c

Stack =

5
6

→ Now what is the approach that we follow again and again till the end of the array

$$\text{Time Complexity} = (2N + 2N) \approx O(N)$$

↑ first loop
↑ write loop

$$\text{Space Complexity} = O(N)$$

↑ Stack + answer
we used extra
Space



Important Point

Why we removed smaller element from the stack ???

→ because commonly we used make our observation

→ removed smaller element because if we have

0 7 1 2 3

↑

→ that is my current greatest element and it moves in one direction
So 7 come first



⑦ that is my greatest element so we not only used of 123 because we not check where that why we removed all the smaller element from the stack

Implementation

```

# lc: https://leetcode.com/problems/next-greater-element-ii/
# gfg: https://practice.geeksforgeeks.org/problems/next-larger-element-1587115620/1

# todo varient I type not circular

class Solution:
    def nextLargerElement(self, nums, n):

        ans = [0] * n
        stack = []

        for i in range(n - 1, -1, -1):

            while len(stack) != 0 and stack[-1] <= nums[i]:
                stack.pop()

            if i < n:
                if len(stack) != 0:
                    ans[i] = stack[-1]
                else:
                    ans[i] = -1

            stack.append(nums[i])

        return ans

```

Now come to the ~~the~~ Original problem that is Variant 2 (Circular array or Stack)

→ We used one same previously concept here but different manner

Circular Array

$$\text{arr} = [2, 10, 12, 1, 11]$$

→ basically in this problem add one more time of same array at the end of the original array

$$\text{arr} = [2, 10, 12, 1, 11, 2, 10, 12, 1, 11]$$

↳ Same array copy
at the end of the array

→ after adding one end of same array used same previous approach but different manner

→ in this approach we iterate at the forward direction → of the array
→ previously we had iterate at the end of the array backward direction
 ← of the array



→ and iterate only original length of the array (not duplicate) combined concept

$$\text{arr} = \left[\begin{smallmatrix} 0 & 1 & 2 & 3 & 4 & 5 & 6 & 7 & 8 & 9 \\ 2 & 10 & 12 & 1 & 11 & 2 & 10 & 12 & 1 & 11 \end{smallmatrix} \right]$$

↳ Original array length

$$\text{ans} = [10, 12, -1, 11, 12]$$

↳ that is the my answer
what we want it

$$ans = [10 \ 12 \ -1 \ 11 \ 12]$$

↳ That is the my answer
that we want it

→ Now every duplicate array that we copied at the end of the array
that is every imaginary array so

$N=5 \rightarrow$ original length

↳ So what can we do is every time i take
one (i/n) for the perfect index

Example

$i=5$

$$i/n = 5/5 = 1$$

That means our value of i is $arr[0]$

$i=7$

$$i/n = 7/5 = 1$$

That means our value of i is $arr[2]$

$i=9$

$$i/n = 9/5 = 1$$

That means our value of i is $arr[4]$



→ That means we can say we iterate $(2N)$ times

→ And working on the concept of the (i/n) we not required to do the double one array

$$\text{Time Complexity} = O(2N + 2N) \approx O(N)$$

↳ After using every loop that run $(2N)$ times

↳ Every while loop that while loop not run always at 2 times

We not required to duplicate one array because we work on the principle —
↳ Imaginary array concept
↳ $O(N)$

→ While loop run same time 1, 2, 3, 4, ..., $(2N-1)$ times

→ Overall we iterate Number of times iterate that is total Number of element into the array

→ During the code take Count under the while loop and print every time during the while loop execution then we better understand how many times while loop run

$$\text{Space Complexity} = O(N)$$

↳ Because we used extra space to store the array



Implementation Python

Implementation Java

Implementation Python

```
# lc: https://leetcode.com/problems/next-greater-element-ii/
# gfg:https://practice.geeksforgeeks.org/problems/next-larger-element-1587115620/1

# todo varient II tyle its circular
class Solution:
    def nextGreaterElements(self, nums):

        n = len(nums)
        ans = [0] * n
        stack = []
        for i in range((2 * n) - 1, -1, -1):

            while len(stack) != 0 and stack[-1] <= nums[i % n]:
                stack.pop()

            if i < n:
                if len(stack) != 0:
                    ans[i] = stack[-1]
                else:
                    ans[i] = -1

            stack.append(nums[i % n])

        return ans
```

Implementation Java

```
class Solution{
    public int[] nextGreaterElements(int[] nums) {

        int n = nums.length;
        int[] ans = new int[n];
        Stack<Integer> st = new Stack<>();

        for(int i = (2*n)-1; i >= 0; i--){
            while(st.isEmpty() == false && st.peek() <= nums[i % n]){
                st.pop();
            }
            if(i < n){
                if(st.isEmpty() == false){
                    ans[i] = st.peek();
                }
                else{
                    ans[i] = -1;
                }
            }
            st.push(nums[i % n]);
        }

        return ans;
    }
}
```

