

SQP12 Rotting Oranges

Monday, December 5, 2022 10:56 AM

The Problem says that you have a $m \times n$ Grid each cell have a same value that is represented like

- $0 \rightarrow$ Represent an Empty Cell
- $1 \rightarrow$ Represent a Fresh Orange
- $2 \rightarrow$ Represent a Rotten Orange

→ And we move in four direction only ← → with Contiguous Cells



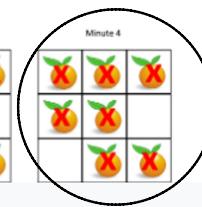
Our task is Return the Minimum Number of time to take all the Fresh Oranges get Rotten
→ End if any Orange still remaining So Simply return -1

Example 1:

2	1	1
1	2	0
0	1	1

Minute 0	Minute 1	Minute 2	Minute 3	Minute 4
X	O	O	O	O
O	X	O	O	O
O	O	X	O	O

Input: grid = [[2,1,1],[1,1,0],[0,1,1]]
Output: 4



In Stage 4 My all the Oranges get Rotten

→ At a single time only move 4 direction ← → otherwise not moved
→ that is the core problem say



→ Let's understand with example with 4×4 Matrix

0	X		X
1	O		O
2	O	O	O
3			O

#Thought Process

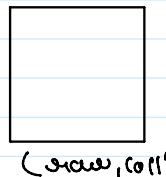
→ Here we used one concept of BFS
→ We required one Queue data structure

→ First we count the how many Oranges we have

$$\text{Oranges} = 8$$

→ Maintain the Queue data structure

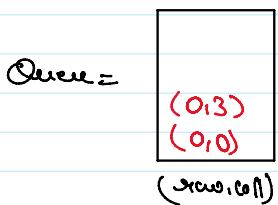
Queue =



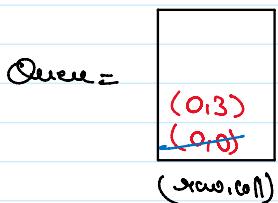
0	X		X
1	O		O
2	O	O	O
3			O

2	0	0	0
3	1	2	3

→ Now put the Rotten Oranges Index onto the Queue data Structure



→ After starting the Rotten Oranges Start Iteration on next Rotten Oranges that we put into the Queue data Structure in $\uparrow \downarrow$ direction



0	⊗		⊗
1	0		0
2	0	0	0
3			0

Iteration on = (0,0)

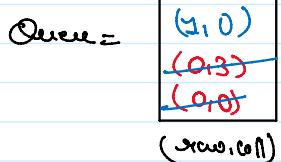
$\times \leftarrow (0,0) \rightarrow \times$ present Empty Cell
 cut of bound

Yes we moved on

the (1,0) and marked as a

Rotten Oranges and put into the Queue

⑧



0	⊗		⊗
1	⊗		0
2	0	0	0
3			0

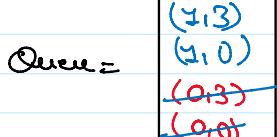
Iteration on = (0,3)

Same process follow Again

$\times \leftarrow (0,3) \rightarrow \times$ cut of bound
 empty cell

\times cut of bound

Yes we moved on the (1,3) and marked as a Rotten Oranges and put into the Queue



0	⊗		⊗
1	⊗		⊗
2	0	0	0
3			0

Queue =

(1, 0)
(0, 3)
(0, 0)
(row, col)

1	X		X	
2	0	0	0	
3			0	
	0	1	2	3

Important Note

→ after complete the one full iteration of all the existing Rotten Orange into the Queue increase the Quee Minute + 1

→ after complete the iteration we check into the Queue if any present onto the Queue that means we rotten same oranges

Minute = 1

Queue =

(1, 3)
(1, 0)
(0, 3)
(0, 0)
(row, col)

0	X		X	
1	X		X	
2	0	0	0	
3			0	
	0	1	2	3

→ Again Same Approach follows take the Indices from the Queue and perform Operation

Queue =

(1, 3)
(1, 0)
(0, 3)
(0, 0)
(row, col)

0	X		X	
1	X		X	
2	0	0	0	
3			0	
	0	1	2	3

Generation = (1, 0)

X Already Rotten

out of X
bound

(1, 0) → X empty cell

Yes we moved on the (1, 0) and marked as one Rotten Orange and peeled into the Queue

Queue =

(2, 0)
(1, 3)
(1, 0)
(0, 3)
(0, 0)
(row, col)

0	X		X	
1	X		X	
2	X	0	0	
3			0	
	0	1	2	3

Generation = (1, 3)

X Already Marked as Rotten

Empty Cell

X (1, 3) → X Out of Index

Empty cell \times $(-1,3)$ \rightarrow Out of Index

Queue = $\begin{array}{l} (2,3) \\ (2,0) \\ \cancel{(1,3)} \\ \cancel{(1,0)} \\ (0,3) \\ \cancel{(0,0)} \end{array}$
 (row, col)

0	\times	\times	\times
1	\times	\times	\times
2	\times	0	\times
3			0

Yes we moved an $(2,3)$ and marked as the Rotten Oranges and put it into the Queue



After Complete the one full iteration of all the existing Rotten Orange into the Queue
 Increase the One Minute + 1

→ After complete the iteration we check into the Queue if any present onto the Queue that means we rotten some oranges

Minute = 2

→ Again same approach follow take the Indices from the Queue and perform operation

Queue = $\begin{array}{l} \cancel{(2,3)} \\ \cancel{(2,0)} \\ \cancel{(1,3)} \\ \cancel{(1,0)} \\ (0,3) \\ \cancel{(0,0)} \end{array}$
 (row, col)

0	\times	\times	\times
1	\times	\times	\times
2	\times	0	\times
3			0

Iteration cur = $(2,0)$

\times Already Rotten

out of bound \leftarrow $(2,0)$ \rightarrow Yes we moved in one $(2,0)$ and marked as rotten

Empty cell Orange and put it into Queue

Queue = $\begin{bmatrix} (2,1) \\ \cancel{(2,3)} \\ \cancel{(2,0)} \\ \cancel{(1,3)} \\ \cancel{(1,0)} \\ (0,3) \\ \cancel{(0,0)} \end{bmatrix}$
 (row, col)

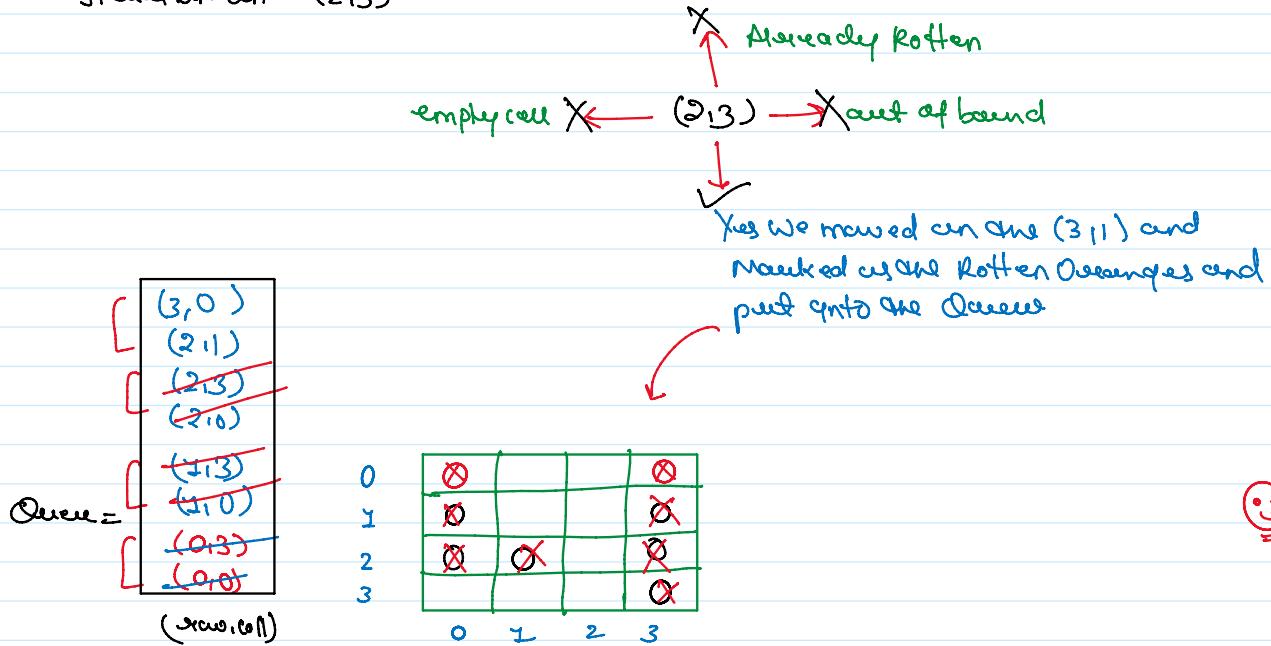
0	\times	\times	\times
1	\times	\times	\times
2	\times	\times	\times
3			0



Iteration cur = $(2,3)$

\times Already Rotten

Generation cur = (2,3)

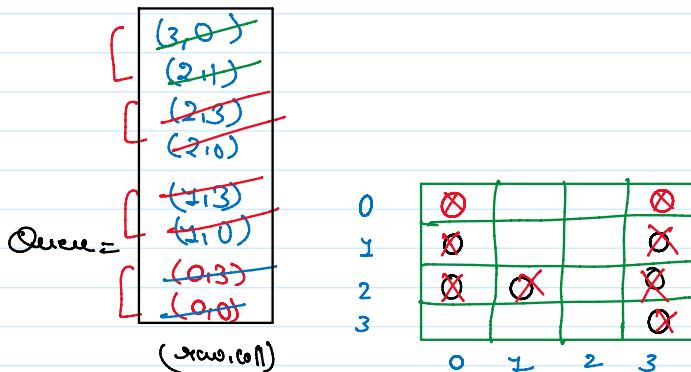


After complete one full generation of all the existing Rotten Orange into the Queue
Increase the Over Minute + 1

→ After complete the generation we check into the Queue if any present onto the Queue that means we rotten same oranges

Minute = 3

→ Again same approach followed take the indices from the Queue and perform operation



Generation cur = (2,1)

already \times \rightarrow empty cell
 \times rotten

\times empty cell

\times empty cell

Hence we say in this operation we not do anything. No need to anything into the Queue

Generation cur = (3,0)

\times already rotten

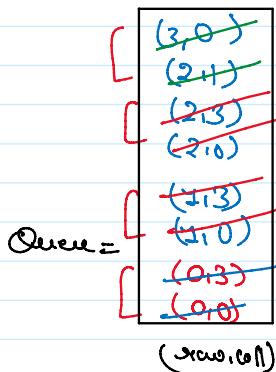
Iteration can = (3,0)

X Already Rotten

Empty cell X ← (3,0) → X out of bound

X
out of bound

Hence we say this operation we not do anything. No need to anything into the queue.



0	∅		∅
1	∅		∅
2	∅	∅	∅
3			∅

0 1 2 3

After Complete the one full iteration of all the existing Rotten Orange into the Queue
→ Check if Queue is empty that means we cannot perform any operation
on previous iteration

→ And that is the point where end the iteration
and between the time



→ Now My total Oranges into the grid is = 8

→ And My Queue total pair is = 8

$$8 = 8 \checkmark$$

That Means All Make all
the Oranges are get
Rotten

Minute = 3

answery



Important Points:-

😊 If total oranges are \neq to the total pair of the queue
that means we can not make all the Oranges will
get rotten

→ So in this case we Return -1
and that is my answer

Time Complexity = $O(N \times N) \times 4$

because we iterate into
the 4 direction

→ Because we iterate Nested loop
and in worst case we iterate
for every Oranges

Space Complexity = $O(N \times N)$

→ because in worst case we push

SpaceComplexity = O(NxN)

→ because in worst case we push all the list of index into the deque that is RottenOrange

Implementation Python

```
# lc: https://leetcode.com/problems/rotting-oranges/
# gfg: https://practice.geeksforgeeks.org/problems/rotten-oranges2536/1

from collections import deque
class Solution:
    def orangesRotting(self, grid: List[List[int]]) -> int:

        if len(grid) == 0:
            return 0
        row = len(grid)
        col = len(grid[0])

        total = 0
        days = 0
        count = 0

        queue = deque()

        for i in range(row):
            for j in range(col):
                if grid[i][j] != 0:
                    total += 1
                if grid[i][j] == 2:
                    queue.append([i, j])

        print(total)
        print(queue)

        dx = [0, 0, 1, -1]
        dy = [1, -1, 0, 0]

        while len(queue) != 0:
            sizeOfQueue = len(queue)
            count += sizeOfQueue

            while sizeOfQueue > 0:
                data = queue.popleft()
                x = data[0]
                y = data[1]

                for i in range(4):
                    nx = x + dx[i]
                    ny = y + dy[i]
                    if nx < 0 or ny < 0 or nx >= row or ny >= col or grid[nx][ny] != 1:
                        continue
                    grid[nx][ny] = 2
                    queue.append([nx, ny])

            sizeOfQueue -= 1

        if len(queue) != 0:
            days += 1

        return days
```

Y ↗ ← ↘ → direction of moved from every oranges

↗ ← ↘ → direction of moved where we moved

Implementation Java

```
class Solution {

    public int orangesRotting(int[][] grid) {

        if(grid == null || grid.length == 0) return 0;

        int rows = grid.length;
        int cols = grid[0].length;

        Queue<int[]> queue = new LinkedList<>();
        int count_fresh = 0;

        //Put the position of all rotten oranges in queue
        //count the number of fresh oranges
        for(int i = 0 ; i < rows ; i++) {
            for(int j = 0 ; j < cols ; j++) {
                if(grid[i][j] == 2) {
                    queue.offer(new int[]{i, j});
                }
                if(grid[i][j] != 0) {
                    count_fresh++;
                }
            }
        }

        if(count_fresh == 0) return 0;
        int countMin = 0, cnt = 0;
        int dx[] = {0, 0, 1, -1};
        int dy[] = {1, -1, 0, 0};

        //bfs starting from initially rotten oranges
        while(!queue.isEmpty()) {
            int size = queue.size();
            cnt += size;
            for(int i = 0 ; i < size ; i++) {
                int[] point = queue.poll();
                for(int j = 0; j < 4; j++) {
                    int x = point[0] + dx[j];
                    int y = point[1] + dy[j];

                    if(x < 0 || y < 0 || x >= rows || y >= cols || grid[x][y] == 0 || grid[x][y] == 2){
                        continue;
                    }
                    grid[x][y] = 2;
                    queue.offer(new int[]{x, y});
                }
            }
            if(queue.size() == 0) {
                countMin++;
            }
        }
    }
}
```

```
if len(queue) != 0:  
    days += 1  
  
if total == count:  
    return days  
return -1
```

```
    countMin++;  
}  
}  
return count_fresh == cnt ? countMin : -1;  
}
```

