

## L2 Problems on Recursion

Saturday, December 10, 2022 11:39 AM

Now Here we deal with some basic Recursion problem and understand how to work Recursion



- Prints Name 5 times
  - Print Linearly 1 to N
  - Print from N to 1
  - Print Linearly from 1 to N (by backtracking)
  - Print from N to 1 (By Backtracking)
- base directed an recursion
- Backtracking



### P1 Print Name 5 Time

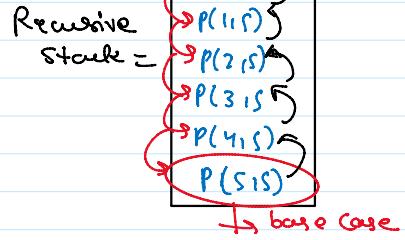
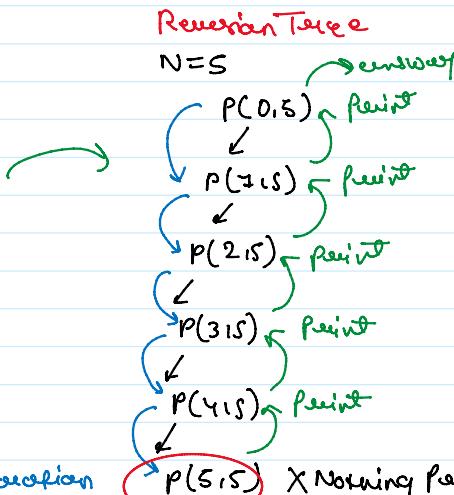
```
def p1(count,N):
    if count >= N:
        return
    print("Prince Singh")
    count+=1
    p1(count,N)

p1(0,5)
```

Print N times

Time Complexity =  $O(N)$   
because  
Linear Iteration

Space Complexity =  $O(N)$   
because  
Stack Space



### P2 Print 1 to N Times

Similar problem as we learned in Previously

```
def p2(i,N):
    if i > N:
        return
    print(i)
    i+=1
    p2(i,N)

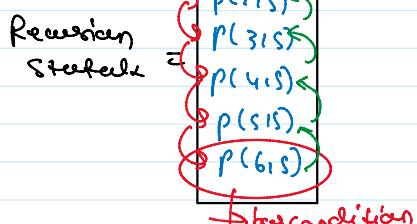
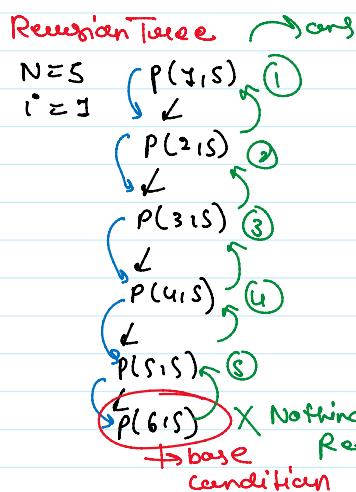
p2(1,10)
```

N times print

base condition

Time Complexity =  $O(N)$   
because  
Linear Iteration

Space Complexity =  $O(N)$



↗ because  
 Linear Iteration  
**Space Complexity =  $O(N)$**   
 ↗ Recursion  
 Stack Space

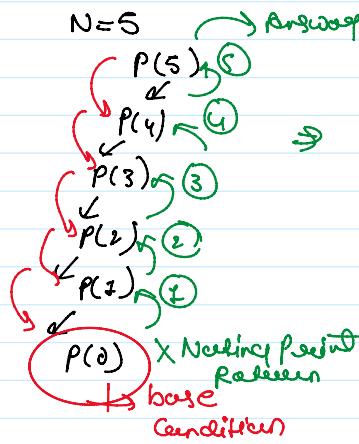
↗  
**base condition**

### P3 Print N to 1 Time

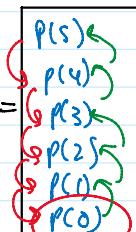
That is the Reverse problem of the P2 that we learned previously and hence we used one Reverse concept of P2

↗ N to 1 print  
 def p3(N):  
 if N == 0:  
 return  
 print(N)  
 N=1  
 p3(N)  
 p3(10)

Recursion Tree



Recursion Stack



↗ Base case

Time complexity =  $O(N)$   
 ↗ because  
 Linear Iteration  
**Space Complexity =  $O(N)$**   
 ↗ Recursion  
 Stack Space

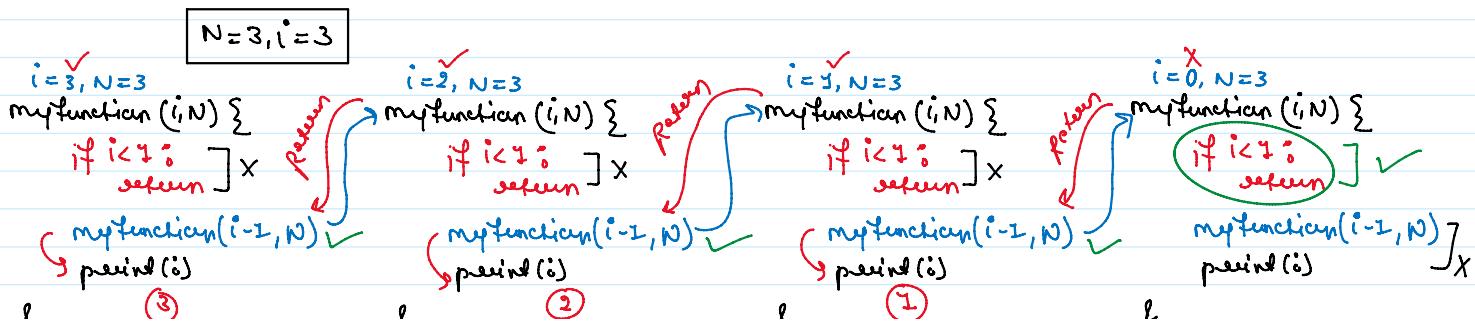
### P4 Print 1 to N time using Backtracking

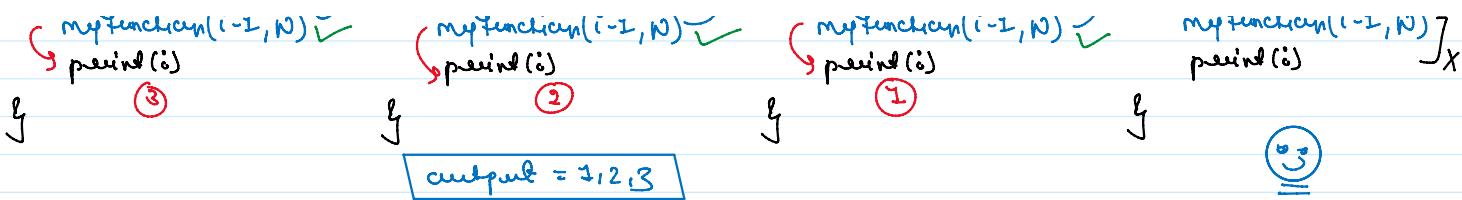
Our task is print the 1 to N without increment the printing Variable

def backTrackingP1(i,N):  
 if i < 1:  
 return  
 backTrackingP1(i-1,N)  
 print(i)  
 backTrackingP1(5,5)

↗ i+1 X Not allowed  
 How we do that ?!

⇒ Let's understand how to code well internally and how well backtracking there





Time Complexity =  $O(N)$

→ because  
Linear Iteration

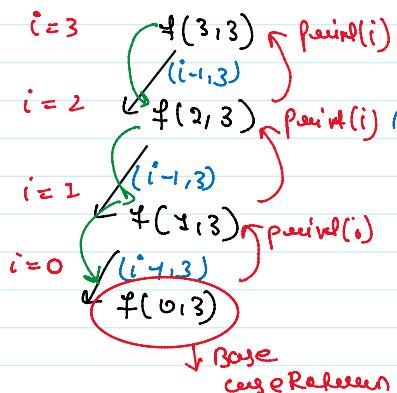
Space Complexity =  $O(N)$

→ Recursion  
Stack Space

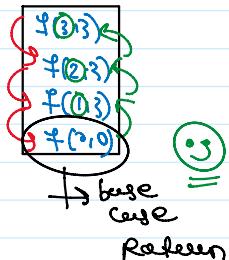


Recursion Tree

$N=3, i=3$



Recursion Tree =



## P5 Print N to 1 time using Backtracking

That is the Reverse Concept and Logic of previously problem

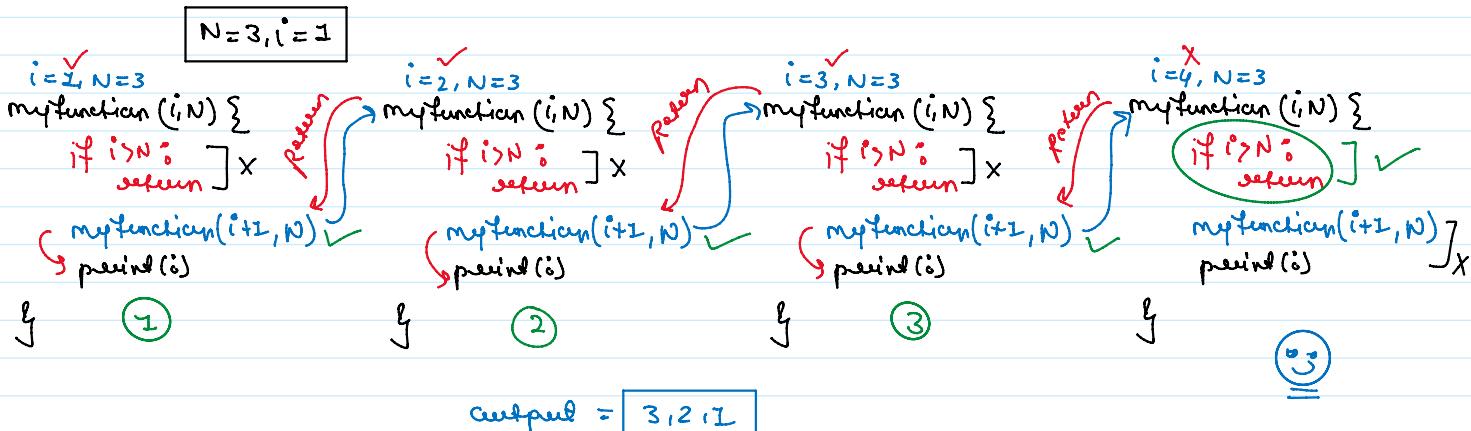
$i-1 \times$  Not Allowed  
How to solve ??

```
def backTrackingP2(index,N):
    if index > N: → base case
        return
    backTrackingP2(index+1,N)
    print(index)

backTrackingP2(1,5)
```

A blue smiley face icon is to the right.

⇒ Let's understand How to code which  
internally and how work backtracking  
there

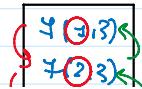


output = 3, 2, 1

Recursion Tree

$N=3, i=1$

$i=1$  ↗  $f(1,3)$  ↘  $peind(i)$



Time Complexity =  $O(N)$

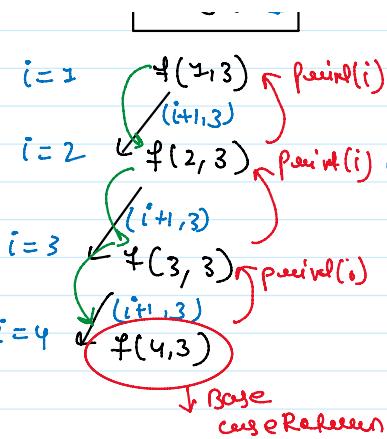
→ because  
Linear Iteration

Time Complexity =  $O(N)$

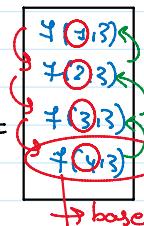
→ because  
Linear Function

Space Complexity =  $O(N)$

→ Recursion  
Stack Space



Recursion  
Tree



case  
Reference



```

def p1(count, N):
    if count >= N:
        return
    print("Prince Singh")
    count+=1
    p1(count, N)

p1(0,5)

2 usages
def p2(i, N):

    if i > N:
        return
    print(i)
    i+=1
    p2(i, N)

p2(1,10)

2 usages
def p3(N):

    if N == 0:
        return
    print(N)
    N-=1
    p3(N)

p3(10)

2 usages
def backTrackingP1(i, N):
    if i < 1:
        return

    backTrackingP1(i-1, N)
    print(i)

backTrackingP1(5,5)

2 usages
def backTrackingP2(index, N):
    if index > N:
        return

    backTrackingP2(index+1, N)
    print(index)

backTrackingP2(1,5)
  
```

```

public class L2_Problems_on_Recursion {

    public static void main(String[] args) {

        problem1(count: 0, N: 5);
        problem2(i: 1, N: 5);
        problem3(N: 5);
        BackTrackingproblem4(index: 5, N: 5);
        BackTrackingproblem5(index: 1, N: 5);
    }

    2 usages
    private static void BackTrackingproblem5(int index, int N) {

        if(index > N){
            return;
        }
        BackTrackingproblem5(index: index+1,N);
        System.out.println(index);
    }

    2 usages
    private static void BackTrackingproblem4(int index, int N) {

        if(index < 1){
            return;
        }
        BackTrackingproblem4(index: index-1,N);
        System.out.println(index);
    }

    2 usages
    private static void problem3(int N) {
        if(N == 0){
            return;
        }
        System.out.println(N);
        N-=1;
        problem3(N);
    }

    2 usages
    private static void problem2(int i, int N) {

        if(i > N){
            return;
        }
        System.out.println(i);
        i+=1;
        problem2(i,N);
    }

    2 usages
    private static void problem1(int count, int N) {

        if (count >= N){
            return;
        }
        System.out.println("Prince Singh");
        count+=1;
        problem1(count,N);
    }
  
```

→ Allow code into the  
Single file

