L9 Combination Sum II

Tuesday, December 20, 2022 1:36 PM

Given a collection of candidate numbers (candidates) and a target number (target), find all unique combinations in candidates where the candidate numbers sum to target.
Each number in candidates may only be used **once** in the combination.

Note: The solution set must not contain duplicate combinations.

Example 1:
Input: candidates = [10,1,2,7,6,1,5], target = 8
Output:
[
[1,1,6],
[1,2,5],
[1,7],
[2,6]
]

→ Lexicographical and Sorted Order

→ Basically in this problem our task is print all the combination without Repetation and
- Sorted Order
- Lexicographical Order

☺

Thought Process

arr = [1,1,1,2,2]
target = 4

Combinations
[1,1,2]
[1,1,2] ✓ Not duplicate Appearence
[2,2] ✓
] ✓

Answer = 2

[1,1,1,2,2]

✓ ✓ X ✓ ✓
✓ X ✓ ✓ ✓
_ _ _ ✓ ✓

[2,1,1] X
[1,2,1] X
→ Both are the Right combination but According to this problem we only take that element that is in Sorted Order

element are not in Sorted Order

☺

→ this problem is the extended Version of previous problem that we Learned Combination SumI

→ We Remember that in previously we call the pick Recursion we can not increase the index value because may be some other combination exist

→ But however only one change is for unique combination index+1 everey time that's it.

☺

myfunction (index, candidate, target - candidate[index], ans, ds); → in previously problem

myfunction (index+1, candidate, target - candidate[index], ans, ds); → in this problem

→ used a set data structure for Avoide the dublicity
→ if we follow this Approach then the

TimeComplexity = $(2^T) \times K \times \log(x)$ → set size

→ for data structure put into the set data structure

```python
class Solution:

    def findAllcombinationSum(self, index, candidates, target, ans, ds):

        if index == len(candidates):
            if target == 0:
                ds.sort()
                if ds not in ans:
                    ans.append(ds[:])
                    return

            return

        if candidates[index] <= target:
            ds.append(candidates[index])
            self.findAllcombinationSum(index + 1, candidates, target - candidates[index], ans, ds)
            ds.remove(candidates[index])

        self.findAllcombinationSum(index + 1, candidates, target, ans, ds)

    def combinationSum2(self, candidates, target):

        ans = []
        self.findAllcombinationSum(0, candidates, target, ans, [])

        ans.sort()
        return ans
```

→ only Changes

→ Show TLE want to modified this Approach ↓

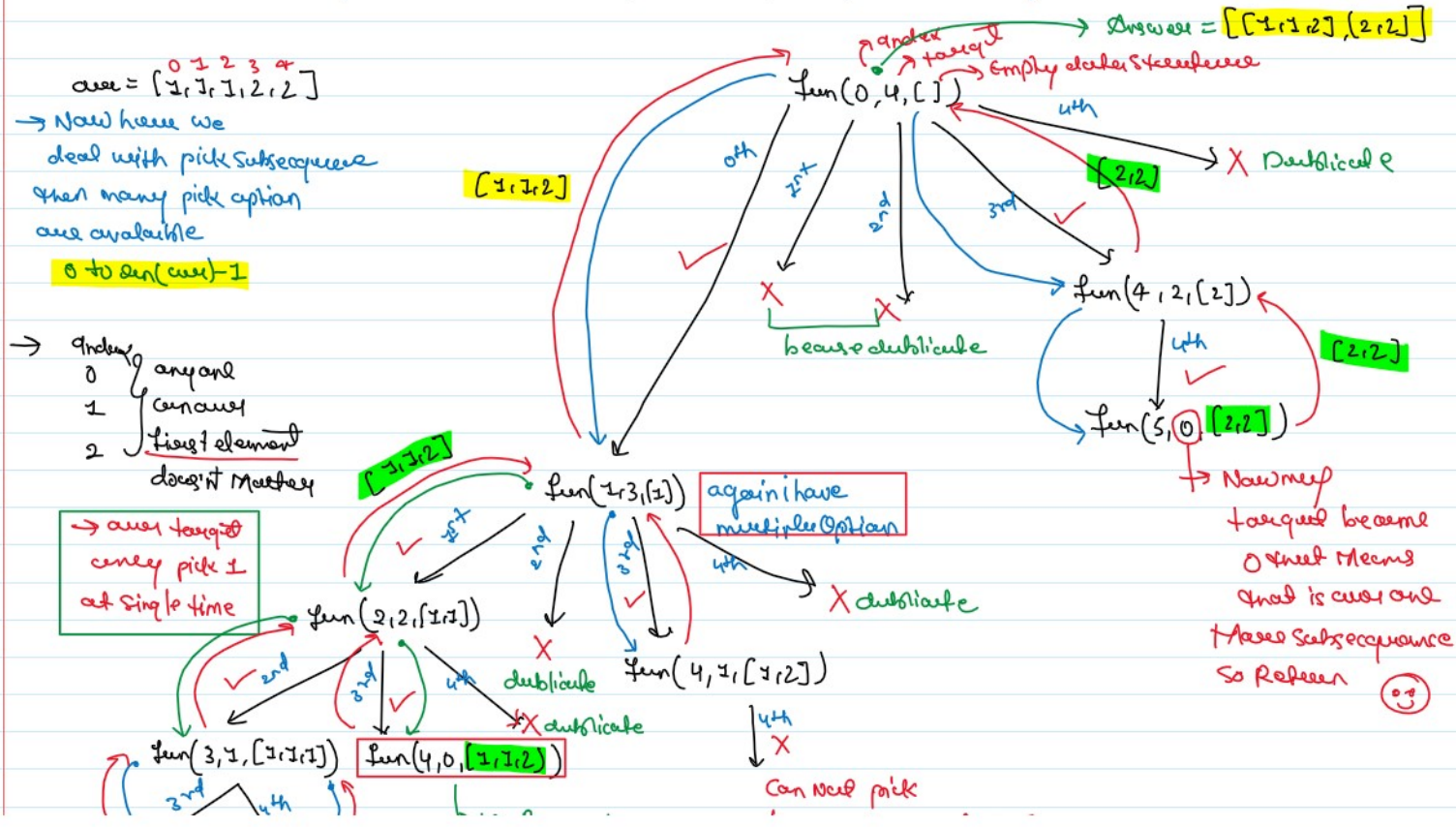
→ Now Interviewer do Not want to Extra log time into the Solution than we modify the own Solution (Modify the own Recursion)

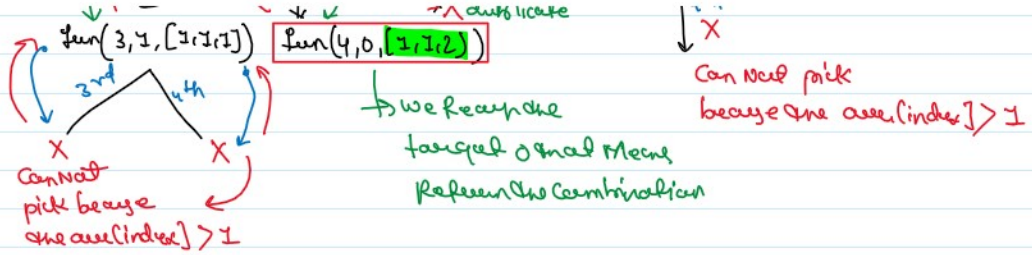
Lets Understand

arr = [1, 1, 1, 2, 2]
(0 1 2 3 4)

target = 4

→ In this Approach in the place of pick and Not pick we keep the pick the Subsequenced





→ That is the Approach that we follow for More Optimized than the array Recursion

```
myfunction(index, candidate, target, ans, ds){
    if(target == 0){
        ans.append(ds)
        return
    }
    for i in range(index, len(candidate)){
        if i > index and candidate[i] == candidate[i-1]{
            continue;
        }
        if candidate[i] > target{
            break;
        }
        ds.append(candidate[i]);
        self.myfunction(i+1, candidate, target-candidate[i], ans, ds);
        ds.remove(candidate[i]);
    }
}
```

Base case

Time Complexity = $2^n \times K$ → last pass into the loop
→ Number of combination time

Space Complexity = $K \times x \times N$
→ average length of the every subsequence
→ for combination
→ Recursion stack space

```python
# Optimize Code

class Solution:

    def findAllcombinationSum(self, index, candidates, target, ans, ds):

        if target == 0:
            ans.append(ds[:])
            return

        for i in range(index, len(candidates)):
            if i > index and candidates[i] == candidates[i - 1]:
                continue

            if candidates[i] > target:
                break

            ds.append(candidates[i])
            self.findAllcombinationSum(i + 1, candidates, target - candidates[i], ans, ds)
            ds.pop()

    def combinationSum2(self, candidates, target):

        ans = []
        candidates.sort()

        self.findAllcombinationSum(0, candidates, target, ans, [])
        return ans
```

```java
import java.util.*;
public class L9_Combination_Sum_II {
    public static void main(String[] args) {

        System.out.println("L9 Combination Sum II");
    }
}



no usages
class Solution1{

    2 usages
    static void findCombinations(int index, int[] candidates, int target, List < List < Integer >> ans, List < Integer > ds) {
        if (target == 0) {
            ans.add(new ArrayList < > (ds));
            return;
        }

        for (int i = index; i < candidates.length; i++) {

            if (i > index && candidates[i] == candidates[i - 1]){
                continue;
            }

            if (candidates[i] > target){
                break;

            }

            ds.add(candidates[i]);
            findCombinations( index: i + 1, candidates, target: target - candidates[i], ans, ds);
            ds.remove( index: ds.size() - 1);
        }
    }

    no usages
    public List<List<Integer>> combinationSum2(int[] candidates, int target) {

        List < List < Integer >> ans = new ArrayList < > ();
        Arrays.sort(candidates);
        findCombinations( index: 0, candidates, target, ans, new ArrayList < > ());
        return ans;


    }
}
```