

CSE 415 Midterm exam

Yuchen Wang

TOTAL POINTS

71 / 100

QUESTION 1

DFS, BFS, and IDDFS 18 pts

1.1 (a) (i) BFS 2 / 4

- ✓ - 1 pts Missing Ordering SABCG
- ✓ - 1 pts Missing Ordering SBACG
- 1 pts Missing Ordering SABG
- 1 pts Missing Ordering SBAG
- 0 pts Listed all required state visitations orderings

1.2 (a) (ii) DFS 2 / 4

- ✓ - 1 pts Missing ordering SABCG
- ✓ - 1 pts Missing ordering SBCG
- 1 pts Missing ordering SABG
- 1 pts Missing ordering SBG
- 0 pts Listed all required state visitations orderings

1.3 (b) True or False 8 / 10

- ✓ - 2 pts (i) False
- 2 pts (ii) False
- 2 pts (iii) False
- 2 pts (iv) True
- 2 pts (v) False
- 0 pts Correct

QUESTION 2

State Spaces and The Combinatorial Explosion 18 pts

2.1 State for Farmer Fox; initial state 3 / 4

- 2 pts Part (i) not specific for Farmer-Fox-Chicken-Grain.
- 0 pts Correct
- 1 pts Part (ii) does not give a state representation in the sense of the course.

- 2 pts Initial state not given or not correct.

- 2 pts Part (i): You are addressing the question of goal state, not WHAT A STATE SHOULD REPRESENT.

✓ - 1 pts Right idea but vague compared with full-scoring answers.

- 0 pts Click here to replace this description.

- 2 pts Part (i) You are answering a different question.

- 1 pts Part (i) not quite correctly stated.

- 1 pts Part (ii) Need to give a sample state rep. rather than an English description.

2.2 TOH successors 0 / 3

- 0 pts Correct

- 2 pts Successors must be states, not operators.

- 1 pts There are some illegal items listed here as successors.

✓ - 3 pts incorrect

- 2 pts Partially correct.

- 1 pts Mostly correct.

2.3 TOH State-space size 0 / 1

- 0 pts Correct

✓ - 1 pts incorrect

2.4 (c) (i) TTS number of states after 1 move 1 / 1

✓ - 0 pts Correct

- 1 pts Incorrect

2.5 (c) (ii) after 2 moves 1 / 1

✓ - 0 pts Correct

- 1 pts Incorrect

- 1 pts Need to divide by 2 since W can place the 2 pieces in 2 different orders but end up in the same state.

2.6 (c) (iii) after 3 moves 0 / 1

- 0 pts Correct
- 1 pts Incorrect

✓ - 1 pts Need to divide by 2 since W can make the 2 moves in either order but arrive at the same state.

2.7 (c) (iv) after 4 moves 0 / 1

- 0 pts Correct
- ✓ - 1 pts Incorrect

2.8 (d) (i) node visitations for iteration with cutoff 0 1 / 1

- ✓ - 0 pts Correct
- 1 pts Incorrect

2.9 (d) (ii) cutoff 1 1 / 1

- ✓ - 0 pts Correct
- 1 pts Incorrect

2.10 (d) (iii) cutoff 2 1 / 1

- ✓ - 0 pts Correct
- 1 pts Incorrect

2.11 (d) (iv) cutoff depth 3 1 / 1

- ✓ - 0 pts Correct
- 1 pts Incorrect

2.12 (d) (v) total node visitations 1 / 1

- ✓ - 0 pts Correct
- 1 pts Incorrect

2.13 (d) (vi) Why is repeated work OK? 1 / 1

- ✓ - 0 pts Correct
- 1 pts Incorrect

QUESTION 3

Minimax and Alpha-Beta 16 pts

3.1 Minimax 10 / 10

- ✓ - 0 pts Correct
- 2 pts a incorrect (should be 5)
- 2 pts b incorrect (should be 7)

- 2 pts c incorrect (should be 5)
- 2 pts d incorrect (should be 8)
- 2 pts e incorrect (should be 3)

3.2 Alpha-beta 2 / 2

- ✓ - 0 pts Correct
- 2 pts Did not mark an edge (should have marked the edge to the 3 leaf node)
- 2 pts Marked one or more edges other than the 3 leaf node

3.3 Alpha-beta rearrange three 2 / 2

- ✓ - 0 pts Correct
- 2 pts Did not put the 8 first (the order of the others doesn't matter)
- 2 pts No answer

3.4 Alpha-beta rearrange children of root 2 / 2

- ✓ - 0 pts Correct
- 2 pts Did not put the c subtree first (the order of the rest doesn't matter if b.ii was correct)
- 2 pts No answer

QUESTION 4

Expectimax Search 18 pts

4.1 Agent A 7 / 7

- ✓ - 0 pts Correct
- 4 pts Incorrect expectation node
- 3 pts Incorrect max node

4.2 Agent B 3 / 7

- 0 pts Correct
- ✓ - 4 pts Expectations Incorrect
- 2 pts Expectations Partially correct
- 2 pts Bottom max nodes Incorrect
- 1 pts Top max node incorrect

4.3 Agent C 0 / 4

- 0 pts Correct
- ✓ - 4 pts Incorrect

QUESTION 5

MDP Properties and Discounted Future Rewards 14 pts

5.1 Maximum total reward from B 3 / 3

- ✓ - 0 pts Correct
- 2 pts No work shown, final result is wrong
- 1 pts work shown but final result is wrong
- 3 pts No answer

5.2 Maximum weighted total rewards 7 / 7

- ✓ - 0 pts Correct
- 7 pts no work is shown, answer is wrong
- 6 pts attempted to solve, answer is wrong
- 3 pts solution partially correct, final answer is wrong
- 5 pts partially correct attempt to solve- work shown for only of the states - final answer is wrong
- 1 pts one item wrong final answer
- 2 pts two items wrong final answer
- 7 pts no answer provided
- + 1 pts one of the items is correct
- 4 pts final answers wrong, solution partly on the right track

5.3 Expected total discounted reward 0 / 4

- 0 pts Correct
- 4 pts wrong answer
- 2 pts Attempted to solve, wrong final answer
- ✓ - 4 pts No answer provided
- 1 pts partially correct, final answer is not correct

QUESTION 6

Admissible Heuristics and Dominance 16 pts

6.1 (a) (i) Maze -- Euclidean distance heuristic 4 / 4

- ✓ - 0 pts Correct
- 4 pts no answer :(
- 1 pts but why?

6.2 (a) (ii) Maze -- Manhattan distance heuristic 4 / 4

- ✓ - 0 pts Correct
- 1 pts but why?
- 2 pts it is admissible, but not for that reason
- 4 pts it is admissible

6.3 (a) (iii) which will be more efficient 4 / 4

- ✓ - 0 pts Correct
- 4 pts manhattan is preferable because it is also admissible and dominates the euclidean heuristic
- 4 pts no answer :(
- 1 pts but why?
- 0.5 pts it's superior bc it dominates euclidean
- 1 pts manhattan is preferable but not for the reason given

6.4 (b) Are dominating heuristics always better? 0 / 4

- 0 pts Correct
- 4 pts no answer :(
- 0.5 pts h_j could be far more computationally expensive than h_i
- 4 pts argument doesn't make sense/apply
- 4 Point adjustment
- we always want to avoid expanding nodes/unnecessary computation

Name (Last name, first name (as in your registration)):

Yu chen Wang

CSE 415–Winter 2019 — Midterm Exam

by the Staff of CSE 415, Winter 2019

INSTRUCTIONS: Read these instructions carefully. Write your full name at the top of this cover page, last name first. Make sure you have all 7 pages.

Write your UW student number and your UWNetID where shown below.

Put your answers within the spaces provided in the questions. Write legibly and if you use a pencil, make sure that you write darkly enough that a normal scanner will pick up your writing. If you need more space, use the margins. Do all problems. This is a CLOSED-BOOK, CLOSED-NOTES examination. Do not use any books, notes, calculators, or other electronic devices. There are six problems worth a total of 100 points. Each problem has multiple parts, and the allocations of points among the parts are as shown on each individual problem. Note that some problems may be significantly easier or more time-consuming than others. However, the overall time to complete the exam is estimated to be 40 minutes for a student familiar with the material.

POLICY ON QUESTIONS AND CLARIFICATIONS: Do not ask questions during the exam. Instead, if you find one of the exam problems to be ambiguous or unclear, state your objection here on the cover page, clearly identifying the problem number and part number, as well as describing your issue (and continue in the margin on the page of the problem, if necessary). If your objection is accepted by the grader, then points may be adjusted in your score.

UW Student Number:	182672P
UWNetID	maxkpb

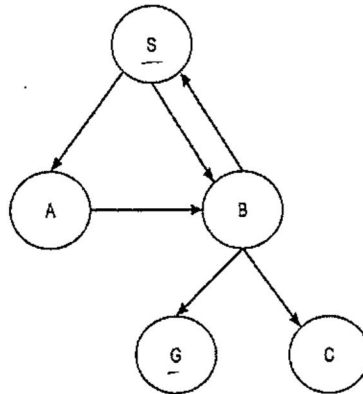


Figure 1: Graph for Question 1. Nodes S is the start node and node G is the goal node.

1 (18 points) DFS, BFS, and IDDFS (by Divye)

- (a) Give all possible orderings of state visitations (in figure 2), when looking for the goal node G from S.

Note: The ordering of state visitations can change depending on which successor you visit first.

(i) (4 points) BFS: ~~SA~~ BG SBAG SABC SBAC

(ii) (4 points) DFS: SABG ~~SBC~~ SABC SAG SAC

- (b) (10 points) Answer True or False

- (i) BFS will always return the optimal path where all edges have varied cost: *True*
- (ii) BFS will always find the goal state faster (in terms of state visitations) than DFS: *False*
- (iii) DFS will always return the optimal path where all edges have the same cost: *False*
- (iv) IDDFS will always return the optimal path where all edges have the same cost: *True*
- (v) DFS will always visit more nodes than BFS if the goal state is at a shallow depth in an otherwise deep tree: *False*

2 (18 points) State Spaces and The Combinatorial Explosion (by Steve)

- (a) (i) (2 points) Describe what a state for the Farmer-Fox-Chicken-Grain has to represent, and (ii) (2 points) give a possible representation for its initial state.

(i) $[Ff(cg)]$ $F \rightarrow$ farmer $c \rightarrow$ chicken he can ~~represent~~ left bank state (ii) $[Ff(cg)]$
 $f \rightarrow$ fox $g \rightarrow$ grain and infer right bank state.

- (b) Generating successors. (i) (3 points) For this 4-disk Towers-of-Hanoi puzzle state, $[[1],[2],[3,4]]$ list the successors in the same order that they would be generated by trying all the operators in order:

- ϕ_0 : Move a disk from peg 1 to peg 2
- ϕ_1 : Move a disk from peg 1 to peg 3
- ϕ_2 : Move a disk from peg 2 to peg 1
- ϕ_3 : Move a disk from peg 2 to peg 3
- ϕ_4 : Move a disk from peg 3 to peg 1
- ϕ_5 : Move a disk from peg 3 to peg 2

- (ii) (1 point) How large is the state space for this puzzle?

- (c) (4 points) Combinatorial explosion.

For a game of Toro-Tile Straight on an n -by- n board with no forbidden squares and $k > 3$, give expressions for the numbers of distinct states:

- (i) after exactly 1 move. n^2
 (ii) after exactly 2 moves. $n^2(n^2-1)$
 (iii) after exactly 3 moves. $n^2(n^2-1)(n^2-2)$
 (iv) after exactly 4 moves. $n^2(n^2-1)(n^2-2)(n^2-3)$

(Consider the states to be distinct if an element-by-element comparison of the contents of the boards would find at least one mismatch.)

- (d) (6 points) Suppose we are using IDDFS to search a binary tree. At first, the algorithm examines only the root. Then, it examines the root and its immediate children (i.e., the tree to a depth of 1). Then it searches the tree to a depth of 2, etc.

How many node visitations does it make in each iteration:

- (i) Iteration with cutoff depth 0: 1
 (ii) Iteration with cutoff depth 1: 3
 (iii) Iteration with cutoff depth 2: 7
 (iv) Iteration with cutoff depth 3: 15
 (v) Assuming it stops at the end of this last iteration, what is the total of node visitations it had made (counting all repeats)? 26
 (vi) Why is the repeated work generally considered to be acceptable in a case like searching a tree with branching factor 2 or greater using IDDFS?

Because time repeated work is ~~too~~ acceptable compare to the whole
 for time



1+2
 1+1+4
 1+1+4+8

3 (16 points) Minimax and Alpha-Beta (by Rob)

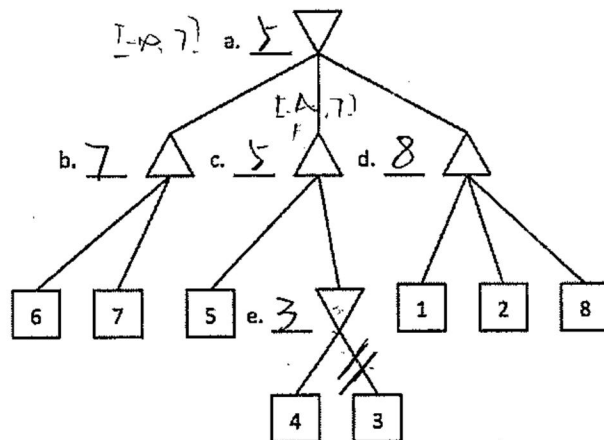


Figure 2: Minimax tree for Question 3.

(a) (10 points) Minimax Search On the tree above, fill in the values of the interior nodes after executing the minimax search algorithm without alpha-beta pruning. (Note that the tree root is a minimizing node.)

(b) Alpha-Beta Pruning

(i) (2 points) Now assume the minimax algorithm uses alpha-beta pruning. Draw slashes over any edges that would be pruned from the tree above. Assume nodes are evaluated from the left to right.

(ii) (2 points) Rearrange the three leaf nodes on the right subtree (the children of d) to maximize the number of pruned nodes that would occur from alpha-beta. Write the nodes in their new order from left to right below.

8 > 1

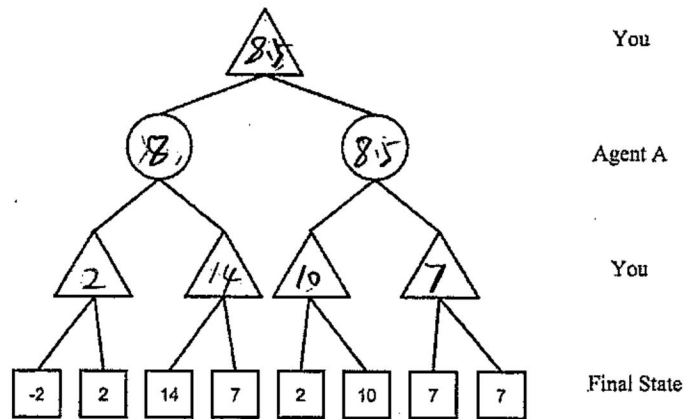
(iii) (2 points) Now rearrange the order of the subtrees of the root (nodes b,c,d) to maximize the number of pruned nodes that would occur from alpha-beta. Use the order of d's child nodes that you specified in the previous question. Assume the order of any other nodes besides b, c, d, and d's children stay the same. Write the new order of b, c, and d from left to right below.

c b d

4 (18 points) Expectimax Search (by Jifan)

In this zero-sum game, you will play against three agents, Agent A, Agent B and Agent C. Each agent will play one game against you. Your objective is to maximize the score in each game.

- (a) (7 points) First, you will be playing against Agent A, which is a naïve agent designed to randomly choose a move with equal probabilities. Please fill out the appropriate scores in the tree nodes below (expectation nodes are denoted by circles).

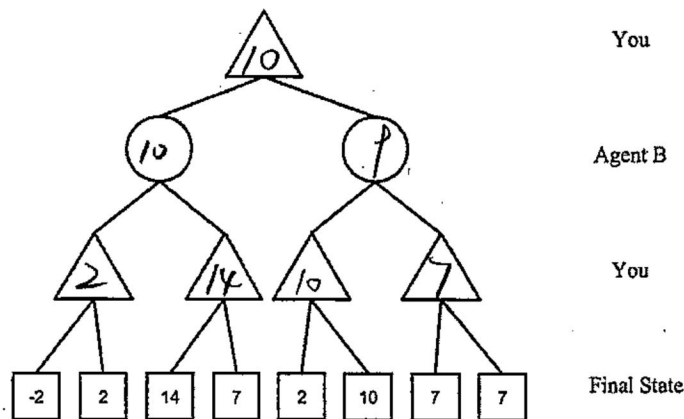


$$5 \frac{1}{4} + 6 \frac{1}{2}$$

$$\frac{21}{4} + \frac{13}{2}$$

$$\frac{34}{6}$$

- (b) (7 points) Second, you will be playing against Agent B. Agent B is a rather smart agent that chooses the best move to its advantage with probability $\frac{2}{3}$. That being said, it also chooses the other move with probability $\frac{1}{3}$. Please fill out the appropriate scores in the tree nodes below (expectation nodes are denoted by circles).



$$14 \times \frac{2}{3} + 2 \times \frac{1}{3}$$

$$\frac{28+2}{3} =$$

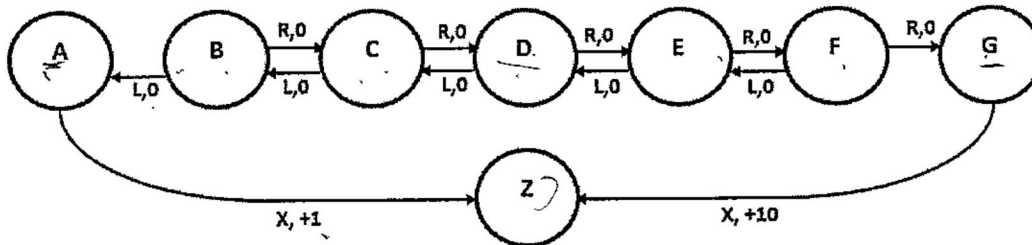
$$\frac{2 \times 10 + 7}{3}$$

- (c) (4 points) Third, you will be playing against Agent C. Agent C is really smart and chooses the best move to its advantage with probability 1. What kind of algorithm taught in class is specifically designed for playing against the type of agent like Agent C? Answer with at most two words (you will get zero for this problem if it has more than two words):

best-first.

5 (14 points) MDP Properties and Discounted Future Rewards (by Hamid and Steve)

In this problem, we consider the MDP shown in the figure below.



Throughout this problem:

- The start state is B .
- States A and G are exit states from which only the X action is allowed.
- State Z is the terminal state. Transitioning from A to Z or G to Z results in a positive reward, and after that the episode ends.
- The allowed actions at states B, C, D, E , and F are L and R (for "Left" and "Right").
- Assume that discount factor $\gamma = 1$, except where otherwise stated.
- Assume all actions are deterministic (no noise) except where otherwise stated.

- (a) (3 points) What is the maximum total reward that can be obtained starting at state B (taking any number of turns)?

10

- (b) (7 points) If the discount rate $\gamma = 0.1$, what will be the maximum possible (weighted) total rewards from each of the states $s \in \{A, B, C, D, E, F, G\}$?

A	A	1	D	$\frac{1}{100}$	G	10
B	B	$\frac{1}{10}$	E	$\frac{1}{10}$		
	C	$\frac{1}{100}$	F	1		

- (c) (4 points) Assume $\gamma = 0.5$ and that the actions L and R are now noisy with 10% noise. For example, in state B , with action L , the probability of going to A is 0.9 and the probability of going to C is 0.1. Assuming the agent starts in state F and can take only two turns, what is the expected total discounted reward value, given that its first action is to (try to) move Right? Hint: compute the expectation of the values coming from move 2.

6 (16 points) Admissible Heuristics, Dominance (by Sam and Steve)

- (a) (12 points) Suppose a maze is represented by a graph with one node per room and an edge between nodes n_1 and n_2 provided that n_1 and n_2 are adjacent and there is no wall between them. Assume the rooms are square cells in a rectangular grid. Let's assume that the cost of each edge is 1. Consider the following heuristic evaluation functions for solving this maze using the A* method: Euclidean distance between n and the goal, Manhattan distance between n and the goal. We assume that the distance is taken from the center point of the room, and that the goal is also a specific room. For example, the Euclidean distance from $(4,7)$ to $(14, 2)$ is $\sqrt{125}$, and the Manhattan distance is 15.

- (i) (4 points) Is the Euclidean distance an admissible heuristic for this problem? Why or why not?

Yes, because Euclidean between two points is less ^{than} lower bound of actual distance.

- (ii) (4 points) Is the Manhattan distance an admissible heuristic for this problem? Why or why not?

Yes, because Manhattan distance is shortest path in actual situation.

- (iii) (4 points) Which is likely to prove more efficient in terms of the number of nodes opened by A* and why?

Manhattan distance, because Manhattan dominates Euclidean.

- (b) (4 points) We say that a heuristic h' dominates h (written $h \preceq h'$) when $h(v) \leq h'(v)$ for all $v \in V$. Consider an infinite sequence of admissible, dominating heuristics:

$$h_1 \preceq h_2 \preceq h_3 \preceq h_4 \preceq \dots$$

Is there any situation in which we'd prefer running A* with h_i instead of h_j for $i < j$? Provide an argument or counterexample.

Yes, when expanded nodes is not important factor and each node almost equal.
the

