Classification of Gas-Sensor Array Data using Machine Learning

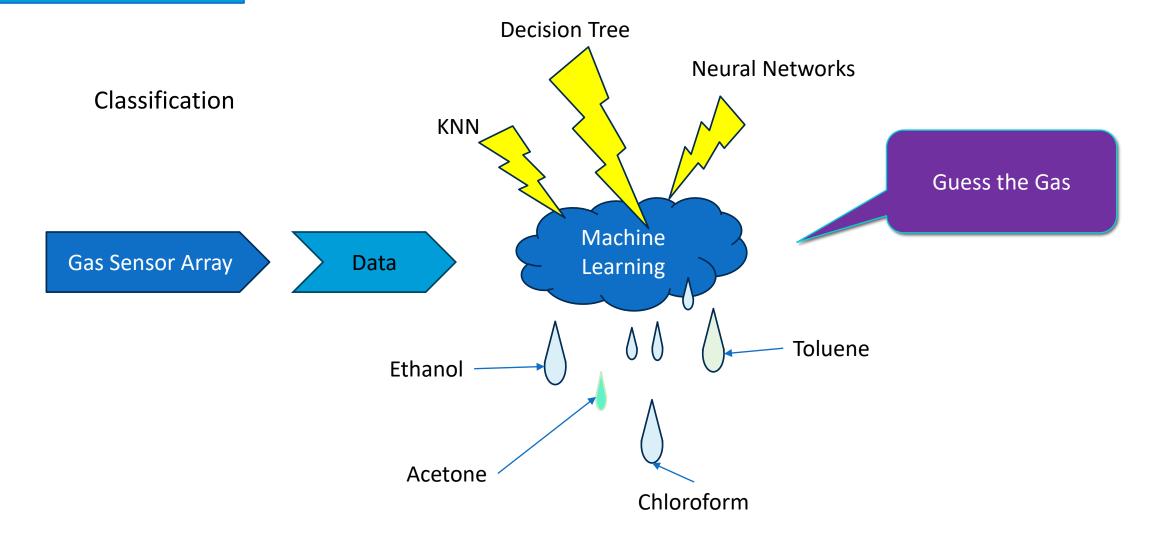
Major Project School of Mathematics

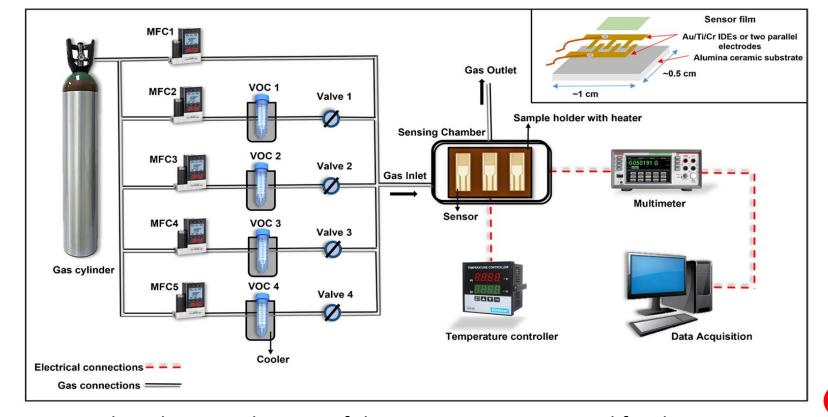
Project Supervisors
Dr. Dharmatti Sheetal
Dr. Vinayak B. Kamble



Prashant Sharma IMS19175

The Goal





Volatile Organic Compound(VOC)

| | Resistance | Sensor | Temp | Conc | Gas |
|------------|----------------|--------|-------|------|-----|
| 0 | 2032.37575 | 0 | 200.0 | 2400 | 2 |
| 1 | 2032.42944 | 0 | 200.0 | 2400 | 2 |
| 2 | 2032.60295 | 0 | 200.0 | 2400 | 2 |
| 3 | 2032.66493 | 0 | 200.0 | 2400 | 2 |
| 4 | 2032.65253 | 0 | 200.0 | 2400 | 2 |
| | | | | | |
| 2262999 | 100272.94300 | 2 | 350.0 | 1000 | 0 |
| 2263000 | 100295.06810 | 2 | 350.0 | 1000 | 0 |
| 2263001 | 100314.88840 | 2 | 350.0 | 1000 | 0 |
| 2263002 | 100335.92470 | 2 | 350.0 | 1000 | 0 |
| 2263003 | 100356.66760 | 2 | 350.0 | 1000 | 0 |
| 2263004 го | ws > 5 columns | | | | |

The schematic diagram of the gas sensing setup used for the experiment

S. Singh et al. "Metal oxide-based gas sensor array for VOCs determination in complex mixtures using machine learning". In: Microchimica Acta 191.4 (2024). Published online: March 13, 2024, pp. 1–10. doi: 10.1007/s00604 024-06258-8.

Resistance

 $(10^3 - 10^6 \Omega)$

Sensor

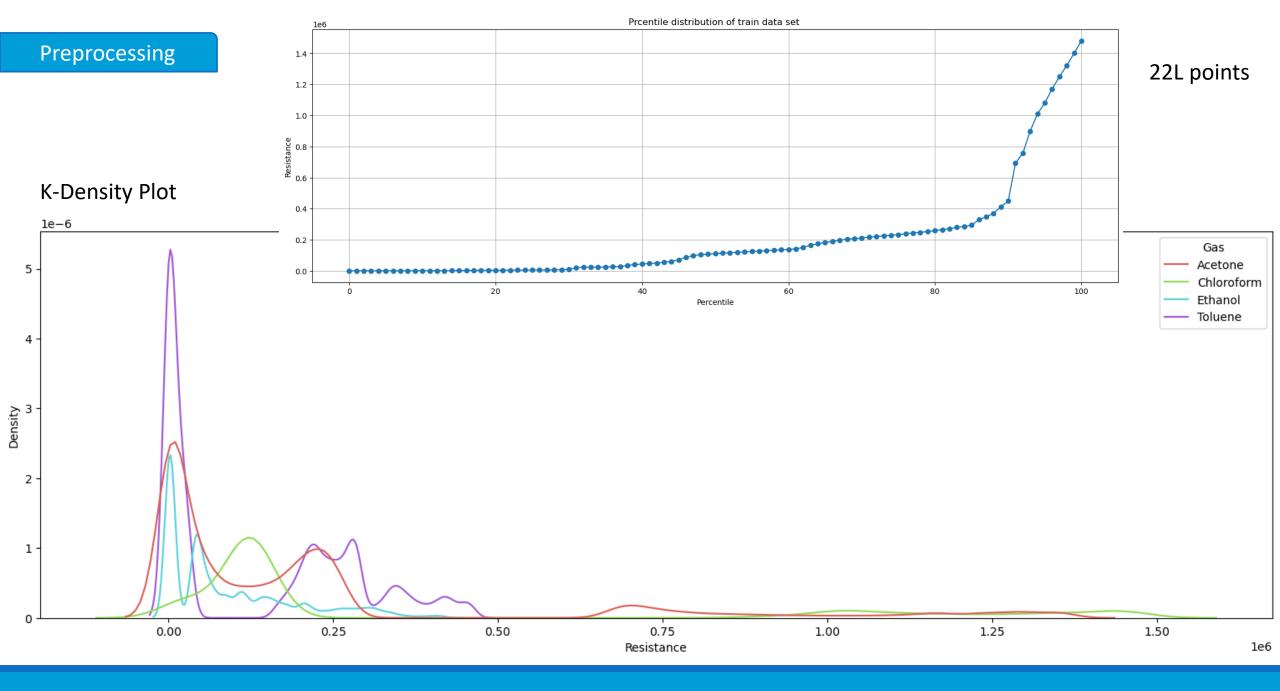
- NiO-Au(ohmic)
- 2. CuO-Au(Schottky)
- 3. ZnO-Au(Schottky)

Temperature

Concentration

Gas

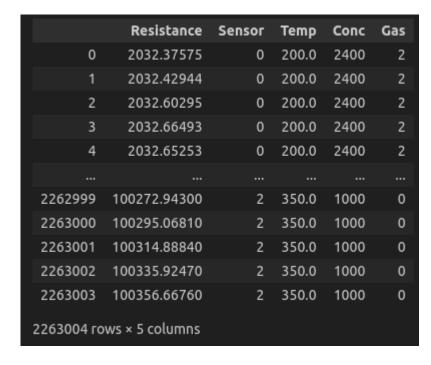
- 1. Ethanol
- 2. Acetone
- 3. Toluene
- 4. Chloroform



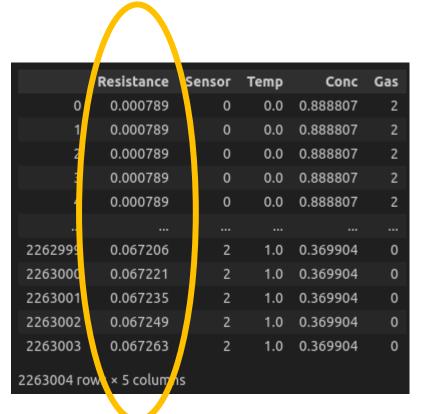
Preprocessing

Scaling (0-1)

Input features

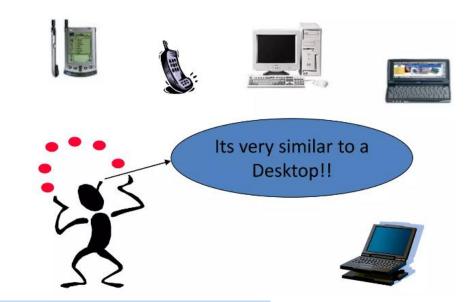






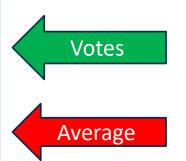
KNN(K Nearest Neighbor)

- non-parametric, lazy learning algorithm
- classification and regression tasks.
- it doesn't build a model explicitly. Instead, it stores all available cases and classifies new cases based on their similarity to existing cases.



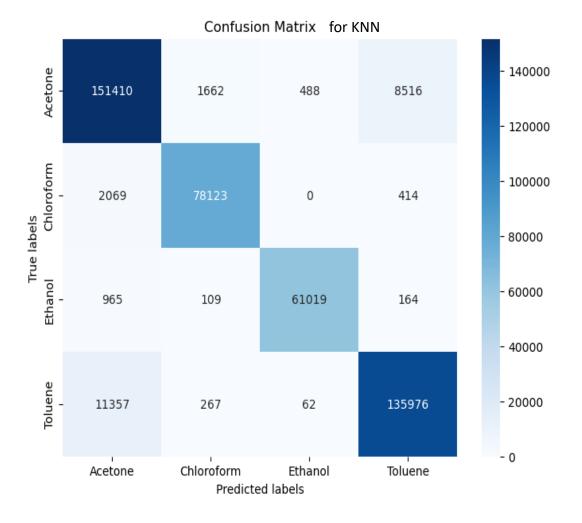
Given a dataset with labeled points,

- classifies new data points by finding the 'K' nearest neighbors in the training data.
- Classification the majority class among the K neighbors is assigned to the new data point.
- Regression the output value for the new point is calculated as the average of the values of its K nearest neighbors.



KNN

| K | 5 |
|-------------------|----------|
| Train Data Points | 18 lac |
| Test Data points | 4 lac |
| Accuracy | 0.942523 |
| Training Time | 18s |
| Test time | 21s |



Decision Tree

Gini impurity, measures the impurity of a set of labels.

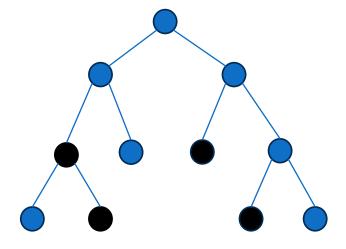
For a set **S** with **N** data points and **K** classes, the Gini impurity **G(S)** is calculated as:

$$G(S) = 1 - \sum_{i=1}^{K} P_i^2$$

where P_i is the probability of class **K** in set **S**.



Find the split that minimizes the impurity of the resulting subsets.



Decision tree

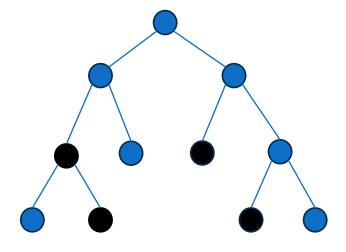
Decision Tree

Suppose, we have a dataset with two features X_1 and X_2 and four classes [0, 1, 2, 3]

At each node, the algorithm selects the best feature and threshold to split the data based on the Gini impurity.

For example, at the root node, it might choose X_1 with a threshold of 0.5 to split the data into two subsets.

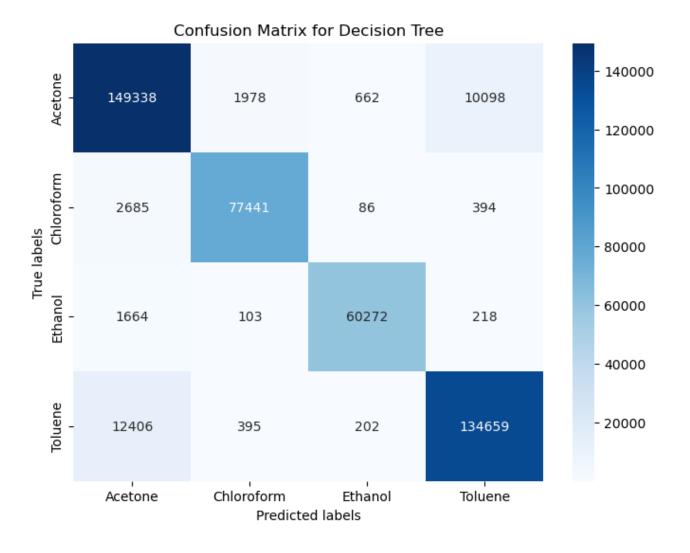
continues recursively until leaf nodes are reached, forming a tree structure.



Decision tree

Decision Tree

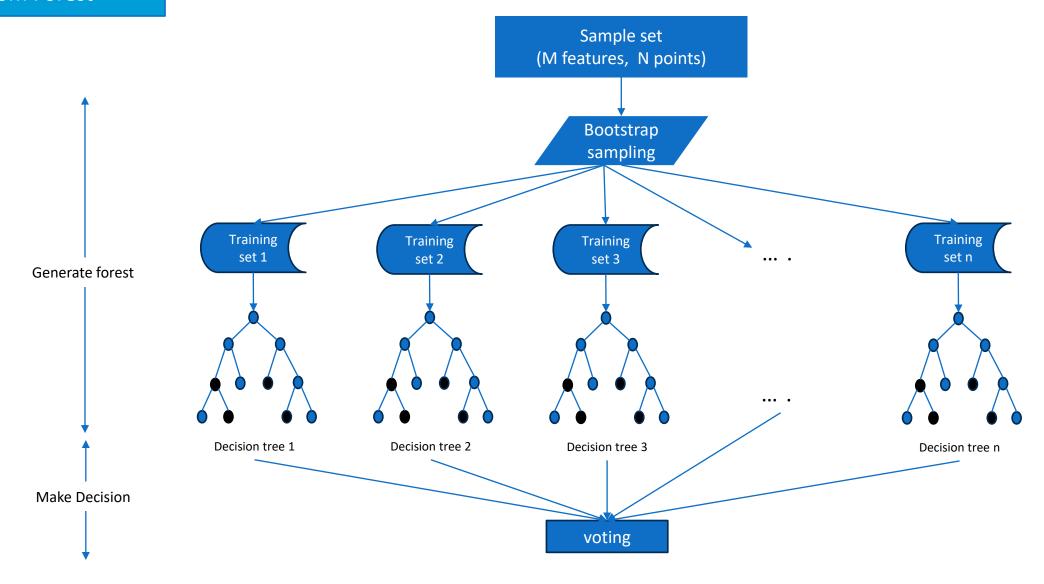
| Train Data Points | 18 lac |
|-------------------|--------|
| Test Data points | 4 lac |
| Accuracy | 0.9317 |
| Training Time | 3s |
| Test time | ~0s |



Random Forest

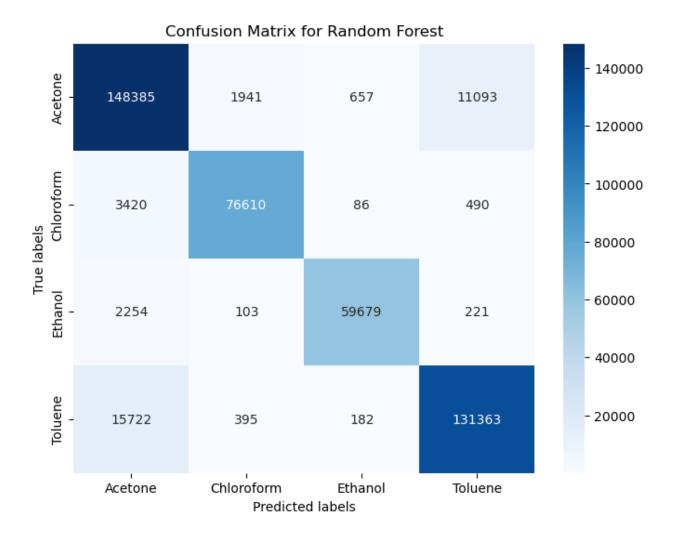
- Random forest is an ensemble classifier which uses many decision trees.
- It builds multiple decision trees and merges them together to get more accurate and stable prediction.
- It can be used for both classification and regression problems

Random Forest



Random Forest

| Train Data Points | 18 lac | |
|-------------------|--------|--|
| Test Data points | 4 lac | |
| Accuracy | 0.9192 | |
| Training Time | 2m10s | |
| Test time | 5s | |



Biological Model

- **Neuron**: an excitable cell
- **Synapse**: connection between neurons
- electrochemical pulse
- collection of neurons along some pathway

through the brain

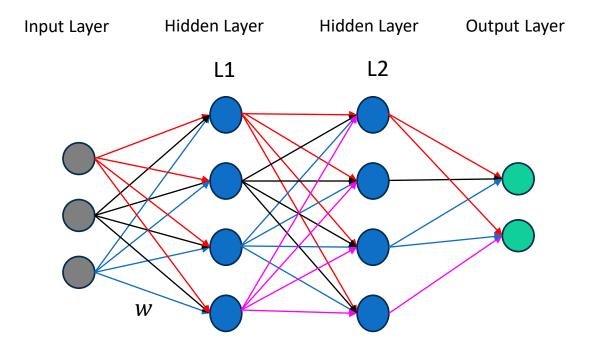
Artificial Model

- Neuron: node
- Weight: multiplier on each edge
- Activation Function
- collection of neurons define some

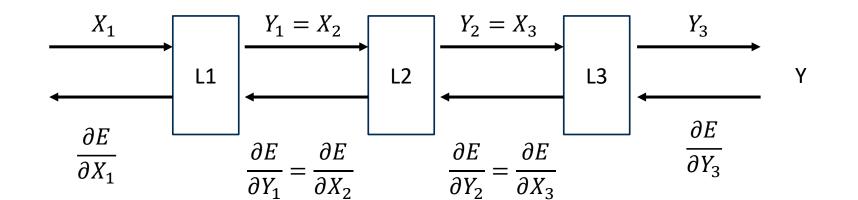
differentiable function

Architecture

Neural Networks



$$Y = network(X,W)$$



Y* -desired outputY -actual output

Calculate the Error (MSE),

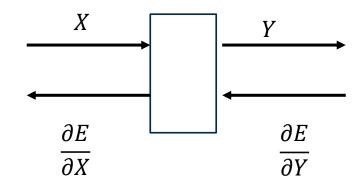
$$E = \frac{1}{2}(Y^* - Y)^2$$

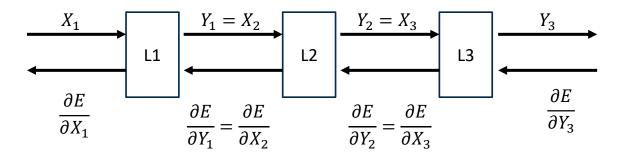
Adjust the parameters using gradient descent

$$W \rightarrow W - \alpha \frac{\partial E}{\partial W}$$

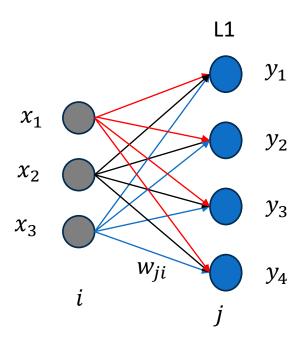
$$\frac{\partial E}{\partial W} = \frac{\partial E}{\partial Y} \frac{\partial Y}{\partial W}$$

$$\frac{\partial E}{\partial X} = \frac{\partial E}{\partial Y} \frac{\partial Y}{\partial X}$$









$$y_1 = w_{11}x_1 + w_{12}x_2 + w_{13}x_3 + b_1$$

$$y_2 = w_{21}x_1 + w_{22}x_2 + w_{23}x_3 + b_2$$

$$y_3 = w_{31}x_1 + w_{32}x_2 + w_{33}x_3 + b_3$$

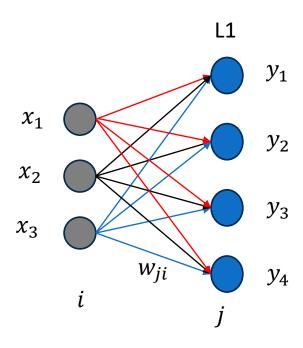
$$y_4 = w_{41}x_1 + w_{42}x_2 + w_{43}x_3 + b_4$$

 w_{ji} are the weights

Neural Networks

Input Layer

Hidden Layer



$$y_1 = w_{11}x_1 + w_{12}x_2 + w_{13}x_3 + b_1$$

$$y_2 = w_{21}x_1 + w_{22}x_2 + w_{23}x_3 + b_2$$

$$y_3 = w_{31}x_1 + w_{32}x_2 + w_{33}x_3 + b_3$$

$$y_4 = w_{41}x_1 + w_{42}x_2 + w_{43}x_3 + b_4$$

$$\begin{bmatrix} y_1 \\ y_2 \\ y_3 \\ y_4 \end{bmatrix} = \begin{bmatrix} w_{11} & w_{12} & w_{13} & w_{14} \\ w_{21} & w_{22} & w_{23} & w_{24} \\ w_{31} & w_{32} & w_{33} & w_{34} \\ w_{41} & w_{42} & w_{43} & w_{44} \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \\ x_3 \\ x_4 \end{bmatrix} + \begin{bmatrix} b_1 \\ b_2 \\ b_3 \\ b_4 \end{bmatrix}$$

 w_{ji} are the weights

Architecture

Neural Networks

$$\begin{bmatrix} y_1 \\ y_2 \\ y_3 \\ y_4 \end{bmatrix} = \begin{bmatrix} w_{11} & w_{12} & w_{13} & w_{14} \\ w_{21} & w_{22} & w_{23} & w_{24} \\ w_{31} & w_{32} & w_{33} & w_{34} \\ w_{41} & w_{42} & w_{43} & w_{44} \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \\ x_3 \\ x_4 \end{bmatrix} + \begin{bmatrix} b_1 \\ b_2 \\ b_3 \\ b_4 \end{bmatrix}$$

$$y_3 = w_{21}x_1 + w_{22}x_2 + w_{23}x_3 + b_2$$

$$y_4 = w_{41}x_1 + w_{42}x_2 + w_{43}x_3 + b_4$$

$$\begin{bmatrix} y_1 \\ y_2 \\ \vdots \\ y_j \end{bmatrix} = \begin{bmatrix} w_{11} & w_{12} & \dots & w_{1i} \\ w_{21} & \vdots & \ddots & \vdots \\ \vdots & \vdots & \ddots & \vdots \\ w_{j1} & \vdots & \dots & w_{ji} \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \\ \vdots \\ x_i \end{bmatrix} + \begin{bmatrix} b_1 \\ b_2 \\ \vdots \\ b_j \end{bmatrix}$$

$$Y = W \cdot X + B$$

$$\frac{\partial E}{\partial Y} = \begin{bmatrix} \frac{\partial E}{\partial y_1} \\ \frac{\partial E}{\partial y_1} \\ \vdots \\ \frac{\partial E}{\partial y_j} \end{bmatrix} \quad \text{and} \quad \frac{\partial E}{\partial W} = \begin{bmatrix} \frac{\partial E}{\partial w_{11}} & \frac{\partial E}{\partial w_{12}} & \dots & \frac{\partial E}{\partial w_{1i}} \\ \frac{\partial E}{\partial w_{21}} & \ddots & \ddots & \vdots \\ \frac{\partial E}{\partial w_{j1}} & \ddots & \dots & \frac{\partial E}{\partial w_{ji}} \end{bmatrix}$$

$$y_1 = w_{11}x_1 + w_{12}x_2 + w_{13}x_3 + b_1$$

$$y_2 = w_{21}x_1 + w_{22}x_2 + w_{23}x_3 + b_2$$

$$y_3 = w_{31}x_1 + w_{32}x_2 + w_{33}x_3 + b_3$$

$$y_4 = w_{41}x_1 + w_{42}x_2 + w_{43}x_3 + b_4$$

$$y_{j} = w_{j1}x_{1} + w_{j2}x_{2} + \dots + w_{ji}x_{i} + b_{j} \implies \frac{\partial y_{j}}{\partial w_{ji}} = x_{i}$$

$$\implies \frac{\partial E}{\partial w_{ii}} = \frac{\partial E}{\partial y_{i}}x_{i}$$

$$\frac{\partial E}{\partial W} = \begin{bmatrix} \frac{\partial E}{\partial y_1} x_1 & \frac{\partial E}{\partial y_1} x_2 & \dots & \frac{\partial E}{\partial y_1} x_i \\ \frac{\partial E}{\partial y_2} x_1 & \ddots & \ddots & \vdots \\ \vdots & & \ddots & \vdots \\ \frac{\partial E}{\partial y_j} & \ddots & \dots & \frac{\partial E}{\partial y_j} x_i \end{bmatrix}$$

$$\frac{\partial E}{\partial W} = \begin{bmatrix} \frac{\partial E}{\partial y_1} x_1 & \frac{\partial E}{\partial y_1} x_2 & \dots & \frac{\partial E}{\partial y_1} x_i \\ \frac{\partial E}{\partial y_2} x_1 & \ddots & \ddots \\ \vdots & & \ddots & \vdots \\ \frac{\partial E}{\partial y_j} & \ddots & \dots & \frac{\partial E}{\partial y_j} x_i \end{bmatrix}$$

$$\frac{\partial E}{\partial B} = \begin{bmatrix} \frac{\partial E}{\partial b_1} \\ \frac{\partial E}{\partial b_1} \\ \vdots \\ \frac{\partial E}{\partial b_j} \end{bmatrix}$$

$$y_{j} = w_{j1} x_{1} + w_{j2} x_{2} + \dots + w_{ji} x_{i} + b_{j}$$

$$\implies \frac{\partial y_{j}}{\partial b_{j}} = 1$$

$$\implies \frac{\partial E}{\partial b_{j}} = \frac{\partial E}{\partial b_{j}}$$

$$y_j = w_{j1} x_1 + w_{j2} x_2 + ... + w_{ji} x_i + b_j$$

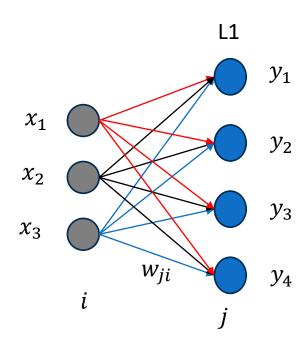
$$\frac{\partial E}{\partial x_i} = \frac{\partial E}{\partial y_j} \frac{\partial y_j}{\partial x_i} \qquad \left(\frac{\partial y_j}{\partial x_i} = w_{ji}\right)$$

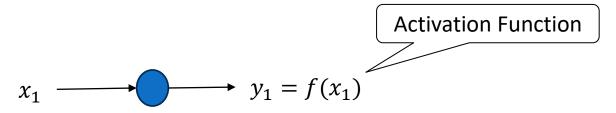
$$\implies \frac{\partial E}{\partial x_i} = \frac{\partial E}{\partial y_j} w_{ji}$$

$$\frac{\partial E}{\partial X} = \begin{bmatrix} \frac{\partial E}{\partial x_1} \\ \frac{\partial E}{\partial x_2} \\ \vdots \\ \frac{\partial E}{\partial x_j} \end{bmatrix} = \begin{bmatrix} \frac{\partial E}{\partial y_1} w_{11} & + \frac{\partial E}{\partial y_1} w_{21} & + \dots & + \frac{\partial E}{\partial y_1} w_{j1} \\ \frac{\partial E}{\partial y_2} w_{12} & + \dots & \vdots \\ \vdots \\ \frac{\partial E}{\partial y_j} w_{1j} & + \dots & + \frac{\partial E}{\partial y_j} w_{ji} \end{bmatrix}$$

$$\frac{\partial E}{\partial X} = \begin{bmatrix} w_{11} & w_{21} & \dots & w_{j1} \\ w_{12} & \cdot & \cdot & \cdot \\ \vdots & & \ddots & \vdots \\ w_{1j} & \cdot & \dots & w_{ji} \end{bmatrix} \begin{bmatrix} \frac{\partial E}{\partial y_1} \\ \frac{\partial E}{\partial y_1} \\ \vdots \\ \frac{\partial E}{\partial y_j} \end{bmatrix}$$

$$\frac{\partial E}{\partial X} = W^T \cdot \frac{\partial E}{\partial Y}$$





$$\frac{\partial E}{\partial X} = \begin{bmatrix} \frac{\partial E}{\partial x_1} \\ \frac{\partial E}{\partial x_2} \\ \vdots \\ \frac{\partial E}{\partial x_j} \end{bmatrix} \quad \text{and} \quad \frac{\partial E}{\partial x_i} = \frac{\partial E}{\partial y_j} \frac{\partial y_j}{\partial x_i} \\ \frac{\partial E}{\partial x_i} = \frac{\partial E}{\partial y_j} f'(x_i) \\ \frac{\partial E}{\partial X} = \frac{\partial E}{\partial Y} \odot f'(X)$$

Calculate the Error (MSE),

$$Y^* = \begin{bmatrix} y_1^* \\ y_2^* \\ \vdots \\ y_j^* \end{bmatrix}$$

$$Y^* = \begin{bmatrix} y_1^* \\ y_2^* \\ \vdots \\ y_j^* \end{bmatrix} \qquad Y = \begin{bmatrix} y_1 \\ y_2 \\ \vdots \\ y_j \end{bmatrix}$$

$$\frac{\partial E}{\partial Y} = \begin{bmatrix} \frac{\partial E}{\partial y_1} \\ \frac{\partial E}{\partial y_1} \\ \vdots \\ \frac{\partial E}{\partial y_j} \end{bmatrix}$$

$$E = \frac{1}{n} \sum_{j=1}^{n} (y_j^* - y_j)^2$$

$$\frac{\partial E}{\partial y_j} = \frac{2}{n} (y_j^* - y_j)$$

$$\frac{\partial E}{\partial Y} = \frac{2}{n} \left(Y^* - Y \right)$$

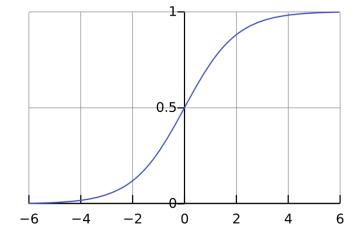
$$\frac{\partial E}{\partial Y} = \frac{2}{n} (Y^* - f(X))$$

$$\frac{\partial E}{\partial X} = \frac{\partial E}{\partial Y} \odot f'(X)$$

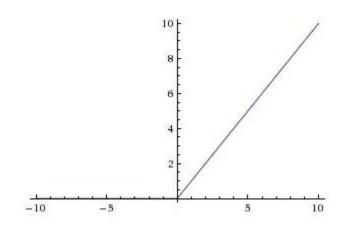
$$\frac{\partial E}{\partial X} = \left(\frac{2}{n}(Y^* - f(X))\right) \odot f'(X)$$

$$\frac{\partial E}{\partial W} = \left(\frac{2}{n} \left(Y^* - f(X)\right)\right) \cdot X^T$$

Sigmoid



$$S(x) = \frac{1}{1 + e^{-x}}$$



$$f(x) = \max(0, x)$$

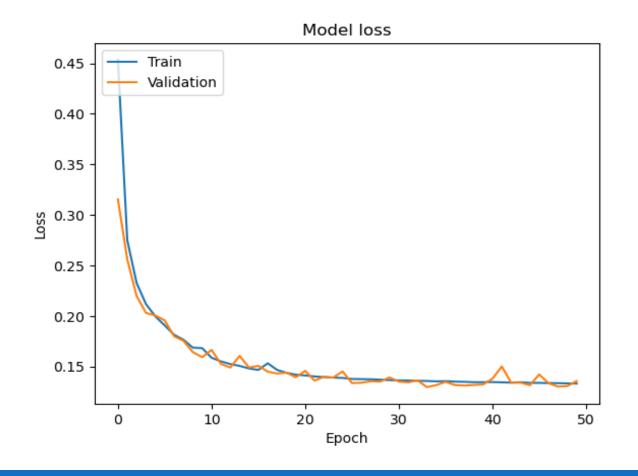
- The **batch size** is a number of samples processed before the model is updated.
- The number of **epochs** is the number of complete passes through the training dataset.

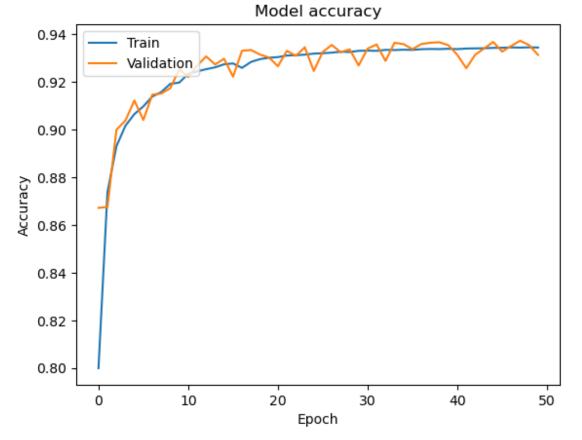
Neural Networks

| loss | 0.1341156 |
|----------|------------|
| Accuracy | 0.93225824 |
| Time | 23m4s |

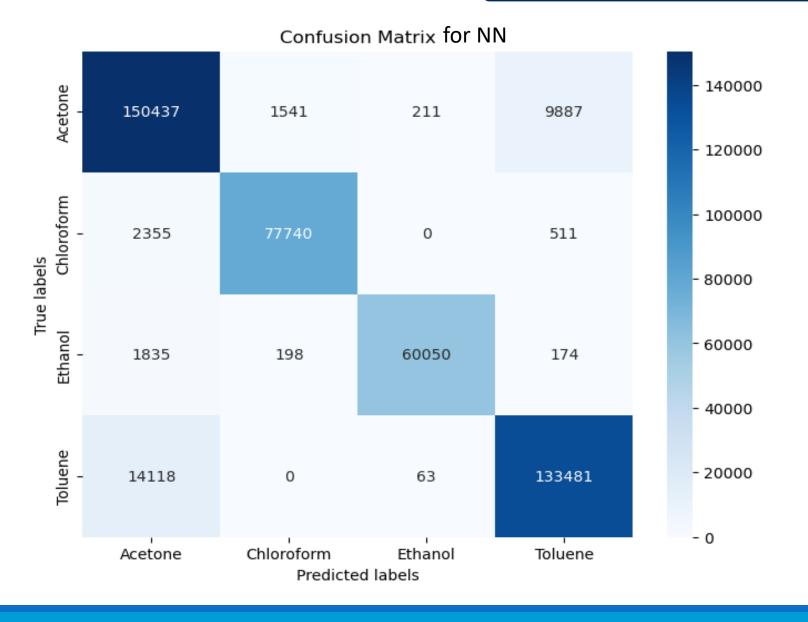
| epoch | 50 |
|------------------|-----|
| Batch size | 32 |
| Validation split | 0.1 |

Model Training

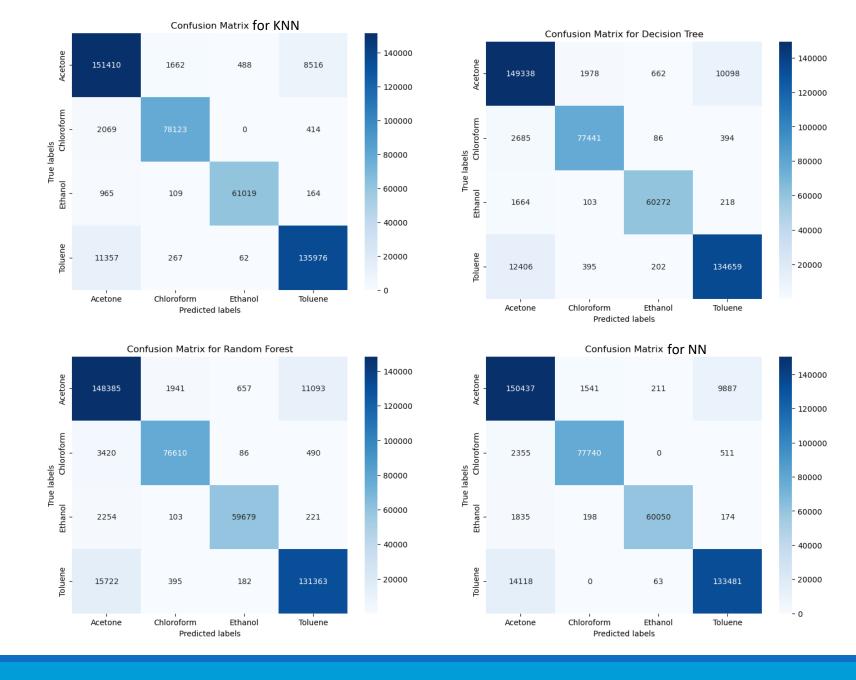


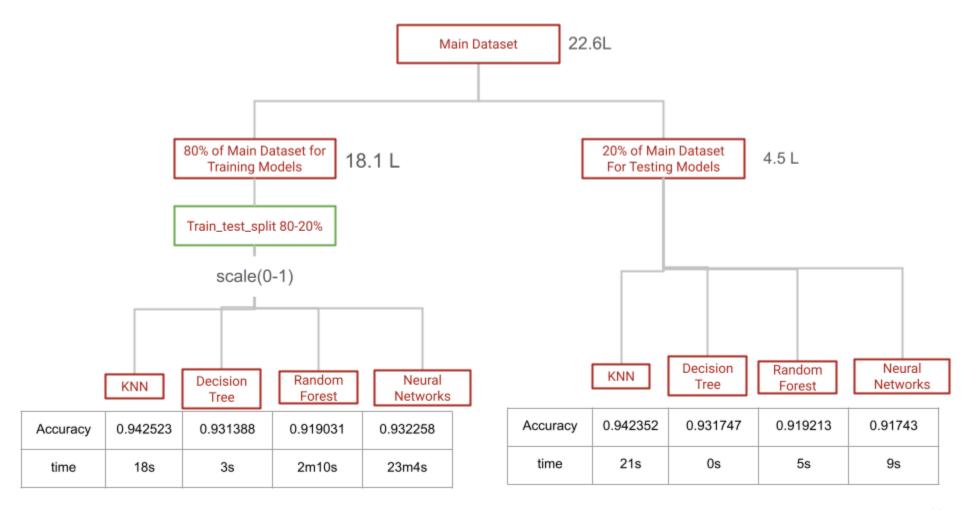


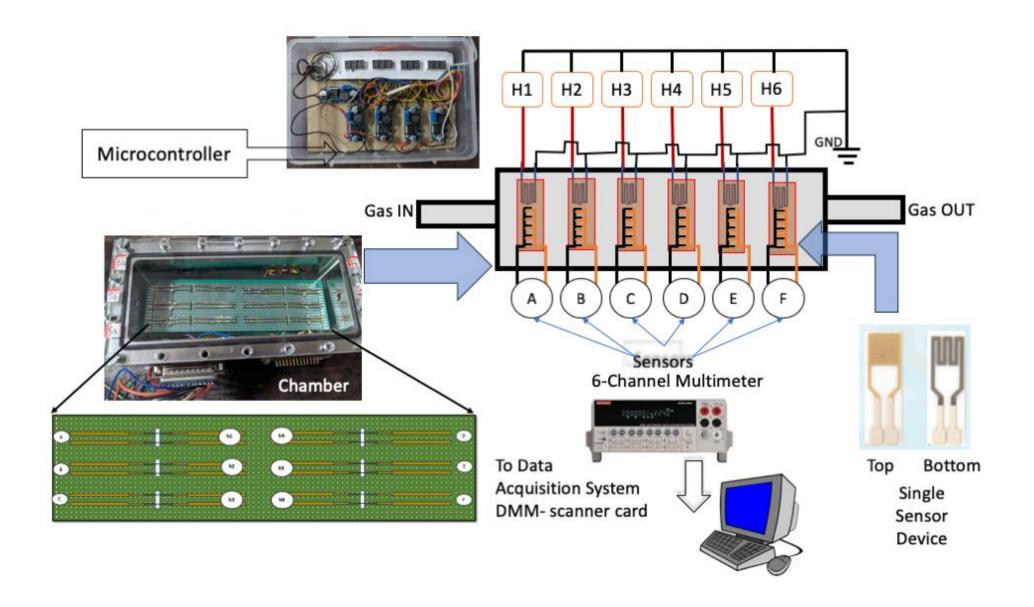
| Train Data Points | 18 lac | |
|-------------------|---------|--|
| Test Data points | 4 lac | |
| Accuracy | 0.91743 | |
| Training Time | 23m | |
| Test time | 9s | |



Results







Conclusion

- PCA ~ Skew Results
- KNN, Decision tree, Random forest and NN.



accuracy of above 90%.



New Six Sensor Setup.

