

DAY-39

Design a stack that supports  $\text{get\_min}()$  in  $O(1)$  time and  $O(1)$  extra space.

Approach:-

Define a variable  $\text{minEle}$  that stores current minimum element in the stack. Now, the interaction part is, how to handle the case when minimum element is removed.

To handle this, we push " $2 \times \text{minEle}$ " into the stack instead of  $x$  so that previous minimum element can be retrieved using current  $\text{minEle}$  and its value stored in stack.

push(x):-

Inserts  $n$  at the top of the stack

→ if stack is empty, insert  $x$  into the stack and make  $\text{minEle}$  equal to  $n$ .

→ if stack is not empty, compare  $n$  with  $\text{minEle}$ . Two cases arise:

i) if  $n$  is greater than or equal to  $\text{minEle}$ , simply insert  $n$ .

ii) if  $n$  is less than  $\text{minEle}$ , insert  $(2 * n - \text{minEle})$  into the stack and make  $\text{minEle}$  equal to  $n$ .



pop() :- removes an element from top of the stack. ( $y$ )

→ if  $y$  is greater than or equal to  $\text{minEle}$ , the minimum element in the stack is still  $\text{minEle}$ .

→ if  $y$  is less than  $\text{minEle}$ , the minimum now becomes  $(2 * \text{minEle} - y)$ , so update  $(\text{minEle} = 2 * \text{minEle} - y)$ .

[ This is where we retrieve previous minimum from current minimum and its value in stack.

Points :-

→ stack doesn't hold actual value of an element if it's minimum so far.

→ Actual minimum