

**bnorml**

Computes  $\mathbf{B}_P \cdot \mathbf{e}_\theta \times \mathbf{e}_\zeta$  on computational boundary,  $\partial\mathcal{D}$ .

[called by: [xspech](#).] [calls: [coords](#) and [casing](#).]

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<b>1.1 free-boundary constraint</b>		
1.	The normal field at the computational boundary, $\partial\mathcal{D}$ , should be equal to $(\mathbf{B}_P + \mathbf{B}_C) \cdot \mathbf{e}_\theta \times \mathbf{e}_\zeta$ , where $\mathbf{B}_P$ is the “plasma” field (produced by internal plasma currents) and is computed using virtual casing, and $\mathbf{B}_C$ is the “vacuum” field (produced by the external coils) and is given on input.	
2.	The plasma field, $\mathbf{B}_P$ , can only be computed after the equilibrium is determined, but this information is required to compute the equilibrium to begin with; and so there is an iteration involved.	
3.	Suggested values of the vacuum field can be self generated; see <a href="#">xspech</a> for more documentation on this.	
<b>1.2 compute the normal field on a regular grid on the computational boundary</b>		
1.	For each point on the computational boundary, <a href="#">casing</a> is called to compute the normal field produced by the plasma currents.	
2.	(There is a very clumsy attempt to parallelize this which could be greatly improved.)	
3.	An FFT gives the required Fourier harmonics.	