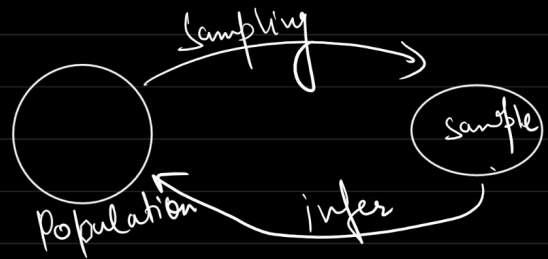


p-value

- The p-value is the probability value, calculated from a statistical test. (Corresponding to Z score of a sample)
- p-value in hypothesis testing is used to decide whether to reject a null hypothesis or not.

* You don't know anything about population, you made a claim/hypothesis → Age: 45 years.



* Claim/hypothesis: Age of Employee is 45 years (pop)

→ You took a sample.

→ Calculated average age of that sample → 50 years.

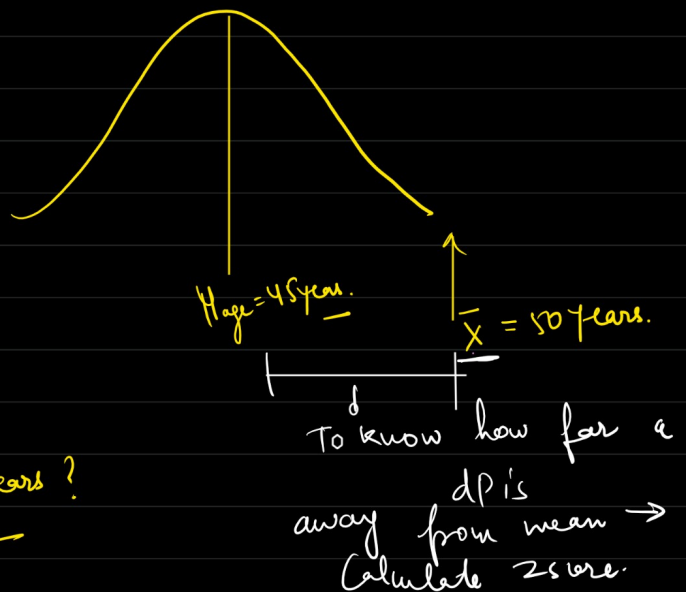
Comments:-

→ Can I say 50 years is far from 45 years, that's why you reject the claim?
→ yes

Why 50?

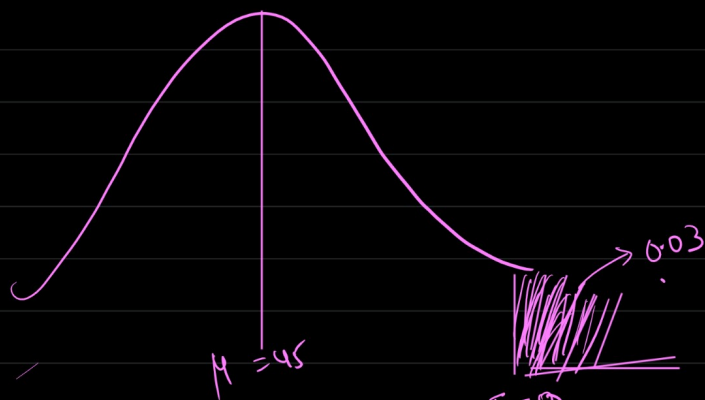
Why not this conclusion can be made at

48 years | 46 years | 47 years?



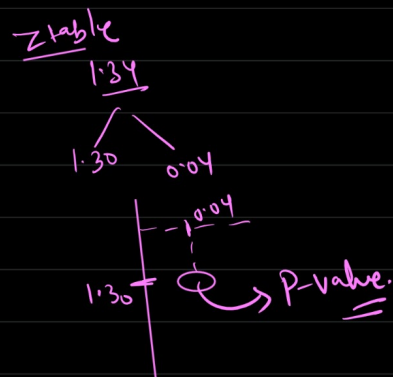
$$Z_{\text{score}} = \frac{\bar{x} - \mu}{\sigma / \sqrt{n}}$$

Corresponding to Z score, you will be having probability value.



$\bar{X} = 50$
 \downarrow
 p-value \rightarrow Z table

Prob of falling
 a point in
 that region \leftarrow



How far?

\rightarrow clinical trial of a medicine

\hookrightarrow 1000 person

\hookrightarrow 950 \rightarrow got cured with this medicine

\hookrightarrow medicine is working 95%.

\rightarrow out of 100 times, 95% will work [95% confident]

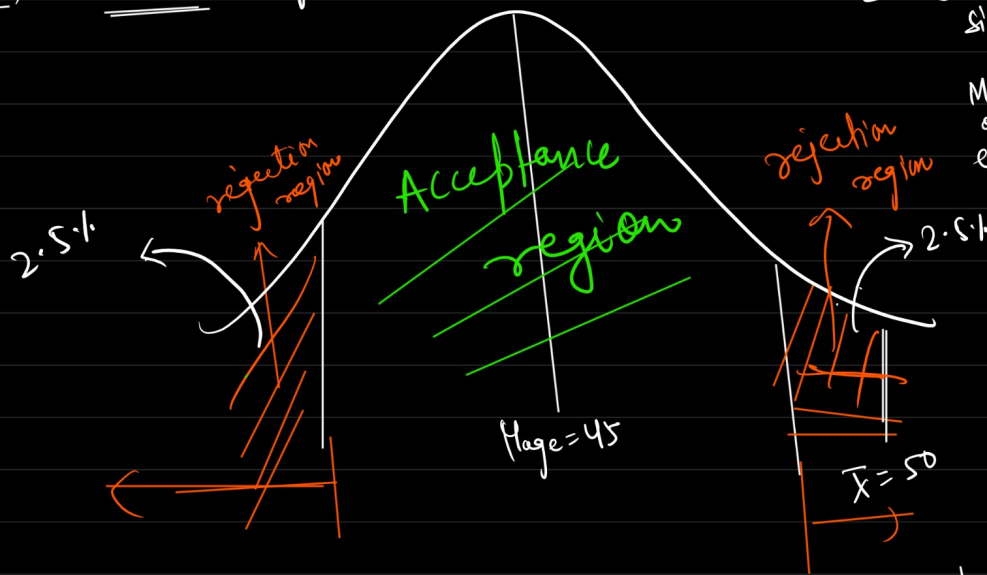
\rightarrow 5% of the time medicine doesn't work [5% margin of error]

* Conduct experiment with 5% level of significance

\Downarrow
 I am ready to accept 5% error in experiment.

\Downarrow
 level of significance

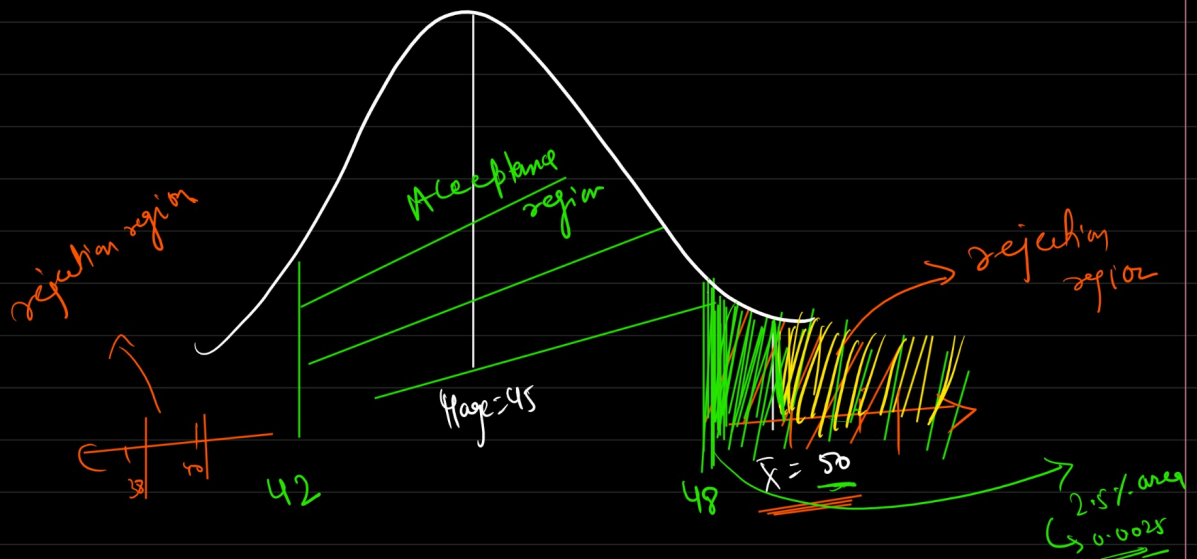
5% (α) \rightarrow Total error of experiment.



5% (level of significance) = Confidence Interval
 or Margin of error $\Rightarrow 1 - 0.05$
 $\Rightarrow 0.95$

\Downarrow
 It means in 95% of the distribution, you will be confident that your claim is correct.

\rightarrow 95% Confidence should be around the population mean.



$$Z_{score} = \frac{\bar{x} - \mu}{\sigma / \sqrt{n}} = p \text{ value}$$

* if $p \text{ value} < \text{Significance value } (\alpha)$
 \Downarrow
 Corresponding to statistics reject the H_0

else fail to reject H_0

Corresponding to Z Score