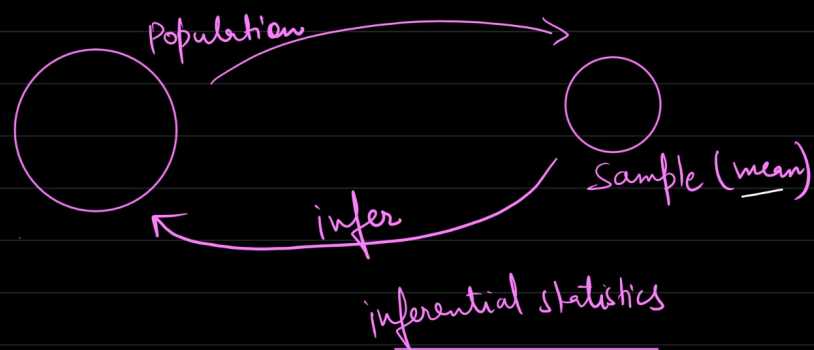


# Hypothesis testing and mechanism

\* You can guess  
that avg age of population  
of India is 45 years



\* Hypothesis | testing

\* Hypothesis → It is a claim or statement or an assumption about a population parameter that can be tested using statistical methods.

eg. Average salary of IT employee is 50k

eg. Consumption of Ice-cream is more in Summer.

eg. The person is not guilty if accused of any crime.

① Null hypothesis → The initial or default assumption.

→ Ex. Person is not guilty.

② Alternate hypothesis → Opposite of Null hypothesis

Ex. Person is guilty.

## \* Hypothesis testing

- You made a claim about the population (say average age is 45 years) (Hypothesis)
- Due to time & resource constraints, you can not go to each person of population to record age.
- Take sample, calculate avg age of sample & check if the sample avg age is close to the claim that you have made about population. ⇒ Trying to verify the hypothesis

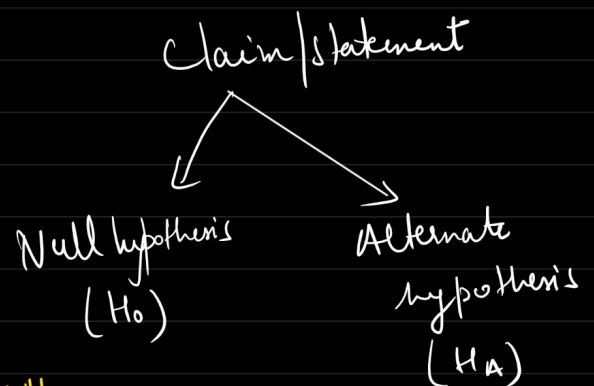
⇓  
hypothesis testing.

## \* Mechanism (Hypothesis testing)

Step 1 Frame the hypothesis.

Ex 1 Claim: Avg age of people in PW skills is 45 years.

$H_0: \underline{\text{Age} = 45}$      $H_A: \underline{\text{Age} \neq 45}$



⇓  
→  $H_0$  will have equality sign.

Ex 2 Avg age of Employee in ABC organisation is at least 45 years.



$H_0: \text{Age} > 45$

$H_A: \text{Age} < 45$

Ex 3. Avg age of employees is greater than 45 years.

$\mu_{age} > 45$        $\mu_{age} \leq 45$

$H_0$ : will have  
equality  
symbol.

$H_0: \mu_{age} \leq 45$

$H_A: \mu_{age} > 45$ .

eg Avg age is greater than equals to 45 years

$H_0: \mu_{age} \geq 45$        $H_A: \mu_{age} < 45$

step 2 Statistical analysis (p-value, significance level)

step 3 Conclusion to reject  $H_0$  or fail to reject  $H_0$ .