

COMPUTER SCIENCE AND DA

Data Structures through Python

Queues and Hash Tables



Lecture No. 1

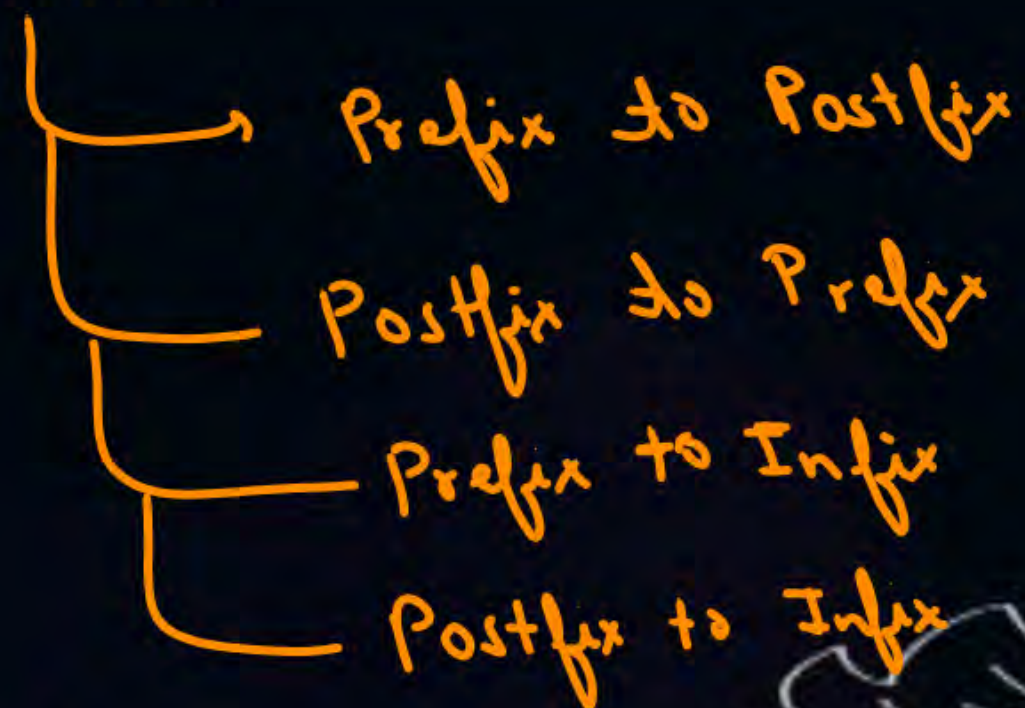


By- Kashif Sir



RECAP

Expression Conversion



Expression Evaluation





TOPICS TO BE COVERED

→ Problem Solving

→ Queue

→ Operations

→ Type of Queues





PROBLEM SOLVING

2) The following postfix expression with single digit operands is evaluated using a stack:

$8\ 2\ 3\ ^\wedge\ / \ 2\ 3\ * \ + \ 5\ 1\ ^\wedge$

Note that $^\wedge$ is the exponent operator. The top two elements of the stack after the first $^\wedge$ is evaluated are:

☒ A) 6, 1

B) 5, 7

C) 3, 2

D) 1, 5

8	2	3	8	1	2	6	6
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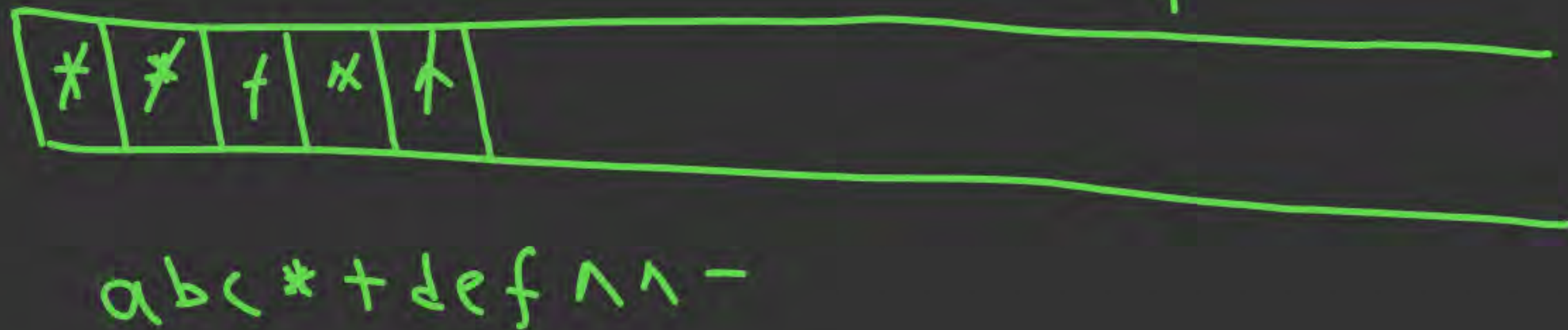
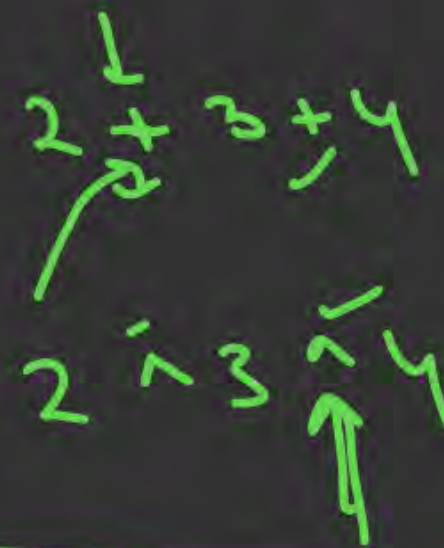
$2^3 = 8$

$8/8\ 2*3=6$



2) Assume that the operators $+$, $-$, $*$ are left associative and \wedge is right associative. The order of precedence (from highest to lowest) is \wedge , $*$, $+$, $-$. The postfix expression corresponding to the infix expression $a + b * c - d \wedge e \wedge f$ is

- A) $abc * + def \wedge \wedge -$
- B) $abc * + de \wedge f \wedge -$
- C) $ab + c * d - e \wedge f \wedge$
- D) $- + a * bc \wedge \wedge def$



2) The result evaluating the postfix expression
 $10\ 5\ +\ 60\ 6\ /\ * 8\ -$ is 142

A) 284

B) 213

☒ C) 142

D) 71

10	8	15	60	6	10	150	8	
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$$10 + 5 = 15 \quad 60 / 6 = 10 \quad 15 * 10 = 150 \quad 150 - 8 = \underline{142}$$

Ques) Consider an infix expression and precedence, associativity as given below

X: $a * b - c + d \wedge e + f * g / h - i \wedge j$, The postfix

Expression is

Operator

Priority

Associativity
Right to Left

Left to Right

Right to Left

Right to Left

Left to Right

*	/	*	/	*	*	+	+	-
---	---	---	---	---	---	---	---	---

$ab * c d e \wedge f + + g h / - i j \wedge -$

Ques) Consider precedence and associativity as given below.
convert given Infix expression to postfix expression

Priority (High to low)

*

, +

^, -

Associativity

R to L

L to R

R to L

X : $3 + 4 \wedge 5 * 6 \wedge 2 / 4 - (3 \wedge 1) + 7 * 2$

pop

*	*	*	*	/	+	*	*	+	*
---	---	---	---	---	---	---	---	---	---

3 4 + 5 6 * 2 4 / 3 1 ^ 7 2 * + - ^ ^



QUEUE

It is a linear data structure in which insertion and deletion may be performed at different end or same end.

If insertion and deletion is from different end, then it means it follows First In First Out (FIFO)



Types of Queues

- Simple Queue
- Circular Queue
- Double Ended Queue
- Priority Queue

Rear
Insertion
FIFO
Front-Deletion

Insertion & Deletion can be from same end or different end.

It works on the basis of priority not only on arrival time.

In Queue Data Structure Enqueue means inserting the element from the rear end into the queue.
Dequeue means deleting the element from the front of the queue.

Simple Queue

Let's say we have a Queue with maxsize = 5



Enqueue(value, Q) : Insert value into Q from the rear end and return nothing
Dequeue(Q) : Delete the value at the front end of the queue & return the deleted value.

```
a = Dequeue(Q)
print(a)
```

```
a = Enqueue(value, Q)
print(a)
None
```




rear = None
front = None

Enqueue(10, Q) \Rightarrow rear = 0, front = 0
Q[0] = 10

Enqueue(20, Q) \Rightarrow rear = rear + 1 = 1,
front = 0
Q[1] = 20

Enqueue(30, Q) \Rightarrow rear = rear + 1 = 2
front = 0
Q[2] = 30

Enqueue(40, Q) \Rightarrow rear = rear + 1 = 3
front = 0
Q[3] = 40

Dequeue(Q) \Rightarrow Delete Q[0]
Delete 10

front = front + 1 = 1
rear = 3

Enqueue(50, Q) \Rightarrow rear = rear + 1 = 4
Q[4] = 50
front = 1

Dequeue(Q) \Rightarrow Delete 20
front = front + 1 = 2

Enqueue(60, Q) \Rightarrow Overflow

Dequeue(Q) \Rightarrow front = 3

Dequeue(Q) \Rightarrow rear = 4
front = 4

Dequeue(Q) = front = None, rear = None if (front = rear)

Ques) Consider an empty stack 'S' and an empty simple queue 'Q'. Perform below operations in the same order.

- ① Push(10, S)
- ② Enqueue(20, Q)
- ③ Push(30, S)
- ④ Enqueue(Peek(S), Q)
- ⑤ Push(Dequeue(Q), S)
- ⑥ Enqueue(40, Q)
- ⑦ $a = \text{Dequeue}(Q)$
 $a = 30$

30
20
30
10

S

$$\textcircled{8} \quad b = \text{Pop}(S) \quad b = 20$$

$$\textcircled{9} \quad \text{Push}(a, S)$$

$$\textcircled{10} \quad \text{Enqueue}(b, Q)$$

$$\textcircled{11} \quad c = \text{Peak}(S) + \text{Dequeue}(Q)$$

$$30 + 40$$

$$c = \boxed{70}$$

20	30	40	20						
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Q

Ques) Consider 2 stacks S_1, S_2 with elements $\{-1, 3, 5\}$ and $\{2, -4, -3\}$ respectively from top to bottom. Consider 2 queues Q_1, Q_2 with elements $\{5, -2, 4, 6\}$ and $\{7, -3, -4, -2\}$ respectively inserted in the same order. Consider below operations:

S_1				
5	3	-1	7	
0	1	2	3	

S_2						
-3	-4	2	7	2		
0	1	2	3	4		

1) Push (Dequeue(Q_2), S_1)

2) POP(S_2)

3) Enqueue (Peek(S_2), Q_1)

4) Dequeue(Q_2)

5) Push (Peek(S_1), S_2)

6) Enqueue (Dequeue(Q_2), Q_1)

Q_1						
5	-2	4	6	-4	-4	6

9) Enqueue (y , Q_1)

10) Push (x , S_2)

11) $z = \text{Peek}(S_1) + \text{Top}(S_2) + \text{rear}(Q_2) + \text{front}(Q_1)$
 $= 13$

$$7) x = \text{TOP}(S_2) + \text{front}(Q_1) = 2 + 0 = 2$$

$$8) y = \text{rear}(Q_2) + \text{TOP}(S_1) = 3 + 3 = 6$$

value value
index index

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THANK - YOU

