

1a) R \rightarrow 82 \rightarrow 1010010

P \rightarrow 80 \rightarrow 1010000

D \rightarrow 68 \rightarrow 1000100

J \rightarrow 74 \rightarrow 1001010

e \rightarrow 67 \rightarrow 1000011

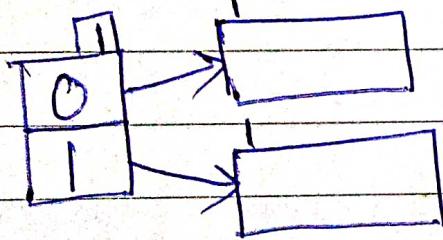
G \rightarrow 71 \rightarrow 1000111

D \rightarrow 68 \rightarrow 1000100

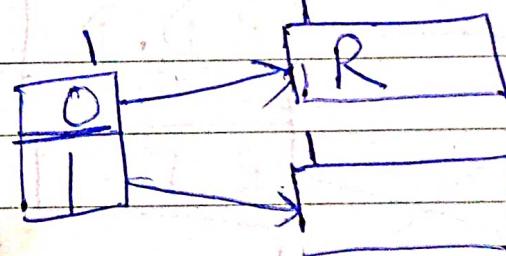
A \rightarrow 65 \rightarrow 1000001

Bucket Size = 3.

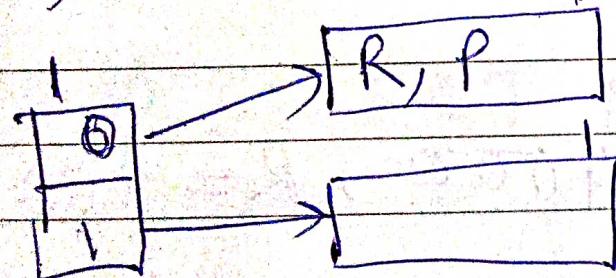
LD = GD = 1.



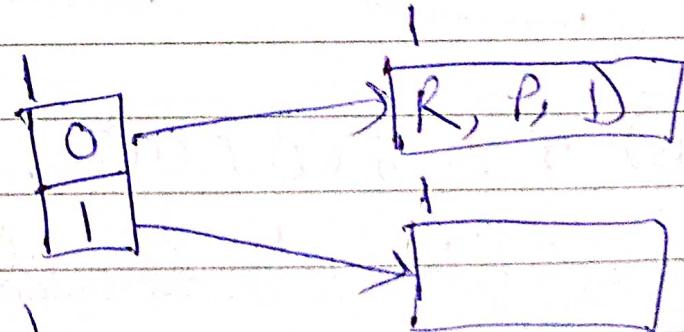
i) Insert R.



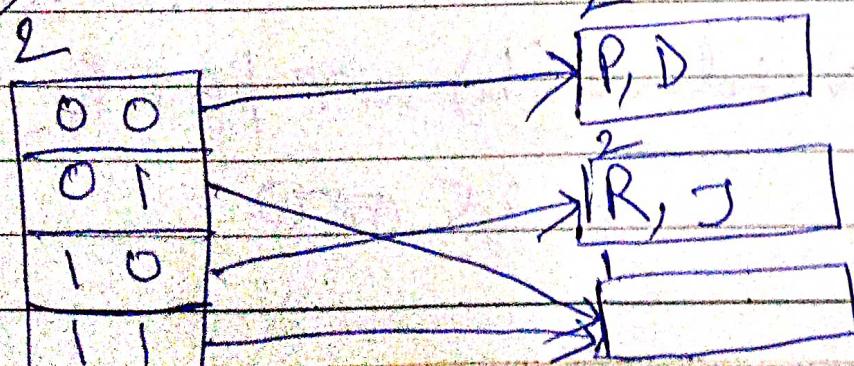
ii) Insert P.



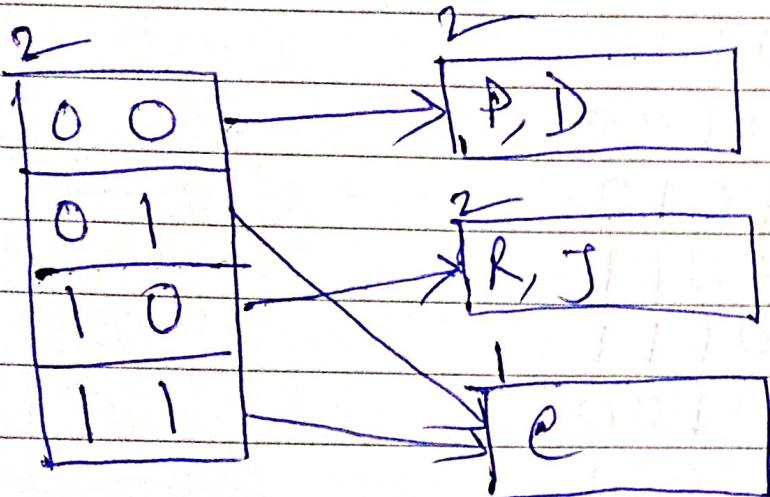
iii) Insert D.



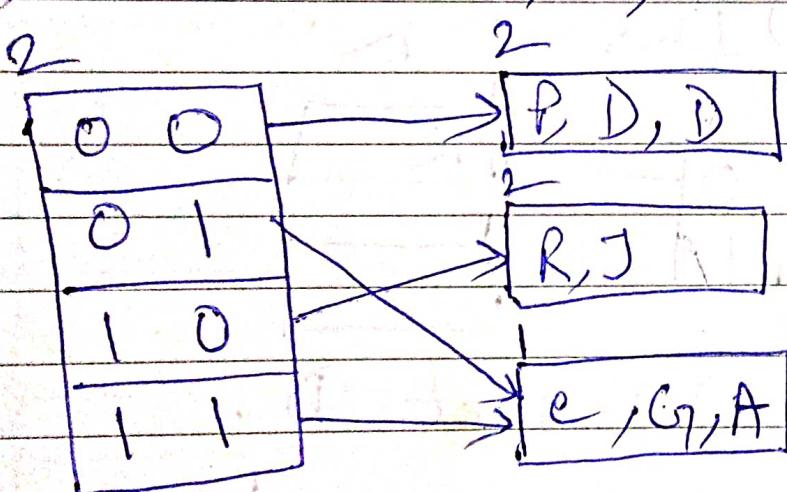
iv) Insert J (Overflow).



v) Insert C



vi) Insert G, H, A



$$1b) r = 500\,000, b = 4000, R = 200$$

without Index

$$BFR = b / R = 20 \text{ records/Block}$$

$$\text{No. of blocks Needed (b)} = r / BFR$$

$$= 25\,000$$

A binary Search on the data file

$$= \log_2 b = \log_2 25000 = 15$$

Using Clustering Index

Index entry = 1500

Index size = 5 + 7 = 12 bytes.

$$BFR = 4000 / 12 = 334$$

$$\text{No. of blocks needed (b)} = 1500 / 334$$

$$\approx 5$$

Binary search on ~~data~~ ^{Index} file.

$$\log_2 5 = 3$$

29) SELECT EID, first-name, last-name
FROM employees

WHERE Manager.MID = Department.MI

AND Department.DID = Employees.DID

AND Manager-name = "Sagar".

Π EID, first-name, last-name

⑤ Manager-name = "Sagar" ∧

Manager.MID = Department.MID ∧

Department.DID = Employees.DID.

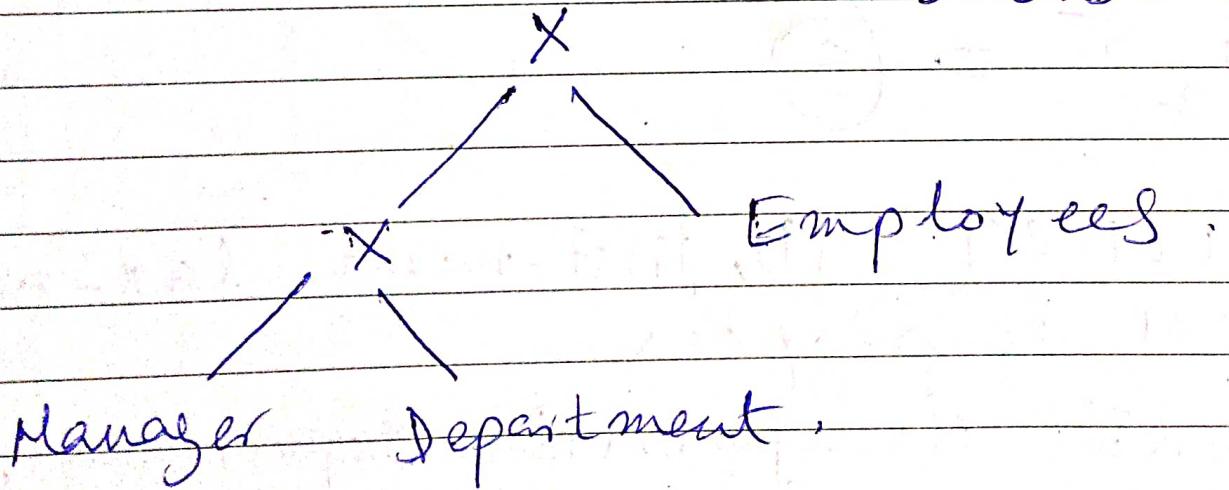
$(Manager \times Department) \times Employees$

Π

EID, first-name, last-name.

⑥ Manager-name = "Sagar" ∧ M.MID = D.MID

∧ D.DID = E.DID.



[
 M = Manager,
 D = Department
 E = Employee]

$\exists E.DID, \text{First-Name}, \text{Last-Name}$

$$\sigma_{D.DID = E.DID}$$

$$\sigma_{N.MID = D.MID}$$

Employee

$$\sigma_{\text{Manager-name} = "Sagai"}$$

Manager

Department

$\exists E.DID, \text{First-Name}, \text{Last-Name}$

$$\cancel{\Delta} D.DID = E.DID$$

$$\cancel{\Delta} M.MID = D.MID$$

Employee

$$\sigma_{\text{Manager-name} = "Sagai"}$$

Manager

Department

$\Pi_{EID, \text{Firstname}, \text{Lastname}}$

$\Delta D.DID = E.DID$

$\Pi_{D.MID}$

$\Delta M.MID = D.MID$

$\Pi_{EID, DID, \text{Firstname}, \text{Lastname}}$

Employee

Π_{MID}

Manager-name = "Sagai"

Manager

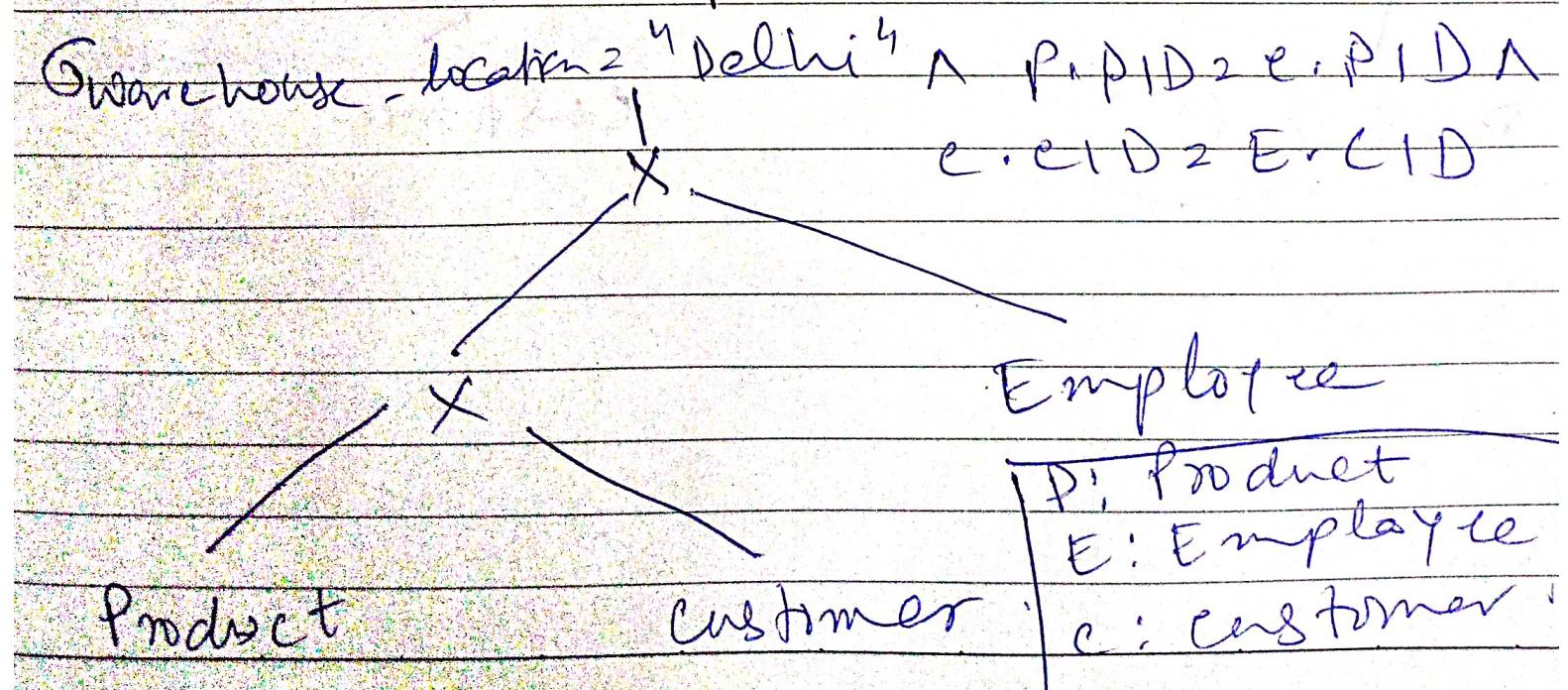
$\Pi_{MID, DID}$

Department

2b) SELECT EID, EName
FROM Employee

WHERE Product.Warehouse-location = "Delhi"
AND Product.PID = customer.PID
AND customer.CID = Employee.CID.

ii) $\Pi_{EID, EName} \sigma_{Warehouse_location = "Delhi"} (Product \times customer) \cap Employee \times (Product \times customer)$



$\Pi_{EID, EName}$

$G_e.CID = E.CID$

$G_P.PID = e.PID$

Employee

Warehouse-location⁴ "Delhi"

Product

Customer

TEID, Ename.

Ac.CID2E.CID

Ap.PID2C.PID

Employee

Warehouse-location2 "Delhi"

Product

Customer

No. 10

TEID, EName.

|

Te, CID2E, CID

TeID

|

TEID, CID, EName

Employee

Te

P, PID2E, PID

TPID

|

TeID, PID

|

Customer

Product

Warehouse - location = "Delhi"

|

3ai) SELECT * FROM Television
WHERE Company-ID = 3 AND Price < 35000

3ai) Plan 1:

1. TEMP $\leftarrow \delta_{CID} = 3$.

2. $\delta_{Price} < 35000$ (TEMP).

nTuples (Temp) = r/d_{CID}

$$= 20000 / 100 = 200$$

nBlocks (Temp) = nTuples / BFR.

$$= 200 / 100 = 2$$

Estimate using Secondary Index.

$(X_{CID} + S_{CID}) + n\text{blocks(Temp)} + n\text{blocks(Temp)}$

$$\Rightarrow (2 + 200) + 2 + 2 = 206 \text{ blocks.}$$

Plan 2: $\text{Temp} \geq 10000 \Rightarrow 13 \text{ blocks}$

1. $\text{Temp} \leftarrow \text{price} \leq 35000$.
2. $\delta_{CID} \geq 3$ (Temp).

$$\text{MIN price (Television)} = 15000$$

$$\text{Max price (Television)} = 40000$$

$$\begin{aligned} n \text{ Tuples (Temp)} &= 20000 \times (35000 - 15000) \\ &\quad (40000 - 15000) \\ &= 16000 \end{aligned}$$

$$n \text{ blocks (Temp)} = 16000 / 100 = 160.$$

$$\begin{aligned} \text{Cost} &= b_{\text{Television}} + 160 + 160 \\ &= 20000 / 100 + 160 + 160 \\ &= 520 \cdot \text{blocks} \end{aligned}$$

So, Plan 1 is efficient.

3b) SELECT * FROM Customer
 WHERE Category-num > 5 AND
 Purchase-amt < 15000

3bii) Plan 1:

- 1) Temp $\leftarrow \sigma_{\text{Category-num} > 5}$.
- 2) $\sigma_{\text{Purchase-amt} < 15000}$ (Temp).

n Tuples (Temp)

$$\geq 15000 \times (50 - 5) / (50 - 1)$$

Assuming max category (Customer) = 50.

min category (Customer) = 1.

$$= 13776.$$

$$n \text{ blocks (Temp)} = 13776 / 50 = 276.$$

$$\text{Cost} = (2 + 15000 / 50) + 276 + 276 \\ = 854 \text{ blocks.}$$

Plan 2:

- 1) $\text{temp} \leftarrow \text{Purchase_amt} < 15000$.
- 2) $\text{Category_num} \leq 5 \text{ (Temp)}$.

$\min \text{ Purchase_amt} \text{ (Customer)} = 5000$.

$\max \text{ purchase_amt} \text{ (Customer)} = 20000$

$n \text{ triples (Temp)}$:

$$\approx 15000 \times (15000 - 5000) / (20000 - 5000)$$

$$\approx 15000$$

$$n \text{ blocks (Temp)} \approx 15000 / 50 = 300$$

$$\text{cost} \approx 300 + 300 + 300$$

$$\approx 900 \text{ blocks}$$

∴ Plan I is efficient.