

Control Design: Hardwired Approach

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Book: P.Hayes. Computer Architecture and Organization, McGraw-Hill

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- **Method 1:** Classical Method of sequential circuit design. (Optimized in terms of Flip-flop (FF) requirement)
- **Method 2:** One hot method. (Simple circuit)

Classical Method:GCD Processor

- Design a control unit for GCD processor using Classical method.

GCD Processor

Procedure for computing GCD in HDL

gcd(in:X, Y;out:Z)

- ❶ register $XR, YR, TEMPR$;
- ❷ $XR := X; YR := Y; \{ \text{Input the data} \}$
- ❸ while($XR > 0$) do begin
if ($XR \leq YR$) then begin
 - ❶ $TEMPR := YR$;
 - ❷ $YR := XR$;
 - ❸ $XR := TEMPR$; { Swap XR and YR }
- ❹ $XR := XR - YR$; { Subtract }

$Z := YR$ {Output the result}

end gcd;

Example

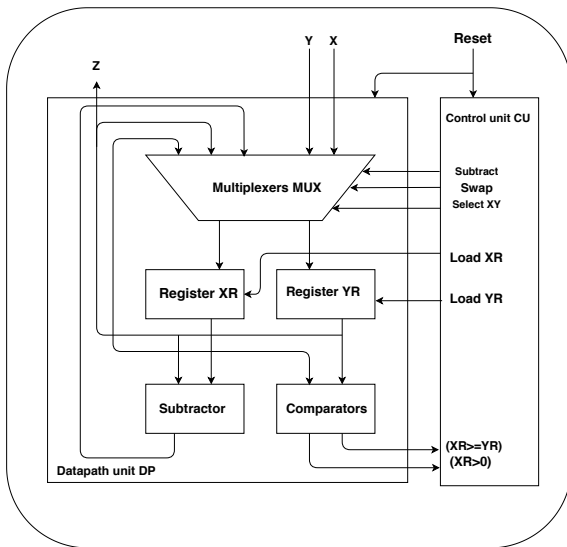
$$X = 20, Y = 12$$

Conditions	Actions
$XR > 0 : \quad XR > YR :$	$XR := 20; YR = 12;$
$XR > 0 : \quad XR \leq YR :$	$XR := XR - YR = 8;$
$XR > 0 : \quad XR \leq YR :$	$XR := 12; YR = 8; \quad ;XR = XR - YR = 4;$
$XR > 0 : \quad XR \leq YR :$	$XR := 8; YR = 4; \quad ;XR = XR - YR = 4;$
$XR > 0 : \quad XR \leq YR :$	$XR := 4; YR = 4; \quad ;XR = XR - YR = 0;$
$XR \leq 0$	$Z = 4$

Table: Example

$$\underline{GCD(20, 12) = 4.}$$

Hardware for GCD Processor



State Table for Control Unit of GCD Processor

Design the State Table defining the Control Unit of the GCD Processor.

GCD Processor

Procedure for computing GCD in HDL

gcd(in:X, Y;out:Z)

- ❶ register $XR, YR, TEMPR$;
- ❷ $XR := X; YR := Y; \{ \text{Input the data: } S_0 \}$
- ❸ while($XR > 0$) do begin
 - ❶ $TEMPR := YR$;
 - ❷ $YR := XR$;
 - ❸ $XR := TEMPR; \{ \text{Swap } XR \text{ and } YR: S_1 \}$
- ❹ $XR := XR - YR; \{ \text{Subtract: } S_2 \}$

$Z := YR \{ \text{Output the result: } S_3 \}$

end gcd;

State Table

Table: State Table of Control Unit (GCD Processor)

State	Inputs $XR > 0$ $XR \geq YR$			Outputs				
	0-	10	11	Subtract	Swap	SelectXY	LoadXR	LoadYR
S_0	S_3	S_1	S_2	0	0	1	1	1
S_1	S_2	S_2	S_2	0	1	0	1	1
S_2	S_3	S_1	S_2	1	0	0	1	0
S_3	S_3	S_3	S_3	0	0	0	0	0

Steps of Classical Design Method

- 1 Construct a P-row state table that defines the desired input-output behaviour.
- 2 Select minimum number p of D-type flip-flops and assign p -bit binary code to each state. $\{S_0 : 00, S_1 : 01, S_2 : 10, S_3 : 11\}$
- 3 Design a combinational circuit C that generate the primary output signal $\{z_i\}$ and secondary outputs $\{D_i\}$ that must be applied to the FFs.

Table: Excitation Table for the control unit of GCD Processor

Inputs		PS		NS		Outputs				
$XR > 0$	$(XR \geq YR)$	D_1	D_0	D_1^+	D_0^+	Sub	Sw	XY	XR	YR
0	d	0	0	1	1	0	0	1	1	1
0	d	0	1	1	0	0	1	0	1	1
0	d	1	0	1	1	1	0	0	1	0
0	d	1	1	1	1	0	0	0	0	0
1	0	0	0	0	1	0	0	1	1	1
1	0	0	1	1	0	0	1	0	1	1
1	0	1	0	0	1	1	0	0	1	0
1	0	1	1	1	1	0	0	0	0	0
1	1	0	0	1	0	0	0	1	1	1
1	1	0	1	1	0	0	1	0	1	1
1	1	1	0	1	0	1	0	0	1	0
1	1	1	1	1	1	0	0	0	0	0

Steps of Classical Design Method

- 1 Construct a P-row state table that defines the desired input-output behaviour. ✓
- 2 Select minimum number p of D-type flip-flops and assign p -bit binary code to each state. ✓
- 3 Design a combinational circuit C that generate the primary output signal $\{z_i\}$ and secondary outputs $\{D_i\}$ that must be applied to the FFs.

Table: Excitation Table for the control unit of GCD Processor

Inputs		PS		NS		Outputs				
$XR > 0$	$(XR \geq YR)$	D_1	D_0	D_1^+	D_0^+	Sub	Sw	XY	XR	YR
0	d	0	0	1	1	0	0	1	1	1
0	d	0	1	1	0	0	1	0	1	1
0	d	1	0	1	1	1	0	0	1	0
0	d	1	1	1	1	0	0	0	0	0
1	0	0	0	0	1	0	0	1	1	1
1	0	0	1	1	0	0	1	0	1	1
1	0	1	0	0	1	1	0	0	1	0
1	0	1	1	1	1	0	0	0	0	0
1	1	0	0	1	0	0	0	1	1	1
1	1	0	1	1	0	0	1	0	1	1
1	1	1	0	1	0	1	0	0	1	0
1	1	1	1	1	1	0	0	0	0	0

Step 3: Generate output signals

$$D_1^+ = \overline{XR > 0} + (XR \geq YR) + D_0$$

$$D_0^+ = D_1 \cdot D_0 + \overline{(XR \geq XY)} \cdot \bar{D}_0 + \overline{(XR > 0)} \cdot \bar{D}_0$$

$$\text{Subtract} = D_1 \cdot \bar{D}_0$$

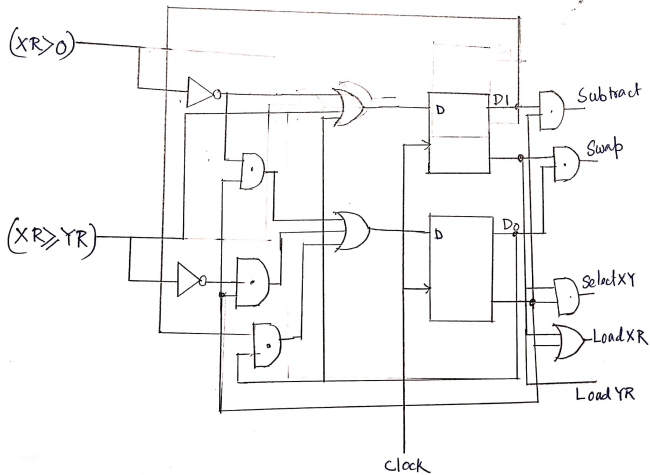
$$\text{Swap} = \bar{D}_1 \cdot D_0$$

$$\text{SelectXY} = \bar{D}_1 \cdot \bar{D}_0$$

$$\text{LoadXR} = \bar{D}_0 + \bar{D}_1$$

$$\text{LoadYR} = \bar{D}_1$$

Table: Outputs of the Control ckt.



Scanned with CamScanner

Figure:

One-hot Method

THANK YOU