

Hit Rate & Miss Penalty

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Pract.

• Hit-Rate: $\frac{\text{\# Successful Access in Cache}}{\text{\# Attempted Access in Cache}}$

• Miss-rate: $1 - (\text{Hit-Rate})$.

• miss-penalty: Time b/w miss in cache and the instant at which required data gets available in cache, (i.e., to bring the mm. address to cache & the required word to C.P.U. is called miss-penalty.)

→ Assume 30% of instructions of a typical program needs read & write operations, (i.e., 130 memory access for 100 instructions). Hit Rate in cache = 0.95 for instruction & 0.90 for data.

Solution:-
Accessing mm. = 10 cycles
Accessing Cache = 1 cycle.

Time - required without Cache	$130 \times 10 = 1300$
Time - required with Cache	$100 \times (0.95 \times 1) + (1 - 0.95) \times 17 + 30 \times (0.9 \times 1 + 0.1 \times 17) = 258$

$$\text{Ratio of time required with Cache \& without Cache} = \frac{1300}{258} = \boxed{5.038}$$

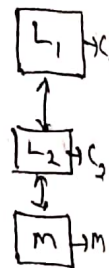
$$\text{Formula: } \# \text{ Instructions} \times [(\text{HitRate} \times 1) + (\text{MissRate} \times 17)] + \# \text{ Data} \times [(\text{HitRate} \times 1) + (\text{MissRate} \times 17)]$$

→ Now, Consider ~~only~~ there is only Cache (i.e., there is no miss) (No main-memory).

$$\text{Then, } \frac{\text{Time with Cache (without m.m.)}}{\text{Time without Cache (with m.m.)}} = \frac{130}{1300} = \frac{1}{10} \approx \frac{130}{258} \approx \boxed{\frac{1}{2}}$$

So, It is more beneficial. But, it will be very costly.

$$\star \text{ Avg Access-time} = h_1 \times C_1 + (1-h_1) \times h_2 \times C_2 + (1-h_1)(1-h_2) \times M$$



Eg:- A Computer has L_1 & L_2 cache. Hit-Rates in L_1 & L_2 are 0.95 & 0.9 respectively. Access-time in L_1 & L_2 Cache are 1 cycle & 10 cycles, respectively. Miss-Penalty = 17 Cycles
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Find access time.

Solution:-

$$\text{Avg. Access-time} = 0.95 \times 1 + (0.05) \times 0.9 \times 10 + 0.05 \times 0.1 \times 17$$

$$= \boxed{1.485}$$