

```
##-----PCA-----##
```

```
library(data.table)
```

```
## Creating new data frame for numerical values for doing PCA
```

```
tablechurnPCA = data.frame(tablechurn$MonthlyCharges,tablechurn$TotalCharges,tablechurn$Tenure)  
setDT(tablechurnPCA)
```

```
##Setting column names for our new dataframe
```

```
names(tablechurnPCA) <- c('MonthlyCharges','TotalCharges','Tenure')
```

```
##head(tablechurnPCA)
```

```
tablechurnPCA
```

```
MonthlyCharges TotalCharges Tenure  
1:      29.85      29.85      1  
2:      56.95     1889.50     34  
3:      53.85      108.15      2  
4:      42.30     1840.75     45  
5:      70.70      151.65      2  
---  
7028:      84.80     1990.50     24  
7029:     103.20     7362.90     72  
7030:      29.60      346.45     11  
7031:      74.40      306.60      4  
7032:     105.65     6844.50     66
```

```
####Using prcomp function to compute the principal components (eigenvalues and eigenvectors).
```

```
#With scale=TRUE, variable means are set to zero, and variances set to one
```

```
ChurnPC <- prcomp(tablechurnPCA[,1:3],scale=TRUE)
```

```
ChurnPC
```

```
standard deviations (1, .., p=3):
```

```
[1] 1.4764138 0.8722163 0.2438052
```

```
Rotation (n x k) = (3 x 3):
```

	PC1	PC2	PC3
MonthlyCharges	0.4857136	0.79237469	0.3690862
TotalCharges	0.6650968	-0.06101971	-0.7442600
Tenure	0.5672112	-0.60697524	0.5566440

```
summary(ChurnPC)
```

```
Importance of components:
```

	PC1	PC2	PC3
Standard deviation	1.4764	0.8722	0.24381
Proportion of Variance	0.7266	0.2536	0.01981
Cumulative Proportion	0.7266	0.9802	1.00000

```
##Steps to check variances between the principal components
```

```
##Sample scores are stored in ChurnPC$x
```

```
# Square roots of eigenvalues are stored in ChurnPC$sdev
```

```
# Eigenvectors are stored in ChurnPC$rotation
```

```
# variable means stored in ChurnPC$center
```

```
# variable standard deviations stored in ChurnPC$scale
```

```
# Eigenvalues are sdev^2
```

```
##Calculating Eigen values
```

```
(eigen_churn <- ChurnPC$sdev^2)
```

```
[1] 2.1797978 0.7607612 0.0594410
```

```
names(eigen_churn) <- paste("PC",1:3,sep="")
```

```
names(eigen_churn)
```

```
[1] "PC1" "PC2" "PC3"
```

```
eigen_churn
```

```
      PC1      PC2      PC3  
2.1797978 0.7607612 0.0594410
```

```
##Taking sum of all eigen values
```

```
sum_churn <- sum(eigen_churn)
```

```
sum_churn
```

```
[1] 3
```

```
##Calculating percentage of variance
```

```
pvarchurn <- (eigen_churn/sum_churn)*100
```

```
pvarchurn
```

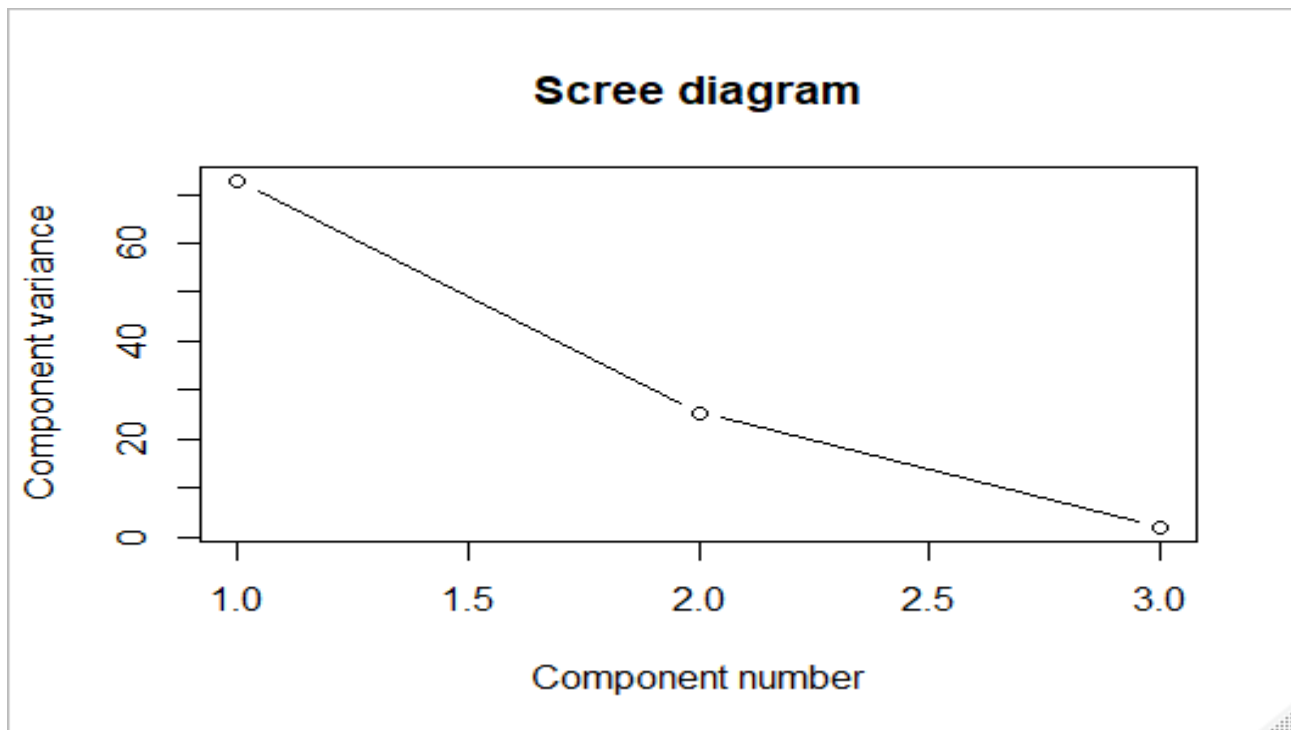
```
      PC1      PC2      PC3  
72.659927 25.358707  1.981367
```

```
##The results show that PC1 and PC2 columns have good amount of data that is almost 98% variance
```

```
#is presented with these 2 columns and since there is only 2% information in PC3 component we can  
afford to lose it
```

```
##Plotting Scree Diagram for Principal Components wrt percentage of their variances
```

```
plot(pvarchurn, xlab = "Component number", ylab = "Component variance", type = "b", main = "Scree  
diagram")
```



```
##Checking cumulative variances and other values
```

```
cumvar_churn <- cumsum(pvarchurn)
```

```
cumvar_churn
```

PC1	PC2	PC3
72.65993	98.01863	100.00000

```
matchurn <- rbind(eigen_churn,pvarchurn,cumvar_churn)
```

```
rownames(matchurn) <- c("Eigenvalues","Prop. variance","Cum. prop. variance")
```

```
round(matchurn,4)
```

	PC1	PC2	PC3
Eigenvalues	2.1798	0.7608	0.0594
Prop. variance	72.6599	25.3587	1.9814
Cum. prop. variance	72.6599	98.0186	100.0000

```
summary(ChurnPC)
```

Importance of components:

	PC1	PC2	PC3
Standard deviation	1.4764	0.8722	0.24381
Proportion of Variance	0.7266	0.2536	0.01981
Cumulative Proportion	0.7266	0.9802	1.00000

ChurnPC\$rotation

	PC1	PC2	PC3
MonthlyCharges	0.4857136	0.79237469	0.3690862
TotalCharges	0.6650968	-0.06101971	-0.7442600
Tenure	0.5672112	-0.60697524	0.5566440

print(ChurnPC)

Standard deviations (1, .., p=3):
[1] 1.4764138 0.8722163 0.2438052

Rotation (n x k) = (3 x 3):

	PC1	PC2	PC3
MonthlyCharges	0.4857136	0.79237469	0.3690862
TotalCharges	0.6650968	-0.06101971	-0.7442600
Tenure	0.5672112	-0.60697524	0.5566440

ChurnPC\$x

sparrtyp_pca <- cbind(data.frame(tablechurn\$Churn),ChurnPC\$x)

sparrtyp_pca

Means of scores for all the PC's classified by Churn value

tabmeansPC <- aggregate(sparrtyp_pca[,2:4],by=list(Churn=tablechurn\$Churn),mean)

tabmeansPC

tabmeansPC <- tabmeansPC[rev(order(tabmeansPC\$Churn)),]

tabmeansPC

tabfmeans <- t(tabmeansPC[,-1])

tabfmeans

colnames(tabfmeans) <- t(as.vector(tabmeansPC[1]))

```
tabfmeans
```

```
# Standard deviations of scores for all the PC's classified by Churn value
```

```
tabsdsPC <- aggregate(sparrrtyp_pca[,2:4],by=list(Churn=tablechurn$Churn),sd)
```

```
tabfsds <- t(tabsdsPC[,-1])
```

```
colnames(tabfsds) <- t(as.vector(tabsdsPC[1]))
```

```
tabfsds
```

```
#T-Test
```

```
t.test(PC1~tablechurn$Churn,data=sparrrtyp_pca)
```

```
t.test(PC2~tablechurn$Churn,data=sparrrtyp_pca)
```

```
t.test(PC3~tablechurn$Churn,data=sparrrtyp_pca)
```

```
# F ratio test
```

```
var.test(PC1~tablechurn$Churn,data=sparrrtyp_pca)
```

```
var.test(PC2~tablechurn$Churn,data=sparrrtyp_pca)
```

```
var.test(PC3~tablechurn$Churn,data=sparrrtyp_pca)
```

```
# Levene's tests (one-sided)
```

```
library(car)
```

```
(LTPC1 <- leveneTest(PC1~tablechurn$Churn,data=sparrrtyp_pca))
```

```
(p_PC1_1sided <- LTPC1[[3]][1]/2)
```

```
(LTPC2 <- leveneTest(PC2~tablechurn$Churn,data=sparrrtyp_pca))
```

```
(p_PC2_1sided=LTPC2[[3]][1]/2)
```

```
(LTPC3 <- leveneTest(PC2~tablechurn$Churn,data=sparrrtyp_pca))
```

```
(p_PC3_1sided <- LTPC3[[3]][1]/2)
```

```
# Plotting the scores for the first and second PC components
```

```
plot(sparrtyp_pca$PC1, sparrtyp_pca$PC2,pch=ifelse(sparrtyp_pca$Churn == "Yes",1,16),xlab="PC1",  
ylab="PC2", main="7043 customer values for PC1 & PC2")
```

```
abline(h=0)
```

```
abline(v=0)
```

```
legend("bottomleft", legend=c("Yes","No"), pch=c(1,16))
```

```
plot(eigen_churn, xlab = "Component number", ylab = "Component variance", type = "l", main = "Scree  
diagram")
```

```
plot(log(eigen_churn), xlab = "Component number",ylab = "log(Component variance)", type="l",main =  
"Log(eigenvalue) diagram")
```

```
print(summary(ChurnPC))
```

```
View(ChurnPC)
```

```
diag(cov(ChurnPC$x))
```

```
xlim <- range(ChurnPC$x[,1])
```

```
ChurnPC$x[,1]
```

```
ChurnPC$x
```

```
plot(ChurnPC$x,xlim=xlim,ylim=xlim)
```

```
ChurnPC$rotation[,1]
```

```
ChurnPC$rotation
```

```
ChurnPC$x
```

```
plot(ChurnPC)
```

```
#get the original value of the data based on PCA
```

```
center <- ChurnPC$center
```

```
scale <- ChurnPC$scale
```

```
new_ChurnPC <- as.matrix(tablechurnPCA[,-3])
```

```
new_ChurnPC
```

```
predict(ChurnPC)[,1]
```

```
##-----Cluster Analysis-----##
```

```
library(cluster)
```

```
tablechurnclust = data.frame(  
  tablechurn$Tenure,  
  tablechurn$TotalCharges,  
  tablechurn$MonthlyCharges)
```

```
##Making cluster on the basis of Total charges
```

```
rownames(tablechurnclust) <- tablechurn$TotalCharges
```

```
##Scaling done to make the data on scale
```

```
scaleTotalCharges <- scale(tablechurnclust[,1:ncol(tablechurnclust)])  
scaleTotalCharges
```

```
#Here we have selected first row to see how our scaled matrix is like
```

```
head(scaleTotalCharges,1)
```

```
# We will find K-means by taking k=2, 3, 4, 5, 6...
```

```
#For k-means = 2
```

```
(kmeans2.scaleTotalCharges <- kmeans(scaleTotalCharges,2,nstart = 10))
```

```
# Computing the percentage of variation accounted for two clusters
```

```
perc_var_kmeans2 <- round(100*(1 -  
kmeans2.scaleTotalCharges$betweenss/kmeans2.scaleTotalCharges$totss),1)
```

```
names(perc_var_kmeans2) <- "Perc. 2 clus"
```

```
perc_var_kmeans2
```



```

#For k-means = 3

(kmeans3.scaleTotalCharges <- kmeans(scaleTotalCharges,3,nstart = 10))

# Computing the percentage of variation accounted for. Two clusters

perc_var_kmeans3 <- round(100*(1 -
kmeans3.scaleTotalCharges$betweenss/kmeans3.scaleTotalCharges$totss),1)

names(perc_var_kmeans3) <- "Perc. 3 clus"

perc_var_kmeans3


#For k-means = 4

(kmeans4.scaleTotalCharges <- kmeans(scaleTotalCharges,4,nstart = 10))

# Computing the percentage of variation accounted for. Two clusters

perc_var_kmeans4 <- round(100*(1 -
kmeans4.scaleTotalCharges$betweenss/kmeans4.scaleTotalCharges$totss),1)

names(perc_var_kmeans4) <- "Perc. 4 clus"

perc_var_kmeans4


#Using k means 4 could be good to preseent our data

# Saving above 4 k-means (1,2,3) in a list


##Now we will plot these clusters

library(fpc)

plotcluster(tablechurnclust,kmeans3.scaleTotalCharges$cluster)


##We didnt find any significant result using cluster analysis hence we will not be using it
#for our dataset

```