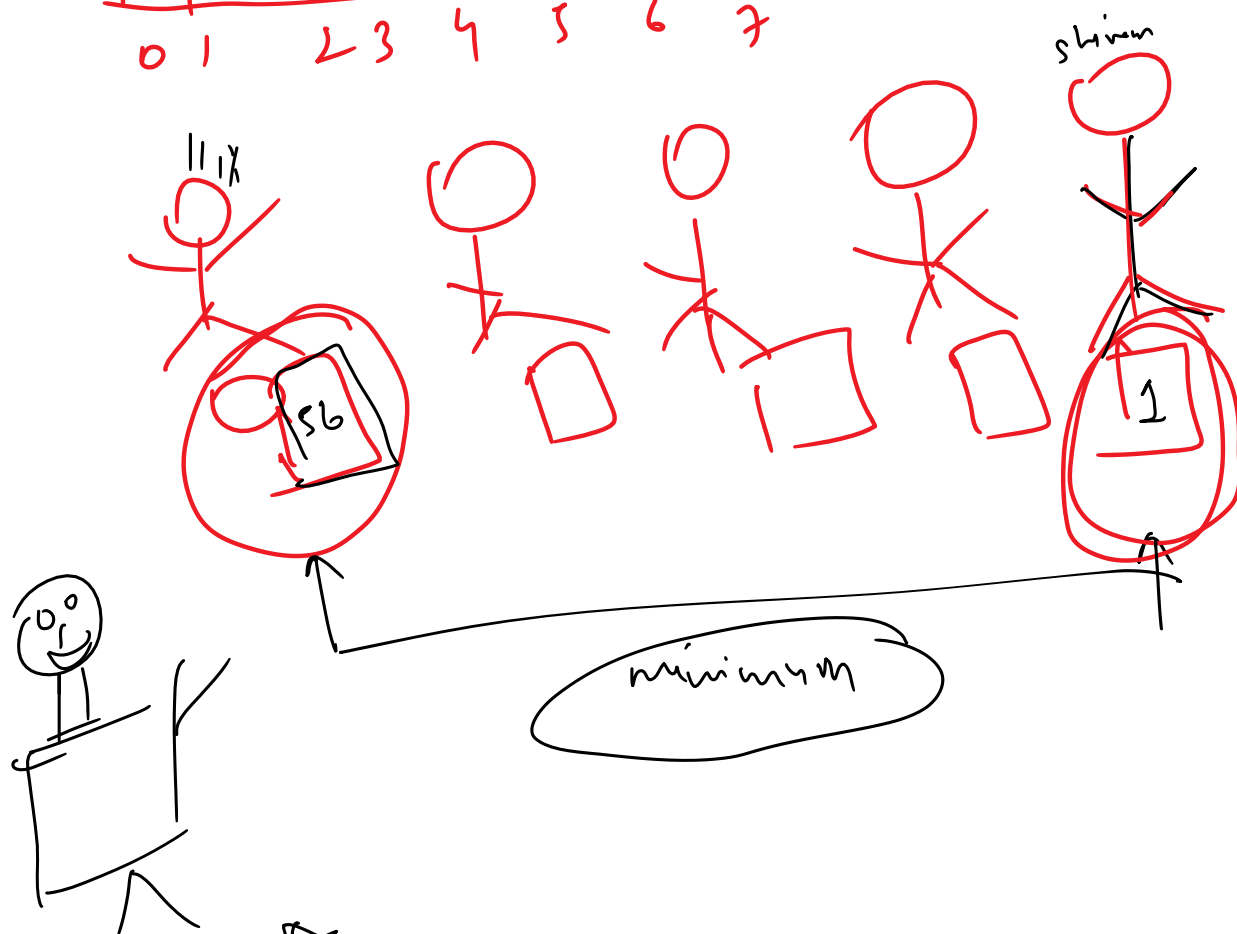
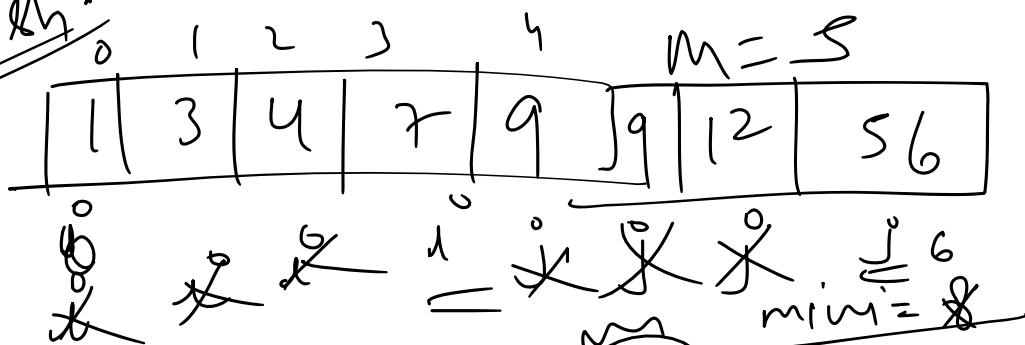


22 November 2022 20:34

3	4	1	9	56	7	9	12
0	1	2	3	4	5	6	7

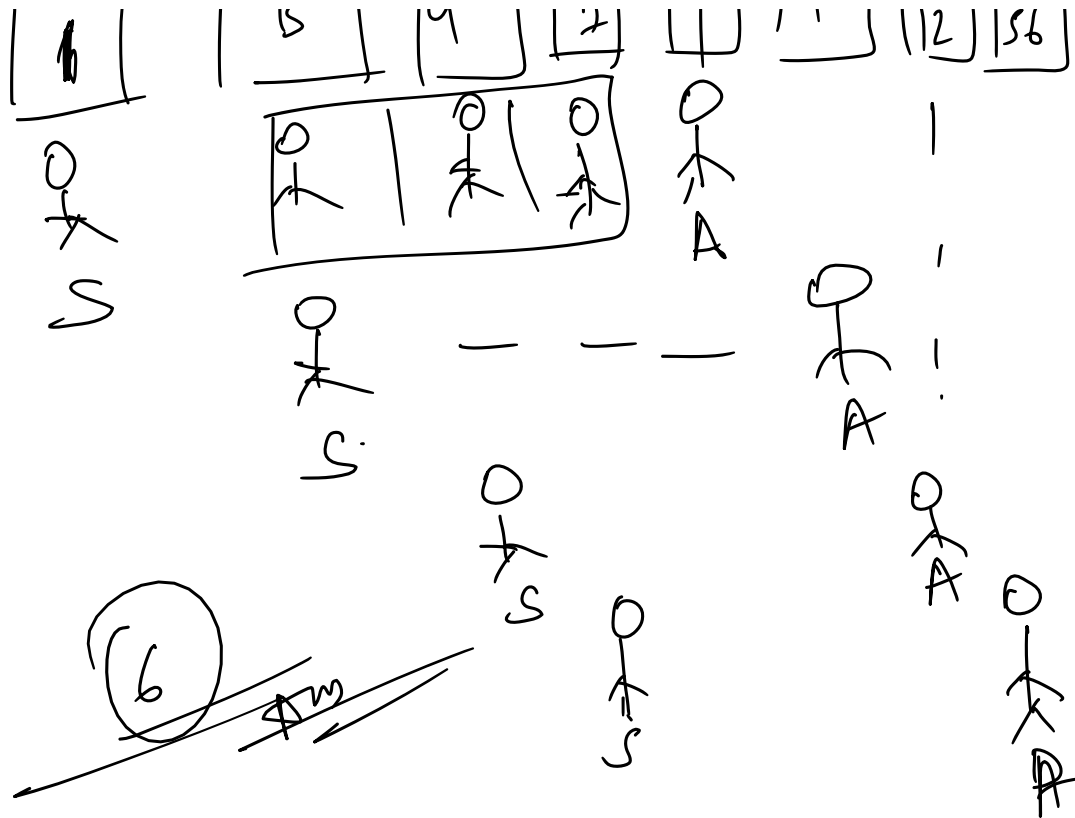


Uf 1678



```
long long findMinDiff(vector<long long> a, long long n, long long m){
    sort(a.begin(),a.end());
    int j = m-1;
    long long int mini = INT_MAX;
    while(j < n){
        mini = min(mini, a[j]-a[j-1]);
        i++;j++;
    }
    return mini;
}
```





```

long long findMinDiff(vector<long long> a, long long n, long long m){
    sort(a.begin(),a.end());           —  $n \log n$ 
    int i = 0, j = m-1;
    long long int mini = INT_MAX;
    while(j < n){
        mini = min(mini, a[j]-a[i]);    }  $n$ 
        i++; j++;
    }
    return mini;
}

```

T.C - $O(n \log n)$

S.C - $O(1)$

Ans

Smallest Subarray with sum $> x$

Ans $A[] = \{1, 4, 45, 6, 0, 19\}$

Smallest subarray with sum greater than x



Easy

Accuracy: 37.07%

Submissions: 82524

Points: 2

Given an array of integers ($A[]$) and a number x , find the smallest subarray with sum greater than the given value. If such a subarray do not exist return 0 in that case.

Note: The answer always exists. It is guaranteed that x **doesn't** exceed the summation of $a[i]$ (from 1 to N).

Example 1:

Input:

$A[] = \{1, 4, 45, 6, 0, 19\}$

$x = 51$

Output: 3

Explanation:

Minimum length subarray is

$\{4, 45, 6\}$

length minimum (Answer)

$x = 51$



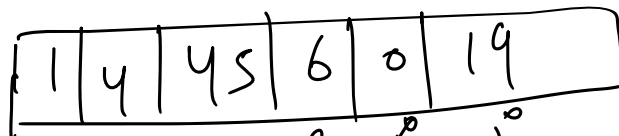
→ Increase

Constraints

$$1 \leq A[i] \leq 10^4 \Rightarrow 10,000$$

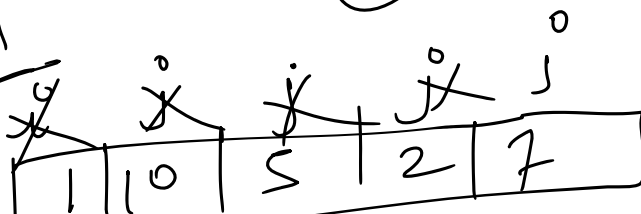
(4)

(3) Answer

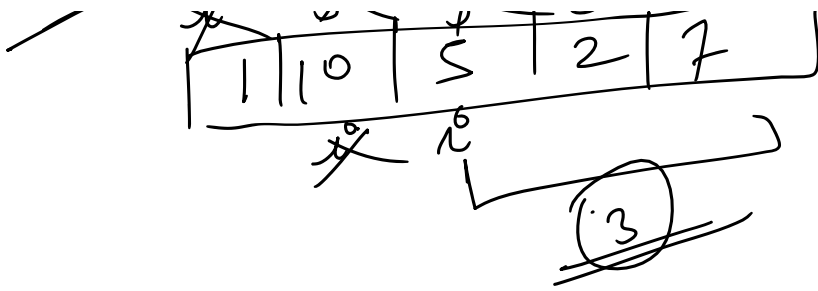


~~1~~ ~~4~~ ~~45~~ ~~6~~ ~~0~~ ~~19~~
but we want greater
(51)

mini = 1



$x = 9$
min



T.C = $O(N)$
 S.C = $O(1)$

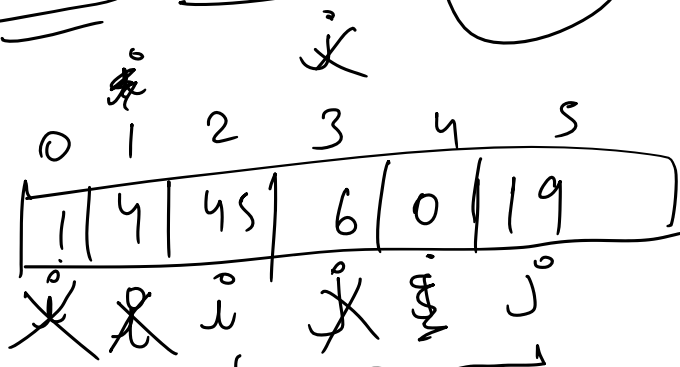
$O(N^3)$ ~~★★~~

$O(N)$ ~~★★~~

(51)

ans = 3 ~~★~~

X = 51



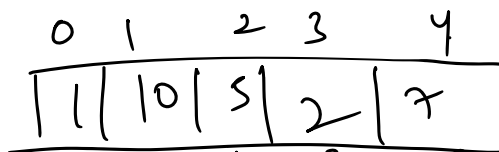
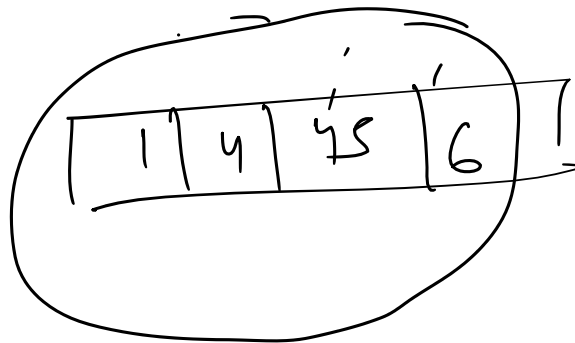
s = 1

s = 5

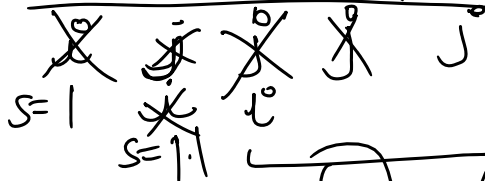
s = 50

s = 56

s = 6



X = 9



ans = ~~1~~

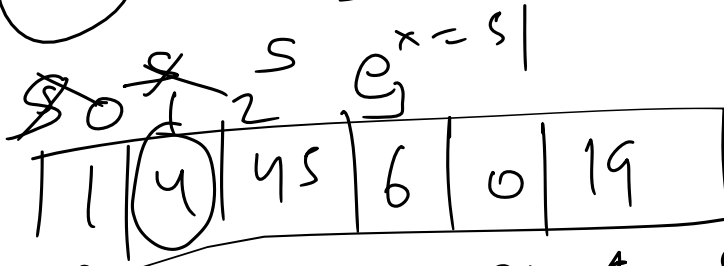
(10 > 9)

$4 - 2 =$

(2) + 1 = (3)

$$\frac{4-2}{2} + 1 = 3$$

ans = ∞

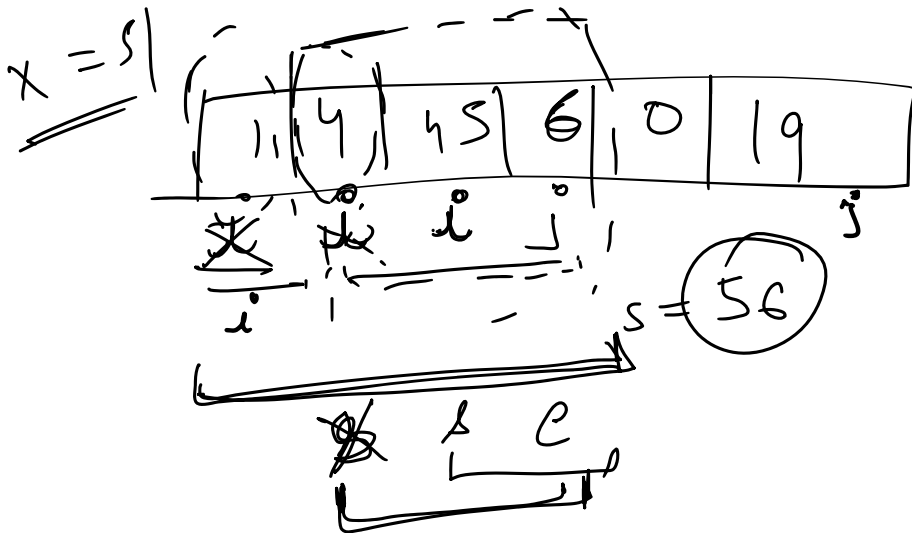
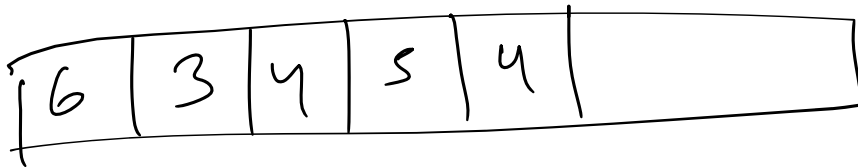


sum = ~~56~~ $56 > 51$ ✓

$56 - 11 = 55$

$55 > x$

ans = min(ans, 3 - 0 + 1) = 4

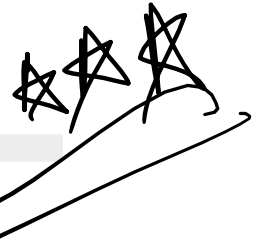


```
int smallestSubWithSum(int arr[], int n, int x)
```

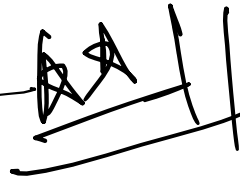
```
{  
    // i = subarray  
    int subarray_start = 0, subarray_end = 0;  
    int sum = 0;  
    int ans = INT_MAX;  
    while(subarray_end < n){  $\rightarrow O(N)$   
        sum += arr[subarray_end];  
        if(sum > x){  
            ans = min(ans, subarray_end - subarray_start + 1);  
            while(subarray_start <= subarray_end && sum > x){  
                sum = sum - arr[subarray_start];  
                ans = min(ans, subarray_end - subarray_start + 1);  
                subarray_start++;  
            }  
        }  
        subarray_end++;  
    }  
    return ans;  
}
```

T.C - $O(N)$

S.C - $O(1)$



Sliding Window



Three way partitioning



Easy Accuracy: 41.58% Submissions: 99452 Points: 2

Given an array of size n and a range $[a, b]$. The task is to partition the array around the range such that array is divided into three parts.

- 1) All elements smaller than a come first.
- 2) All elements in range a to b come next.
- 3) All elements greater than b appear in the end.

The individual elements of three sets can appear in any order. You are required to return the modified array.

Example 1:

Input:

$n = 5$

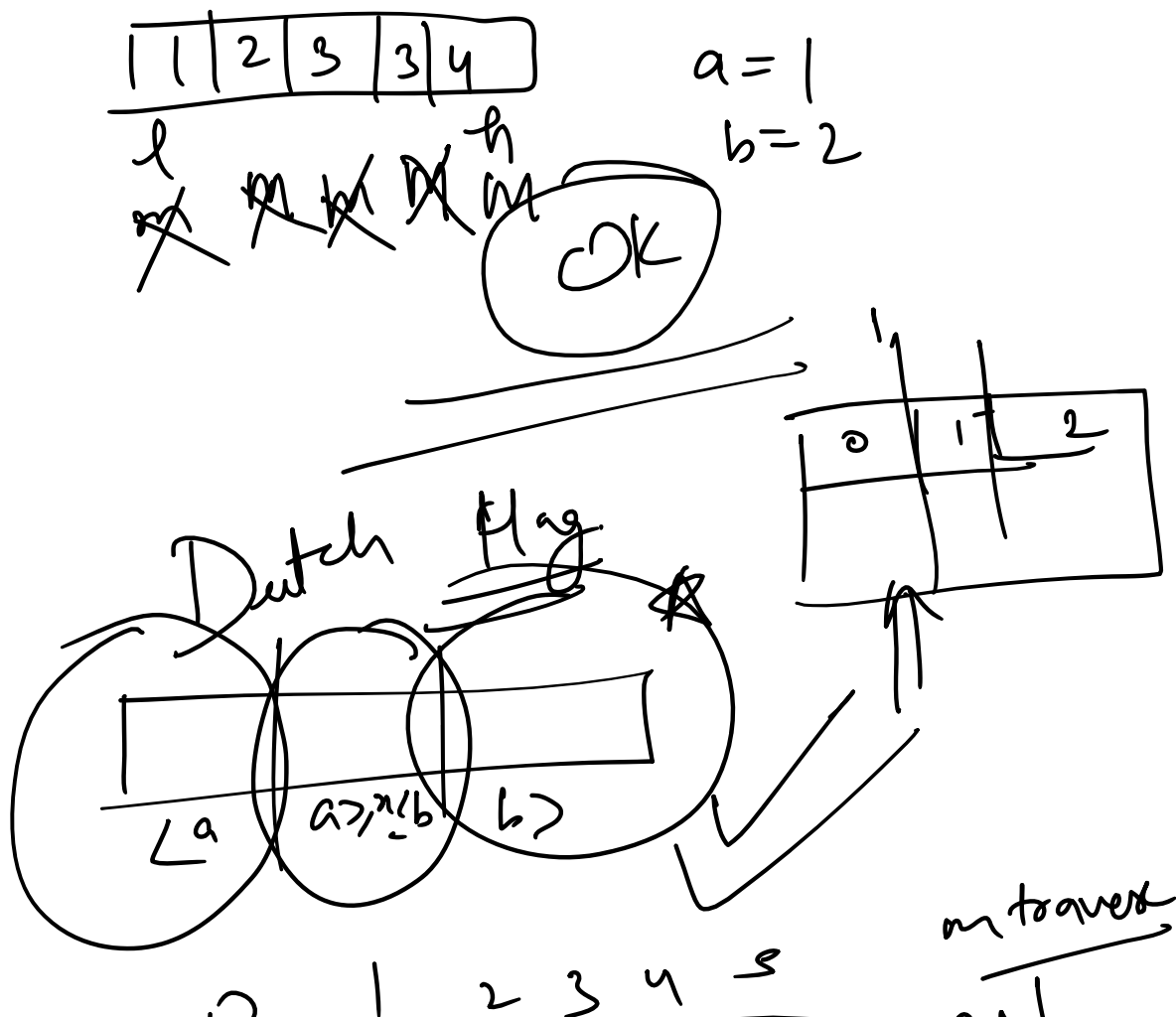
$A[] = \{1, 2, 3, 3, 4\}$

$[a, b] = [1, 2]$

Output: 1

Explanation: One possible arrangement is:

$\{1, 2, 3, 3, 4\}$. If you return a valid



0	1	2	3	4	5
0	0	1	1	2	2

$\underline{\underline{arr}}$
 $\underline{\underline{0}}$
 $\underline{\underline{sweep(l, m)}}$
 $\underline{\underline{it+mtt}}$

while(m ≤ h)

Case 2
 $\frac{1}{mtt}$

Case 3
 $\frac{2}{sweep(m, h)}$
 $h--$

"
"
"
"

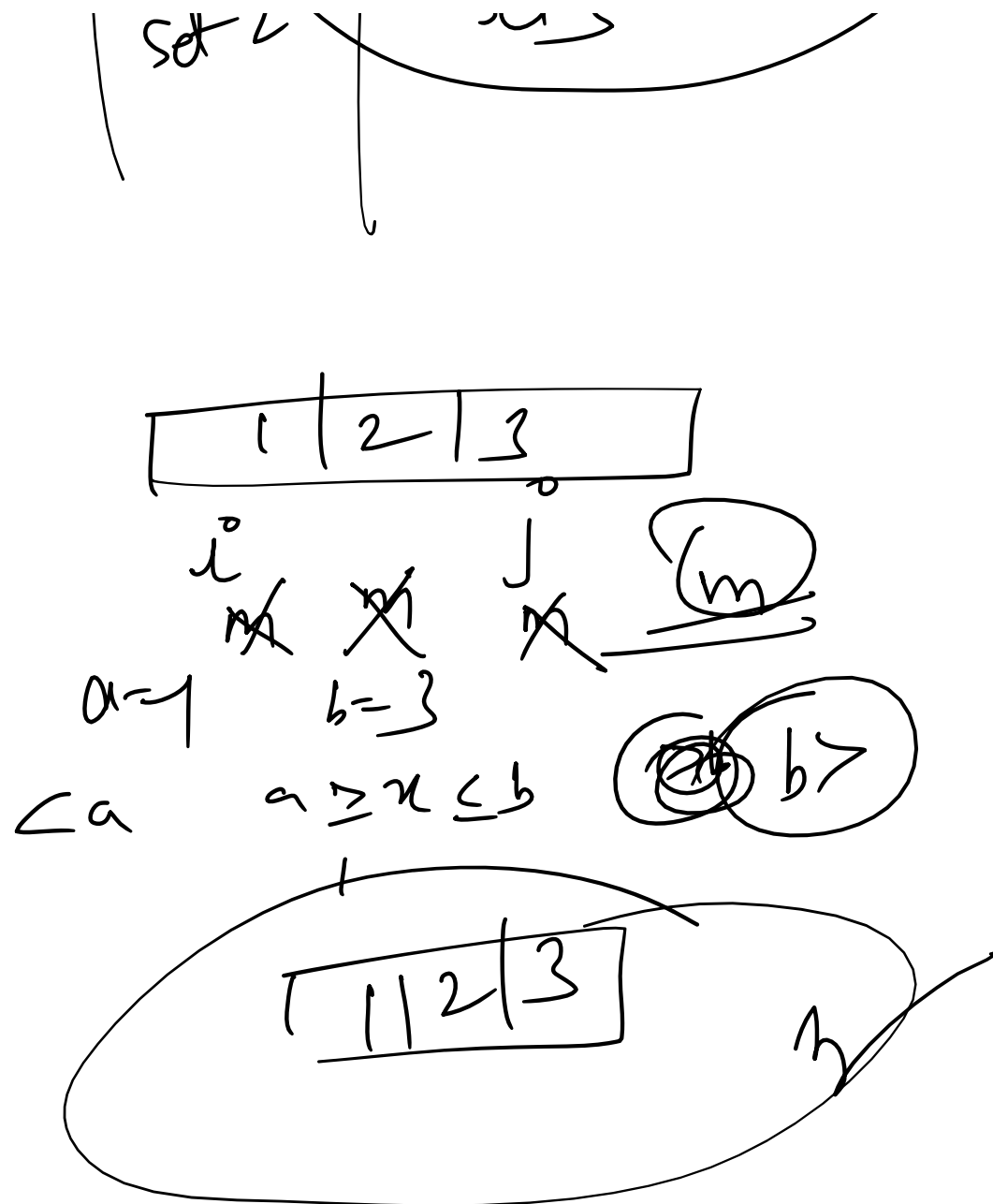
1	2	3	3	4
---	---	--------------	---	--------------

$a=1$
 $b=2$

set 1
 $\frac{a}{it+mtt}$
 $\frac{2}{sweep(l, n)}$
set 2
 $\frac{a \geq n \leq b}{mtt}$
while(m ≤ j)

$\frac{get}{> b}$
 $\frac{sweep(m, j)}{j--i}$

set 1	1	2	3	4	3
set 2					
set 3					



```

void threeWayPartition(vector<int>& array, int a, int b)
{
    int i = 0;
    int m = 0;
    int h = array.size()-1;
    while(m <= h){
        if(array[m] < a){
            swap(array[i], array[m]);
            i++; m++;
        } else if(array[m] >= a && array[m] <= b){
            m++;
        } else{
            swap(array[m], array[h]);
            h--;
        }
    }
}

```

T.C - $O(N)$
 S.C - $O(1)$

S.C - ...

Given an array **arr** of **n** positive integers and a number **k**. One can apply a swap operation on the array any number of times, i.e choose any two index **i** and **j** ($i < j$) and swap $arr[i]$, $arr[j]$. Find the **minimum** number of swaps required to bring all the numbers less than or equal to **k** together, i.e. make them a contiguous subarray.

Example 1:

Input :

$arr[] = \{2, 1, 5, 6, 3\}$

$K = 3$

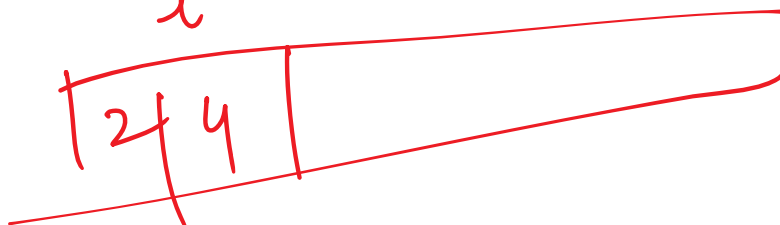
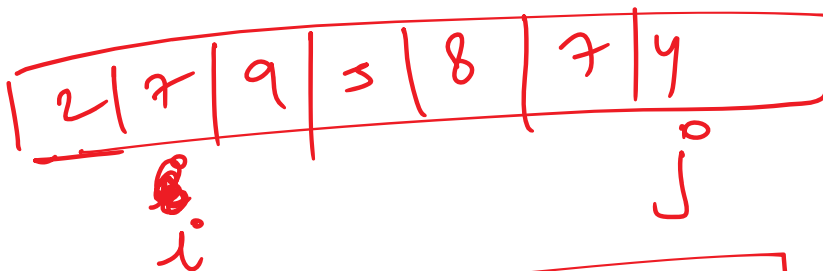
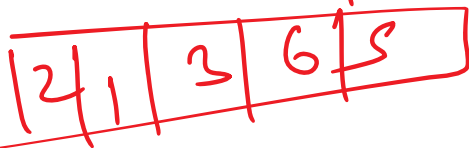
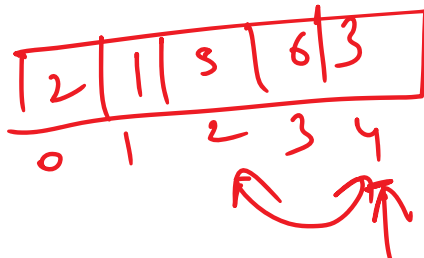
Output :

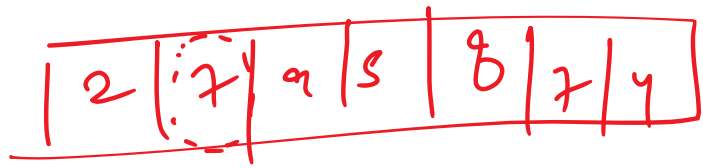
1

Explanation:

To bring elements 2, 1, 3 together,
swap index 2 with 4 (0-based indexing),
i.e. element $arr[2] = 5$ with $arr[4] = 3$
such that final array will be-
 $arr[] = \{2, 1, 3, 6, 5\}$

$k=3$





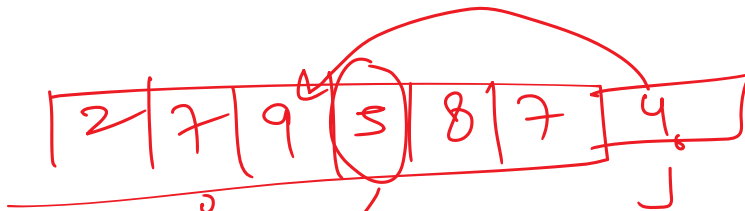
$$\mu = 6$$

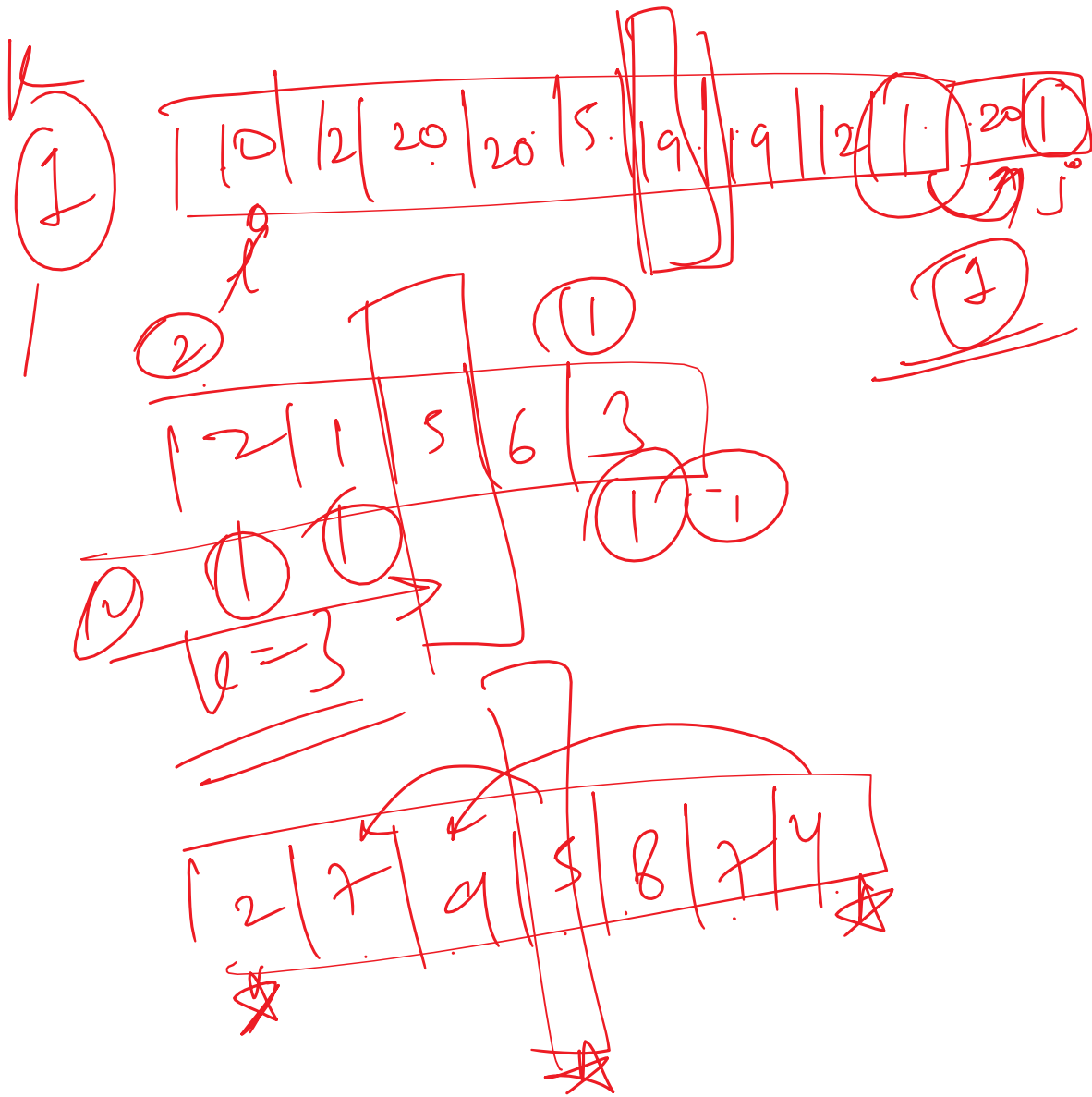
i
 ~~\times~~

j

$j+1$

$\leq K$





Using Sliding Window

Algo
 * First we calculate all the elements that are less than or equal to k .

* make a window of size k and at each window we

calculate no. of non-favourable
 or array element greater than k
 that will be our no. of swaps
 needed. slide the window
 over whole array and
 calculate the minimum non
 favourable element in a window

```
int minSwap(int arr[], int n, int k) {
    int ws = 0;
    for(int i = 0; i < n; i++){
        if(arr[i] <= k){
            ws++;
        }
    }
    if(ws == 0) return 0;
    int i = 0, j = 0, cnt = 0;
    int mini = INT_MAX;
    while(j < n){
        if(arr[j] > k){
            cnt++;
        }
        if((j - i + 1) == ws){
            mini = min(mini, cnt);
            if(arr[i] > k){
                cnt--;
            }
            i++;
        }
        j++;
    }
    return mini;
}
```

T.C - $O(N)$
 S.C - $O(1)$