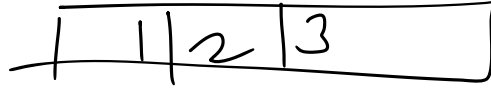


Subsets

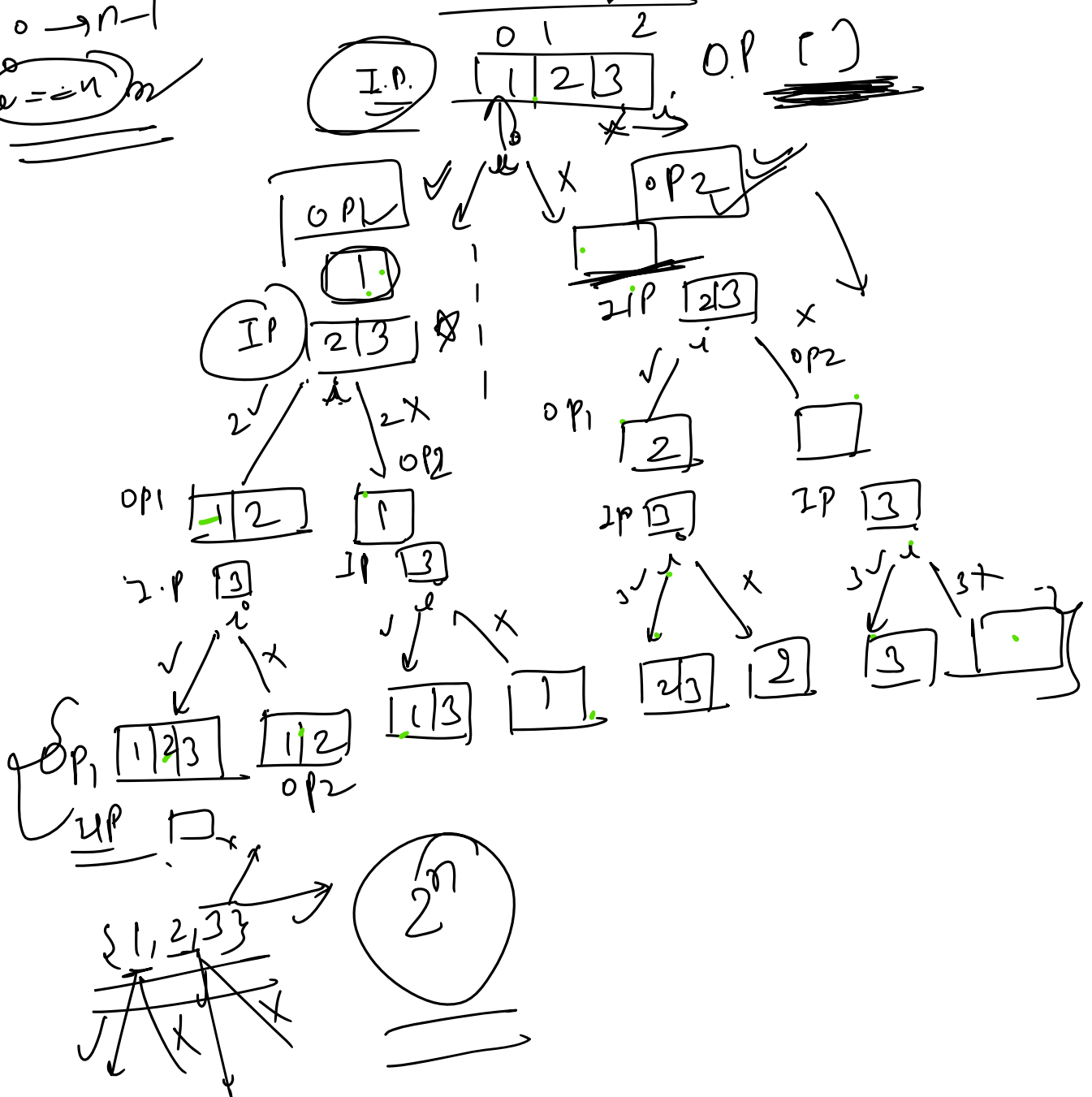


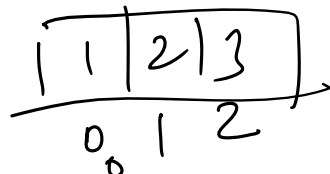
Choices

Choice Diagram

Include
Not Include

$0 \rightarrow n-1$
 $e = n$





0 == 3 X

[1,2,3],

[1,2]

[1,3],

[1]

[2,3],

[2]

[3],

[]

solve(0, [],)

op1 = [1] op2 = []

solve(1, [1])

1 == 3 X

op1 = [1,2] op2 = [1]

solve(1, [])

op1 = [2] op2 = []

solve(2, [])

op2 = [1]

solve(3, [])

Answer

```

void solve(vector<int> &nums, vector<int> op, vector<vector<int>> &ans, int i){
    if(i == nums.size()){
        ans.push_back(op);
        return;
    }
    // choice diagram
    vector<int> op1 = op;
    vector<int> op2 = op;
    // include
    op1.push_back(nums[i]);
    solve(nums, op1, ans, i+1); ✓
    // not included
    solve(nums, op2, ans, i+1); ✓
}

vector<vector<int>> subsets(vector<int>& nums) {
    // answer 2-d vector
    vector<vector<int>> ans;
    int i = 0;
    vector<int> op;
    solve(nums, op, ans, i);
    return ans;
}

```

$\left\{ \begin{array}{l} \text{T.C} - O(2^N) \\ \text{S.C} - O(N) \end{array} \right\}$

N=3

Subset 2

1 | 2 | 2

[] [1, 2, 2] [1, 2] [2, 2] [1],

[2] [2] [2, 1]

unique

set → vector (2-D)



T.C - $(2^N + \log X)$

N \rightarrow

$X = 2^N$

~~set X~~

form

1	2	2
---	---	---

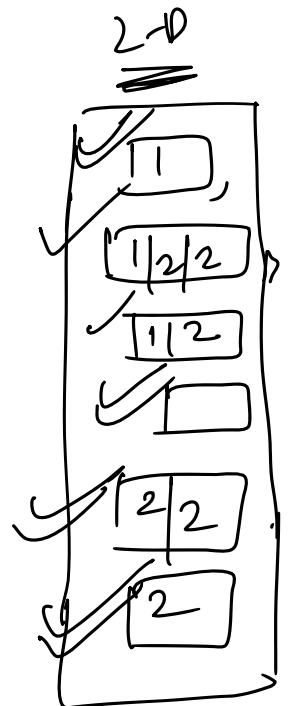
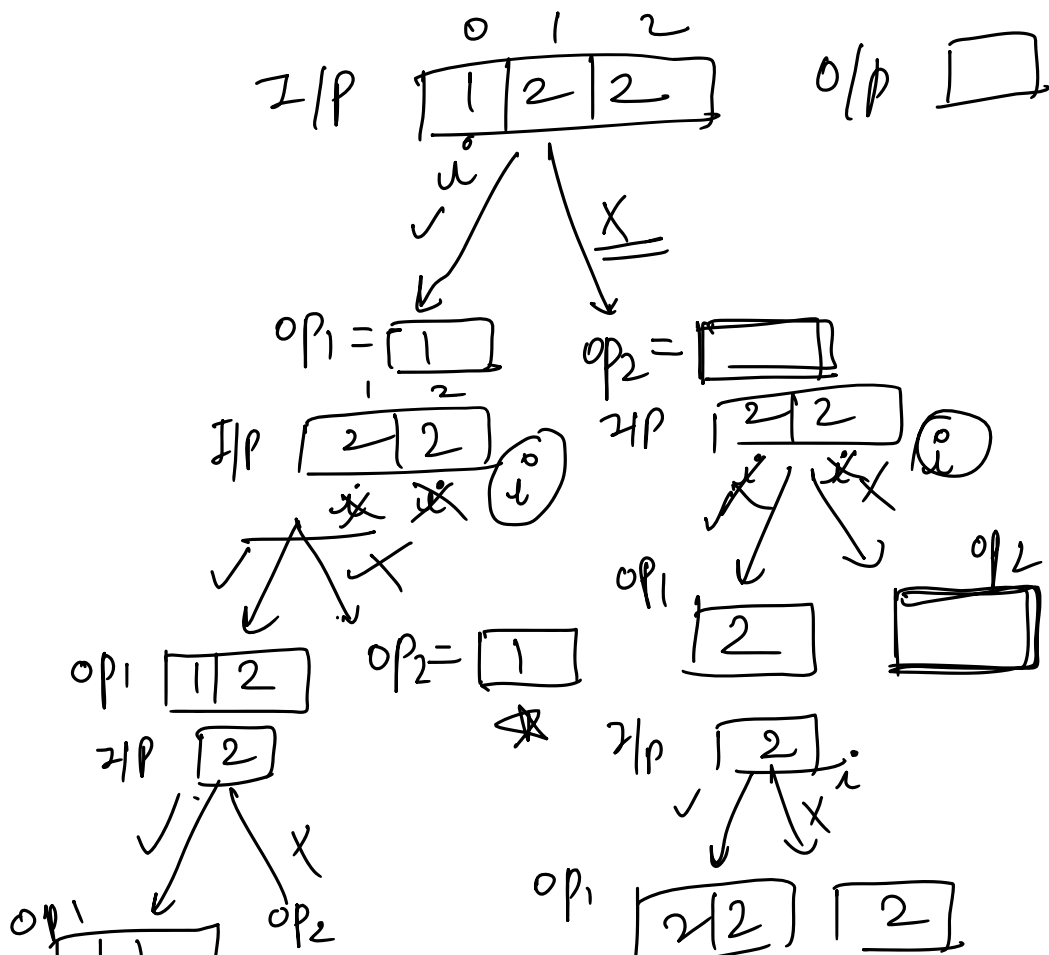
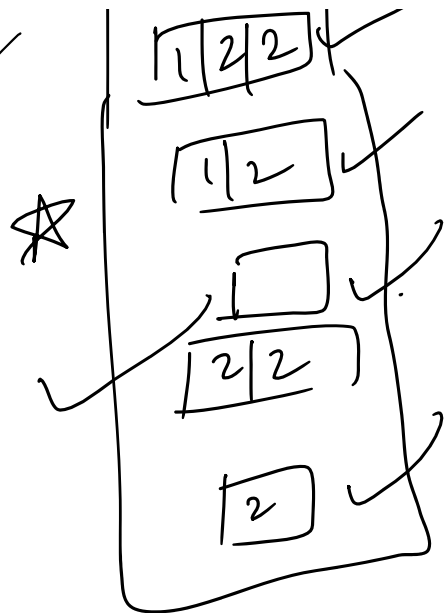
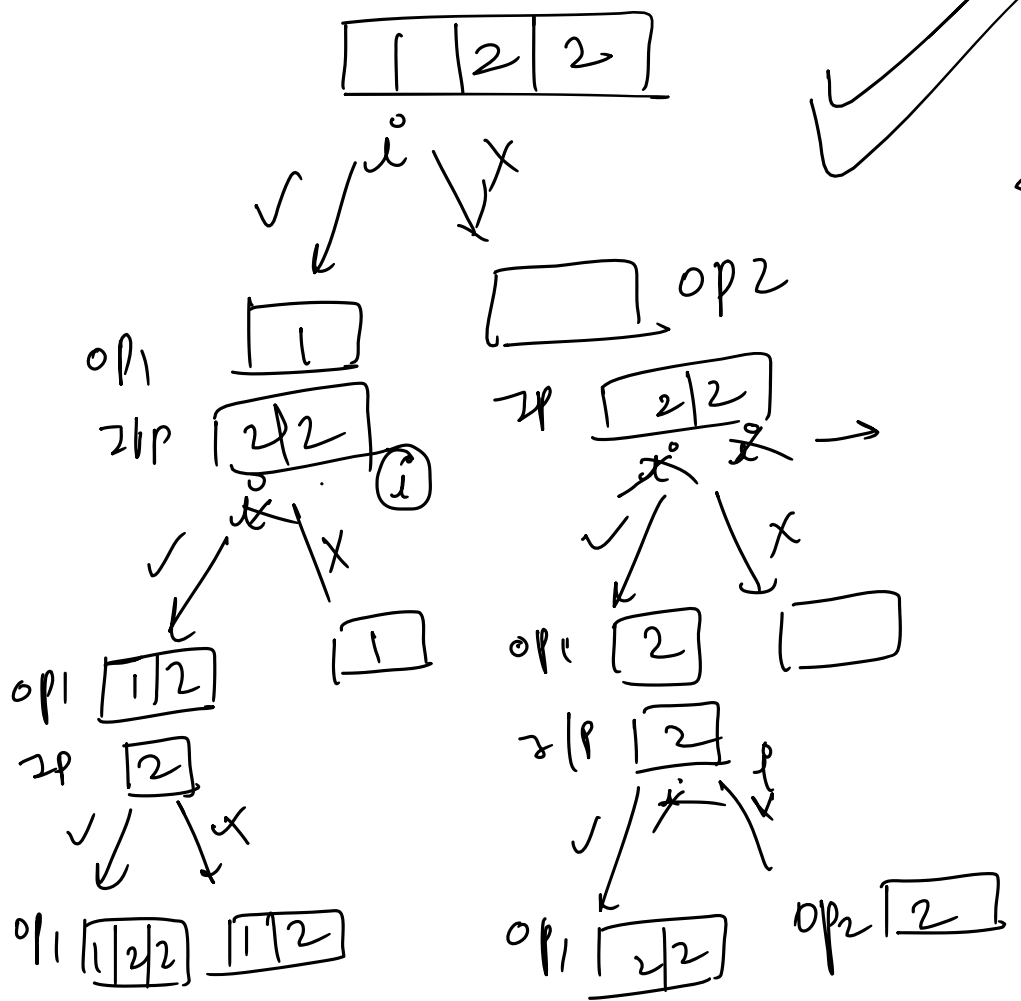
① sort \rightarrow equal elements together

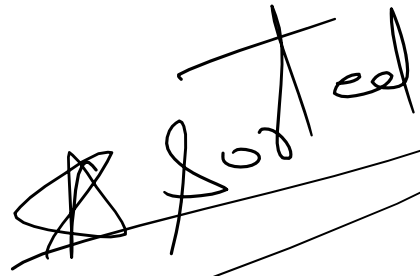
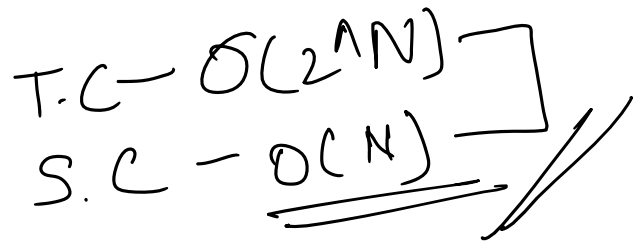
// Include \rightarrow ✓

// Not Include // ✗ Ignore

1	2	2
---	---	---

1	✓		
1	2	2	✓





Dynamic Programming Page 6