

# **Project Report**

**On**

**Prediction of Bike Rental Count on daily  
basis considering the Environmental  
and Seasonal settings.**

**Submitted By:**

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## **TABLE OF CONTENTS**

|                                                   |           |
|---------------------------------------------------|-----------|
| <b>1. CHAPTER 1 : INTRODUCTION.....</b>           | <b>2</b>  |
| a. 1.1 : Problem statement                        | 2         |
| b. 1.2 : Data                                     | 2         |
| <b>2. CHAPTER 2 : METHODOLOGY.....</b>            | <b>3</b>  |
| 2.1: Pre-processing.....                          | 3         |
| ▪ 2.1.1 : Missing Value Analysis                  | 3         |
| ▪ 2.1.2 : Outlier Analysis                        | 4         |
| ▪ 2.1.3 : Data Understanding                      | 5         |
| ▪ 2.1.4 : Feature Selection                       | 8         |
| ▪ 2.1.5 : Feature Scaling                         | 10        |
| 2.2: Model Development.....                       | 12        |
| ▪ 2.2.1 : Model Selection                         | 12        |
| ▪ 2.2.2 : Decision Tree                           | 12        |
| ▪ 2.2.3 : Random Forest                           | 14        |
| ▪ 2.2.4 : Linear Regression                       | 15        |
| <b>3. CHAPTER 3: EVALUATION OF THE MODEL.....</b> | <b>19</b> |
| 3.1 : Mean Absolute Percentage Error (MAPE)       | 19        |
| 3.2 : Accuracy                                    | 19        |
| 3.3 : R Square                                    | 20        |
| 3.4 : Cross Validation                            | 21        |

|                               |           |
|-------------------------------|-----------|
| <b>Appendix – R Code.....</b> | <b>25</b> |
|-------------------------------|-----------|

### **References**

## CHAPTER 1:

# INTRODUCTION

### 1.1 PROBLEM STATEMENT

The project is about a bike rental company who has its historical data, and now our objective of this Project is to predict the bike rental count on daily basis, considering the environmental and seasonal settings. These predicted values will help the business to meet the demand on those particular days by maintaining the amount of supply.

Now-a-days, there are a number of bike renting companies like, Ola Bikes, Rapido etc. and these bike renting companies deliver services to lakhs of customers daily. Now it becomes really important to manage their data properly to come up with new business ideas to get best results. In this case we have to identify on which days there can be most demand, such that we have enough strategies met to deal with such demand.

### 1.2 DATA

The given dataset contains 16 variables and 731 observations. The “cnt” is the target variable and remaining all other variables are the independent variables.

Our objective is to develop a model that can determine the count for future test cases. And this model can be developed with the help of given data. A snapshot of the data is mentioned below:

| instant | dteday   | season | yr | mnth | holiday | weekday | workingda | weathersit | temp     | atemp    | hum      | windspeed | casual | registered | cnt  |
|---------|----------|--------|----|------|---------|---------|-----------|------------|----------|----------|----------|-----------|--------|------------|------|
| 1       | 1/1/2011 | 1      | 0  | 1    | 0       | 6       | 0         | 2          | 0.344167 | 0.363625 | 0.805833 | 0.160446  | 331    | 654        | 985  |
| 2       | 1/2/2011 | 1      | 0  | 1    | 0       | 0       | 0         | 2          | 0.363478 | 0.353739 | 0.696087 | 0.248539  | 131    | 670        | 801  |
| 3       | 1/3/2011 | 1      | 0  | 1    | 0       | 1       | 1         | 1          | 0.196364 | 0.189405 | 0.437273 | 0.248309  | 120    | 1229       | 1349 |
| 4       | 1/4/2011 | 1      | 0  | 1    | 0       | 2       | 1         | 1          | 0.2      | 0.212122 | 0.590435 | 0.160296  | 108    | 1454       | 1562 |
| 5       | 1/5/2011 | 1      | 0  | 1    | 0       | 3       | 1         | 1          | 0.226957 | 0.22927  | 0.436957 | 0.1869    | 82     | 1518       | 1600 |
| 6       | 1/6/2011 | 1      | 0  | 1    | 0       | 4       | 1         | 1          | 0.204348 | 0.233209 | 0.518261 | 0.089565  | 88     | 1518       | 1606 |
| 7       | 1/7/2011 | 1      | 0  | 1    | 0       | 5       | 1         | 2          | 0.196522 | 0.208839 | 0.498696 | 0.168726  | 148    | 1362       | 1510 |
| 8       | 1/8/2011 | 1      | 0  | 1    | 0       | 6       | 0         | 2          | 0.165    | 0.162254 | 0.535833 | 0.266804  | 68     | 891        | 959  |
| 9       | 1/9/2011 | 1      | 0  | 1    | 0       | 0       | 0         | 1          | 0.138333 | 0.116175 | 0.434167 | 0.36195   | 54     | 768        | 822  |
| 10      | #####    | 1      | 0  | 1    | 0       | 1       | 1         | 1          | 0.150833 | 0.150888 | 0.482917 | 0.223267  | 41     | 1280       | 1321 |

Table: Data

## CHAPTER 2:

# METHODOLOGY

After going through the dataset in detail and pre-understanding the data the next step is Methodology, which will help achieve our goal.

In Methodology following processes are followed:

- **Pre-processing:** It includes missing value analysis, outlier analysis, feature selection and feature scaling.
- **Model development:** It includes identifying suitable Machine learning Algorithms and applying those algorithms in our given dataset.

### 2.1 Pre-processing

Here, we will use techniques like missing value analysis, outlier analysis, feature selection, feature scaling. These techniques are used to structure our data. Basically, pre-processing is done because the model asks for structured data and pre-processing is used to structure the data we have got. As, normally the data we get can be messy i.e., it can include many missing values, inconsistent values etc. and these things need to be checked prior developing a model.

#### 2.1.1 Missing Value Analysis

Missing value is availability of incomplete observations in the dataset. This is found because of reasons like incomplete submission, wrong input, manual error etc. These Missing values affect the accuracy of model. So, it becomes important to check missing values in our given data.

Here in this project, after checking the data it is found that the data doesn't consist of any missing values.



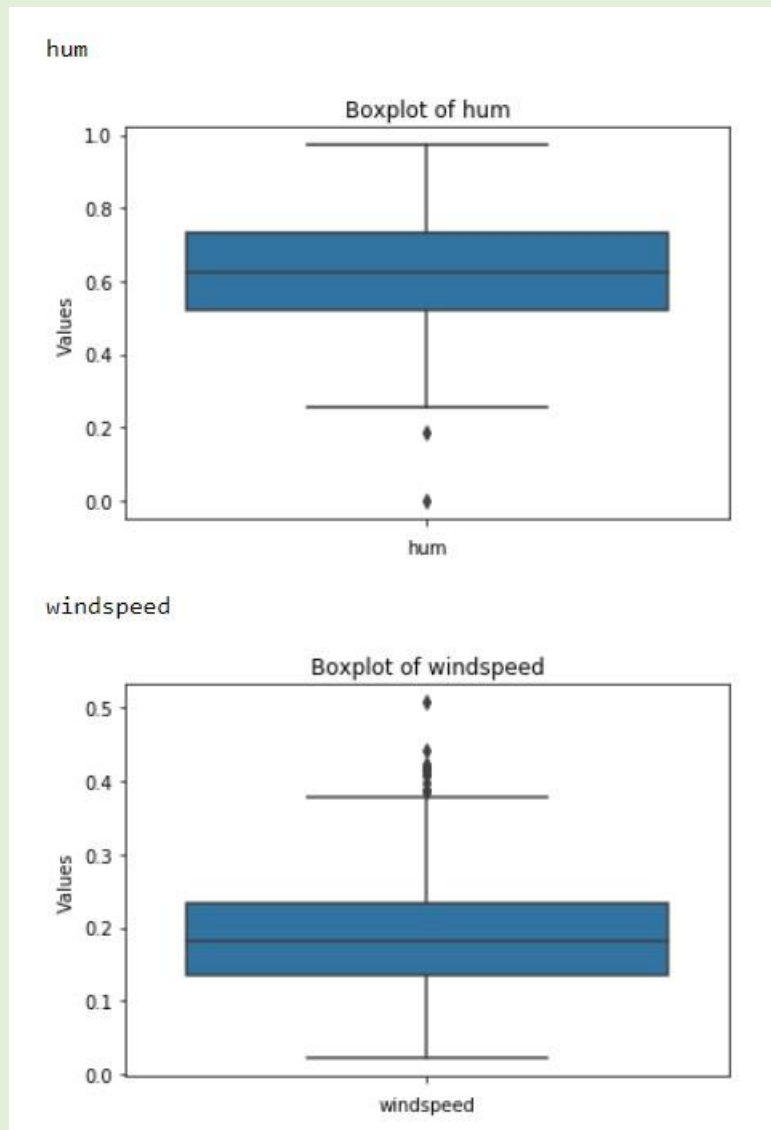
Plot: Missing Values

As there are no missing values found in our given data, thus we don't need to follow imputation processes here. So, we can directly move to our next step that is outlier analysis.

### 2.1.2 Outlier Analysis

Outlier is an abnormal observation that stands or deviates away from other observations. This happens because of manual error, poor quality of data and it is correct but exceptional data. But it can cause an error in predicting the target variables. So, we have to check for outliers in our data set and also remove or replace the outliers wherever required.

In this project, outliers are found in only two variables this are Humidity and windspeed. Following are the box plots for both the variables and dots outside the quartile ranges are outliers.



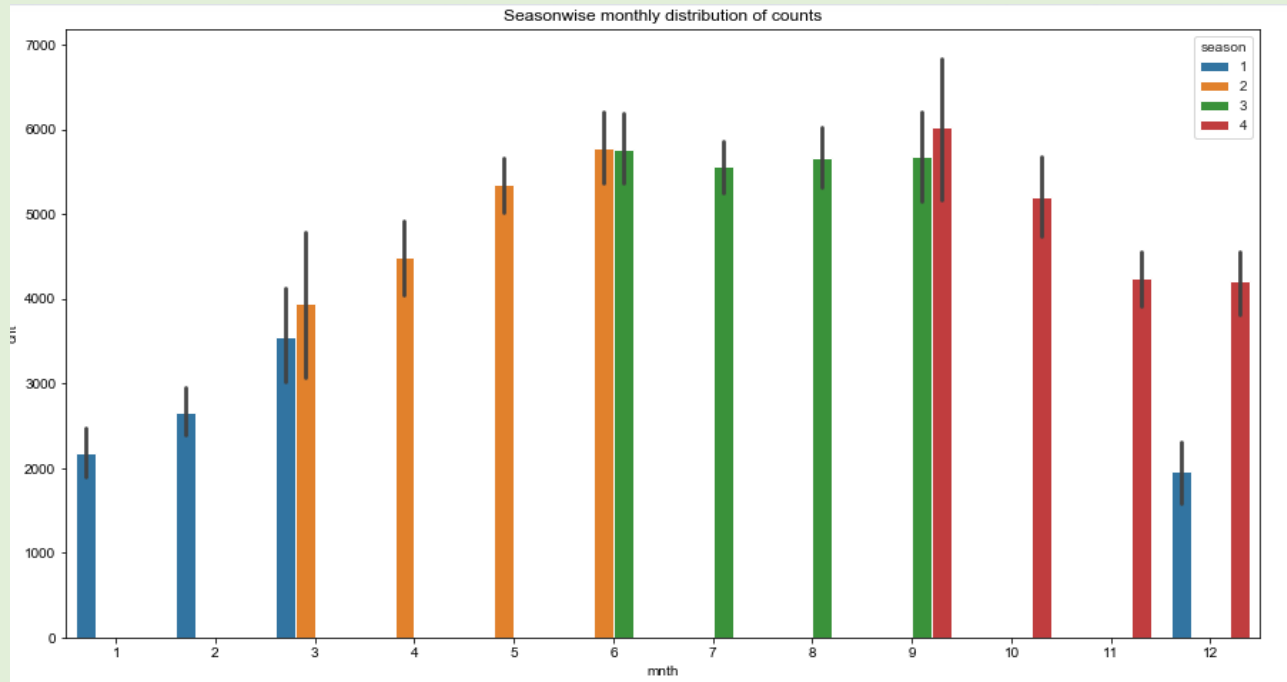
Plot: Outliers

All these outliers mentioned above happened because of manual error, or interchange of data, or may be correct data but exceptional. But all these outliers can hamper our data model. So, there is a requirement to eliminate or replace such outliers, and impute with proper methods to get better accuracy of the model. In this project, I used median method to impute the outliers in windspeed and humidity variables.

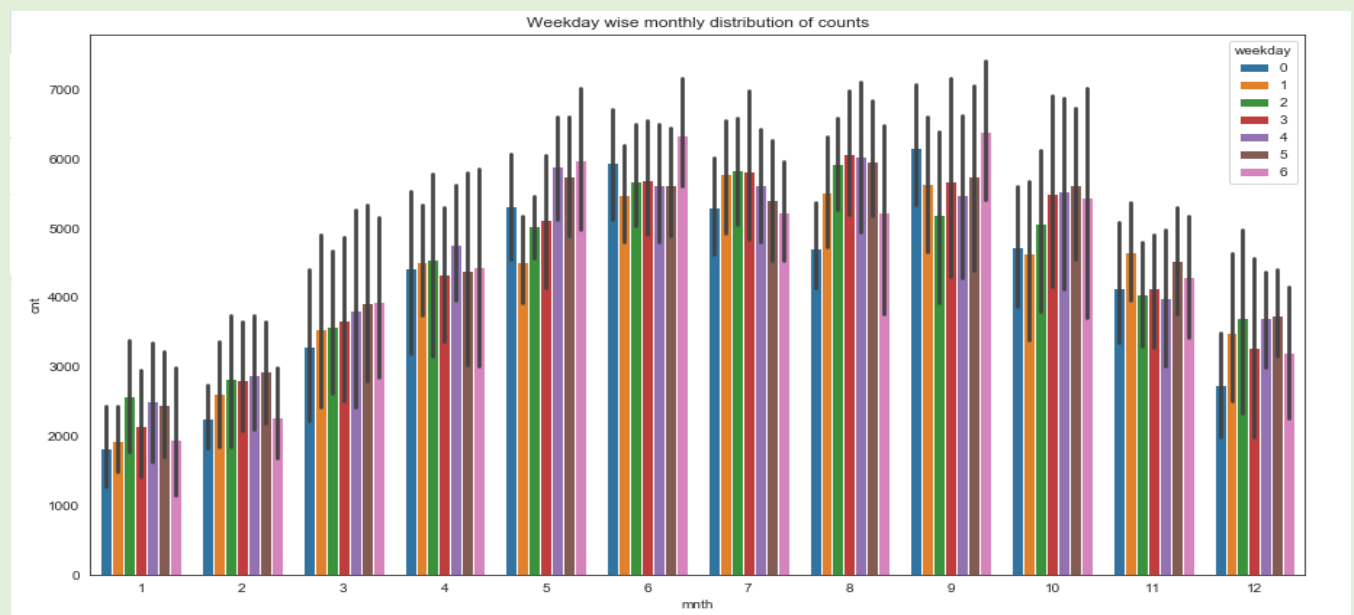
### 2.1.3 Data Understanding

Data Understanding is a process where we know our data in a better way by the help of visual representations and come up with initial ideas to develop our model. Here, the specific variables are plotted with respect to the target variable. In some cases two variables are compared, whereas in some cases three variables are plotted together for our better understanding and visualization.

#### a. Season wise monthly distribution of counts



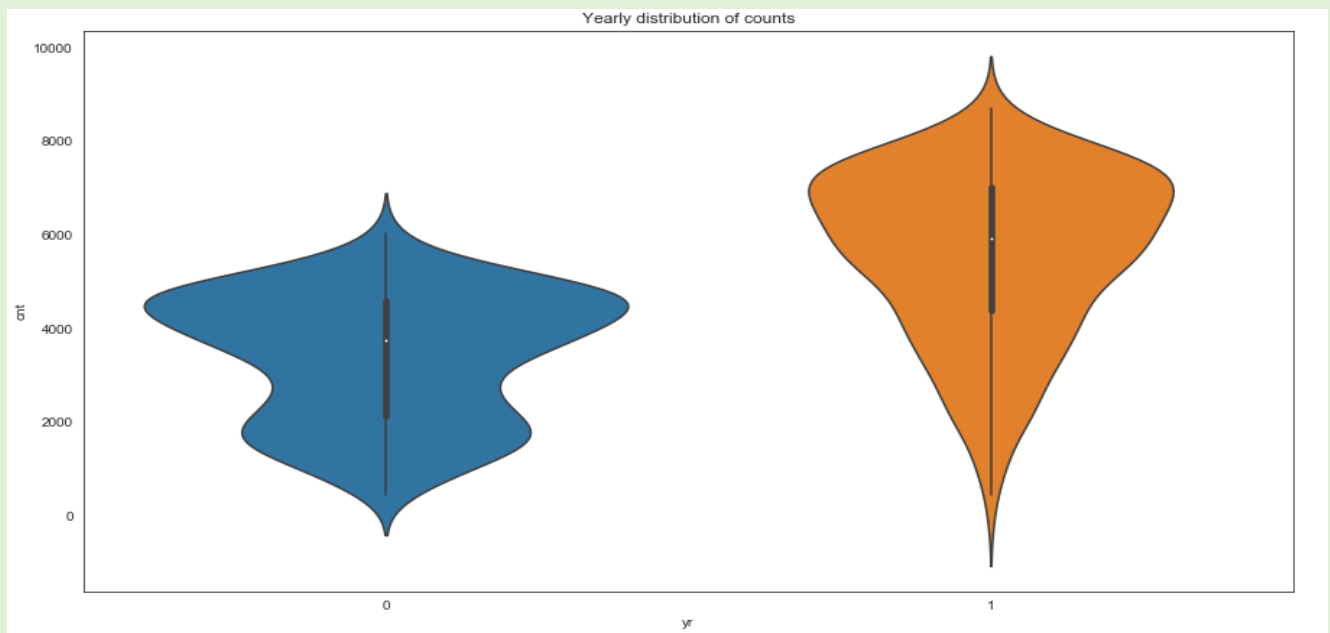
#### b. Weekday wise monthly distribution of counts



From the above plots, we can observe that the bike rental count is increasing in spring and summer season and then decreasing in fall and winter season. Here,

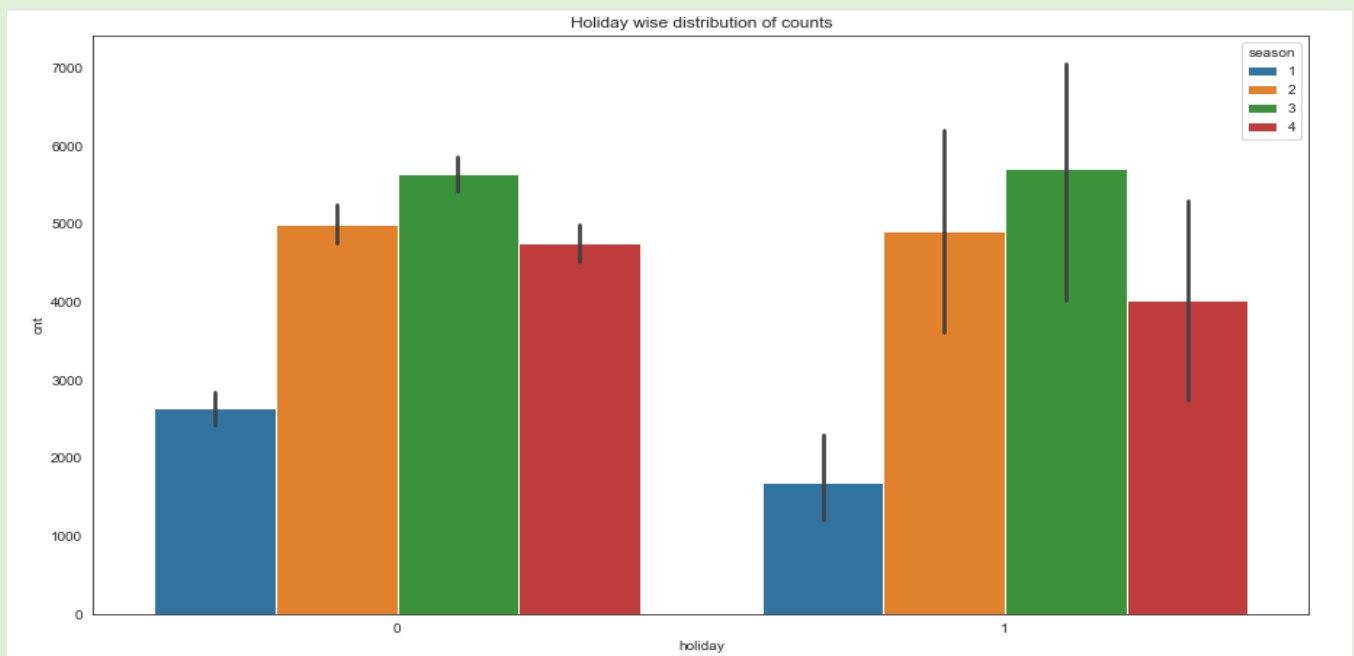
season 1- spring season, 2 - summer season, 3 - fall season, 4 - winter

### c. Yearly distribution of counts



From the violin plot, we can observe that the bike rental count distribution is highest in year 2012 than in year 2011. Here,  
year 0- 2011, year 1- 2012

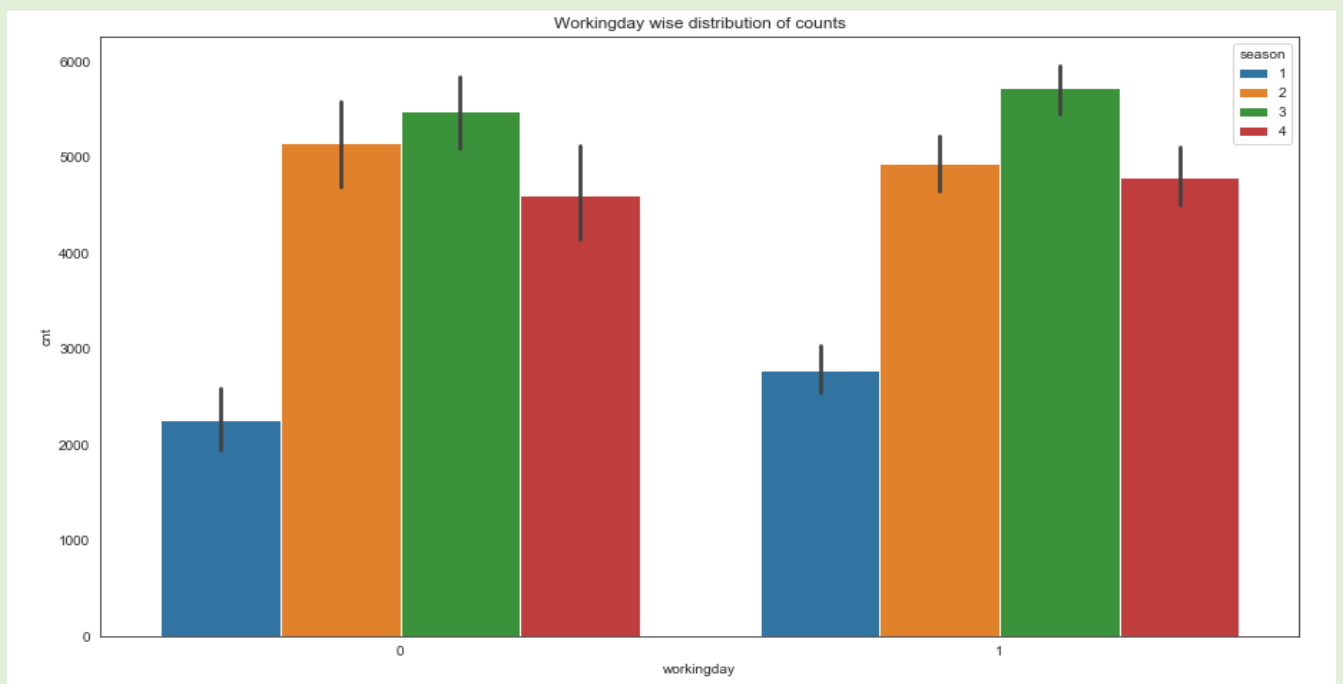
### d. Holiday wise distribution of counts



From the above bar plot, we can observe that during no holiday the bike rental count is highest compared to holiday for different seasons. Here,

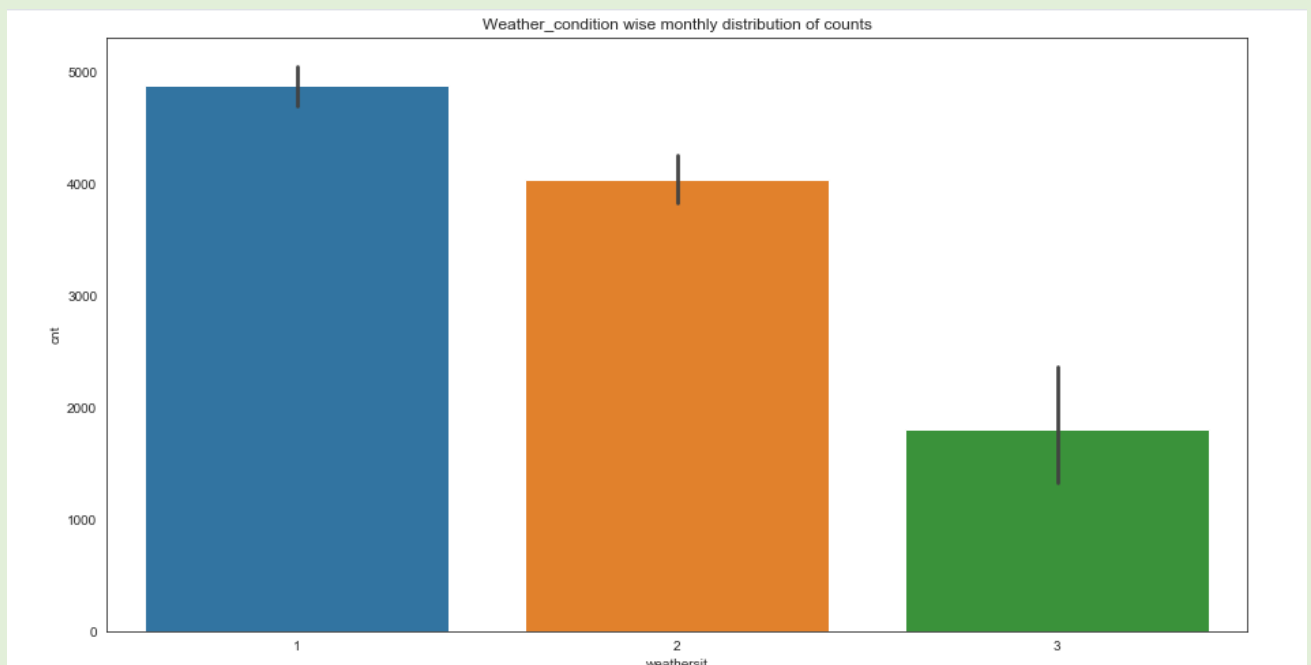
0 - No holiday, 1 - holiday

### e. Working day wise distribution of counts



From the above bar plot, we can observe that during working day the bike rental count is quite highest compared to no working day for different seasons. Here, 0 - No working day, 1 - working day

### f. Weather condition wise distribution of counts

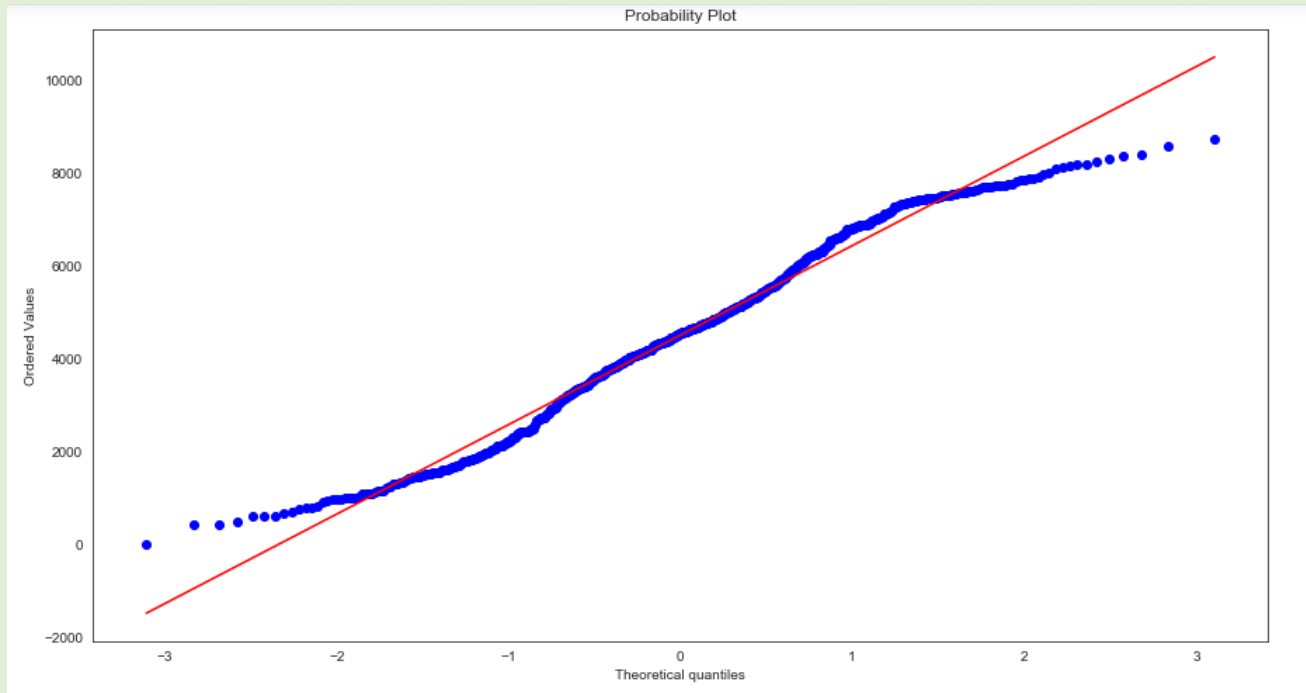


From the above bar plot, we can observe that during clear, partly cloudy weather the bike rental count is highest and the second highest is during mist cloudy weather followed by third highest during light snow and light rain weather.



### g. Normal Probability Plot

Normal probability plot is a graphical technique to identify substantive departures from normality and also, it tells about goodness of fit.



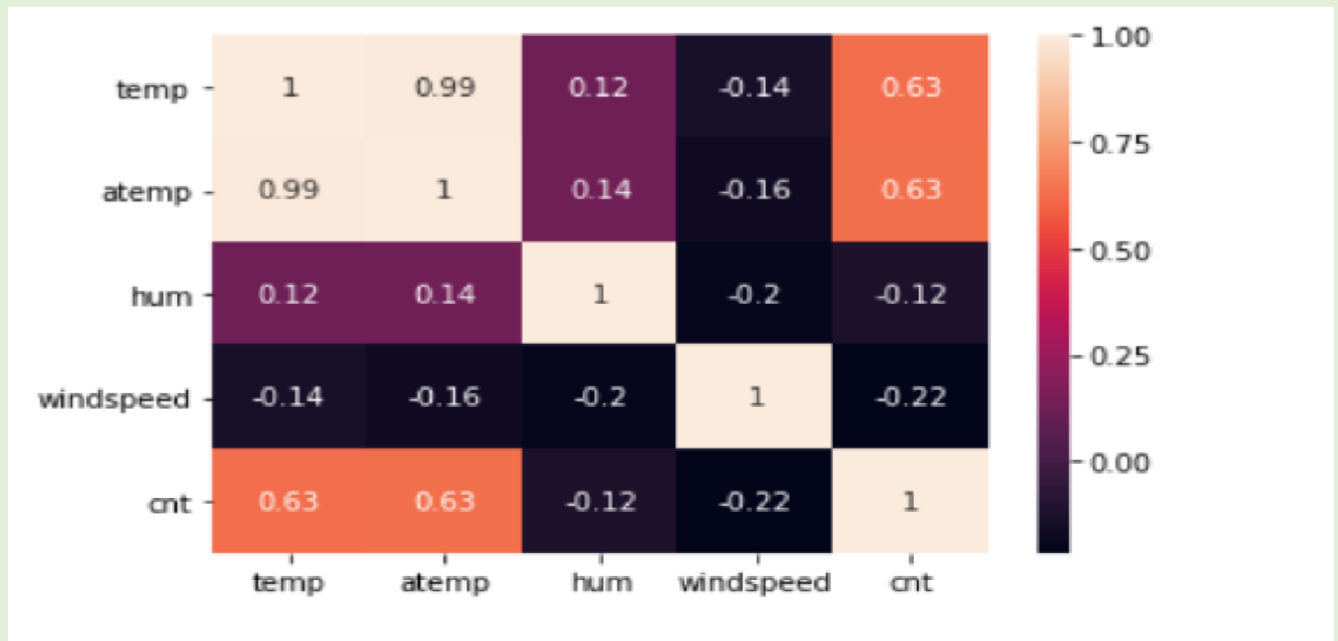
In the above probability plot, some target variable data points deviates from normality.

#### 2.1.4 Feature Selection

Sometimes it happens that all the variables in our data may not be accurate enough to predict the target variable. In such cases, we need to analyse our data, understand our data and select the dataset variables that can be most useful for our model. In such cases we follow feature selection. Feature selection helps by reducing time for computation of model and also reduces the complexity of the model.

Here, in this project correlation analysis is done with numerical variables and ANOVA test is done with categorical variables to check if there is collinearity among the variables. And if there is any collinearity it's better to drop such variables else these redundant variables can hamper the accuracy of the model.

### a. Correlation Analysis for Numerical Variables.



Plot: Correlation Analysis

Observing here, it is found that temperature and atemp are highly correlated with each other. So, in further processes we can drop atemp as it is similar to temperature.

### b. ANOVA Test for Categorical Variables

|            | sum_sq       | df    | F          | PR(>F)       |
|------------|--------------|-------|------------|--------------|
| season     | 4.517974e+08 | 1.0   | 143.967653 | 2.133997e-30 |
| Residual   | 2.287738e+09 | 729.0 | NaN        | NaN          |
|            | sum_sq       | df    | F          | PR(>F)       |
| yr         | 8.798289e+08 | 1.0   | 344.890586 | 2.483540e-63 |
| Residual   | 1.859706e+09 | 729.0 | NaN        | NaN          |
|            | sum_sq       | df    | F          | PR(>F)       |
| mnth       | 2.147445e+08 | 1.0   | 62.004625  | 1.243112e-14 |
| Residual   | 2.524791e+09 | 729.0 | NaN        | NaN          |
|            | sum_sq       | df    | F          | PR(>F)       |
| holiday    | 1.279749e+07 | 1.0   | 3.421441   | 0.064759     |
| Residual   | 2.726738e+09 | 729.0 | NaN        | NaN          |
|            | sum_sq       | df    | F          | PR(>F)       |
| weekday    | 1.246109e+07 | 1.0   | 3.331091   | 0.068391     |
| Residual   | 2.727074e+09 | 729.0 | NaN        | NaN          |
|            | sum_sq       | df    | F          | PR(>F)       |
| workingday | 1.024604e+07 | 1.0   | 2.736742   | 0.098495     |
| Residual   | 2.729289e+09 | 729.0 | NaN        | NaN          |
|            | sum_sq       | df    | F          | PR(>F)       |
| weathersit | 2.422888e+08 | 1.0   | 70.729298  | 2.150976e-16 |
| Residual   | 2.497247e+09 | 729.0 | NaN        | NaN          |

Plot: ANOVA Test

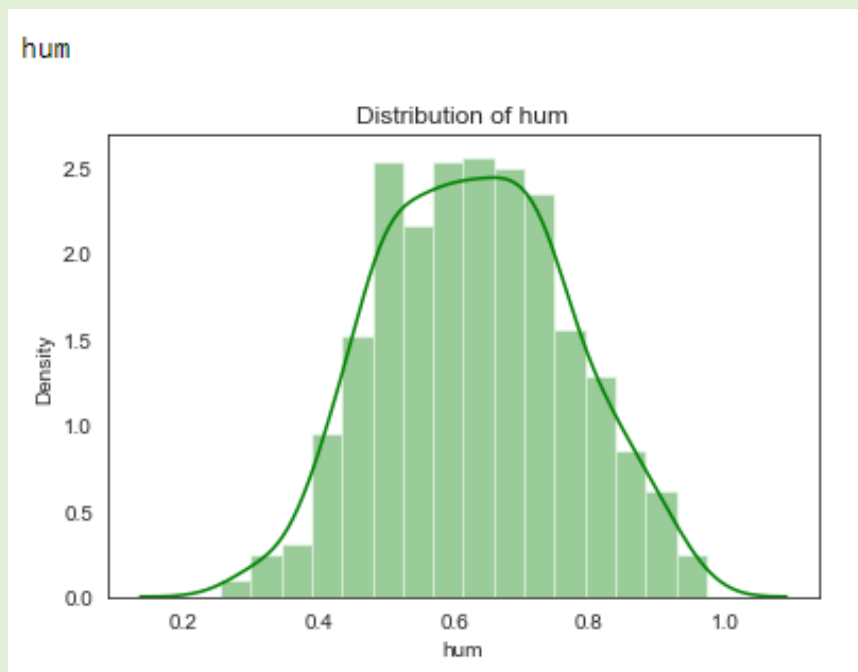
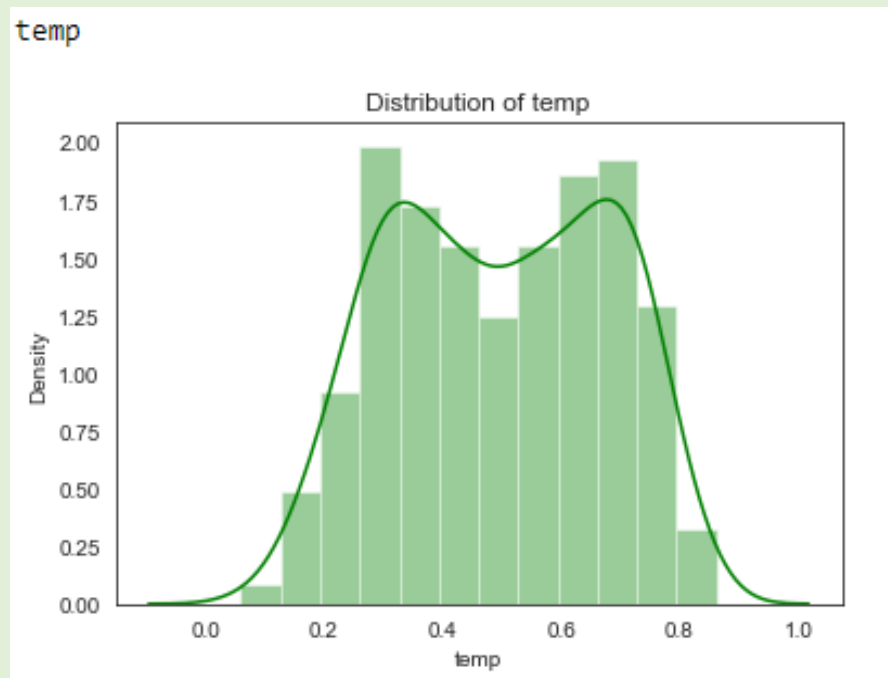
From the observations, it is found that the variables holiday, weekday, and working day has p value > 0.05. Here, null hypothesis is accepted i.e., these variables have no dependency over target variable. So, in further processes these variables can be dropped before modelling. And this process of deducting the variables is also called as dimension reduction.

### 2.1.5 Feature Scaling

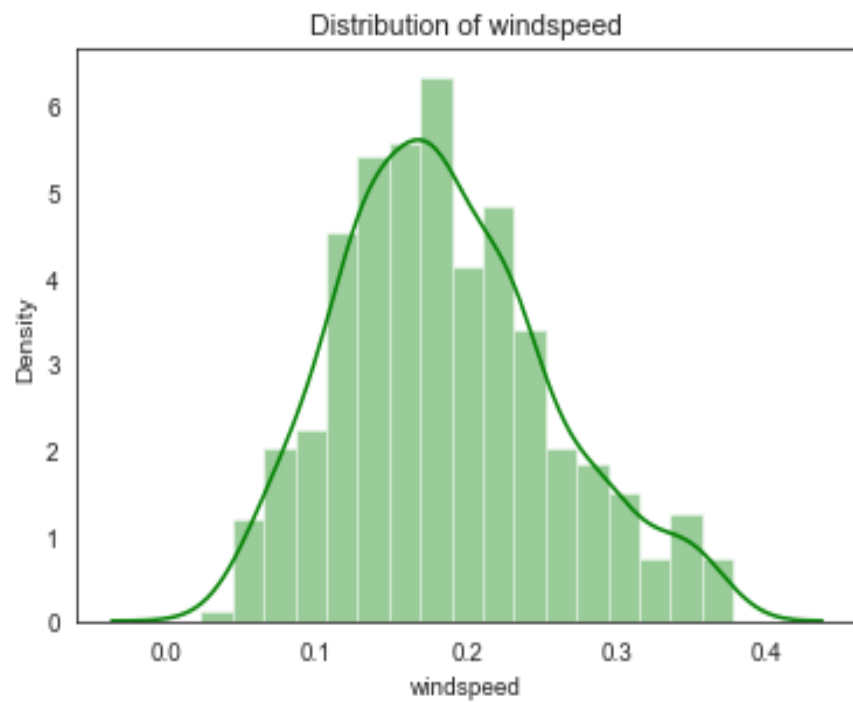
Here in Feature Scaling ranges of variables are normalized or standardized, such that variables can be compared with same range. This is done for an unbiased and accurate model.

In this project, as the data is found approximately symmetric, the feature scaling is not required. Following are the plots of approximately symmetric data visuals.

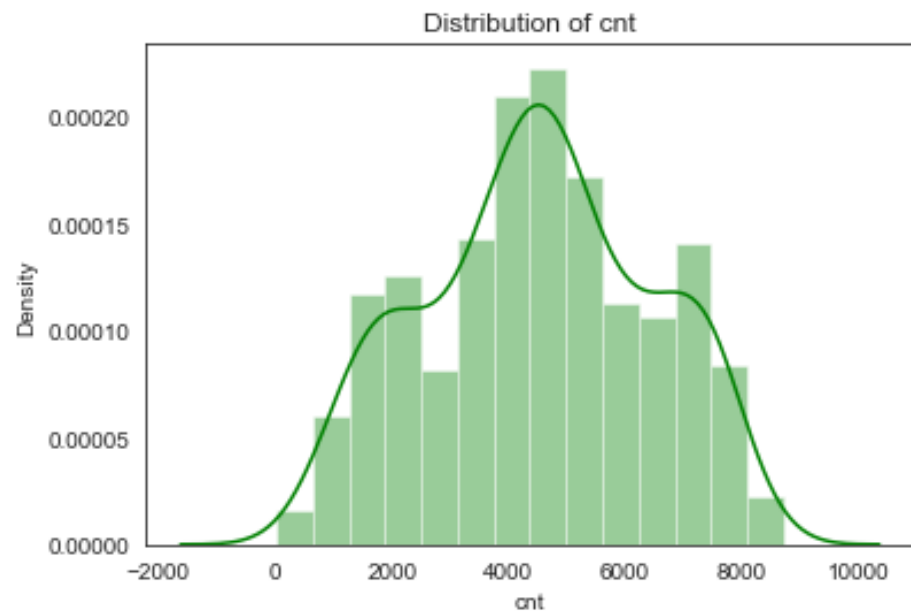
#### a. Categorical Variables Distribution plot



windspeed



cnt



Plot: Distribution of Categorical Variables

## b. For Numerical Variables Range check

|       | season     | yr         | mnth       | weathersit | temp       | hum        | windspeed  | cnt         |
|-------|------------|------------|------------|------------|------------|------------|------------|-------------|
| count | 731.000000 | 731.000000 | 731.000000 | 731.000000 | 731.000000 | 731.000000 | 731.000000 | 731.000000  |
| mean  | 2.496580   | 0.500684   | 6.519836   | 1.395349   | 0.495385   | 0.629354   | 0.186257   | 4504.348837 |
| std   | 1.110807   | 0.500342   | 3.451913   | 0.544894   | 0.183051   | 0.139566   | 0.071156   | 1937.211452 |
| min   | 1.000000   | 0.000000   | 1.000000   | 1.000000   | 0.059130   | 0.254167   | 0.022392   | 22.000000   |
| 25%   | 2.000000   | 0.000000   | 4.000000   | 1.000000   | 0.337083   | 0.522291   | 0.134950   | 3152.000000 |
| 50%   | 3.000000   | 1.000000   | 7.000000   | 1.000000   | 0.498333   | 0.627500   | 0.178802   | 4548.000000 |
| 75%   | 3.000000   | 1.000000   | 10.000000  | 2.000000   | 0.655417   | 0.730209   | 0.229786   | 5956.000000 |
| max   | 4.000000   | 1.000000   | 12.000000  | 3.000000   | 0.861667   | 0.972500   | 0.378108   | 8714.000000 |

**everything is normalized, no need of scaling**

Table: Distribution of Numerical Variables

## 2.2 Model Development

The next step after Exploratory Data Analysis and Data Pre-Processing is Model Development. Now we have our data ready to be implemented to develop a model. There are number of models and Machine learning algorithms that can be used to develop model, some are like decision tree, random forest, SVM, KNN, Naïve Bayes, Linear regression, Logistic Regression etc. So, before implementing any model we have to choose precisely our model. So, the first step in Model Development is selection of model.

### 2.2.1 Model Selection

As per industry standards, there are four categories of models that are derived by classifying problem statement and goal of the project. These categories are:

- Forecasting
- Classification
- Optimization
- Unsupervised Learning

The process of selecting precise model depends on our goal and the problem statement. In this project the problem statement is to predict the bike rental count on daily basis, considering the environmental and seasonal settings. Thus, the problem statement is identified as regression problem and falls under the category of forecasting, where we have to forecast a numeric data or continuous variable for the target.

On the basis of understanding the criteria and given data's problem statement, in this project Decision Tree, Random Forest and Linear Regression are models selected for Model Development.

### 2.2.2 Decision Tree

Decision Tree is a supervised learning predictive model that uses a set of binary rules to calculate the target value/dependent variable.

Decision trees are divided into three main parts which are:

- **Root Node** : performs the first split.
- **Terminal Nodes** : that predict the outcome, these are also called leaf nodes.
- **Branches** : arrows connecting nodes, showing the flow from root to other leaves.

In this project Decision tree is applied in both R and Python, details are described below:

#### a. Decision Tree in R

The Decision Tree Method using R with the structured data found after Data Pre-processing

```
> DTModel
n= 584

node), split, n, deviance, yval
* denotes terminal node

1) root 584 2140008000.0 4535.288
 2) temp< 0.432373 240 527376400.0 3102.171
   4) yr1< 0.5 124 129321300.0 2248.524
     8) season4< 0.5 85 28532480.0 1737.753 *
     9) season4>=0.5 39 30282360.0 3361.744 *
   5) yr1>=0.5 116 211102600.0 4014.690
     10) temp< 0.2804165 32 21386190.0 2550.188 *
     11) temp>=0.2804165 84 94938170.0 4572.595
        22) season1>=0.5 35 20882460.0 3798.600 *
        23) season1< 0.5 49 38111590.0 5125.449 *
 3) temp>=0.432373 344 775817500.0 5535.137
   6) yr1< 0.5 165 111388900.0 4342.473
     12) weathersit3>=0.5 5 496603.2 2277.600 *
     13) weathersit3< 0.5 160 88907630.0 4407.000 *
   7) yr1>=0.5 179 213377700.0 6634.520
     14) hum>=0.771458 22 52841300.0 5267.318 *
     15) hum< 0.771458 157 113650600.0 6826.102 *
```

Plot: Decision Tree Fit R

The above plot shows the rules of splitting of trees. The main root splits into 2 nodes having  $\text{temp} < 0.432373$  240 and  $\text{temp} \geq 0.432373$  344 as its conditions. Nodes further split, the line with \* shows that it is the terminal node. These rules are then applied on the test data to predict values and the MAPE, RSQUARE and Accuracy is noted below.

MAPE = 26.4225  
RSQUARE = 0.7612102  
ACCURACY = 73.51 %

## b. Decision Tree in Python

```
DecisionTreeRegressor(criterion='mse', max_depth=2, max_features=None,  
                      max_leaf_nodes=None, min_impurity_decrease=0.0,  
                      min_impurity_split=None, min_samples_leaf=1,  
                      min_samples_split=2, min_weight_fraction_leaf=0.0,  
                      presort=False, random_state=None, splitter='best')
```

### Plot: Decision Tree Fit in Python

The above fit plot shows the criteria that is used in developing the decision tree in Python. To develop the model in python, during modelling I have kept all the attributes as default except the depth as 2. Although these attributes can be played around to derive better score of the model, which is called Hypertuning of the model. After this the fit is used to predict in test data and the error rate, R-Square and accuracy is calculated.

MAPE = 36.948  
RSQUARE = 0.6544  
ACCURACY = 63.05 %

### 2.2.3 Random Forest

The next model to be followed in this project is Random forest. It is a process where the machine follows an ensemble learning method for classification and regression that operates by developing a number of decision trees at training time and giving output as the class that is the mode of the classes of all the individual decision trees. In this project Random Forest is applied in both R and Python, details are described below:

#### a) Random Forest in R

In a Random Forest model, the importance contributed by individual variables can be seen using importance function, it is mentioned below.

```
> importance(RFModel)  
      %IncMSE  
season1    28.0952214  
season2     9.9382321  
season3     9.4057697  
season4    17.4654533  
yr0         21.8926669  
yr1         29.4499631  
mnth1       10.8787924  
mnth2       10.7517743  
mnth3       13.6432241  
mnth4       13.0848454  
mnth5        4.6377261  
mnth6        7.6869807  
mnth7       -0.0972309  
mnth8        3.2663988  
mnth9       10.2088852  
mnth10       3.7535286  
mnth11       7.0704458  
mnth12       9.0703647  
weathersit1  11.1685822  
weathersit2  10.9657916  
weathersit3  14.9649487  
temp        55.7773526  
hum         28.5997555  
windspeed   17.1264750
```

Plot: importance of variables



The above RF Model describes about the variable contributing the most for predicting the target Variable. Few instances are like temperature, humidity, season and year contributes most developing the model.

After the trained fit is used to predict the test data and error rate, accuracy and R-Square is noted.

MAPE = 19.32104  
RSQUARE = 0.8685008  
ACCURACY = 80.67%

### **b) Random Forest in Python**

```
RandomForestRegressor(bootstrap=True, criterion='mse', max_depth=None,  
                        max_features='auto', max_leaf_nodes=None,  
                        min_impurity_decrease=0.0, min_impurity_split=None,  
                        min_samples_leaf=1, min_samples_split=2,  
                        min_weight_fraction_leaf=0.0, n_estimators=100, n_jobs=None,  
                        oob_score=False, random_state=None, verbose=0, warm_start=False)
```

Plot: Random Forest in Python

Like the Decision tree, above are all the criteria values that are used to develop the Random Forest model in python. Everything is kept default only except n\_estimators, which is tree numbers. Although these attributes can be altered to get a model with a better score. After this the error rate, R Square and accuracy of the model is noted.

MAPE = 20.4007  
RSQUARE = 0.885114  
ACCURACY = 79.05%

### **2.2.3 Linear Regression**

The next method in the process is linear regression. It is used to predict the value of variable  $Y$  based on one or more input predictor variables  $X$ . The goal of this method is to establish a linear relationship between the predictor variables and the response variable. Such that, we can use this formula to estimate the value of the response  $Y$ , when only the predictors ( $X$ - Values) are known.

In this project Linear Regression is applied in both R and Python, details are described below:



### a) Linear regression in R

After running the model the details I got are as follows:

```
> summary(LRmodel)

Call:
lm(formula = cnt ~ ., data = train)

Residuals:
    Min       1Q   Median       3Q      Max
-3690.6  -377.7    89.6   483.9  3063.1

Coefficients: (4 not defined because of singularities)
              Estimate Std. Error t value Pr(>|t|)
(Intercept)   3191.54    418.87   7.619 1.09e-13 ***
season1     -1672.57    199.20  -8.396 3.75e-16 ***
season2      -823.16    239.88  -3.432 0.000644 ***
season3      -920.26    223.59  -4.116 4.43e-05 ***
season4             NA           NA      NA      NA
yr0        -2017.20     66.71  -30.236 < 2e-16 ***
yr1             NA           NA      NA      NA
mnth1         263.32    203.95   1.291 0.197200
mnth2         278.46    202.34   1.376 0.169310
mnth3         821.60    205.51   3.998 7.24e-05 ***
mnth4         790.01    275.17   2.871 0.004246 **
mnth5        1061.10    294.90   3.598 0.000349 ***
mnth6        1009.55    300.93   3.355 0.000848 ***
mnth7         501.88    323.14   1.553 0.120951
mnth8         969.69    306.42   3.165 0.001637 **
mnth9        1495.47    254.95   5.866 7.63e-09 ***
mnth10        773.08    186.40   4.147 3.88e-05 ***
mnth11        -48.84    174.88  -0.279 0.780117
mnth12             NA           NA      NA      NA
weathersit1    2042.10    231.94   8.805 < 2e-16 ***
weathersit2    1606.45    213.88   7.511 2.32e-13 ***
weathersit3             NA           NA      NA      NA
temp          3906.00    474.15   8.238 1.23e-15 ***
hum          -1185.02    344.17  -3.443 0.000618 ***
windspeed    -2590.37    497.88  -5.203 2.75e-07 ***
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 781.7 on 563 degrees of freedom
Multiple R-squared:  0.8392,    Adjusted R-squared:  0.8335
F-statistic: 146.9 on 20 and 563 DF,  p-value: < 2.2e-16
```

Plot: Summary Linear Regression Model

The above plot shows how the target variable count varies with change in each individual variable. The P-Value shows which values are significant in predicting the target variable. Here, we reject null hypothesis which is less than 0.05 and declare that the variable is significant for the model. F-Statistic explains about the quality of the model, and describes the relationship among predictor and target variables. The R squared and adjusted R squared values shows how much variance of the output variable is explained by the independent or input variables. Here the adjusted R square value is 83.35%, which indicated that 83% of the variance of count is explained by the input variables. This explains the model well enough. After this the error metrics and Accuracy is noted.

MAPE = 21.56792

RSQUARE = 0.8191175

ACCURACY = 78.44 %

## b) Linear Regression in Python

After this the model is developed following details are found.

```

=====
                        OLS Regression Results
=====
Dep. Variable:          cnt      R-squared:                0.833
Model:                  OLS      Adj. R-squared:           0.827
Method:                 Least Squares      F-statistic:          140.2
Date:                   Thu, 25 Jul 2019    Prob (F-statistic):    1.63e-203
Time:                   21:08:08           Log-Likelihood:       -4716.2
No. Observations:      584              AIC:                  9474.
Df Residuals:          563              BIC:                  9566.
Df Model:              20
Covariance Type:       nonrobust
=====

```

|              | coef       | std err | t      | P> t  | [0.025    | 0.975]    |
|--------------|------------|---------|--------|-------|-----------|-----------|
| temp         | 4807.6605  | 477.418 | 10.070 | 0.000 | 3869.923  | 5745.398  |
| hum          | -1840.0359 | 351.762 | -5.231 | 0.000 | -2530.963 | -1149.109 |
| windspeed    | -2692.7145 | 509.781 | -5.282 | 0.000 | -3694.019 | -1691.410 |
| season_1     | -160.8963  | 149.431 | -1.077 | 0.282 | -454.407  | 132.615   |
| season_2     | 735.4147   | 149.261 | 4.927  | 0.000 | 442.239   | 1028.591  |
| season_3     | 756.5640   | 170.170 | 4.446  | 0.000 | 422.319   | 1090.809  |
| season_4     | 1424.2811  | 170.259 | 8.365  | 0.000 | 1089.860  | 1758.702  |
| yr_0         | 409.9681   | 152.821 | 2.683  | 0.008 | 109.799   | 710.137   |
| yr_1         | 2345.3954  | 151.325 | 15.499 | 0.000 | 2048.166  | 2642.625  |
| mnth_1       | -1.9341    | 197.841 | -0.010 | 0.992 | -390.531  | 386.663   |
| mnth_2       | 45.1383    | 186.947 | 0.241  | 0.809 | -322.060  | 412.337   |
| mnth_3       | 510.8770   | 141.897 | 3.600  | 0.000 | 232.166   | 789.588   |
| mnth_4       | 233.3586   | 174.311 | 1.339  | 0.181 | -109.021  | 575.738   |
| mnth_5       | 659.7195   | 183.392 | 3.597  | 0.000 | 299.503   | 1019.936  |
| mnth_6       | 250.5066   | 180.098 | 1.391  | 0.165 | -103.239  | 604.252   |
| mnth_7       | -222.2685  | 220.988 | -1.006 | 0.315 | -656.331  | 211.794   |
| mnth_8       | 271.1265   | 207.045 | 1.310  | 0.191 | -135.548  | 677.801   |
| mnth_9       | 888.8861   | 173.978 | 5.109  | 0.000 | 547.161   | 1230.611  |
| mnth_10      | 382.5832   | 187.383 | 2.042  | 0.042 | 14.528    | 750.639   |
| mnth_11      | -183.6576  | 194.752 | -0.943 | 0.346 | -566.188  | 198.873   |
| mnth_12      | -78.9721   | 168.303 | -0.469 | 0.639 | -409.550  | 251.606   |
| weathersit_1 | 1643.7280  | 90.978  | 18.067 | 0.000 | 1465.030  | 1822.426  |
| weathersit_2 | 1302.9232  | 110.447 | 11.797 | 0.000 | 1085.985  | 1519.862  |
| weathersit_3 | -191.2876  | 221.771 | -0.863 | 0.389 | -626.886  | 244.311   |

```

=====
Omnibus:                 97.249      Durbin-Watson:           1.897
Prob(Omnibus):           0.000      Jarque-Bera (JB):        248.035
Skew:                    -0.849      Prob(JB):                1.38e-54
Kurtosis:                 5.704      Cond. No.                1.54e+16
=====

```

Warnings:

- [1] Standard Errors assume that the covariance matrix of the errors is correctly specified.
- [2] The smallest eigenvalue is 5.01e-30. This might indicate that there are strong multicollinearity problems or that the design matrix is singular.

Plot: Linear regression Python

Here, F-Statistic explains about the quality of the model. AIC is Akaike Information Criterion, if we have multiple models with same accuracy then we need to refer this to choose the best model. The table three values containing Omnibus and JB test are mostly required for time variance analysis. Here, as we are not using any time values in our project we can ignore this table 3.

T-statistic explain how much statistically significant the coefficient is. It is also used to calculate the P –Value and if P-Value is less than 0.05 we reject null hypothesis and say that the variable is significant. Here, all the variables are less than 0.05 and are significant. The R squared and adjusted R squared values show how much variance of the output variable is explained by the independent or input variables. Here the adjusted R square value is 82.7%, which explains that only 83% of the variance of count is explained by the input variables. This shows that the model is performing well. After this predictions are done and error metrics are calculated.

MAPE = 18.80069603

RSQUARE = 0.84360400

ACCURACY = 81.19 %

### **Model Summary:**

From the above mentioned various models that can be developed for the given data. At first place, The Data is divided into train and test. Then the models are developed on the train data. After that the model is fit into it to test data to predict the target variable. After predicting the target variable in test data, the actual and predicted values of target variable are compare to get the error and accuracy. And looking over the error and accuracy rates, the best model for the data is identified and it is kept for future usage.

## CHAPTER 3:

### EVALUATION OF THE MODEL

So, now we have developed few models for predicting the target variable, now the next step is to evaluate the models and identify which one to choose for deployment. To decide these, error metrics are used. In this project MAPE, R Square and Accuracy are used. And addition to these error metrics K Fold Cross validation is also applied to identify the best model of all.

#### 3.1 Mean Absolute Error (MAE)

MAE or Mean Absolute Error, it is one of the error measures that is used to calculate the predictive performance of the model. It is the sum of calculated errors. In this project we will apply this measure to our models.

a) In R :

| Method            | MAPE Error( in Percentage) |
|-------------------|----------------------------|
| Decision Tree     | 26.4225                    |
| Random Forest     | 19.32104                   |
| Linear Regression | 21.56792                   |

Table: MAPE in R

b) In Python :

| Method            | MAPE Error( in Percentage) |
|-------------------|----------------------------|
| Decision Tree     | 36.9480                    |
| Random Forest     | 20.9466                    |
| Linear Regression | 18.8006                    |

Table: MAPE in Python

If we observe the above tables, we choose the model with lowest MAPE as a suitable Model. Here, from R we get Random Forest as a better model, whereas from Python we get Linear Regression as a better model. So following this we can conclude that both Random Forest and Linear Regression can be used as model for this data, if you evaluate on the basis of MAPE. But we need more error metrics to cross check this. So, we go for R Square which is a better error metric.

#### 3.2 Accuracy

The second metric to identify or compare for better model is Accuracy. It is the ratio of number of correct predictions to the total number of predictions made.

$$\text{Accuracy} = \text{Number of correct predictions} / \text{Total predictions made}$$

It can also be calculated from MAE as **Accuracy = 1- MAPE**

a. In R

| Method            | Accuracy (in Percentage) |
|-------------------|--------------------------|
| Decision Tree     | 73.57                    |
| Random Forest     | 80.67                    |
| Linear Regression | 78.43                    |

Table: Accuracy in R Models

b. In Python

| Method            | Accuracy (in Percentage) |
|-------------------|--------------------------|
| Decision Tree     | 63.051                   |
| Random Forest     | 79.053                   |
| Linear Regression | 81.199                   |

Table: Accuracy in Python Models

As, Accuracy derives from MAE/MAPE its observations also suggest same models as better models as suggested by MAPE. Here, the models with highest accuracy are chosen, and from the observations it is found that both Random Forest and Linear Regression are good models for the given data set.

### 3.3 R Square

R Square is another metric that helps us to know about the Correlation between original and predicted values.

a. In R

| Method            | R – Square (in Percentage) |
|-------------------|----------------------------|
| Decision Tree     | 76.12                      |
| Random Forest     | 86.85                      |
| Linear Regression | 81.91                      |

Table: R Square in R

b. In Python

| Method            | R – Square (in Percentage) |
|-------------------|----------------------------|
| Decision Tree     | 65.44                      |
| Random Forest     | 88.43                      |
| Linear Regression | 84.36                      |

Table: R Square in Python

R Square is identified as a better error metric to evaluate models. If we observe the above tables, we choose the model with highest R Square as a suitable Model. Here, from both R and Python it is found that Random Forest is a best fit model for the given data.



### 3.4 Cross Validation

Cross-validation is a resampling procedure used to evaluate machine learning models on a limited data sample. Although we have followed above error metrics to identify a better model, there is always a chance that model is under fitting or over fitting the data. So, the problem with this evaluation technique is that it does not give an indication of how well the learner will generalize to an independent/ unseen data set. Getting this idea about our model is known as Cross Validation. So, it becomes important to cross validate our model in most cases. Cross – Validation are of different types. In this project K-Fold cross validation is used.

#### K-Fold Cross – Validation:

The procedure has a single parameter called ‘k’, that refers to the number of groups that a given data sample is to be split into. As such, the procedure is often called k-fold cross-validation. When a specific value for k is chosen, it may be used in place of k in the reference to the model, such as k=10 becoming 10-fold cross-validation. Basically it distributes the data in various folds and averages the accuracy score of various folds to identify the best model. The model with highest cross validated average score of accuracy is termed as best model for the data.

#### In R:

By the help of caret package in R the cross-validation is done for various model and results are plotted.

#### Random Forest:

5 folds are created and little hypertuning is done with mtry = 2,3,4 and the following observations are found, it says RF Model with 4 split is good with R-Square of 86.9 %

```
> print(RF_KF)
Random Forest

584 samples
 24 predictor

No pre-processing
Resampling: Cross-validated (5 fold)
Summary of sample sizes: 467, 466, 468, 468, 467
Resampling results across tuning parameters:

  mtry  RMSE      Rsquared  MAE
  2     889.5567  0.8480267  692.1735
  3     753.6377  0.8642956  564.7550
  4     708.5888  0.8696301  518.4594

RMSE was used to select the optimal model using the smallest value.
The final value used for the model was mtry = 4.
```

#### Decision Tree:

5 folds are created and little hyper tuning of interaction depth = 1,2,3 , and n.trees = 200, and the following observations are found, it says DT Model with interaction depth with 3 and 200 n.trees the model performs better as R-Square is 86.8 %

```

> print(DT_KF)
Stochastic Gradient Boosting

584 samples
24 predictor

No pre-processing
Resampling: Cross-Validated (5 fold)
Summary of sample sizes: 468, 467, 466, 468, 467
Resampling results across tuning parameters:

  interaction.depth  RMSE      Rsquared  MAE
1                   728.8031  0.8578157  539.8345
2                   702.5039  0.8675989  513.4690
3                   702.3213  0.8680605  511.8224

Tuning parameter 'n.trees' was held constant at a value of 200
Tuning parameter 'shrinkage' was held constant at a value of 0.1
Tuning parameter 'n.minobsinnode' was held constant at a value of 10
RMSE was used to select the optimal model using the smallest value.
The final values used for the model were n.trees = 200, interaction.depth = 3, shrinkage = 0.1 and n.minobsinnode = 10.
>

```

### Linear Regression:

5 folds are created and the following observations are found for Linear Regression Cross Validation, it says LR Model performs well with as R-Square is 82.6 %

```

<
> print(LR_KF)
Linear Regression

584 samples
24 predictor

No pre-processing
Resampling: Cross-Validated (5 fold)
Summary of sample sizes: 467, 467, 468, 467, 467
Resampling results:

  RMSE      Rsquared  MAE
803.2391  0.8268951  600.8336

Tuning parameter 'intercept' was held constant at a value of TRUE

```

### In Python:

Here in python the cross\_val\_score function is imported from scikit learn library, which performs K Fold Cross Validation in various models. The details are noted below:

### Random Forest:

3 Folds are created with `n_estimators = 100`, and 3 folds scores are found and the average accuracy score of the model is found as 48.73 %. Thus, the model is not upto mark, it can be tuned further and if tuning also doesn't improve the accuracy of the model, we will drop this model.

```
cross_val_score(RandomForestRegressor(), X_kf,y_kf, cv = 3)
#array([0.69521348, 0.27999794, 0.452253  ])
RF_Score = cross_val_score(RandomForestRegressor(n_estimators = 100), X_kf,y_kf, cv = 3)
np.average(RF_Score)
```

0.4873964218480966

### Decision Tree:

3 Folds are created with `max_depth = 2`, and 3 folds scores are found and the average accuracy score of the model is found as 5.24 %. Thus, the model is not upto mark, it can be tuned further, and if tuning also doesn't improve the accuracy of the model, we will drop this model.

```
cross_val_score(DecisionTreeRegressor(max_depth=2), X_kf,y_kf, cv = 3)
#array([ 0.23365401, -0.23313404,  0.15690143])

DT_Score = cross_val_score(DecisionTreeRegressor(max_depth=2), X_kf,y_kf, cv = 3)
np.average(DT_Score)
```

0.05247379896663843

### Linear Regression:

3 Folds are created with no tuning, and 3 folds scores are found and the average accuracy score of the model is found as 62.80 %. Thus, the model is up to mark. It can also be tuned further to get better accuracy.

```
from sklearn.linear_model import LinearRegression
cross_val_score(LinearRegression(), X_kf,y_kf, cv = 3)
#array([0.73477372, 0.6035598 , 0.54577344])

LR_Score = cross_val_score(LinearRegression(), X_kf,y_kf, cv = 3)
np.average(LR_Score)
```

0.6280356539519311

From the above cross-validation it is found that, in some cases Random Forest is a better model and in some other cases Linear Regression is a better model for the given data set. We can go with any one of them or both. Thus, this model can be used for further processes and this model can also be further tuned to get optimum results.

And also from all the criteria mentioned above, like MAPE, R Square, Accuracy and Cross- Validation, it is concluded that both the models Linear Regression and Random Forest are better for our given data set.



**END OF REPORT**

# APPENDIX

**1. Python Code is attached separately.**

**2. R Code-**

```
rm(list=ls())
```

```
#Set Working Directory
```

```
setwd("C:/Users/Lenovo/Documents/LM/EdWisor/Projects/Project 2")
```

```
getwd()
```

```
#Load Libraries
```

```
x = c("ggplot2", "corrgram", "DMwR", "caret", "randomForest", "unbalanced", "C50", "dummies",  
"e1071", "Information", "MASS", "rpart", "gbm", "ROSE", 'sampling', 'DataCombine', 'inTrees')
```

```
install.packages(x)
```

```
lapply(x, require, character.only = TRUE)
```

```
rm(x)
```

```
#-----Load Data-----#
```

```
Data_Day = read.csv("day.csv", header = T )
```

```
#Exploratory Data Analysis
```

```
class(Data_Day)
```

```
dim(Data_Day)
```

```
head(Data_Day)
```

```
names(Data_Day)
```

```
str(Data_Day)
```

```
summary(Data_Day)
```

```
#From the above observations
```

```
#Dropping few columns
```

```
Data_Day = subset(Data_Day, select = -c(instant, dteday, casual, registered))
```

```
dim(Data_Day)
```

```
names(Data_Day)
```

### **#separate numeric and categorical variables**

```
numeric_var = c('temp', 'atemp', 'hum', 'windspeed', 'cnt')
```

```
categorical_var = c('season', 'yr', 'mnth', 'holiday', 'weekday', 'workingday', 'weathersit')
```

### **#----- Missing Value analysis-----#**

```
summary(is.na(Data_Day))
```

```
sum(is.na(Data_Day))
```

### **#there are no missing values**

### **#-----Outlier Analysis -----#**

```
df = Data_Day
```

```
Data_Day = df
```

### **# BoxPlots - Distribution and Outlier Check**

```
library(ggplot2)
```

```
for (i in 1:length(numeric_var))
```

```
{
```

```
  assign(paste0("gn",i), ggplot(aes_string(y = (numeric_var[i]), x = "cnt"), data = subset(Data_Day))+  
    stat_boxplot(geom = "errorbar", width = 0.5) +  
    geom_boxplot(outlier.colour="red", fill = "grey", outlier.shape=18,  
      outlier.size=1, notch=FALSE) +  
    theme(legend.position="bottom")+  
    labs(y=numeric_var[i],x="count")+  
    ggtitle(paste("Box plot of count for",numeric_var[i])))
```

```
}
```

### **# Plotting plots together**

```
gridExtra::grid.arrange(gn1,gn2,gn3,ncol=3)
```

```
gridExtra::grid.arrange(gn4,gn5, ncol=2)
```

### **# Outliers found in windspeed and humidity variables.**

### **#Replacing outliers with NA**

```
for(i in numeric_var){
```

```
  print(i)
```

```
  outlier = Data_Day[,i][Data_Day[,i] %in% boxplot.stats(Data_Day[,i])$out]
```

```
  print(length(outlier))
```

```
  Data_Day[,i][Data_Day[,i] %in% outlier] = NA
```

```
}
```

```
sum(is.na(Data_Day))
```

```
#Impute NA values with KNN
```

```
library(DMwR)  
library(rpart)
```

```
Data_Day = knnImputation(Data_Day, k = 5)
```

```
sum(is.na(Data_Day))
```

```
#----- Data Understanding-----#
```

```
# Time to plot some graphs, so let's install few libraries
```

```
library(ggplot2)  
library(scales)  
library(psych)  
library(gplots)
```

```
# Barplot with x axis as season and y axis as count
```

```
ggplot(Data_Day, aes(x = Data_Day$season, y = Data_Day$cnt))+  
  geom_bar(stat = "identity", fill = "blue")+  
  labs(title = "Number of bikes rented with respect to season", x = "Seasons", y = "cnt")+  
  theme(panel.background = element_rect("white"))+ theme(plot.title = element_text(face = "bold"))
```

```
#It is found that season 3, has the highest count of bikes and season 1 has lowest count of bikes
```

```
# Barplot with x axis as year and y axis as count
```

```
ggplot(Data_Day, aes(x = Data_Day$yr, y = Data_Day$cnt))+ geom_bar(stat = "identity", fill = "red")+  
  labs(title = "Number of bikes rented with respect to year", x = "yr", y = "cnt")+theme(panel.background  
= element_rect("white"))+ theme(plot.title = element_text(face = "bold"))
```

```
# It is found that Year 1 has the highest count while year 0 has lowest count.
```

```
# Barplot with x axis as weekday and y axis as count
```

```
ggplot(Data_Day, aes(x = Data_Day$weekday, y = Data_Day$cnt))+ geom_bar(stat = "identity", fill =  
"navyblue")+labs(title = "Number of bikes rented with respect to days", x = "Days of the week", y =  
"count")+ theme(panel.background = element_rect("white"))+ theme(plot.title = element_text(face =  
"bold"))
```

```
#It is found that on day 5 there is highest count and on day 0 its lowest count of bikes rented
```

### **#Count with respect to temperature and humidity together**

```
ggplot(Data_Day,aes(temp,cnt)) + geom_point(aes(color=hum),alpha=0.5) +  
  labs(title = "Bikes count vs temperature and humidity", x = "Normalized temperature", y = "Count")+  
  scale_color_gradientn(colors=c('blue','light blue','dark blue','light green','yellow','dark  
orange','black')) + theme_bw()
```

**#It is found that when normalized temperature is between 0.5 to 0.75 and humidity is between 0.50 to 0.75, count is high.**

### **# Count with respect to windspeed and weather together**

```
ggplot(Data_Day, aes(x = windspeed, y = cnt))+ geom_point(aes(color= weathersit ), alpha=0.5) +  
  labs(title = "Bikes count vs windspeed and weather", x = "Windspeed", y = "Count")+  
  scale_color_gradientn(colors=c('blue','light blue','dark blue','light green','yellow','dark  
orange','black')) + theme_bw()
```

**# It is found that count is at peak, when windspeed is from 0.1 to 0.3 and weather is from 1.0 to 1.5.**

### **# Count with respect to temperature and season together**

```
ggplot(Data_Day, aes(x = temp, y = cnt))+ geom_point(aes(color=season),alpha=0.5) +  
  labs(title = "Bikes count vs temperature and season", x = "Normalized temperature", y = "Count")+  
  scale_color_gradientn(colors=c('blue','light blue','dark blue','light green','yellow','dark  
orange','black')) + theme_bw()
```

**# It is found that count is maximum when temperature is 0.50 to 0.75 & season 3 to season 4.**

## **#-----Feature Selection -----#**

```
df2 = Data_Day  
Data_Day = df2
```

**#Correlation Analysis and Anova test is done to identify if variables can be reduced or not.**

### **# Correlation Analysis for numeric variable**

```
library(corrgram)
```

```
corrgram(Data_Day[,numeric_var],order=FALSE,upper.panel = panel.pie,  
  text.panel = panel.txt,  
  main= "Correlation Analysis between numeric variables")
```

**#It is found that temperature and atemp are highly correlated with each other.**

**# Anova Test for categorical variables**

```
for(i in categorical_var){  
  print(i)  
  Anova_test_result = summary(aov(formula = cnt~Data_Day[,i],Data_Day))  
  print(Anova_test_result)  
}
```

**#It is found that holiday, weekday and workingday has p value > 0.05. Null hypothesis accepted**

**# Dimension reduction , removing variables that are not required**

```
Data_Day = subset(Data_Day, select=-c(atemp,holiday,weekday,workingday))
```

**#-----Feature Scaling -----#**

```
numeric_var = c("temp","hum","windspeed","cnt")  
categorical_var = c("season", "yr", "mnth", "weathersit")
```

**# Skewness test**

```
library(propagate)  
  
for(i in numeric_var){  
  
  print(i)  
  skew = skewness(Data_Day[,i])  
  print(skew)  
  
}
```

**#Dataset is approximately symmetric. Values are found ranging between -0.5 to +0.5.**

**# Identify range and check min max of the variables to check normality**

```
for(i in numeric_var){  
  
  print(summary(Data_Day[,i]))  
  
}
```

**#dat is found as normalized, scaling not required**

### **# visualizing normality check**

```
hist(Data_Day$temp, col="Navyblue", xlab="Temperature", ylab="Frequency",
      main="Temperature Distribution")

hist(Data_Day$hum, col="Blue", xlab="Humidity", ylab="Frequency",
      main="Humidity Distribution")

hist(Data_Day$windspeed,col="Dark green",xlab="Windspeed",ylab="Frequency",
      main="Windspeed Distribution")
```

### **# the distribution is approximately symmetric**

## **#-----MODELLING -----#**

```
library(DataCombine)
rmExcept("Data_Day")
```

```
df3 = Data_Day
Data_Day = df3
```

### **#Develop error metrics**

#### **#R Square**

```
Rsquare = function(y,y1){
  cor(y,y1)^2
}
```

#### **#MAPE**

```
MAPE = function(y,y1){
  mean(abs((y-y1)/y))*100
}
```

## **#-----Dummy creation -----#**

```
categorical_var = c("season","yr","mnth","weathersit")

library(dummies)

Data_Day = dummy.data.frame(Data_Day, categorical_var)
```

### **#Save Data for KFold CV**

```
KFData = Data_Day
```

### **#Divide data**

```
set.seed(123)
train_index = sample(1:nrow(Data_Day),0.8*nrow(Data_Day))
train= Data_Day[train_index,]
test= Data_Day[-train_index,]
```

### **#-----Check Multicollinearity -----#**

```
numeric_var = c("temp","hum","windspeed", "cnt")
```

```
numeric_var2 = Data_Day[,numeric_var]
```

```
library(usdm)
```

```
vifcor(numeric_var2, th = 0.7)
```

**#No collinearity problem.**

### **#-----DECISION TREE -----#**

```
library(rpart)
```

```
DTModel = rpart(cnt~., train, method = "anova" , minsplit=5)
```

### **# Predictions**

```
DTTest = predict(DTModel, test[-25]) summary(DTModel)
```

### **#MAPE**

```
DTMape_Test = MAPE(test[,25], DTTest)
```

```
DTMape_Test #26.4225
```

### **#RSquare**

```
DT_RSquare = Rsquare(test[,25], DTTest)
```

```
DT_RSquare #0.7612102
```



## **#-----RANDOM FOREST-----#**

```
library(randomForest)
set.seed(123)

RFModel = randomForest(cnt~., train, ntree = 500, importance = TRUE)

# Predictions

RFTest = predict(RFModel, test[-25])

# MAPE

RFMape_Test = MAPE(test[,25], RFTest)
RFMape_Test # 19.32104

#RSquare

RF_RSquare = Rsquare(test[,25], RFTest)
RF_RSquare # 0.8685008
```

## **#-----LINEAR REGRESSION-----#**

```
LRModel = lm(cnt~., train)

summary(LRModel)

# Predictions on test

LRTest = predict(LRModel, test[-25])

#MAPE

LRMape_Test = MAPE(test[,25], LRTest)
LRMape_Test # 21.56792

#RSquare

LR_RSquare = Rsquare(test[,25], LRTest)
LR_RSquare # 0.8191175
```

## #-----Model Selection & Evaluation -----#

```
print("MAPE Statistics")
print(DTMape_Test)
print(RFMape_Test)
print(LRMape_Test)

print("Accuracy")
print(100 - DTMape_Test)
print(100 - RFMape_Test)
print(100 - LRMape_Test)

print("R Square Statistics")
print(DT_RSquare)
print(RF_RSquare)
print(LR_RSquare)
```

## #-----Cross Validation -----#

### #Load Data

```
library(caret)

KFData
```

### #divide data

```
set.seed(123)
train_index2 = sample(1:nrow(KFData),0.8*nrow(KFData))
train_KF = KFData[train_index,] test_KF = KFData[-
train_index,]
```

### #Random Forest Cross Validation

```
RF_KF = train(cnt~.,
              data = train_KF,
              method = "rf",
              tuneGrid = expand.grid(mtry = c(2,3,4)),
              trControl = trainControl(method = "cv",
                                       number = 5,
                                       verboseIter = FALSE,))
```

```
print(RF_KF)
```

```
knitr::kable(head(RF_KF$results), digits = 3)
```

```
print(RF_KF$bestTune)
```

```
RFpreds = predict(RF_KF, test_KF[-25])
```

```
RFpreds_MAPE = MAPE(test_KF[,25], RFpreds)  
RFpreds_MAPE
```

```
RFpreds_RSquare = Rsquare(test[,25], RFpreds)  
RFpreds_RSquare
```

### **#Decision Tree Cross Validation**

```
DT_KF = train(cnt~.,  
              data = train_KF,  
              method = "gbm",  
              tuneGrid = expand.grid(n.trees = 200,  
                                     interaction.depth = c(1,2,3),  
                                     shrinkage = 0.1,  
                                     n.minobsinnode = 10 ),  
              trControl = trainControl(method = "cv",  
                                       number = 5,  
                                       verboseIter = FALSE))
```

```
print(DT_KF)  
knitr::kable(head(DT_KF$results), digits = 3)
```

```
print(DT_KF$bestTune)
```

```
DTpreds = predict(DT_KF, test_KF[-25])
```

```
DTpreds_MAPE = MAPE(test_KF[,25], DTpreds)  
DTpreds_MAPE
```

```
DTPreds_RSquare = Rsquare(test[,25], DTPreds)  
DTPreds_RSquare
```

### **#Linear Regression CV**

```
LR_KF = train(cnt~.,  
              data = train_KF,  
              method = "lm",  
              tuneGrid = expand.grid(intercept = TRUE),  
              trControl = trainControl(method = "cv",  
                                       number = 5, verboseIter = FALSE))
```

```
print(LR_KF)
```

```
knitr::kable(head(LR_KF$results), digits = 3)
```

```
print(LR_KF$bestTune)
```

```
LRpreds = predict(LR_KF, test_KF[-25])
```

```
LRpreds_MAPE = MAPE(test_KF[,25], LRpreds)
LRpreds_MAPE
```

```
LRPreds_RSquare = Rsquare(test[,25], LRpreds)
LRPreds_RSquare
```

```
#-----R CODE ENDS HERE-----#
```

# References

1. For clarity of concepts referred - <https://towardsdatascience.com>
2. For more information – <https://medium.com>
3. For Visualization using seaborn-<https://www.geeksforgeeks.org/plotting-graph-using-seaborn-python>
4. For some help regarding codes -<https://stackoverflow.com>
5. For Data Cleaning and Model Development - <https://edvisor.com/career-data-scientist>
6. For other code related queries - <https://www.analyticsvidhya.com>