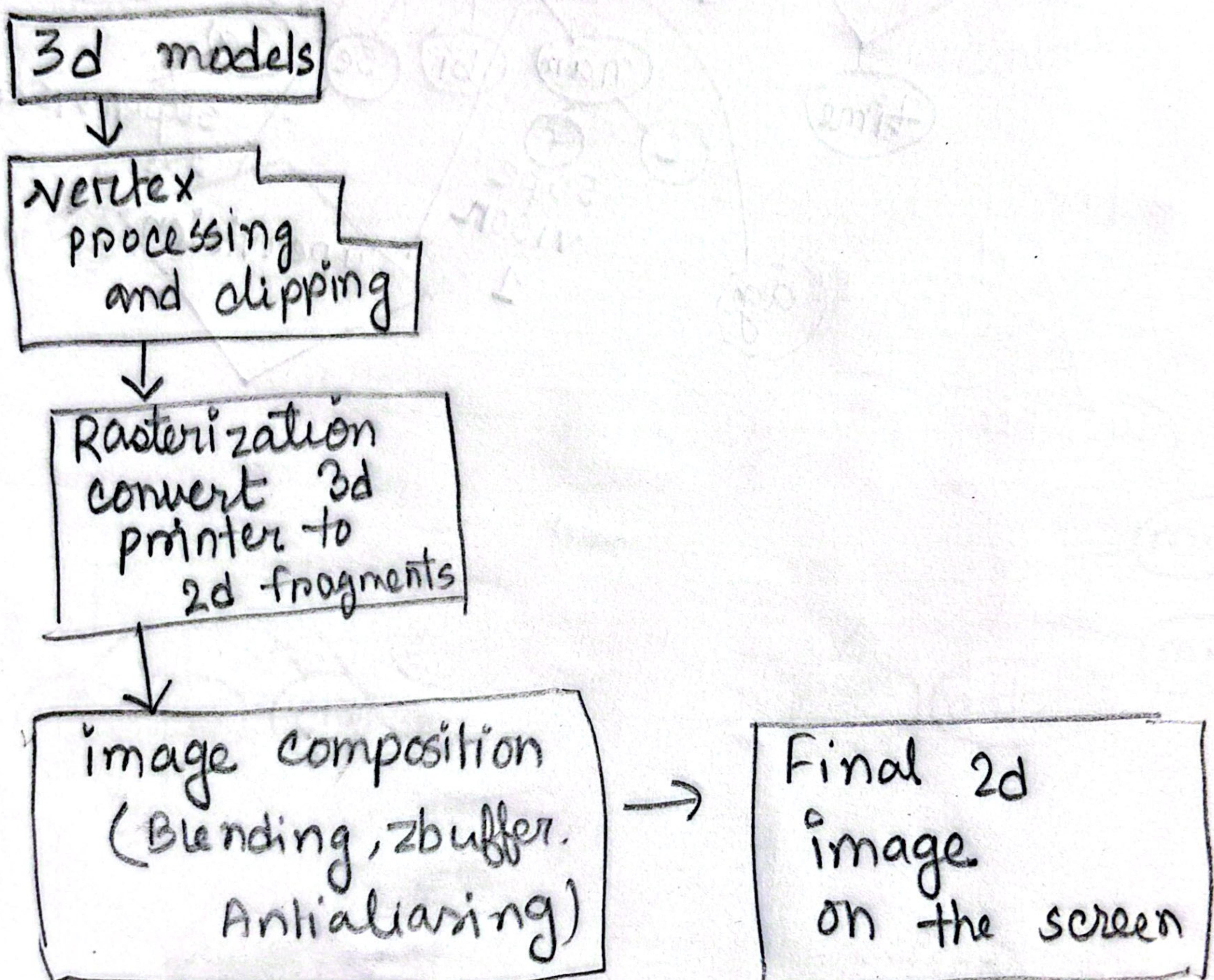


Q1

- a. The rendering pipeline is the sequence of steps used in computer graphics to convert a 3D scene into 2d scene on the screen.



- b. Aliasing:
- Occurs when a continuous entity is approximated by discrete samples.
  - Produces jagged or stair-step edges (jaggies) on lines and curves.
  - Happens because of an "all-or-nothing" approach to scan conversion: each pixel is either colored or left blank.

### Antialiasing:

- Techniques that reduce or eliminate aliasing in rendered images.

### Antialiasing Techniques

#### 1. Increase Screen Resolution

- Higher resolution lessens jaggies but is costly (more memory + processing).
- Only reduces aliasing: doesn't fully eliminate it.

#### 2. Area Sampling

- A line or shape is treated as a rectangle of finite thickness.
- Pixel overlapped by this rectangle are colored in proportion to the area covered.
- Unweighted Area Sampling: Coverage is proportional

to overlap area.

- Weighted Area Sampling: adds weighting based on distance from center.

Pixel Intensity Equation:

$$I_{x,y} = I_{\max} \times dA \times \text{Weight}$$

where

$I_{x,y}$  = intensity of the pixel centered at  $(x, y)$

$I_{\max}$  = maximum possible intensity

$dA$  = area overlap between pixel tile and object

weight = 1 for unweighted area sampling.

c. Feature	Raster Display	vector Display
Principle	Pixel-based	shape-based
Resolution	Fixed resolution	resolution independent
Realism & Appearance	More realistic, supports shaded images and textures.	Best for line drawing; limited shading capabilities.
Hardware Example	Tvs, monitors, laser printers.	Early vector monitors, oscilloscopes
Memory Use	Requires large memory	Low memory
Use Cases	Photographs, realistic rendering, games.	Logos, scalable designs
Cost/Speed	Cheaper, simpler to refresh; standard today	More complex beam control.

Q2. a.  $(44, -17)$  to  $(39, -10)$

$$m = \frac{-10 + 17}{39 - 44} = \frac{7}{-5} = -1.4$$

$$\frac{1}{m} = \frac{-5}{7} = -0.714$$

$$dy = 7 \quad dx = (-5) \cdot (0.714) = -3.57$$

$$y_{k+1} = y_k + 1$$

$$x_{k+1} = x_k + \frac{1}{m}$$

Pixel

x	y	Pixel
44	-17	$(44, -17)$
43.286	-16	$(43, -16)$
42.572	-15	$(43, -15)$
41.858	-14	$(42, -14)$
41.144	-13	$(41, -13)$
40.43	-12	$(40, -12)$
39.716	-11	$(40, -11)$
39.002	-10	$(39, -10)$

so, pixels are  $(44, -17), (43, -16), (43, -15), (42, -14), (41, -13), (40, -12), (40, -11), (39, -10)$

$$b. 7x - 4y + 56 = 0$$

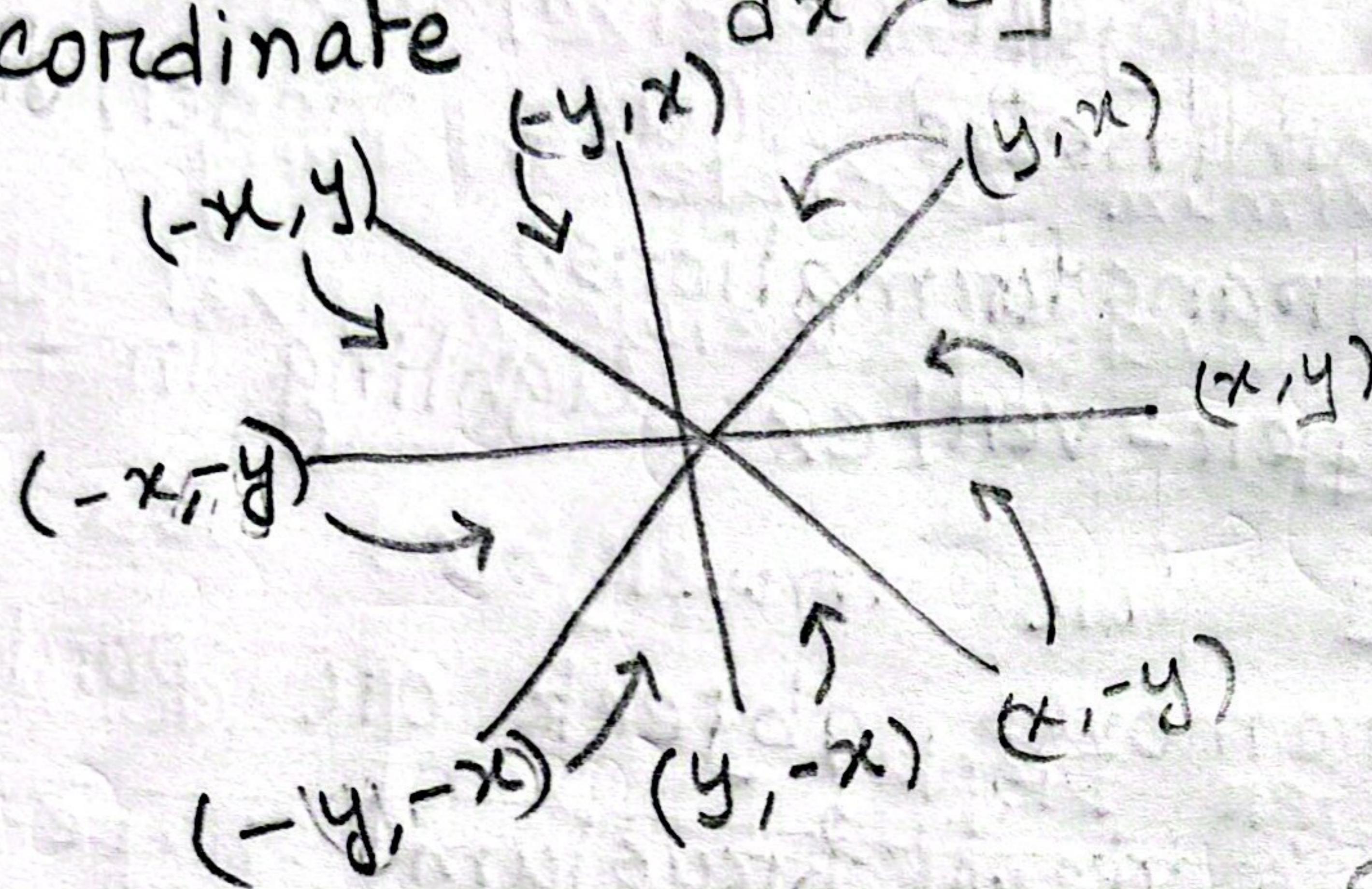
y-axis means  $x = 0$

$$4y = 56 \Rightarrow y = 14$$

$(0, 14)$  to  $(10, 5)$

$$dx = 10 \quad dy = -9$$

4th coordinate  $\rightarrow$   $dx > dy$ , so zone 7.



$$\frac{dx}{dy} = \frac{10}{9}$$

$$d_{init} = 8$$

$$d_{NE} = -2$$

$$d_E = 18$$

zone 7 to zone 0

$$(0, 14) \rightarrow (0, -14)$$

$$(10, 5) \rightarrow (10, -5)$$

$x$	$y$	$d_{init}$	NE/E	$d_{new}$	Pixel(zone 0)	Pixel(zone 7)
0	-14	8	NE	6	(1, -13)	(1, 13)
1	-13	6	NE	4	(2, -12)	(2, 12)
2	-12	4	NE	2	(3, -11)	(3, 11)
3	-11	2	NE	0	(4, -10)	(4, 10)
4	-10	0	E	18	(5, -10)	(5, 10)
5	-10	18	NE	16	(6, -9)	(6, 9)
6	-9	16	NE	14	(7, -8)	(7, 8)

Pixels are -  $(0, 14), (1, 13), (2, 12), (3, 11), (4, 10), (5, 10), (6, 9), (7, 8)$