Aim: Program to implement Uninformed Search Technique: Breadth First Search

```
from collections import deque
def bfs(graph, start, goal):
  visited = set() # Set to keep track of visited nodes
  queue = deque() # Queue for BFS
  # Add the start node to the queue and mark it as visited
  queue.append(start)
  visited.add(start)
  while queue:
     current_node = queue.popleft()
     print(current_node, end=" ")
     # Check if we have reached the goal node
     if current_node == goal:
       print("\nGoal reached!")
       return True
     # Add all adjacent nodes of the current node to the queue
     for neighbor in graph[current_node]:
       if neighbor not in visited:
          queue.append(neighbor)
          visited.add(neighbor)
  print("\nGoal not found!")
  return False
# Define the graph as a dictionary of lists
graph = \{
  'A': ['B', 'C'],
```

```
'B': ['D', 'E'],

'C': ['F'],

'D': [],

'E': ['F'],

'F': [],

# Call the bfs function

bfs(graph, 'A', 'F')
```

Aim: - Program to implement Uninformed Search Technique: Depth First Search

```
class Node:
  def __init__(self, value):
    self.value = value
    self.children = []
def dfs(node, target):
  if node.value == target:
    return True
  for child in node.children:
    if dfs(child, target):
       return True
  return False
# Create nodes
A = Node('A')
B = Node('B')
C = Node('C')
D = Node('D')
E = Node('E')
F = Node('F')
G = Node('G')
# Connect nodes
A.children = [B, C, D]
B.children = [E, F]
D.children = [G]
# Perform DFS
```

```
print(dfs(A, 'F'))
print(dfs(A, 'G'))
print(dfs(A, 'H'))
```

```
>>>
======== RESTART: C:\Users\admin\Downloads\practical 2.py =======
True
True
False
>>>
```

Aim: - Program to implement Informed Search Technique: A* Algorithm

```
import heapq
def astar(maze, start, goal):
  # Heuristic function (Manhattan distance)
  def h(node):
     return abs(node[0] - goal[0]) + abs(node[1] - goal[1])
  # Open list (priority queue), closed list, and the 'g' dictionary (cost and parent)
  o, c, g = [(0, start)], set(), \{start: (0, None)\}
  while o:
     # Get the node with the lowest f value (g + h)
     f, n = heapq.heappop(o)
     # If we reach the goal, reconstruct the path
     if n == goal:
       path = []
       while n is not None:
          path.append(n)
          n = g[n][1]
       return path[::-1]
     if n in c:
       continue
     # Mark the node as visited
     c.add(n)
     # Check the 4 neighboring nodes (up, down, left, right)
     for i, j in [(1, 0), (0, 1), (-1, 0), (0, -1)]:
       nb = n[0] + i, n[1] + j
       # Check if the neighbor is within bounds and walkable (0)
```

```
if 0 \le nb[0] \le len(maze) and 0 \le nb[1] \le len(maze[0]) and maze[nb[0]][nb[1]] = nb[0]
0:
           gs = g[n][0] + 1 \# g(n) is the cost to reach the neighbor
           # If the neighbor is not in the 'g' dictionary or we found a better path to it
           if nb not in g or gs < g[nb][0]:
             g[nb] = (gs, n)
             heapq.heappush(o, (gs + h(nb), nb)) # Add to open list with priority (f = g + h)
  return [] # Return an empty path if no path is found
# Example usage:
maze = [
  [0, 0, 0, 0, 1, 0, 0, 0, 0, 0]
  [0, 0, 0, 0, 1, 0, 0, 0, 0, 0],
  [0, 0, 0, 0, 1, 0, 0, 0, 0, 0],
  [0, 0, 0, 0, 1, 0, 0, 0, 0, 0],
  [0, 0, 0, 0, 1, 0, 0, 0, 0, 0],
  [0, 0, 0, 0, 0, 0, 0, 0, 0, 0]
  [0, 0, 0, 0, 1, 0, 0, 0, 0, 0],
  [0, 0, 0, 0, 1, 0, 0, 0, 0, 0]
  [0, 0, 0, 0, 1, 0, 0, 0, 0, 0],
  [0, 0, 0, 0, 0, 0, 0, 0, 0, 0]
]
start, end = (0, 0), (7, 6)
path = astar(maze, start, end)
print(path)
```

Aim: - Program to implement Game Playing Algorithms: Minimax and Alpha Beta Pruning

```
MAX, MIN = 1000, -1000
def minimax(depth, nodeIndex, maximizingPlayer, values, alpha, beta):
  # Terminating condition, i.e., leaf node is reached
  if depth == 3:
     return values[nodeIndex]
  if maximizingPlayer:
     best = MIN
     # Recur for left and right children
     for i in range(2): \# i = 0, 1 for left and right children
       val = minimax(depth + 1, nodeIndex * 2 + i, False, values, alpha, beta)
       best = max(best, val)
       alpha = max(alpha, best)
       # Alpha Beta Pruning
       if beta <= alpha:
          break
     return best
  else:
     best = MAX
     # Recur for left and right children
     for i in range(2): \# i = 0, 1 for left and right children
       val = minimax(depth + 1, nodeIndex * 2 + i, True, values, alpha, beta)
       best = min(best, val)
       beta = min(beta, best)
       # Alpha Beta Pruning
```

```
if beta <= alpha:
    break

return best
# Example values for the leaf nodes of the game tree
values = [3, 5, 6, 9, 1, 2, 0, -1]
print("The optimal value is:", minimax(0, 0, True, values, MIN, MAX))</pre>
```

Aim: - To Implement Forward Chaining Algorithm.

```
# Rules for forward chaining
rules = {
  'rule1': [['A'], ['B', 'C']],
  'rule2': [['B', 'C'], ['D']],
  'rule3': [['B'], ['E']],
  'rule4': [['E'], ['F']]
}
# Initialize the knowledge base with known facts
knowledge_base = {
  'A': True
}
# Function to perform forward chaining
def forward_chaining(kb, rules):
  changed = True # Flag to indicate if new facts are added to the KB
  while changed:
     changed = False
     for rule, (antecedent, consequent) in rules.items():
       # Check if all the antecedents are true in the knowledge base
       if all(kb.get(fact) for fact in antecedent):
          # If the consequent is not already in the knowledge base, add it
          for fact in consequent:
             if fact not in kb:
               kb[fact] = True
               changed = True # Set changed to True if a new fact is added
```

```
# Run forward chaining
forward_chaining(knowledge_base, rules)
# Print the updated knowledge base
print("Updated Knowledge Base:")
for fact, value in knowledge_base.items():
    print(f"{fact}: {value}")
```

Aim: - To Implement Backward Chaining Algorithm.

Define the facts and rules for backward chaining

```
facts = {
  'a': True.
  'b': False,
  'c': True,
  'd': False
}
rules = {
  'r1': {'a', 'b'}, # Rule r1 requires 'a' and 'b'
  'r2': {'c', 'd'}, # Rule r2 requires 'c' and 'd'
  'r3': {'a'}
                # Rule r3 requires 'a'
}
# Function to perform backward chaining
def backward_chaining(target):
  # If the target is a fact, return its value
  if target in facts:
     return facts[target]
  # If the target is a rule, try to apply the rule by checking its prerequisites
  if target in rules:
     for fact in rules[target]: # For each fact in the rule's antecedent
        if not backward_chaining(fact): # If any fact fails, return False
          return False
     return True # If all facts in the rule are true, the target is true
  return False # Return False if the target isn't found in facts or rules
```

```
# Test the backward chaining algorithm
query = 'r2'
result = backward_chaining(query)
print(f"The result for query '{query}' is: {result}")
```

```
>>> ========= RESTART: C:\Users\admin\Downloads\practical 6.py =========

The result for query 'r2' is: False
>>>
```