

Question1:

a)

According to the data from: <http://www.bp.com/en/global/corporate/about-bp/energy-economics/statistical-review-of-world-energy.html>

Natural gas consumption in UAE 2012 = 65.6 (*Billion Cubic Metres per Year*).

According to this website: <http://www.unitjuggler.com/convert-energy-from-GcmNG-to-Mtoe.html?val=65.6>

65.6 (*Billion Cubic Metres per Year*)=59.04 (*MTOE per year*)

Similarly,

65.6 Gm³ NG = 686635200 MWh=686635.2 GWh

(According to the website <http://www.unitjuggler.com/convert-energy-from-GcmNG-to-MWh.h>)

In summary:

	Billion Cubic Metres per year	MTOE per year	GWh per year
Natural gas consumption in UAE 2012	65.6	59.04	686635.2

b)

From: http://www.eia.gov/environment/emissions/co2_vol_mass.cfm

We know natural gas will produce 54.4kg CO₂ per thousand cubic feet

65.6 (*Billion Cubic Metres per Year*) = 2295453336.2483thousand cubic feet

So, 65.6 (*Billion Cubic Metres per Year*) will produce:

$$2295453336.2483 \times 54.4 \text{ kg CO}_2 = 1.249 \times 10^{11} \text{ kg CO}_2$$

c)

CO₂ saving:

$$5\% * \text{total natural gas} * \text{CO}_2 \text{ equivalent} = 5\% \times 1.249 \times 10^{11} \text{ kg CO}_2 = 6.245 \times 10^9 \text{ kg}$$

As the question said, the output energy of the solar plant in its lifetime is equal to 5% of the secondary consumed energy in the natural gas.

$$\begin{aligned} \text{Natural gas energy} \times 5\% \\ = \text{Solar plant capacity} \times \text{full load hours} \times \text{Grid transmission efficiency} \end{aligned}$$

$$\begin{aligned} \text{Solar plant capacity (MW)} &= \frac{\text{secondary consumed energy in the natural gas} \times 5\%}{\text{life time} \times \text{grid transmission efficiency}} \\ &= \frac{\text{energy in the consumed natural gas} \times \text{fuel conversion efficiency} \times 5\%}{\text{full load hours} \times \text{years} \times \text{grid transmission efficiency}} \\ &= \frac{686635200 \text{ MWh} \times 40\% \times 5\%}{1700 \text{ hours} \times 25 \text{ years} \times 92\%} = 351.22 \text{ MW} \end{aligned}$$

Question2:

a)

Capital: $I_t = 2700\$/kW$, $M_1 = 0$, $M_t = 5\% \times \frac{2700\$}{kW} = 135\text{\$}$ (for other years), $F_t = 0$, $E_1 = 0$, $E_t = 351.22 \text{ MW}$, $r = 70\% \times 3\% + 30\% \times 15\% = 0.066$, $t = 0, 1, 2, \dots, 25$.

$$\text{Land cost} = \frac{1800\$}{\text{ha} \cdot \text{year}} \times 351.22 \text{ MWh} \times 1000 \times 0.404686 \times \frac{7.9 \text{ acres}}{\text{MW}} = 2,021,142.88\$/\text{year}$$

End of Year	Capital Costs	Annual O&M Costs	Land Costs	Total Cost
1	948294000	0	2021142.88	950315142.88
2	0	47414700	2021142.88	49435842.88
3	0	47414700	2021142.88	49435842.88
4	0	47414700	2021142.88	49435842.88
5	0	47414700	2021142.88	49435842.88
6	0	47414700	2021142.88	49435842.88
7	0	47414700	2021142.88	49435842.88
8	0	47414700	2021142.88	49435842.88
9	0	47414700	2021142.88	49435842.88
10	0	47414700	2021142.88	49435842.88
11	0	47414700	2021142.88	49435842.88
12	0	47414700	2021142.88	49435842.88
13	0	47414700	2021142.88	49435842.88
14	0	47414700	2021142.88	49435842.88
15	0	47414700	2021142.88	49435842.88
16	0	47414700	2021142.88	49435842.88
17	0	47414700	2021142.88	49435842.88
18	0	47414700	2021142.88	49435842.88
19	0	47414700	2021142.88	49435842.88
20	0	47414700	2021142.88	49435842.88

21	0	47414700	2021142.88	49435842.88
22	0	47414700	2021142.88	49435842.88
23	0	47414700	2021142.88	49435842.88
24	0	47414700	2021142.88	49435842.88
25	0	47414700	2021142.88	49435842.88
26	0	47414700	2021142.88	49435842.88

$$\text{LCOE } [\$/\text{kWh}] = \frac{\sum_{t=1}^n \frac{(I_t + M_t + F_t)}{(1+r)^t}}{\sum_{t=1}^n \frac{(E_t)}{(1+r)^t}} = 0.21 \$/\text{kWh} \quad (\text{Details, please see the attached Excel})$$

b)

If we sell the electricity at the price of 0.3\$/kWh,

$$\text{IRR}[\%] = 13\%$$

See the attached Excel for the detail.

Question3:

a)

As the question given:

$$P_v = \frac{m_v * u^3}{2d} + \frac{1}{2} \rho_{air} * A * c_d * u^3 + m_v * g * c_{rr} * u$$

$$P_v = \frac{1550kg * \left(\frac{72km}{h}\right)^3}{2 * 180km} + \frac{1}{2} * \frac{1.2kg}{m^3} * 2.45m^2 * 0.28 * \left(\frac{72km}{h}\right)^3 + 1550kg * \frac{9.79m}{s^2} * 0.01 * \frac{72km}{h}$$

$$= 6362 W$$

b)

$$P_v = 6362 W, \text{ and the average car speed } 72km/h$$

Also, according to http://en.wikipedia.org/wiki/Fuel_economy_in_automobiles

Modern gasoline engines have a maximum thermal efficiency of about 25% to 30% when used to power a car. In here I assume the efficiency of the engine sedan is 30%.

I also assume:

Drivetrain loss (such as loss in transmission, braking) 20%, electrical system consumption 2.2kW

Therefore,

For 40,000km a year:

$$\begin{aligned}
 \text{energy required}(MWh) &= \frac{(P_v + \text{electrical system consumption})}{\text{engine efficiency} * (1 - \text{drivetrain loss})} \times \frac{\text{distance}}{\text{average velocity}} \\
 &= \frac{(6.362kW + 2.2kW)}{30\%(1 - 20\%)} \times \frac{40000km}{72km/h} \\
 &= 19.82 MWh
 \end{aligned}$$

c)

From b), we know for one vehicle, we need 19.82 MWh per year.

Assume all the vehicles need 19.82 MWh per year,

So, for 600,000 vehicles:

$$\begin{aligned}
 &\text{energy required for 600,000 vehicles} \\
 &= \text{Number of vehicles} \times \text{energy required for a single vehicles} \\
 &= 600000 * \text{need 19.82 MWh} \\
 &= 11892000MWh
 \end{aligned}$$

Using the gross heat of combustion of one cubic meter of gasoline to be 12.26kWh/kg (According to http://wogone.com/science/the_energy_and_fuel_data_sheet.pdf)

So, 11892000MWh is equal to 969983686.8kg gasoline.

The density of gasoline is 0.755 kg/L, according to <http://en.wikipedia.org/wiki/Gasoline>

969983686.8kg gasoline=1284746605liter gasoline=301,7210 metric tons of CO2=3.017×10⁹ kg CO2

(According to <http://www.epa.gov/cleanenergy/energy-resources/calculator.html#results>)

d)

From 1.c we assume now the solar system of UAE has a capacity of 351.22MW.

50% of today's CO2 =1.508×10⁹ kg CO2=484991843.4kg gasoline=5946000 MWh

$$\text{The annual installation per year} = \frac{\frac{5946000 MWh}{1700 \times 92\%}}{5} = 760.36MWh$$