1. Separate Chaining

1093 % 10 = 3

1400 % 10 = 0

3341 % 10 = 1

7652 % 10 = 2

4321 % 10 = 1

5674 % 10 = 4

8980 % 10 = 0

Index	0	1	2	3	4
Value	1400 8980	3341 4321	7652	1093	5674

Linear Probing

Any repeat of an index will be added 1 to the index that it may land in an empty index column

Index	0	1	2	3	4	5	6
Value	1400	3341	7652	1093	4321	5674	8980

- 2. We can set up an one way hash functions to report back on the specific key we want to know if it has a object in a set or not. To reduce space we can maybe compress certain sets bit by bit.
- 3a. The height of the trie is 8 since root counts as 0.
- 3b. The height is 10 with the extra space and counting the beginning node.
- 3c. By inserting the longest words first, it will minimize the height. The height will be 9.
- 3d. By inserting the shortest words first, it will maximize the height. The height will be 11.
- 4. If prefix free codes aren't used in huffman coding, there will be problem in encoding and decoding. Prefix free code means no 2 code words can be the same. This makes encoding orderly. Without it there will be chaos.

This also allows decoding to process a greedy approach. Without this prefix free code the decoding will fail.

5a. Best case for RLC is when $N = 2^{(B)-1}$ for $B/((2^B)-1)$. This is because it can generate up to 256 characters. And it is the best when we just have a bunch of 1's or 0s 5b The worst case for huffman coding probability of a symbol exceeds $2^{-1} = 0.5$. It also suffers from the fibonacci related frequencies since it will be an unbalanced tree. The running time for compression will be N + BlogB

6. 41 42 81 43 44 46 82 83 44 80