```
In [1]: import os
    import datetime as dt
    import pandas as pd
    import numpy as np
    import matplotlib.pyplot as plt
    import pandas_datareader.data as web
    from scipy import stats
    import statsmodels.api as sm
    import seaborn as sns
    data_dir = "./data/oil_price_analysis"
    os.makedirs(data_dir, exist_ok=True)
```

#Crude Oil Prices: West Texas Intermediate (WTI) — Cushing, Oklahoma (DCOILWTICO) #WTI is one of the leading oil price indices due to the large volume of transactions and market participants. #We will download the data for the entire period available and use it for analysis.

```
In [2]: start = dt.datetime(1950, 1, 1)
  end = dt.datetime(2022, 5, 21)
  wti_oil_price = web.DataReader('DCOILWTICO', 'fred', start, end)
  # save the data
  file_path = f"{data_dir}/DCOILWTICO.csv"
  wti_oil_price.to_csv(file_path)
  wti_oil_price
```

Out[2]: DCOILWTICO

DATE

DATE	
1986-01-02	25.56
1986-01-03	26.00
1986-01-06	26.53
1986-01-07	25.85
1986-01-08	25.87
•••	
2022-05-16	114.07
2022-05-17	112.31
2022-05-18	109.67
	112.21
2022-05-19	112.21
2022-05-19	112.63

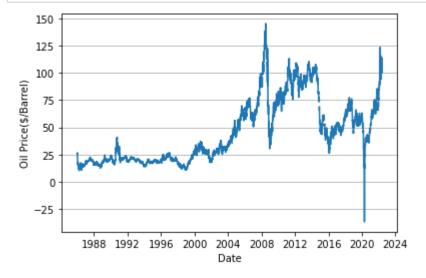
```
In [3]: wti_oil_price = pd.read_csv(file_path, index_col="DATE", parse_dates=True)
    print(wti_oil_price.shape)
    wti_oil_price.tail(3)
    wti_oil_price
```

(9492, 1)

Out[3]: DCOILWTICO

DATE	
1986-01-02	25.56
1986-01-03	26.00
1986-01-06	26.53
1986-01-07	25.85
1986-01-08	25.87
2022-05-16	114.07
2022-05-17	112.31
2022-05-18	109.67
2022-05-19	112.21
2022-05-20	112.63

```
In [4]: plt.plot(wti_oil_price)
    plt.grid(axis="y")
    plt.xlabel("Date")
    plt.ylabel("Oil Price($/Barrel)")
    plt.show()
```



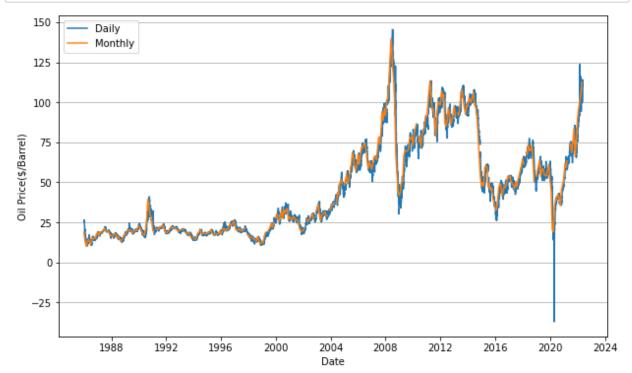
wti_oil_price_monthly.index.strftime("%Y-%m")) # reset index to YYYY-01-01

Out[7]: DCOILWTICO

DATE	
2022-01-01	89.16
2022-02-01	96.13
2022-03-01	100.53
2022-04-01	104.59
2022-05-01	112.63

wti_oil_price_monthly.tail()

```
In [9]: plt.figure(figsize=(10,6))
    plt.plot(wti_oil_price, label="Daily")
    plt.plot(wti_oil_price_monthly ,label="Monthly")
    plt.grid(axis="y")
    plt.xlabel("Date")
    plt.ylabel("Oil Price($/Barrel)")
    plt.legend(loc="upper left")
    plt.show()
```



Draw a graph to confirm that although the number of data has decreased significantly, the trend of the time-series data has not changed.

Moving Average Moving averages are also useful for capturing broad trends. Moving averages calculate the average of the n most recent data, rather than the average of all data. By moving the window in which the average is calculated, the time-series data can be smoothed out.

Moving averages can be calculated using the pandas rolling method.

Here we will calculate and plot the 50-day and 200-day moving averages.

```
In [11]: # moving average
# moving average
wti_oil_price_moving_average_50 = wti_oil_price.rolling(50).mean()
wti_oil_price_moving_average_200 = wti_oil_price.rolling(200).mean()
```

In [13]: wti_oil_price_moving_average_50

Out[13]: DCOILWTICO

DATE	
1986-01-02	NaN
1986-01-03	NaN
1986-01-06	NaN
1986-01-07	NaN
1986-01-08	NaN
 2022-05-16	 NaN
 2022-05-16 2022-05-17	 NaN NaN
	11011
2022-05-17	NaN

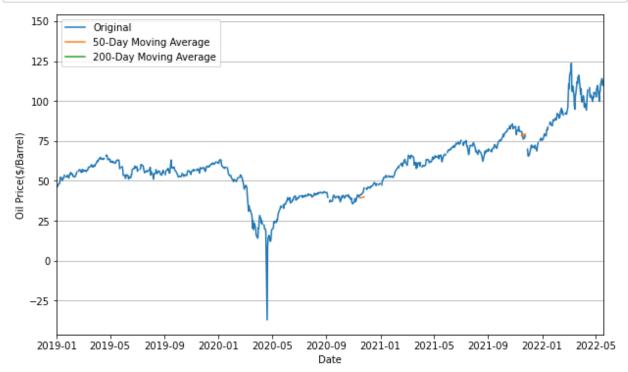
9492 rows × 1 columns

In [15]: wti_oil_price_moving_average_200

Out[15]: DCOILWTICO

DATE	
1986-01-02	NaN
1986-01-03	NaN
1986-01-06	NaN
1986-01-07	NaN
1986-01-08	NaN
 2022-05-16	 NaN
 2022-05-16 2022-05-17	 NaN NaN
	, tai t
2022-05-17	NaN
2022-05-17 2022-05-18	NaN NaN

```
In [16]: plt.figure(figsize=(10,6))
    plt.plot(wti_oil_price, label="Original")
    plt.plot(wti_oil_price_moving_average_50, label="50-Day Moving Average")
    plt.plot(wti_oil_price_moving_average_200, label="200-Day Moving Average")
    plt.grid(axis="y")
    plt.xlabel("Date")
    plt.ylabel("Oil Price($/Barrel)")
    plt.legend(loc="upper left")
    plt.xlim((dt.datetime(2019, 1, 1), max(wti_oil_price.index)))
    plt.show()
```



```
In [20]: !pip install quandl
```

Collecting quandl

WARNING: Ignoring invalid distribution -tatsmodels (c:\users\hp\anaconda3\lib\s ite-packages)

Downloading Quandl-3.7.0-py2.py3-none-any.whl (26 kB)

Requirement already satisfied: numpy>=1.8 in c:\users\hp\anaconda3\lib\site-pac kages (from quandl) (1.20.3)

Requirement already satisfied: python-dateutil in c:\users\hp\anaconda3\lib\sit e-packages (from quandl) (2.8.2)

Requirement already satisfied: six in c:\users\hp\anaconda3\lib\site-packages (from quandl) (1.16.0)

Requirement already satisfied: requests>=2.7.0 in c:\users\hp\anaconda3\lib\sit e-packages (from quandl) (2.26.0)

Requirement already satisfied: pandas>=0.14 in c:\users\hp\anaconda3\lib\site-p ackages (from quandl) (1.3.4)

Requirement already satisfied: more-itertools in c:\users\hp\anaconda3\lib\site-packages (from quand1) (8.10.0)

Requirement already satisfied: inflection>=0.3.1 in c:\users\hp\anaconda3\lib\s ite-packages (from quandl) (0.5.1)

Requirement already satisfied: pytz>=2017.3 in c:\users\hp\anaconda3\lib\site-p ackages (from pandas>=0.14->quandl) (2021.3)

Requirement already satisfied: charset-normalizer~=2.0.0 in c:\users\hp\anacond a3\lib\site-packages (from requests>=2.7.0->quand1) (2.0.4)

Requirement already satisfied: idna<4,>=2.5 in c:\users\hp\anaconda3\lib\site-p ackages (from requests>=2.7.0->quandl) (3.2)

Requirement already satisfied: certifi>=2017.4.17 in c:\users\hp\anaconda3\lib \site-packages (from requests>=2.7.0->quandl) (2021.10.8)

Requirement already satisfied: urllib3<1.27,>=1.21.1 in c:\users\hp\anaconda3\l ib\site-packages (from requests>=2.7.0->quandl) (1.26.7)

Installing collected packages: quandl

Successfully installed quand1-3.7.0

```
In [24]:
```

A machine learning library used for linear regression from sklearn.linear_model import LinearRegression # numpy and pandas will be used for data manipulation import numpy as np import pandas as pd # matplotlib will be used for visually representing our data import matplotlib.pyplot as plt # Quandl will be used for importing historical oil prices import quandl

In [25]: data

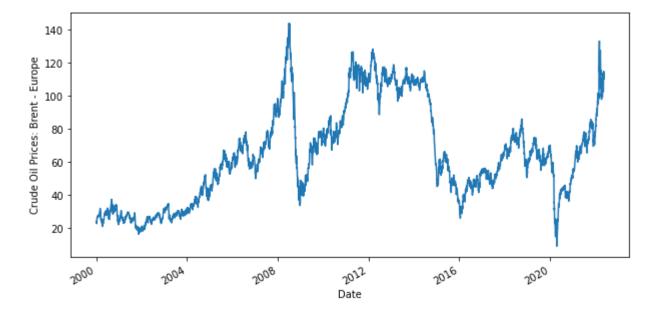
Out[25]:

	Value	
Date		
2000-01-04	23.95	
2000-01-05	23.72	
2000-01-06	23.55	
2000-01-07	23.35	
2000-01-10	22.77	
2022-05-16	114.86	
2022-05-17	112.89	
2022-05-18	110.04	
2022-05-19	113.22	
2022-05-20	113.63	

```
In [26]: # Setting the text on the Y-axis
plt.ylabel("Crude Oil Prices: Brent - Europe")

# Setting the size of our graph
data.Value.plot(figsize=(10,5))
```

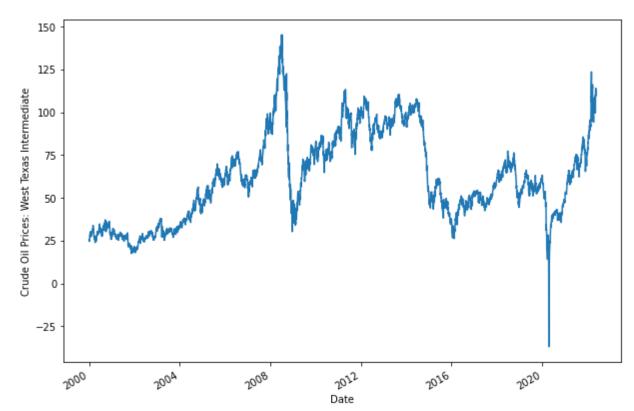
Out[26]: <AxesSubplot:xlabel='Date', ylabel='Crude Oil Prices: Brent - Europe'>



```
In [66]: # Setting the text on the Y-axis
plt.ylabel("Crude Oil Prices: West Texas Intermediate")

# Setting the size of our graph
data_new.Value.plot(figsize=(10,7))
```

Out[66]: <AxesSubplot:xlabel='Date', ylabel='Crude Oil Prices: West Texas Intermediate'>



Now that we have properly visualized our data, we are going to define our explanatory variables — the features we are going to use to predict the price of oil. The variables we will be using at this stage, are the moving averages for the past three and nine days.

```
In [27]: data['MA3'] = data['Value'].shift(1).rolling(window=3).mean()
    data['MA9']= data['Value'].shift(1).rolling(window=9).mean()

In [67]: data_new['MA3'] = data['Value'].shift(1).rolling(window=3).mean()
    data_new['MA9']= data['Value'].shift(1).rolling(window=9).mean()
```

```
In [28]: # Dropping the NaN values
         data = data.dropna()
         # Initialising X and assigning the two feature variables
         X = data[['MA3','MA9']]
          # Getting the head of the data
         X.head()
Out[28]:
                         MA3
                                  MA9
               Date
          2000-01-17 25.006667 24.032222
          2000-01-18 25.463333 24.258889
          2000-01-19 25.933333 24.546667
          2000-01-20 26.156667 24.837778
          2000-01-21 26.246667 25.161111
In [68]: # Dropping the NaN values
         data_new = data_new.dropna()
          # Initialising X and assigning the two feature variables
         X = data_new[['MA3','MA9']]
         # Getting the head of the data
         X.tail()
Out[68]:
                          MA3
                                    MA9
               Date
          2022-05-16 109.293333 108.733333
          2022-05-17 111.680000 109.835556
          2022-05-18 113.290000 110.097778
          2022-05-19 112.596667 109.867778
          2022-05-20 112.050000 109.796667
In [29]: # Setting-up the dependent variable
         y = data['Value']
          # Getting the head of the data
         y.head()
Out[29]: Date
                        25.99
          2000-01-17
          2000-01-18
                        26.31
          2000-01-19
                        26.17
          2000-01-20
                        26.26
          2000-01-21
                        27.18
          Name: Value, dtype: float64
```

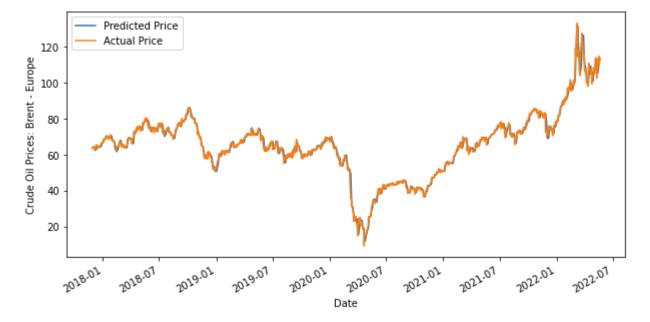
```
In [69]: # Setting-up the dependent variable
y = data_new['Value']

# Getting the head of the data
y.head()
```

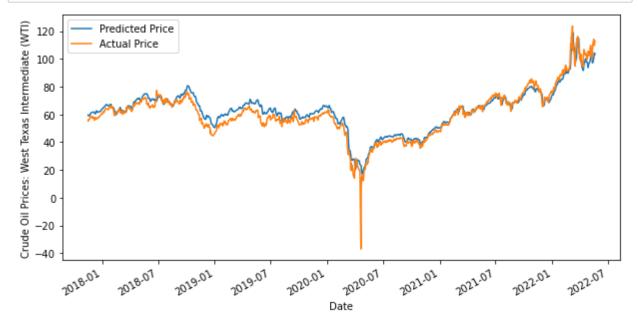
Training Now that everything is set-up, we are going to split our dataset into two distinct parts. We are going to assign 80% of our data into a training set, responsible for training the model. The rest 20% will be assigned to a testing set, used to estimate the accuracy of the model. This way, by connecting the input from the training set with the expected result from the testing set, we create a linear regression model.

```
In [31]: # Generate the coefficient and constant for the regression
model = LinearRegression().fit(X_train,y_train)
```

```
In [71]: # Generate the coefficient and constant for the regression
model = LinearRegression().fit(X_train,y_train)
```



```
In [72]: predicted_price = model.predict(X_test)
    predicted_price = pd.DataFrame(predicted_price,index=y_test.index,columns = ['pri
    predicted_price.plot(figsize=(10,5))
    y_test.plot()
    plt.legend(['Predicted Price','Actual Price'])
    plt.ylabel("Crude Oil Prices: West Texas Intermediate (WTI)")
    plt.show()
```



```
In [60]: # Computing the accuracy of our model
R_squared_score = model.score(X[t:],y[t:])*100
accuracy = ("{0:.2f}".format(R_squared_score))
print ("The model has a " + accuracy + "% accuracy.")
```

The model has a 99.73% accuracy.

```
In [73]: # Computing the accuracy of our model
R_squared_score = model.score(X[t:],y[t:])*100
accuracy = ("{0:.2f}".format(R_squared_score))
print ("The model has a " + accuracy + "% accuracy.")
```

The model has a 92.91% accuracy.

```
In [56]: from sklearn import linear_model
         from sklearn.linear model import LinearRegression
In [34]: # A machine learning library used for linear regression
         from sklearn.linear model import LinearRegression
In [40]: # A machine learning library used for linear regression
         from sklearn.linear model import LinearRegression
         # numpy and pandas will be used for data manipulation
         import numpy as np
         import pandas as pd
         # matplotlib will be used for visually representing our data
         import matplotlib.pyplot as plt
In [41]: # Importing our data
         data = quandl.get("FRED/DCOILBRENTEU", start_date="1987-05-20", end_date="2020-01")
         data.head()
Out[41]:
                    Value
               Date
          1987-05-20 18.63
          1987-05-21 18.45
```

1987-05-22 18.55 **1987-05-25** 18.60 **1987-05-26** 18.63

```
In [42]: # Setting the text on the Y-axis
plt.ylabel("Crude Oil Prices: Brent - Europe")

# Setting the size of our graph
data.Value.plot(figsize=(10,5))

data['MA3'] = data['Value'].shift(1).rolling(window=1).mean()
data['MA9']= data['Value'].shift(1).rolling(window=2).mean()

# Dropping the NaN values
data = data.dropna()

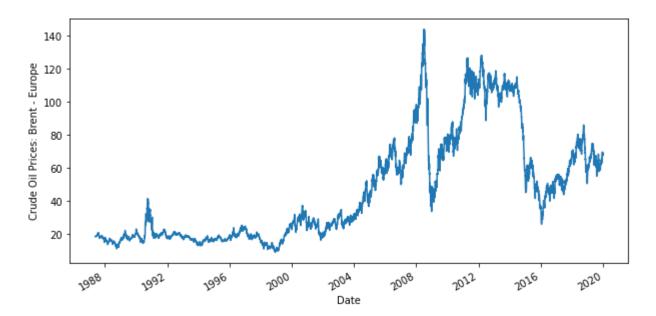
# Initialising X and assigning the two feature variables
X = data[['MA3','MA9']]

# Getting the head of the data
X.head()
```

Out[42]:

MA3 MA9

Date		
1987-05-22	18.45	18.540
1987-05-25	18.55	18.500
1987-05-26	18.60	18.575
1987-05-27	18.63	18.615
1987-05-28	18.60	18.615



```
In [43]: # Setting-up the dependent variable
          y = data['Value']
          # Getting the head of the data
          y.head()
Out[43]: Date
          1987-05-22
                         18.55
          1987-05-25
                         18.60
          1987-05-26
                         18.63
          1987-05-27
                         18.60
          1987-05-28
                         18.60
          Name: Value, dtype: float64
In [44]: # Setting the training set to 80% of the data
          training = 0.8
          t = int(training*len(data))
          # Training dataset
          X_{train} = X[:t]
          y_{train} = y[:t]
          # Testing dataset
          X_{test} = X[t:]
          y_{test} = y[t:]
          # Generate the coefficient and constant for the regression
          model = LinearRegression().fit(X train,y train)
          #linear = LinearRegression().fit(X_train,y_train)
In [45]: predicted price = model.predict(X test)
          predicted_price = pd.DataFrame(predicted_price,index=y_test.index,columns = ['pri
          predicted_price.plot(figsize=(10,5))
          y test.plot()
          plt.legend(['Predicted Price', 'Actual Price'])
          plt.ylabel("Crude Oil Prices: Brent - Europe")
          plt.show()
             120
                                                                                   Predicted Price
                                                                                   Actual Price
          Crude Oil Prices: Brent - Europe
             100
              80
              60
              40
```

201¹ Date

2014

2020

```
In [59]: R_squared_score = model.score(X[t:],y[t:])*100
    accuracy = ("{0:.2f}".format(R_squared_score))
    print ("The model has a " + accuracy + "% accuracy.")

The model has a 99.73% accuracy.

In [50]: import numpy
    from sklearn.metrics import r2_score

In [55]: # LinearRegression is a machine learning library for linear regression
    from sklearn.linear_model import LinearRegression
    # pandas and numpy are used for data manipulation
    import pandas as pd
    import numpy as np
In []:
```