

# Appendix

## List of symbols

This list of symbols contain some of the most used symbols in this dissertation. The symbols are grouped into three categories: Vector Spaces and Related Concepts, Mathematical Measures and Operations, and Physical Quantities and Parameters. The first appearance of each symbol is also listed.

Other symbols that are section specific or that are contextually evident might not be in this list.

### Vector Spaces and Related Concepts

Symbol	Description	First Appearance (Page)
$\mathbb{N}$	set of natural numbers $j$	??
$R^n$	n-dimensional space of real numbers	??
$\Omega$	subset of $R^n$ , usually representing a body/reference configuration	??
$\partial\Omega$	the boundary of $\Omega$	??
$\bar{\Omega}$	the boundary of $\Omega$	??
$C^n$	set of n-times continuously differentiable functions	??
$C^\infty$	space of smooth functions	??
$C_0^\infty$	space of smooth functions with compact support	??
$L^n$	space of n-power Lebesgue integrable functions	??

$H^n$	space of functions with weak derivatives up to order $n$ ( $n$ 'th dimensional Sobolev space)	??
$X$	global space	??
$V$	inertia space	??
$W$	energy space	??
$T(\Omega)$	test function space on $\Omega$	??
$S^h$	finite dimensional subspace	??
$\mathcal{P}_j$	set of all polynomials of degree at most $j$	??
$E_n$	space spanned by the orthonormal basis vectors $e_i$	??

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## Mathematical Measures and Operations

Symbol	Description	First Appearance (Page)
$a(\cdot, \cdot), b(\cdot, \cdot), c(\cdot, \cdot)$	bilinear forms	??, ??, ??
$(\cdot, \cdot)_X$	innerproduct of $X$	??
$\ \cdot\ _X$	norm in the space $X$	??
$\partial_x^n f$	$n$ -th partial derivative of $f$ with respect to $x$	??
$\text{div} X$	divergence of the matrix $X$	??
$\text{Tr}(X)$	Trace of the matrix $X$	??
$\det(M)$	determinant of $M$	??
$\text{span}(\cdot)$	span of a set	??
$dV$	volume integral measure	??
$dS$	surface integral measure	??
$dA$	area integral measure	??
$ds$	line integral measure	??
$\mathcal{E}(\cdot)$	energy function	??
$R(\cdot)$	Rayleigh quotient	??
$\Pi$	interpolation operator	??
$\bar{u}$	another form explicitly showing $u$ is a vector	??
RE	abbreviation for the relative error	??

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## Physical Quantities and Parameters

Symbol	Description	First Appearance (Page)
$\lambda$	eigenvalue	??
$u$ or $w$	displacement vector	??
$\phi$	arbitrary vector/rotation of cross-section of Timoshenko beam	??
$Q$	force per unit volume	??
$\rho$	density	??
$T$	stress tensor	??
$\sigma_{ij}$	element of the stress tensor $T$	??
$\mathcal{E}$	infinitesimal strain tensor	??
$\varepsilon_{ij}$	element of the infinitesimal strain tensor $\mathcal{E}$	??
$E$	Young's modulus	??
$\nu$	Poisson's ratio	??
$t$	time	??
$\ell$	dimension representing length	??
$h$	dimension representing height	??
$b$	dimension representing width	??
$G$	shear modulus of elasticity	??
$A$	area of a cross-section	??
$V$	shear force	??
$I$	area moment of inertia	??
$M$	moment	??
$f^*$	dimensionless form of $f$	??
$\tau$	dimensionless time	??
$\xi$	dimensionless space	??
$\alpha/\beta$	dimensionless constants	??
$\kappa^2$	some dimensionless constant/shear correction factor	??
$I$	identity matrix	??
$\gamma$	a dimensionless constant	??
$n$	a normal vector	??
$\Sigma/\Gamma$	distinct parts of $\Omega$	??
$\mu$	eigenvector	??
$e_i$	orthonormal basis vector	??

## Sobolev spaces

### The Space $L^2$

Consider a measurable space  $X$ . The set of square integrable functions is called the  $L^2$  space.

The inner product of  $L^2$  is defined as

$$(f, g) = \int_X fg \quad \text{for } f, g \in L^2.$$

The norm can be defined as  $\|f\| = (f, f)^{\frac{1}{2}}$  for each  $f \in L^2(X)$ . For reference, see [Rud53].

### The Space $L^p$

Consider a measurable space  $X$ . For a real number  $p \geq 1$ , the set of  $p$ -integrable functions is called the  $L^p$  space. A function  $f$  belongs to  $L^p(X)$  if the  $p$ -th power of its absolute value is Lebesgue integrable, that is, if

$$\int_X |f|^p < \infty.$$

The  $L^p$  norm (or  $p$ -norm) is defined as

$$\|f\|_p = \left( \int_X |f|^p \right)^{\frac{1}{p}}$$

for each  $f \in L^p(X)$ .

## Continuous function spaces

$C^m(a, b)$  is the space of functions with continuous derivatives up to order  $m$  over the open interval  $(a, b)$ .

$C^m[a, b]$  is the space of functions in  $C^m(a, b)$ , with existing right derivatives at  $a$  and existing left derivatives at  $b$ , up to order  $m$ .

$C_0^m(a, b)$  contains all functions  $f$  in  $C^m[a, b]$  with the property that there exists numbers  $a < \alpha < \beta < b$  such that  $f$  is zero on  $[a, \alpha] \cup [\beta, b]$ . This property is called compact support.

$C^\infty(a, b)$  contains all functions in  $C^m(a, b)$  for all  $m$ .

$C^\infty[a, b]$  contains all functions in  $C^m[a, b]$  for all  $m$ .

$C_0^\infty(a, b)$  contains all functions in  $C_0^m(a, b)$  for all  $m$ .

### First order weak derivative

Suppose  $u \in L^2(a, b)$  and there exist a  $v \in L^2(a, b)$  such that

$$(u, \phi') = -(v, \phi) \quad \text{for each } \phi \in C_0^\infty(a, b)$$

then  $v$  is called the first order weak derivative of  $u$  and is denoted by  $Du$ .

### Higher order weak derivative

Suppose  $u \in L^2(a, b)$  and there exist a  $v \in L^2(a, b)$  such that

$$(u, \phi^{(m)}) = (-1)^{(m)}(v, \phi) \quad \text{for each } \phi \in C_0^\infty(a, b)$$

then  $v$  is called the  $m$ 'th order weak derivative of  $u$  and is denoted by  $D^{(m)}u$ .

### Sobolev spaces

$W^n$  is the space of functions with weak derivatives up to order  $n$ . There are also special notation  $W^{n,p}$  that indicates that the functions are  $p$ -integrable.

$H^n$  is the space of functions with weak derivatives up to order  $n$  and the functions are square integrable. (i.e.  $H^n = W^{n,2}$ )

# MATLAB Code

The following are the main code used in this dissertation to obtain the eigenvalues and eigenvectors of the models. The code and the dissertation is also available on GitHub at <https://github.com/Propagandalf-7/masters>.

The code is optimized for performance, and therefore the presentation of the code is not optimized for readability. The code is also not commented.

## Example code for Timoshenko beam model

```
1 function [u,p,Eig] = TimoshenkoEig(alpha)
2 syms A;
3 syms B;
4 syms C;
5 syms D;
6 syms x;
7 syms m;
8 syms o;
9 syms lam;
10 syms k;
11 syms a;
12 syms t;
13 format long;
14
15 %gamma = 0.25;
16 nu = 0.3;
17 gamma = 1/(2*(1+nu))*5/6;
18
19 delt = 4*gamma/(1+gamma)^2*alpha/lam + (1-gamma)^2/(1+gamma)^2;
20 omega2 = 1/2*lam*(1+gamma)*(delt^(1/2)+1);
21 mu2 = 1/2*lam*(1+gamma)*(delt^(1/2)-1);
22 theta2 = 1/2*lam*(1+gamma)*(1-delt^(1/2));
23
24
```

```

25 u = A*sinh(m*x) + B*cosh(m*x) + C*sin(o*x) + D*cos(o*x);
26 p = A*((lam+m^2)/m*cosh(m*x)) + B*((lam+m^2)/m*sinh(m*x)) + C
    *(-(lam-o^2)/o*cos(o*x)) + D*((lam-o^2)/o*sin(o*x));
27
28 %u = B + C*sin(o*x) + D*cos(o*x);
29 %p = A + B*a*x + C*(-(lam-o^2)/o)*cos(o*x) + D*((lam-o^2)/o)*
    sin(o*x);
30
31 %u = A*sin(t*x) + B*cos(t*x) + C*sin(o*x) + D*cos(o*x);
32 %p = A*(-(lam-t^2)/t)*cos(t*x) + B*(lam-t^2)/t*sin(t*x) + C*(-(
    lam-o^2)/o)*cos(o*x) + D*(lam-o^2)/o*sin(o*x);
33
34
35 subs((u),x,0);
36 subs((p),x,0);
37
38 u = subs(u,[D,C],[-B,A*(lam+m^2)/m*o/(lam-o^2)]);
39 p = subs(p,[D,C],[-B,A*(lam+m^2)/m*o/(lam-o^2)]);
40
41 %u = subs(u,[B,C],[-D*((lam-o^2)/a),o/lam*(A + k*(-D*((lam-o^2)
    /a) +D))]);
42 %p = subs(p,[B,C],[-D*((lam-o^2)/a),o/lam*(A + k*(-D*((lam-o^2)
    /a) +D))]);
43
44 %u = subs(u,[D,C],[-B,-o/(o^2-lam)*(t^2-lam)/t*A]);
45 %p = subs(p,[D,C],[-B,-o/(o^2-lam)*(t^2-lam)/t*A]);
46
47 M1 = (subs(diff(p),x,1));
48 M2 = (subs(diff(u) - p,x,1));
49 M = [subs(M1,[A,B],[1,0]) subs(M1,[A,B],[0,1]);subs(M2,[A,B]
    ],[1,0]) subs(M2,[A,B],[0,1])];
50
51 %latex(simplify(det(M)))
52
53 L = subs(M,k,sqrt(5/6));
54 L = subs(L,o,(omega2)^(1/2));
55 L = subs(L,m,(mu2)^(1/2));
56 L = subs(L,t,(theta2)^(1/2));
57
58 Y = det(L);
59 Y = simplify(subs(Y,lam,x));
60
61 %ezplot(Y,[0,300])
62 %grid on
63
64 R = 0;
65 R = FindRoots(Y,0.001,500,0.1)
66 %R = FindRoots(Y,100,200,0.1)

```

```

67 RF = zeros(1,size(R,2));
68 RF2 = zeros(1,size(R,2));
69 RF3 = zeros(1,size(R,2));
70 RF4 = zeros(1,size(R,2));
71 for i = 1:size(R,2)
72     if(R(i)-0.1>0)
73         RF(i) = FindRoots(Y,R(i)-0.1,R(i)+0.1,0.0001);
74     else
75         RF(i) = FindRoots(Y,0.0001,R(i)+0.1,0.0001);
76     end
77 end
78 for i = 1:size(R,2)
79     if(RF(i)-0.0001>0)
80         RF2(i) = FindRoots(Y,RF(i)-0.0001,RF(i)+0.0001,0.00001)
81     ;
82     else
83         RF2(i) = FindRoots(Y,0.0001,RF(i)+0.0001,0.00001);
84     end
85 end
86 for i = 1:size(R,2)
87     if(RF2(i)-0.00001>0)
88         RF3(i) = FindRoots(Y,RF2(i)-0.00001,RF2(i)
89         +0.00001,0.000001);
90     else
91         RF3(i) = FindRoots(Y,0.00001,RF2(i)+0.00001,0.000001);
92     end
93 end
94 %for i = 1:size(R,2)
95 %     if(RF3(i)-0.00001>0)
96 %         RF4(i) = FindRoots(Y,RF3(i)-0.000001,RF3(i)
97 %         +0.000001,0.0000001);
98 %     else
99 %         RF4(i) = FindRoots(Y,0.000001,RF3(i)
100 %         +0.000001,0.0000001);
101 %     end
102 %end
103 Eig = RF3';
104 %ModeNum = 1;
105 Eig
106 %{
107 imageDir = fullfile(cd, 'images');
108 if ~exist(imageDir, 'dir')
109     mkdir(imageDir);
110 end
111 for i = 1:size(Eig,1)
112     % Get values

```



```

111 LS = subs(L,lam,RF(i));
112 [a,L1] = gauss(LS,[0;0]);
113 B1 = double(-L1(1,1)/L1(1,2))
114 us = subs(u,[o,m],[(omega2)^(1/2),(mu2)^(1/2)]);
115 ps = subs(p,[o,m],[(omega2)^(1/2),(mu2)^(1/2)]);
116 us = simplify(subs(us,[lam,A,B,k],[RF(i),1,B1,sqrt(5/6)]));
117 ps = simplify(subs(ps,[lam,A,B,k],[RF(i),1,B1,sqrt(5/6)]));
118
119 xd = 0:0.01:1;
120 uss = subs(us,x,xd);
121 max = norm(ss,Inf);
122 us = us/max;
123
124 pss = subs(ps,x,xd);
125 maxp = norm(pss,Inf);
126 ps = ps/maxp;
127
128 % Displacement
129 f1 = figure('Name', ['Mode ' num2str(i) ' Displacement']);
130 clf(f1)
131 ezplot(us,[0,1])
132 title(['Mode ' num2str(i) ' Displacement'])
133 xlabel('x (Position)')
134 ylabel('Displacement (Normalized)')
135 legend('Displacement', 'Location', 'best')
136
137 % Stress
138 f2 = figure('Name', ['Mode ' num2str(i) ' Stress']);
139 clf(f2)
140 ezplot(ps,[0,1])
141 title(['Mode ' num2str(i) ' Stress Distribution'])
142 xlabel('x (Position)')
143 ylabel('Stress (Normalized)')
144 legend('Stress Distribution', 'Location', 'best')
145
146 % Both
147 f3 = figure('Name', ['Mode ' num2str(i) ' Displacement and
148 Stress']);
149 clf(f3)
150 hold on
151 ezplot(us,[0,1])
152 ezplot(ps,[0,1])
153 title(['Mode ' num2str(i) ' Displacement and Stress'])
154 xlabel('x (Position)')
155 legend('Displacement', 'Stress Distribution', 'Location', '
best')
156 hold off

```

```

157     saveas(f1, fullfile(imageDir, ['Mode_' num2str(i) '
    _Displacement.png']));
158     saveas(f2, fullfile(imageDir, ['Mode_' num2str(i) '_Stress.
    png']));
159     saveas(f3, fullfile(imageDir, ['Mode_' num2str(i) '
    _Displacement_and_Stress.png']));
160 end
161 writeToExcel(Eig, imageDir);
162 %}
163 return;
164
165 function writeToExcel(Eig, imageDir)
166     % Define the name of the Excel file
167     excelFileName = 'TimoshenkoResults.xlsx';
168
169     % Initialize COM server
170     Excel = actxserver('Excel.Application');
171     Excel.Workbooks.Add;
172
173     % Get active sheet
174     WorkSheets = Excel.ActiveWorkBook.Sheets;
175     sheet1 = WorkSheets.get('Item', 1);
176     sheet1.Activate;
177
178     % Start writing data to Excel
179     sheet1.Range('A1').Value = 'Mode Number';
180     sheet1.Range('B1').Value = 'Eigen Value';
181
182     for i = 1:size(Eig, 1)
183         sheet1.Range(['A' num2str(i + 1)]).Value = i; % Mode
    Number
184         sheet1.Range(['B' num2str(i + 1)]).Value = Eig(i); %
    Eigen Value
185
186         % Insert images
187         pic_path = fullfile(imageDir, ['Mode_' num2str(i) '
    _Displacement.png']);
188         disp(['Image path: ', pic_path]);
189         Excel.ActiveSheet.Shapes.AddPicture(pic_path, 0, 1,
    100, i*100, 200, 200);
190         pic_path = fullfile(imageDir, ['Mode_' num2str(i) '
    _Stress.png']);
191         disp(['Image path: ', pic_path]);
192         Excel.ActiveSheet.Shapes.AddPicture(pic_path, 0, 1,
    100, i*100, 200, 200);
193         pic_path = fullfile(imageDir, ['Mode_' num2str(i) '
    _Displacement_and_Stress.png']);
194         disp(['Image path: ', pic_path]);

```

```

195         Excel.ActiveSheet.Shapes.AddPicture(pic_path, 0, 1,
196         100, i*100, 200, 200);
197     end
198
199     % Save and close the Excel file
200     Excel.ActiveWorkBook.SaveAs(excelFileName);
201     pause(1); % waits for 1 second
202
203     Excel.ActiveWorkbook.Close;
204     Excel.Quit;
205     Excel.delete;
206     clear Excel;
207
208     function I = IntervalDivision(a,b,TOL)
209     if abs(b-a)>=TOL
210         m = abs(b-a)/2;
211         I = [IntervalDivision(a,a+m,TOL); IntervalDivision(a+m,b,TOL
212         )];
213     return;
214 else
215     I = [a b];
216 end
217 return
218
219 function R = FindRoots(Y,a,b,TOL)
220 syms x;
221 I = IntervalDivision(a,b,TOL);
222 n = size(I,1);
223 SubsI = zeros(size(I));
224 for i = 1:n
225     SubsI(i,1) = subs(Y,x,I(i,1));
226     SubsI(i,2) = subs(Y,x,I(i,2));
227 end
228
229 icount = 1;
230 for i = 1:n
231     if SubsI(i,1) == 0
232         R(icount) = I(i,1);
233         icount = icount+1;
234     elseif SubsI(i,1) == 0
235         R(icount) = I(i,1);
236         icount = icount+1;
237     elseif SubsI(i,1)*SubsI(i,2) < 0
238         R(icount) = (I(i,2)+I(i,1))/2;
239         icount = icount+1;
240     end
241 end
242 return

```

---

## Example code for two-dimensional elastic body using bi-cubics

```
1 function [E, n, m] = TwoDimensionalCantileverCubic(n,alpha,
    graph)
2 format long g
3 %gpuDevice(2)
4 beta = 1;
5 %alpha = 300;
6 gamma = 0.3205;
7 nu = 0.3;
8 iA = 1/(1-nu^2);
9 iB = 1/(2*gamma*(1+nu));
10
11 ex = sqrt(12/alpha);
12 h=ex
13 %ex = h
14 m = ceil(n*ex);
15
16 if(m <= 1)
17     m = 2;
18 end
19 %if(m >= 15)
20 %     m = 15;
21 %end
22 %n
23 %m = 2
24
25 a = 0;
26 b = 1;
27 c = 0;
28
29 %d = sqrt(12/alpha);
30 d =h
31 deltx = (b-a)/n;
32 delty = (d-c)/m;
33
34 [MM,Kxx,Kxy,Kyy,D0] = CalMatrix(n,m,deltx,delty);
35 Kyx = Kxy';%CHECKED
36 All = (n+1)*(m+1);
37
38 K1 = Kxx + (1-nu)/2*Kyy;
39 K2 = nu*Kyx + (1-nu)/2*Kxy;
```

```

40 K3 = nu*Kxy + (1-nu)/2*Kyx;
41 K4 = Kyy + (1-nu)/2*Kxx;
42 O = sparse(size(MM,1),size(MM,2));%CHECKED
43 MMu = [MM 0;%CHECKED
44         0 MM];%CHECKED
45 Mf = MMu;
46 K = 1/(gamma*(1-nu^2))*[K1 K2; K3 K4];%CHECKED
47 x = [7*A11:-1:7*A11-(m+1)+1 5*A11:-1:5*A11-(m+1)+1 3*A11:-1:3*
      A11-(m+1)+1 1*A11:-1:1*A11-(m+1)+1];
48 K(x,:) = [];
49 K(:,x) = [];
50 MMu(x,:) = [];
51 MMu(:,x) = [];
52 Mf(x,:) = [];
53 %CHECKED
54 %eig(Mu,K)
55 [V,D] = eigs(K,MMu,20,'sm');
56 E = diag(D);
57 size(K)
58
59 if (graph == 1)
60     for i = 1:10
61         w = V(:,i);
62
63         f = -1/200;
64         F1 = zeros((n+1)*(m+1),1);
65         F1(ceil((1+(m+1))/2)) = f;
66         F = zeros(8*(n+1)*(m+1),1);
67         F(4*(n+1)*(m+1)+1:5*(n+1)*(m+1)) = F1;
68
69
70         %ueq = K\MMu*(-w);
71         tic
72         %Kg = gpuArray(K);
73         %Mfg = gpuArray(Mf);
74         %Fg = gpuArray(F);
75         toc
76
77         %b =Mf*(-F);
78         %tic
79         %ueq = K\Mf*(-F);
80         %toc
81         b = MMu*(-w);
82         tic
83         tol = 0.00001;
84         maxit = 30000;
85         alpha1 = max(sum(abs(K),2)./diag(K))-2;

```

```

86     L = ichol(K,struct('type','ict','droptol',1e-3,'
diagcomp',alpha1));
87     ueq = pcg(K,b,tol,maxit,L,L');
88     toc
89
90     Ep = Positions(m,n,deltx,dely);
91     %ux = 0;
92     %uy = 0;
93     ux = [ueq(1:(n+1)*(m+1)-(m+1),1);zeros(m+1,1)] + Ep
(:,1);
94     dxux = [ueq((n+1)*(m+1)-(m+1)+1:2*(n+1)*(m+1)-(m+1),1)
];
95     dyux = [ueq(2*(n+1)*(m+1)-(m+1)+1:3*(n+1)*(m+1)-2*(m+1)
,1);zeros(m+1,1)];
96     dxyux = [ueq(3*(n+1)*(m+1)-2*(m+1)+1:4*(n+1)*(m+1)-2*(m
+1),1)];
97     uy = [ueq(4*(n+1)*(m+1)-2*(m+1)+1:5*(n+1)*(m+1)-3*(m+1)
,1);zeros(m+1,1)] + Ep(:,2);
98     dxuy = [ueq(5*(n+1)*(m+1)-3*(m+1)+1:6*(n+1)*(m+1)-3*(m
+1),1)];
99     dyuy = [ueq(6*(n+1)*(m+1)-3*(m+1)+1:7*(n+1)*(m+1)-4*(m
+1),1);zeros(m+1,1)];
100    dxyuy = [ueq(7*(n+1)*(m+1)-4*(m+1)+1:8*(n+1)*(m+1)-4*(m
+1),1)];
101
102    ux = flip(ux);
103    dxux = flip(dxux);
104    dyux = flip(dyux);
105    dxyux = flip(dxyux);
106    uy = flip(uy);
107    dxuy = flip(dxuy);
108    dyuy = flip(dyuy);
109    dxyuy = flip(dxyuy);
110
111    uxB = ux(D0(ceil((m+1)/2),:));
112    uyB = uy(D0(ceil((m+1)/2),:));
113    dxuxB = dxux(D0(ceil((m+1)/2),:));
114    dxuyB = dxuy(D0(ceil((m+1)/2),:));
115    dyuxB = dyux(D0(ceil((m+1)/2),:));
116    dyuyB = dyuy(D0(ceil((m+1)/2),:));
117    dxyuxB = dxyux(D0(ceil((m+1)/2),:));
118    dxyuyB = dxyuy(D0(ceil((m+1)/2),:));
119
120    maxs = norm(uy,Inf);
121    uy = uy/maxs;
122    stress = ceil((n+1)/2);
123    figure(i);
124

```

```

125     scatter(ux,uy, 'b', 'filled'); % blue filled circles
126     hold on;
127
128     middleIndex = ceil(size(D0,1)/2); % Find the middle
row of D0
129     ux1 = ux(D0(middleIndex,:));
130     uy1 = uy(D0(middleIndex,:));
131     maxs2 = norm(uy1,Inf);
132
133     plot(ux1,uy1, 'r', 'LineWidth', 2); % red line with
thicker width
134
135     % Add titles, labels, and legends
136     title(['Eigenfunction ' num2str(i)]);
137     xlabel('Ux');
138     ylabel('Uy');
139     legend('Ux vs. Uy', 'Transformed Ux vs. Uy', 'Location'
, 'best');
140
141     grid on; % Add a grid for better readability
142     sigma11 = 1/(gamma*(1-nu^2))*(dxuxB + nu*dyuyB);
143     sigma22 = 1/(gamma*(1-nu^2))*(dyuyB + nu*dxuxB);
144     sigma12 = 1/(2*gamma*(1+nu))*(dyuxB + dxuyB);
145
146     T = [sigma11(stress) sigma12(stress);sigma12(stress)
sigma22(stress)]
147     end
148 end
149 return;
150
151 function [Mq,Kxxq,Kxyq,Kyyq] = matrix(deltx,delt y)%CHECKED
152 syms x;
153 syms y;
154
155 Q = [1 x x^2 x^3 y x*y x^2*y x^3*y y^2 x*y^2 x^2*y^2 x^3*y^2 y
^3 x*y^3 x^2*y^3 x^3*y^3];
156
157 size_num = size(Q,2)/4;
158 T = MATRIX_T(Q);
159
160 Mq = zeros(size(Q,2))*x*y;
161 Kxxq = zeros(size(Q,2))*x*y;
162 Kxyq = zeros(size(Q,2))*x*y;
163 Kyyq = zeros(size(Q,2))*x*y;
164
165 for i = 1:size(Q,2)
166     for j = 1:size(Q,2)
167         Mq(j,i) = Q(j)*Q(i);

```

```

168         Kxxq(j,i) = diff(Q(j),x)*diff(Q(i),x);
169         Kxyq(j,i) = diff(Q(j),y)*diff(Q(i),x);
170         Kyyq(j,i) = diff(Q(j),y)*diff(Q(i),y);
171     end
172 end
173
174 Mq = int(int(Mq,x,0,1),y,0,1);
175 Kxxq = int(int(Kxxq,x,0,1),y,0,1);
176 Kxyq = int(int(Kxyq,x,0,1),y,0,1);
177 Kyyq = int(int(Kyyq,x,0,1),y,0,1);
178
179 IT = inv(T);
180
181 Mq = (IT)'*Mq*IT;
182 Kxxq = (IT)'*Kxxq*IT;
183 Kxyq = (IT)'*Kxyq*IT;
184 Kyyq = (IT)'*Kyyq*IT;
185
186 Mq = double(Mq*deltx*delty);
187 Kxxq = double(Kxxq*delty/deltx);
188 Kyyq = double(Kyyq*deltx/delty);
189 Kxyq = double(Kxyq);
190 return;
191
192 function [Adj, Type, D] = Domain(n,m)
193 D = zeros(m+1,n+1);
194 icount = 1;
195 for i = n+1:-1:1
196     for j = 1:m+1
197         D(j,i) = icount;
198         icount = icount + 1;
199     end
200 end
201 D0 = [zeros(1,n+3);zeros(m+1,1) D zeros(m+1,1);zeros(1,n+3)];
202 icount = 1;
203 Adj = zeros((n+1)*(m+1),9);
204 for i = n+2:-1:2
205     for j = 2:m+2
206         Adj(icount,1) = D0(j,i); %middel
207         Adj(icount,2) = D0(j-1,i); %bo
208         Adj(icount,3) = D0(j-1,i+1); %regsbo
209         Adj(icount,4) = D0(j,i+1); %regs
210         Adj(icount,5) = D0(j+1,i+1); %regs onder
211         Adj(icount,6) = D0(j+1,i); %onder
212         Adj(icount,7) = D0(j+1,i-1); %links onder
213         Adj(icount,8) = D0(j,i-1); %links
214         Adj(icount,9) = D0(j-1,i-1); %linksbo
215         icount = icount +1;

```



```

216     end
217 end
218 Type= zeros((n+1)*(m+1),2);
219 T = [1      0      0      0      0      2      5      4      0;
220      2      1      0      0      0      3      6      5      4;
221      3      2      0      0      0      0      0      6      5;
222      4      0      0      1      2      5      8      7      0;
223      5      4      1      2      3      6      9      8      7;
224      6      5      2      3      0      0      0      9      8;
225      7      0      0      4      5      8      0      0      0;
226      8      7      4      5      6      9      0      0      0;
227      9      8      5      6      0      0      0      0      0];
228 nnz(T);
229
230 for i = 1:(n+1)*(m+1)
231     Type(i,1) = Adj(i,1);
232     for j = 1:9
233         bflag = true;
234         for k = 1:9
235             if(any(T(j,k)) ~= any(Adj(i,k)))
236                 bflag = false;
237             end
238         end
239         if(bflag == true)
240             Type(i,2) = j;
241         end
242     end
243 end
244 return
245
246 function [M,Kxx,Kxy,Kyy,D0] = CalMatrix(n,m,deltx,delty)
247 [Adj, Type, D0] = Domain(n,m);
248 [Mq,Kxxq,Kxyq,Kyyq] = matrix(deltx,delty);
249
250 ns = nnz(Adj);
251 Ms = zeros(16*ns,1);
252 Kxxs = zeros(16*ns,1);
253 Kxys = zeros(16*ns,1);
254 Kyys = zeros(16*ns,1);
255
256 x = [1:(n+1)*(m+1)]';
257 c = sum(Adj~=0,2);
258
259 ix = repelem(x,c);
260 x = [ix;ix+(n+1)*(m+1);ix+2*(n+1)*(m+1);ix+3*(n+1)*(m+1);
261     ix;ix+(n+1)*(m+1);ix+2*(n+1)*(m+1);ix+3*(n+1)*(m+1);
262     ix;ix+(n+1)*(m+1);ix+2*(n+1)*(m+1);ix+3*(n+1)*(m+1);
263     ix;ix+(n+1)*(m+1);ix+2*(n+1)*(m+1);ix+3*(n+1)*(m+1);];

```

```

264
265 iy = nonzeros(Adj');
266 y = [iy;iy;iy;iy;
267      iy+(n+1)*(m+1);iy+(n+1)*(m+1);iy+(n+1)*(m+1);iy+(n+1)*(m+1)
      ;
268      iy+2*(n+1)*(m+1);iy+2*(n+1)*(m+1);iy+2*(n+1)*(m+1);iy+2*(n
      +1)*(m+1);
269      iy+3*(n+1)*(m+1);iy+3*(n+1)*(m+1);iy+3*(n+1)*(m+1);iy+3*(n
      +1)*(m+1)];
270 B = BMatrix();
271
272 Adj(Adj == 0) = nan;
273 NanAdj = ~isnan(Adj);
274 NanAdj = NanAdj';
275
276 a = 1:9;
277 b = repelem(a,size(Adj,1),1);
278 b = b';
279 iz = b(NanAdj);
280
281 for i = 1:ns
282     k = 1;
283     while(B(Type(ix(i),2),iz(i),k) ~= 0)
284         Ms(i) = Ms(i) + Mq(B(Type(ix(i),2),iz(i),k),B(Type(ix(i)
            ,2),iz(i),k+1));
285         Kxxs(i) = Kxxs(i) + Kxxq(B(Type(ix(i),2),iz(i),k),B(Type(ix
            (i),2),iz(i),k+1));
286         Kxys(i) = Kxys(i) + Kxyq(B(Type(ix(i),2),iz(i),k),B(Type(ix
            (i),2),iz(i),k+1));
287         Kyys(i) = Kyys(i) + Kyyq(B(Type(ix(i),2),iz(i),k),B(Type(ix
            (i),2),iz(i),k+1));
288
289         Ms(ns+i) = Ms(ns+i) + Mq(B(Type(ix(i),2),iz(i),k)+4,B(
            Type(ix(i),2),iz(i),k+1));
290         Kxxs(ns+i) = Kxxs(ns+i) + Kxxq(B(Type(ix(i),2),iz(i),k)+4,B
            (Type(ix(i),2),iz(i),k+1));
291         Kxys(ns+i) = Kxys(ns+i) + Kxyq(B(Type(ix(i),2),iz(i),k)+4,B
            (Type(ix(i),2),iz(i),k+1));
292         Kyys(ns+i) = Kyys(ns+i) + Kyyq(B(Type(ix(i),2),iz(i),k)+4,B
            (Type(ix(i),2),iz(i),k+1));
293
294         Ms(2*ns+i) = Ms(2*ns+i) + Mq(B(Type(ix(i),2),iz(i),k)+8,B
            (Type(ix(i),2),iz(i),k+1));
295         Kxxs(2*ns+i) = Kxxs(2*ns+i) + Kxxq(B(Type(ix(i),2),iz(i),k)
            +8,B(Type(ix(i),2),iz(i),k+1));
296         Kxys(2*ns+i) = Kxys(2*ns+i) + Kxyq(B(Type(ix(i),2),iz(i),k)
            +8,B(Type(ix(i),2),iz(i),k+1));

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```

297     Kyys(2*ns+i) = Kyys(2*ns+i) + Kyyq(B(Type(ix(i),2),iz(i),k)
+8,B(Type(ix(i),2),iz(i),k+1));
298
299     Ms(3*ns+i)    = Ms(3*ns+i) + Mq(B(Type(ix(i),2),iz(i),k)+12,
B(Type(ix(i),2),iz(i),k+1));
300     Kxxs(3*ns+i) = Kxxs(3*ns+i) + Kxxq(B(Type(ix(i),2),iz(i),k)
+12,B(Type(ix(i),2),iz(i),k+1));
301     Kxys(3*ns+i) = Kxys(3*ns+i) + Kxyq(B(Type(ix(i),2),iz(i),k)
+12,B(Type(ix(i),2),iz(i),k+1));
302     Kyys(3*ns+i) = Kyys(3*ns+i) + Kyyq(B(Type(ix(i),2),iz(i),k)
+12,B(Type(ix(i),2),iz(i),k+1));
303
304     %%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%
305     Ms(4*ns+i)    = Ms(4*ns+i) + Mq(B(Type(ix(i),2),iz(i),k),B(
Type(ix(i),2),iz(i),k+1)+4);
306     Kxxs(4*ns+i) = Kxxs(4*ns+i) + Kxxq(B(Type(ix(i),2),iz(i),k)
,B(Type(ix(i),2),iz(i),k+1)+4);
307     Kxys(4*ns+i) = Kxys(4*ns+i) + Kxyq(B(Type(ix(i),2),iz(i),k)
,B(Type(ix(i),2),iz(i),k+1)+4);
308     Kyys(4*ns+i) = Kyys(4*ns+i) + Kyyq(B(Type(ix(i),2),iz(i),k)
,B(Type(ix(i),2),iz(i),k+1)+4);
309
310     Ms(5*ns+i)    = Ms(5*ns+i) + Mq(B(Type(ix(i),2),iz(i),k)+4,B
(Type(ix(i),2),iz(i),k+1)+4);
311     Kxxs(5*ns+i) = Kxxs(5*ns+i) + Kxxq(B(Type(ix(i),2),iz(i),k)
+4,B(Type(ix(i),2),iz(i),k+1)+4);
312     Kxys(5*ns+i) = Kxys(5*ns+i) + Kxyq(B(Type(ix(i),2),iz(i),k)
+4,B(Type(ix(i),2),iz(i),k+1)+4);
313     Kyys(5*ns+i) = Kyys(5*ns+i) + Kyyq(B(Type(ix(i),2),iz(i),k)
+4,B(Type(ix(i),2),iz(i),k+1)+4);
314
315     Ms(6*ns+i)    = Ms(6*ns+i) + Mq(B(Type(ix(i),2),iz(i),k)+8,B
(Type(ix(i),2),iz(i),k+1)+4);
316     Kxxs(6*ns+i) = Kxxs(6*ns+i) + Kxxq(B(Type(ix(i),2),iz(i),k)
+8,B(Type(ix(i),2),iz(i),k+1)+4);
317     Kxys(6*ns+i) = Kxys(6*ns+i) + Kxyq(B(Type(ix(i),2),iz(i),k)
+8,B(Type(ix(i),2),iz(i),k+1)+4);
318     Kyys(6*ns+i) = Kyys(6*ns+i) + Kyyq(B(Type(ix(i),2),iz(i),k)
+8,B(Type(ix(i),2),iz(i),k+1)+4);
319
320     Ms(7*ns+i)    = Ms(7*ns+i) + Mq(B(Type(ix(i),2),iz(i),k)+12,
B(Type(ix(i),2),iz(i),k+1)+4);
321     Kxxs(7*ns+i) = Kxxs(7*ns+i) + Kxxq(B(Type(ix(i),2),iz(i),k)
+12,B(Type(ix(i),2),iz(i),k+1)+4);
322     Kxys(7*ns+i) = Kxys(7*ns+i) + Kxyq(B(Type(ix(i),2),iz(i),k)
+12,B(Type(ix(i),2),iz(i),k+1)+4);
323     Kyys(7*ns+i) = Kyys(7*ns+i) + Kyyq(B(Type(ix(i),2),iz(i),k)
+12,B(Type(ix(i),2),iz(i),k+1)+4);

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324
325 %%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%
326 Ms(8*ns+i) = Ms(8*ns+i) + Mq(B(Type(ix(i),2),iz(i),k),B(
Type(ix(i),2),iz(i),k+1)+8);
327 Kxxs(8*ns+i) = Kxxs(8*ns+i) + Kxxq(B(Type(ix(i),2),iz(i),k)
,B(Type(ix(i),2),iz(i),k+1)+8);
328 Kxys(8*ns+i) = Kxys(8*ns+i) + Kxyq(B(Type(ix(i),2),iz(i),k)
,B(Type(ix(i),2),iz(i),k+1)+8);
329 Kyys(8*ns+i) = Kyys(8*ns+i) + Kyyq(B(Type(ix(i),2),iz(i),k)
,B(Type(ix(i),2),iz(i),k+1)+8);
330
331 Ms(9*ns+i) = Ms(9*ns+i) + Mq(B(Type(ix(i),2),iz(i),k)+4,B
(Type(ix(i),2),iz(i),k+1)+8);
332 Kxxs(9*ns+i) = Kxxs(9*ns+i) + Kxxq(B(Type(ix(i),2),iz(i),k)
+4,B(Type(ix(i),2),iz(i),k+1)+8);
333 Kxys(9*ns+i) = Kxys(9*ns+i) + Kxyq(B(Type(ix(i),2),iz(i),k)
+4,B(Type(ix(i),2),iz(i),k+1)+8);
334 Kyys(9*ns+i) = Kyys(9*ns+i) + Kyyq(B(Type(ix(i),2),iz(i),k)
+4,B(Type(ix(i),2),iz(i),k+1)+8);
335
336 Ms(10*ns+i) = Ms(10*ns+i) + Mq(B(Type(ix(i),2),iz(i),k)
+8,B(Type(ix(i),2),iz(i),k+1)+8);
337 Kxxs(10*ns+i) = Kxxs(10*ns+i) + Kxxq(B(Type(ix(i),2),iz(i),
k)+8,B(Type(ix(i),2),iz(i),k+1)+8);
338 Kxys(10*ns+i) = Kxys(10*ns+i) + Kxyq(B(Type(ix(i),2),iz(i),
k)+8,B(Type(ix(i),2),iz(i),k+1)+8);
339 Kyys(10*ns+i) = Kyys(10*ns+i) + Kyyq(B(Type(ix(i),2),iz(i),
k)+8,B(Type(ix(i),2),iz(i),k+1)+8);
340
341 Ms(11*ns+i) = Ms(11*ns+i) + Mq(B(Type(ix(i),2),iz(i),k)
+12,B(Type(ix(i),2),iz(i),k+1)+8);
342 Kxxs(11*ns+i) = Kxxs(11*ns+i) + Kxxq(B(Type(ix(i),2),iz(i),
k)+12,B(Type(ix(i),2),iz(i),k+1)+8);
343 Kxys(11*ns+i) = Kxys(11*ns+i) + Kxyq(B(Type(ix(i),2),iz(i),
k)+12,B(Type(ix(i),2),iz(i),k+1)+8);
344 Kyys(11*ns+i) = Kyys(11*ns+i) + Kyyq(B(Type(ix(i),2),iz(i),
k)+12,B(Type(ix(i),2),iz(i),k+1)+8);
345 %%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%
346 Ms(12*ns+i) = Ms(12*ns+i) + Mq(B(Type(ix(i),2),iz(i),k),B
(Type(ix(i),2),iz(i),k+1)+12);
347 Kxxs(12*ns+i) = Kxxs(12*ns+i) + Kxxq(B(Type(ix(i),2),iz(i),
k),B(Type(ix(i),2),iz(i),k+1)+12);
348 Kxys(12*ns+i) = Kxys(12*ns+i) + Kxyq(B(Type(ix(i),2),iz(i),
k),B(Type(ix(i),2),iz(i),k+1)+12);
349 Kyys(12*ns+i) = Kyys(12*ns+i) + Kyyq(B(Type(ix(i),2),iz(i),
k),B(Type(ix(i),2),iz(i),k+1)+12);
350

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351 Ms(13*ns+i) = Ms(13*ns+i) + Mq(B(Type(ix(i),2),iz(i),k)
+4,B(Type(ix(i),2),iz(i),k+1)+12);
352 Kxxs(13*ns+i) = Kxxs(13*ns+i) + Kxxq(B(Type(ix(i),2),iz(i),
k)+4,B(Type(ix(i),2),iz(i),k+1)+12);
353 Kxys(13*ns+i) = Kxys(13*ns+i) + Kxyq(B(Type(ix(i),2),iz(i),
k)+4,B(Type(ix(i),2),iz(i),k+1)+12);
354 Kyys(13*ns+i) = Kyys(13*ns+i) + Kyyq(B(Type(ix(i),2),iz(i),
k)+4,B(Type(ix(i),2),iz(i),k+1)+12);
355
356 Ms(14*ns+i) = Ms(14*ns+i) + Mq(B(Type(ix(i),2),iz(i),k)
+8,B(Type(ix(i),2),iz(i),k+1)+12);
357 Kxxs(14*ns+i) = Kxxs(14*ns+i) + Kxxq(B(Type(ix(i),2),iz(i),
k)+8,B(Type(ix(i),2),iz(i),k+1)+12);
358 Kxys(14*ns+i) = Kxys(14*ns+i) + Kxyq(B(Type(ix(i),2),iz(i),
k)+8,B(Type(ix(i),2),iz(i),k+1)+12);
359 Kyys(14*ns+i) = Kyys(14*ns+i) + Kyyq(B(Type(ix(i),2),iz(i),
k)+8,B(Type(ix(i),2),iz(i),k+1)+12);
360
361 Ms(15*ns+i) = Ms(15*ns+i) + Mq(B(Type(ix(i),2),iz(i),k)
+12,B(Type(ix(i),2),iz(i),k+1)+12);
362 Kxxs(15*ns+i) = Kxxs(15*ns+i) + Kxxq(B(Type(ix(i),2),iz(i),
k)+12,B(Type(ix(i),2),iz(i),k+1)+12);
363 Kxys(15*ns+i) = Kxys(15*ns+i) + Kxyq(B(Type(ix(i),2),iz(i),
k)+12,B(Type(ix(i),2),iz(i),k+1)+12);
364 Kyys(15*ns+i) = Kyys(15*ns+i) + Kyyq(B(Type(ix(i),2),iz(i),
k)+12,B(Type(ix(i),2),iz(i),k+1)+12);
365
366 k = k + 2;
367 if(k > 8)
368     break;
369 end
370 end
371 end
372 M = sparse(x,y,Ms,4*(n+1)*(m+1),4*(n+1)*(m+1));
373 Kxx = sparse(x,y,Kxxs,4*(n+1)*(m+1),4*(n+1)*(m+1));
374 Kxy = sparse(x,y,Kxys,4*(n+1)*(m+1),4*(n+1)*(m+1));
375 Kyy = sparse(x,y,Kyys,4*(n+1)*(m+1),4*(n+1)*(m+1));
376 return;
377
378 function B = BMatrix()
379 B = zeros(9,9,8);
380 B(3,1,:) = [2 2 0 0 0 0 0 0];
381 B(3,2,:) = [2 3 0 0 0 0 0 0];
382 B(3,3,:) = [0 0 0 0 0 0 0 0];
383 B(3,4,:) = [0 0 0 0 0 0 0 0];
384 B(3,5,:) = [0 0 0 0 0 0 0 0];
385 B(3,6,:) = [0 0 0 0 0 0 0 0];
386 B(3,7,:) = [0 0 0 0 0 0 0 0];

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```

387 B(3,8,:) = [2 1 0 0 0 0 0 0];
388 B(3,9,:) = [2 4 0 0 0 0 0 0];
389
390 B(2,1,:) = [2 2 3 3 0 0 0 0];
391 B(2,2,:) = [2 3 0 0 0 0 0 0];
392 B(2,3,:) = [0 0 0 0 0 0 0 0];
393 B(2,4,:) = [0 0 0 0 0 0 0 0];
394 B(2,5,:) = [0 0 0 0 0 0 0 0];
395 B(2,6,:) = [3 2 0 0 0 0 0 0];
396 B(2,7,:) = [3 1 0 0 0 0 0 0];
397 B(2,8,:) = [2 1 3 4 0 0 0 0];
398 B(2,9,:) = [2 4 0 0 0 0 0 0];
399
400 B(1,1,:) = [3 3 0 0 0 0 0 0];
401 B(1,2,:) = [0 0 0 0 0 0 0 0];
402 B(1,3,:) = [0 0 0 0 0 0 0 0];
403 B(1,4,:) = [0 0 0 0 0 0 0 0];
404 B(1,5,:) = [0 0 0 0 0 0 0 0];
405 B(1,6,:) = [3 2 0 0 0 0 0 0];
406 B(1,7,:) = [3 1 0 0 0 0 0 0];
407 B(1,8,:) = [3 4 0 0 0 0 0 0];
408 B(1,9,:) = [0 0 0 0 0 0 0 0];
409
410 B(6,1,:) = [1 1 2 2 0 0 0 0];
411 B(6,2,:) = [1 4 2 3 0 0 0 0];
412 B(6,3,:) = [1 3 0 0 0 0 0 0];
413 B(6,4,:) = [1 2 0 0 0 0 0 0];
414 B(6,5,:) = [0 0 0 0 0 0 0 0];
415 B(6,6,:) = [0 0 0 0 0 0 0 0];
416 B(6,7,:) = [0 0 0 0 0 0 0 0];
417 B(6,8,:) = [2 1 0 0 0 0 0 0];
418 B(6,9,:) = [2 4 0 0 0 0 0 0];
419
420 B(5,1,:) = [1 1 2 2 3 3 4 4];
421 B(5,2,:) = [1 4 2 3 0 0 0 0];
422 B(5,3,:) = [1 3 0 0 0 0 0 0];
423 B(5,4,:) = [1 2 4 3 0 0 0 0];
424 B(5,5,:) = [4 2 0 0 0 0 0 0];
425 B(5,6,:) = [4 1 3 2 0 0 0 0];
426 B(5,7,:) = [3 1 0 0 0 0 0 0];
427 B(5,8,:) = [3 4 2 1 0 0 0 0];
428 B(5,9,:) = [2 4 0 0 0 0 0 0];
429
430 B(4,1,:) = [3 3 4 4 0 0 0 0];
431 B(4,2,:) = [0 0 0 0 0 0 0 0];
432 B(4,3,:) = [0 0 0 0 0 0 0 0];
433 B(4,4,:) = [4 3 0 0 0 0 0 0];
434 B(4,5,:) = [4 2 0 0 0 0 0 0];

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435 B(4,6,:) = [4 1 3 2 0 0 0 0];
436 B(4,7,:) = [3 1 0 0 0 0 0 0];
437 B(4,8,:) = [3 4 0 0 0 0 0 0];
438 B(4,9,:) = [0 0 0 0 0 0 0 0];
439
440 B(9,1,:) = [1 1 0 0 0 0 0 0];
441 B(9,2,:) = [1 4 0 0 0 0 0 0];
442 B(9,3,:) = [1 3 0 0 0 0 0 0];
443 B(9,4,:) = [1 2 0 0 0 0 0 0];
444 B(9,5,:) = [0 0 0 0 0 0 0 0];
445 B(9,6,:) = [0 0 0 0 0 0 0 0];
446 B(9,7,:) = [0 0 0 0 0 0 0 0];
447 B(9,8,:) = [0 0 0 0 0 0 0 0];
448 B(9,9,:) = [0 0 0 0 0 0 0 0];
449
450 B(8,1,:) = [1 1 4 4 0 0 0 0];
451 B(8,2,:) = [1 4 0 0 0 0 0 0];
452 B(8,3,:) = [1 3 0 0 0 0 0 0];
453 B(8,4,:) = [1 2 4 3 0 0 0 0];
454 B(8,5,:) = [4 2 0 0 0 0 0 0];
455 B(8,6,:) = [4 1 0 0 0 0 0 0];
456 B(8,7,:) = [0 0 0 0 0 0 0 0];
457 B(8,8,:) = [0 0 0 0 0 0 0 0];
458 B(8,9,:) = [0 0 0 0 0 0 0 0];
459
460 B(7,1,:) = [4 4 0 0 0 0 0 0];
461 B(7,2,:) = [0 0 0 0 0 0 0 0];
462 B(7,3,:) = [0 0 0 0 0 0 0 0];
463 B(7,4,:) = [4 3 0 0 0 0 0 0];
464 B(7,5,:) = [4 2 0 0 0 0 0 0];
465 B(7,6,:) = [4 1 0 0 0 0 0 0];
466 B(7,7,:) = [0 0 0 0 0 0 0 0];
467 B(7,8,:) = [0 0 0 0 0 0 0 0];
468 B(7,9,:) = [0 0 0 0 0 0 0 0];
469 return;
470
471 function T = MATRIX_T(Q)
472 syms x;
473 syms y;
474
475 n = size(Q,2);
476
477 T = zeros(n);
478 for j = 1:n
479     T(j,1) = subs(Q(j),[x,y],[0,0]);
480     T(j,2) = subs(Q(j),[x,y],[1,0]);
481     T(j,3) = subs(Q(j),[x,y],[1,1]);
482     T(j,4) = subs(Q(j),[x,y],[0,1]);

```

```

483     if(n > 4)
484         T(j,5) = subs(diff(Q(j),x),[x,y],[0,0]);
485         T(j,6) = subs(diff(Q(j),x),[x,y],[1,0]);
486         T(j,7) = subs(diff(Q(j),x),[x,y],[1,1]);
487         T(j,8) = subs(diff(Q(j),x),[x,y],[0,1]);
488     end
489     if(n > 8)
490         T(j,9) = subs(diff(Q(j),y),[x,y],[0,0]);
491         T(j,10) = subs(diff(Q(j),y),[x,y],[1,0]);
492         T(j,11) = subs(diff(Q(j),y),[x,y],[1,1]);
493         T(j,12) = subs(diff(Q(j),y),[x,y],[0,1]);
494     end
495     if(n > 12)
496         T(j,13) = subs(diff(diff(Q(j),y),x),[x,y],[0,0]);
497         T(j,14) = subs(diff(diff(Q(j),y),x),[x,y],[1,0]);
498         T(j,15) = subs(diff(diff(Q(j),y),x),[x,y],[1,1]);
499         T(j,16) = subs(diff(diff(Q(j),y),x),[x,y],[0,1]);
500     end
501 end
502 T = T';
503 return
504
505 function E = Positions(m,n,dx,dy)
506     E = zeros((n+1)*(m+1),2);
507     ix = n+1;
508     iy = m+1;
509     for i = 1:(n+1)*(m+1)
510         E(i,:) = [dx*(ix-1),dy*(iy-1)];
511
512         iy = iy-1;
513         if(iy == 0)
514             iy = m+1;
515             ix = ix -1;
516         end
517     end
518     %[Cubes,CubeNumbers] = CreateCubes(E,N);
519     %Plot(E,N,Cubes)
520 return

```

## Example code for Reissner-Mindlin plate model using bi-cubics

```

1 %function [E,wP,xP,yP,size_c] = PlateCantileverCubic(d,n,h,inum
  ,numEig)
2 function [E,n,m] = PlateCantileverCubic(d,n,h,inum,numEig)

```



```

3 format long g
4 m = ceil(n*d);
5 a = 0;
6 b = 1;
7 c = 0;
8
9 %h = sqrt(12/alpha);
10 %d = 1;
11 deltx = (b-a)/n;
12 delty = (d-c)/m;
13
14 size_c = (n+1)*(m+1);
15
16 nu = 0.3;
17
18 kappa_b = (5/6);
19 kappa_p = 0.9554;%0.29738*nu + 0.763932;
20
21 I = (h^3)/12;
22 beta = kappa_b/((2*(1+nu))*I);%*alpha;%0.3846*kappa_p/I
23 A = 1/(beta*(1-nu^2));
24 B = 1/(2*beta*(1+nu));
25
26 [MM,Kxx,Kxy,Kyy,Lx,Ly,Edge] = CalMatrix(n,m,deltx,delty);
27 LxT = Lx';
28 LyT = Ly';
29 Kyx = Kxy';%CHECKED
30 O = sparse(size(MM,1),size(MM,2));
31 Mu = [MM O O; O I*MM O; O O I*MM];
32 Ku = [Kxx+Kyy LxT LyT; h*Lx A*Kxx+B*Kyy+h*MM A*nu*Kyx+B*Kxy; h*
      Ly A*nu*Kxy+B*Kyx A*Kyy+B*Kxx+h*MM];%The correct one!
33 %Ku = [Kxx+Kyy Lx Ly; h*LxT A*Kxx+B*Kyy+h*MM A*nu*Kxy+B*Kyx; h*
      LyT A*nu*Kyx+B*Kxy A*Kyy+B*Kxx+h*MM];%The not correct one!
34 %Ku = [h*(Kxx+Kyy) h*Lx h*Ly; h*LxT A*Kxx+B*Kyy+h*MM A*nu*Kxy+B
      *Kyx; h*LyT A*nu*Kyx+B*Kxy A*Kyy+B*Kxx+h*MM];
35 Mq = [MM O O; O O O; O O O];
36 F = zeros(size(Mu,1),1);
37 F(1:(m+1),1) = 0.01;
38 x = [];
39
40 for i = [0 2 4 6 8 10]
41     x = [x; Edge+(i)*(m+1)*(n+1)];
42 end
43 Mu(x,:) = [];
44 Mu(:,x) = [];
45 Ku(x,:) = [];
46 Ku(:,x) = [];
47 Mq(x,:) = [];

```

```

48 [R,p,s] = chol(Mu,'vector');
49 [V,DE,flag] = eigs(Ku,R,numEig,'smallestabs','IsCholesky',true,
50 'CholeskyPermutation',s,'Tolerance',1e-4);
51 E = diag(DE);
52
53 %[V,D] = eigs(Ku,Mu,numEig,'sm');
54 %E = diag(D);
55 %V = V(:,E>=0);
56 %E = E(E>=0);
57
58 %tic
59 %Kug = gpuArray(Ku);
60 %bg = gpuArray(Mq*(F));
61 %u = gmres(Kug,bg,30,1e-4,30);
62 %ueq = gather(u);
63
64 %toc
65 %wP = [ueq(1:(m+1)*(n+1)-(m+1),1); zeros(m+1,1)];
66
67 %inum = 1
68 wP = zeros(inum,(m+1)*(n+1));
69 %wP(1,:) = [ueq(1:(m+1)*(n+1)-(m+1),1); zeros(m+1,1)];
70 for i = inum:-1:1
71 w = V(:,i);
72 tic
73 Kug = gpuArray(Ku);
74 bg = gpuArray(Mu*(w));
75 u = gmres(Kug,bg,30,1e-4,30);
76 ueq = gather(u);
77
78 %bg = Mu*(w);
79 %ueq = gmres(Ku,bg,30,1e-4,30);
80
81 toc
82 wP(i,:) = [ueq(1:(m+1)*(n+1)-(m+1),1); zeros(m+1,1)];
83 end
84
85 icx = b;
86 icy = d;
87 icount = 1;
88 xP = zeros(1,(n+1)*(m+1));
89 yP = zeros(1,(n+1)*(m+1));
90 for i = 1:n+1
91     for j = 1:m+1
92         xP(1,icount) = icx;
93         yP(1,icount) = icy;
94         icy = icy - delty;

```

```

95         icount = icount + 1;
96     end
97     icx = icx - deltx;
98     icy = d;
99 end
100
101 %for i = inum:-1:1
102 %figure();
103 %scatter3(xP(1,:),yP(1,:),wP(i,:));
104 %end
105
106
107 %}
108 %w = V(:,8);
109
110 %Kyx = Kxy';%CHECKED
111 %All = (n+1)*(m+1);
112
113 %K1 = Kxx + (1-nu)/2*Kyy;
114 %K2 = nu*Kyx + (1-nu)/2*Kxy;
115 %K3 = nu*Kxy + (1-nu)/2*Kyx;
116 %K4 = Kyy + (1-nu)/2*Kxx;
117 %O = sparse(size(MM,1),size(MM,2));%CHECKED
118 %MMu = [MM 0;%CHECKED
119 %       0 MM];%CHECKED
120 %Mf = MMu;
121 %K = 1/(gamma*(1-nu^2))*[K1 K2; K3 K4];%CHECKED
122 %x = [7*All:-1:7*All-(m+1)+1 5*All:-1:5*All-(m+1)+1 3*All:-1:3*
      All-(m+1)+1 1*All:-1:1*All-(m+1)+1];
123 %K(x,:) = [];
124 %K(:,x) = [];
125 %MMu(x,:) = [];
126 %MMu(:,x) = [];
127 %Mf(x,:) = [];
128 %CHECKED
129 %eig(Mu,K)
130 %[V,D] = eigs(K,MMu,10,'sm');
131 %E = diag(D);
132 %w = V(:,8);
133
134
135
136
137 %ueq = Ku\Mu*(-w)
138
139 %b =Mf*(-F);
140 %tic
141 %ueq = K\Mf*(-F);

```

```

142 %toc
143
144 %{
145 tic
146 tol = 0.0001;
147 maxit = 300000;
148 alpha1 = max(sum(abs(K),2)./diag(K))-2;
149 L = ichol(K,struct('type','ict','droptol',1e-3,'diagcomp',
    alpha1));
150 %ueq = pcg(K,b,tol,maxit,L,L');
151 toc
152
153 Ep = Positions(m,n,deltx,delty);
154 %ux = 0;
155 %uy = 0;
156 ux = [ueq(1:(n+1)*(m+1)-(m+1),1);zeros(m+1,1)] + Ep(:,1);
157 dxux = [ueq((n+1)*(m+1)-(m+1)+1:2*(n+1)*(m+1)-(m+1),1)];
158 dyux = [ueq(2*(n+1)*(m+1)-(m+1)+1:3*(n+1)*(m+1)-2*(m+1),1);
    zeros(m+1,1)];
159 dxyux = [ueq(3*(n+1)*(m+1)-2*(m+1)+1:4*(n+1)*(m+1)-2*(m+1),1)];
160 uy = [ueq(4*(n+1)*(m+1)-2*(m+1)+1:5*(n+1)*(m+1)-3*(m+1),1);
    zeros(m+1,1)] + Ep(:,2);
161 dxuy = [ueq(5*(n+1)*(m+1)-3*(m+1)+1:6*(n+1)*(m+1)-3*(m+1),1)];
162 dyuy = [ueq(6*(n+1)*(m+1)-3*(m+1)+1:7*(n+1)*(m+1)-4*(m+1),1);
    zeros(m+1,1)];
163 dxyuy = [ueq(7*(n+1)*(m+1)-4*(m+1)+1:8*(n+1)*(m+1)-4*(m+1),1)];
164
165 ux = flip(ux);
166 dxux = flip(dxux);
167 dyux = flip(dyux);
168 dxyux = flip(dxyux);
169 uy = flip(uy);
170 dxuy = flip(dxuy);
171 dyuy = flip(dyuy);
172 dxyuy = flip(dxyuy);
173
174 stress = ceil((n+1)/2);
175 figure();
176 scatter(ux,uy);
177 sigma11 = 1/(gamma*(1-nu^2))*(dxux + nu*dyuy);
178 sigma22 = 1/(gamma*(1-nu^2))*(dyuy + nu*dxux);
179 sigma12 = 1/(2*gamma*(1+nu))*(dyux + dyux);
180
181 T = [sigma11(stress) sigma12(stress);sigma12(stress) sigma22(
    stress)];
182 %}
183 return;
184

```

```

185 function [Mq,Kxxq,Kxyq,Kyyq,Lxq,Lyq] = matrix(deltx,delty)%
      CHECKED
186 syms x;
187 syms y;
188
189 Q = [1 x x^2 x^3 y x*y x^2*y x^3*y y^2 x*y^2 x^2*y^2 x^3*y^2 y
      ^3 x*y^3 x^2*y^3 x^3*y^3];
190
191 %size_num = size(Q,2)/4;
192 T = MATRIX_T(Q);
193
194 Mq = zeros(size(Q,2))*x*y;
195 Kxxq = zeros(size(Q,2))*x*y;
196 Kxyq = zeros(size(Q,2))*x*y;
197 Kyyq = zeros(size(Q,2))*x*y;
198 Lxq = zeros(size(Q,2))*x*y;
199 Lyq = zeros(size(Q,2))*x*y;
200
201 for i = 1:size(Q,2)
202     for j = 1:size(Q,2)
203         Mq(j,i) = Q(j)*Q(i);
204         Kxxq(j,i) = diff(Q(j),x)*diff(Q(i),x);
205         Kxyq(j,i) = diff(Q(j),y)*diff(Q(i),x);
206         Kyyq(j,i) = diff(Q(j),y)*diff(Q(i),y);
207         Lxq(j,i) = Q(j)*diff(Q(i),x);
208         Lyq(j,i) = Q(j)*diff(Q(i),y);
209     end
210 end
211 Mq = int(int(Mq,x,0,1),y,0,1);
212 Kxxq = int(int(Kxxq,x,0,1),y,0,1);
213 Kxyq = int(int(Kxyq,x,0,1),y,0,1);
214 Kyyq = int(int(Kyyq,x,0,1),y,0,1);
215 Lxq = int(int(Lxq,x,0,1),y,0,1);
216 Lyq = int(int(Lyq,x,0,1),y,0,1);
217
218 IT = inv(T);
219
220 Mq = (IT)'*Mq*IT;
221 Kxxq = (IT)'*Kxxq*IT;
222 Kxyq = (IT)'*Kxyq*IT;
223 Kyyq = (IT)'*Kyyq*IT;
224 Lxq = (IT)'*Lxq*IT;
225 Lyq = (IT)'*Lyq*IT;
226
227 Mq = double(Mq*deltx*delty);
228 Kxxq = double(Kxxq*delty/deltx);
229 Kyyq = double(Kyyq*delty/deltx);
230 Kxyq = double(Kxyq);

```

```

231 Lxq = double(Lxq*deltx);
232 Lyq = double(Lyq*deltx);
233 return;
234
235 function [Adj,Type,Edge] = Domain(n,m)
236 D = zeros(m+1,n+1);
237 icount = 1;
238 for i = n+1:-1:1
239     for j = 1:m+1
240         D(j,i) = icount;
241         icount = icount + 1;
242     end
243 end
244 %D
245 Edge1 = [];
246 Edge2 = [];
247 Edge3 = [];
248 Edge4 = [];
249 Edge1 = (D(:,1));
250 %Edge2 = (D(m+1,:))';
251 %Edge3 = (D(:,n+1));
252 %Edge4 = (D(1,:))';
253
254 Edge = sort(unique([Edge1; Edge2; Edge3; Edge4]));
255 %Edge
256
257 D0 = [zeros(1,n+3);zeros(m+1,1) D zeros(m+1,1);zeros(1,n+3)];
258
259 icount = 1;
260 Adj = zeros((n+1)*(m+1),9);
261 for i = n+2:-1:2
262     for j = 2:m+2
263         Adj(icount,1) = D0(j,i); %middel
264         Adj(icount,2) = D0(j-1,i); %bo
265         Adj(icount,3) = D0(j-1,i+1); %regsbo
266         Adj(icount,4) = D0(j,i+1); %regs
267         Adj(icount,5) = D0(j+1,i+1); %regs onder
268         Adj(icount,6) = D0(j+1,i); %onder
269         Adj(icount,7) = D0(j+1,i-1); %links onder
270         Adj(icount,8) = D0(j,i-1); %links
271         Adj(icount,9) = D0(j-1,i-1); %linksbo
272         icount = icount + 1;
273     end
274 end
275 Type= zeros((n+1)*(m+1),2);
276 T = [1      0      0      0      0      2      5      4      0;
277      2      1      0      0      0      3      6      5      4;
278      3      2      0      0      0      0      0      6      5;

```

```

279     4     0     0     1     2     5     8     7     0;
280     5     4     1     2     3     6     9     8     7;
281     6     5     2     3     0     0     0     9     8;
282     7     0     0     4     5     8     0     0     0;
283     8     7     4     5     6     9     0     0     0;
284     9     8     5     6     0     0     0     0     0];
285     nnz(T);
286
287     for i = 1:(n+1)*(m+1)
288         Type(i,1) = Adj(i,1);
289         for j = 1:9
290             bflag = true;
291             for k = 1:9
292                 if(any(T(j,k)) ~= any(Adj(i,k)))
293                     bflag = false;
294                 end
295             end
296             if(bflag == true)
297                 Type(i,2) = j;
298             end
299         end
300     end
301     return
302
303     function [M,Kxx,Kxy,Kyy,Lx,Ly,Edge] = CalMatrix(n,m,deltx,delt
304         y)
305     [Adj, Type, Edge] = Domain(n,m);
306     [Mq,Kxxq,Kxyq,Kyyq,Lxq,Lyq] = matrix(deltx,delt
307         y);
308     ns = nnz(Adj);
309     Ms = zeros(16*ns,1);
310     Kxxs = zeros(16*ns,1);
311     Kxys = zeros(16*ns,1);
312     Kyys = zeros(16*ns,1);
313     Lxs = zeros(16*ns,1);
314     Lys = zeros(16*ns,1);
315     x = [1:(n+1)*(m+1)]';
316     c = sum(Adj~=0,2);
317
318     ix = repelem(x,c);
319     x = [ix;ix+(n+1)*(m+1);ix+2*(n+1)*(m+1);ix+3*(n+1)*(m+1);
320         ix;ix+(n+1)*(m+1);ix+2*(n+1)*(m+1);ix+3*(n+1)*(m+1);
321         ix;ix+(n+1)*(m+1);ix+2*(n+1)*(m+1);ix+3*(n+1)*(m+1);
322         ix;ix+(n+1)*(m+1);ix+2*(n+1)*(m+1);ix+3*(n+1)*(m+1);];
323
324     iy = nonzeros(Adj');
325     y = [iy;iy;iy;iy;

```

```

326     iy+(n+1)*(m+1);iy+(n+1)*(m+1);iy+(n+1)*(m+1);iy+(n+1)*(m+1)
    ;
327     iy+2*(n+1)*(m+1);iy+2*(n+1)*(m+1);iy+2*(n+1)*(m+1);iy+2*(n
    +1)*(m+1);
328     iy+3*(n+1)*(m+1);iy+3*(n+1)*(m+1);iy+3*(n+1)*(m+1);iy+3*(n
    +1)*(m+1)];
329 B = BMatrix();
330
331 Adj(Adj == 0) = nan;
332 NanAdj = ~isnan(Adj);
333 NanAdj = NanAdj';
334
335 a = 1:9;
336 b = repelem(a,size(Adj,1),1);
337 b = b';
338 iz = b(NanAdj);
339
340 for i = 1:ns
341     k = 1;
342     while(B(Type(ix(i),2),iz(i),k) ~= 0)
343         Ms(i) = Ms(i) + Mq(B(Type(ix(i),2),iz(i),k),B(Type(ix(i)
    ,2),iz(i),k+1));
344         Kxxs(i) = Kxxs(i) + Kxxq(B(Type(ix(i),2),iz(i),k),B(Type(ix
    (i),2),iz(i),k+1));
345         Kxys(i) = Kxys(i) + Kxyq(B(Type(ix(i),2),iz(i),k),B(Type(ix
    (i),2),iz(i),k+1));
346         Kyys(i) = Kyys(i) + Kyyq(B(Type(ix(i),2),iz(i),k),B(Type(ix
    (i),2),iz(i),k+1));
347         Lxs(i) = Lxs(i) + Lxq(B(Type(ix(i),2),iz(i),k),B(Type(ix(i)
    ,2),iz(i),k+1));
348         Lys(i) = Lys(i) + Lyq(B(Type(ix(i),2),iz(i),k),B(Type(ix(i)
    ,2),iz(i),k+1));
349
350     Ms(ns+i) = Ms(ns+i) + Mq(B(Type(ix(i),2),iz(i),k)+4,B(
    Type(ix(i),2),iz(i),k+1));
351     Kxxs(ns+i) = Kxxs(ns+i) + Kxxq(B(Type(ix(i),2),iz(i),k)+4,B
    (Type(ix(i),2),iz(i),k+1));
352     Kxys(ns+i) = Kxys(ns+i) + Kxyq(B(Type(ix(i),2),iz(i),k)+4,B
    (Type(ix(i),2),iz(i),k+1));
353     Kyys(ns+i) = Kyys(ns+i) + Kyyq(B(Type(ix(i),2),iz(i),k)+4,B
    (Type(ix(i),2),iz(i),k+1));
354     Lxs(ns+i) = Lxs(ns+i) + Lxq(B(Type(ix(i),2),iz(i),k)+4,B(
    Type(ix(i),2),iz(i),k+1));
355     Lys(ns+i) = Lys(ns+i) + Lyq(B(Type(ix(i),2),iz(i),k)+4,B(
    Type(ix(i),2),iz(i),k+1));
356
357     Ms(2*ns+i) = Ms(2*ns+i) + Mq(B(Type(ix(i),2),iz(i),k)+8,B
    (Type(ix(i),2),iz(i),k+1));

```



```

358     Kxxs(2*ns+i) = Kxxs(2*ns+i) + Kxxq(B(Type(ix(i),2),iz(i),k)
+8,B(Type(ix(i),2),iz(i),k+1));
359     Kxys(2*ns+i) = Kxys(2*ns+i) + Kxyq(B(Type(ix(i),2),iz(i),k)
+8,B(Type(ix(i),2),iz(i),k+1));
360     Kyys(2*ns+i) = Kyys(2*ns+i) + Kyyq(B(Type(ix(i),2),iz(i),k)
+8,B(Type(ix(i),2),iz(i),k+1));
361     Lxs(2*ns+i) = Lxs(2*ns+i) + Lxq(B(Type(ix(i),2),iz(i),k)+8,
B(Type(ix(i),2),iz(i),k+1));
362     Lys(2*ns+i) = Lys(2*ns+i) + Lyq(B(Type(ix(i),2),iz(i),k)+8,
B(Type(ix(i),2),iz(i),k+1));
363
364     Ms(3*ns+i) = Ms(3*ns+i) + Mq(B(Type(ix(i),2),iz(i),k)+12,
B(Type(ix(i),2),iz(i),k+1));
365     Kxxs(3*ns+i) = Kxxs(3*ns+i) + Kxxq(B(Type(ix(i),2),iz(i),k)
+12,B(Type(ix(i),2),iz(i),k+1));
366     Kxys(3*ns+i) = Kxys(3*ns+i) + Kxyq(B(Type(ix(i),2),iz(i),k)
+12,B(Type(ix(i),2),iz(i),k+1));
367     Kyys(3*ns+i) = Kyys(3*ns+i) + Kyyq(B(Type(ix(i),2),iz(i),k)
+12,B(Type(ix(i),2),iz(i),k+1));
368     Lxs(3*ns+i) = Lxs(3*ns+i) + Lxq(B(Type(ix(i),2),iz(i),k)
+12,B(Type(ix(i),2),iz(i),k+1));
369     Lys(3*ns+i) = Lys(3*ns+i) + Lyq(B(Type(ix(i),2),iz(i),k)
+12,B(Type(ix(i),2),iz(i),k+1));
370
371     %%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%
372     Ms(4*ns+i) = Ms(4*ns+i) + Mq(B(Type(ix(i),2),iz(i),k),B(
Type(ix(i),2),iz(i),k+1)+4);
373     Kxxs(4*ns+i) = Kxxs(4*ns+i) + Kxxq(B(Type(ix(i),2),iz(i),k)
,B(Type(ix(i),2),iz(i),k+1)+4);
374     Kxys(4*ns+i) = Kxys(4*ns+i) + Kxyq(B(Type(ix(i),2),iz(i),k)
,B(Type(ix(i),2),iz(i),k+1)+4);
375     Kyys(4*ns+i) = Kyys(4*ns+i) + Kyyq(B(Type(ix(i),2),iz(i),k)
,B(Type(ix(i),2),iz(i),k+1)+4);
376     Lxs(4*ns+i) = Lxs(4*ns+i) + Lxq(B(Type(ix(i),2),iz(i),k),B(
Type(ix(i),2),iz(i),k+1)+4);
377     Lys(4*ns+i) = Lys(4*ns+i) + Lyq(B(Type(ix(i),2),iz(i),k),B(
Type(ix(i),2),iz(i),k+1)+4);
378
379     Ms(5*ns+i) = Ms(5*ns+i) + Mq(B(Type(ix(i),2),iz(i),k)+4,B
(Type(ix(i),2),iz(i),k+1)+4);
380     Kxxs(5*ns+i) = Kxxs(5*ns+i) + Kxxq(B(Type(ix(i),2),iz(i),k)
+4,B(Type(ix(i),2),iz(i),k+1)+4);
381     Kxys(5*ns+i) = Kxys(5*ns+i) + Kxyq(B(Type(ix(i),2),iz(i),k)
+4,B(Type(ix(i),2),iz(i),k+1)+4);
382     Kyys(5*ns+i) = Kyys(5*ns+i) + Kyyq(B(Type(ix(i),2),iz(i),k)
+4,B(Type(ix(i),2),iz(i),k+1)+4);
383     Lxs(5*ns+i) = Lxs(5*ns+i) + Lxq(B(Type(ix(i),2),iz(i),k)+4,
B(Type(ix(i),2),iz(i),k+1)+4);

```

```

384     Lys(5*ns+i) = Lys(5*ns+i) + Lyq(B(Type(ix(i),2),iz(i),k)+4,
    B(Type(ix(i),2),iz(i),k+1)+4);
385
386     Ms(6*ns+i) = Ms(6*ns+i) + Mq(B(Type(ix(i),2),iz(i),k)+8,B
    (Type(ix(i),2),iz(i),k+1)+4);
387     Kxxs(6*ns+i) = Kxxs(6*ns+i) + Kxxq(B(Type(ix(i),2),iz(i),k)
    +8,B(Type(ix(i),2),iz(i),k+1)+4);
388     Kxys(6*ns+i) = Kxys(6*ns+i) + Kxyq(B(Type(ix(i),2),iz(i),k)
    +8,B(Type(ix(i),2),iz(i),k+1)+4);
389     Kyys(6*ns+i) = Kyys(6*ns+i) + Kyyq(B(Type(ix(i),2),iz(i),k)
    +8,B(Type(ix(i),2),iz(i),k+1)+4);
390     Lxs(6*ns+i) = Lxs(6*ns+i) + Lxq(B(Type(ix(i),2),iz(i),k)+8,
    B(Type(ix(i),2),iz(i),k+1)+4);
391     Lys(6*ns+i) = Lys(6*ns+i) + Lyq(B(Type(ix(i),2),iz(i),k)+8,
    B(Type(ix(i),2),iz(i),k+1)+4);
392
393     Ms(7*ns+i) = Ms(7*ns+i) + Mq(B(Type(ix(i),2),iz(i),k)+12,
    B(Type(ix(i),2),iz(i),k+1)+4);
394     Kxxs(7*ns+i) = Kxxs(7*ns+i) + Kxxq(B(Type(ix(i),2),iz(i),k)
    +12,B(Type(ix(i),2),iz(i),k+1)+4);
395     Kxys(7*ns+i) = Kxys(7*ns+i) + Kxyq(B(Type(ix(i),2),iz(i),k)
    +12,B(Type(ix(i),2),iz(i),k+1)+4);
396     Kyys(7*ns+i) = Kyys(7*ns+i) + Kyyq(B(Type(ix(i),2),iz(i),k)
    +12,B(Type(ix(i),2),iz(i),k+1)+4);
397     Lxs(7*ns+i) = Lxs(7*ns+i) + Lxq(B(Type(ix(i),2),iz(i),k)
    +12,B(Type(ix(i),2),iz(i),k+1)+4);
398     Lys(7*ns+i) = Lys(7*ns+i) + Lyq(B(Type(ix(i),2),iz(i),k)
    +12,B(Type(ix(i),2),iz(i),k+1)+4);
399
400     %%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%
401     Ms(8*ns+i) = Ms(8*ns+i) + Mq(B(Type(ix(i),2),iz(i),k),B(
    Type(ix(i),2),iz(i),k+1)+8);
402     Kxxs(8*ns+i) = Kxxs(8*ns+i) + Kxxq(B(Type(ix(i),2),iz(i),k)
    ,B(Type(ix(i),2),iz(i),k+1)+8);
403     Kxys(8*ns+i) = Kxys(8*ns+i) + Kxyq(B(Type(ix(i),2),iz(i),k)
    ,B(Type(ix(i),2),iz(i),k+1)+8);
404     Kyys(8*ns+i) = Kyys(8*ns+i) + Kyyq(B(Type(ix(i),2),iz(i),k)
    ,B(Type(ix(i),2),iz(i),k+1)+8);
405     Lxs(8*ns+i) = Lxs(8*ns+i) + Lxq(B(Type(ix(i),2),iz(i),k),B(
    Type(ix(i),2),iz(i),k+1)+8);
406     Lys(8*ns+i) = Lys(8*ns+i) + Lyq(B(Type(ix(i),2),iz(i),k),B(
    Type(ix(i),2),iz(i),k+1)+8);
407
408     Ms(9*ns+i) = Ms(9*ns+i) + Mq(B(Type(ix(i),2),iz(i),k)+4,B
    (Type(ix(i),2),iz(i),k+1)+8);
409     Kxxs(9*ns+i) = Kxxs(9*ns+i) + Kxxq(B(Type(ix(i),2),iz(i),k)
    +4,B(Type(ix(i),2),iz(i),k+1)+8);

```

```

410     Kxys(9*ns+i) = Kxys(9*ns+i) + Kxyq(B(Type(ix(i),2),iz(i),k)
+4,B(Type(ix(i),2),iz(i),k+1)+8);
411     Kyys(9*ns+i) = Kyys(9*ns+i) + Kyyq(B(Type(ix(i),2),iz(i),k)
+4,B(Type(ix(i),2),iz(i),k+1)+8);
412     Lxs(9*ns+i) = Lxs(9*ns+i) + Lxq(B(Type(ix(i),2),iz(i),k)+4,
B(Type(ix(i),2),iz(i),k+1)+8);
413     Lys(9*ns+i) = Lys(9*ns+i) + Lyq(B(Type(ix(i),2),iz(i),k)+4,
B(Type(ix(i),2),iz(i),k+1)+8);
414
415     Ms(10*ns+i) = Ms(10*ns+i) + Mq(B(Type(ix(i),2),iz(i),k)
+8,B(Type(ix(i),2),iz(i),k+1)+8);
416     Kxxs(10*ns+i) = Kxxs(10*ns+i) + Kxxq(B(Type(ix(i),2),iz(i),
k)+8,B(Type(ix(i),2),iz(i),k+1)+8);
417     Kxys(10*ns+i) = Kxys(10*ns+i) + Kxyq(B(Type(ix(i),2),iz(i),
k)+8,B(Type(ix(i),2),iz(i),k+1)+8);
418     Kyys(10*ns+i) = Kyys(10*ns+i) + Kyyq(B(Type(ix(i),2),iz(i),
k)+8,B(Type(ix(i),2),iz(i),k+1)+8);
419     Lxs(10*ns+i) = Lxs(10*ns+i) + Lxq(B(Type(ix(i),2),iz(i),k)
+8,B(Type(ix(i),2),iz(i),k+1)+8);
420     Lys(10*ns+i) = Lys(10*ns+i) + Lyq(B(Type(ix(i),2),iz(i),k)
+8,B(Type(ix(i),2),iz(i),k+1)+8);
421
422     Ms(11*ns+i) = Ms(11*ns+i) + Mq(B(Type(ix(i),2),iz(i),k)
+12,B(Type(ix(i),2),iz(i),k+1)+8);
423     Kxxs(11*ns+i) = Kxxs(11*ns+i) + Kxxq(B(Type(ix(i),2),iz(i),
k)+12,B(Type(ix(i),2),iz(i),k+1)+8);
424     Kxys(11*ns+i) = Kxys(11*ns+i) + Kxyq(B(Type(ix(i),2),iz(i),
k)+12,B(Type(ix(i),2),iz(i),k+1)+8);
425     Kyys(11*ns+i) = Kyys(11*ns+i) + Kyyq(B(Type(ix(i),2),iz(i),
k)+12,B(Type(ix(i),2),iz(i),k+1)+8);
426     Lxs(11*ns+i) = Lxs(11*ns+i) + Lxq(B(Type(ix(i),2),iz(i),k)
+12,B(Type(ix(i),2),iz(i),k+1)+8);
427     Lys(11*ns+i) = Lys(11*ns+i) + Lyq(B(Type(ix(i),2),iz(i),k)
+12,B(Type(ix(i),2),iz(i),k+1)+8);
428     %%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%
429     Ms(12*ns+i) = Ms(12*ns+i) + Mq(B(Type(ix(i),2),iz(i),k),B
(Type(ix(i),2),iz(i),k+1)+12);
430     Kxxs(12*ns+i) = Kxxs(12*ns+i) + Kxxq(B(Type(ix(i),2),iz(i),
k),B(Type(ix(i),2),iz(i),k+1)+12);
431     Kxys(12*ns+i) = Kxys(12*ns+i) + Kxyq(B(Type(ix(i),2),iz(i),
k),B(Type(ix(i),2),iz(i),k+1)+12);
432     Kyys(12*ns+i) = Kyys(12*ns+i) + Kyyq(B(Type(ix(i),2),iz(i),
k),B(Type(ix(i),2),iz(i),k+1)+12);
433     Lxs(12*ns+i) = Lxs(12*ns+i) + Lxq(B(Type(ix(i),2),iz(i),k),
B(Type(ix(i),2),iz(i),k+1)+12);
434     Lys(12*ns+i) = Lys(12*ns+i) + Lyq(B(Type(ix(i),2),iz(i),k),
B(Type(ix(i),2),iz(i),k+1)+12);
435

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436 Ms(13*ns+i) = Ms(13*ns+i) + Mq(B(Type(ix(i),2),iz(i),k)
+4,B(Type(ix(i),2),iz(i),k+1)+12);
437 Kxxs(13*ns+i) = Kxxs(13*ns+i) + Kxxq(B(Type(ix(i),2),iz(i),
k)+4,B(Type(ix(i),2),iz(i),k+1)+12);
438 Kxys(13*ns+i) = Kxys(13*ns+i) + Kxyq(B(Type(ix(i),2),iz(i),
k)+4,B(Type(ix(i),2),iz(i),k+1)+12);
439 Kyys(13*ns+i) = Kyys(13*ns+i) + Kyyq(B(Type(ix(i),2),iz(i),
k)+4,B(Type(ix(i),2),iz(i),k+1)+12);
440 Lxs(13*ns+i) = Lxs(13*ns+i) + Lxq(B(Type(ix(i),2),iz(i),k)
+4,B(Type(ix(i),2),iz(i),k+1)+12);
441 Lys(13*ns+i) = Lys(13*ns+i) + Lyq(B(Type(ix(i),2),iz(i),k)
+4,B(Type(ix(i),2),iz(i),k+1)+12);
442
443 Ms(14*ns+i) = Ms(14*ns+i) + Mq(B(Type(ix(i),2),iz(i),k)
+8,B(Type(ix(i),2),iz(i),k+1)+12);
444 Kxxs(14*ns+i) = Kxxs(14*ns+i) + Kxxq(B(Type(ix(i),2),iz(i),
k)+8,B(Type(ix(i),2),iz(i),k+1)+12);
445 Kxys(14*ns+i) = Kxys(14*ns+i) + Kxyq(B(Type(ix(i),2),iz(i),
k)+8,B(Type(ix(i),2),iz(i),k+1)+12);
446 Kyys(14*ns+i) = Kyys(14*ns+i) + Kyyq(B(Type(ix(i),2),iz(i),
k)+8,B(Type(ix(i),2),iz(i),k+1)+12);
447 Lxs(14*ns+i) = Lxs(14*ns+i) + Lxq(B(Type(ix(i),2),iz(i),k)
+8,B(Type(ix(i),2),iz(i),k+1)+12);
448 Lys(14*ns+i) = Lys(14*ns+i) + Lyq(B(Type(ix(i),2),iz(i),k)
+8,B(Type(ix(i),2),iz(i),k+1)+12);
449
450 Ms(15*ns+i) = Ms(15*ns+i) + Mq(B(Type(ix(i),2),iz(i),k)
+12,B(Type(ix(i),2),iz(i),k+1)+12);
451 Kxxs(15*ns+i) = Kxxs(15*ns+i) + Kxxq(B(Type(ix(i),2),iz(i),
k)+12,B(Type(ix(i),2),iz(i),k+1)+12);
452 Kxys(15*ns+i) = Kxys(15*ns+i) + Kxyq(B(Type(ix(i),2),iz(i),
k)+12,B(Type(ix(i),2),iz(i),k+1)+12);
453 Kyys(15*ns+i) = Kyys(15*ns+i) + Kyyq(B(Type(ix(i),2),iz(i),
k)+12,B(Type(ix(i),2),iz(i),k+1)+12);
454 Lxs(15*ns+i) = Lxs(15*ns+i) + Lxq(B(Type(ix(i),2),iz(i),k)
+12,B(Type(ix(i),2),iz(i),k+1)+12);
455 Lys(15*ns+i) = Lys(15*ns+i) + Lyq(B(Type(ix(i),2),iz(i),k)
+12,B(Type(ix(i),2),iz(i),k+1)+12);
456
457 k = k + 2;
458 if(k > 8)
459     break;
460 end
461 end
462 end
463 M = sparse(x,y,Ms,4*(n+1)*(m+1),4*(n+1)*(m+1));
464 Kxx = sparse(x,y,Kxxs,4*(n+1)*(m+1),4*(n+1)*(m+1));
465 Kxy = sparse(x,y,Kxys,4*(n+1)*(m+1),4*(n+1)*(m+1));

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466 Kyy = sparse(x,y,Kyys,4*(n+1)*(m+1),4*(n+1)*(m+1));
467 Lx = sparse(x,y,Lxs,4*(n+1)*(m+1),4*(n+1)*(m+1));
468 Ly = sparse(x,y,Lys,4*(n+1)*(m+1),4*(n+1)*(m+1));
469 return;
470
471 function B = BMatrix()
472 B = zeros(9,9,8);
473 B(3,1,:) = [2 2 0 0 0 0 0 0];
474 B(3,2,:) = [2 3 0 0 0 0 0 0];
475 B(3,3,:) = [0 0 0 0 0 0 0 0];
476 B(3,4,:) = [0 0 0 0 0 0 0 0];
477 B(3,5,:) = [0 0 0 0 0 0 0 0];
478 B(3,6,:) = [0 0 0 0 0 0 0 0];
479 B(3,7,:) = [0 0 0 0 0 0 0 0];
480 B(3,8,:) = [2 1 0 0 0 0 0 0];
481 B(3,9,:) = [2 4 0 0 0 0 0 0];
482
483 B(2,1,:) = [2 2 3 3 0 0 0 0];
484 B(2,2,:) = [2 3 0 0 0 0 0 0];
485 B(2,3,:) = [0 0 0 0 0 0 0 0];
486 B(2,4,:) = [0 0 0 0 0 0 0 0];
487 B(2,5,:) = [0 0 0 0 0 0 0 0];
488 B(2,6,:) = [3 2 0 0 0 0 0 0];
489 B(2,7,:) = [3 1 0 0 0 0 0 0];
490 B(2,8,:) = [2 1 3 4 0 0 0 0];
491 B(2,9,:) = [2 4 0 0 0 0 0 0];
492
493 B(1,1,:) = [3 3 0 0 0 0 0 0];
494 B(1,2,:) = [0 0 0 0 0 0 0 0];
495 B(1,3,:) = [0 0 0 0 0 0 0 0];
496 B(1,4,:) = [0 0 0 0 0 0 0 0];
497 B(1,5,:) = [0 0 0 0 0 0 0 0];
498 B(1,6,:) = [3 2 0 0 0 0 0 0];
499 B(1,7,:) = [3 1 0 0 0 0 0 0];
500 B(1,8,:) = [3 4 0 0 0 0 0 0];
501 B(1,9,:) = [0 0 0 0 0 0 0 0];
502
503 B(6,1,:) = [1 1 2 2 0 0 0 0];
504 B(6,2,:) = [1 4 2 3 0 0 0 0];
505 B(6,3,:) = [1 3 0 0 0 0 0 0];
506 B(6,4,:) = [1 2 0 0 0 0 0 0];
507 B(6,5,:) = [0 0 0 0 0 0 0 0];
508 B(6,6,:) = [0 0 0 0 0 0 0 0];
509 B(6,7,:) = [0 0 0 0 0 0 0 0];
510 B(6,8,:) = [2 1 0 0 0 0 0 0];
511 B(6,9,:) = [2 4 0 0 0 0 0 0];
512
513 B(5,1,:) = [1 1 2 2 3 3 4 4];

```

```

514 B(5,2,:) = [1 4 2 3 0 0 0 0];
515 B(5,3,:) = [1 3 0 0 0 0 0 0];
516 B(5,4,:) = [1 2 4 3 0 0 0 0];
517 B(5,5,:) = [4 2 0 0 0 0 0 0];
518 B(5,6,:) = [4 1 3 2 0 0 0 0];
519 B(5,7,:) = [3 1 0 0 0 0 0 0];
520 B(5,8,:) = [3 4 2 1 0 0 0 0];
521 B(5,9,:) = [2 4 0 0 0 0 0 0];
522
523 B(4,1,:) = [3 3 4 4 0 0 0 0];
524 B(4,2,:) = [0 0 0 0 0 0 0 0];
525 B(4,3,:) = [0 0 0 0 0 0 0 0];
526 B(4,4,:) = [4 3 0 0 0 0 0 0];
527 B(4,5,:) = [4 2 0 0 0 0 0 0];
528 B(4,6,:) = [4 1 3 2 0 0 0 0];
529 B(4,7,:) = [3 1 0 0 0 0 0 0];
530 B(4,8,:) = [3 4 0 0 0 0 0 0];
531 B(4,9,:) = [0 0 0 0 0 0 0 0];
532
533 B(9,1,:) = [1 1 0 0 0 0 0 0];
534 B(9,2,:) = [1 4 0 0 0 0 0 0];
535 B(9,3,:) = [1 3 0 0 0 0 0 0];
536 B(9,4,:) = [1 2 0 0 0 0 0 0];
537 B(9,5,:) = [0 0 0 0 0 0 0 0];
538 B(9,6,:) = [0 0 0 0 0 0 0 0];
539 B(9,7,:) = [0 0 0 0 0 0 0 0];
540 B(9,8,:) = [0 0 0 0 0 0 0 0];
541 B(9,9,:) = [0 0 0 0 0 0 0 0];
542
543 B(8,1,:) = [1 1 4 4 0 0 0 0];
544 B(8,2,:) = [1 4 0 0 0 0 0 0];
545 B(8,3,:) = [1 3 0 0 0 0 0 0];
546 B(8,4,:) = [1 2 4 3 0 0 0 0];
547 B(8,5,:) = [4 2 0 0 0 0 0 0];
548 B(8,6,:) = [4 1 0 0 0 0 0 0];
549 B(8,7,:) = [0 0 0 0 0 0 0 0];
550 B(8,8,:) = [0 0 0 0 0 0 0 0];
551 B(8,9,:) = [0 0 0 0 0 0 0 0];
552
553 B(7,1,:) = [4 4 0 0 0 0 0 0];
554 B(7,2,:) = [0 0 0 0 0 0 0 0];
555 B(7,3,:) = [0 0 0 0 0 0 0 0];
556 B(7,4,:) = [4 3 0 0 0 0 0 0];
557 B(7,5,:) = [4 2 0 0 0 0 0 0];
558 B(7,6,:) = [4 1 0 0 0 0 0 0];
559 B(7,7,:) = [0 0 0 0 0 0 0 0];
560 B(7,8,:) = [0 0 0 0 0 0 0 0];
561 B(7,9,:) = [0 0 0 0 0 0 0 0];

```

```

562 return;
563
564 function T = MATRIX_T(Q)
565 syms x;
566 syms y;
567
568 n = size(Q,2);
569
570 T = zeros(n);
571 for j = 1:n
572     T(j,1) = subs(Q(j),[x,y],[0,0]);
573     T(j,2) = subs(Q(j),[x,y],[1,0]);
574     T(j,3) = subs(Q(j),[x,y],[1,1]);
575     T(j,4) = subs(Q(j),[x,y],[0,1]);
576     if(n > 4)
577         T(j,5) = subs(diff(Q(j),x),[x,y],[0,0]);
578         T(j,6) = subs(diff(Q(j),x),[x,y],[1,0]);
579         T(j,7) = subs(diff(Q(j),x),[x,y],[1,1]);
580         T(j,8) = subs(diff(Q(j),x),[x,y],[0,1]);
581     end
582     if(n > 8)
583         T(j,9) = subs(diff(Q(j),y),[x,y],[0,0]);
584         T(j,10) = subs(diff(Q(j),y),[x,y],[1,0]);
585         T(j,11) = subs(diff(Q(j),y),[x,y],[1,1]);
586         T(j,12) = subs(diff(Q(j),y),[x,y],[0,1]);
587     end
588     if(n > 12)
589         T(j,13) = subs(diff(diff(Q(j),y),x),[x,y],[0,0]);
590         T(j,14) = subs(diff(diff(Q(j),y),x),[x,y],[1,0]);
591         T(j,15) = subs(diff(diff(Q(j),y),x),[x,y],[1,1]);
592         T(j,16) = subs(diff(diff(Q(j),y),x),[x,y],[0,1]);
593     end
594 end
595 T = T';
596 return
597
598 function E = Positions(m,n,dx,dy)
599     E = zeros((n+1)*(m+1),2);
600     ix = n+1;
601     iy = m+1;
602     for i = 1:(n+1)*(m+1)
603         E(i,:) = [dx*(ix-1),dy*(iy-1)];
604
605         iy = iy-1;
606         if(iy == 0)
607             iy = m+1;
608             ix = ix -1;
609     end

```

```

610     end
611     %[Cubes,CubeNumbers] = CreateCubes(E,N);
612     %Plot(E,N,Cubes)
613 return

```

## Example code for three-dimensional elastic body using tri-cubics

```

1 %function [Eig,uxB,uyB,uzB,sz] = Copy_of_CubePC(s,n1,h,inum,
   numEig)
2 function [Eig,n1,n2,n3] = Copy_of_CubePC(s,n1,h,inum,numEig)
3 format long g
4 warning off;
5 method =2;
6
7
8
9 %mkdir(strcat('\Plots\ ',sprintf('%.6f',s)));
10 %gpuDevice(1);
11     %mwb = MultiWaitBar(3, 1, '3-Dimensional Beam Eigenvalue
   Calculator', 'g');
12     %mwb.Update(1, 1, 0, 'Total Progress - Setting parameters')
   ;
13     %mwb.Update(2, 1, 0, ['Matrix Creation ' num2str(0) '%']);
14     %mwb.Update(3, 1, 0, 'Plot');
15     %alpha = 1200;
16     %d2 = sqrt(s/alpha);
17     %d1 = sqrt((12*s^2)/(alpha*(1+s^2)));
18     %d1 = sqrt(12/(alpha));
19     d1 = h;
20     d2 = s;
21     %d2 = 1;
22
23     n2 = ceil(n1*h);
24     if(n2 <= 10)
25         n2 = 6;
26     end
27     n3 = ceil(n2*s);
28     %n3 = ceil(n1/s);
29     if(n3 <= 10)
30         n3 = 6;
31     end
32     %n2 = 3;
33
34     sz = n1*n2*n3;

```



```

35
36     S = [0 1 0 d1 0 d2]; %Set size of the beam
37     N = [n1 n2 n3]; %Number of elements
38     Delta = [(S(2)-S(1))/N(1) (S(4)-S(3))/N(2) (S(6)-S(5))/N(3)
39 ]; %space step size
40     nu = 0.3;
41     gamma = 1/(2*(1+nu))*5/6
42     %A = 1/(gamma*(1+nu)*(1-2*nu));
43     %B = 1/(2*gamma*(1+nu));
44     for i = inum:-1:50
45         h(i) = figure(i);
46         movegui(h(i),'west')
47     end
48     %A = 1/(1-nu^2);
49     %B = 1/(2*gamma*(1+nu));
50     %mwb.Update(1, 1, 0.1, 'Total Progress - Creating Matrices
51 ');
52     [K11,K12,K13,K22,K23,K33,M0,Dom,E] = Matrices(Delta,N,
53 method);
54     %mwb.Update(1, 1, 0.3, 'Total Progress - Admissible Basis
55 functions');
56     %Om = Omega(N,Dom);
57     %F = Initial(N,f);
58     Mf = M0;
59
60     %K11(1:(N(2)+1)*(N(3)+1),:) = [];
61     %K11(:,1:(N(2)+1)*(N(3)+1)) = [];
62     %K12(1:(N(2)+1)*(N(3)+1),:) = [];
63     %K12(:,1:(N(2)+1)*(N(3)+1)) = [];
64     %K13(1:(N(2)+1)*(N(3)+1),:) = [];
65     %K13(:,1:(N(2)+1)*(N(3)+1)) = [];
66     %K22(1:(N(2)+1)*(N(3)+1),:) = [];
67     %K22(:,1:(N(2)+1)*(N(3)+1)) = [];
68     %K23(1:(N(2)+1)*(N(3)+1),:) = [];
69     %K23(:,1:(N(2)+1)*(N(3)+1)) = [];
70     %K33(1:(N(2)+1)*(N(3)+1),:) = [];
71     %K33(:,1:(N(2)+1)*(N(3)+1)) = [];
72
73     %M0(1:(N(2)+1)*(N(3)+1),:) = [];
74     %M0(:,1:(N(2)+1)*(N(3)+1)) = [];
75     %Mf(1:(N(2)+1)*(N(3)+1),:) = [];
76
77     %mwb.Update(1, 1, 0.4, 'Total Progress - Concatinating
78 matrices');
79     Of = sparse(size(Mf,1),size(Mf,2));
80     MF = [Mf Of Of; Of Mf Of; Of Of Mf];
81     O = sparse(size(M0,1),size(M0,2));
82     %M = sparse(3*size(M0,1),3*size(M0,2));

```

```

78 M = [M0 0 0; 0 M0 0; 0 0 M0];
79 %M([1:size(M0,1)], [1:size(M0,2)]) = M0;
80 %M(2*[1:size(M0,1)], 2*[1:size(M0,2)]) = M0;
81 %M(3*[1:size(M0,1)], 3*[1:size(M0,2)]) = M0;
82 Mf = M;
83 FS = size(M);
84 %M = [M0 0; 0 M0];
85 K21 = K12';
86 K31 = K13';
87 K32 = K23';
88
89 a1 = 1/(gamma*(1+nu));
90 a2 = nu/(gamma*(1+nu)*(1-2*nu));
91 a3 = 1/(2*gamma*(1+nu));
92
93 K1 = a1*K11 + a2*K11 + a3*K22 + a3*K33;
94 K2 = a3*K12 + a2*K21;
95 K3 = a3*K13 + a2*K31;
96 K4 = a2*K12 + a3*K21;
97 K5 = a1*K22 + a2*K22 + a3*K11 + a3*K33;
98 K6 = a3*K23 + a2*K32;
99 K7 = a2*K13 + a3*K31;
100 K8 = a2*K23 + a3*K32;
101 K9 = a1*K33 + a2*K33 + a3*K11 + a3*K22;
102
103 %K = sparse(size(K1,1)*3, size(K1,2)*3);
104
105 %K([1:size(K1,1)], [1:size(K1,2)]) = K1;
106 %K([1:size(K1,1)], 2*[1:size(K1,2)]) = K2;
107 %K([1:size(K1,1)], 3*[1:size(K1,2)]) = K3;
108 %K(2*[1:size(K1,1)], [1:size(K1,2)]) = K4;
109 %K(2*[1:size(K1,1)], 2*[1:size(K1,2)]) = K5;
110 %K(2*[1:size(K1,1)], 3*[1:size(K1,2)]) = K6;
111 %K(3*[1:size(K1,1)], [1:size(K1,2)]) = K7;
112 %K(3*[1:size(K1,1)], 2*[1:size(K1,2)]) = K8;
113 %K(3*[1:size(K1,1)], 3*[1:size(K1,2)]) = K9;
114
115 K = [K1 K2 K3; K4 K5 K6; K7 K8 K9];
116
117 All = (N(1)+1)*(N(2)+1)*(N(3)+1);
118 x = [22*All+(N(2)+1)*(N(3)+1):-1:22*All+1
119      19*All+(N(2)+1)*(N(3)+1):-1:19*All+1
120      18*All+(N(2)+1)*(N(3)+1):-1:18*All+1
121      16*All+(N(2)+1)*(N(3)+1):-1:16*All+1
122
123      14*All+(N(2)+1)*(N(3)+1):-1:14*All+1
124      11*All+(N(2)+1)*(N(3)+1):-1:11*All+1
125      10*All+(N(2)+1)*(N(3)+1):-1:10*All+1

```

```

126      8*A11+(N(2)+1)*(N(3)+1):-1:8*A11+1
127
128      6*A11+(N(2)+1)*(N(3)+1):-1:6*A11+1
129      3*A11+(N(2)+1)*(N(3)+1):-1:3*A11+1
130      2*A11+(N(2)+1)*(N(3)+1):-1:2*A11+1
131      0*A11+(N(2)+1)*(N(3)+1):-1:0*A11+1];
132
133      K(x,:) = [];
134      K(:,x) = [];
135      M(x,:) = [];
136      M(:,x) = [];
137      Mf(x,:) = [];
138
139      % K = [1/(gamma*(1+nu))*K11+nu/(gamma*(1+nu)*(1-2*nu))*(K11+
140      K22+K33) 1/(gamma*(1+nu))*K12 1/(gamma*(1+nu))*K13;
141      % 1/(gamma*(1+nu))*K12 1/(gamma*(1+nu))*K22+nu/(gamma
142      *(1+nu)*(1-2*nu))*(K11+K22+K33) 1/(gamma*(1+nu))*K23;
143      % 1/(gamma*(1+nu))*K13 1/(gamma*(1+nu))*K23 1/(gamma
144      *(1+nu))*K33+nu/(gamma*(1+nu)*(1-2*nu))*(K11+K22+K33)];
145
146      % K33 = (-nu/((1-2*nu)+nu))*(K11+K22);
147      % K = [1/(gamma*(1+nu))*K11+nu/(gamma*(1+nu)*(1-2*nu))*(K11+
148      K22+K33) 1/(gamma*(1+nu))*K12;
149      % 1/(gamma*(1+nu))*K12 1/(gamma*(1+nu))*K22+nu/(gamma
150      *(1+nu)*(1-2*nu))*(K11+K22+K33)];
151
152      %K = [2*(1-nu)*K11+(1-2*nu)*K22+(1-2*nu)*K33 2*nu*K12+(1-2*
153      nu)*K21 2*nu*K13+(1-2*nu)*K31;
154      % 2*nu*K21+(1-2*nu)*K12 (1-2*nu)*K11+2*(1-nu)*K22+(1-2*
155      nu)*K33 2*nu*K23+(1-2*nu)*K32;
156      % 2*nu*K31+(1-2*nu)*K13 2*nu*K32+(1-2*nu)*K23 (1-2*nu)*
157      K11+(1-2*nu)*K22+2*(1-nu)*K33];
158      %K = 1/(2*gamma*(1+nu)*(1-2*nu))*K;
159
160      %K = [K11+(1-nu)/2*K22+(1-nu)/2*K33 (1-nu)/2*K12+nu*K21 (1-
161      nu)/2*K13+nu*K31;
162      % (1-nu)/2*K21+nu*K12 (1-nu)/2*K11+K22+(1-nu)/2*K33 (1-
163      nu)/2*K23+nu*K32;
164      % (1-nu)/2*K31+nu*K13 (1-nu)/2*K32+nu*K23 (1-nu)/2*K11
165      +(1-nu)/2*K22+K33];
166      % K = 1/(gamma*(1-nu^2))*K;
167      whos k
168
169      %numEig = 100;
170      %{
171      alpha = max(sum(abs(K),2)./diag(K))-2;

```

```

162 L = ichol(K,struct('type','ict','droptol',1e-3,'diagcomp',alpha
    ));
163 n = size(K,1);
164 [V,D] = eigs(@(x)pcg(K,x,1e-3,200,L,L'),n,M,numEig,'sm');
165 %}
166 %mwb.Update(1, 1, 0.5, 'Total Progress - Cholsky Decomposition
    ');
167 [R,p,s] = chol(M,'vector');
168 p;
169 %mwb.Update(1, 1, 0.55, 'Total Progress - Eigs');
170
171 %Rand = sprand(K);
172 [%v, lambda] = lobpcg(Rand, K, M, 1e-5, 20,0)
173 [V,DE,flag] = eigs(K,R,numEig,'smallestabs','IsCholesky',true,'
    CholeskyPermutation',s,'Tolerance',1e-4);
174 flag;
175 %mwb.Update(1, 1, 0.6, 'Total Progress');
176 Eig = diag(DE);
177 %%Mg = gpuArray(M);
178 %%Kg = gpuArray(K);
179
180 %{
181 sV = size(Eig,1);
182 R = zeros(sV,sV);
183 for i = 1:sV
184     for j = 1:sV
185         X = K*V(:,i) - M*V(:,i)*D(j);
186         NORMX = norm(X,Inf);
187         R(j,i) = NORMX;
188     end
189 end
190 R = K*V-M*V*D;
191 xlsxwrite('CompareEigenValues.xlsx',R)
192 %}
193
194 u1p = 0;
195 u2p = 0;
196 u3p = 0;
197 u1s = 0;
198 u2s = 0;
199 u3s = 0;
200 uplx= 0;
201 uply = 0;
202 Psize = 0;
203 T = 0;
204 %%{
205
206 uxB = zeros(inum,(N(1)+1),(N(2)+1),(N(3)+1));

```

```

207 uyB = zeros(inum,(N(1)+1),(N(2)+1),(N(3)+1));
208 uzB = zeros(inum,(N(1)+1),(N(2)+1),(N(3)+1));
209
210 f = 0.3;
211
212 [D,E] = Domain(N,Delta);
213 %TD = D(:,ceil((N(2)+1)/2),ceil((N(3)+1)/2));
214 %TD = D(:,ceil((N(2)+1)/2),:);
215 TD = D(:, :, ceil((N(3)+1)/2));
216 TD = TD(:);
217 TDV = sort(TD(:));
218 OD = D(:, ceil((N(2)+1)/2), ceil((N(3)+1)/2));
219
220 F1 = zeros((N(1)+1)*(N(2)+1)*(N(3)+1),1);
221
222 F1(D(N(1)+1, ceil((N(2)+2)/2), ceil((N(3)+2)/2))) = f;
223 %F1(D(N(1)+1, :, :)) = f;
224 F = zeros(24*(N(1)+1)*(N(2)+1)*(N(3)+1),1);
225 F(8*(N(1)+1)*(N(2)+1)*(N(3)+1)+1:9*(N(1)+1)*(N(2)+1)*(N(3)+1))
    = F1;
226
227
228 %Kug = gpuArray(K);
229 %bg = gpuArray(Mf*(F));
230 %u = gmres(Kug,bg,30,1e-4,30);
231 %ueq = gather(u);
232
233
234 for i = inum:-1:1
235
236 w = V(:,i);
237
238 %Kug = gpuArray(K);
239 %bg = gpuArray(M*(-w));
240 %u = gmres(Kug,bg,30,1e-4,30);
241 %ueq = gather(u);
242
243 %ueq = K\ (Mf*F);
244
245
246 b = M*(-w);
247 ueq = gmres(K,b,30,1e-4,30);
248
249 ux = [zeros((N(2)+1)*(N(3)+1),1); ueq(1:(N(1)+1)*(N(2)+1)*(N(3)+1)-(N(2)+1)*(N(3)+1),1)]+E(:,1);
250 dxux = [ueq((N(1)+1)*(N(2)+1)*(N(3)+1)-(N(2)+1)*(N(3)+1)+1:2*(N(1)+1)*(N(2)+1)*(N(3)+1)-(N(2)+1)*(N(3)+1),1)];

```

```

251 dyux = [zeros((N(2)+1)*(N(3)+1),1); ueq(2*(N(1)+1)*(N(2)+1)*(N
      (3)+1)-(N(2)+1)*(N(3)+1)+1:3*(N(1)+1)*(N(2)+1)*(N(3)+1)-2*(
      N(2)+1)*(N(3)+1),1)];
252 dzux = [zeros((N(2)+1)*(N(3)+1),1); ueq(3*(N(1)+1)*(N(2)+1)*(N
      (3)+1)-2*(N(2)+1)*(N(3)+1)+1:4*(N(1)+1)*(N(2)+1)*(N(3)+1)
      -3*(N(2)+1)*(N(3)+1),1)];
253 dxyux = [ueq(4*(N(1)+1)*(N(2)+1)*(N(3)+1)-3*(N(2)+1)*(N(3)+1)
      +1:5*(N(1)+1)*(N(2)+1)*(N(3)+1)-3*(N(2)+1)*(N(3)+1),1)];
254 dxzux = [ueq(5*(N(1)+1)*(N(2)+1)*(N(3)+1)-3*(N(2)+1)*(N(3)+1)
      +1:6*(N(1)+1)*(N(2)+1)*(N(3)+1)-3*(N(2)+1)*(N(3)+1),1)];
255 dyzux = [zeros((N(2)+1)*(N(3)+1),1); ueq(6*(N(1)+1)*(N(2)+1)*(N
      (3)+1)-3*(N(2)+1)*(N(3)+1)+1:7*(N(1)+1)*(N(2)+1)*(N(3)+1)
      -4*(N(2)+1)*(N(3)+1),1)];
256 dxyzux = [ueq(7*(N(1)+1)*(N(2)+1)*(N(3)+1)-4*(N(2)+1)*(N(3)+1)
      +1:8*(N(1)+1)*(N(2)+1)*(N(3)+1)-4*(N(2)+1)*(N(3)+1),1)];
257 uy = [zeros((N(2)+1)*(N(3)+1),1); ueq(8*(N(1)+1)*(N(2)+1)*(N(3)
      +1)-4*(N(2)+1)*(N(3)+1)+1:9*(N(1)+1)*(N(2)+1)*(N(3)+1)-5*(N
      (2)+1)*(N(3)+1),1)]+E(:,2);
258 dxuy = [ueq(9*(N(1)+1)*(N(2)+1)*(N(3)+1)-5*(N(2)+1)*(N(3)+1)
      +1:10*(N(1)+1)*(N(2)+1)*(N(3)+1)-5*(N(2)+1)*(N(3)+1),1)];
259 dyuy = [zeros((N(2)+1)*(N(3)+1),1); ueq(10*(N(1)+1)*(N(2)+1)*(N
      (3)+1)-5*(N(2)+1)*(N(3)+1)+1:11*(N(1)+1)*(N(2)+1)*(N(3)+1)
      -6*(N(2)+1)*(N(3)+1),1)];
260 dzuy = [zeros((N(2)+1)*(N(3)+1),1); ueq(11*(N(1)+1)*(N(2)+1)*(N
      (3)+1)-6*(N(2)+1)*(N(3)+1)+1:12*(N(1)+1)*(N(2)+1)*(N(3)+1)
      -7*(N(2)+1)*(N(3)+1),1)];
261 dxyuy = [ueq(12*(N(1)+1)*(N(2)+1)*(N(3)+1)-7*(N(2)+1)*(N(3)+1)
      +1:13*(N(1)+1)*(N(2)+1)*(N(3)+1)-7*(N(2)+1)*(N(3)+1),1)];
262 dxzuy = [ueq(13*(N(1)+1)*(N(2)+1)*(N(3)+1)-7*(N(2)+1)*(N(3)+1)
      +1:14*(N(1)+1)*(N(2)+1)*(N(3)+1)-7*(N(2)+1)*(N(3)+1),1)];
263 dyzuy = [zeros((N(2)+1)*(N(3)+1),1); ueq(14*(N(1)+1)*(N(2)+1)*(
      N(3)+1)-7*(N(2)+1)*(N(3)+1)+1:15*(N(1)+1)*(N(2)+1)*(N(3)+1)
      -8*(N(2)+1)*(N(3)+1),1)];
264 dxyzuy = [ueq(15*(N(1)+1)*(N(2)+1)*(N(3)+1)-8*(N(2)+1)*(N(3)+1)
      +1:16*(N(1)+1)*(N(2)+1)*(N(3)+1)-8*(N(2)+1)*(N(3)+1),1)];
265 uz = [zeros((N(2)+1)*(N(3)+1),1); ueq(16*(N(1)+1)*(N(2)+1)*(N
      (3)+1)-8*(N(2)+1)*(N(3)+1)+1:17*(N(1)+1)*(N(2)+1)*(N(3)+1)
      -9*(N(2)+1)*(N(3)+1),1)]+E(:,3);
266 dxuz = [ueq(17*(N(1)+1)*(N(2)+1)*(N(3)+1)-9*(N(2)+1)*(N(3)+1)
      +1:18*(N(1)+1)*(N(2)+1)*(N(3)+1)-9*(N(2)+1)*(N(3)+1),1)];
267 dyuz = [zeros((N(2)+1)*(N(3)+1),1); ueq(18*(N(1)+1)*(N(2)+1)*(N
      (3)+1)-9*(N(2)+1)*(N(3)+1)+1:19*(N(1)+1)*(N(2)+1)*(N(3)+1)
      -10*(N(2)+1)*(N(3)+1),1)];
268 dzuz = [zeros((N(2)+1)*(N(3)+1),1); ueq(19*(N(1)+1)*(N(2)+1)*(N
      (3)+1)-10*(N(2)+1)*(N(3)+1)+1:20*(N(1)+1)*(N(2)+1)*(N(3)+1)
      -11*(N(2)+1)*(N(3)+1),1)];
269 dxyzuz = [ueq(20*(N(1)+1)*(N(2)+1)*(N(3)+1)-11*(N(2)+1)*(N(3)+1)
      +1:21*(N(1)+1)*(N(2)+1)*(N(3)+1)-11*(N(2)+1)*(N(3)+1),1)];

```

```

270 dxzuz = [ueq(21*(N(1)+1)*(N(2)+1)*(N(3)+1)-11*(N(2)+1)*(N(3)+1)
+1:22*(N(1)+1)*(N(2)+1)*(N(3)+1)-11*(N(2)+1)*(N(3)+1),1)];
271 dyzuz = [zeros((N(2)+1)*(N(3)+1),1); ueq(22*(N(1)+1)*(N(2)+1)*(
N(3)+1)-11*(N(2)+1)*(N(3)+1)+1:23*(N(1)+1)*(N(2)+1)*(N(3)
+1)-12*(N(2)+1)*(N(3)+1),1)];
272 dxyzuz = [ueq(23*(N(1)+1)*(N(2)+1)*(N(3)+1)-12*(N(2)+1)*(N(3)
+1)+1:24*(N(1)+1)*(N(2)+1)*(N(3)+1)-12*(N(2)+1)*(N(3)+1),1)
];
273
274
275 f = figure(i);
276 movegui(f,'west')
277 scatter3(ux(TD),uy(TD),uz(TD),5,uz(TD))
278 title(Eig(i));
279
280
281 %uxB(i,1:N(1)+1,1,1:N(3)+1) = ux(TD);
282 %uyB(i,1:N(1)+1,1,1:N(3)+1) = uy(TD);
283 %uzB(i,1:N(1)+1,1,1:N(3)+1) = uz(TD);
284
285
286 %dxuxB(i,1:N(1)+1,1,1) = dxux(TD);
287 %dxuyB(i,1:N(1)+1,1,1) = dxuy(TD);
288 %dxuzB(i,1:N(1)+1,1,1) = dxuz(TD);
289 %dyuxB(i,1:N(1)+1,1,1) = dyux(TD);
290 %dyuyB(i,1:N(1)+1,1,1) = dyuy(TD);
291 %dyuzB(i,1:N(1)+1,1,1) = dyuz(TD);
292 %dzuxB(i,1:N(1)+1,1,1) = dzux(TD);
293 %dzuyB(i,1:N(1)+1,1,1) = dzuy(TD);
294 %dzuzB(i,1:N(1)+1,1,1) = dzuz(TD);
295 %dxyuxB(i,1:N(1)+1,1,1) = dxyux(TD);
296 %dxyuyB(i,1:N(1)+1,1,1) = dxyuy(TD);
297 %dxyuzB(i,1:N(1)+1,1,1) = dxyuz(TD);
298 %dxzuxB(i,1:N(1)+1,1,1) = dxzux(TD);
299 %dxzuyB(i,1:N(1)+1,1,1) = dxzuy(TD);
300 %dxzuzB(i,1:N(1)+1,1,1) = dxzuz(TD);
301 %dyzuxB(i,1:N(1)+1,1,1) = dyzux(TD);
302 %dyzuyB(i,1:N(1)+1,1,1) = dyzuy(TD);
303 %dyzuzB(i,1:N(1)+1,1,1) = dyzuz(TD);
304 %dxyzuxB(i,1:N(1)+1,1,1) = dxyzux(TD);
305 %dxyzuyB(i,1:N(1)+1,1,1) = dxyzuy(TD);
306 %dxyzuzB(i,1:N(1)+1,1,1) = dxyzuz(TD);
307 %set(0,'CurrentFigure',h(i));
308 %scatter3(ux,uy,uz)
309 %title(Eig(i));
310 %scatter3(ux,uy,uz,5,uz)
311
312 %scatter3(uxB,uyB,uzB,5,uzB)

```

```

313 %hold on
314 %scatter3(ux,uy,zeros(size(uz)));
315
316 %hold on
317 %ux2 = ux(D(:,1,1));
318 %uy2 = uy(D(:,1,1));
319 %uz2 = uz(D(:,1,1));
320
321 %max2 = norm(uy2,Inf);
322 %uy2 = uy2/max2*0.8;
323 %scatter3(ux2,uy2,uz2)
324
325 hold off
326 %axis([0 1.1 -0.025 0.05 -0.025 0.025])
327 %dxux2 = dxux(TDV);
328 %dxuy2 = dxuy(TDV);
329 %dxuz2 = dxuz(TDV);
330 %dyux2 = dyux(TDV);
331 %dyuy2 = dyuy(TDV);
332 %dyuz2 = dyuz(TDV);
333 %dzux2 = dzux(TDV);
334 %dzuy2 = dzuy(TDV);
335 %dzuz2 = dzuz(TDV);
336
337
338 %sigma11 = 1/(gamma*(1+nu))*dxuxB + nu/(gamma*(1+nu)*(1-2*nu))
    *(dxuxB+dyuyB+dzuzB);
339 %sigma22 = 1/(gamma*(1+nu))*dyuyB + nu/(gamma*(1+nu)*(1-2*nu))
    *(dxuxB+dyuyB+dzuzB);
340 %sigma33 = 1/(gamma*(1+nu))*dzuzB + nu/(gamma*(1+nu)*(1-2*nu))
    *(dxuxB+dyuyB+dzuzB);
341 %sigma23 = 1/(2*gamma*(1+nu))*(dzuyB + dyuzB);
342 %sigma31 = 1/(2*gamma*(1+nu))*(dzuxB + dxuzB);
343 %sigma12 = 1/(2*gamma*(1+nu))*(dyuxB + dxuyB);
344
345 %stress = ceil((N(1)+1)/2);
346
347
348 %Ty = [0.5*(dxux(stress) + dxux(stress)) 0.5*(dxuy(stress) +
    dyux(stress)); 0.5*(dyux(stress) + dxuy(stress)) 0.5*(dyuy(
    stress) + dyuy(stress))]
349 %Tz = [0.5*(dxux(stress) + dxux(stress)) 0.5*(dxuz(stress) +
    dzux(stress)); 0.5*(dzux(stress) + dxuz(stress)) 0.5*(dzuz(
    stress) + dzuz(stress))]
350 %T = [sigma11(stress) sigma12(stress) sigma31(stress); sigma12(
    stress) sigma22(stress) sigma23(stress); sigma31(stress)
    sigma23(stress) sigma33(stress)]
351

```



```

352 %ux1 = ux(OD);
353 %uy1 = uy(OD);
354 %uz1 = uz(OD);
355
356
357 %f = figure();
358 %movegui(f,pos);
359 %scatter3(ux,uy,uz);
360 %hold on
361 %grid on
362 %plot3(ux1,uy1,uz1);
363 %title(strcat(num2str(i),' - ',num2str(Eig(i))))
364 %view(2)
365 end
366 %}
367 %{
368 %[KM, KMPat] = sparseinv(K);
369 %KM = KM*M;
370 %smallest = 0;
371 %bestEig = 0;
372
373 for i = 20:-1:1
374     %smallest = 100;
375     plot_fig = figure('NumberTitle', 'off', 'Name', strcat('
Eigenvalue: ',int2str(i),' - ',num2str(s)));
376     w = V(:,i);
377
378     % for j = 1:numEig
379     %     X = K*w - M*w*Eig(j);
380     %     if norm(X) < smallest
381     %         smallest = norm(X);
382     %         bestEig = Eig(j);
383     %     end
384     % end
385     %plot_fig.suptitle(strcat(int2str(i),' - ',num2str(s)));
386 %mwb.Update(3, 1, 0.1, 'Plot');
387     %wg = gpuArray(w);
388     alpha = max(sum(abs(K),2)./diag(K))-2;
389     L = ichol(K,struct('type','ict','droptol',1e-3,'diagcomp',
alpha));
390     u = pcg(K,M*w,1e-1,2000000,L,L');
391
392
393     %normalize = norm(w,Inf);
394     %u = normalize*u;
395     % u = (K)\MF*F;
396
397     %alpha = max(sum(abs(K),2)./diag(K))-2;

```

```

398 %L = ichol(K,struct('type','ict','droptol',1e-3,'diagcomp',
%u = pcg(K,MF*F,1e-3,200000,L,L');
400 % mwb.Update(3, 1, 0.3, 'Plot');
401 u1 = [zeros((N(2)+1)*(N(3)+1),1); u(1:size(u,1)/3)] + E
(:,1);
402 u2 = [zeros((N(2)+1)*(N(3)+1),1); u(size(u,1)/3+1:2*size(u
,1)/3)] + E(:,2);
403 u3 = [zeros((N(2)+1)*(N(3)+1),1); u(2*size(u,1)/3+1:3*size(
u,1)/3)] + E(:,3);
404
405
406 u1 = 1/norm(u1,Inf)*u1;
407 u2 = 1/norm(u2,Inf)*u2;
408 u3 = 1/norm(u3,Inf)*u3;
409
410 [D,E] = Domain(N,Delta);
411 plane = D(:, :, ceil((N(3)+1)/2))';
412 plane = plane(:);
413 uplx = u1(plane);
414 uply = u2(plane);
415
416 % w1 = w(1:size(w,1)/3);
417 % w2 = w(size(w,1)/3+1:2*size(w,1)/3);
418 % w3 = w(2*size(w,1)/3+1:3*size(w,1)/3);
419
420 % mwb.Update(3, 1, 0.4, 'Plot');
421 ix = [];
422 if(N(1)+1 > 200)
423 % iy = [1 (N(2)+2)/2 (N(2)+1) (N(2)+1)*(N(3)+1)-(N(2)+1)
+1 (N(2)+1)*(N(3)+1)];
424 ih = ((N(2)+1)-1)/2;
425 iv = 1+((N(3)+1)-1)/2*(N(2)+1);
426 iy = iv+ih; %[1 1+ih 1+2*ih iv iv+ih iv+2*ih 2*iv-1 2*
iv+ih-1 2*iv+2*ih-1];%[iv+ih];%
427 icount = 1;
428 div = floor((N(1)+1)/200);
429 for k = 1:div:(N(1)+1)
430 for j = 1:size(iy,2)
431 ix(icount) = iy(j)+ (k-1)*(N(2)+1)*(N(3)+1);
432 icount = icount +1;
433 end
434 end
435 u1p = u1(ix);
436 u2p = u2(ix);
437 u3p = u3(ix);
438 % w1p = w1(ix);
439 % w2p = w2(ix);

```

```

440         % w3p = w3(ix);
441
442         E1p = E(ix,1);
443         E2p = E(ix,2);
444         E3p = E(ix,3);
445         Psize = size(iy,2);
446     else
447         u1p = u1;
448         u2p = u2;
449         u3p = u3;
450
451         % w1p = w1;
452         % w2p = w2;
453         % w3p = w3;
454
455         E1p = E(:,1);
456         E2p = E(:,2);
457         E3p = E(:,3);
458
459         Psize = (N(2)+1)*(N(3)+1);
460     end
461     %mwb.Update(3, 1, 0.7, 'Plot');
462
463     u1p = 1/norm(u1p,Inf)*u1p;
464     %u2p = 1/norm(u2p,Inf)*u2p;
465     %u3p = 1/norm(u3p,Inf)*u3p;
466
467     %umx = u1p(size(u1p,1)/2
468
469
470     scatter3(u1p,u2p,u3p);
471     hold on
472     %scatter3(E1p,E2p,E3p,0.1);
473     hold on
474     %scatter3(w1p,w2p,w3p);
475     %mwb.Update(3, 1, 1, 'Plot');
476     u1s = size(u1p);
477     u2s = size(u2p);
478     u3s = size(u3p);
479     for k = 1:Psize
480         hold on
481         plot3(u1p(k:Psize:k+u1s-2*Psize),u2p(k:Psize:k+u2s-2*
Psize),u3p(k:Psize:k+u3s-2*Psize),'-');
482     end
483     temp_png = strcat('\Plots\',sprintf('%.6f',n1),'\PNG\Plot',
sprintf('%.6f',i),'.png');
484     temp_fig = strcat('\Plots\',sprintf('%.6f',n1),'\Fig\Plot',
sprintf('%.6f',i),'.fig');

```

```

485 view([0 0 90])
486 %legend(['Eigenvalue: ' num2str(Eig(i))]);
487 %saveas(plot_fig, strcat(pwd,temp_png))
488 %savefig(plot_fig, strcat(pwd,temp_fig))
489 %close(plot_fig)
490 end
491 clear u
492
493 %}
494 %mwb.Update(1, 1, 1, 'Total Progress');
495 % mwb.Close();
496 return;
497
498 function [D,E] = Domain(N,Delta)
499     D = zeros(N(1)+1,N(2)+1,N(3)+1);
500     icount = 1;
501
502     for i = 1:N(1)+1
503         for k = 1:N(3)+1
504             for j = 1:N(2)+1
505                 D(i,j,k) = icount;
506                 icount = icount + 1;
507             end
508         end
509     end
510     E = zeros((N(1)+1)*(N(2)+1)*(N(3)+1),3);
511     ix = 1;
512     iy = 1;
513     iz = 1;
514     ixt = 0;
515     for i = 1:(N(1)+1)*(N(2)+1)*(N(3)+1)
516         E(i,:) = [Delta(1)*(ix-1),Delta(2)*(iy-1),Delta(3)*(iz
-1)];
517
518         iy = iy+1;
519
520         if(ix == N(1)+2)
521             ix = 1;
522         end
523         if(iy == N(2)+2)
524             iy = 1;
525             ixt = ixt + 1;
526             iz = iz+1;
527         end
528         if(ixt == N(3)+1)
529             ix = ix+1;
530             ixt = 0;
531         end

```

```

532         if(iz == N(3)+2)
533             iz = 1;
534         end
535
536     end
537     %[Cubes,CubeNumbers] = CreateCubes(E,N);
538     %Plot(E,N,Cubes)
539 return
540
541 function Next = Adjacent(N,D)
542     Next = zeros((N(1)+1)*(N(2)+1)*(N(3)+1),27);
543     %1 - Itself
544     %2 - Forward
545     %3 - Backward
546     %4 - Forward + Left
547     %5 - Forward + Right
548     %6 - Left
549     %7 - Right
550     %8 - Backward + Left
551     %9 - Backward + Right
552     for i = 1:N(1)+1
553         for j = 1:N(2)+1
554             for k = 1:N(3)+1
555                 Next(D(i,j,k),1) = D(i,j,k);
556                 if(i<N(1)+1)
557                     Next(D(i,j,k),2) = D(i+1,j,k);
558                 else
559                     Next(D(i,j,k),2) = nan;
560                 end
561                 if(i>1)
562                     Next(D(i,j,k),3) = D(i-1,j,k);
563                 else
564                     Next(D(i,j,k),3) = nan;
565                 end
566                 if(i<N(1)+1 && j < N(2)+1)
567                     Next(D(i,j,k),4) = D(i+1,j+1,k);
568                 else
569                     Next(D(i,j,k),4) = nan;
570                 end
571                 if(i<N(1)+1 && j > 1)
572                     Next(D(i,j,k),5) = D(i+1,j-1,k);
573                 else
574                     Next(D(i,j,k),5) = nan;
575                 end
576                 if(j < N(2)+1)
577                     Next(D(i,j,k),6) = D(i,j+1,k);
578                 else
579                     Next(D(i,j,k),6) = nan;

```

```

580     end
581     if(j>1)
582         Next(D(i,j,k),7) = D(i,j-1,k);
583     else
584         Next(D(i,j,k),7) = nan;
585     end
586     if(i>1 && j < N(2)+1)
587         Next(D(i,j,k),8) = D(i-1,j+1,k);
588     else
589         Next(D(i,j,k),8) = nan;
590     end
591     if(i>1 && j>1)
592         Next(D(i,j,k),9) = D(i-1,j-1,k);
593     else
594         Next(D(i,j,k),9) = nan;
595     end
596
597     if(k < N(3)+1)
598         Next(D(i,j,k),10) = D(i,j,k+1);
599         if(i<N(1)+1)
600             Next(D(i,j,k),11) = D(i+1,j,k+1);
601         else
602             Next(D(i,j,k),11) = nan;
603         end
604         if(i>1)
605             Next(D(i,j,k),12) = D(i-1,j,k+1);
606         else
607             Next(D(i,j,k),12) = nan;
608         end
609         if(i<N(1)+1 && j < N(2)+1)
610             Next(D(i,j,k),13) = D(i+1,j+1,k+1);
611         else
612             Next(D(i,j,k),13) = nan;
613         end
614         if(i<N(1)+1 && j > 1)
615             Next(D(i,j,k),14) = D(i+1,j-1,k+1);
616         else
617             Next(D(i,j,k),14) = nan;
618         end
619         if(j < N(2)+1)
620             Next(D(i,j,k),15) = D(i,j+1,k+1);
621         else
622             Next(D(i,j,k),15) = nan;
623         end
624         if(j>1)
625             Next(D(i,j,k),16) = D(i,j-1,k+1);
626         else
627             Next(D(i,j,k),16) = nan;

```

```

628         end
629         if(i>1 && j < N(2)+1)
630             Next(D(i,j,k),17) = D(i-1,j+1,k+1);
631         else
632             Next(D(i,j,k),17) = nan;
633         end
634         if(i>1 && j>1)
635             Next(D(i,j,k),18) = D(i-1,j-1,k+1);
636         else
637             Next(D(i,j,k),18) = nan;
638         end
639     else
640         Next(D(i,j,k),10) = nan;
641         Next(D(i,j,k),11) = nan;
642         Next(D(i,j,k),12) = nan;
643         Next(D(i,j,k),13) = nan;
644         Next(D(i,j,k),14) = nan;
645         Next(D(i,j,k),15) = nan;
646         Next(D(i,j,k),16) = nan;
647         Next(D(i,j,k),17) = nan;
648         Next(D(i,j,k),18) = nan;
649     end
650
651     if(k>1)
652         Next(D(i,j,k),19) = D(i,j,k-1);
653         if(i<N(1)+1)
654             Next(D(i,j,k),20) = D(i+1,j,k-1);
655         else
656             Next(D(i,j,k),20) = nan;
657         end
658         if(i>1)
659             Next(D(i,j,k),21) = D(i-1,j,k-1);
660         else
661             Next(D(i,j,k),21) = nan;
662         end
663         if(i<N(1)+1 && j < N(2)+1)
664             Next(D(i,j,k),22) = D(i+1,j+1,k-1);
665         else
666             Next(D(i,j,k),22) = nan;
667         end
668         if(i<N(1)+1 && j > 1)
669             Next(D(i,j,k),23) = D(i+1,j-1,k-1);
670         else
671             Next(D(i,j,k),23) = nan;
672         end
673         if(j < N(2)+1)
674             Next(D(i,j,k),24) = D(i,j+1,k-1);
675         else

```

```

676         Next(D(i,j,k),24) = nan;
677     end
678     if(j>1)
679         Next(D(i,j,k),25) = D(i,j-1,k-1);
680     else
681         Next(D(i,j,k),25) = nan;
682     end
683     if(i>1 && j < N(2)+1)
684         Next(D(i,j,k),26) = D(i-1,j+1,k-1);
685     else
686         Next(D(i,j,k),26) = nan;
687     end
688     if(i>1 && j>1)
689         Next(D(i,j,k),27) = D(i-1,j-1,k-1);
690     else
691         Next(D(i,j,k),27) = nan;
692     end
693 else
694     Next(D(i,j,k),19) = nan;
695     Next(D(i,j,k),20) = nan;
696     Next(D(i,j,k),21) = nan;
697     Next(D(i,j,k),22) = nan;
698     Next(D(i,j,k),23) = nan;
699     Next(D(i,j,k),24) = nan;
700     Next(D(i,j,k),25) = nan;
701     Next(D(i,j,k),26) = nan;
702     Next(D(i,j,k),27) = nan;
703 end
704 end
705 end
706 end
707 return
708
709 function B = AdjacentType()%CHECKED
710     B = zeros(27,27,16);
711     %CHECKED
712     B(1,1,:) = [2 2 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
713     B(1,2,:) = [2 3 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
714     B(1,3,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
715     B(1,4,:) = [2 4 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
716     Left
717     B(1,5,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
718     Right
719     B(1,6,:) = [2 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
720     B(1,7,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
721     B(1,8,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
722     Left

```



```

720     B(1,9,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
      Right
721     %Up%CHECKED
722     B(1,10,:) = [2 6 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
723     B(1,11,:) = [2 7 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
724     B(1,12,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
725     B(1,13,:) = [2 8 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
      Left
726     B(1,14,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
      Right
727     B(1,15,:) = [2 5 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
728     B(1,16,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
729     B(1,17,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
      Left
730     B(1,18,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
      Right
731     %Down%CHECKED
732     B(1,19,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
733     B(1,20,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
734     B(1,21,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
735     B(1,22,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
      Left
736     B(1,23,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
      Right
737     B(1,24,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
738     B(1,25,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
739     B(1,26,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
      Left
740     B(1,27,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
      Right
741     %
      .....

742     %CHECKED
743     B(2,1,:) = [1 1 2 2 0 0 0 0 0 0 0 0 0 0 0 0]; %Itself
744     B(2,2,:) = [2 3 1 4 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
745     B(2,3,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
746     B(2,4,:) = [2 4 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
      Left
747     B(2,5,:) = [1 3 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
      Right
748     B(2,6,:) = [2 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
749     B(2,7,:) = [1 2 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
750     B(2,8,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
      Left
751     B(2,9,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
      Right
752     %Up%CHECKED

```

```

753 B(2,10,:) = [2 6 1 5 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
754 B(2,11,:) = [2 7 1 8 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
755 B(2,12,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
756 B(2,13,:) = [2 8 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
757 B(2,14,:) = [1 7 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
758 B(2,15,:) = [2 5 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
759 B(2,16,:) = [1 6 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
760 B(2,17,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
761 B(2,18,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
762 %Down%CHECKED
763 B(2,19,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
764 B(2,20,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
765 B(2,21,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
766 B(2,22,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
767 B(2,23,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
768 B(2,24,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
769 B(2,25,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
770 B(2,26,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
771 B(2,27,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
772 %
.....

773 %CHECKED
774 B(3,1,:) = [1 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0]; %Itself
775 B(3,2,:) = [1 4 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
776 B(3,3,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
777 B(3,4,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
778 B(3,5,:) = [1 3 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
779 B(3,6,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
780 B(3,7,:) = [1 2 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
781 B(3,8,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
782 B(3,9,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
783 %Up%CHECKED
784 B(3,10,:) = [1 5 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
785 B(3,11,:) = [1 8 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
786 B(3,12,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward

```

```

787     B(3,13,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
788     B(3,14,:) = [1 7 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
789     B(3,15,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
790     B(3,16,:) = [1 6 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
791     B(3,17,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
792     B(3,18,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
793     %Down%CHECKED
794     B(3,19,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
795     B(3,20,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
796     B(3,21,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
797     B(3,22,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
798     B(3,23,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
799     B(3,24,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
800     B(3,25,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
801     B(3,26,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
802     B(3,27,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
803     %
.....

804     %CHECKED
805     B(4,1,:) = [2 2 6 6 0 0 0 0 0 0 0 0 0 0 0 0]; %Itself
806     B(4,2,:) = [2 3 6 7 0 0 0 0 0 0 0 0 0 0 0 0]; %Forward
807     B(4,3,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
808     B(4,4,:) = [2 4 6 8 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
809     B(4,5,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
810     B(4,6,:) = [2 1 6 5 0 0 0 0 0 0 0 0 0 0 0 0];%Left
811     B(4,7,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
812     B(4,8,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
813     B(4,9,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
814     %Up%CHECKED
815     B(4,10,:) = [2 6 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
816     B(4,11,:) = [2 7 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
817     B(4,12,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
818     B(4,13,:) = [2 8 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left

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819     B(4,14,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
      Right
820     B(4,15,:) = [2 5 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
821     B(4,16,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
822     B(4,17,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
      Left
823     B(4,18,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
      Right
824     %Down%CHECKED
825     B(4,19,:) = [6 2 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
826     B(4,20,:) = [6 3 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
827     B(4,21,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
828     B(4,22,:) = [6 4 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
      Left
829     B(4,23,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
      Right
830     B(4,24,:) = [6 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
831     B(4,25,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
832     B(4,26,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
      Left
833     B(4,27,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
      Right
834     %
      .....

835     %CHECKED
836     B(5,1,:) = [1 1 2 2 5 5 6 6 0 0 0 0 0 0 0 0]; %Itself
837     B(5,2,:) = [2 3 1 4 5 8 6 7 0 0 0 0 0 0 0 0];%Forward
838     B(5,3,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
839     B(5,4,:) = [2 4 6 8 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
      Left
840     B(5,5,:) = [1 3 5 7 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
      Right
841     B(5,6,:) = [2 1 6 5 0 0 0 0 0 0 0 0 0 0 0 0];%Left
842     B(5,7,:) = [1 2 5 6 0 0 0 0 0 0 0 0 0 0 0 0];%Right
843     B(5,8,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
      Left
844     B(5,9,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
      Right
845     %Up%CHECKED
846     B(5,10,:) = [2 6 1 5 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
847     B(5,11,:) = [2 7 1 8 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
848     B(5,12,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
849     B(5,13,:) = [2 8 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
      Left
850     B(5,14,:) = [1 7 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
      Right
851     B(5,15,:) = [2 5 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left

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852 B(5,16,:) = [1 6 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
853 B(5,17,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
854 B(5,18,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
855 %Down%CHECKED
856 B(5,19,:) = [5 1 6 2 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
857 B(5,20,:) = [5 4 6 3 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
858 B(5,21,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
859 B(5,22,:) = [6 4 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
860 B(5,23,:) = [5 3 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
861 B(5,24,:) = [6 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
862 B(5,25,:) = [5 2 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
863 B(5,26,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
864 B(5,27,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
865 %
.....

866 %CHECKED
867 B(6,1,:) = [1 1 5 5 0 0 0 0 0 0 0 0 0 0 0 0]; %Itself
868 B(6,2,:) = [1 4 5 8 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
869 B(6,3,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
870 B(6,4,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
871 B(6,5,:) = [1 3 5 7 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
872 B(6,6,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
873 B(6,7,:) = [1 2 5 6 0 0 0 0 0 0 0 0 0 0 0 0];%Right
874 B(6,8,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
875 B(6,9,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
876 %Up%CHECKED
877 B(6,10,:) = [1 5 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
878 B(6,11,:) = [1 8 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
879 B(6,12,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
880 B(6,13,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
881 B(6,14,:) = [1 7 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
882 B(6,15,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
883 B(6,16,:) = [1 6 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
884 B(6,17,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left

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885     B(6,18,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
      Right
886     %Down%CHECKED
887     B(6,19,:) = [5 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
888     B(6,20,:) = [5 4 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
889     B(6,21,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
890     B(6,22,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
      Left
891     B(6,23,:) = [5 3 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
      Right
892     B(6,24,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
893     B(6,25,:) = [5 2 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
894     B(6,26,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
      Left
895     B(6,27,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
      Right
896     %
      .....

897     %CHECKED
898     B(7,1,:) = [6 6 0 0 0 0 0 0 0 0 0 0 0 0 0 0]; %Itself
899     B(7,2,:) = [6 7 0 0 0 0 0 0 0 0 0 0 0 0 0 0]; %Forward
900     B(7,3,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
901     B(7,4,:) = [6 8 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
      Left
902     B(7,5,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
      Right
903     B(7,6,:) = [6 5 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
904     B(7,7,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
905     B(7,8,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
      Left
906     B(7,9,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
      Right
907     %Up%CHECKED
908     B(7,10,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
909     B(7,11,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
910     B(7,12,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
911     B(7,13,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
      Left
912     B(7,14,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
      Right
913     B(7,15,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
914     B(7,16,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
915     B(7,17,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
      Left
916     B(7,18,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
      Right
917     %Down%CHECKED

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918 B(7,19,:) = [6 2 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
919 B(7,20,:) = [6 3 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
920 B(7,21,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
921 B(7,22,:) = [6 4 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
922 B(7,23,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
923 B(7,24,:) = [6 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
924 B(7,25,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
925 B(7,26,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
926 B(7,27,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
927 %
.....

928 %CHECKED
929 B(8,1,:) = [5 5 6 6 0 0 0 0 0 0 0 0 0 0 0 0]; %Itself
930 B(8,2,:) = [6 7 5 8 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
931 B(8,3,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
932 B(8,4,:) = [6 8 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
933 B(8,5,:) = [5 7 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
934 B(8,6,:) = [6 5 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
935 B(8,7,:) = [5 6 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
936 B(8,8,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
937 B(8,9,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
938 %Up%CHECKED
939 B(8,10,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
940 B(8,11,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
941 B(8,12,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
942 B(8,13,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
943 B(8,14,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
944 B(8,15,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
945 B(8,16,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
946 B(8,17,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
947 B(8,18,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
948 %Down%CHECKED
949 B(8,19,:) = [5 1 6 2 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
950 B(8,20,:) = [5 4 6 3 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
951 B(8,21,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward

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952     B(8,22,:) = [6 4 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
953     B(8,23,:) = [5 3 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
954     B(8,24,:) = [6 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
955     B(8,25,:) = [5 2 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
956     B(8,26,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
957     B(8,27,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
958     %
.....

959     %CHECKED
960     B(9,1,:) = [5 5 0 0 0 0 0 0 0 0 0 0 0 0 0 0]; %Itself
961     B(9,2,:) = [5 8 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
962     B(9,3,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
963     B(9,4,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
964     B(9,5,:) = [5 7 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
965     B(9,6,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
966     B(9,7,:) = [5 6 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
967     B(9,8,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
968     B(9,9,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
969     %Up%CHECKED
970     B(9,10,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
971     B(9,11,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
972     B(9,12,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
973     B(9,13,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
974     B(9,14,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
975     B(9,15,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
976     B(9,16,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
977     B(9,17,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
978     B(9,18,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
979     %Down%CHECKED
980     B(9,19,:) = [5 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
981     B(9,20,:) = [5 4 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
982     B(9,21,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
983     B(9,22,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left

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1017 B(10,25,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1018 B(10,26,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
1019 B(10,27,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
1020 %
.....

1021 %CHECKED
1022 B(11,1,:) = [1 1 2 2 3 3 4 4 0 0 0 0 0 0 0 0]; %Itself
1023 B(11,2,:) = [2 3 1 4 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1024 B(11,3,:) = [3 2 4 1 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1025 B(11,4,:) = [2 4 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
1026 B(11,5,:) = [1 3 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
1027 B(11,6,:) = [2 1 3 4 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1028 B(11,7,:) = [1 2 4 3 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1029 B(11,8,:) = [3 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
1030 B(11,9,:) = [4 2 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
1031 %Up%CHECKED
1032 B(11,10,:) = [2 6 1 5 3 7 4 8 0 0 0 0 0 0 0 0];%Itself
1033 B(11,11,:) = [2 7 1 8 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1034 B(11,12,:) = [3 6 4 5 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1035 B(11,13,:) = [2 8 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
1036 B(11,14,:) = [1 7 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
1037 B(11,15,:) = [2 5 3 8 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1038 B(11,16,:) = [1 6 4 7 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1039 B(11,17,:) = [3 5 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
1040 B(11,18,:) = [4 6 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
1041 %Down%CHECKED
1042 B(11,19,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
1043 B(11,20,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1044 B(11,21,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1045 B(11,22,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
1046 B(11,23,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
1047 B(11,24,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1048 B(11,25,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1049 B(11,26,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left

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1050     B(11,27,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
1051     Right
1052     %
1053     .....
1052     %CHECKED
1053     B(12,1,:) = [1 1 4 4 0 0 0 0 0 0 0 0 0 0 0 0]; %Itself
1054     B(12,2,:) = [1 4 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1055     B(12,3,:) = [4 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1056     B(12,4,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
1057     Left
1058     B(12,5,:) = [1 3 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
1059     Right
1060     B(12,6,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1061     B(12,7,:) = [1 2 4 3 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1062     B(12,8,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
1063     Left
1064     B(12,9,:) = [4 2 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
1065     Right
1066     %Up%CHECKED
1067     B(12,10,:) = [1 5 4 8 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
1068     B(12,11,:) = [1 8 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1069     B(12,12,:) = [4 5 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1070     B(12,13,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
1071     Left
1072     B(12,14,:) = [1 7 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
1073     Right
1074     B(12,15,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1075     B(12,16,:) = [1 6 4 7 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1076     B(12,17,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
1077     Left
1078     B(12,18,:) = [4 6 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
1079     Right
1080     %Down%CHECKED
1081     B(12,19,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
1082     B(12,20,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1083     B(12,21,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1084     B(12,22,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
1085     Left
1086     B(12,23,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
1087     Right
1088     B(12,24,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1089     B(12,25,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1090     B(12,26,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
1091     Left
1092     B(12,27,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
1093     Right

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1082 %
.....

1083 %CHECKED
1084 B(13,1,:) = [2 2 3 3 6 6 7 7 0 0 0 0 0 0 0 0]; %Itself
1085 B(13,2,:) = [2 3 6 7 0 0 0 0 0 0 0 0 0 0 0 0]; %Forward
1086 B(13,3,:) = [3 2 7 6 0 0 0 0 0 0 0 0 0 0 0 0]; %Backward
1087 B(13,4,:) = [2 4 6 8 0 0 0 0 0 0 0 0 0 0 0 0]; %Forward +
Left
1088 B(13,5,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0]; %Forward +
Right
1089 B(13,6,:) = [2 1 6 5 3 4 7 8 0 0 0 0 0 0 0 0]; %Left
1090 B(13,7,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0]; %Right
1091 B(13,8,:) = [3 1 7 5 0 0 0 0 0 0 0 0 0 0 0 0]; %Backward +
Left
1092 B(13,9,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0]; %Backward +
Right
1093 %Up%CHECKED
1094 B(13,10,:) = [2 6 3 7 0 0 0 0 0 0 0 0 0 0 0 0]; %Itself
1095 B(13,11,:) = [2 7 0 0 0 0 0 0 0 0 0 0 0 0 0 0]; %Forward
1096 B(13,12,:) = [3 6 0 0 0 0 0 0 0 0 0 0 0 0 0 0]; %Backward
1097 B(13,13,:) = [2 8 0 0 0 0 0 0 0 0 0 0 0 0 0 0]; %Forward +
Left
1098 B(13,14,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0]; %Forward +
Right
1099 B(13,15,:) = [2 5 3 8 0 0 0 0 0 0 0 0 0 0 0 0]; %Left
1100 B(13,16,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0]; %Right
1101 B(13,17,:) = [3 5 0 0 0 0 0 0 0 0 0 0 0 0 0 0]; %Backward +
Left
1102 B(13,18,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0]; %Backward +
Right
1103 %Down%CHECKED
1104 B(13,19,:) = [6 2 7 3 0 0 0 0 0 0 0 0 0 0 0 0]; %Itself
1105 B(13,20,:) = [6 3 0 0 0 0 0 0 0 0 0 0 0 0 0 0]; %Forward
1106 B(13,21,:) = [7 2 0 0 0 0 0 0 0 0 0 0 0 0 0 0]; %Backward
1107 B(13,22,:) = [6 4 0 0 0 0 0 0 0 0 0 0 0 0 0 0]; %Forward +
Left
1108 B(13,23,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0]; %Forward +
Right
1109 B(13,24,:) = [6 1 7 4 0 0 0 0 0 0 0 0 0 0 0 0]; %Left
1110 B(13,25,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0]; %Right
1111 B(13,26,:) = [7 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0]; %Backward +
Left
1112 B(13,27,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0]; %Backward +
Right
1113 %
.....

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1114 %CHECKED
1115 B(14,1,:) = [1 1 2 2 3 3 4 4 5 5 6 6 7 7 8 8]; %Itself
1116 B(14,2,:) = [1 4 2 3 5 8 6 7 0 0 0 0 0 0 0 0]; %Forward
1117 B(14,3,:) = [4 1 3 2 8 5 7 6 0 0 0 0 0 0 0 0]; %Backward
1118 B(14,4,:) = [2 4 6 8 0 0 0 0 0 0 0 0 0 0 0 0]; %Forward +
Left
1119 B(14,5,:) = [1 3 5 7 0 0 0 0 0 0 0 0 0 0 0 0]; %Forward +
Right
1120 B(14,6,:) = [2 1 6 5 3 4 7 8 0 0 0 0 0 0 0 0]; %Left
1121 B(14,7,:) = [1 2 5 6 4 3 8 7 0 0 0 0 0 0 0 0]; %Right
1122 B(14,8,:) = [3 1 7 5 0 0 0 0 0 0 0 0 0 0 0 0]; %Backward +
Left
1123 B(14,9,:) = [4 2 8 6 0 0 0 0 0 0 0 0 0 0 0 0]; %Backward +
Right
1124 %Up%CHECKED
1125 B(14,10,:) = [1 5 2 6 3 7 4 8 0 0 0 0 0 0 0 0]; %Itself
1126 B(14,11,:) = [2 7 1 8 0 0 0 0 0 0 0 0 0 0 0 0]; %Forward
1127 B(14,12,:) = [3 6 4 5 0 0 0 0 0 0 0 0 0 0 0 0]; %Backward
1128 B(14,13,:) = [2 8 0 0 0 0 0 0 0 0 0 0 0 0 0 0]; %Forward +
Left
1129 B(14,14,:) = [1 7 0 0 0 0 0 0 0 0 0 0 0 0 0 0]; %Forward +
Right
1130 B(14,15,:) = [2 5 3 8 0 0 0 0 0 0 0 0 0 0 0 0]; %Left
1131 B(14,16,:) = [1 6 4 7 0 0 0 0 0 0 0 0 0 0 0 0]; %Right
1132 B(14,17,:) = [3 5 0 0 0 0 0 0 0 0 0 0 0 0 0 0]; %Backward +
Left
1133 B(14,18,:) = [4 6 0 0 0 0 0 0 0 0 0 0 0 0 0 0]; %Backward +
Right
1134 %Down%CHECKED
1135 B(14,19,:) = [5 1 6 2 7 3 8 4 0 0 0 0 0 0 0 0]; %Itself
1136 B(14,20,:) = [5 4 6 3 0 0 0 0 0 0 0 0 0 0 0 0]; %Forward
1137 B(14,21,:) = [8 1 7 2 0 0 0 0 0 0 0 0 0 0 0 0]; %Backward
1138 B(14,22,:) = [6 4 0 0 0 0 0 0 0 0 0 0 0 0 0 0]; %Forward +
Left
1139 B(14,23,:) = [5 3 0 0 0 0 0 0 0 0 0 0 0 0 0 0]; %Forward +
Right
1140 B(14,24,:) = [6 1 7 4 0 0 0 0 0 0 0 0 0 0 0 0]; %Left
1141 B(14,25,:) = [5 2 8 3 0 0 0 0 0 0 0 0 0 0 0 0]; %Right
1142 B(14,26,:) = [7 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0]; %Backward +
Left
1143 B(14,27,:) = [8 2 0 0 0 0 0 0 0 0 0 0 0 0 0 0]; %Backward +
Right
1144 %
.....

1145 B(15,1,:) = [1 1 4 4 5 5 8 8 0 0 0 0 0 0 0 0]; %Itself
1146 B(15,2,:) = [1 4 5 8 0 0 0 0 0 0 0 0 0 0 0 0]; %Forward
1147 B(15,3,:) = [4 1 8 5 0 0 0 0 0 0 0 0 0 0 0 0]; %Backward

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1148     B(15,4,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
1149     B(15,5,:) = [1 3 5 7 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
1150     B(15,6,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1151     B(15,7,:) = [1 2 5 6 4 3 8 7 0 0 0 0 0 0 0 0];%Right
1152     B(15,8,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
1153     B(15,9,:) = [4 2 8 6 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
1154     %Up
1155     B(15,10,:) = [1 5 4 8 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
1156     B(15,11,:) = [1 8 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1157     B(15,12,:) = [4 5 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1158     B(15,13,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
1159     B(15,14,:) = [1 7 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
1160     B(15,15,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1161     B(15,16,:) = [1 6 4 7 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1162     B(15,17,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
1163     B(15,18,:) = [4 6 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
1164     %Down
1165     B(15,19,:) = [5 1 8 4 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
1166     B(15,20,:) = [5 4 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1167     B(15,21,:) = [8 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1168     B(15,22,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
1169     B(15,23,:) = [5 3 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
1170     B(15,24,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1171     B(15,25,:) = [5 2 8 3 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1172     B(15,26,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
1173     B(15,27,:) = [8 2 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
1174     %
.....

1175     B(16,1,:) = [6 6 7 7 0 0 0 0 0 0 0 0 0 0 0 0]; %Itself
1176     B(16,2,:) = [6 7 0 0 0 0 0 0 0 0 0 0 0 0 0 0]; %Forward
1177     B(16,3,:) = [7 6 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1178     B(16,4,:) = [6 8 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
1179     B(16,5,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right

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1180 B(16,6,:) = [6 5 7 8 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1181 B(16,7,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1182 B(16,8,:) = [7 5 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
1183 B(16,9,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
1184 %Up
1185 B(16,10,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
1186 B(16,11,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1187 B(16,12,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1188 B(16,13,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
1189 B(16,14,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
1190 B(16,15,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1191 B(16,16,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1192 B(16,17,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
1193 B(16,18,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
1194 %Down
1195 B(16,19,:) = [6 2 7 3 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
1196 B(16,20,:) = [6 3 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1197 B(16,21,:) = [7 2 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1198 B(16,22,:) = [6 4 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
1199 B(16,23,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
1200 B(16,24,:) = [6 1 7 4 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1201 B(16,25,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1202 B(16,26,:) = [7 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
1203 B(16,27,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
1204 %
.....

1205 B(17,1,:) = [5 5 6 6 7 7 8 8 0 0 0 0 0 0 0 0]; %Itself
1206 B(17,2,:) = [5 8 6 7 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1207 B(17,3,:) = [8 5 7 6 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1208 B(17,4,:) = [6 8 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
1209 B(17,5,:) = [5 7 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
1210 B(17,6,:) = [6 5 7 8 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1211 B(17,7,:) = [5 6 8 7 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1212 B(17,8,:) = [7 5 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left

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1213 B(17,9,:) = [8 6 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
1214 Right
1215 %Up
1216 B(17,10,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
1217 B(17,11,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1218 B(17,12,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1219 B(17,13,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
1220 Left
1221 B(17,14,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
1222 Right
1223 B(17,15,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1224 B(17,16,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1225 B(17,17,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
1226 Left
1227 B(17,18,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
1228 Right
1229 %Down
1230 B(17,19,:) = [5 1 6 2 7 3 8 4 0 0 0 0 0 0 0 0];%Itself
1231 B(17,20,:) = [5 4 6 3 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1232 B(17,21,:) = [8 1 7 2 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1233 B(17,22,:) = [6 4 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
1234 Left
1235 B(17,23,:) = [5 3 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
1236 Right
1237 B(17,24,:) = [6 1 7 4 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1238 B(17,25,:) = [5 2 8 3 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1239 B(17,26,:) = [7 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
1240 Left
1241 B(17,27,:) = [8 2 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
1242 Right
1243 %
1244 .....
1245 B(18,1,:) = [5 5 8 8 0 0 0 0 0 0 0 0 0 0 0 0]; %Itself
1246 B(18,2,:) = [5 8 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1247 B(18,3,:) = [8 5 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1248 B(18,4,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
1249 Left
1250 B(18,5,:) = [5 7 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
1251 Right
1252 B(18,6,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1253 B(18,7,:) = [5 6 8 7 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1254 B(18,8,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
1255 Left
1256 B(18,9,:) = [8 6 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
1257 Right
1258 %Up
1259 B(18,10,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Itself

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1279     B(19,13,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
1280     B(19,14,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
1281     B(19,15,:) = [3 8 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1282     B(19,16,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1283     B(19,17,:) = [3 5 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
1284     B(19,18,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
1285     %Down
1286     B(19,19,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
1287     B(19,20,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1288     B(19,21,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1289     B(19,22,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
1290     B(19,23,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
1291     B(19,24,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1292     B(19,25,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1293     B(19,26,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
1294     B(19,27,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
1295     %
.....

1296
1297     B(20,1,:) = [3 3 4 4 0 0 0 0 0 0 0 0 0 0 0 0]; %Itself
1298     B(20,2,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1299     B(20,3,:) = [3 2 4 1 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1300     B(20,4,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
1301     B(20,5,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
1302     B(20,6,:) = [3 4 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1303     B(20,7,:) = [4 3 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1304     B(20,8,:) = [3 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
1305     B(20,9,:) = [4 2 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
1306     %Up
1307     B(20,10,:) = [4 8 3 7 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
1308     B(20,11,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1309     B(20,12,:) = [3 6 4 5 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1310     B(20,13,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left

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1311 B(20,14,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
1312 B(20,15,:) = [3 8 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1313 B(20,16,:) = [4 7 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1314 B(20,17,:) = [3 5 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
1315 B(20,18,:) = [4 6 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
1316 %Down
1317 B(20,19,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
1318 B(20,20,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1319 B(20,21,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1320 B(20,22,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
1321 B(20,23,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
1322 B(20,24,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1323 B(20,25,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1324 B(20,26,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
1325 B(20,27,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
1326 %
.....

1327
1328 B(21,1,:) = [4 4 0 0 0 0 0 0 0 0 0 0 0 0 0 0]; %Itself
1329 B(21,2,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1330 B(21,3,:) = [4 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1331 B(21,4,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
1332 B(21,5,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
1333 B(21,6,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1334 B(21,7,:) = [4 3 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1335 B(21,8,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
1336 B(21,9,:) = [4 2 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
1337 %Up
1338 B(21,10,:) = [4 8 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
1339 B(21,11,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1340 B(21,12,:) = [4 5 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1341 B(21,13,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
1342 B(21,14,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
1343 B(21,15,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left

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1344     B(21,16,:) = [4 7 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1345     B(21,17,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
1346     B(21,18,:) = [4 6 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
1347     %Down
1348     B(21,19,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
1349     B(21,20,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1350     B(21,21,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1351     B(21,22,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
1352     B(21,23,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
1353     B(21,24,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1354     B(21,25,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1355     B(21,26,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
1356     B(21,27,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
1357     %
.....

1358
1359     B(22,1,:) = [3 3 7 7 0 0 0 0 0 0 0 0 0 0 0 0]; %Itself
1360     B(22,2,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0]; %Forward
1361     B(22,3,:) = [3 2 7 6 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1362     B(22,4,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
1363     B(22,5,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
1364     B(22,6,:) = [7 8 3 4 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1365     B(22,7,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1366     B(22,8,:) = [3 1 7 5 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
1367     B(22,9,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
1368     %Up
1369     B(22,10,:) = [3 7 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
1370     B(22,11,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1371     B(22,12,:) = [3 6 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1372     B(22,13,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
1373     B(22,14,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
1374     B(22,15,:) = [3 8 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1375     B(22,16,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1376     B(22,17,:) = [3 5 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left

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1377 B(22,18,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
1378 Right
1379 %Down
1379 B(22,19,:) = [7 3 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
1380 B(22,20,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1381 B(22,21,:) = [7 2 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1382 B(22,22,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
1383 Left
1383 B(22,23,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
1384 Right
1384 B(22,24,:) = [7 4 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1385 B(22,25,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1386 B(22,26,:) = [7 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
1387 Left
1387 B(22,27,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
1388 Right
1388 %
1388 .....
1389
1390 B(23,1,:) = [3 3 4 4 7 7 8 8 0 0 0 0 0 0 0 0]; %Itself
1391 B(23,2,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1392 B(23,3,:) = [4 1 3 2 8 5 7 6 0 0 0 0 0 0 0 0];%Backward
1393 B(23,4,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
1394 Left
1394 B(23,5,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
1395 Right
1395 B(23,6,:) = [3 4 7 8 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1396 B(23,7,:) = [4 3 8 7 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1397 B(23,8,:) = [3 1 7 5 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
1398 Left
1398 B(23,9,:) = [4 2 8 6 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
1399 Right
1399 %Up
1400 B(23,10,:) = [4 8 3 7 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
1401 B(23,11,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1402 B(23,12,:) = [3 6 4 5 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1403 B(23,13,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
1404 Left
1404 B(23,14,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
1405 Right
1405 B(23,15,:) = [3 8 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1406 B(23,16,:) = [4 7 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1407 B(23,17,:) = [3 5 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
1408 Left
1408 B(23,18,:) = [4 6 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
1409 Right
1409 %Down

```

```

1410 B(23,19,:) = [8 4 7 3 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
1411 B(23,20,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1412 B(23,21,:) = [8 1 7 2 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1413 B(23,22,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
1414 B(23,23,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
1415 B(23,24,:) = [7 4 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1416 B(23,25,:) = [8 3 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1417 B(23,26,:) = [7 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
1418 B(23,27,:) = [8 2 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
1419 %
.....

1420 B(24,1,:) = [4 4 8 8 0 0 0 0 0 0 0 0 0 0 0 0]; %Itself
1421 B(24,2,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1422 B(24,3,:) = [4 1 8 5 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1423 B(24,4,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
1424 B(24,5,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
1425 B(24,6,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1426 B(24,7,:) = [4 3 8 7 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1427 B(24,8,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
1428 B(24,9,:) = [4 2 8 6 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
1429 %Up
1430 B(24,10,:) = [4 8 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
1431 B(24,11,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1432 B(24,12,:) = [4 5 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1433 B(24,13,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
1434 B(24,14,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
1435 B(24,15,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1436 B(24,16,:) = [4 7 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1437 B(24,17,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
1438 B(24,18,:) = [4 6 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
1439 %Down
1440 B(24,19,:) = [8 4 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
1441 B(24,20,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1442 B(24,21,:) = [8 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward

```

```

1443     B(24,22,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
1444     B(24,23,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
1445     B(24,24,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1446     B(24,25,:) = [8 3 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1447     B(24,26,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
1448     B(24,27,:) = [8 2 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
1449     %
.....

1450     B(25,1,:) = [7 7 0 0 0 0 0 0 0 0 0 0 0 0 0 0]; %Itself
1451     B(25,2,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0]; %Forward
1452     B(25,3,:) = [7 6 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1453     B(25,4,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
1454     B(25,5,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
1455     B(25,6,:) = [7 8 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1456     B(25,7,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1457     B(25,8,:) = [7 5 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
1458     B(25,9,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
1459     %Up
1460     B(25,10,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
1461     B(25,11,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1462     B(25,12,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1463     B(25,13,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
1464     B(25,14,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
1465     B(25,15,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1466     B(25,16,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1467     B(25,17,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
1468     B(25,18,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
1469     %Down
1470     B(25,19,:) = [7 3 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
1471     B(25,20,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1472     B(25,21,:) = [7 2 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1473     B(25,22,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
1474     B(25,23,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right

```

```

1475 B(25,24,:) = [7 4 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1476 B(25,25,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1477 B(25,26,:) = [7 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
1478 B(25,27,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
1479 %
.....

1480 B(26,1,:) = [7 7 8 8 0 0 0 0 0 0 0 0 0 0 0 0]; %Itself
1481 B(26,2,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1482 B(26,3,:) = [8 5 7 6 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1483 B(26,4,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
1484 B(26,5,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
1485 B(26,6,:) = [7 8 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1486 B(26,7,:) = [8 7 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1487 B(26,8,:) = [7 5 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
1488 B(26,9,:) = [8 6 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
1489 %Up
1490 B(26,10,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
1491 B(26,11,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1492 B(26,12,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1493 B(26,13,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
1494 B(26,14,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
1495 B(26,15,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1496 B(26,16,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1497 B(26,17,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left
1498 B(26,18,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Right
1499 %Down
1500 B(26,19,:) = [7 3 8 4 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
1501 B(26,20,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1502 B(26,21,:) = [8 1 7 2 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1503 B(26,22,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Left
1504 B(26,23,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
Right
1505 B(26,24,:) = [7 4 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1506 B(26,25,:) = [8 3 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1507 B(26,26,:) = [7 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
Left

```



```

1508     B(26,27,:) = [8 2 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
1509     Right
1510     .....
1511     B(27,1,:) = [8 8 0 0 0 0 0 0 0 0 0 0 0 0 0 0]; %Itself
1512     B(27,2,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1513     B(27,3,:) = [8 5 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1514     B(27,4,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
1515     Left
1516     B(27,5,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
1517     Right
1518     B(27,6,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1519     B(27,7,:) = [8 7 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1520     B(27,8,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
1521     Left
1522     B(27,9,:) = [8 6 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
1523     Right
1524     %Up
1525     B(27,10,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
1526     B(27,11,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1527     B(27,12,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1528     B(27,13,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
1529     Left
1530     B(27,14,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
1531     Right
1532     B(27,15,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1533     B(27,16,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1534     B(27,17,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
1535     Left
1536     B(27,18,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
1537     Right
1538     %Down
1539     B(27,19,:) = [8 4 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Itself
1540     B(27,20,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward
1541     B(27,21,:) = [8 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward
1542     B(27,22,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
1543     Left
1544     B(27,23,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Forward +
1545     Right
1546     B(27,24,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Left
1547     B(27,25,:) = [8 3 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Right
1548     B(27,26,:) = [0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
1549     Left
1550     B(27,27,:) = [8 2 0 0 0 0 0 0 0 0 0 0 0 0 0 0];%Backward +
1551     Right
1552     return

```

```

1541 function [K11,K12,K13,K22,K23,K33,M] = SmallMatrix(Delta)
1542 %{
1543
1544 syms x
1545 syms y
1546 syms z
1547 mwb.Update(2, 1, 0, ['Matrix Creation ' num2str(10) '%']);
1548 Q = zeros(64,1)*x;
1549 icount = 1;
1550 for i = 0:3
1551     for j = 0:3
1552         for k = 0:3
1553             Q(icount,1) = x^i*y^j*z^k;
1554             icount = icount + 1;
1555         end
1556     end
1557 end
1558 mwb.Update(2, 1, 0, ['Matrix Creation ' num2str(20) '%']);
1559 K11 = zeros(size(Q,1))*x*y*z;
1560 K12 = zeros(size(Q,1))*x*y*z;
1561 K13 = zeros(size(Q,1))*x*y*z;
1562 K22 = zeros(size(Q,1))*x*y*z;
1563 K23 = zeros(size(Q,1))*x*y*z;
1564 K33 = zeros(size(Q,1))*x*y*z;
1565 M = zeros(size(Q,1))*x*y*z;
1566 mwb.Update(2, 1, 0, ['Matrix Creation ' num2str(25) '%']);
1567 for i = 1:size(Q,1)
1568     for j = 1:size(Q,1)
1569         K11(j,i) = diff(Q(j),x)*diff(Q(i),x);
1570         K12(j,i) = diff(Q(j),y)*diff(Q(i),x);
1571         K13(j,i) = diff(Q(j),z)*diff(Q(i),x);
1572         K22(j,i) = diff(Q(j),y)*diff(Q(i),y);
1573         K23(j,i) = diff(Q(j),z)*diff(Q(i),y);
1574         K33(j,i) = diff(Q(j),z)*diff(Q(i),z);
1575         M(j,i) = Q(j)*Q(i);
1576     end
1577 end
1578 mwb.Update(2, 1, 0, ['Matrix Creation ' num2str(30) '%']);
1579 K11 = int(int(int(K11,x,[0,1]),y,[0,1]),z,[0,1]);
1580 K12 = int(int(int(K12,x,[0,1]),y,[0,1]),z,[0,1]);
1581 K13 = int(int(int(K13,x,[0,1]),y,[0,1]),z,[0,1]);
1582 K22 = int(int(int(K22,x,[0,1]),y,[0,1]),z,[0,1]);
1583 K23 = int(int(int(K23,x,[0,1]),y,[0,1]),z,[0,1]);
1584 K33 = int(int(int(K33,x,[0,1]),y,[0,1]),z,[0,1]);
1585 M = int(int(int(M,x,[0,1]),y,[0,1]),z,[0,1]);
1586 mwb.Update(2, 1, 0, ['Matrix Creation ' num2str(35) '%']);
1587 T = MATRIX_T(Q);
1588 Tinv = inv(T);

```

```

1589 mwb.Update(2, 1, 0, ['Matrix Creation ' num2str(40) '%']);
1590 K11 = (Tinv)'*K11*Tinv;
1591 K12 = (Tinv)'*K12*Tinv;
1592 K13 = (Tinv)'*K13*Tinv;
1593 K22 = (Tinv)'*K22*Tinv;
1594 K23 = (Tinv)'*K23*Tinv;
1595 K33 = (Tinv)'*K33*Tinv;
1596 M = (Tinv)'*M*Tinv;
1597 mwb.Update(2, 1, 0, ['Matrix Creation ' num2str(45) '%']);
1598
1599 save('matrices.mat', 'K11', 'K12', 'K13', 'K22', 'K23', 'K33', 'M');
1600 %}
1601 L = load('matrices.mat');
1602 K11 = L.K11;
1603 K12 = L.K12;
1604 K13 = L.K13;
1605 K22 = L.K22;
1606 K23 = L.K23;
1607 K33 = L.K33;
1608 M = L.M;
1609
1610
1611 K11 = double(K11*Delta(2)*Delta(3)/Delta(1));
1612 K12 = double(K12*Delta(3));
1613 K13 = double(K13*Delta(2));
1614 K22 = double(K22*Delta(1)*Delta(3)/Delta(2));
1615 K23 = double(K23*Delta(1));
1616 K33 = double(K33*Delta(1)*Delta(2)/Delta(3));
1617 M = double(M*Delta(1)*Delta(2)*Delta(3));
1618 %mwb.Update(2, 1, 0, ['Matrix Creation ' num2str(50) '%']);
1619 return
1620
1621 function T = MATRIX_T(Q)
1622 %{
1623 syms x;
1624 syms y;
1625 syms z;
1626
1627 n = size(Q,1);
1628 T = zeros(n);
1629 for j = 1:n
1630     T(j,1) = subs(Q(j),[x,y,z],[0,1,0]);
1631     T(j,2) = subs(Q(j),[x,y,z],[0,0,0]);
1632     T(j,3) = subs(Q(j),[x,y,z],[1,0,0]);
1633     T(j,4) = subs(Q(j),[x,y,z],[1,1,0]);
1634     T(j,5) = subs(Q(j),[x,y,z],[0,1,1]);
1635     T(j,6) = subs(Q(j),[x,y,z],[0,0,1]);
1636     T(j,7) = subs(Q(j),[x,y,z],[1,0,1]);

```

```

1637 T(j,8) = subs(Q(j),[x,y,z],[1,1,1]);
1638
1639 T(j,9) = subs(diff(Q(j),x),[x,y,z],[0,1,0]);
1640 T(j,10) = subs(diff(Q(j),x),[x,y,z],[0,0,0]);
1641 T(j,11) = subs(diff(Q(j),x),[x,y,z],[1,0,0]);
1642 T(j,12) = subs(diff(Q(j),x),[x,y,z],[1,1,0]);
1643 T(j,13) = subs(diff(Q(j),x),[x,y,z],[0,1,1]);
1644 T(j,14) = subs(diff(Q(j),x),[x,y,z],[0,0,1]);
1645 T(j,15) = subs(diff(Q(j),x),[x,y,z],[1,0,1]);
1646 T(j,16) = subs(diff(Q(j),x),[x,y,z],[1,1,1]);
1647
1648 T(j,17) = subs(diff(Q(j),y),[x,y,z],[0,1,0]);
1649 T(j,18) = subs(diff(Q(j),y),[x,y,z],[0,0,0]);
1650 T(j,19) = subs(diff(Q(j),y),[x,y,z],[1,0,0]);
1651 T(j,20) = subs(diff(Q(j),y),[x,y,z],[1,1,0]);
1652 T(j,21) = subs(diff(Q(j),y),[x,y,z],[0,1,1]);
1653 T(j,22) = subs(diff(Q(j),y),[x,y,z],[0,0,1]);
1654 T(j,23) = subs(diff(Q(j),y),[x,y,z],[1,0,1]);
1655 T(j,24) = subs(diff(Q(j),y),[x,y,z],[1,1,1]);
1656
1657 T(j,25) = subs(diff(Q(j),z),[x,y,z],[0,1,0]);
1658 T(j,26) = subs(diff(Q(j),z),[x,y,z],[0,0,0]);
1659 T(j,27) = subs(diff(Q(j),z),[x,y,z],[1,0,0]);
1660 T(j,28) = subs(diff(Q(j),z),[x,y,z],[1,1,0]);
1661 T(j,29) = subs(diff(Q(j),z),[x,y,z],[0,1,1]);
1662 T(j,30) = subs(diff(Q(j),z),[x,y,z],[0,0,1]);
1663 T(j,31) = subs(diff(Q(j),z),[x,y,z],[1,0,1]);
1664 T(j,32) = subs(diff(Q(j),z),[x,y,z],[1,1,1]);
1665
1666 T(j,33) = subs(diff(diff(Q(j),x),y),[x,y,z],[0,1,0]);
1667 T(j,34) = subs(diff(diff(Q(j),x),y),[x,y,z],[0,0,0]);
1668 T(j,35) = subs(diff(diff(Q(j),x),y),[x,y,z],[1,0,0]);
1669 T(j,36) = subs(diff(diff(Q(j),x),y),[x,y,z],[1,1,0]);
1670 T(j,37) = subs(diff(diff(Q(j),x),y),[x,y,z],[0,1,1]);
1671 T(j,38) = subs(diff(diff(Q(j),x),y),[x,y,z],[0,0,1]);
1672 T(j,39) = subs(diff(diff(Q(j),x),y),[x,y,z],[1,0,1]);
1673 T(j,40) = subs(diff(diff(Q(j),x),y),[x,y,z],[1,1,1]);
1674
1675 T(j,41) = subs(diff(diff(Q(j),x),z),[x,y,z],[0,1,0]);
1676 T(j,42) = subs(diff(diff(Q(j),x),z),[x,y,z],[0,0,0]);
1677 T(j,43) = subs(diff(diff(Q(j),x),z),[x,y,z],[1,0,0]);
1678 T(j,44) = subs(diff(diff(Q(j),x),z),[x,y,z],[1,1,0]);
1679 T(j,45) = subs(diff(diff(Q(j),x),z),[x,y,z],[0,1,1]);
1680 T(j,46) = subs(diff(diff(Q(j),x),z),[x,y,z],[0,0,1]);
1681 T(j,47) = subs(diff(diff(Q(j),x),z),[x,y,z],[1,0,1]);
1682 T(j,48) = subs(diff(diff(Q(j),x),z),[x,y,z],[1,1,1]);
1683
1684 T(j,49) = subs(diff(diff(Q(j),y),z),[x,y,z],[0,1,0]);

```



1710	0 0 0 0 1 0 0 1 0 0 0 0 0 0 0 0 0 0 0 0 1 1 1 1 0 0 0 0 3 0 0 3 0 3 3 3 3 0 0 0 0 0 0 0 0;
1711	1 0 0 1 1 0 0 1 0 0 0 0 0 0 0 0 0 0 2 0 0 2 2 0 0 2 0;
1712	0 0 0 0 1 0 0 1 0 0 0 0 0 0 0 0 0 0 0 0 2 0 0 2 1 0 0 1 1 0 0 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 2 0 0 2 2 0 0 2 0 0 0 0 0 0 0 0;
1713	0 0 0 0 1 0 0 1 0 0 0 0 0 0 0 0 0 0 0 0 2 0 0 2 0 0 0 0 2 0 0 2 0 4 0 0 4 0 0 0 0 0 0 0 0;
1714	0 0 0 0 1 0 0 1 0 0 0 0 0 0 0 0 0 0 0 0 2 0 0 2 0 0 0 0 3 0 0 3 0 6 0 0 6 0 0 0 0 0 0 0 0;
1715	1 0 0 1 1 0 0 1 0 0 0 0 0 0 0 0 0 0 3 0 0 3 3 0 0 3 0;
1716	0 0 0 0 1 0 0 1 0 0 0 0 0 0 0 0 0 0 0 0 3 0 0 3 1 0 0 1 1 0 0 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 3 0 0 3 3 0 0 3 0 0 0 0 0 0 0 0;
1717	0 0 0 0 1 0 0 1 0 0 0 0 0 0 0 0 0 0 0 0 3 0 0 3 0 0 0 0 2 0 0 2 0 6 0 0 6 0 0 0 0 0 0 0 0;
1718	0 0 0 0 1 0 0 1 0 0 0 0 0 0 0 0 0 0 0 0 3 0 0 3 0 0 0 0 3 0 0 3 0 9 0 0 9 0 0 0 0 0 0 0 0;
1719	0 0 1 1 0 0 1 1 1 1 1 1 1 1 1 1 0;
1720	0 0 0 0 0 0 1 1 0 0 0 0 1 1 1 1 0 0 0 0 0 0 0 0 0 0 0 0 1 1 0 0 1 1 0 0 0 0 0 0 0 0 0 1 1 1 1 1 1 1 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0;
1721	0 0 0 0 0 0 1 1 0 0 0 0 1 1 1 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0 2 2 0 0 0 0 0 0 0 0 0 0 0 0 0 2 2 2 2 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0;
1722	0 0 0 0 0 0 1 1 0 0 0 0 1 1 1 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0 3 3 0 0 0 0 0 0 0 0 0 0 0 0 0 3 3 3 3 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0;
1723	0 0 0 1 0 0 0 1 1 0 0 1 1 0 0 1 0 0 1 1 0 0 1 1 0 0 0 0 0 0 0 0 1 1 1 1 1 1 1 1 0;
1724	0 0 0 0 0 0 0 1 0 0 0 0 1 0 0 1 0 0 0 0 0 0 0 1 1 0 0 0 1 0 0 0 1 0 0 0 0 1 1 1 1 1 0 0 1 1 0 0 1 0 0 1 1 0 0 1 1 1 1 1 1 1 1 1 1 1;
1725	0 0 0 0 0 0 0 1 0 0 0 0 1 0 0 1 0 0 0 0 0 0 0 1 1 0 0 0 0 0 0 2 0 0 0 0 1 1 1 1 0 0 0 0 2 0 0 2 0 0 0 0 0 0 2 2 0 0 0 0 2 2 2 2;

1726	0 0 0 0 0 0 0 1 0 0 0 0 1 0 0 1 0 0 0 0 0 1 1 0 0 0 0 0 0 0
	3 0 0 0 0 0 1 1 1 1 0 0 0 0 3 0 0 3 0 0 0 0 0 3 3 0 0 0 0 3
	3 3 3;
1727	0 0 0 1 0 0 0 1 1 0 0 1 1 0 0 1 0 0 0 2 0 0 0 2 0 0 0 0 0 0
	0 2 0 0 2 2 0 0 2 0
	0 0 0;
1728	0 0 0 0 0 0 0 1 0 0 0 0 1 0 0 1 0 0 0 0 0 0 2 0 0 0 1 0 0 0
	1 0 0 0 0 2 0 0 2 1 0 0 1 1 0 0 1 0 0 0 2 0 0 0 2 2 0 0 2 2
	0 0 2;
1729	0 0 0 0 0 0 0 1 0 0 0 0 1 0 0 1 0 0 0 0 0 0 2 0 0 0 0 0 0 0
	2 0 0 0 0 2 0 0 2 0 0 0 0 2 0 0 2 0 0 0 0 0 0 0 4 0 0 0 0 4
	0 0 4;
1730	0 0 0 0 0 0 0 1 0 0 0 0 1 0 0 1 0 0 0 0 0 0 2 0 0 0 0 0 0 0
	3 0 0 0 0 2 0 0 2 0 0 0 0 3 0 0 3 0 0 0 0 0 0 0 6 0 0 0 0 6
	0 0 6;
1731	0 0 0 1 0 0 0 1 1 0 0 1 1 0 0 1 0 0 0 3 0 0 0 3 0 0 0 0 0 0
	0 3 0 0 3 3 0 0 3 0
	0 0 0;
1732	0 0 0 0 0 0 0 1 0 0 0 0 1 0 0 1 0 0 0 0 0 0 3 0 0 0 1 0 0 0
	1 0 0 0 0 3 0 0 3 1 0 0 1 1 0 0 1 0 0 0 3 0 0 0 3 3 0 0 3 3
	0 0 3;
1733	0 0 0 0 0 0 0 1 0 0 0 0 1 0 0 1 0 0 0 0 0 0 3 0 0 0 0 0 0 0
	2 0 0 0 0 3 0 0 3 0 0 0 0 2 0 0 2 0 0 0 0 0 0 0 6 0 0 0 0 6
	0 0 6;
1734	0 0 0 0 0 0 0 1 0 0 0 0 1 0 0 1 0 0 0 0 0 0 3 0 0 0 0 0 0 0
	3 0 0 0 0 3 0 0 3 0 0 0 0 3 0 0 3 0 0 0 0 0 0 0 9 0 0 0 0 9
	0 0 9;
1735	0 0 1 1 0 0 1 1 0 0 2 2 0 0 2 2 0 0 0 0 0 0 0 0 0 0 0 0 0 0
	0 0
	0 0 0;
1736	0 0 0 0 0 0 1 1 0 0 0 0 0 0 2 2 0 0 0 0 0 0 0 0 0 0 1 1 0 0 1
	1 0 0 0 0 0 0 0 0 0 0 0 2 2 0 0 2 2 0 0 0 0 0 0 0 0 0 0 0 0
	0 0 0;
1737	0 0 0 0 0 0 1 1 0 0 0 0 0 0 2 2 0 0 0 0 0 0 0 0 0 0 0 0 0 2
	2 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 4 4 0 0 0 0 0 0 0 0 0 0 0
	0 0 0;
1738	0 0 0 0 0 0 1 1 0 0 0 0 0 0 2 2 0 0 0 0 0 0 0 0 0 0 0 0 0 3
	3 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 6 6 0 0 0 0 0 0 0 0 0 0 0
	0 0 0;
1739	0 0 0 1 0 0 0 1 0 0 0 2 0 0 0 2 0 0 1 1 0 0 1 1 0 0 0 0 0 0
	0 0 0 2 2 0 0 2 2 0
	0 0 0;
1740	0 0 0 0 0 0 0 1 0 0 0 0 0 0 0 2 0 0 0 0 0 0 1 1 0 0 0 1 0 0 0
	1 0 0 0 0 0 0 2 2 0 0 0 2 0 0 0 2 0 0 1 1 0 0 1 1 0 0 2 2 0
	0 2 2;
1741	0 0 0 0 0 0 0 1 0 0 0 0 0 0 0 2 0 0 0 0 0 0 1 1 0 0 0 0 0 0
	2 0 0 0 0 0 0 2 2 0 0 0 0 0 0 0 4 0 0 0 0 0 0 2 2 0 0 0 0 0
	0 4 4;

1742	0 0 0 0 0 0 0 1 0 0 0 0 0 0 0 2 0 0 0 0 0 0 1 1 0 0 0 0 0 0 0 3 0 0 0 0 0 0 2 2 0 0 0 0 0 0 0 6 0 0 0 0 0 0 3 3 0 0 0 0 0 0 6 6;
1743	0 0 0 1 0 0 0 1 0 0 0 2 0 0 0 2 0 0 0 2 0 0 0 2 0 0 0 0 0 0 0 0 0 0 0 4 0 0 0 4 0;
1744	0 0 0 0 0 0 0 1 0 0 0 0 0 0 0 2 0 0 0 0 0 0 2 0 0 0 1 0 0 0 1 0 0 0 0 0 0 0 4 0 0 0 2 0 0 0 2 0 0 0 2 0 0 0 2 0 0 0 4 0 0 0 4;
1745	0 0 0 0 0 0 0 1 0 0 0 0 0 0 0 2 0 0 0 0 0 0 2 0 0 0 0 0 0 0 2 0 0 0 0 0 0 0 4 0 0 0 0 0 0 0 4 0 0 0 0 0 0 4 0 0 0 0 0 0 0 8;
1746	0 0 0 0 0 0 0 1 0 0 0 0 0 0 0 2 0 0 0 0 0 0 2 0 0 0 0 0 0 0 3 0 0 0 0 0 0 0 4 0 0 0 0 0 0 0 6 0 0 0 0 0 0 6 0 0 0 0 0 0 0 12;
1747	0 0 0 1 0 0 0 1 0 0 0 2 0 0 0 2 0 0 0 3 0 0 0 3 0 0 0 0 0 0 0 0 0 0 0 6 0 0 0 6 0;
1748	0 0 0 0 0 0 0 1 0 0 0 0 0 0 0 2 0 0 0 0 0 0 3 0 0 0 1 0 0 0 1 0 0 0 0 0 0 0 6 0 0 0 2 0 0 0 2 0 0 0 3 0 0 0 3 0 0 0 6 0 0 0 6;
1749	0 0 0 0 0 0 0 1 0 0 0 0 0 0 0 2 0 0 0 0 0 0 3 0 0 0 0 0 0 0 2 0 0 0 0 0 0 0 6 0 0 0 0 0 0 0 4 0 0 0 0 0 0 6 0 0 0 0 0 0 0 12;
1750	0 0 0 0 0 0 0 1 0 0 0 0 0 0 0 2 0 0 0 0 0 0 3 0 0 0 0 0 0 0 3 0 0 0 0 0 0 0 6 0 0 0 0 0 0 0 6 0 0 0 0 0 0 9 0 0 0 0 0 0 0 18;
1751	0 0 1 1 0 0 1 1 0 0 3 3 0 0 3 3 0;
1752	0 0 0 0 0 0 1 1 0 0 0 0 0 0 3 3 0 0 0 0 0 0 0 0 0 0 1 1 0 0 1 1 0 0 0 0 0 0 0 0 0 0 0 3 3 0 0 3 3 0 0 0 0 0 0 0 0 0 0 0 0 0 0;
1753	0 0 0 0 0 0 1 1 0 0 0 0 0 0 3 3 0 0 0 0 0 0 0 0 0 0 0 0 0 2 2 0 0 0 0 0 0 0 0 0 0 0 0 0 0 6 6 0 0 0 0 0 0 0 0 0 0 0 0 0 0;
1754	0 0 0 0 0 0 1 1 0 0 0 0 0 0 3 3 0 0 0 0 0 0 0 0 0 0 0 0 0 3 3 0 0 0 0 0 0 0 0 0 0 0 0 0 0 9 9 0 0 0 0 0 0 0 0 0 0 0 0 0 0;
1755	0 0 0 1 0 0 0 1 0 0 0 3 0 0 0 3 0 0 1 1 0 0 1 1 0 0 0 0 0 0 0 0 0 3 3 0 0 3 3 0;
1756	0 0 0 0 0 0 0 1 0 0 0 0 0 0 3 0 0 0 0 0 0 1 1 0 0 0 1 0 0 0 1 0 0 0 0 0 0 3 3 0 0 0 3 0 0 0 3 0 0 1 1 0 0 1 1 0 0 3 3 0 0 3 3;
1757	0 0 0 0 0 0 0 1 0 0 0 0 0 0 3 0 0 0 0 0 0 1 1 0 0 0 0 0 0 0 2 0 0 0 0 0 0 3 3 0 0 0 0 0 0 6 0 0 0 0 0 0 2 2 0 0 0 0 0 0 6 6;



```

1758 0 0 0 0 0 0 0 1 0 0 0 0 0 0 0 0 3 0 0 0 0 0 0 1 1 0 0 0 0 0 0 0
      3 0 0 0 0 0 0 3 3 0 0 0 0 0 0 0 9 0 0 0 0 0 0 3 3 0 0 0 0 0 0
      0 9 9;
1759 0 0 0 1 0 0 0 1 0 0 0 3 0 0 0 3 0 0 0 2 0 0 0 2 0 0 0 0 0 0 0
      0 0 0 0 6 0 0 0 6 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0
      0 0 0;
1760 0 0 0 0 0 0 0 1 0 0 0 0 0 0 0 3 0 0 0 0 0 0 2 0 0 0 1 0 0 0
      1 0 0 0 0 0 0 6 0 0 0 3 0 0 0 3 0 0 0 2 0 0 0 2 0 0 0 6 0
      0 0 6;
1761 0 0 0 0 0 0 0 1 0 0 0 0 0 0 0 3 0 0 0 0 0 0 2 0 0 0 0 0 0 0
      2 0 0 0 0 0 0 6 0 0 0 0 0 0 0 6 0 0 0 0 0 0 4 0 0 0 0 0 0
      0 0 12;
1762 0 0 0 0 0 0 0 1 0 0 0 0 0 0 0 3 0 0 0 0 0 0 2 0 0 0 0 0 0 0
      3 0 0 0 0 0 0 6 0 0 0 0 0 0 0 9 0 0 0 0 0 0 6 0 0 0 0 0 0
      0 0 18;
1763 0 0 0 1 0 0 0 1 0 0 0 3 0 0 0 3 0 0 0 3 0 0 0 3 0 0 0 0 0 0
      0 0 0 0 9 0 0 0 9 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0
      0 0 0;
1764 0 0 0 0 0 0 0 1 0 0 0 0 0 0 0 3 0 0 0 0 0 0 3 0 0 0 1 0 0 0
      1 0 0 0 0 0 0 9 0 0 0 3 0 0 0 3 0 0 0 3 0 0 0 3 0 0 0 9 0
      0 0 9;
1765 0 0 0 0 0 0 0 1 0 0 0 0 0 0 0 3 0 0 0 0 0 0 3 0 0 0 0 0 0 0
      2 0 0 0 0 0 0 9 0 0 0 0 0 0 0 6 0 0 0 0 0 0 6 0 0 0 0 0 0
      0 0 18;
1766 0 0 0 0 0 0 0 1 0 0 0 0 0 0 0 3 0 0 0 0 0 0 3 0 0 0 0 0 0 0
      3 0 0 0 0 0 0 9 0 0 0 0 0 0 0 9 0 0 0 0 0 0 9 0 0 0 0 0 0
      0 0 27];
1767 T = T';
1768 return;
1769
1770 function [B11,B12,B13,B22,B23,B33,BM] = AddMatrix(K11,K12,K13,
      K22,K23,K33,M)
1771 B = AdjacentType();
1772 B11 = zeros(216,216);
1773 B12 = zeros(216,216);
1774 B13 = zeros(216,216);
1775 B22 = zeros(216,216);
1776 B23 = zeros(216,216);
1777 B33 = zeros(216,216);
1778 BM = zeros(216,216);
1779 for g = 1:8
1780     for f = 1:8
1781         for i = 1:27
1782             for j = 1:27
1783                 for k = 1:2:15
1784                     if B(i,j,k) ~= 0
1785                         B11(i+(g-1)*27,j+(f-1)*27) = B11(i+(g-1)
*27,j+(f-1)*27) + K11(B(i,j,k)+(g-1)*8,B(i,j,k+1)+(f-1)*8);

```

```

1786         B12(i+(g-1)*27,j+(f-1)*27) = B12(i+(g-1)
*27,j+(f-1)*27) + K12(B(i,j,k)+(g-1)*8,B(i,j,k+1)+(f-1)*8);
1787         B13(i+(g-1)*27,j+(f-1)*27) = B13(i+(g-1)
*27,j+(f-1)*27) + K13(B(i,j,k)+(g-1)*8,B(i,j,k+1)+(f-1)*8);
1788         B22(i+(g-1)*27,j+(f-1)*27) = B22(i+(g-1)
*27,j+(f-1)*27) + K22(B(i,j,k)+(g-1)*8,B(i,j,k+1)+(f-1)*8);
1789         B23(i+(g-1)*27,j+(f-1)*27) = B23(i+(g-1)
*27,j+(f-1)*27) + K23(B(i,j,k)+(g-1)*8,B(i,j,k+1)+(f-1)*8);
1790         B33(i+(g-1)*27,j+(f-1)*27) = B33(i+(g-1)
*27,j+(f-1)*27) + K33(B(i,j,k)+(g-1)*8,B(i,j,k+1)+(f-1)*8);
1791         BM(i+(g-1)*27,j+(f-1)*27) = BM(i+(g-1)*27,j
+(f-1)*27) + M(B(i,j,k)+(g-1)*8,B(i,j,k+1)+(f-1)*8);
1792         else
1793             break
1794         end
1795     end
1796 end
1797 end
1798 end
1799 end
1800 return;
1801
1802 function [K11,K12,K13,K22,K23,K33,M,D,E] = Matrices(Delta,N,
method)
1803 %mwb.Update(2, 1, 0, ['Matrix Creation ' num2str(0) '%']);
1804 [K11q,K12q,K13q,K22q,K23q,K33q,Mq] = SmallMatrix(Delta);
1805 [B11,B12,B13,B22,B23,B33,BM] = AddMatrix(K11q,K12q,K13q,K22q,
K23q,K33q,Mq);
1806 %{
1807 K11 = spalloc((N(1)+1)*(N(2)+1)*(N(3)+1),(N(1)+1)*(N(2)+1)*(N
(3)+1),(N(1)+1)*(N(2)+1)*(N(3)+1)*27);
1808 K12 = spalloc((N(1)+1)*(N(2)+1)*(N(3)+1),(N(1)+1)*(N(2)+1)*(N
(3)+1),(N(1)+1)*(N(2)+1)*(N(3)+1)*27);
1809 K13 = spalloc((N(1)+1)*(N(2)+1)*(N(3)+1),(N(1)+1)*(N(2)+1)*(N
(3)+1),(N(1)+1)*(N(2)+1)*(N(3)+1)*27);
1810 K22 = spalloc((N(1)+1)*(N(2)+1)*(N(3)+1),(N(1)+1)*(N(2)+1)*(N
(3)+1),(N(1)+1)*(N(2)+1)*(N(3)+1)*27);
1811 K23 = spalloc((N(1)+1)*(N(2)+1)*(N(3)+1),(N(1)+1)*(N(2)+1)*(N
(3)+1),(N(1)+1)*(N(2)+1)*(N(3)+1)*27);
1812 K33 = spalloc((N(1)+1)*(N(2)+1)*(N(3)+1),(N(1)+1)*(N(2)+1)*(N
(3)+1),(N(1)+1)*(N(2)+1)*(N(3)+1)*27);
1813 M = spalloc((N(1)+1)*(N(2)+1)*(N(3)+1),(N(1)+1)*(N(2)+1)*(N(3)
+1),(N(1)+1)*(N(2)+1)*(N(3)+1)*27);
1814 %}
1815 [D,E] = Domain(N,Delta);
1816 A = Adjacent(N,D);
1817 T = Type(N,A);
1818 %

```

```

1819
1820 %mwb.Update(2, 1, 0, ['Matrix Creation ' num2str(55) '%']);
1821 %{
1822 for i = 1:(N(1)+1)*(N(2)+1)*(N(3)+1)
1823     mwb.Update(2, 1, i/((N(1)+1)*(N(2)+1)*(N(3)+1)+1), ['Matrix
1824         Creation ' num2str(i/((N(1)+1)*(N(2)+1)*(N(3)+1)+1)*100) '
1825         %']);
1826     for j = 1:27
1827         k = 1;
1828         while (B(T(i),j,k) ~= 0 && ~isnan(A(i,j)))
1829             K11(i,A(i,j)) = K11(i,A(i,j)) + K11q(B(T(i),j,k),B(
1830                 T(i),j,k+1));
1831             K12(i,A(i,j)) = K12(i,A(i,j)) + K12q(B(T(i),j,k),B(
1832                 T(i),j,k+1));
1833             K13(i,A(i,j)) = K13(i,A(i,j)) + K13q(B(T(i),j,k),B(
1834                 T(i),j,k+1));
1835             K22(i,A(i,j)) = K22(i,A(i,j)) + K22q(B(T(i),j,k),B(
1836                 T(i),j,k+1));
1837             K23(i,A(i,j)) = K23(i,A(i,j)) + K23q(B(T(i),j,k),B(
1838                 T(i),j,k+1));
1839             K33(i,A(i,j)) = K33(i,A(i,j)) + K33q(B(T(i),j,k),B(
1840                 T(i),j,k+1));
1841             M(i,A(i,j)) = M(i,A(i,j)) + Mq(B(T(i),j,k),B(T(i),j
1842                 ,k+1));
1843             k = k + 2;
1844             if(k >= 16)
1845                 break;
1846             end
1847         end
1848     end
1849 end
1850 %}
1851 n = 0;
1852 for i = 1:(N(1)+1)*(N(2)+1)*(N(3)+1)
1853     for j = 1:27
1854         if ~isnan(A(i,j))
1855             n = n + 1;
1856         end
1857     end
1858 end
1859 NAN_A = ~isnan(A);

```

```

1858 A2 = repmat(A(:,1),1,size(A,2));
1859 A3 = repmat([1:27]',1,size(A,1))';
1860 iy = A(NAN_A);
1861 ix = A2(NAN_A);
1862 iz = A3(NAN_A);
1863 [ix iy iz];
1864
1865 for i = 1:size(iy,1)
1866     mwb.Update(2, 1, i/(size(iy,1)), ['Matrix Creation '
1867         num2str(i/size(iy,1)*100) '%']);
1868     k = 1;
1869     while(k < 16 && B(T(ix(i)),iz(i),k) ~= 0)
1870         K11s(i) = K11s(i) + K11q(B(T(ix(i)),iz(i),k),B(T(ix(i))
1871             ,iz(i),k+1));
1872         K12s(i) = K12s(i) + K12q(B(T(ix(i)),iz(i),k),B(T(ix(i))
1873             ,iz(i),k+1));
1874         K13s(i) = K13s(i) + K13q(B(T(ix(i)),iz(i),k),B(T(ix(i))
1875             ,iz(i),k+1));
1876         K22s(i) = K22s(i) + K22q(B(T(ix(i)),iz(i),k),B(T(ix(i))
1877             ,iz(i),k+1));
1878         K23s(i) = K23s(i) + K23q(B(T(ix(i)),iz(i),k),B(T(ix(i))
1879             ,iz(i),k+1));
1880         K33s(i) = K33s(i) + K33q(B(T(ix(i)),iz(i),k),B(T(ix(i))
1881             ,iz(i),k+1));
1882         Ms(i) = Ms(i) + Mq(B(T(ix(i)),iz(i),k),B(T(ix(i)),iz(i)
1883             ,k+1));
1884         k = k + 2;
1885     end
1886 end
1887 %}
1888 %%{
1889
1890 if (method == 2)
1891     % mwb.Update(2, 1, 0.1, ['Matrix Creation ' num2str(55)
1892         '%']);
1893     InvA = A';
1894     NAN_A = ~isnan(InvA);
1895     A2 = repmat([1:27]',1,size(InvA,2))';
1896     A3 = repmat(1:size(A,1),size(A,2),1)';
1897     InvA3 = A3';
1898     InvA2 = A2';
1899     iy1 = InvA(NAN_A);
1900     ix1 = InvA3(NAN_A);
1901     iz1 = InvA2(NAN_A);
1902     Typex1 = T(ix1);
1903
1904     iy = [];
1905     ix = [];

```

```

1897     iz = [];
1898     Typex = [];
1899
1900
1901     for i = 1:8
1902         for j = 1:8
1903             iy = [iy; iy1+(j-1)*size(A,1)];
1904             iz = [iz; iz1+(j-1)*27];
1905             ix = [ix; ix1+(i-1)*size(A,1)];
1906             Typex = [Typex; Typex1+(i-1)*27];
1907         end
1908     end
1909
1910
1911
1912     %BAdd = B(Typex,Typey,:);
1913     %mwb.Update(2, 1, 0.2, ['Matrix Creation ' num2str(60)
1914     '%']);
1915     K11s = B11(sub2ind(size(B11),Typex,iz));
1916     %mwb.Update(2, 1, 0.3, ['Matrix Creation ' num2str(65)
1917     '%']);
1918     K12s = B12(sub2ind(size(B12),Typex,iz));
1919     %mwb.Update(2, 1, 0.4, ['Matrix Creation ' num2str(70)
1920     '%']);
1921     K13s = B13(sub2ind(size(B13),Typex,iz));
1922     %mwb.Update(2, 1, 0.5, ['Matrix Creation ' num2str(75)
1923     '%']);
1924     K22s = B22(sub2ind(size(B22),Typex,iz));
1925     %mwb.Update(2, 1, 0.6, ['Matrix Creation ' num2str(80)
1926     '%']);
1927     K23s = B23(sub2ind(size(B23),Typex,iz));
1928     %mwb.Update(2, 1, 0.7, ['Matrix Creation ' num2str(85)
1929     '%']);
1930     K33s = B33(sub2ind(size(B33),Typex,iz));
1931     %mwb.Update(2, 1, 0.8, ['Matrix Creation ' num2str(90)
1932     '%']);
1933     Ms = BM(sub2ind(size(BM),Typex,iz));
1934     %mwb.Update(2, 1, 0.9, ['Matrix Creation ' num2str(95)
1935     '%']);
1936     %mwb.Update(2, 1, 0.9, ['Matrix Creation ' num2str(95)
1937     '%']);
1938 elseif (method == 1)
1939     B = AdjacentType();
1940     K11s = zeros(n,1);
1941     K12s = zeros(n,1);
1942     K13s = zeros(n,1);
1943     K22s = zeros(n,1);
1944     K23s = zeros(n,1);
1945     K33s = zeros(n,1);
1946     Ms = zeros(n,1);

```

```

1937     ix = zeros(n,1);
1938     iy = zeros(n,1);
1939     ii = 1;
1940     for i = 1:(N(1)+1)*(N(2)+1)*(N(3)+1)
1941         %mwb.Update(2, 1, i/((N(1)+1)*(N(2)+1)*(N(3)+1)+1), ['
Matrix Creation ' num2str(i/((N(1)+1)*(N(2)+1)*(N(3)+1)+1)
*100) '%']);
1942         for j = 1:27
1943             if ~isnan(A(i,j))
1944                 ix(ii) = A(i,1);
1945                 iy(ii) = A(i,j);
1946                 k = 1;
1947                 while (B(T(i),j,k) ~= 0 && ~isnan(A(i,j)))
1948
1949                     K11s(ii) = K11s(ii) + K11q(B(T(i),j,k),B(T(i),j
,k+1));
1950                     K12s(ii) = K12s(ii) + K12q(B(T(i),j,k),B(T(i),j
,k+1));
1951                     K13s(ii) = K13s(ii) + K13q(B(T(i),j,k),B(T(i),j
,k+1));
1952                     K22s(ii) = K22s(ii) + K22q(B(T(i),j,k),B(T(i),j
,k+1));
1953                     K23s(ii) = K23s(ii) + K23q(B(T(i),j,k),B(T(i),j
,k+1));
1954                     K33s(ii) = K33s(ii) + K33q(B(T(i),j,k),B(T(i),j
,k+1));
1955                     Ms(ii) = Ms(ii) + Mq(B(T(i),j,k),B(T(i),j,k+1))
;
1956                     k = k + 2;
1957                     if(k >= 16)
1958                         break;
1959                     end
1960                 end
1961                 Tempi(ii) = T(i);
1962                 Tempj(ii) = j;
1963                 ii = ii +1;
1964             end
1965         end
1966     end
1967 end
1968
1969 %}
1970 K11 = sparse(ix,iy,K11s,8*(N(1)+1)*(N(2)+1)*(N(3)+1),8*(N(1)+1)
*(N(2)+1)*(N(3)+1));
1971 K12 = sparse(ix,iy,K12s,8*(N(1)+1)*(N(2)+1)*(N(3)+1),8*(N(1)+1)
*(N(2)+1)*(N(3)+1));
1972 K13 = sparse(ix,iy,K13s,8*(N(1)+1)*(N(2)+1)*(N(3)+1),8*(N(1)+1)
*(N(2)+1)*(N(3)+1));

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```

1973 K22 = sparse(ix,iy,K22s,8*(N(1)+1)*(N(2)+1)*(N(3)+1),8*(N(1)+1)
      *(N(2)+1)*(N(3)+1));
1974 K23 = sparse(ix,iy,K23s,8*(N(1)+1)*(N(2)+1)*(N(3)+1),8*(N(1)+1)
      *(N(2)+1)*(N(3)+1));
1975 K33 = sparse(ix,iy,K33s,8*(N(1)+1)*(N(2)+1)*(N(3)+1),8*(N(1)+1)
      *(N(2)+1)*(N(3)+1));
1976 M = sparse(ix,iy,Ms,8*(N(1)+1)*(N(2)+1)*(N(3)+1),8*(N(1)+1)*(N
      (2)+1)*(N(3)+1));
1977 %{
1978 B(T(1:(N(1)+1)*(N(2)+1)*(N(3)+1)),1:27,2:2:16)
1979 K11q(B(T(1:(N(1)+1)*(N(2)+1)*(N(3)+1)),1:27,1:2:15),B(T(1:(N(1)
      +1)*(N(2)+1)*(N(3)+1)),1:27,2:2:16))
1980
1981 sum(K11q(B(T(1:(N(1)+1)*(N(2)+1)*(N(3)+1)),1:27,1:2:15)>0,B(T
      (1:(N(1)+1)*(N(2)+1)*(N(3)+1)),1:27,2:2:16))>0)
1982 K11(1:(N(1)+1)*(N(2)+1)*(N(3)+1),1:(N(1)+1)*(N(2)+1)*(N(3)+1))
      = sum(B(T(1:(N(1)+1)*(N(2)+1)*(N(3)+1)),1:27,1:2:15))
1983 K11(1,:)
1984 size(K11)
1985 K11(1:(N(1)+1)*(N(2)+1)*(N(3)+1),A(~isnan(A(1:(N(1)+1)*(N(2)+1)
      *(N(3)+1),1:27)))) = sum(K11q(B(T(1:(N(1)+1)*(N(2)+1)*(N
      (3)+1)),1:27,1:2:15)>0,B(T(1:(N(1)+1)*(N(2)+1)*(N(3)+1))
      ,1:27,2:2:1))>0);
1986 %}
1987
1988 %mwb.Update(2, 1, 1, ['Matrix Creation ' num2str(100) '%']);
1989 return;
1990
1991 function T = Type(N,A)
1992 T = zeros((N(1)+1)*(N(2)+1)*(N(3)+1),1);
1993 TEST = [1      10      nan      11      nan      2      nan      nan      nan      4
          13      nan      14      nan      5      nan      nan      nan      nan
          nan      nan      nan      nan      nan      nan      nan      nan;
1994      2      11      nan      12      10      3      1      nan      nan      5
          14      nan      15      13      6      4      nan      nan      nan
          nan      nan      nan      nan      nan      nan      nan      nan;
1995      3      12      nan      nan      11      nan      2      nan      nan      6
          15      nan      nan      14      nan      5      nan      nan      nan
          nan      nan      nan      nan      nan      nan      nan      nan;
1996      4      13      nan      14      nan      5      nan      nan      nan      7
          16      nan      17      nan      8      nan      nan      nan      1
          10      nan      11      nan      2      nan      nan      nan;
1997      5      14      nan      15      13      6      4      nan      nan      8
          17      nan      18      16      9      7      nan      nan      2
          11      nan      12      10      3      1      nan      nan;
1998      6      15      nan      nan      14      nan      5      nan      nan      9
          18      nan      nan      17      nan      8      nan      nan      3
          12      nan      nan      11      nan      2      nan      nan;

```

1999		7	16	nan	17	nan	8	nan	nan	nan	nan
		nan	nan	nan	nan	nan	nan	nan	nan	4	
	13	nan	14	nan	5	nan	nan	nan;			
2000		8	17	nan	18	16	9	7	nan	nan	nan
		nan	nan	nan	nan	nan	nan	nan	nan	5	
	14	nan	15	13	6	4	nan	nan;			
2001		9	18	nan	nan	17	nan	8	nan	nan	nan
		nan	nan	nan	nan	nan	nan	nan	nan	6	
	15	nan	nan	14	nan	5	nan	nan;			
2002		10	19	1	20	nan	11	nan	2	nan	
	13	22	4	23	nan	14	nan	5	nan	nan	
	nan	nan	nan	nan	nan	nan	nan	nan;			
2003		11	20	2	21	19	12	10	3	1	
	14	23	5	24	22	15	13	6	4	nan	
	nan	nan	nan	nan	nan	nan	nan	nan;			
2004		12	21	3	nan	20	nan	11	nan	2	
	15	24	6	nan	23	nan	14	nan	5	nan	
	nan	nan	nan	nan	nan	nan	nan	nan;			
2005		13	22	4	23	nan	14	nan	5	nan	
	16	25	7	26	nan	17	nan	8	nan	10	
	19	1	20	nan	11	nan	2	nan;			
2006		14	23	5	24	22	15	13	6	4	
	17	26	8	27	25	18	16	9	7	11	
	20	2	21	19	12	10	3	1;			
2007		15	24	6	nan	23	nan	14	nan	5	
	18	27	9	nan	26	nan	17	nan	8	12	
	21	3	nan	20	nan	11	nan	2;			
2008		16	25	7	26	nan	17	nan	8	nan	
	nan	nan	nan	nan	nan	nan	nan	nan	nan	13	
	22	4	23	nan	14	nan	5	nan;			
2009		17	26	8	27	25	18	16	9	7	
	nan	nan	nan	nan	nan	nan	nan	nan	nan	14	
	23	5	24	22	15	13	6	4;			
2010		18	27	9	nan	26	nan	17	nan	8	
	nan	nan	nan	nan	nan	nan	nan	nan	nan	15	
	24	6	nan	23	nan	14	nan	5;			
2011		19	nan	10	nan	nan	20	nan	11	nan	
	22	nan	13	nan	nan	23	nan	14	nan	nan	
	nan	nan	nan	nan	nan	nan	nan	nan;			
2012		20	nan	11	nan	nan	21	19	12	10	
	23	nan	14	nan	nan	24	22	15	13	nan	
	nan	nan	nan	nan	nan	nan	nan	nan;			
2013		21	nan	12	nan	nan	nan	20	nan	11	
	24	nan	15	nan	nan	nan	23	nan	14	nan	
	nan	nan	nan	nan	nan	nan	nan	nan;			
2014		22	nan	13	nan	nan	23	nan	14	nan	
	25	nan	16	nan	nan	26	nan	17	nan	19	
	nan	10	nan	nan	20	nan	11	nan;			



```

2015      23    nan    14    nan    nan    24    22    15    13
2016      26    nan    17    nan    nan    27    25    18    16    20
      nan    11    nan    nan    21    19    12    10;
2016      24    nan    15    nan    nan    nan    23    nan    14
      27    nan    18    nan    nan    nan    26    nan    17    21
      nan    12    nan    nan    nan    20    nan    11;
2017      25    nan    16    nan    nan    26    nan    17    nan
      nan    nan    nan    nan    nan    nan    nan    nan    nan    22
      nan    13    nan    nan    23    nan    14    nan;
2018      26    nan    17    nan    nan    27    25    18    16
      nan    nan    nan    nan    nan    nan    nan    nan    nan    23
      nan    14    nan    nan    24    22    15    13;
2019      27    nan    18    nan    nan    nan    26    nan    17
      nan    nan    nan    nan    nan    nan    nan    nan    nan    24
      nan    15    nan    nan    nan    23    nan    14];
2020 for i = 1:(N(1)+1)*(N(2)+1)*(N(3)+1)
2021     for j = 1:27
2022         bflag = true;
2023         for k = 1:27
2024             if(isnan(A(i,k))~= isnan(TEST(j,k)))
2025                 bflag = false;
2026             end
2027         end
2028         if(bflag == true)
2029             T(i) = j;
2030             break;
2031         end
2032     end
2033 end
2034 return

```