

Tree -

- hierarchical data structure to represent and organize data

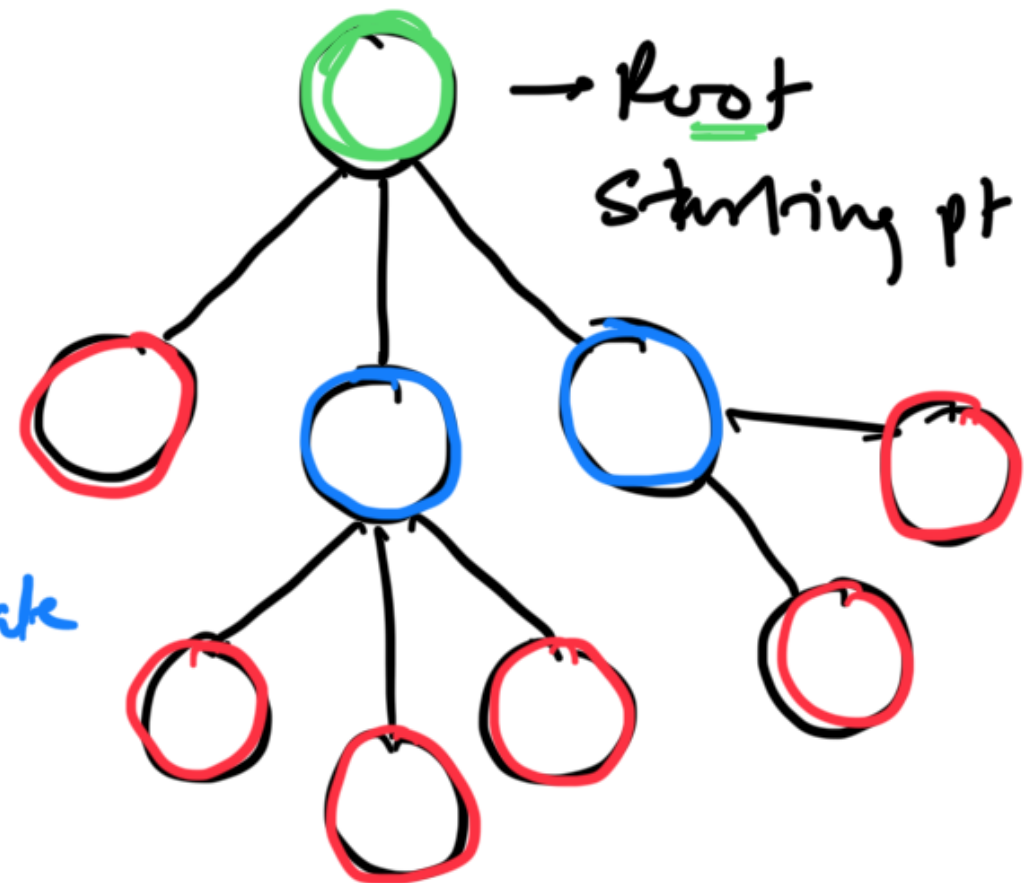
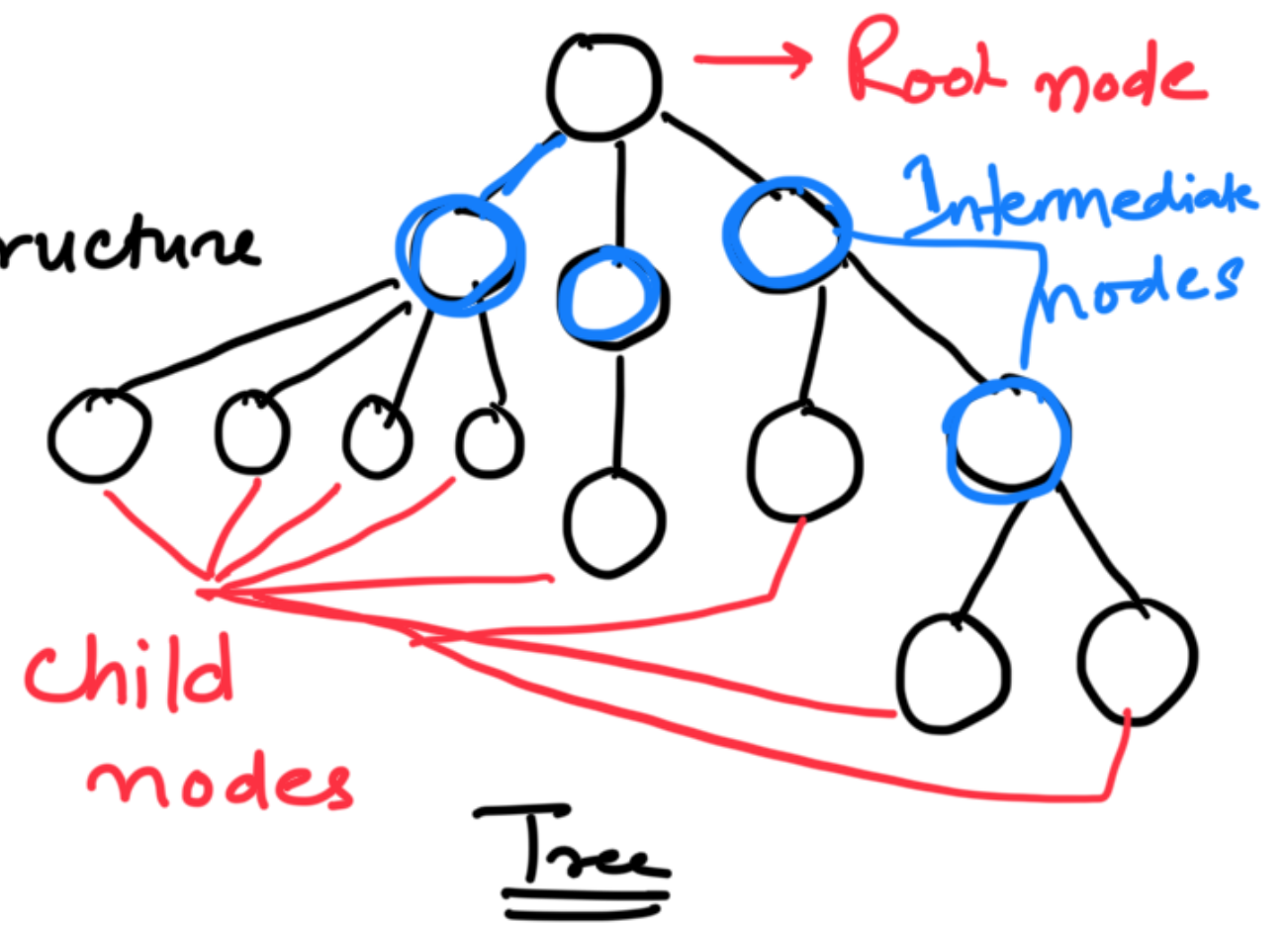
- Nodes + Edges



- Parent - child

○ → leaf nodes

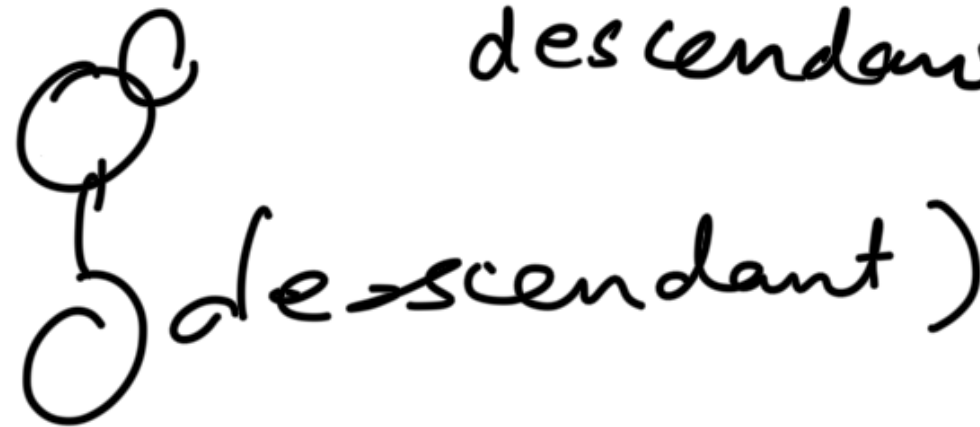
Intermediate Nodes



Tree Terminologies

Type of structure defines the different names of the child

1. Parent Node — node that has 1/more child nodes
2. Child Node — node that is a direct descendant of another node



3. Root node — having no parents
4. Leaf node — having no children

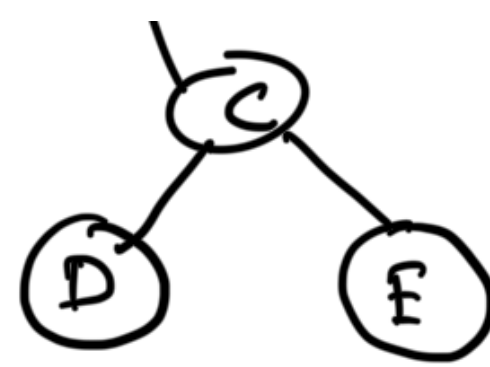
Root node — A



Child nodes - B, C, D, E

(B)

Parents Node - A, C



Leaf node - B, D, E

5. Ancestor - predecessor in the path from the root node

E → Ancestor → A, C

6. Descendants - Successor in the path from the root

A → Descendants - B, C, D, E

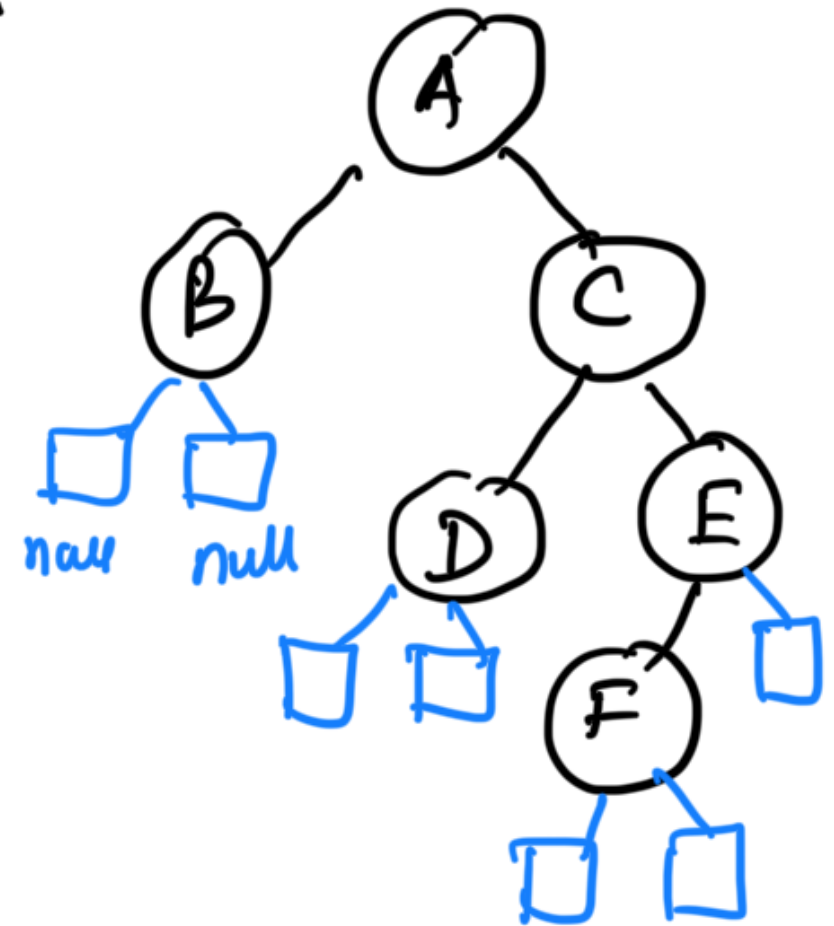
→ ... is also the same

1. Sibling — nodes that share the same parents.

$(B, C), (D, E)$

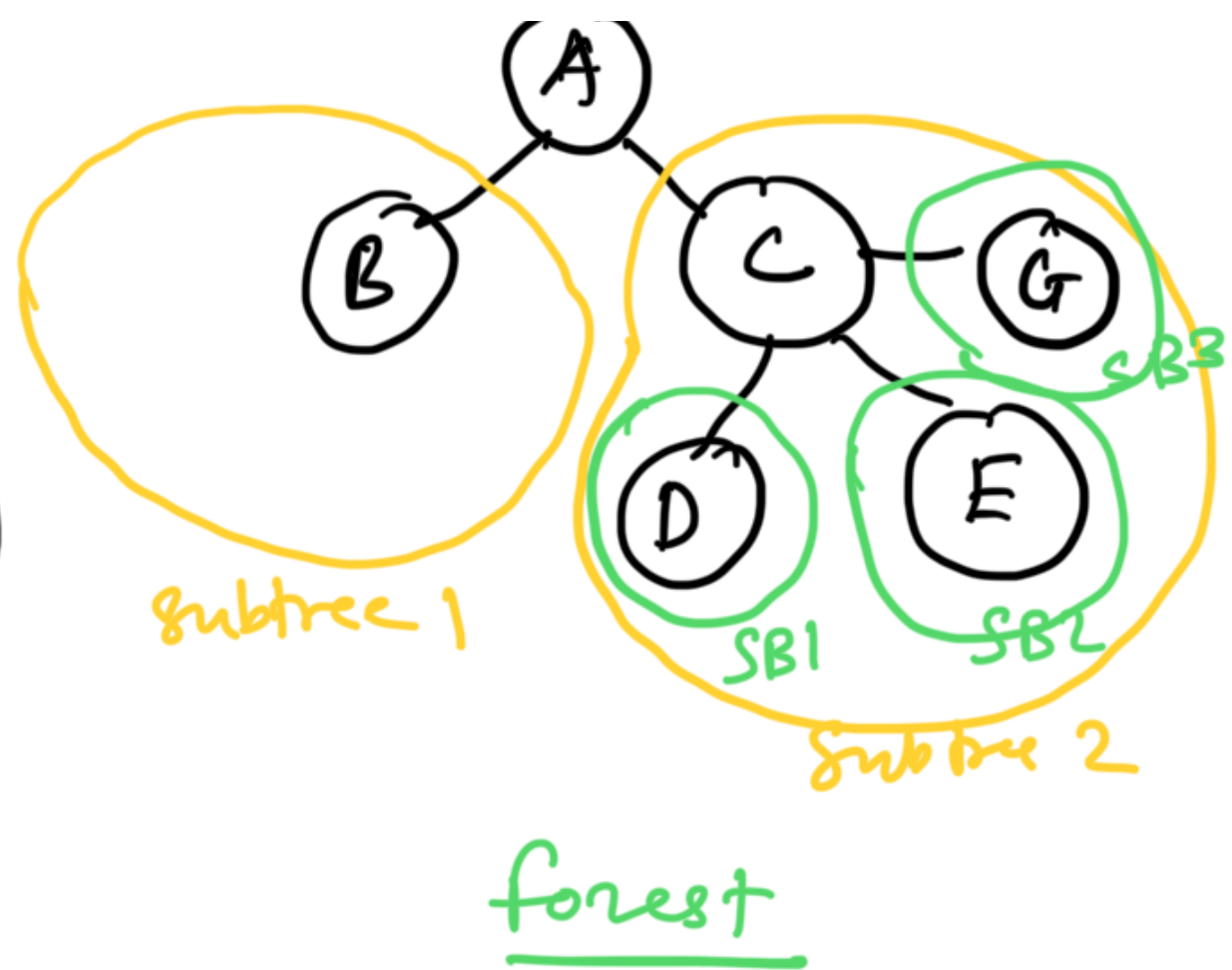
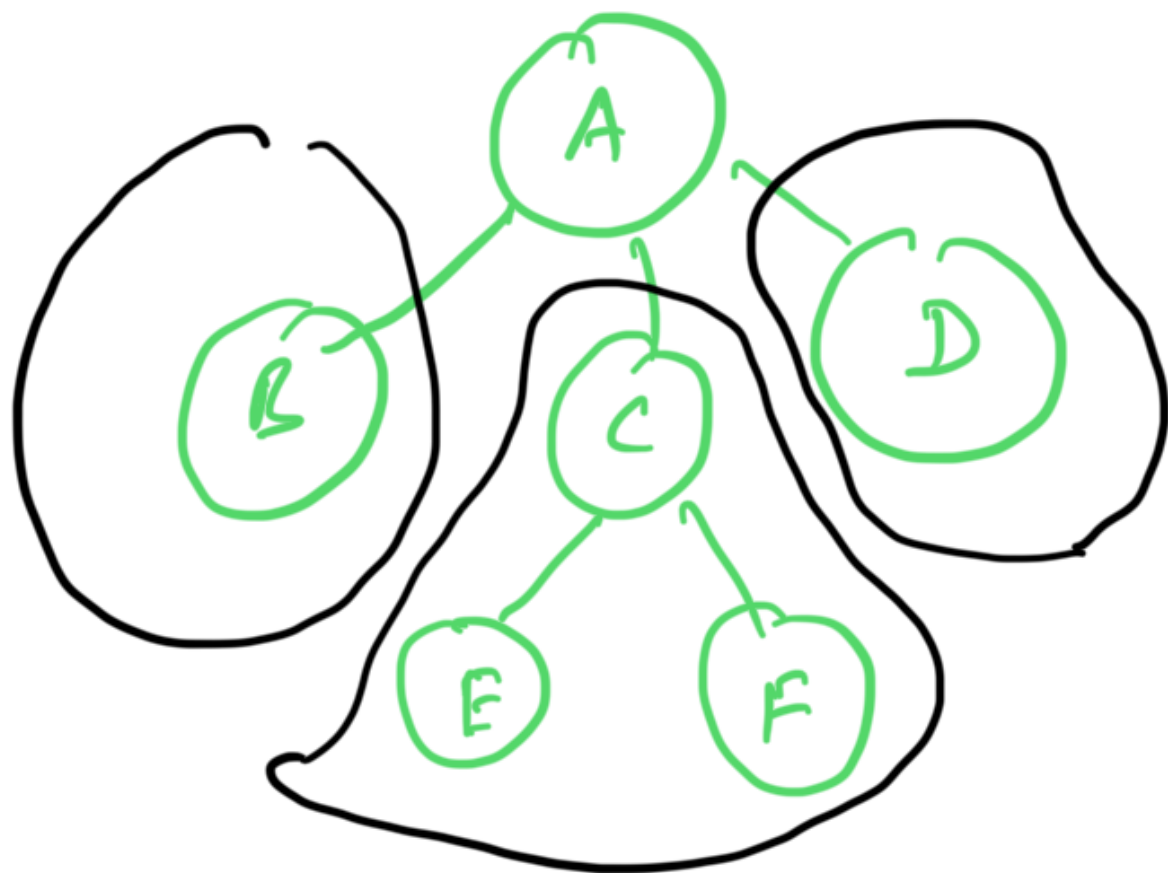
8. Internal Nodes \rightarrow Nodes with at least one children is called as Internal nodes.

Internal nodes } A, C, E

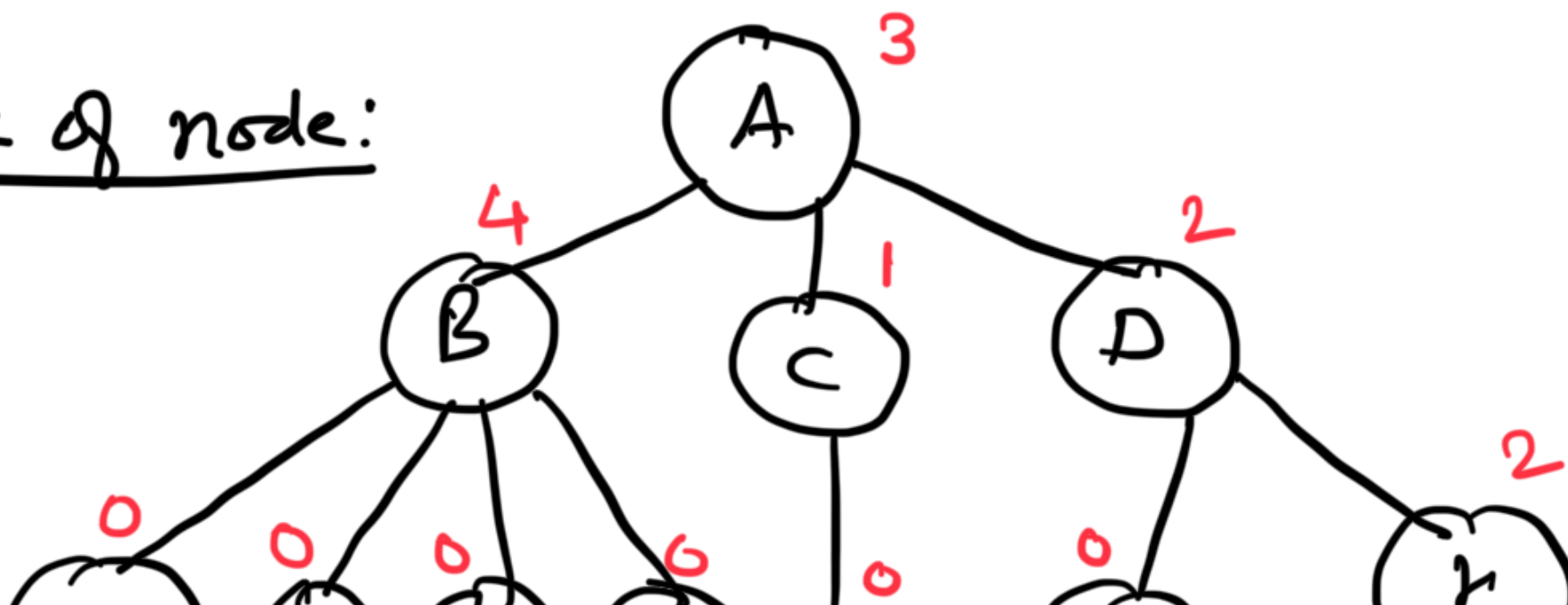


9. External nodes \rightarrow Null nodes

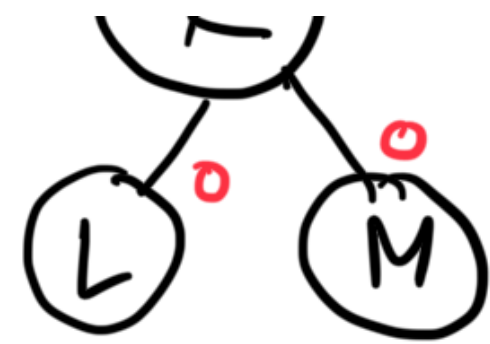
10.



Degree of node:



(E) (F) (G) (H) (I) (J)



Leaf Nodes = Degree = 0

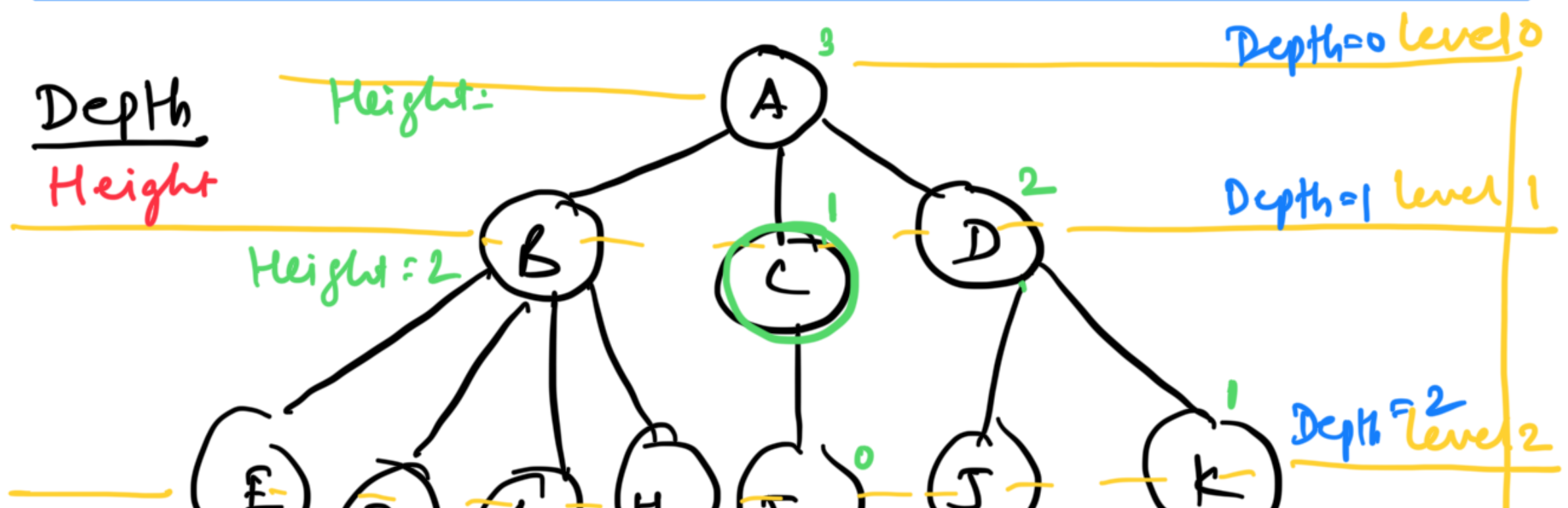
Degree (A) = 3

Degree (B) = 4

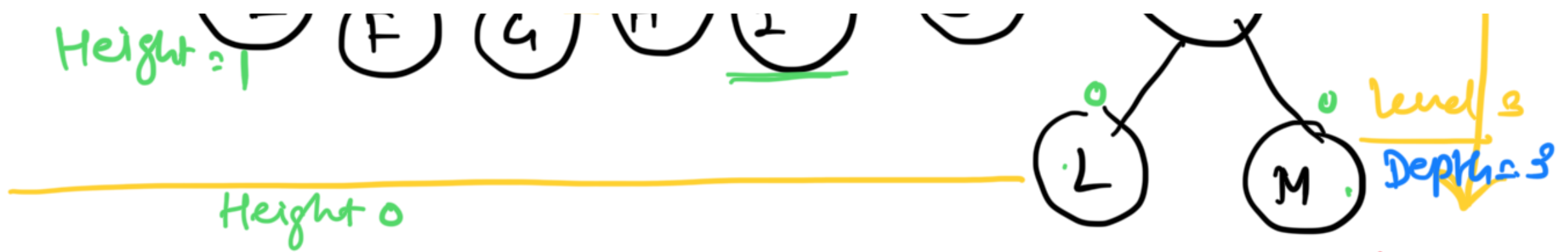
Degree of Tree

Highest degree in
Nodes

↓
4

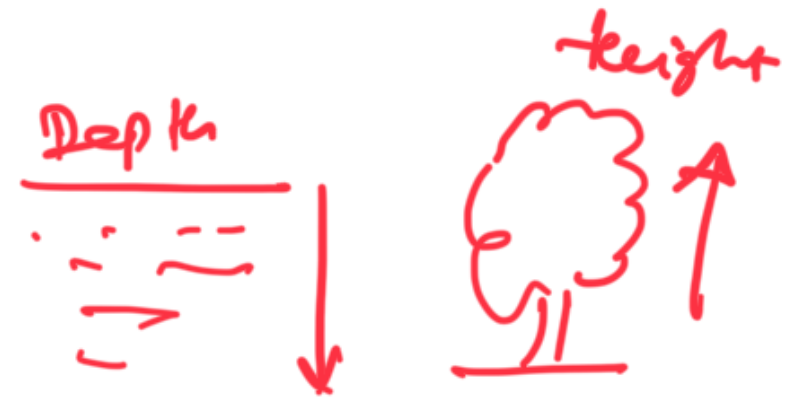


Height: 1



Height (C) = 1 | Depth (K) = 2

Height (A) = 3



Level - The root of a tree is at level 0 and the nodes whose parents is root at level 1

Height - The height of a nodes is the number of nodes on the longest path from the node to a leaf node.

Properties of Tree:

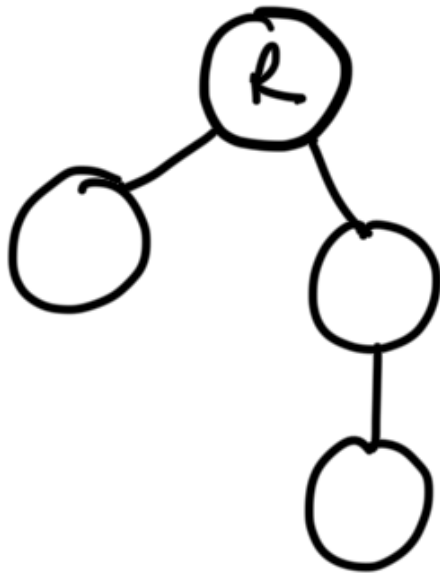


fig 1: Tree

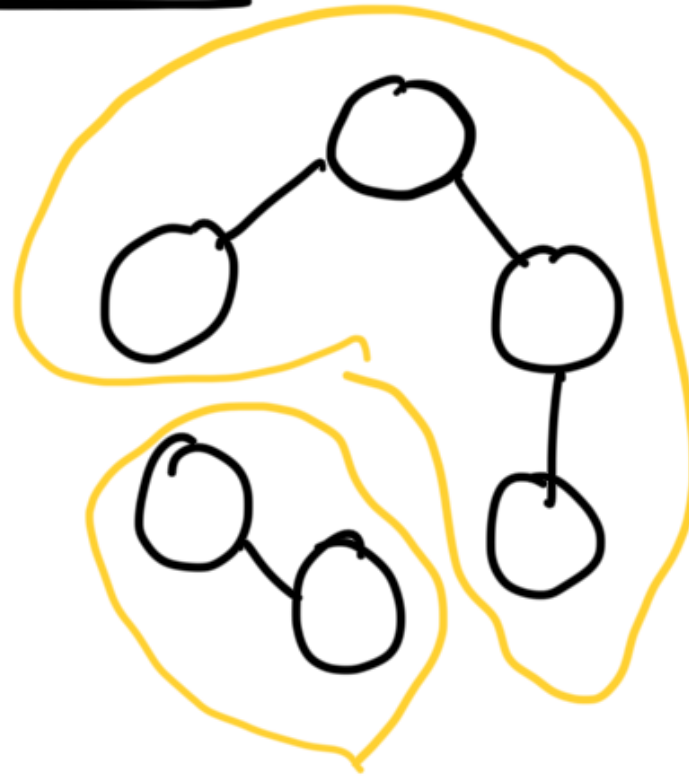


Fig 2

Not a tree

All nodes required
to be connected

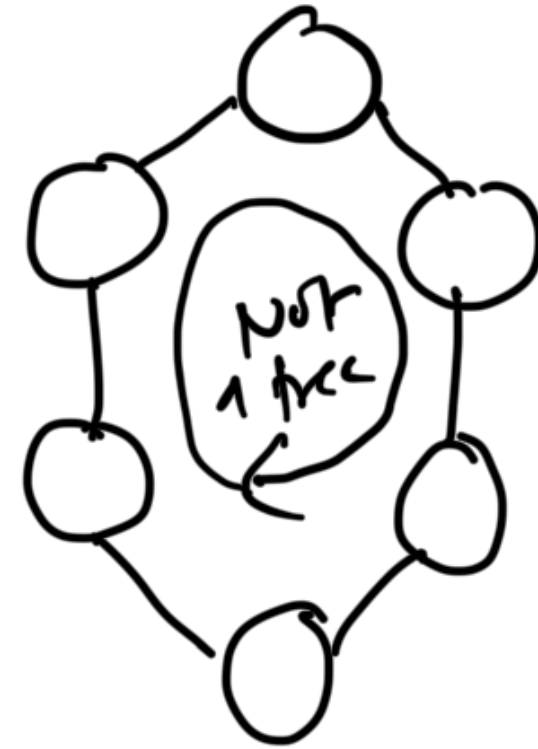
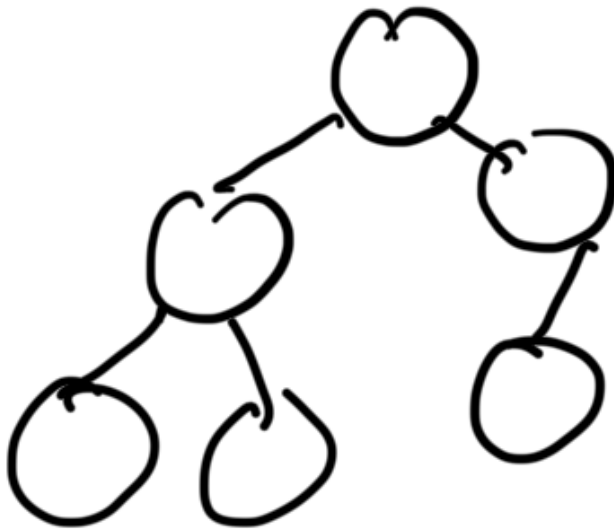


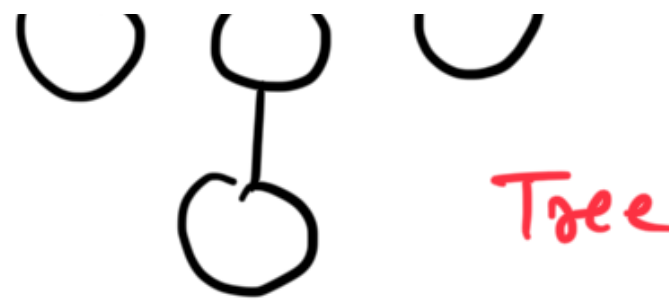
Fig 3

Not a tree
it contains
cycle



Tree



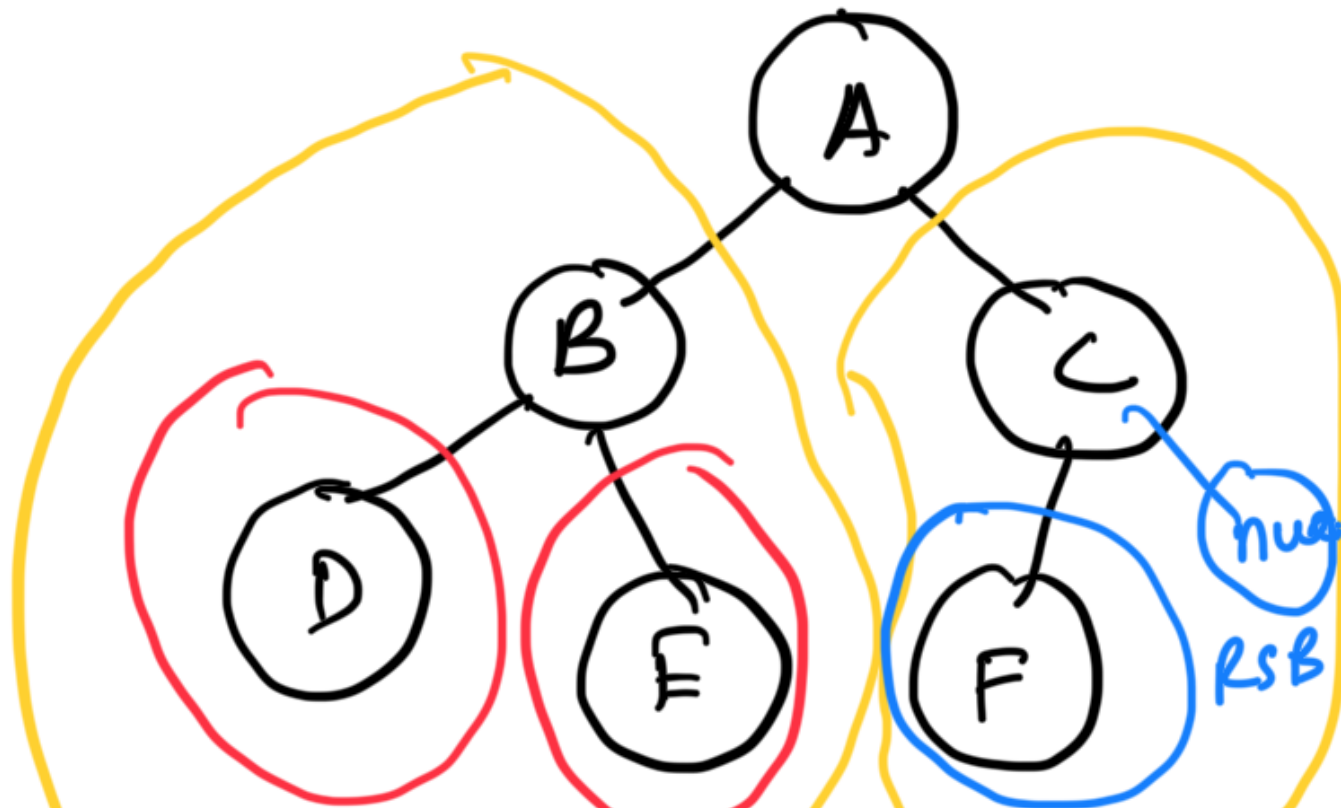


Tree

Binary Tree : It is a tree in which every node has at most 2 children

$\{0, 1, 2\}$

No of children = $\{0, 1, 2\}$



Partition creates
only 2 subtrees
1) Left subtree
2) Right subtree

LST

RST

USB

Left subtree

Right end subtree