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1(a).

We can use Hashing to implement python Dictionary in C.

We can use **Hashing with Direct Chaining**.

Python dictionary is an unordered collection of items. Each item of a dictionary has a key/ value pair.

In hashing, large keys are converted into small keys by using **hash functions**. The values are then stored in a data structure called **hash table**. The idea of hashing is to distribute entries (key/ value pairs) uniformly across an array. Each element is assigned a key . By using that key you can access the element in  $O(1)$  time. Using the key, the hash function computes an index that suggests where an entry can be found or inserted.

Example→

Python Dictionary is like this → `employee={'emp_id': 4 , 'emp_name': 'saurabh' , 'emp_category' : 'Software_Dev' , 'expert' : 'Python'}`

so to implement this in C we will use Hashing with direct chaining technique , the key will be converted to another integer key using HashFunction and the value is stored at that index(modified key) using linked-List.

The hashFunction should be good so the collision can be reduced to as minimum as possible.

### Pseudo-Code

```
void hashing(key,value){
    arr[16] //create array of required size let say 16(or can use malloc to dynamically
    assign size to array)
    index=hash_function(key) //→ will return an index less than 16
```

```
insert(index)          //→ will insert the value at that index one index can store more than
one value
}
```

```
get_Value(key){
index=hash_function(key) //→ will return an index less than 16
get(index) //→ return value
}
```

## 1(b).

I think the book index present at the end book is a like Python Dictionary having key value pair which can implement using hashing in C.

We use **direct chaining** technique to remove collision in keys. **Chaining** is a technique used for avoiding collisions in **hash tables**.

A **collision** occurs when two keys are **hashed** to the same index in a hash table.

Collisions are a problem because every slot in a hash table is supposed to store a single element.

In the chaining approach, the hash table is an array of **linked list** i.e., each index has its own linked list.

All key-value pairs mapping to the same index will be stored in the linked list of that index.

So according to me **Hashing with direct chaining** is the best way to do so, pseudo\_code for which will be same as in 1(a).

## 2(a).

Dijkstra's algorithm is an algorithm for finding the shortest paths between nodes in a graph.

We will need queue data structure to implement Dijkstra's algorithm in C.

A special type of queue known as **priority Queue** is used in Dijkstra algorithm.

We overestimate the distance of each vertex from the starting vertex. Then we visit each node and its neighbors to find the shortest subpath to those neighbors.

The algorithm uses a greedy approach in the sense that we find the next best solution hoping that the end result is the best solution for the whole problem.

Whenever distance of a vertex is reduced, we add one more instance of vertex in *priority\_queue*. Even if there are multiple instances, we only consider the instance with minimum distance and ignore other instances.

## Pseudo-Code

```
Dijkstra(G, S) //here G is graph and S is Source
  for each vertex V in G
    distance[V] = infinite
    previous[V] = NULL //previous is maintained to get path
    If V != S, add V to Priority Queue Q
  distance[S] = 0
  while Q IS ! EMPTY
    U // Extract MIN from Q
    for each unvisited neighbour V of U
      temp // distance[U] + edge_weight(U, V)
      if temp < distance[V]
        distance[V] = temp
        previous[V] = U
  return distance[], previous[]
```

2(b).

Yes, we can use *priority\_queue* to implement A\* algorithm in C.

Implementations of A\* use a *priority\_queue* to perform the repeated selection of minimum cost nodes to expand.

A\* is based on using heuristic methods to achieve *optimality* and *completeness*, and is a variant of the best-first algorithm.

When a search algorithm has the property of optimality, it means it is guaranteed to find the best possible solution, in our case the shortest path to the finish state. When a search algorithm has the property of completeness, it means that if a solution to a given problem exists, the algorithm is guaranteed to find it.

Each time A\* enters a state, it calculates the cost,  $f(n)$  ( $n$  being the neighboring node), to travel to all of the neighboring nodes, and then enters the node with the lowest value of  $f(n)$ .

These values are calculated with the following formula:  $f(n)=g(n)+h(n)$

$g(n)$  being the value of the shortest path from the start node to node  $n$ , and  $h(n)$  being a heuristic approximation of the node's value.

## Implementation

There are two sets, OPEN and CLOSED. The OPEN set contains those nodes that are candidates for examining. Initially, the OPEN set contains only one element: the starting position. The CLOSED set contains those nodes that have already been examined. Initially, the CLOSED set is empty. Graphically, the OPEN set is the “frontier” and the CLOSED set is the “interior” of the visited areas. Each node also keeps a pointer to its parent node so that we can determine how it was found.

There is a main loop that repeatedly pulls out the best node  $n$  in OPEN (the node with the lowest  $f$  value) and examines it. If  $n$  is the goal, then we're done. Otherwise, node  $n$  is removed from OPEN and added to CLOSED. Then, its neighbors  $n'$  are examined. A neighbor that is in CLOSED has already been seen, so we don't need to look at it. A neighbor that is in OPEN is scheduled to be looked at, so we don't need to look at it now. Otherwise, we add it to OPEN, with its parent set to  $n$ . The path cost to  $n'$ ,  $g(n')$ , will be set to  $g(n) + \text{movementcost}(n, n')$ .

## Pseudo-Code:

```
Add start node to list
for all the neighboring nodes, find the least cost F node
switch to the closed list
  for all nodes adjacent to the current node
    if the node is not reachable, ignore it. Else
      if the node is not on the open list, move it to the open and calculate f,g,h.
      If the node is on the open list, check if the path it offers is less than the current
path and change to it
  does so.
Stop working then
  You find the destination
  You cannot find the destination going through all possible points.
```

We use *priority queue* data structure to implement open list and closed list .