

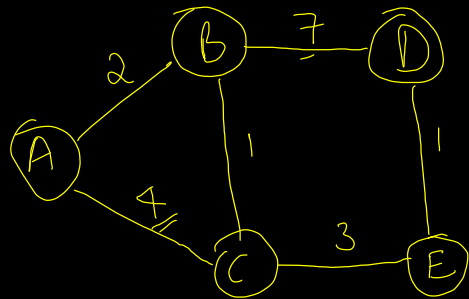
"Work hard every day, not because success is guaranteed, but because effort builds discipline, and discipline opens doors to opportunities you can't even imagine yet. Every page you read, every problem you solve, every hour you dedicate adds up. Stay consistent. Your future self will thank you for not giving up today."



Dijkstra's Algo

```
const graph = {  
  A: {B: 2, C: 4},  
  B: {A: 2, C: 1, D: 7},  
  C: {A: 4, B: 1, E: 3},  
  D: {B: 7, E: 1},  
  E: {C: 3, D: 1},  
}
```

A → E



1. visited = []

unvisited nodes

2. node, distance — ^(priority Queue) pq

- Check current node to its neighbors & update shortest distance & if distance of newly found node is shorter add to pq for further exploration
- Repeat until all pq elements are done & all nodes are visited

→ Weights of edges should be +ve only

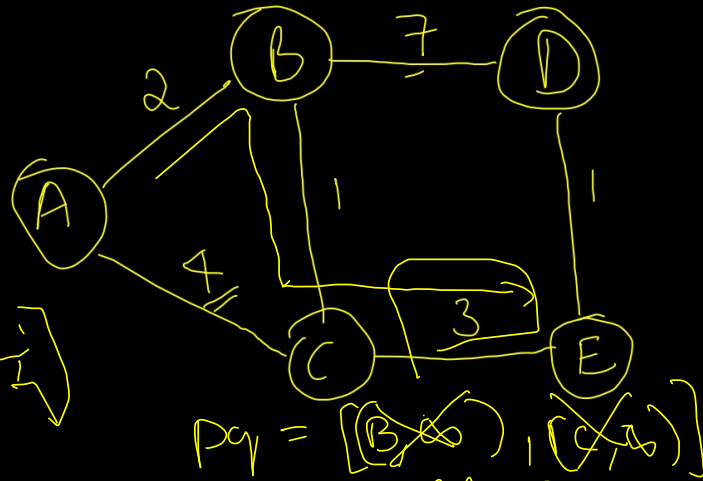
→

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```

Step 1 $A \rightarrow E$

unvisited = ~~(A, B, C, D, E)~~

visited = ~~(A, B, C, D, E)~~



PQ = ~~(B, 2), (C, 4)~~

Step 3 =

PQ - Minheap

Step 2

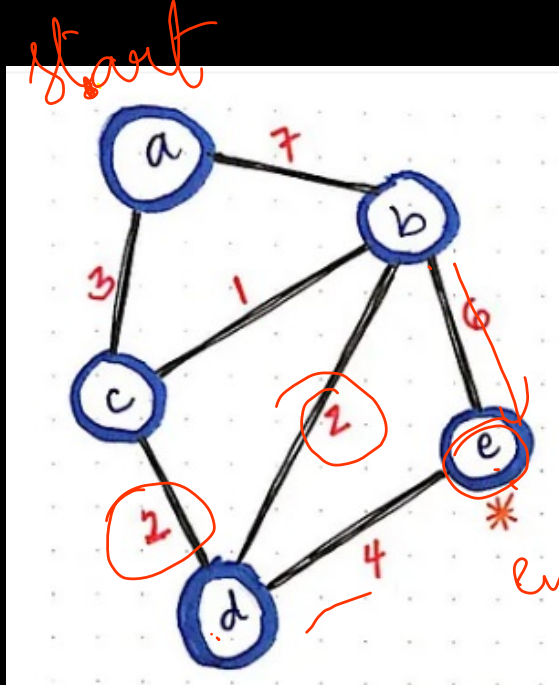
Node	Distance	Parent Node
A	0	
B	∞	-
C	∞	-
D	∞	-
E	∞	-

A	0	-
B	2	A
C	3 $2+4$	A, B
D	7 $7+2$	B, 2
E	3 $3+3$	C

PQ = (D, 7), (E, 3)

A	0	-
B	2	A
C	3	B
D	9	B
E	6	C

$A \rightarrow B \rightarrow C \rightarrow E$



$a \rightarrow e$

unvisited = [b, c]

end visited = [a, b, c, d, e]

unvisited = [d, e]

Node	Distance	Prev Node
a	0	—
→ b	∞	A
→ c	∞	A
d	∞ ²⁺³ = 5	c
e	∞ ⁶⁺⁷ = 13	B d

d → b
5 + 4 → e
9

b → e
7 + 6
= 13

a → d → e
a → c → d → e
3 5 9