

1) At the entry of foo:

Actual Parameters  $\{x, len, 0\}$

Returned Values

Control link

caller

Local variables

$x[] = \{2, 3, 4\}, len = 3$

At the entry of sum from foo:

Actual Parameters  $\{x+1, len-1, sum+x[0]\}$

Returned Values

Control Link

(foo)

Local variables

$i, v$

At the entry of sum from sum in the last recursive call

Actual Parameters  $\{ \}$

Returned Values  $sum = 9$

Control Link

(sum)

Local Variables

$i, v$

At the exit of foo's

Actual Parameters  $\{x, len, 0\}$

Returned Values  $sum(x, len, 0) = 9$

Control Link

caller

Local Variables

$x[] = \{2, 3, 4\}, len = 3$

2)

$P \rightarrow S$

$S.next = \text{new Label}();$

$P.code = S.code \parallel \text{label}(S.next)$

$S \rightarrow \text{while Stmt}$

$\text{while Stmt}.next = S.next$

$S.code = \text{while Stmt}.code$

$S \rightarrow \text{Assignment}$

$S.code = \text{Assignment}.code$

$S \rightarrow S_1; S_2$

$S_1.next = \text{new Label}();$

$S_2.next = S.next;$

$S.code = S_1.code \parallel ";" \parallel \text{label}(S_1.next)$

$\parallel S_2.code$

$S \rightarrow \epsilon$

$S.code = ""$

$\text{Assignment} \rightarrow X = E;$

$\text{Assignment}.code = "X" \parallel "=" \parallel$   
 $E.temp \parallel ";"$

$E \rightarrow \text{Rel Ex}$

$E.temp = \text{Rel Ex}.temp$

$E \rightarrow \text{Add Ex}$

$E.temp = \text{Add Ex}.temp$

$E \rightarrow \text{Id}$

$E.temp = \text{top.get}(\text{Id}.lexeme)$

$\text{Rel Ex} \rightarrow E_1 < E_2$

$\text{Rel Ex}.temp = \text{new Temp}();$

$\text{gen}(\text{Rel Ex}.temp "=" E_1.temp "<"$   
 $E_2.temp)$

$\text{Add Ex} \rightarrow E_1 + E_2$

$\text{Add Ex}.temp = \text{new Temp}();$

$\text{gen}(\text{Add Ex}.temp "=" E_1.temp "+"$   
 $E_2.temp)$



While stmt  $\rightarrow$  While (Id) { stmt<sub>2</sub> }

begin = new Label();  
if\_true = new Label();  
end = while\_stmt.next;  
stmt<sub>2</sub>.next<sub>1</sub> = begin;  
stmt<sub>2</sub>.next<sub>2</sub> = end;  
t = new Temp();

while\_stmt.code = begin || gen(t "=" top.get(Id.lexeme)) || "if"  
t || "goto" || if\_true || "go to" || end || label(if\_true) ||  
stmt<sub>2</sub>.code || "goto" || begin

stmt<sub>2</sub>  $\rightarrow$  S

S.next = stmt<sub>2</sub>.next<sub>1</sub>

stmt<sub>2</sub>.code = S.code

stmt<sub>2</sub>  $\rightarrow$  Break

Break.next = stmt<sub>2</sub>.next<sub>2</sub>

Break  $\rightarrow$  break

gen("goto" || Break.next)

Attribute

next (Inherited)

code (synthesized)

temp (synthesized)

lexeme

Usage

Refers to the next line after the piece of code

Contains the code (3-address code)

Refers to a temporary assigned to the expression.

Value of Identifier

next<sub>1</sub>, next<sub>2</sub>  
(only for stmt<sub>2</sub>)

next<sub>1</sub>  $\rightarrow$  refers to begin of while  
next<sub>2</sub>  $\rightarrow$  refers to end of while

gen  $\rightarrow$  generate a piece of code

label, Temp  $\rightarrow$  To create a new label, temp respectively.

3)  
Receive  $A(arr)$ ,  $B(arr)$ ,  $C(arr)$ ,  $n(val)$

$i = 0$

$L_0$ : if  $i < n$  goto  $L_1$   
goto  $L_2$

$L_1$ :  $j = 0$

$L_3$ : if  $j < n$  goto  $L_4$   
goto  $L_5$

$L_4$ :  $t_0 = i \times n$

$t_1 = t_0 + j$

$C[t_1] = 0$

$k = 0$

$L_6$ : if  $k < n$  goto  $L_7$   
goto  $L_8$

$L_7$ :  $t_2 = t_0 + k$

$t_3 = n \times k$

$t_4 = t_3 + j$

$t_5 = A[t_2]$

$t_6 = B[t_4]$

$t_7 = t_5 + t_6$

$t_8 = C[t_1]$

$t_9 = t_7 + t_8$

$C[t_1] = t_9$

$t_2 = t_2 + 1$

$t_4 = t_4 + n$

$t_5 = A[t_2]$

$t_6 = B[t_4]$

$t_7 = t_5 + t_6$

$t_8 = C[t_1]$

$t_9 = t_7 + t_8$

$C[t_1] = t_9$

$t_2 = t_2 + 1$

$t_4 = t_4 + n$

$t_5 = A[t_2]$

$t_6 = B[t_4]$

$t_7 = t_5 + t_6$

$t_8 = C[t_1]$

$t_9 = t_7 + t_8$

$C[t_1] = t_9$

$t_2 = t_2 + 1$

$t_4 = t_4 + n$

$t_5 = A[t_2]$

$t_6 = B[t_4]$

$t_7 = t_5 + t_6$

$t_8 = C[t_1]$

$t_9 = t_7 + t_8$

$C[t_1] = t_9$

$k = k + 1$

goto  $L_6$

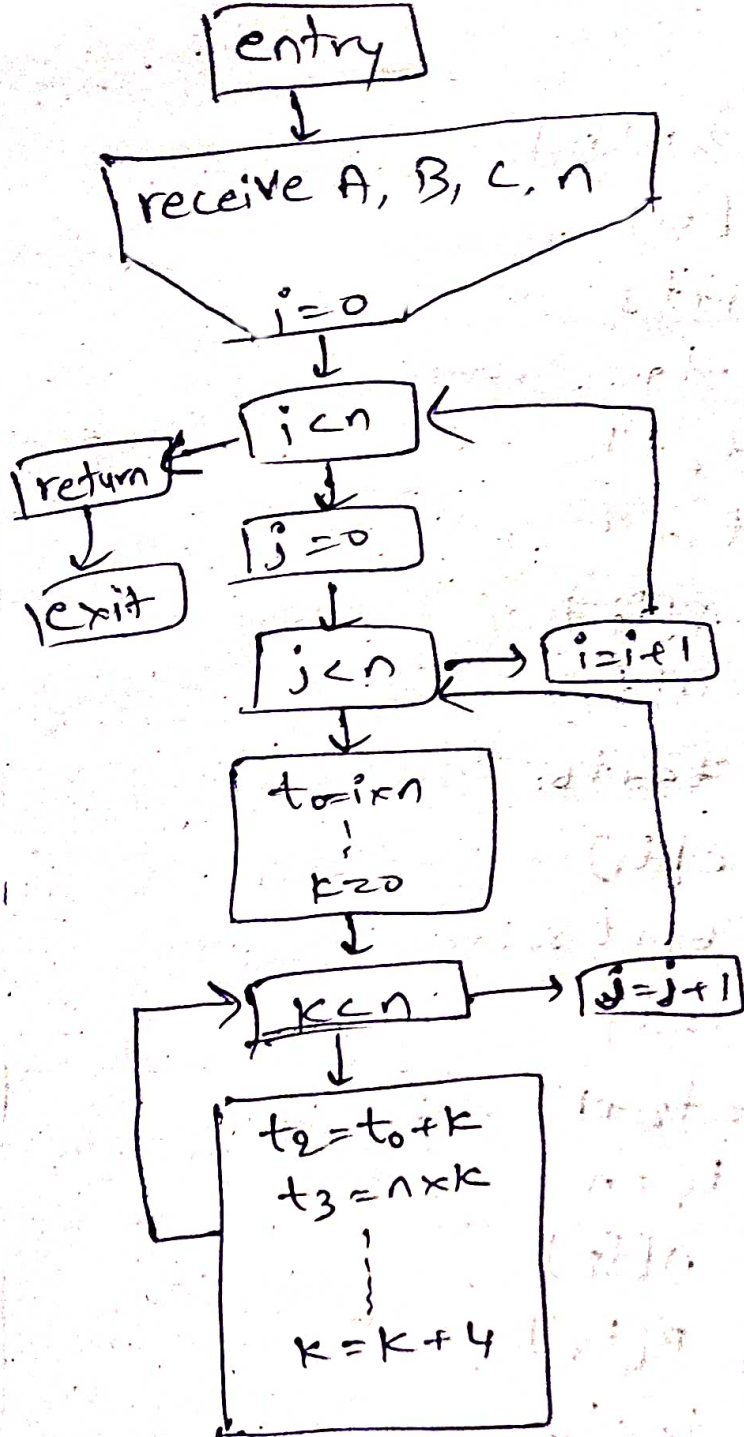
$L_8$ :  $j = j + 1$

goto  $L_3$

$L_5$ :  $i = i + 1$

goto  $L_0$

$L_2$ : return





4) Given: A variable  $v$  is live at a program point  $L$  that is used at later point of  $L$ .

Aim:  $In(L)$  contains  $v$

According to live variable analysis,

$$In(n) = use(n) \cup (out(n) - def(n)) \quad [Let \ n=L]$$

From the given information,  $v$  is used at a later point of  $L \Rightarrow use(n)$  doesn't contain  $v$ .

$$\Rightarrow v \notin use(n)$$

Let's say  $v$  is used at a later point of  $L$  at  $n_1$ , [first use]

$\Rightarrow In(n_1)$  contains  $v \Rightarrow$  Predecessor of  $n_1$  ( $n_2$ ) contains  $v$  in its out  $\Rightarrow out[n_2]$  contains  $v$

As  $def[n_2]$  doesn't contain  $v$ ,  $In(n_2)$  contains  $v$ .

Similarly, by this logic we can say that  $out[n]$  contains  $v$ .

$$\Rightarrow v \in out(n).$$

From the given information,  $v$  is live at  $n \Rightarrow v$  is defined in one of its predecessors.

$\Rightarrow def(n)$  doesn't contain  $v$ .

So,  $use(n)$ ,  $def(n)$  doesn't contain  $v$  but  $out(n)$  contains.

From the above mentioned computation of  $In(n)$ ,

$\cdot In(n)$  contains  $v$ .

$\therefore$  If a variable  $v$  is live at a program point  $L$  that is used at later point of  $L$  then  $v \in In(L)$

$\Rightarrow$  Live Variable Analysis computes the liveness information for each variable conservatively.

5) Suppose you are designing a compiler for a advanced programming language which includes support for array operations, function calls and loops. Apply peephole optimization techniques to generate improved machine code for the following pieces of code.

```
i) for (int i = 0; i < array.length; i++) {  
    sum += array[i];  
}
```

```
ii) int sum = add(a, add(b, c));
```

```
iii) int res = *ptr + 5;
```

```
iv) int compute1() { // Some code; return r1; }  
    int compute2() { // Some code; return r2; }  
    void final(int a, int b) { // Some code; }  
    int a = compute1(); int b = compute2();  
    final(a, b);
```

Can (iv) be changed to final(compute1(), compute2())?  
If not why? If yes Justify.

Answers:

```
i) int len = array.length;  
    for (int i = 0; i < len; i++) {  
        sum += array[i];  
    }
```

As array's length doesn't change inside the loop.

```
ii) int t = b + c;  
    int sum = a + t
```

Eliminates overhead of a function call.

iii)  $\text{int } t = *ptr$   
 $\text{int res} = t + 5$

Eliminates redundant dereferencing

iv) No, it can't be changed.

Reason: If  $\text{compute1}()$  and  $\text{compute2}()$  involve common subcomputations [like incrementing a global value] the improved code doesn't work.