## Problem Statement 1:

The marks awarded for an assignment set for a Year 8 class of 20 students were as follows: 6 7 5 7 7 8 7 6 9 7 4 10 6 8 8 9 5 6 4 8

```
In [1]: import statistics as stat
    from math import sqrt

marks = [6,7,5,7,7,8,7,6,9,7,4,10,6,8,8,9,5,6,4,8]

print("\nCalculation using statistics library")
    print("Mean = ", stat.mean(marks))
    print("Variance = ", stat.variance(marks))
    print("Standard_deviation = ", stat.stdev(marks))
    print("Median = ", stat.median(marks))
    print("Mode = ", stat.mode(marks))

Calculation using statistics library
    Mean = 6.85
    Variance = 2.6605263157894736
    Standard_deviation = 1.6311119875071343
    Median = 7.0
    Mode = 7
```

Mean =  $(\Sigma xi)/n$ 

xi = Each value in the data set n = Total number of values in the data set

 $\Sigma$  of xi = (6+7+5+7+7+8+7+6+9+7+4+10+6+8+8+9+5+6+4+8)/20 = 6.85 The Mean of the given data is 6.85

1. Median: The Median is the "middle" of a sorted list of numbers

S	lno	Data
	1	4
	2	4
3		5
		5
	5	6
	6	6
	7	6
	8	6
	9	7
	10	7
	11	7
	12	7
13 14 15		7
		8
		8
	16	8
	17	8
18		9
	19	9
	20	10

Median of the given data set = Sum of middle values / 2 = (7 + 7) / 2 = 6.5

1. Mode: Mode of the data is the most repeated value in the data set. Hence, Mode of the given data set = 7 (most repeated value)

Standard Deviation:

SD = 
$$\sqrt{\sum (x-x)^2}$$
 n

Slno	Data
1	4
2	4
3	5
4	5
5	6
6	6
7	6
8	6
9	7
10	7
11	7
12	7
13	7
14	8
15	8
16	8
17	8
18	9
19	9
20	10

Standard Deviation =  $50.55 / 20 = \sqrt{2.5275} = 1.5898$ 

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Problem Statement 2:

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In [4]: # The number of calls from motorists per day for roadside service was recorded for
          a particular month:
          # 28, 122, 217, 130, 120, 86, 80, 90, 140, 120, 70, 40, 145, 113, 90, 68, 174, 194,
          170, 100, 75, 104,
           # 97, 75, 123, 100, 75, 104, 97, 75, 123, 100, 89, 120, 109
           # Calculate the mean, median, mode and standard deviation for the problem statement
          import statistics as stat
          from math import sqrt
          no of calls= [28, 122, 217, 130, 120, 86, 80, 90, 140, 120, 70, 40, 145, 113, 90, 6
          8, 174, 194, 170, 100, 75, 104, 97, 75, 123, 100, 75, 104, 97, 75, 123, 100, 89, 120
           , 109]
          print("\nCalculation using statistics library")
          print("Mean = " , stat.mean(no_of_calls))
          print("Variance = ", stat.variance(no of calls))
          print("Standard_deviation = ", stat.stdev(no_of_calls))
          print("Median =", stat.median(no_of_calls))
          print("Mode = ", stat.mode(no of calls))
          Calculation using statistics library
          Mean = 107.51428571428572
          Variance = 1547.5512605042018
          Standard deviation = 39.33892805484412
          Median = 100
          Mode = 75
Mean:
Mean = (\Sigma xi)/n
xi = Each value in the data set
n = Total number of values in the data set
\sum xi = 3763
n = 35
3763 / 35 = 107. 51
_____
Median:
\{(n + 1) \div 2\}th element
n = 35
n+1 = 35+1 = 36
\{(n + 1) \div 2\}th element = 36/2 = 18 = 100 from the below table
```

Slno	Data
1	4
2	4
3	5
4	5
5	6
6	6
7	6
8	6
9	7
10	7
11	7
12	7
13	7
14	8
15	8
16	8
17	8
18	9
19	9
20	10

Mode:

Mode of the data is the most repeated value in the data set.

Mode of the given data set = 75 (most repeated value)

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Standard Deviation:

Slno	Data
1	4
2	4
3	5
4	5
5	6
6	6
7	6
8	6
9	7
10	7
11	7
12	7
13	7
14	8
15	8
16	8
17	8
18	9
19	9
20	10

Slno	Data
1	4
2	4
3	5
4	5
5	6
6	6
7	6
8	6
9	7
10	7
11	7
12	7
13	7
14	8
15	8
16	8
17	8
18	9
19	9
20	10

Standard Deviation =  $54593/35 = \sqrt{1559.8} = 39.4943$ 

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## **Problem Statement 3**

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In [5]: # The number of times I go to the gym in weekdays, are given below along with its a
                              ssociated probability:
                              \# x = 0, 1, 2, 3, 4, 5
                              \# f(x) = 0.09, 0.15, 0.40, 0.25, 0.10, 0.01
                              # Calculate the mean no. of workouts in a week. Also evaluate the variance involved
                              in it.
                              Solution:
                              Mean==> E[x] = x1*f(x1)+x2*f(x2)+x3*f(x3)+....+xn*f(xn)
                              variance ==>E[(x-mean)**2] = (x1-mean)**2 * f(x1) + (x2-mean)**2 * f(x2) + ..... + (xn-mean)**2 * f(x1) + (x2-mean)**2 * f(x2) + ..... + (xn-mean)**2 * f(x1) + (x2-mean)**2 * f(x1) + (x2-mean)**2 * f(x2) + ..... + (xn-mean)**2 * f(x1) + (x2-mean)**2 
                              an)**2 * f(xn)
                              import statistics as stat
                              from math import sqrt
                              x=[0,1,2,3,4,5]
                              func x = [0.09, 0.15, 0.40, 0.25, 0.10, 0.01]
                             mean=0
                             variance = 0
                              for n in range(len(x)):
                                           mean += x[n] * func x[n]
                              print("Mean no. of workouts in a week or Expected Value = ",mean )
                              for n in range(len(x)):
                                            variance += (x[n]-mean)**2* func x[n]
                              print("Variance = ", variance)
```

Mean no. of workouts in a week or Expected Value = 2.15 Variance = 1.2275

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Expected Mean of the Work outs:

Let us call x asNo. of Work outs in a week

P(x) is given as - f(x) = 0.09, 0.15, 0.40, 0.25, 0.10, 0.01

Calculation of Expected mean number of workouts in a week = Weighted average of the workouts and the probability.

i.e., Expected mean of work outs (E) = E(x):

Slno	Data
1	4
2	4
3	5
4	5
5	6
6	6
7	6
8	6
9	7
10	7
11	7
12	7
13	7
14	8
15	8
16	8
17	8
18	9
19	9
20	10

In [ ]:

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