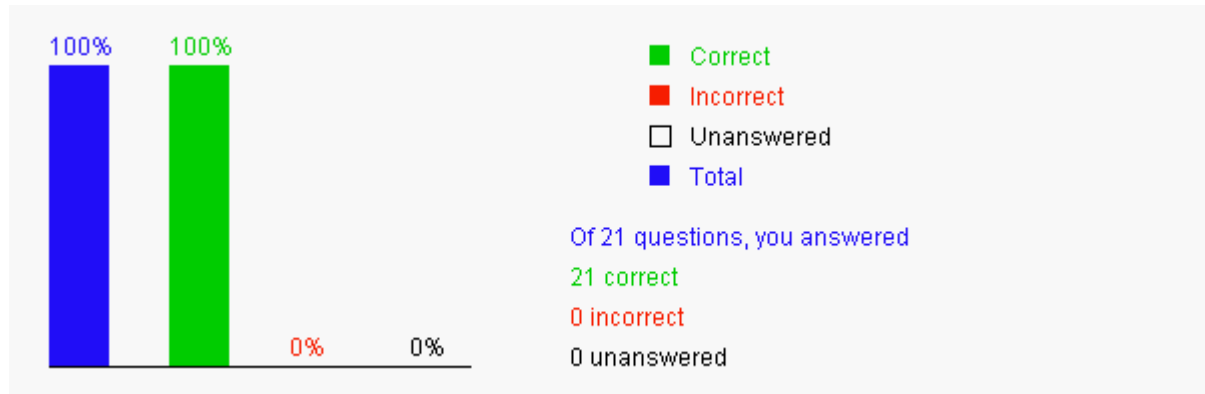


This quiz is for students to practice. A large number of additional quiz is available for instructors using Quiz Generator from the Instructor's Resource Website. Videos for Java, Python, and C++ can be found at <https://yongdanielliang.github.io/revelvideos.html>.

## Chapter 22 Developing Efficient Algorithms



Please send suggestions and errata to Dr. Liang at [y.daniel.liang@gmail.com](mailto:y.daniel.liang@gmail.com). Indicate which book and edition you are using. Thanks!

### Section 22.2 Measuring Algorithm Efficiency Using Big O Notation

**22.1** Analyzing algorithm efficiency is \_\_\_\_\_.

- ☐ A. to measure their actual execution time
- ☐ B. to estimate their execution time
- ☒ C. to estimate their growth function

Your answer is correct



**22.2** An input that results in the shortest execution time is called the \_\_\_\_\_.

- ☒ A. best-case input
- ☐ B. worst-case input
- ☐ C. average-case input

Your answer is correct



**22.3** Why is the analysis often for the worst case?

- ☒ A. Best-case is not representative.
- ☒ B. Worst-case is not representative, but worst-case analysis is very useful. You can show that the algorithm will never be slower than the worst-case.
- ☒ C. Average-case analysis is ideal, but difficult to perform, because it is hard to determine the relative probabilities and distributions of various input instances for many problems.

Your answer is correct



**22.4** Which of the following complexity is  $O(n \log n)$ ?

- ☐ A.  $300n + 400n \cdot n$
- ☒ B.  $23n \log n + 50$
- ☒ C.  $45n + 45n \log n + 503$
- ☐ D.  $n \cdot n \cdot n + n \log n$

Your answer is correct



**22.5** On an average, linear search searches

- ☐ A. the whole list
- ☒ B. half of the list
- ☐ C. just one element in the list
- ☐ D. one fourth of the list

Your answer is correct



### Section 22.3 Examples: Determining Big O

**22.6** What is the number of iterations in the following loop:

```
int count = 5;
while (count < n) {
```

```
count = count + 3;
```

```
}
```

- ☐ A.  $n - 5$
- ☐ B.  $n - 3$
- ☐ C.  $n / 3 - 1$
- ☐ D.  $(n - 5) / 3$
- ☒ E. the ceiling of  $(n - 5) / 3$

Your answer is correct



#### Section 22.4 Analyzing Algorithm Time Complexity

**22.7** For a sorted list of 1024 elements, a binary search takes at most \_\_\_\_\_ comparisons.

- ☒ A. 11
- ☐ B. 100
- ☐ C. 512
- ☐ D. 6

Your answer is correct



**22.8**  $O(1)$  is \_\_\_\_\_.

- ☒ A. constant time
- ☐ B. logarithmic time
- ☐ C. linear time
- ☐ D. log-linear time

Your answer is correct



**22.9** The time complexity for the Towers of Hanoi algorithm in the text is \_\_\_\_\_.

- ☐ A.  $O(n)$
- ☐ B.  $O(n^2)$
- ☐ C.  $O(n^3)$
- ☒ D.  $O(2^n)$

Your answer is correct



**22.10** The time complexity for the selection sort algorithm in the text is \_\_\_\_\_.

- ☐ A.  $O(n \log n)$
- ☒ B.  $O(n^2)$
- ☐ C.  $O(\log n)$
- ☐ D.  $O(2^n)$

Your answer is correct



**22.11** The time complexity for the insertion sort algorithm in the text is \_\_\_\_\_.

- ☐ A.  $O(n \log n)$
- ☒ B.  $O(n^2)$
- ☐ C.  $O(\log n)$
- ☐ D.  $O(2^n)$

Your answer is correct



#### Section 22.5 Finding Fibonacci Numbers using Dynamic Programming

**22.12** \_\_\_\_\_ approach is the process of solving subproblems, then combining the solutions of the subproblems to obtain an overall solution. This naturally leads to a recursive solution. However, it would be inefficient to use recursion, because the subproblems overlap. The key idea behind dynamic programming is to solve each subproblem only once and store the results for subproblems for later use to avoid redundant computing of the subproblems.

- ☐ A. Divide-and-conquer
- ☒ B. Dynamic programming
- ☐ C. Brutal-force
- ☐ D. Backtracking

Your answer is correct



**22.13** The time complexity for the recursive Fibonacci algorithm in the text is \_\_\_\_\_.

- ☐ A.  $O(n \log n)$

- ☐ B.  $O(n^2)$
- ☐ C.  $O(\log n)$
- ☒ D.  $O(2^n)$

Your answer is correct



**22.14** The time complexity for the algorithm using the dynamic programming approach is \_\_\_\_\_.

- ☒ A.  $O(n)$
- ☐ B.  $O(n^2)$
- ☐ C.  $O(\log n)$
- ☐ D.  $O(2^n)$

Your answer is correct



#### Section 22.6 Finding Greatest Common Divisors Using Euclid's Algorithm

**22.15** The time complexity for the Euclid's algorithm is \_\_\_\_\_.

- ☐ A.  $O(n)$
- ☐ B.  $O(n^2)$
- ☒ C.  $O(\log n)$
- ☐ D.  $O(2^n)$

Your answer is correct



#### Section 22.7 Efficient Algorithms for Finding Prime Numbers

**22.16** The time complexity for the Sieve of Eratosthenes algorithm is \_\_\_\_\_.

- ☐ A.  $O(n)$
- ☒ B.  $O(n^{1.5}/\log n)$
- ☐ C.  $O(\log n)$
- ☐ D.  $O(2^n)$

Your answer is correct



#### Section 22.8 Finding the Closest Pair of Points Using Divide-and-Conquer

**22.17** The time complexity for the the closest pair of points problem using divide-and-conquer is \_\_\_\_\_.

- ☐ A.  $O(n)$
- ☒ B.  $O(n \log n)$
- ☐ C.  $O(\log n)$
- ☐ D.  $O(2^n)$

Your answer is correct



**22.18** \_\_\_\_\_ approach divides the problem into subproblems, solves the subproblems, then combines the solutions of the subproblems to obtain the solution for the entire problem. Unlike the \_\_\_\_\_ approach, the subproblems in the divide-and-conquer approach don't overlap. A subproblem is like the original problem with a smaller size, so you can apply recursion to solve the problem.

- ☒ A. Divide-and-conquer/dynamic programming
- ☐ B. Dynamic programming/divide-and-conquer
- ☐ C. Brutal-force/divide-and-conquer
- ☐ D. Backtracking/dynamic programming

Your answer is correct



#### Section 22.9 Solving the Eight Queens Problem Using Backtracking

**22.19** The \_\_\_\_\_ approach searches for a candidate solution incrementally, abandoning that option as soon as it determines that the candidate cannot possibly be a valid solution, and then looks for a new candidate.

- ☐ A. Divide-and-conquer
- ☐ B. Dynamic programming
- ☐ C. Brutal-force
- ☒ D. Backtracking

Your answer is correct



#### Section 22.10 Computational Geometry: Finding a Convex Hull

**22.20** The gift-wrapping algorithm for finding a convex hull takes \_\_\_\_\_ time.

- ☐ A.  $O(n)$

- ☐ B.  $O(n \log n)$
- ☐ C.  $O(\log n)$
- ☒ D.  $O(n^2)$

Your answer is correct



**22.21** The Graham's algorithm for finding a convex hull takes \_\_\_\_\_ time.

- ☐ A.  $O(n)$
- ☒ B.  $O(n \log n)$
- ☐ C.  $O(\log n)$
- ☐ D.  $O(n^2)$

Your answer is correct

