

Assignment 1  
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EE20BTECH11042  
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## Question - 1

```
[1]: import scipy
      from scipy import stats
      import numpy as np
      import matplotlib.pyplot as plt
      from astroML import stats as asts
      import csv
```

```
[2]: n = 1000
      mean = 1.5
      stddev = 0.5
```

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[3]: distribution = stats.norm(mean, stddev)
      draws = distribution.rvs(n)
      draws.sort()
      pdf = distribution.pdf(draws)
```

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[4]: legend = [" $\mu = 1.5$ ,  $\sigma = 0.5$ "]
      plt.plot(draws, pdf, color = "blue")
      plt.title("Probability Density Function for Normal Random Variable", size = 21)
      plt.xlabel("x", size = 19)
      plt.ylabel(" $p(x|\mu, \sigma)$ ", size = 19)
      plt.legend(legend)
      plt.show()

      mean = np.mean(draws)
      print(f'The mean of the given sample is: {mean}')

      variance = np.var(draws)
      print(f'The variance of the given sample is: {variance}\nThe standard deviation,
      ↳ of the given sample is: {pow(variance, 0.5)}')

      skewness = scipy.stats.skew(draws)
      print(f'The skewness of the given sample is: {skewness}')

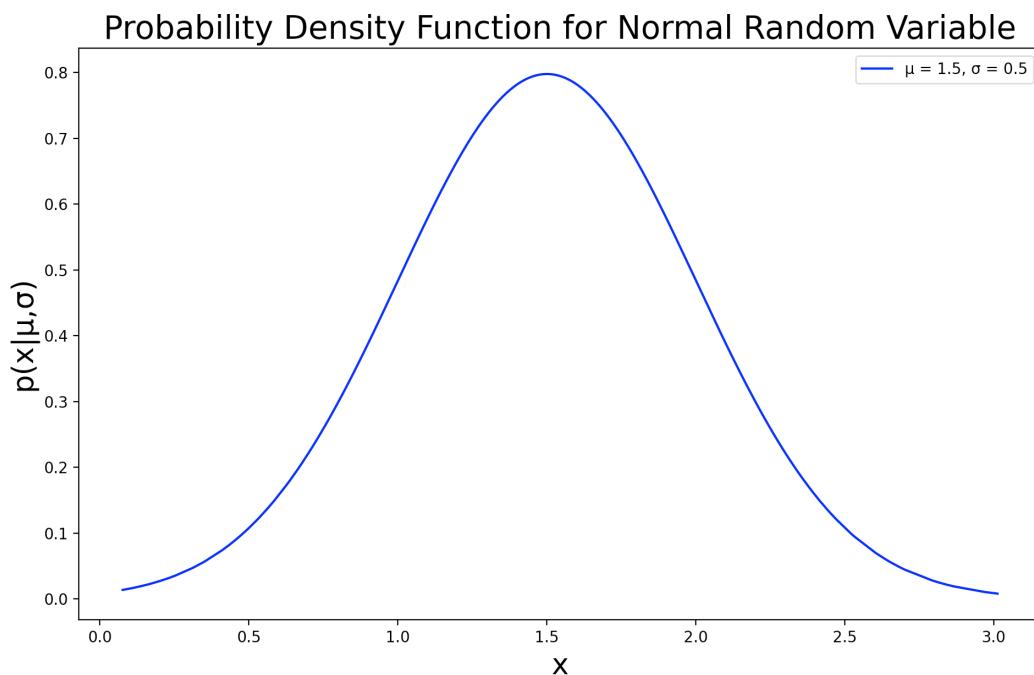
      kurtosis = scipy.stats.kurtosis(draws)
      print(f'The kurtosis of the given sample is: {kurtosis}')
```

```

median_draws = np.median(draws)
corr_draws = np.zeros(np.size(draws))
i = 1
for xi in draws:
    corr_draws = abs(xi - median_draws)
    i += 1
mad = np.median(corr_draws)
stddev_using_mad = 1.482 * mad
print(f'The standard deviation using MAD: {stddev_using_mad}')

stddev_using_sigmaG = asts.sigmaG(draws)
print(f'The standard deviation using sigmaG: {stddev_using_sigmaG}\n\n\n')

```



The mean of the given sample is: 1.4917738619099914  
 The variance of the given sample is: 0.2617425499364973  
 The standard deviation of the given sample is: 0.5116078087133711  
 The skewness of the given sample is: 0.042625311053066564  
 The kurtosis of the given sample is: -0.10986129772591235  
 The standard deviation using MAD: 2.7744156076103352  
 The standard deviation using sigmaG: 0.5346078397663254

## Question - 2

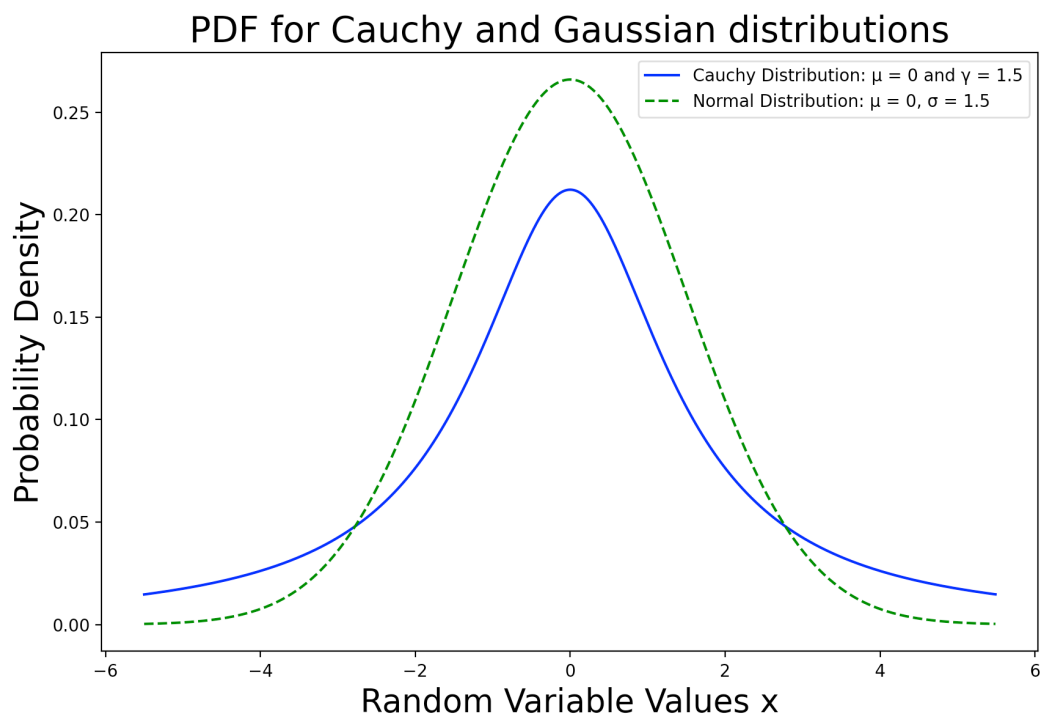
```
[5]: draws = np.arange(-5.5, 5.5, 0.01)

cauchy_distribution = stats.cauchy(0, 1.5)
cauchy_pdf = cauchy_distribution.pdf(draws)

normal_distribution = stats.norm(0, 1.5)
normal_pdf = normal_distribution.pdf(draws)

[6]: legend = ["Cauchy Distribution:  $\mu = 0$  and  $\gamma = 1.5$ ", "Normal Distribution:  $\mu = 0$ ,  $\sigma = 1.5$ "]

plt.plot(draws, cauchy_pdf, color = "blue")
plt.plot(draws, normal_pdf, color = "green", ls = "--")
plt.title("PDF for Cauchy and Gaussian distributions", size = 21)
plt.xlabel("Random Variable Values x", size = 19)
plt.ylabel("Probability Density", size = 19)
plt.legend(legend)
plt.show()
```



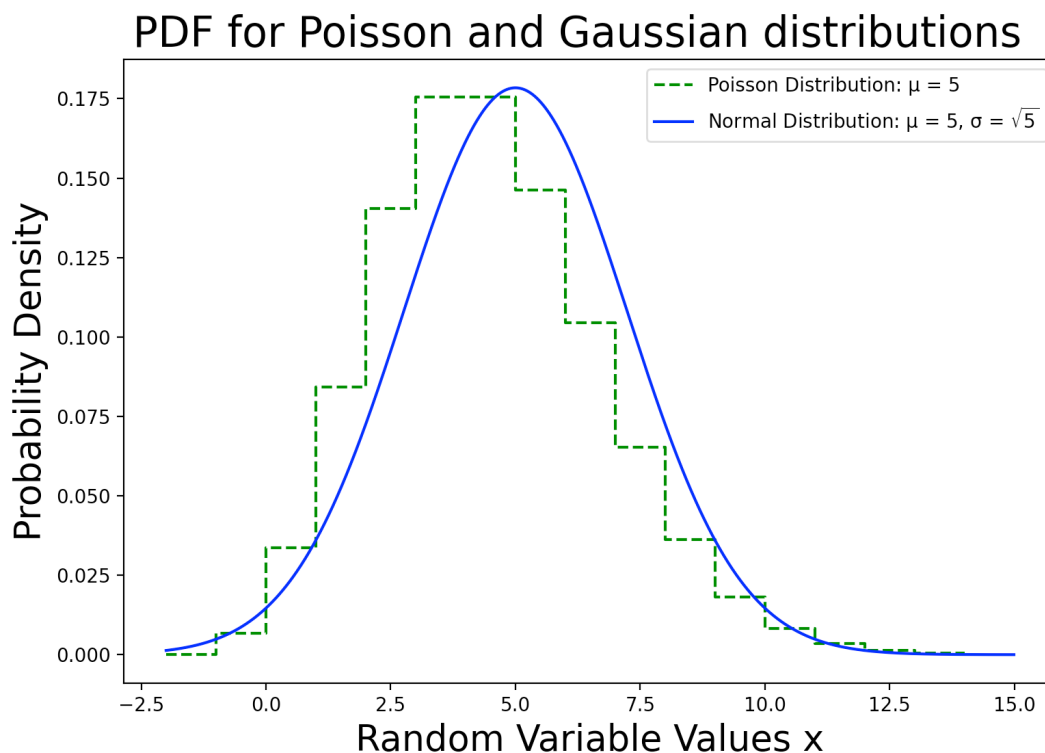
## Question - 3

```
[7]: poisson_draws = np.arange(-2, 15, 1)
normal_draws = np.arange(-2, 15, 0.01)

poisson_distribution = stats.poisson(5)
poisson_pdf = poisson_distribution.pmf(poisson_draws)
```

```
normal_distribution = stats.norm(5, pow(5, 0.5))
normal_pdf = normal_distribution.pdf(normal_draws)
```

```
[8]: legend = ["Poisson Distribution:  $\mu = 5$ ", "Normal Distribution:  $\mu = 5$ ,  $\sigma = \sqrt{5}$ "]
plt.step(poisson_draws, poisson_pdf, color = "green", ls = "--")
plt.plot(normal_draws, normal_pdf, color = "blue")
plt.title("PDF for Cauchy and Gaussian distributions", size = 21)
plt.xlabel("Random Variable Values x", size = 19)
plt.ylabel("Probability Density", size = 19)
plt.legend(legend)
plt.show()
```



## Question - 4

```
[9]: data = [0.8920, 0.881, 0.8913, 0.9837, 0.8958]
error = [0.00044, 0.009, 0.00032, 0.00048, 0.00045]

weighted_mean = 0
uncertainty_in_mean = 0

for i in range(5):
    weighted_mean += (data[i] / pow(error[i], 2))
```

```

        uncertainty_in_mean += (1 / pow(error[i], 2))

weighted_mean /= uncertainty_in_mean
uncertainty_in_mean = 1 / uncertainty_in_mean

print(f'The weighted mean of lifetime of K meson is: {weighted_mean} in_
↪10^(-10)s')
print(f'The uncertainty in mean of lifetime is: {pow(uncertainty_in_mean, 0.
↪5)}\n\n')

```

The weighted mean of lifetime of K meson is: 0.9089185199574897 in  $10^{(-10)}s$   
The uncertainty in mean of lifetime is: 0.00020318737026848627

## Question - 5

```

[10]: data = []
      num_categories = 16

[11]: with open ("exoplanet.eu_catalog.csv", 'r') as csvfile:
      csvreader = csv.reader(csvfile)

      fields = next(csvreader)
      index = fields.index('eccentricity')

      for row in csvreader:
          if (row[index] != '') and (row[index] != '0.0'):
              data.append(float(row[index]))

[12]: plt.hist(data, bins = num_categories)
      plt.title("Histogram Plot before Box-Transformation")
      plt.xlabel("Eccentricity e")
      plt.ylabel("Count of exoplanets")
      plt.show()

      new_data, tmp = scipy.stats.boxcox(data)

      plt.hist(new_data, bins = num_categories)
      plt.title("Histogram Plot after Box-Transformation")
      plt.xlabel("Eccentricity e")
      plt.ylabel("Count of exoplanets")
      plt.show()

```

