

Screened Range-Separated Hybrid Functional with Polarizable Continuum Model Overcomes Challenges in Describing Triplet Excitations in the Condensed Phase Using TDDFT

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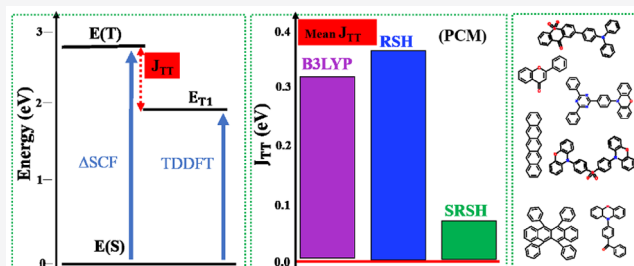


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Supporting Information

ABSTRACT: Long range-corrected (LRC) or range-separated hybrid (RSH) functionals where the long-range (LR) limit of electronic interactions is set to the exact exchange have been shown to correct the tendency of traditional density functional theory (DFT) to underestimate the frontier orbital gap. Consequently, the use of such functionals in calculating electronic excited states using linear response based time-dependent DFT (TDDFT) has been successful in correcting the tendency for underestimating the energies of charge transfer states by DFT-based calculations. More recently formulations of functionals that attenuate the LR limit to address condensed-phase effects to polarize the electronic density have been reported. In particular screened RSH (SRSH) combined with polarizable continuum model (PCM) was benchmarked successfully in reproducing the fundamental gap and charge transfer state energies of molecular systems in the condensed phase. Here we use SRSH-PCM to address triplet excited states, and show its success in obtaining correspondence of the low-lying triplet states to the singlet–triplet gap in a similar way that the fundamental orbital gap corresponds to electron removal and addition energies. Importantly, the accuracy of the SRSH-PCM in calculating triplet excitations stands on the polarization consistent framework in addressing the scalar dielectric constant and *without* affecting the optimal tuning by triplet energies. The prospect of even further improving the SRSH-PCM accuracy in calculating triplet states can be achieved by optimal tuning on the basis of the spin multiplicity gap.



INTRODUCTION

Organic semiconducting materials are widely considered for optoelectronic applications, as of organic light emitting diodes (OLEDs), due to their tunability and relative low cost.^{1–3} Emerging applications based on triplet electronic excitations in organic materials include solar energy harvesting using singlet fission, high-resolution displays, white color lighting diode, and bioimaging.^{4–7} Indeed, recent OLEDs based on thermally activated delayed fluorescence (TADF) have transformed consumer electronics over the past decade.^{8–10} These recent advances underscore the need for computational tools for designing the materials, where the excitation energies of the low-lying singlet and triplet electronic states are controlled to enhance the device efficiency. Primarily, computational studies that aim to contribute to relevant design efforts must address reliably the effect of the condensed-phase environment on the material optical properties.

Linear response formulation of time-dependent density functional theory (TDDFT)^{11–15} is the most employed level of first-principles electronic structure theory for calculating electronic excited states. However, traditional DFT-based calculations are associated with several artifacts that limit the reliable applicability of the approach.^{16–19} Crucially these limitations are in the treatment of charge transfer (CT) and

Rydberg and triplet excitations that are all usually addressed with reservation when calculated by DFT.^{20–22}

Nevertheless, over the past decade functionals based on enforcing the long-range limit of exact exchange have been developed and have shown great success in addressing the shortcoming of DFT in describing CT states.^{23–27} Of importance are Coulomb attenuated functionals that distinguish between long range (LR) and short range (SR) in the assigned weight of the exact exchange. In particular, of interest are optimally tuned (OT) range-separated hybrid (RSH) functionals^{26,28,29} with a range separating parameter that establish the Koopmans theorem^{30,31} for DFT, where the highest occupied molecular orbital (HOMO) energy corresponds to the ionization potential ([IP], which is a required property of the exact, while unknown, functional) and the lowest unoccupied molecular orbital (LUMO) energy corresponds to the electron affinity (EA). Clearly functionals

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that are associated with such physically significant frontier orbitals contribute to the success of TDDFT in describing properly CT states.

More recently, RSH functionals were adapted to address the condensed-phase environment. Toward this goal, RSH formulation was developed for molecular systems in the solid phase using the periodic framework of DFT.^{32–34} Similar success has been reported by affecting the LR limit by screening the exact exchange.^{34–38} Screened RSH (SRSH) in combination with polarizable continuum model (PCM), SRSH-PCM, is especially promising as it was found to reproduce well the fundamental orbital gap of molecular systems in the condensed phase³⁸ and in addressing CT states in solvated donor–acceptor complexes.³⁹ The success of SRSH-PCM stems from its polarization consistent aspect, where the electrostatic environment is represented by the scalar dielectric constant (ϵ). In SRSH-PCM the same screened interactions are imposed in the functional parameters and in the PCM treatment. Namely, the same ϵ is affected both in setting the functional parameters that determine the weight of LR exact exchange and in the self-consistent reaction field iterations of the PCM.^{38,40}

In this report we turn to use SRSH-PCM for addressing triplet excitations. However, TDDFT calculations can be affected by the infamous triplet instability affecting DFT, especially in cases with dominant exact exchange contributions.^{41–45} In such cases the triplet eigenvalues obtained by the linear response TDDFT calculations tend to be underestimated in comparison to the spin multiplicity energy gap (if not becoming imaginary). Below we demonstrate the success of the SRSH-PCM-based TDDFT framework to eliminate the deviation of the triplet excitations from the gap energies and especially when affected by the polarizable environment that is expected to greatly affect the optoelectronic properties. We consider a benchmark set of molecules that comprise some of the *usual suspects* that are widely employed in optoelectronic applications and for which there are measured excitation energies to compare against. *Indeed, in this report, we first demonstrate the success of the SRSH-PCM approach to eliminate the numerical instability affecting triplet excitation energies in TDDFT calculations and then confirm the predictive quality of the calculated energies by comparing against measured energies.*

COMPUTATIONAL APPROACH

The success of the OT-RSH framework in describing CT states appears to also improve the treatment of triplet excitations.^{7,34,36,43,46–48} Indeed attenuated Coulomb-based functionals, where the exact exchange weight varies between the LR and SR, have been shown to address well the singlet–triplet gap.^{7,43} More recently Lin and Van Voorhis have shown that triplet excitations can be further improved by tuning the functional parameters in the spirit of optimally tuning the distance parameter in RSH for the orbital energies, where a triplet-tuning (TT) measure is defined.⁴⁹ The TT error measure based on triplet energies is as follows:

$$J_{\text{TT}} = \|\Delta E_{\text{st}}(\text{SCF}) - E_{\text{T1}}\| \quad (1)$$

where $\Delta E_{\text{st}}(\text{SCF})$ is the singlet–triplet self-consistent field (SCF) energies gap and E_{T1} is the lowest triplet excited state calculated using TDDFT (on the basis of the same functional).⁴⁹

In this report we turn to address triplet states in the condensed-phase system using the polarization consistent SRSH-PCM framework, which was recently introduced. We demonstrate the success of the SRSH-PCM framework to obtain consistency between the singlet–triplet energy gap and the triplet excitation energy. In this study, the J_{TT} measure defined in eq 1 is used *primarily* as a quality measure for the calculated triplet energies similar to the J_{OT} , reflecting the quality of calculated CT states. We contrast the J_{TT} error measure in calculating triplet excited states in the condensed phase by SRSH-PCM to those obtained by alternative functionals and by HF with PCM. We note that functional tuning based on triplet energies may be invoked for tightening the accuracy.

SRSH framework is based on partitioning the electronic interactions into LR and SR using an error function (erf):

$$\frac{1}{r} = \frac{\alpha + \beta \operatorname{erf}(\omega r)}{r} + \frac{1 - (\alpha + \beta \operatorname{erf}(\omega r))}{r} \quad (2)$$

(r is the interacting electrons distance, α and β are functional parameters, and ω is the system-dependent range switching parameter.) For the energy expression, as usually affected in RSH functionals, we use the exact (Fock) exchange for the first term, noted below as E_{F_X} , and a semilocal density exchange functional of choice for the second term, noted below as E_{DF_X} . The SRSH exchange–correlation functional is then written as

$$E_{\text{XC}}^{\text{SRSH}} = \alpha E_{\text{F}_X}^{\text{SR}} + (1 - \alpha) E_{\text{DF}_X}^{\text{SR}} + (\alpha + \beta) E_{\text{F}_X}^{\text{LR}} + (1 - \alpha - \beta) E_{\text{DF}_X}^{\text{LR}} + E_{\text{DF}_C} \quad (3)$$

In the preceding expression, we add the superscript for the LR and SR of the exact and functional exchange terms and noted the correlation term by E_{DF_C} .

In RSH functionals the OT finds the ω that minimizes the error measure on the basis of the orbital and ionization energies, with a particular choice of the α and β parameters.³⁴ For example the expression can be defined as follows:

$$J_{\text{OT}}^2(\omega) = [E_{\text{HOMO}}(\omega) + \text{IP}(\omega)]^2 + [E_{\text{LUMO}}(\omega) + \text{EA}(\omega)]^2 \quad (4)$$

where E_{HOMO} and E_{LUMO} denote the energies of the HOMO and LUMO, and IP and EA are the vertical ionization potential and electron affinity of the system, respectively.

The SRSH-PCM framework as detailed in ref 38, where the condensed phase represented by a scalar dielectric constant is addressed, uses the range separation parameter obtained by OT for the single molecule in the gas phase with a preset α value. Crucially, in SRSH the functional parameters are then set to address the screened electrostatic interactions using the dielectric constant (ϵ) such that

$$\alpha + \beta = 1/\epsilon \quad (5)$$

thereby establishing the LR weight of the exact exchange in eq 3. In this way the electronic density polarization due to the dielectric environment is addressed by the same constant in the PCM and the functional expression. More specifically, within SRSH the β is reset to correspond to the ϵ using a preset value of α ($\beta = 1/\epsilon - \alpha$). Below we use α values within the 0.2–0.4 range.

Excited-state energies are calculated at the perturbative linear response (ptLR) level where only the first order response to the reaction field representing the dielectric

environment is invoked.⁵⁰ In all of the TDDFT calculations we set the optical dielectric constant to 1.88, unless noted otherwise. All of the calculations were performed using Q-Chem⁵¹ and the cc-pVDZ basis set. Molecular geometries are optimized at the B3LYP/cc-pVDZ level of theory with the coordinates included in the [Supporting Information \(SI\)](#).

The set of benchmark molecules is illustrated in [Figure 1](#). Primarily, we address the molecules in the solvent that was

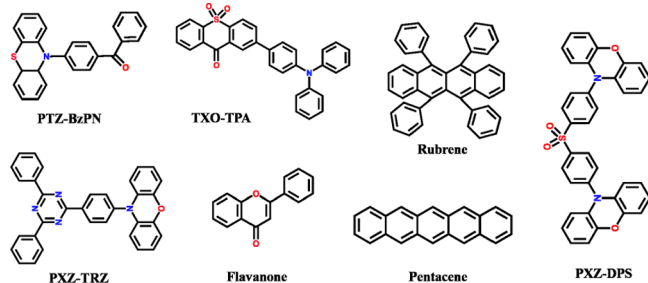


Figure 1. Benchmark set of molecules. Atomic Cartesian coordinates of the optimized geometries at the B3LYP/cc-pVDZ level are provided in the [SI](#).

used in the referenced experimental studies as noted next. More specifically the measured triplet energies are of the following molecules: TXO-TPA (9-*H*-thioxanthen-9-one-10,10-dioxide triphenylamine),^{52,53} PXZ-TRZ (10-(4-(4,6-diphenyl-1,3,5-triazin-2-yl)phenyl)-10*H*-phenoxazine),^{53,54} PTZ-BzPN (4-(10*H*-phenothiazin-10-yl)phenyl)(phenyl)-methanone),⁴⁸ PXZ-DPS (diphenoxazine diphenylsulfone),⁵⁵ flavanone,⁵⁶ rubrene,^{57,58} and pentacene.^{59,60} We also address the molecules in their crystal phase by considering their own dielectric constant as evaluated using Clausius–Mossotti equation,^{61–63} which relates the dielectric constant to the molecular dipole and polarizability.⁶¹ See the solvents and dielectric constants addressed for each of the benchmark molecules and the molecular crystal-phase dielectric constants listed in [SI Table S1](#).

RESULTS AND DISCUSSION

We begin by addressing these molecules in gas-phase calculations. The corresponding J_{OT} and J_{TT} error measures for these molecules are illustrated in [Figure 2](#) with the numerical values listed in [SI Table S2](#). As expected, we confirm the success of the RSH approach to present low- J_{OT} errors with the average for the considered set well below 0.05 eV, whereas the mean is close to 0.1 eV for HF and B3LYP. The orbital gap energies with HF and B3LYP are overestimated and underestimated, respectively, leading to similar average absolute deviation. (The complete list of the energies used to calculate the J_{OT} measures is provided in [SI Table S3](#)).

These trends are even more pronounced for J_{TT} , the triplet gap error measure. The J_{TT} errors are on average larger than 0.3 eV for both HF and B3LYP. The T1 excitation energies are overestimated by HF, while these appear to be underestimated by the B3LYP values. Importantly with RSH the error measures are smaller at around 0.1 eV and where the tuning is *not* involving any triplet energies.

Interestingly the J_{TT} values appear to be significantly dependent on the α parameter, while the RSH error measures based on α in the 0.2–0.4 range remain smaller than the B3LYP and HF values in spite of the strong α dependence.

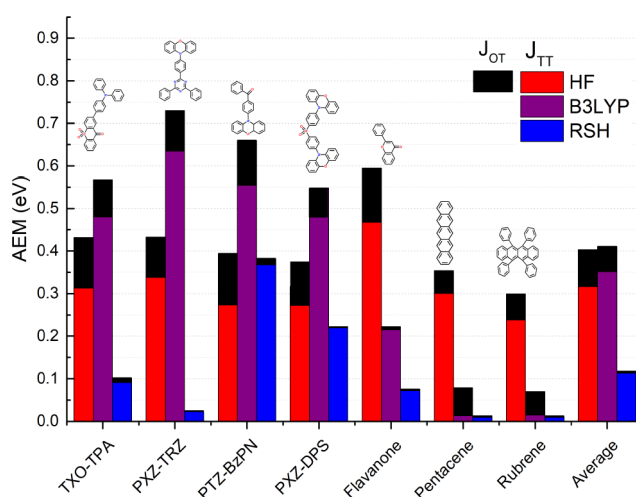


Figure 2. Gas-phase error measures (represented by bars), J_{OT} and J_{TT} , at HF, B3LYP, and RSH levels. J_{OT} is provided at the top part of each bar in black. The numerical values are listed in [SI Table S2](#). The corresponding energies of HOMO/IP, LUMO/EA, and $\Delta E_{st}(\text{SCF})$ and E_{T1} are provided in [SI Tables S3 and S4](#) (eV).

[Figure 2](#) presents energies calculated with $\alpha = 0.3$. (The J_{OT} are the smallest at $\alpha = 0.3$.) Not surprising the RSH J_{OT} measure shows weaker dependence on α since this measure is directly addressed in the tuning. Nevertheless, we point out the stronger α dependence of the triplet measure as an indicator for the prospect to further enhance the performance by affecting the tuning with triplet energies.

We next proceed to consider the different levels where PCM is invoked to address the solvated molecules. Namely, PCM is invoked with the scalar dielectric constant, ϵ , corresponding to the relevant solvent for each molecule as listed above in [SI Table S1](#). The PCM J_{OT} and J_{TT} error measures are illustrated in [Figure 3](#) with the values listed in [SI Table S5](#) and the corresponding energies listed in [SI Tables S6 and S7](#). Most pronounced are the larger error measures for the HF triplet

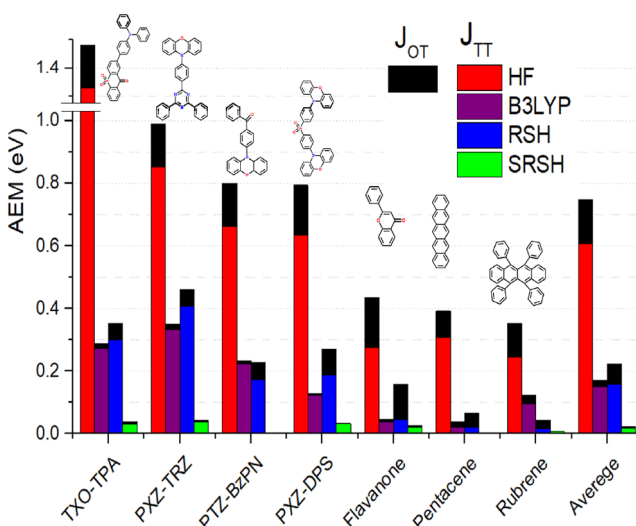


Figure 3. PCM-based error measures (represented by bars), J_{OT} and J_{TT} , at HF, B3LYP, RSH, and SRSH with PCM levels. J_{OT} is provided at the top of each bar in black. The numerical values are listed in [SI Table S5](#). The corresponding energies of HOMO/IP, LUMO/EA, and $\Delta E_{st}(\text{SCF})$ and E_{T1} are provided in [SI Tables S6 and S7](#) (eV).

energies. Here we find an average deviation close to 0.8 eV due to the overestimation of the excited triplet-states energies. The average deviation is quite significant for RSH-PCM and B3LYP (in PCM) at 0.2 eV. The SRSH-PCM, on the other hand, presents a significant improvement with the mean error, dropping to below 0.05 eV.

The triplet excitation energies appear to be significantly affected by the α value similarly to the gas-phase trend discussed above. In Figure 4 we present the SRSH-PCM error

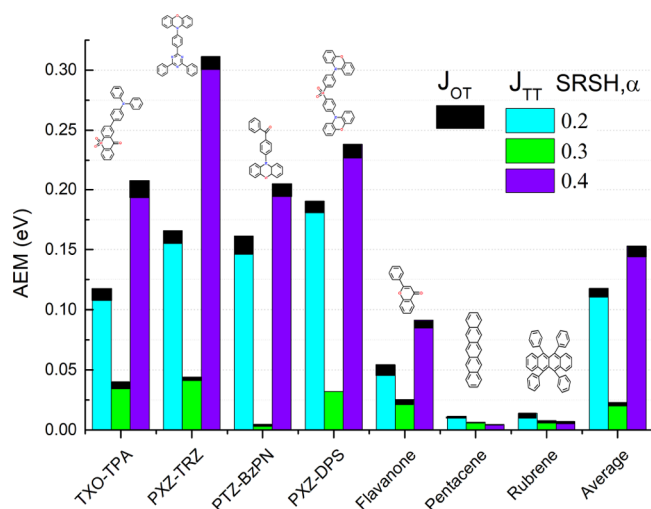


Figure 4. SRSH-PCM-based error measures (represented by bars), J_{OT} and J_{TT} , with various α values. J_{OT} is provided at the top part of each bar in black. The numerical values are listed in SI Table S5. The corresponding energies of HOMO/IP, LUMO/EA, and $\Delta E_{st}(\text{SCF})$ and E_{T1} are provided in SI Tables S6 and S7 (eV).

measures with several α values, where 0.3 appears to reduce the measures the most. Note that similarly to the gas-phase trend the SRSH-PCM J_{TT} error measures with all of the considered α parameters remain smaller than the B3LYP and HF errors (again in spite of the relatively significant effect due to the α value). We also find that the optimal α based on J_{TT} appears to correspond to that based on the J_{OT} measure, where rubrene appears to show a slight deviation from this trend. The corresponding energies are included in SI Tables S5–S7. Nevertheless, the relatively significant dependence of PCM-based J_{TT} on the α confirms that the functional parameter space does offer a means to enhance the performance by optimally tuning within PCM. An aspect that is not explored in this study, where tuning is based on the fundamental gap and ionization energies.

We proceed to consider the dependence of the triplet-state energies and error measures of the different PCM levels as ϵ is varied. Specifically J_{TT} measures for all considered molecules at the dielectric constants of the relevant solutions and of their own crystal phases as listed in SI Table S1 are provided. For illustration we follow the error measure trends for TXO-TPA of 4.68 coulomb-m dipole moment calculated in the solid-phase dielectric, where the triplet excited state is associated with CT between donor and acceptor sites of 0.907e and 0.765e in the solid phase and in the solution, respectively. In general states associated with significant CT are expected to strongly depend on the dielectric constant. As shown in Figure 5 only with SRSH-PCM the T1 state energies depend on the dielectric constant, whereas for B3LYP and RSH (with PCM),

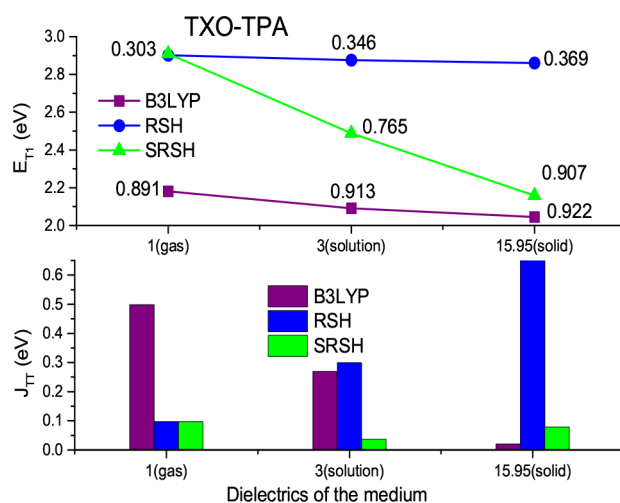


Figure 5. TXO-TPA. Lower: Error measures at gas, solvated, and solid phases (see dielectric constants listed in SI Table S1) at RSH, B3LYP, and SRSH PCM levels. J_{TT} values are listed in SI Tables S4, S7, and S8, respectively. Upper: Triplet excitation energies (E_{T1}) (eV) with their charge transfer noted. The values are listed in SI Table S9, including those of the other molecules.

these energies remain almost the same at the different dielectric constants. The dependence of the triplet excitation energies that is captured by the SRSH-PCM approach leads to error measures that are well below 0.1 eV with all considered constants, whereas the error measures for RSH-PCM and B3LYP vary quite significantly with the constant. For TXO-TPA the B3LYP error measure decreases with the increase of the dielectric constant starting with an error of 0.5 eV at the gas phase, whereas with RSH-PCM the error appears to increase with the constant to 0.6 eV at the larger considered dielectric constant of 15.95. Similar trends are noted for the other molecules and are provided within SI Figure S1.

Importantly, the significantly smaller J_{TT} indicated for SRSH-PCM improves the agreement of the calculated triplet excitations with measured excitation energies. The deviation of the calculated triplet excitation energies from the reported excitations in solution are represented in Figure 6, where the excitation energies are also indicated. See the energies listed in SI Table S9 including values at gas-, solution-, and solid-phase dielectric constants. The SRSH-PCM energies are found to be within 0.1 eV from the measured values (with the exception of PXZ-DPS), whereas RSH energies overestimate by 0.3 eV (for three of the molecules) and B3LYP energies appear to underestimate the energies. As demonstrated in the SI table the molecules associated with larger dipole moment and polarizability and consequently the excited state of significant charge transfer (TXO-TPA, PXZ-TRZ, PTZ-BzPN, and PXZ-DPS) are strongly dependent on the dielectric constant (again a feature correctly established only by the SRSH-PCM), whereas the molecules of vanishing dipole moment and charge transfer present a weak to vanishing dependence on the dielectric constant.

As a final point we emphasize that the SRSH-PCM framework stands on the consistent treatment of the polarization due to the dielectric environment that is represented by a scalar dielectric constant. The same constant is invoked both in the self-consistent reaction field and in screening the LR exact exchange in the functional. Indeed the excellent performance reported above for the triplet excitation

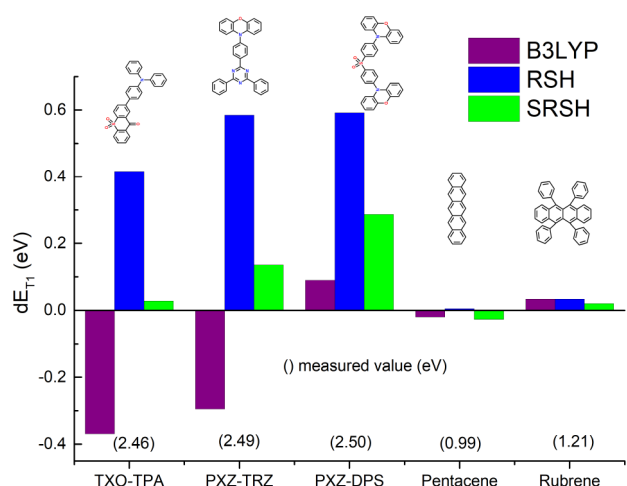


Figure 6. Deviation of solution-phase-calculated triplet excitation energies from spectral measured values at the B3LYP, RSH, and SRSH ($\alpha = 0.3$) levels. The measured excitation energies are indicated in parentheses (eV). The numerical values are included in SI Table S9.

energies is *not* based on affecting the parameter tuning by triplet energies. In fact, we confirm that the J_{TT} measure is minimal at the optimal set of functional parameters determined by J_{OT} , where only rubrene appears to present an insignificant deviation of this trend (see SI Table S5). As a result the success in calculating the triplet energies is achieved in addition to the high-quality performance in addressing singlet excitations including those with a CT character.^{39,70–72}

To illustrate this important point, we address here also singlet-state excitation energies for the pentacene system that appears to be a challenging case drawing a wide research effort.^{59,64,66,67} Table 1 presents both singlet and triplet excitation energies at the B3LYP, RSH-PCM, and SRSH-PCM levels with a scalar dielectric constant of 2.0 corresponding to hexane as the solvent. As seen in the table the measured low-lying singlet excitation energy of 2.3 eV⁶⁵ is reproduced well by SRSH-PCM, whereas a lower measured 1.8 eV⁶⁴ excitation appears to have resulted from an aggregation effect⁵⁹ that is not addressed by our calculations. Interestingly, the lower lying excitation of 1.8 eV appears to be due to an excitonic state affected by aggregation. Indeed, this value is in agreement with crystal-phase measurements and addressing its excitonic nature is beyond the scope of this work. Interestingly, the triplet excitation appears to show a weak dependence on the dielectric constant, where the gas-phase excitation is essentially the same as the PCM values. For the singlet case the gas-phase excitation is 2.53 eV, which is almost 0.2 eV larger than that for the hexane-solvated value.

Table 1. Pentacene Solvent-Phase Singlet and Triplet Energies

state	B3LYP-PCM	RSH gas at α	RSH-PCM gas at α		SRSH-PCM at α			Exp.
		0.3	0.2	0.3	0.2	0.3	0.4	
T1	0.973	0.994	1.023	0.995	0.982	0.964	0.946	0.99 ^a
S1	2.083	2.526	2.443	2.428	2.235	2.269	2.320	1.80 ^a , 2.31 ^b , 2.37 ^c

^aMeasured values in hexane.^{60,64} The reported low-lying singlet excitation energy of 1.80 eV appears to be affected by aggregation as it is close to the excitation energy of 1.83 eV reported for the polycrystalline phase of pentacene.⁵⁹ ^bSingle molecule measurement using molecular beam.^{65,66}

^cExtrapolated gas-phase measured value based on solvation correction.^{67–69}

CONCLUSIONS

In this study, we demonstrate for the first time the success of the SRSH-PCM framework in the calculation of triplet excited states in the condensed phase. The success of the approach stems from the polarization consistent scheme that was recently reported for the calculation of condensed-phase orbital gaps and CT states. The error measure, J_{TT} , reflecting the deviation of TDDFT-calculated triplet excited-state energies (E_{T1}) from the singlet–triplet energy gap, is found to be smaller than 0.1 eV for all considered molecules and dielectric constants on the basis of SRSH-PCM, while alternative PCM levels are associated with significantly larger deviations. Importantly, the success of SRSH-PCM is demonstrated with OT that is based only on the orbital and ionization energies calculated at the gas phase. Therefore, the excellent performance demonstrated for the excited-state triplet energies is achieved in addition to the already demonstrated success in calculating singlet excited states.^{39,70} The prospect for further tightening of the triplet energy accuracy where the tuning is also affected by triplet energies is demonstrated by considering the trends with several values of the α parameter. Specifically, $\alpha = 0.3$ is found to be optimal for all of the molecules at the various condensed phases considered in this benchmark.

ASSOCIATED CONTENT

Supporting Information

The Supporting Information is available free of charge at <https://pubs.acs.org/doi/10.1021/acs.jctc.0c00086>.

Numerical values of the error measures and the excitation energies used to evaluate the error measures; benchmark measured values and listing of the dielectric constants corresponding to the considered solution and solid phase; atomic coordinates of the different molecules (PDF)

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Notes

The authors declare no competing financial interest.

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